## ARBA MINCH UNIVERSITY

## Arba Minch Water Technology Institute

Faculty of Water Supply and Environmental

## Engineering

Course Name: Engineering Economics
Course Code: WSEE-5263
Target Group: G5WSEE

## OUTLINE

- Chapter-I
- INTRODUCTION
- Project Concept
- CLASSIFICATION OF COST
- TIME VALUE OF MONEY
- Interest Formula and Equivalence
- Cash Flow Diagram
- Chapter-II: Methods of comparing alternative proposals
- present worth method of Analysis
- Annual worth method of Analysis
- Future worth method of Analysis
- Rate of return method of Analysis
- Incremental Rate of return Method
- Break-even comparison method or break-even Analysis
- Benefit-cost Analysis


## OUTLINE

- Chapter-III: Project Investment Evaluation
- Tax
- Depreciation
- Depreciation Methods
$\checkmark$ Straight line method
$\checkmark$ Sum -Of-Year Digit method
$\checkmark$ Decline balance method
$\checkmark$ Sinking fund method
- Chapter-IV: Economic Analysis of a Project
- Benefit-cost Analysis
- Sensitivity Analysis
- Effect of Inflation


## OUTLINE

- Chapter-V: Project Appraisal And Case Studies
- Key Elements For Project Appraisal
- Special Issues In Project Appraisal, Making Technical

Expertise Available

## What is Engineering Economics?

- Engineering economics:
- is Systematic evaluation of the economic merits of proposed solutions to engineering problems.
- is about determining the economic factors and the economic criteria utilized when one or more alternatives are considered for selection
- is a collection of mathematical techniques, which simplify economic comparisons.


## What is Engineering Economics?

- Objective-Evaluation
- How to compare the economic value of alternative design option?
- Example

- Basis-Cash Flow Analysis
- Which project or alternative has better net cash flow?
- Key issues-
- Time value of money
- Cash flow occurring at different time
- Designs with different durations


## Why Is Engineering Economics Important?

- Engineers design things and perform projects
- Therefore, engineers must be concerned with the economic aspects of designs that they recommend, and projects that they perform
- Engineering economics is needed for many kinds of decision making.
* Example: Buying a car
- Alternatives:
$\checkmark$ Not buying
$\checkmark$ Buying with \$18,000 now, or
$\checkmark$ Buying for $\$ 600$ per month for 3 years
- Which is better?
- It will help you make good decisions:
- In your professional life
$\checkmark$ (Regardless of whether you go into the private or public sector)
- And in your personal life!
* Knowledge of engineering economics will have a significant impact on you personally!
- Engineering economics involves:
- Formulating, Estimating, and Evaluating economic out comes when choices or alternatives are available.


## How Does It Do This?

- By using specific mathematical relationships:
- to compare the cash flows of the different alternatives
(typically using spreadsheets)


## Where Does Engineering Economics Fit?

- Here is an approach to problem-solving:

1. Understand the Problem
2. Collect all relevant data/information (difficu/t!)
3. Define the feasible alternatives
4. Evaluate each alternative

5. Select the "best" alternative
6. Implement and monitor

This is the major role of engineering economics

## Where Do You Get the Data?

- Engineering economics is based mainly on estimates of future costs and benefits:
- So it has to deal with risk and uncertainty
- The costs, benefits, and other parameters are typically unknown, and can vary over time:
- The values of these parameters will dictate a particular numerical outcome
- And therefore a particular decision!
- Sensitivity analysis can be used to explore how the decision changes as our estimates change


## What If You Don't Like the Answers?

Remember:

- "Tools" don't make decisions
- People make decisions, based on values
- Engineering economics is just a set of tools:
- It can help in decision making
- But it won't make the decision for you
* Which alternative is "best" is up to you!


## Engineering Economics Helps Make

- Cash Flow Comparisons!
- Example: Buying a car
- Alternatives:
$\checkmark$ Not buying
$\checkmark$ Buying with \$18,000 now, or
$\checkmark$ Buying for 600 per month for 3 years (= \$21,600 total)
- Which is better?
$\checkmark$ It depends!
■ Issue: how much is money now worth compared to money in the future?
$\checkmark$ Leads to idea of time value of money!


## Project Concept

- What is project?
- It is an investment plan
- It is undertaken for a particular goal or objective to be achieved within a limited period of time and with limited resources (manpower, money, etc.)
- project characterized by:
- A construction period
- An operational period
- (expected) life time
- Specific desired output (benefits)
- Use of scarce and valuable resources and/or undesired outputs (costs).
- Sometimes a well defined target.


## Project Concept

- Classify project period into different phases:
- Project identification
- Project formation and preparation
- Project appraisal
- Project implementation
- Project monitoring and evaluation
- Project appraisal or investment analysis is about the comparison of different investment alternatives or projects
say: A0, A1, A2... Aj, An


## Project Concept

The objective of economic analysis of projects is three fold

- The evaluation as to whether a specific project is economically desirable.
- The identification of the most desirable project among several desirable alternatives.
- The placement of the more economically desirable projects in rank order.


## Project Concept

- Projects classifications:
- Private owned:
- Public or state owned
$\checkmark$ This distinction is closely related to the nature of goods and services in terms of excludability and subtractibility.
- Excludability: the degree to which users can be excluded (example: Flood protection...) this implies for public owned
- Subtractibility: the degree to which consumption by one user reduces the possibility of consumption by the others. (example: Fisheries...) this implies for private owned


## Project Concept

* Public Projects/goods:-
- have low subtractibility and low excludability.
$\checkmark$ Eg. Service of flood protection.
* Private Projects/goods:
- have high subtractibility and high excludability.
$\checkmark$ Eg. Individual pit (waste water).


## Project Concept

- Important criterion for public sector decisions;
- Economic efficiency:
$\checkmark$ deals with efficiency of resource allocation
- Equity:
$\checkmark$ distribution of costs and benefits over different social classes and different regions.
$\checkmark$ (Eg. Block tariffing in public water supply.)
- Inter-generation effects or long term aspects:
$\checkmark$ distribution of costs and benefits over time.
- Feasibility of implementation:
$\checkmark$ should be evaluated in technical, financial, social, and administrative senses


## CLASSIFICATION OF COST

- Economic analyses may be based on a number of cost classifications:
- First (or Initial) Cost :
$\checkmark$ Cost to get activity started such as property improvement, transportation, installation, and initial expenditures.
- Operation and Maintenance Cost :
$\checkmark$ They are experienced continually over the useful life of the activity.
- Fixed Cost :
$\checkmark$ Costs which could not vary with level of production.


## CLASSIFICATION OF COST

- Variable Cost :
$\checkmark$ Variable costs are related to the level of operational activity
- Incremental or Marginal Cost :
$\checkmark$ Incremental (or marginal) cost is the additional expense that will be incurred from increased output in one or more system units
- Sunk Cost :
$\checkmark$ It cannot be recovered or altered by future actions. Usually this cost is not a part of engineering economic analysis.
- Life-Cycle Cost :
$\checkmark$ This is cost for the entire life-cycle of a product, and includes feasibility, design, construction, operation and disposal costs.
- Opportunity Cost: an expired Benefit.


## TIME VALUE OF MONEY

- Explained in quote; "A bird in hand is more than two in bush!"
- Would you rather have:
$\checkmark \$ 100$ today, or
$\checkmark$ \$100 a year from now?
- Basic assumption:
$\checkmark$ Given a fixed amount of money, and
$\checkmark$ A choice of having it now or in the future,


## TIME VALUE OF MONEY

- Most people would prefer to have it sooner rather than later
- Reasons:
$\checkmark$ money has earning power over time (Cost of money)
$\checkmark$ Inflation
$\checkmark$ Risk
- This assumption is not universally satisfied:
$\checkmark$ E.g. saving money for graduate school
- But it is nearly universal, especially in business


## TIME VALUE OF MONEY

- One consequence of the time value of money:
- Suppose you are willing to exchange a certain amount now for some other amount later
- Then the later amount has to be discounted
- The time value of money manifested the idea of:
- An interest rate (if projecting into the future) Or,
- Equivalently, a discount rate (if rolling back to the present),
- Inflation or deflation and
- Risk.


## TIME VALUE OF MONEY

- Time value of money deals with changes in the value of money over some period of time (due to investment opportunities, uncertainty, etc.)
- This is the single most important concept in engineering economics!


## Interest Formula and Equivalence

- Interest:
- It is the increase between an original sum of money borrowed and the final amount owed, or the original amount owned (or invested) and the final amount accrued.
- In simple terms interest is the price or cost of the use of money.
- When interest is expressed as a percentage of the original amount per time unit, the result is an interest rate.
- This rate is calculated as:

$$
\text { Percent interest rate } i=\frac{\text { Final owned }- \text { Principal }}{\text { Pricipal }} * 100 \%
$$

## Interest Formula and Equivalence

- Equivalence
- Issue: Time Value of money
- Money now has a d/t value than the same amount at a d/t date
$\checkmark$ Would you prefer $\$ 75$ today or 80 in one year?
$\checkmark$ It depends-Rate of return on investment
- Proper name: Discount rate i or r
$\checkmark$ Future benefits/costs are reduced(i.e. discounted) to compare with present.
- Even though the amounts and timing of the cash flows may differ, the appropriate interest rate makes them equal.
- Example: $\mathbf{1 0 0}$ dollar today is equal with $\mathbf{1 0 6}$ dollar after one year considering 6\%interest rate.


## Simple interest

- Simple Interest (infrequently used)
- Total interest earned (charged) is linearly proportional to
$\checkmark$ The initial amount of principal(loan)
$\checkmark$ Interest rate
$\checkmark$ Number of time period of commitment

$$
\text { total interest } i=P * n * i
$$

Where P=principal amount lent or borrowed
$\mathbf{N}=$ number of interest periods
i=interest rate per period

## Compounded Interest (interest of the interest)

- Compounded Interest
- Interest earned (charged) for a period is base on
- Reaming principal plus
- Accumulated (unpaid) interest at the beginning of the period

$$
\begin{aligned}
& I_{n}(\text { Interest in period } n)=P_{n} * i \\
& P_{n}=\text { principal amount in period } n \\
& i=\text { interest rate per period } \\
& \qquad I=\sum_{n} I_{n}
\end{aligned}
$$

## Example on Simple and compounded interest

- Compute the compound interest and loan balance for each year for the $\$ 1000$ a certain person borrowed at 5\% per year. Graphically compare the result for compound interest and simple
$\checkmark$ Solution:

| End of Year | Initial Amount (Principal) | Interest <br> Rate | Simple interest | Final Value at the end of each yrs | Comp. interest | Final Value at the end of each yrs |
| :---: | :---: | :---: | :---: | :---: | :---: | :---: |
|  |  |  | interest | Balance | interest | Balance |
| 0 | \$1,000.00 | 5\% |  | \$1,000.00 |  | \$1,000 |
| 1 |  |  | \$50.00 | \$1,050.00 | \$50 | \$1,050 |
| 2 |  |  | \$50.00 | \$1,100.00 | \$52.50 | \$1,102.50 |
| 3 |  |  | \$50.00 | \$1,150.00 | 55.13 | 1157.63 |

Interest= (principal + all accrued interest)X(interest rate) --- for compound Interest Interest=(principal)x(number of periods)x(interest rate)--- for Simple interest

## Example on Simple and compounded interest

- Compute the compound interest and loan balance for each year for the $\$ 1000$ a certain person borrowed at 5\% per year. Graphically compare the result for compound interest and simple
$\checkmark$ Solution:


End of interest Period

## Nominal and Effective Interest Rates

## Nominal interest rate (r)

- Even though financial institutions may use more than one interest period per year in compounding the interest, they usually quote the interest on an annual basis.
- The annual base interest rate which doesn't consider the compounding period is said to be Nominal interest rate.
- Effective Interest rate ( $i_{e}$ )
- The effective interest rate represents the actual interest earned or charged for a specified time period
$i_{e}=\left(1+\frac{r}{m}\right)^{m}-1 \quad$ where, $\mathrm{r}=$ nominal interest rate (per year)

$$
\begin{aligned}
& \mathrm{i}=\text { actual (effective interest rate) per year } \\
& \mathrm{m}=\text { number of interest periods per year }
\end{aligned}
$$

$$
\boldsymbol{i}_{\boldsymbol{e}}=\text { effective annual interest rate }
$$

## Continuous compounding

- As a limit interest may be considered to be compounded an infinite number of times per year, i.e. continuously.

$$
i_{e}=\left(1+\frac{r}{m}\right)^{m}-1
$$

Let

$$
i_{e}=\lim _{m \longrightarrow \infty}\left(1+\frac{r}{m}\right)^{m}-1 \quad, \text { but } \quad\left(\left(1+\frac{r}{m}\right)^{\frac{m}{r}}\right)^{r}=\left(1+\frac{r}{m}\right)^{m}
$$

$$
\begin{array}{r}
\text { Let, } y=\frac{m}{r} \quad \lim _{y \rightarrow \infty}\left(1+\frac{1}{y}\right)^{y}=e \\
i_{e}=\lim _{y \rightarrow \infty}\left(1+\frac{r}{m}\right)^{m}-1=e^{r}-1
\end{array}
$$

## Cash Flow Diagram

- It is simply a graphical representation of cash flows drawn on a time scale.



## Cash Flow Diagram

- Important elements for cash flow diagram.
- A time interval divided into an appropriate number of equal periods
- All cash outflows (deposits, expenditures, etc.) in each period
- All cash inflows (withdrawals, income, etc.) for each period
- Cash inflows:
- Revenues
- Salvage value
- Cash outflows:
- First cost of asset,
- Operation cost
- Periodic maintenance costs
- Taxes


## Cash Flow Diagram

## Notation

- To simplify the subject of economic analysis, symbols are introduced to represent types of cash flows and interest factor; the following symbols will be used here:
- i=effective interest rate per interest period
- $\mathbf{N}=$ number of compounding periods
- $P=$ present sum of money (present value) equivalent value of cash flows at a reference point in time called the present
- Future= future sum of money (future value) equivalent value of cash flows at a reference point in the time called the future
- $A=$ end of period cash flows in a uniform series of payment continuing for a specified time, starting at the end of the first period and continuing to the end of the last period


## Interest Factor Derivation

1. Derivation of single-payment formulas (P/F and F/P)

* In this case, a formula is developed which allows determination of the amount of money that is accumulated (F) after n-years (periods) from a single investment ( $P$ ) when interest is compounded one time per year (period).
* If an amount of money $P$ is invested at some time $t=0$, the amount of money F1, that will be accumulated 1-year hence at an interest rate of i- per year will be.


## Interest Factor Derivation

## 1. Derivation of single-payment formulas (P/F and F/P)



$$
\mathrm{F}_{1}=\mathrm{p}+\mathrm{ip}=\mathrm{P}(1+\mathrm{i}) \ldots \ldots \ldots \ldots \ldots \ldots \ldots \text {.................................... }
$$

At second year,

$$
\begin{aligned}
\mathrm{F}_{2} & =\mathrm{F}_{1}+\mathrm{iF}_{1}=\mathrm{P}(1+\mathrm{i})+\mathrm{P}(1+\mathrm{i}) \mathrm{i} \\
& =\mathrm{P}\left(1+2 \mathrm{i}+\mathrm{i}^{2}\right) \\
\mathrm{F}_{2} & =\mathrm{P}(1+\mathrm{i})^{2}
\end{aligned}
$$

At third year,

$$
\begin{gathered}
\mathrm{F}_{3}=\mathrm{F}_{2}+\mathrm{F}_{2} \mathrm{i} \\
=\mathrm{P}(1+\mathrm{i})^{2}+\left(\mathrm{P}(1+\mathrm{i})^{2}\right) \mathrm{i} \\
=\mathrm{P}(1+\mathrm{i})\left(1+2 \mathrm{i}+\mathrm{i}^{2}\right) \\
\mathrm{F}_{3}=\mathrm{P}(1+\mathrm{i})^{3}
\end{gathered}
$$

## Interest Factor Derivation

## 1. Derivation of single-payment formulas (P/F and F/P)

Therefore, formula can be generalized as;

$$
\begin{equation*}
F_{n}=P(1+i)^{n} . \tag{1.1}
\end{equation*}
$$

The factor $(1+\mathbf{i})^{\mathrm{n}}$ is called the single payment compound-amount factor (SPCAF) or the F/P factor.

By rearranging equation (1.) discounting equation can be given as:

$$
\begin{equation*}
P=F\left[\frac{1}{(1+i)^{n}}\right] \tag{1.2}
\end{equation*}
$$

The expression in the brackets is known as single-payment present-worth factor (SPPWF), or the $P / F$ factor.

## Interest Factor Derivation

## 2. Derivation of the Uniform Series Present Worth Factor and Capital Recovery Factor (P/A and A/P)

- Uniform series of payments- often called an annuity (A)

In annuity $\mathrm{F}_{1}=\mathrm{F}_{2}=\mathrm{F}_{3}=\mathrm{F}_{4}=$ $=\mathrm{A}$

$$
\begin{aligned}
& P_{1}=\frac{F 1}{(1+1)} \quad P_{2}=\frac{F 2}{(1+1) 2} \quad P_{3}=\frac{F 3}{(1+1) 3} \quad \text { and } \quad p_{n}=\frac{F n}{(1+1) n} \\
& P_{\text {total }}=p_{1}+p_{2}+p_{3}+\ldots \ldots \ldots+p_{n}
\end{aligned}
$$

$$
=\frac{F 1}{(1+i)}+\frac{F 2}{(1+i) 2}+\frac{F 3}{(i+i) 2}+\cdots+\frac{F n}{(1+i) n}
$$

## Interest Factor Derivation

## 2. Derivation of the Uniform Series Present Worth Factor and Capital Recovery Factor (P/A and A/P)

Since $F_{1}, F_{2}, F_{3} \ldots \& F_{n}=A$ replace the value

$$
\begin{align*}
& P=A\left[\frac{1}{(1+i)^{1}}\right]+A\left[\frac{1}{(1+i)^{2}}\right]+A\left[\frac{1}{(1+i)^{3}}\right]+\ldots \ldots+A\left[\frac{1}{(1+i)^{N}}\right] \\
& P=A\left[\frac{1}{(1+i)^{1}}+\frac{1}{(1+i)^{2}}+\ldots .+\frac{1}{(1+i)^{n}}\right] \ldots \ldots \ldots \ldots \ldots \ldots \ldots \ldots \tag{a}
\end{align*}
$$

Multiplying both sides by $1 /(1+\mathrm{i})$;

$$
\begin{equation*}
\frac{P}{1+i}=A\left[\frac{1}{(1+i)^{2}}+\frac{1}{(1+i)^{3}}+\ldots .+\frac{1}{(1+i)^{n+1}}\right] . \tag{b}
\end{equation*}
$$

Subtracting equation (a) from equation (b)

$$
\frac{P}{1-i}-P=A\left[-\frac{1}{(1+i)^{1}}+\frac{1}{(1+i)^{2}}+\ldots .+\frac{1}{(1+i)^{n^{+1}}}\right]
$$

## Interest Factor Derivation

## 2. Derivation of the Uniform Series Present Worth Factor and Capital Recovery Factor (P/A and A/P)

After some simplification of the above equation, we come up with:

$$
\begin{equation*}
P=A\left[\frac{(1+i)^{n}-1}{i(1+i)^{n}}\right] \ldots i \neq 0,(\mathrm{P} / \mathrm{A}, \mathrm{i} \%, \mathrm{n}) \text { in standard notation } \tag{1.3}
\end{equation*}
$$

The terms in brackets is called the uniform-series present-worth factor (US-PWF) or the P/A factor.

$$
\begin{equation*}
A=P\left[\frac{i(1+i)^{n}}{(1+i)^{n}-1}\right] \tag{1.4}
\end{equation*}
$$

- In equation 1.4 the terms in the bracket is called capital-recovery factor (CRF), or A/P factor, yields the equivalent uniform annual worth A over n years of a given investment P when the i .


## Interest Factor Derivation

## 3. Derivation of the Sinking Fund Factor and the Uniform -Series

## Compound Amount Factor (A/F And F/A)

* While the sinking-fund factor (SFF), or $\mathrm{A} / \mathrm{F}$ factor, and the uniform-series compound-amount factor (USCAF), or F/A factor, could be derived using the F/P factor, the simplest way to derive the formula is to substitute into those already developed. Hence, Interest rate is i.

$$
\begin{align*}
& A=F\left[\frac{i}{(1+i)^{n}-1}\right]  \tag{1.5}\\
& F=A\left[\frac{(1+i)^{n}-1}{i}\right]
\end{align*}
$$

A/F factor

F/A factor

- In equation 1.5 , the term in the bracket is called sinking fund factor and in equation 1.6 it is called uniform series compound amount factor.


## Interest Factor Derivation

## 4. Derivation Of The Gradient formula (factor) ( $\mathrm{P} / \mathrm{G}, \mathrm{i} \%, \mathrm{n}$ ) or ( $\mathrm{G} / \mathrm{P}, \mathrm{i} \%, \mathrm{n}$ )

- A uniform gradient is a cash flow series which either increasing or decreasing uniformly.
- This is the cash flow, whether income or disbursements, changes by the same arithmetic amount each interest period.

- Symbolically Gradient is represented by "G"
- Payment which is occurs at the end of year one (A) is not part of the gradient series but rather base payment.
- Base payment is annuity which is expected to be uniform all over the year
- Gradient is starting from end of year two


## Interest Factor Derivation

## 4. Derivation Of The Gradient formula (factor) ( $P / G, i \%, n$ ) or ( $G / P, i \%, n$ )

There are several ways by which the uniform gradient factors can be derived which means using either of the above interest factors.

- For the time being, let's use single-payment present worth factor

$$
\begin{gathered}
(\mathrm{P} / \mathrm{F}, \mathrm{i} \%, \mathrm{n}) \text { or } P=F\left[\frac{1}{(1+i)^{n}}\right] \\
\mathrm{P}=\mathrm{G}(\mathrm{P} / \mathrm{F}, \mathrm{i} \%, 2)+2 \mathrm{G}(\mathrm{P} / \mathrm{F}, \mathrm{i} \%, 3)+3 \mathrm{G}(\mathrm{P} / \mathrm{F}, \mathrm{i} \%, 4)+\ldots+(\mathrm{n}-\mathrm{1}) \mathrm{G}(\mathrm{P} / \mathrm{F}, \mathrm{i} \%, \mathrm{n})
\end{gathered}
$$

$$
P=\left[\frac{G}{(1+i)^{2}}+\frac{2 G}{(1+i)^{3}}+\frac{3 G}{(1+i)^{4}}+\frac{4 G}{(1+i)^{5}}+\ldots .+\frac{(n-1) G}{(1+i)^{n}}\right]
$$

Factor out G. then

$$
\begin{equation*}
P=G\left[\frac{1}{(1+i)^{2}}+\frac{2}{(1+i)^{3}}+\frac{3}{(1+i)^{4}}+\frac{4}{(1+i)^{5}}+\ldots .+\frac{(n-1)}{(1+i)^{n}}\right] \tag{1.7}
\end{equation*}
$$

## Interest Factor Derivation

## 4. Derivation Of The Gradient formula (factor) (P/G,i\%,n) or (G/P, i\%, n)

Multiplying both sides of equation 1.7 above by ( $1+\mathrm{i}$ ), then

$$
\begin{equation*}
P(1+i)=G\left[\frac{1}{(1+i)}+\frac{2}{(1+i)^{2}}+\frac{3}{(1+i)^{3}}+\frac{4}{(1+i)^{4}}+\ldots .+\frac{(n-1)}{(1+i)^{n-2}}+\frac{(n-1)}{(1+i)^{n-1}}\right] . \tag{1.8}
\end{equation*}
$$

Then, subtracting equation (1.8) from equation (1.7) it yields

$$
\begin{gathered}
P(1+i)-p=G\left[\frac{1}{(1+i)}+\frac{(2-1)}{(1+i)^{2}}+\frac{(3-2)}{(1+i)^{3}}+\frac{(4-3)}{(1+i)^{4}}+\ldots .+\frac{(n-1)-(n-2)}{(1+i)^{n-1}}-\frac{(n-1)}{(1+i)^{n}}\right] \\
P(1+i)-p=G\left[\frac{1}{(1+i)}+\frac{1}{(1+i)^{2}}+\frac{1}{(1+i)^{3}}+\frac{1}{(1+i)^{4}}+\ldots .+\frac{1}{(1+i)^{n-1}}+\frac{1-n}{(1+i)^{n}}\right]
\end{gathered}
$$

## Interest Factor Derivation

## 4. Derivation Of The Gradient formula (factor) (P/G,i\%,n) or (G/P, i\%, n)

Then rearranging

$$
P=\frac{G}{i}\left[\frac{1}{(1+i)}+\frac{1}{(1+i)^{2}}+\frac{1}{(1+i)^{3}}+\frac{1}{(1+i)^{4}}+\ldots .+\frac{1}{(1+i)^{n-1}}+\frac{1}{(1+i)^{n}}\right]-\frac{G n}{i(1+i)^{n}}
$$

The term in the bracket is represent present worth equation. Therefore,

$$
\begin{gathered}
P=\frac{G}{i}\left[\frac{(1+i)^{n}-1}{i(1+i)^{n}}\right]-\frac{G n}{i(1+i)^{n}} \\
P=\frac{G}{i}\left[\frac{(1+i)^{n}-1}{i(1+i)^{n}}-\frac{n}{(1+i)^{n}}\right] \\
P=G\left[\frac{(1+i)^{n}-i n-1}{i^{2}(1+i)^{n}}\right] \ldots \ldots \ldots \ldots \ldots \ldots \ldots . \text { (1.9) equation of gradient }
\end{gathered}
$$

## Chapter II

## Methods of comparing alternative proposals

- Basis of comparison
- The usual goal of engineering economy studies is to minimize costs or maximize profits or savings.
- Comparing Alternatives involves only mutually Exclusive projects.
- Mutually Exclusive alternatives/Projects
- It implies that the selection of one alternative excludes the selection of any other alternative, or alternatives which possibly sole the same problem.
- Service and Revenue Projects
- Service projects are those projects whose revenue does not depend on the chose of the projects. (compare by the costs)
- Revenue projects are the type of projects which designed for the purpose of income generating (compared by the net Value)


## Chapter II

## Methods of comparing alternative proposals

- Basis of comparison

| Situation | Criterion |
| :--- | :--- |
| 1.Service projects or Alternatives <br> involve cost only <br> 2.Revenue projects or Alternatives <br> involve both cost and benefits | 1. Select alterative with lowest <br> equivalent cost |
| 2.Select alternative which <br> maximizes the net equivalent <br> benefit (the do-nothing alternative <br> should always be considered if <br> available) |  |

## Chapter II

## Initial Project Screening

* Purpose: To eliminate some alternatives that can be easily detected to be unfit using a simple technique.
- Method: Pay back period
- It is the time required to accumulate a sum of money from a net cash flow which is equal to the initial investment).
- This method was used in the 1950s as the main comparison method.
- But nowadays it only employed in the initial screening of projects as a result of its significant drawbacks.
* This method is simple but has drawbacks. Such as:-
- It doesn't consider time value of money (undiscounted)
- Fail to measure profitability
- Nealect the return after the pavback period


## Chapter II

## Initial Project Screening

- Example : Which project has the smaller pay back period between projects A\&B.

| Year | Project A | Project B |
| ---: | :---: | :---: |
| initial costs 0 | -2400 | -4000 |
| 1 | 1300 | 1000 |
| 2 | 1100 | 1500 |
| 3 | 1000 | 1500 |
| 4 | 500 | 2500 |
| 5 | 400 | 4000 |

- The pay back period of the project A is 2 years and the payback period of the project $B$ is 3 years.


## Chapter II

## Methods Of comparison

* present worth method of Analysis
* Annual worth method of Analysis
- Future worth method of Analysis
- Rate of return method of Analysis
* Incremental Rate of return Method
* Break-even comparison method or break-even Analysis
* Benefit-cost Analysis


## Chapter II

## Net Present Worth

- Net Present worth Criterion
- Determine the interest rate that the firm wishes to earn on its investment
- Estimate the service life of the project.
- Estimate the cash flow over each service period
- Determine the net cash flows, i.e.


## $\checkmark$ Net cash flow = Cash Inflow-Cash Outflow

- The decision rule is:
- If $P(i)>0$, accept the investment
- If $P(i)=0$, remain indifference
- If $\mathbf{P}(\mathbf{i})<0$ reject the investment


## Chapter II

## Present worth Analysis

- Important elements of present worth analysis.
- Interest rate (i):
$\checkmark$ This interest rate is often is referred to as either a required rate of return or a minimum attractive rate of return (MARR).
$\checkmark$ Usually this selection is a policy decision made by top management.
$\checkmark$ (it should not be less than Banks interest rate)
- Analysis Period:
$\checkmark$ It is the time span over which the economic effect of an investment will be evaluated


## Chapter II

Present worth Analysis: Analysis period

- Case 1 (analysis period equal with projects life)
$\checkmark$ It is a simple analysis.
- Case 2 (Analysis period differs from projects life)
2.1. projects life longer than Analysis period
$\checkmark$ we analyses each alternatives for the analysis period and are left with unused considered as salvage value.
2.2. Projects life shorter than Analysis period
$\checkmark$ Additional project to be replaced when the initial project has reached the limit of its useful life.
2.3 Analysis period coincide with longest projects life
$\checkmark$ Revenue projects with different lives can be compared if they require only one time investment.


## Chapter II

Present worth Analysis: Analysis period

- Case 3 (When the analysis period is not provided)
3.1 when the useful lives of the projects are equal.
$\checkmark$ The analysis period is the useful life of the projects
3.2 When the useful lives of the projects are different.
$\checkmark$ The LCM of the useful lives of the alternative is considered as analysis period.


## Chapter II

## Example 1 (Alternatives with equal life span)

* An engineer is in need of an automobile for business purposes, and finds that a suitable one can be obtained by either of two methods:
(a) lease a car for Birr 10,000 per month for two years, paid monthly at the end of each month, or
(b) purchase the same type of car for Birr 500,000 now and sell it in two years for Birr 300,000.

In either case, the engineer pays all operating maintenance and insurance costs. He can borrow fund for either alternative from the local bank at 9 percent interest. Which is the least costly alternative, assuming interest is compounded monthly?

## Chapter II

## Example 2 (Alternatives with unequal life span

A country engineer has a choice of paving with either type A pavement or type $B$ pavement. Type $A$ pavement has a life expectancy of 10 years, after which part of the material can be salvaged and reused. Type B pavement only lasts for five years but is much less expensive. Which is the better alternative? Two sequential five-year installations of type B are compared to one ten-year life of type A .

| Description | Pavement cost / Km |  |
| :--- | :--- | :--- |
|  | Type A |  |
| Type B |  |  |
| Purchasing price | 20,000 | 5,000 |
| Annual maintenance cost | 1,000 | 2,000 |
| Salvage value | 2,500 | 0 |
| Useful life, n | 10 | 5 |
| Interest, i | $6 \%$ | $6 \%$ |

## Chapter II

## Capitalized cost of perpetual lives $(\mathrm{n} \rightarrow \infty)$

- It is a present worth of a project that is assumed to last for ever.
$\checkmark$ Public worth projects such as Dams, Irrigation systems, railroads, permanent universities, etc. analyzed by using

Capitalized cost

$$
P=A \frac{\left[(1+i)^{n}-1\right]}{i *(1+i)^{n}} \Rightarrow=\frac{A}{i}\left[\frac{(1+i)^{n}}{(1+i)^{n}}-\frac{1}{(1+i)^{n}}\right]=A / i
$$

## Chapter II

## Procedures

a) Draw cash flow diagram showing all recurring (one-time) costs/incomes and at least 2 cycle of non-recurring (periodic costs/receipts.
b) Find the present value of all non-recurring costs/receipts.
c) Find equivalent uniform annual worth (value) through one life cycle of all recurring amounts and add it to all other uniform amounts occurring in year 1 through infinity. This is results in a total equivalent uniform annual worth (Aw).
d) Divide the annual worth obtained in step (iii) by the interest rate (i) to get capitalized costs.
e) Add the value obtained in step (ii) to the value obtained in step (iv). The result of this step is the Present worth of the project/investment.

## Chapter II

## Drawbacks of PW method

- It is sensitive to the choice of an interest rate or discounting rate;

Example: Assume $\mathbf{F = 1 0 0 0}$ and $\mathbf{n = 1 0}$

$$
\begin{array}{lll}
\text { For } \quad i=10 \% & P=386 \\
\text { For } i=15 \% & P=246 \\
\text { For } i=20 \% & P=162
\end{array}
$$

- It is sensitive to the choice of base year;

Example: Assume $\mathrm{F}=1000$ and $\mathrm{i}=10 \%$

| For $\mathrm{n}=20$ | $\mathrm{P}=149$ |
| :--- | :--- |
| For $\mathrm{n}=15$ | $\mathrm{P}=239$ |
| For $\mathrm{n}=10$ | $\mathrm{P}=386$ |

- It doesn't give information about the degree of acceptability, especially if there are many investment alternatives for limited budget.


## Chapter II

## Example

Example: assume that the available budget is $\mathbf{\$ 8 0 0 , 0 0 0}$ only and five alternative investments are given below with their present value of costs and benefit expected.

| Project | PVC | PVB | NPV(10\%) | B/C(10\%) |
| :---: | :---: | :---: | :---: | :---: |
| A | 10,000 | 13,000 | 3,000 | 1.3 |
| B | 40,000 | 43,300 | 3,300 | 1.08 |
| C | 20,000 | 30,300 | 10,300 | 1.52 |
| D | 40,000 | 49,400 | 9,400 | 1.24 |
| E | 50,000 | 55,800 | 5,800 | 1.11 |

## Chapter II

## Example

$\checkmark$ When the projects ranked based on NPV and B/C approach, it looks like as follow:

$$
\begin{array}{ll}
\text { NPV } & \text { C, D, E, B and A } \\
\text { B/C } & \text { C, A, D, E and B }
\end{array}
$$

$\checkmark$ If we use the NPW ranking, we will get a net amount of Birr 22,000.
$\checkmark$ And if the budget invested according to B/C ranking the net amount expected to be Birr 23,900.
$\checkmark$ This implies that the NPW ranking couldn't lead to the profitability of investments compared to $B / C$ ratio method.

## Chapter II

## Annual worth method of Analysis

- Judging proposed investments
- Another way of judging investments:
$\checkmark$ Again based on minimum rate of return i*
- With annual equivalent cash flow:
$\checkmark$ All costs and benefits (present or future) converted to equivalent annual amounts
- Easy for projects with different lives:
$\checkmark$ Yields the cost of one year of service


## Chapter II

## Annual worth method of Analysis

- Calculation of annual amount
- Reminders
$\checkmark$ Convert future to annual:

$$
A=F i /\left[(1+i)^{n}-1\right]
$$

$\checkmark$ Convert present to annual:

$$
A=P i\left[\frac{(1+i)^{n}}{(1+i)^{n}-1}\right]
$$

## Chapter II

## Annual worth method of Analysis

- Decision rules
- To evaluate a simple project.
$\checkmark$ AW $>0$, Accept the investment
$\checkmark \mathbf{A W}=0$, Remain indifferent
$\checkmark$ Aw<0, Reject the investment
$\checkmark$ When mutually exclusive service projects are compared the one with the minimum annual equivalent or least negative annual worth is selected.
- Compare options with different lives:
$\checkmark$ Choose option with lowest annualized cost (Or highest annual equivalent benefit)


## Chapter II

## Annual worth method of Analysis

- Advantage
- Consistency report formals
$\checkmark$ Financial managers more commonly work with annual base report both for internal and external report.
- Need for unit costs/profits
$\checkmark$ In many situations projects must be broken into unit costs/Profits for ease of comparison
- Unequal project lives:
$\checkmark$ Complication can be avoided by annual worth method for comparing projects having unequal lives.


## Chapter II

## Annual worth method of Analysis

- Example
- Two roofs are under consideration for a building needed for 20yrs. Their anticipated costs and life's are given below in the table. By using Annual worth method, suggest which roof would you select and why?

|  | Roof C | Roof D |
| :---: | :---: | :---: |
| Cost New | 50,000 | 25,000 |
| Replacement rate | $0 \%$ | $8 \%$ per yr |
| Life of roof (yrs) | 20 | 10 |
| Salvage Value | 0 | 0 |
| Interest rate (\%) | 10 | 10 |

## Chapter II

## Future Worth Method of Computing Alternative

- Future worth (FW) comparisons of alternative investments or projects:
$\checkmark$ are frequently used when the owner or manager expects to sell or otherwise liquidate the investment at some future date and wants to estimate of net worth at that future date.


## Chapter II

## Future Worth Method of Computing Alternative

## Example

- A construction company is considering the purchase of one of the two new front end loaders whose data are listed below. Compare using future worth method.

|  | Front End Loader <br> A | Front end loader B |
| :--- | :---: | :---: |
| First cost (Birr) | $-100,000$ | $-40,000$ |
| Annual net income | $+16,000$ | $+13,00$ |
| Useful Life (yrs) | 10 | 5 |
| Replacementcost escalation | NA | $10 \% / \mathrm{yr}$ compounded |
| Salvage Value | $+10,000$ | $+10,000$ |
| Interest rate (\%) | 8 | 8 |

## Chapter II

## Internal Rate of return method of Analysis

- Judging proposed investments
- Don't need to pre-specify minimum rate of return i* in judging projects
- Internal rate of return (IRR) is:
$\checkmark$ The interest rate that makes the present worth of a project exactly 0.
- Project is desirable if $i^{*}<$ IRR
$\checkmark$ Not otherwise (since present worth would be negative)


## Chapter II

## Rate of return method of Analysis

* Step-by-step procedure for finding ROR/IRR.

Step 1. Make a guess at a trial rate of return.

Step 2. Count the costs as negative (-) and the income or savings as positive (+).Then find the equivalent net worth of all costs and income. Use present worth, annual worth or future worth.

Step 3. If the equivalent net worth is positive, then the income from the investment is worth more than the cost of the investment and the actual present return is higher than the trial rate, (i)

## Chapter II

## Rate of return method of Analysis

Step-by-step procedure for finding ROR/IRR.
Step 4. Adjust the estimates of the trial rate, of return and proceed with steps 2 and 3 again until one of (i) is found that results in a positive (+)equivalent net worth , and another higher value of (i) is found with a negative (-) equivalent net worth. Step 5. Solve for the correct value of (i) by interpolation.

## Chapter II

Rate of return method of Analysis

- Example
- Assume a bond sells for Birr 950. The bond holder will receive Birr 60 per year interest as well as B 1,000 (the face amount of this bond) at the end of ten years. Find the rate of return.


## Chapter II

## Incremental rate of return

- The incremental rate of return (IROR) is defined as the rate
of return for additional initial investment when comparing against a lower cost investment.
- Two types of investment decision occur.
- The first type involves costs only.
$\checkmark$ Under such conditions the rate of return for each investment is negative and, thus need not be calculated.


## Chapter II

## Incremental rate of return

- The second type involves both costs and revenues,
$\checkmark$ The question raised to be answered in this type is "which alternatives yields the lowest equivalent cost?" To determine the following procedure should be followed;
- Procedures
i.. list alternatives in order of ascending first cost;
ii. Step wise determine IROR for each difference in alternatives compared.(the same procedure


## Chapter II

## Incremental rate of return

## - Decision rule of IROR

- The decision of selecting the desirable alternative using IROR method is based on the MARR.
$\checkmark$ If IROR > MARR, discard the lower cost alternative (defender)
$\checkmark$ If IROR < MARR, discard the higher initial cost alternative (challenger)


## Chapter II

## Incremental rate of return

- Decision rule of IROR
$\checkmark$ Matrix
Challenger-



## Chapter II

## Incremental rate of return

- Way of selecting: Matrix
- Check the first row of the matrix and get the largest value of IROR.
- Check the IROR and compare with MARR, if it is less than MARR accept the defender and the comparison will over otherwise select challenger temporarily.
- Then check the row of the challenger where it is defender for the larger value of IRR, and follow the same step as above.


## Chapter II

## Incremental rate of return

- Example:
- Suppose that a cement production company need to compare five alternatives for equipment purchase. Assumed that each had the first cost and IROR of each challenger with respect to their defender are listed below. Which alternative is best by using MARR=15\%.

| Alternatives | First cost |
| :---: | ---: |
| A | $\mathbf{1 , 0 0 0 , 0 0 0}$ |
| B | $\mathbf{1 , 2 0 0 , 0 0 0}$ |
| C | 900,000 |
| D | $1,150,000$ |
| E | $1,400,000$ |

## Chapter II

## Incremental rate of return

- Example:
- IROR values of the incremental values of alternatives

| Incremental | A-C | D-C | D-A | B-C | B-A | B-D | E-C | E-A | E-D | E-B |
| :--- | :--- | :--- | :--- | :--- | :--- | :--- | :--- | :--- | :--- | :--- |
| IROR , \% | 24.1 | 14 | 5.2 | 20.8 | 13.9 | 10.1 | 11.2 | 7.9 | 8.2 | 9.6 |

- Solution


## Chapter II

## Breakeven Point Analysis Method

* The breakeven point is the point where the revenue and total cost relationships intersect
- For non-linear functions: It is possible to have more than one breakeven point
- Breakeven analysis is commonly used to study relationships among costs, revenue, and volume:
- Define cost and revenue functions
- Linear (or non-linear) functions of volume, price, etc.
* Objective: Find the value (volume, price, etc.) that maximizes profits


## Chapter II

## Breakeven Point Analysis Method

- The breakeven point for a problem can be expressed as:
- Units per time period
- Hours per month
- Price per unit and Etc.


## Chapter II

## Breakeven Point Analysis Method

- The break-even point may be found by following the logical threestep procedure

1. Find the annual equivalent of the capital costs
2. Find the independent variable and set up an equation for each alternative cost combination. The equation usually takes the form of

- Total annual cost $=$ equivalent capital Cost + (cost/ variable unit) * (Number of variable units/yr)
TAC= FAC+ VAC

3. Find the break even point

## Chapter II

## Breakeven Point Analysis Method

## Example

A contractor is thinking of selling his present dump truck and buying a new one. The new truck costs 30,000 and is expected to incur. O\&M costs of $\mathbf{0 . 1 0}$ per ton-mile. It has a life of $\mathbf{1 5}$ years with no significant salvage value. The presently owned truck can be sold now for $\mathbf{1 0 , 0 0 0}$. If it is kept, it will cost 0.15 per ton-mile for O\&M, and have an expected life of five years, and no salvage value. Use $\mathbf{i}=10 \%$, find the break-even point in terms of ton miles per year.

Solution

## Chapter II

## Benefit-Cost Ratio Analysis Method

- Benefit-cost ratio analysis is a technique for evaluating a project or investment by comparing the economic benefits with the economic costs of the activity.
- Benefit-cost analysis has several objectives.
- First, B/c analysis can be used to evaluate the economic merit of a project.
- Second the results from a series of benefit-cost analyses can be used to compare competing projects.
* Discounting is a technique that converts all benefits and costs into their value in the present.
- Discounting is based on the premise that a Birr received today is worth more than a Birr received in the future.

$$
P_{V}=\frac{F_{V}}{[1+r]^{t}}
$$

## Chapter II

## Benefit-Cost Ratio Analysis Method

- Benefit-cost ratio analysis is a technique for evaluating a project or investment by comparing the economic benefits with the economic costs of the activity.
- The benefit-cost ratio (B/C) is calculated as the NPV of benefits divided by the NPV of costs:
- General equation of Benefit- cost analysis is;

$$
B / C=\frac{\sum\left(\frac{B_{t}}{(1+i)^{t}}\right)}{\sum\left(\frac{C t}{(1+i)^{t}}\right)}
$$

## Chapter II

Benefit-Cost Ratio Analysis Method

- Strong side of B/C
- Criteria can be used to rank projects According to degree of acceptability
- Criteria can be used to decide whether a project should be financed or funded.
- Criterion which enable to make decision among different alternatives.


## Chapter II

## Benefit-Cost Ratio Analysis Method

- Weak side of B/C
- In case of mutually exclusive projects or projects different size and if one want to decide in favor of the project with the highest NPV, the B/C ratio doesn't give information on that.
- Sensitive to discounting rate
- When a project generates cost saving, such as cost saving can be either be represented as a net benefit or a negative cost. By using the latter we can increase the $B / C$ ratio.


## Chapter II

## Benefit-Cost Ratio Analysis Method

- Methods of calculating B/C

1. Conventional B/C ratio:- the benefits (usually annual) are determined for users. Thus the benefits are defined as;

Bn=Un= net annual benefit (saving cost = the cost saved by the implementation of the new project).

Conventional $B / C=\frac{\text { Net Saving to sers }}{\text { Owners Net apacity }+ \text { Owner's net } O \& M \text { Cost }}$

## Chapter II

## Benefit-Cost Ratio Analysis Method

- Methods of calculating B/C

2. Modified $B / C$ ratio method:-This method uses the same input data but not operating and maintenance cost (Mn) is treated as negative benefits they are placed in the nominator rather than in the denominator.

$$
\text { Modified } B / C=\frac{U n-M n}{C n}=\frac{B n-M n}{C n}
$$

Cn = Net capital cost of replacing the present facility with the future facility

## Chapter II

## Benefit-Cost Ratio Analysis Method

- Example:

A flood control project is proposed for a certain area. There is a question as to the location of the dam and the numbers of alternative sites have been narrowed down to two, site $A$ and site $B$. estimate of the costs associated with each of the site are listed below. The funds to construct the projects are available from bonds bearing interest rate of 6\%. The expected life of the project at either site is $\mathbf{4 0}$ years and no salvage value is expected. Determine the value of $B / C$ using Modified $B / C$ ratio method.

| Description | Existing <br> Situation | Site A | Site B |
| :--- | :--- | :--- | :--- |
| Cost of <br> construction | 0 | $3,000,000$ | $8,000,000$ |
| Annual O\&M <br> cost | 0 | 56,000 | 94,000 |
| Annual cost of <br> flood damages | 620,000 | 290,000 | 120,000 |
| Annual loss due <br> to land is lost to <br> reservoir | 0 | 20,000 | 46,000 |

## Chapter II

## Benefit-Cost Ratio Analysis Method

- Solution
- Site A

$$
\begin{aligned}
U n= & 620,000-290,000-20,000 \\
& =310,000
\end{aligned}
$$

$$
M n=56,000
$$

$$
\begin{aligned}
C n= & 3,000,000(A / P, 6 \%, 40) \\
& =199,384.6
\end{aligned}
$$

$$
\begin{gathered}
\text { Modified } B / C=\frac{U n-M n}{C n}=\frac{310,000-56,000}{199,384.6} \\
=\mathbf{1 . 2 7 4}
\end{gathered}
$$

## Chapter II

## Benefit-Cost Ratio Analysis Method

- Solution
- Site B

$$
\begin{gathered}
\mathrm{Un}=620,000-120,000-46,000 \\
=454,000 \\
\mathrm{Mn}=94,000 \\
\mathrm{Cn}=8,000,000(\mathrm{~A} / \mathrm{P}, 6 \%, 40) \\
=531,692.3 \\
\text { Modified } B / C=\frac{U n-M n}{C n}=\frac{454,000-94,000}{531,692.3} \\
=0.677
\end{gathered}
$$

Therefore, Site $A$ is selected because of its higher value of $B / C$ ratio.

## Chapter III

## Project Investment Evaluations

- Project investment should be evaluated by all desirable and undesirable output including Taxes and Deprecation of equipment and components of investment.
- Projects should be evaluated with compatibility of Government's policy, Like tax laws.
- Considering Depreciation in project evaluation has an advantage of tax reduction.


## Chapter III

## Project Investment Evaluations

## Tax

- Importance of tax for a country
- schools and collages, national defense, law enforcement, fire protection, construction a and operation of roads, parks, and so on are public service and financed by government.
- Such funds obtained from taxes revenue.
- Sources of country's revenue

| Major Source Of Revenue | Level Of Government |
| :--- | :--- |
| Property "ad valorem" tax | Local( country, city, school, etc) |
| Sales tax | State |
| Income tax | Federal |

## Chapter III

## Project Investment Evaluations



## Chapter III

## Project Investment Evaluations

## Tax

- Personal Propertie
- Tangible property is any readily movable property that has inherent value (rather than being a piece of paper representing value)
$\checkmark$ Example, a bulldozer, a car, clothing, jewelry, and appliance that are not fixed to a building
- Intangible property consisting largely of paper represents a right or title to the value inherent in some other object, property, or enterprise,
$\checkmark$ Example, money, bond, stocks, mortgages, notes, accounts receivable, and other certificates of indebtedness of promises to pay


## Chapter III

## Project Investment Evaluations

## Tax

- Sale taxes
- The largest single source of income for state government in about twothird $(2 / 3)$ of the state is sales tax.
- This usually consists of a fixed percentage of tax on retail sales, collected by the retailer at the time of sale to the customer, and forwarded periodically to the state treasure.
- The amount typically 15 percent. Some cities and countries are empowered by their respective states to levy an additional sale tax, and have done so.


## Chapter III

## Project Investment Evaluations

Tax

* Income tax
- The Federal government derives most of its revenue
from income taxes
$\checkmark$ Example: salary


## Chapter III

## Project Investment Evaluations

## Capital Gain and loss

When an asset is sold, and if the selling price is higher than these costs, the balance represents a profit called capital gain and if the selling price is lower, then the difference represents a loss called capital loss.

- Profits on qualified assets held longer than one year may be considered as long-term capital gains and 60\% of the gain may be excluded from taxable income.
- Ordinary income: is a revenue obtained from the investment or planned out put of the investment


## Chapter III

## Project Investment Evaluations

## Example

- Assume an investor in the 30\% tax bracket, purchases a land for \$10,000. Two years latter he sells the land for $\$ \mathbf{1 2 , 0 0 0}$ for a capital gain of $\mathbf{\$ 2 , 0 0 0}$ only $\mathbf{4 0 \%}$ of the gain taxed at investor's ordinary income tax level of 30\%. How much should the investor pay income tax,


## Solution

$$
\begin{array}{ll}
\checkmark \text { Selling price } & =\$ \mathbf{1 2 , 0 0 0} \\
\checkmark \text { Purchasing price } & =\$ 10,000 \\
\checkmark \text { Capital gain } & =\$ 2,000
\end{array}
$$

$\checkmark \mathbf{4 0 \%}$ of capital gain reported as ordinary income.
$\checkmark$ Taxable income $=0.4 \times \$ 2,000=\$ 800$
$\checkmark$ Income tax due to $\mathbf{3 0 \%}=\mathbf{0 . 3 X \$ 8 0 0}=\mathbf{2 4 0}$

## Chapter III

## Project Investment Evaluations

## Effect of taxes on cash flow

$\checkmark$ When evaluating the feasibility of any project to taxes, the taxes may be treated as other expenses of doing business.


## Chapter III

## Project Investment Evaluations

## Depreciation

- Depreciation is the loss in value of property such as machine, building, vehicle, or other investment over a period of time, caused by one or more of the following
$\checkmark$ Unrepaired wear: accumulates as a function of hours of use, severity of use
$\checkmark$ Deteriorations: The gradual decay, corrosion, or erosion of the property
$\checkmark$ Obsolescence: reduction of value and due to competition from newer and/or more productive models. (driven either by Technology or Style)
$\checkmark$ Reduction in demand: normally results in decreasing value (increased depreciation) of an asset in accordance with the market place "law" supply and demand


## Chapter III

## Project Investment Evaluations

## Depreciation accounting

* Depreciation accounting is the systematic division of the depreciable value of capital investment into annual allocations over a period of years.
- Reasons
- To provide owners and manager with an estimate of the current value of their capital investment.
$\checkmark$ Depreciation accounting for this purpose should approximate actual market values.
- To account for depreciation in a manner that yields the maximum possible tax benefits.
$\checkmark$ Depreciation accounting for this purpose may not exceed strict legal guideline but need not approximate market values.


## Chapter III

## Project Investment Evaluations

## Important parameters to Determine Depreciation

- Estimate the purchasing price or cost when new.
- Estimate the economical life (time between purchase new and disposal at resale or salvage value), or recovery period for tax purpose.
- Estimate the resale or salvage value (zero for tax purpose).


## Chapter III

## Project Investment Evaluations

## Depreciation Methods

- Straight line method
- Sum -Of-Year Digit method
- Decline balance method
- Sinking fund method (this method is not widely used)


## Chapter III

## Project Investment Evaluations

## Straight line method

- Straight line (SL) method depreciation is the simplest method to apply the most widely used method of deprecation.
- The annual depreciation, Dm, is constant and thus the book value, BVm, decrease by a uniform amount each year.
- The equation for SL depreciation is
- Depreciation rate, $\mathrm{Rm}=1 / \mathrm{N}$
-Annual Depreciation, Dm $=\mathrm{Rm} *(\mathrm{P}-\mathrm{F})$

$$
=(P-F) / N \ldots . .(2)
$$

## Chapter III

## Project Investment Evaluations

## Straight line method

Given the data below, find the annual depreciation and graph showing the depreciation each year.

- Dragline purchase price, $P=$ Birr 80,000
- Resale value after 7 yrs, F= Birr 24,000

Solution

- Purchase price, $\quad P=$ Birr 80,000
- Resale value after 7 yrs, F= Birr 24,000
- Value to depreciate $\mathbf{N}=7$ equal installments,

$$
\begin{aligned}
&(P-F)=\operatorname{Birr} 56,000 \\
& \text { - } D m=(P-F) / N=56,000 / 7=\operatorname{Birr} 8,000
\end{aligned}
$$

## Chapter III

## Project Investment Evaluations

## Straight line method

## Solution



## Chapter III

## Project Investment Evaluations

## The Sum-Of-Year Digit Method

- This is an accelerated depreciation (fast write-off) method,
- This method calculates depreciation for each year as the total original depreciable value times a certain fraction.

1) $S O Y D=\frac{N(N+1)}{2}$
2) The annual depreciation at end of year $m$ is

$$
D m=(P-F) \frac{N-m+1}{S O Y D}
$$

3) The Book Value at the end of year $m$ is

$$
B v m=P-(P-F)\left[\frac{m(N-m / 2+0.5)}{S O Y D}\right]
$$

## Chapter III

## Project Investment Evaluations

## The Sum-Of-Year Digit Method: Example

* Using the same, Birr 80,000 draggling as in example 1, find the allowable depreciation using the SOYD method.


## Solution

$\checkmark$ A machine with a seven year life uses a denominator

$$
\text { SOYD }=N *(N+1) / 2=28
$$

$\checkmark$ The depreciation allowed for the first year is $\mathbf{7 / 2 8}$ of total depreciation; the allowance for the second year is $6 / 28$ of the total, and so on to 1/28 for the seventh year. Using the sum of the year digits method,
$\checkmark$ Purchase price ( $\mathbf{P}$ ) $=$ Birr 80,000
$\checkmark$ Resale value after 7 yrs (F) = Birr 24,000
$\checkmark$ Depreciable Value (P-F) = Birr 56,000

## Chapter III

## Project Investment Evaluations

## The Sum-Of-Year Digit Method: Example

## Solution:

| Year <br> m | Depreciation allowed For this <br> year, Dm (in Birr $)$ |  | Book Value, Bvm at EOYm |  |
| :--- | :--- | :--- | :--- | :--- |
| 1 | $7 / 28$ X Birr 56,000 | 14,000 | $80,000-14,000$ | 66,000 |
| 2 | $6 / 28$ X Birr 56,000 | 12,000 | $66,000-12,000$ | 54,000 |
| 3 | $5 / 28$ X Birr 56,000 | 10,000 | $54,000-10,000$ | 44,000 |
| 4 | $4 / 28$ X Birr 56,000 | 8,000 | $44,000-8,000$ | 36,000 |
| 5 | $3 / 28$ X Birr 56,000 | 6,000 | $36,000-6,000$ | 30,000 |
| 6 | $2 / 28$ X Birr 56,000 | 4,000 | $30,000-4,000$ | 26,000 |
| 7 | $1 / 28$ X Birr 56,000 | 2,000 | $26,000-2,000$ | 24,000 |
| 5 |  |  |  | $\mathbf{5 6 , 0 0 0}$ |

## Chapter III

## Project Investment Evaluations

## Declined balance method

- The declined balance methods are the accelerated depreciation methods that provide for a larger share of the cost of depreciation to be written of in the early year less in the later years.

1. The depreciation rate, $R$ is the depreciation multiple divided by the estimated life, $\mathbf{n}$.

- For double decline Balance method, R=2/N
- For 1.75 decline balance depreciation, $R=1.75 / \mathrm{N}$
- For 1.5 decline balance depreciation, $\mathrm{R}=1.5$

2. The depreciation Dm for any given year, m , and given depreciation rate, $R$ is

$$
D_{m}=R P(1-R)^{m-1} \quad \text { or } \quad\left(B V_{m-1}\right) R
$$

## Chapter III

## Project Investment Evaluations

## Declined balance method

3. The book value for any year $B V m$ is :

$$
\text { Bvm=P(1-R)m provided that Bvm } \geq \mathrm{F}
$$

4. The age $m$, at which book value, Bvm will decline to any future value, $F$, is:

$$
m=\frac{\ln (F / P)}{\ln (1-R)}
$$



Figure DB Depreciation

## Chapter IV

## Economic Analysis of a Project

## Benefit Cost Analysis

- BCA is a method that applies a systematic process for calculating and comparing benefits and costs of private or public investments
- The cost benefit analysis process estimates the benefits and costs of an investment for two reasons:

1. To determine if the project is viable; if it is a good investment
2. To provide a basis for comparing projects when different options are considered

- The main result of a CBA is the benefit-cost ratio (BCR).
- However, two other important assessment criteria are generally used and calculated when doing a CBA: the net present value (NPV) and the internal / economic rate of return (IRR / ERR).


## Chapter IV

## Economic Analysis of a Project

## Benefit Cost Analysis

- The main result of a CBA is the benefit-cost ratio (BCR).
- However, two other important assessment criteria are generally used and calculated when doing a CBA: the net present value (NPV) and the internal / economic rate of return (IRR / ERR).
- The Benefit-cost analysis is commonly used to evaluate public (government) projects.
- Benefits of a nonmonetary nature need to be quantified in dollar terms as much as possible and factored into the analysis.
- A broad range of project users distinct from the sponsor should be considered-benefits and costs to all these users can (and should) be taken into account.


## Chapter IV

## Economic Analysis of a Project

## Benefit Cost Analysis

- Benefits of a nonmonetary nature need to be quantified in dollar terms as much as possible and factored into the analysis.
- A broad range of project users distinct from the sponsor should be considered-benefits and costs to all these users can (and should) be taken into account.


## Chapter IV

## Economic Analysis of a Project

Framework of Benefit-Cost Analysis

- Identify all the users and sponsors of the project.
- Identify all the benefits and costs of the project.
- Quantify all benefits and costs in dollars or some unit of measure.
- Select an appropriate interest rate at which to discount
benefits and costs to a present value.


## Chapter IV

## Economic Analysis of a Project

## Benefit-Cost Ratio Criterion

- The Net B/C ratio expresses as the net benefit expected per dollar invested.

$$
\begin{aligned}
\text { Benefit }- \text { cost ratio }\left(\frac{B}{C}\right)= & \frac{\text { Equivalent Net Benefits }}{\text { Equivalent Net Costs }} \\
& =\frac{P W \text { of Benefits }}{P W \text { of Costs }}
\end{aligned}
$$

- Decision Rule: If $B / C$ ratio >1, the project can be justified/acceptable.


## Chapter IV

## Economic Analysis of a Project

## Example 1: Benefit-Cost Ratio Computation

- Compute Benefit-Cost Ratio for given CFD:

- Solution:
$\checkmark$ Benefit, $B=\$ 20(P / F, 10 \%, 2)+\$ 30(P / F, 10 \%, 3)+\$ 30(P / F, 10 \%, 4)+$ \$20 (P/F,10\%,5) = \$71.98
$\checkmark$ Cost, $C=\$ 10+\$ 10(P / F, 10 \%, 1)+\$ 5(P / A, 10 \%, 4)(P / F, 10 \%, 1)$

$$
=\$ 25
$$

$\checkmark$ Benefit-cost ratio=B/C=72/25=2.88=> Accept the project

## Chapter IV

## Economic Analysis of a Project

## Example 2 : B/C Ratio Analysis

- Each of the five mutually exclusive alternatives presented below 20 years and has no salvage value. MARR = 6\%.

|  | A | B | C | D | E | F |
| :--- | :---: | :---: | :---: | :---: | :---: | :---: |
| PWC | $\$ 4,000$ | $\$ 2,000$ | $\$ 6,000$ | $\$ 1,000$ | $\$ 9,000$ | $\$ 10000$ |
| PWB | $\$ 7,330$ | $\$ 4,700$ | $\$ 8,730$ | $\$ 1,340$ | $\$ 9,000$ | $\$ 9,500$ |
| B/C | 1.83 | 2.35 | 1.46 | 1.34 | 1.00 | 0.95 |
| NPV | $\$ 3,330$ | $\$ 2,700$ | $\$ 1,730$ | $\$ 340$ | 0 | $-\$ 500$ |

## Chapter IV

## Economic Analysis of a Project

## Example : B/C Ratio Analysis

- Solution:
* The steps are the same as in incremental ROR, except that the criterion is now $B / C$, and the cutoff is I instead of the MARR:

1. Be sure you identify all alternatives.
2. (Optional) Compute the B/C ratio for each alternative. Discard any with a $B / C<1$. (We can discard F).
3. Arrange the remaining alternatives in ascending order of investment.

## Chapter IV

## Economic Analysis of a Project

## Example : B/C Ratio Analysis

- Solution:

|  | D | B | A | C | E | F |
| :--- | :---: | :---: | :---: | :---: | :---: | :---: |
| Cost | $\$ 1000$ | $\$ 2000$ | $\$ 4000$ | $\$ 6000$ | $\$ 9000$ | $\$ 10000$ |
| PWB | $\$ 1340$ | $\$ 4700$ | $\$ 7330$ | $\$ 8730$ | $\$ 9000$ | $\$ 0500$ |
| B/C | 1.34 | 2.35 | 1.83 | 1.46 | 1.00 | 0.95 |
| NPV | 340 | 2700 | 3330 | 1730 | 0 | -500 |

4. Comparing ${ }^{\Delta B} / \Delta C$ with 1 for consecutive alternatives select the best alternative

|  | $\mathrm{B}-\mathrm{D}$ | $\mathrm{A}-\mathrm{B}$ | $\mathrm{C}-\mathrm{A}$ | $\mathrm{E}-\mathrm{A}$ |
| :--- | :---: | :---: | :---: | :---: |
| Incremental Cost | $\$ 1000$ | $\$ 2000$ | $\$ 2000$ | $\$ 5000$ |
| Incremental Benefit | $\$ 3360$ | $\$ 2630$ | $\$ 1400$ | $\$ 1670$ |
| Incr.B/Incr. C | 3.36 | 1.32 | 0.76 | 0.33 |

## Chapter IV

## Economic Analysis of a Project

## Example : B/C Ratio Analysis

- Solution:
- Thus, for the example, the increments B-D and A-B are attractive
- We prefer B to D and we prefer A to B
- Increment C-A is not attractive as $\Delta B / \Delta C=0.76<1$
- Comparing $\mathbf{A}$ to E , again A is best
- Finally A is the best project.


## Chapter IV

## Economic Analysis of a Project

## Example : B/C Ratio Analysis

- Solution:
$\checkmark \mathrm{A}, \mathrm{B}, \mathrm{C}$, and D are above the 45 -degree line; their $\mathrm{B} / \mathrm{C}$ ratio is $>1$.
$\checkmark \mathrm{F}$ is below the line: $\mathrm{B} / \mathrm{C}$ ratio is $<1$.
$\checkmark$ We can discard $F$ if we wish.
Examine each separable increment of investment.
$\Delta \mathrm{B} / \Delta \mathrm{C}<1 \Rightarrow$ increment is not attractive
$\Delta B / \Delta C \geq 1 \Rightarrow$ increment is desirable.


Begin with D \& B: $\Delta \mathrm{B} / \Delta \mathrm{C}>1$. B "wins".
Next consider A: $\quad \Delta B / \Delta C>1$. A "wins".
C: $\Delta \mathrm{B} / \Delta \mathrm{C}<1$; discard C .
$\mathrm{E}: \quad \Delta \mathrm{B} / \Delta \mathrm{C}<1$; discard E .
F was discarded earlier
Conclude A is best.
Note: Alt. B has the highest B/C ratio

|  | B-D | A-B | $\mathrm{C}-\mathrm{A}$ | $\mathrm{E}-\mathrm{A}$ |
| :--- | ---: | ---: | ---: | :---: |
| Incremental <br> Cost | $\$ 1000$ | $\$ 2000$ | $\$ 2000$ | $\$ 5000$ |
| Incremental <br> Benefit | $\$ 3360$ | $\$ 2630$ | $\$ 1400$ | $\$ 1670$ |
| Incr.B/Incr. C | 3.36 | 1.32 | 0.76 | 0.33 |

## Chapter IV

## Economic Analysis of a Project

## Example 3 : B/C Ratio Analysis

- You are deciding between three alternatives and you need to pick the best one. The lifetimes of all machines is $\mathbf{2 0}$ years. Assuming a 5\% interest rate, which machine should you select? Use B/C ratio to make your decision.

|  | Alternative $A$ | Alternative B | Alternative C |
| :---: | :---: | :---: | :---: |
|  |  |  |  |
| Benefits |  |  |  |
| Taxes | $\$ 7,000$ per year | $\$ 3,000$ per year | $\$ 8,000$ per year |
| Salvage Value | $\$ 30,000$ | $\$ 15,000$ | $\$ 25,000$ |
|  |  |  |  |
| Costs |  |  |  |
| First Cost | $\$ 45,000$ (present) | $\$ 25,000$ (present) | $\$ 65,000$ (present) |
| Operating Expenses | $\$ 1,500$ per year | $\$ 2,500$ per year | $\$ 1000$ per year |
| Maintenance Costs | $\$ 2,000$ per year | $\$ 3,000$ per year | $\$ 1500$ per year |
|  |  |  |  |
| Lifetime | 20 years | 20 years | 20 years |

## Chapter IV

## Economic Analysis of a Project

## Example 3 : B/C Ratio Analysis

- Solution

Analysis of Alternative A
B/C ratio for Alt A = Benefits/Cost

$$
=[7,000(P / A, 5 \%, 20)+30,000(P / F, 5 \%, 20)] /[45,000+
$$

(1,500+2000) (P/A, 5\%, 20)]

$$
=98,542 / 88,617=1.1199>1(\text { Good })
$$

## Chapter IV

## Economic Analysis of a Project

## Example 3 : B/C Ratio Analysis

- Solution

Analysis of Alternative B
$B / C$ ratio for Alt $B=$ Benefits $/$ Cost
$=[3000(P / A, 5 \%, 20)+15,000(P / F, 5 \%, 20)] /[25,000+(2,500+3000)$
( $\mathrm{P} / \mathrm{A}, 5 \%, 20$ )]
$=43,040 / 93,542=0.4601<1$ (Bad, Not good)
$\checkmark$ If we do the same for Alternative C we get a B/C ratio of 1.135 , which is $>$ 1 (Good)

## Chapter IV

## Economic Analysis of a Project

## Example 3 : B/C Ratio Analysis

- Solution

|  | Alternative A | Alternative B | Alternative C | (C - A) |
| :---: | :---: | :---: | :---: | :---: |
|  |  | - |  |  |
| Beneflts |  | 1 |  |  |
| Taxes | \$7,000 | \$3,000 | \$8,000 | \$1,000 |
| Salvage Value | \$30,000 | \$15,000 | \$25,000 | (\$5,000) |
|  |  | - |  |  |
| Costs |  | - |  |  |
| Flrst Cost | \$45,000 | \$25,000 | \$65,000 | \$20,000 |
| Operating Expenses | \$1,500 | \$2,500 | \$1,000 | (\$500) |
| MaIntenance Costs | \$2,000 | \$3,0¢0 | \$1,500 | (\$500) |
|  |  | , |  |  |
| Lifetlme | 20 years | 20 years | 20 years |  |
|  |  | - |  |  |
| Beneflts | \$98,542.4000 | \$43,040.1000 | \$109,120.1000 | \$10,577.7000 |
| Costs | \$88,617.70 | \$93,542.10 | \$96,155.50 | \$7,537.80 |
|  |  | $\square$ |  |  |
|  |  | $\square$ |  |  |
|  |  | - |  |  |
| B/C Ratio | 1.111994556 | 0.46011475 | 1.134829521 | 1.403287431 |
|  |  | $\square$ |  |  |
| Decision | Good, Compare | Not Cood, Eliminate | Good, Compare | Good, prefer C |

## Chapter IV

## Economic Analysis of a Project

## Example 3 : B/C Ratio Analysis

- Solution
$\checkmark$ Note that the benefits and costs are obtained from the previous analysis (we made the analysis in terms of Present Worth).
$\checkmark$ For example, for Alternative A:
$\checkmark$ Benefits $=7,000(P / A, 5 \%, 20)+30,000(P / F, 5 \%, 20)=$ \$98,542
$\checkmark$ Costs $=45,000+(1,500+2000)(P / A, 5 \%, 20)=\$ 88,617$
$\checkmark$ In this case, since Incremental B/C of (C-A) $=1.40$ we prefer Alternative C over Alternative A .
$\checkmark$ Since we have no more alternatives we decide that Alternative $C$ is the best one.


## Chapter IV

## Economic Analysis of a Project

## Sensitivity Analysis

* Sensitivity analysis is the assessment of the impact for an output of a system by changing its inputs
* Basically, it is a "What if" analysis testing which variables are important to project outcomes (NPV, EIRR)
- Applies to all projects with quantified benefits and costs
* Involves recalculating project outcomes (NPV, EIRR) for different values of major variables and combinations of variables


## Chapter IV

## Economic Analysis of a Project

Sensitivity Analysis

- What are the chances that benefits \& costs will be realized as anticipated?
- Identify variables to which project is sensitive
- Assess change in parameters required to change project decision
- Assess likelihood of these changes occurring
- Consider mitigating actions against main sources of uncertainty


## Chapter IV

## Economic Analysis of a Project

## EFFECT OF INFLATION

- Inflation is State in which the Value of Money is Falling and the Prices are rising.
- Inflation occurs when general level of prices \& cost are rising
- Effect of inflation add inefficiencies in the market, and make it difficult for companies to budget or plan long-term.
* Uncertainty about the future purchasing power of money discourages investment and saving.


## Chapter IV

## Economic Analysis of a Project

## EFFECT OF INFLATION

- They add inefficiencies in the market, and make it difficult for companies to budget or plan long-term.
- Uncertainty about the future purchasing power of money discourages investment and saving.


## Chapter V

## PROJECT APPRAISAL AND CASE STUDIES

KEY ELEMENTS FOR PROJECT APPRAISAL

- Eligibility
$\checkmark$ Regional Development
$\checkmark$ Rational use of energy, efficiency
$\checkmark$ Environmental protection
- Legal Framework
$\checkmark$ Policies, public acceptance
$\checkmark$ Licensing, safety
$\checkmark$ Environmental compatibility
$\checkmark$ Procurement


## Chapter V

## PROJECT APPRAISAL AND CASE STUDIES

KEY ELEMENTS FOR PROJECT APPRAISAL

- Promoter's standing
$\checkmark$ Management capability
$\checkmark$ Business strategy
$\checkmark$ Financial robustness
$\checkmark$ Access to loan securities


## Chapter V

## PROJECT APPRAISAL AND CASE STUDIES

KEY ELEMENTS FOR PROJECT APPRAISAL

- Technology and Design
$\checkmark$ Project Definition
$\checkmark$ Viability and performance
$\checkmark$ Adaptation to technical progress
$\checkmark$ Local-specific requirements
$\checkmark$ Appropriate technical capacity
$\checkmark$ Life expectancy


## Chapter V

## PROJECT APPRAISAL AND CASE STUDIES

KEY ELEMENTS FOR PROJECT APPRAISAL

- Time Schedule
$\checkmark$ Project Definition
$\checkmark$ Preparation of feasibility studies
$\checkmark$ Environmental studies
$\checkmark$ Licensing requirements
$\checkmark$ Time needed for procurement
$\checkmark$ Local conditions (climatic, etc)


## Chapter V

## PROJECT APPRAISAL AND CASE STUDIES

KEY ELEMENTS FOR PROJECT APPRAISAL

* Procurement
$\checkmark$ Technical characteristics-procedures
$\checkmark$ Geographical location
$\checkmark$ Promoter's experience
$\checkmark$ Co-lender's requirements
* Investment Cost
$\checkmark$ Local and foreign currencies
$\checkmark$ Phasing of expenditure
$\checkmark$ Margins for var. contingencies
$\checkmark$ Cost justification


## Chapter V

## PROJECT APPRAISAL AND CASE STUDIES

KEY ELEMENTS FOR PROJECT APPRAISAL

- Environmental and Social Compatibility
$\checkmark$ Impact analysis, mitigation measures
$\checkmark$ Direct, indirect, long-distance effects
$\checkmark$ Prevention vs. «end-of-pipe»
$\checkmark$ Compliance with international standards
$\checkmark$ Least-polluting technology
$\checkmark$ Product quality


## Chapter V

## PROJECT APPRAISAL AND CASE STUDIES

KEY ELEMENTS FOR PROJECT APPRAISAL

- Market prospects
$\checkmark$ Demand pattern
$\checkmark$ Degree of competition
$\checkmark$ Tariff level and structure
$\checkmark$ Product quality
- Economic + Financial Viability
$\checkmark$ Cost effectiveness
$\checkmark$ Financial internal rate of return
$\checkmark$ Economic internal rate of return
$\checkmark$ Pay-back period, etc


## Chapter V

## PROJECT APPRAISAL AND CASE STUDIES

SPECIAL ISSUES IN PROJECT APPRAISAL, MAKING TECHNICAL EXPERTISE AVAILABLE

- During project preparation
$\checkmark$ Feasibility Studies
$\checkmark$ Feasibility Studies-Comments
$\checkmark$ Financial Engineering
$\checkmark$ Environmental and Social


## Chapter V

## PROJECT APPRAISAL AND CASE STUDIES

SPECIAL ISSUES IN PROJECT APPRAISAL, MAKING TECHNICAL EXPERTISE

## AVAILABLE

- During Appraisal
$\checkmark$ Review of Project Design
$\checkmark$ Phasing of Project Implementation
$\checkmark$ Supervision Mechanisms
$\checkmark$ Optimize Finance Plans
$\checkmark$ Optimize Procurement Strategies
$\checkmark$ Review of profitability aspects and tariffs


## Chapter V

## PROJECT APPRAISAL AND CASE STUDIES

SPECIAL ISSUES IN PROJECT APPRAISAL, MAKING TECHNICAL EXPERTISE

## AVAILABLE

- During Implementation
$\checkmark$ Establishment of Project Implementation Units; involvement of Consultants
$\checkmark$ Review of Procurement Procedures and Evaluation Process
$\checkmark$ Identification of Implementation Difficulties and Remedial
Measures


## Chapter V

## PROJECT APPRAISAL AND CASE STUDIES

SPECIAL ISSUES IN PROJECT APPRAISAL, MAKING TECHNICAL EXPERTISE

## AVAILABLE

- Project Completion
$\checkmark$ Project Review with Promoter
$\checkmark$ Establishment of Lessons Learnt
$\checkmark$ Identification of Follow-up projects


## Chapter V

## PROJECT APPRAISAL AND CASE STUDIES

SPECIAL ISSUES IN PROJECT APPRAISAL, MAKING TECHNICAL EXPERTISE

## AVAILABLE

- After identification of a feasible project, promoters should involve financiers at an early stage
$\checkmark$ Detailed project preparation, including review of Carbon Credit Issues
$\checkmark$ Special Requirements on Environment and Procurement
$\checkmark$ Guarantees
$\checkmark$ Insurance
$\checkmark$ Risk Mitigation
$\checkmark$ Acceptability of financial and economic profitability levels

