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Souvik Mahapatra *Editor*

# Fundamentals of Bias Temperature Instability in MOS Transistors

Characterization Methods, Process and  
Materials Impact, DC and AC Modeling

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Souvik Mahapatra  
Editor

# Fundamentals of Bias Temperature Instability in MOS Transistors

Characterization Methods,  
Process and Materials Impact,  
DC and AC Modeling



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*To my parents  
Krishna Chandra and Anjali Mahapatra*

# Preface

Bias Temperature Instability (BTI) is a serious reliability concern and continues to threaten the performance and lifetime of Complementary MOS (CMOS) devices and circuits. BTI affects both n- and p-channel Metal Oxide Semiconductor Field Effect Transistors (MOSFETs). Historically, Negative BTI (NBTI) became an important issue for p-MOSFETs as the semiconductor industry migrated from Silicon Oxide ( $\text{SiO}_2$ ) to Silicon Oxynitride ( $\text{SiON}$ ) gate insulators. NBTI continues to remain a serious issue for sub-22 nm technology nodes featuring High-K Metal Gate (HKMG) gate insulator based FinFET technologies. Positive BTI (PBTI) for n-MOSFETs remained negligible for  $\text{SiON}$  devices and emerged as a serious concern with the advent of HKMG gate insulator technology. However, latest reports from sub-22 nm Replacement Metal Gate (RMG) FinFET technologies have shown that PBTI is no longer a significant reliability concern.

Due to its technological significance, various research groups have extensively studied BTI in the last 15 years. In keeping with the technological trend, published reports initially focused on NBTI in  $\text{SiON}$  p-MOSFTs and later on both NBTI and PBTI in HKMG MOSFETs. These reports can be broadly classified into five major categories as explained hereinafter. Some reports have focused on process optimization for BTI mitigation and technology qualification, and studied the impact of various gate insulator and other processes and materials on BTI degradation. Other reports have focused on the development of novel methodologies for artifact-free characterization of BTI degradation and associated gate insulator defects. A significant majority of reports have focused on the understanding of BTI physical mechanism and development of numerical and compact models to explain measured data for DC and AC BTI degradation. Recently, some reports have focused on BTI variability, which is becoming important as device dimensions are scaled down. Finally, a significant majority of reports have also been published to study the impact of BTI on circuit and product degradation.

This book covers the first three aspects of BTI degradation as mentioned above, *viz.*, characterization methodologies, impact of gate insulator processes and materials, and physics-based models for DC and AC BTI. In the early years of research, no consensus existed among different groups on the experimental kinetics, process

and materials dependence and physical mechanism of NBTI degradation. Therefore, development of suitable processes for NBTI mitigation and control became extremely difficult. Moreover, it became almost impossible to develop predictive models for estimating DC NBTI degradation at end-of-life, and to predict AC activity aware degradation for switching logic. Furthermore, although vast majority of published reports from different groups have dealt with understanding the physical mechanism and modeling of NBTI degradation, none can provide a comprehensive framework to explain measured results in SiON and HKMG p-MOSFETs and for DC and AC stress. Finally, some controversy also surrounded the physical mechanism and modeling of PBTI in HKMG n-MOSFETs.

The results presented in this book are extensively based on research carried out by our group in the past 13 years. Published results are also reported as and when necessary, to establish a comprehensive and universal picture of BTI degradation throughout the book. Our research has demonstrated that the lack of consensus in early NBTI reports arose due to the use of different nonstandard characterization methodologies and different gate insulator processes by different groups. Subsequently, proper artifact-free stress and measurement methodologies have been developed to characterize BTI degradation and also the underlying defects responsible for BTI degradation. The gate insulator process and material dependencies of NBTI degradation have been established for SiON and HKMG p-MOSFETs. The gate insulator process and material dependencies of PBTI degradation in HKMG n-MOSFETs are also established.

A consistent physical mechanism has been proposed to explain and model the experimentally observed process and material dependencies of NBTI in SiON and HKMG p-MOSFETs and PBTI in HKMG n-MOSFETs. The proposed framework is based on different mutually uncoupled underlying defect subcomponents, which are also assessed using independent measurement methods. Finally, a comprehensive DC and AC NBTI modeling framework is proposed and verified against experimental data in SiON and HKMG p-MOSFETs. The framework can successfully explain time evolution of measured NBTI degradation during and after DC stress and during multiple DC stress and recovery cycles, and during AC stress at different frequency and duty cycle. It can also predict extrapolated degradation at end of life for DC and AC NBTI stress.

Chapter 1 reviews NBTI and PBTI results from different published reports, and also shows measured DC and AC stress data using ultra-fast methods in SiON and HKMG devices under different experimental conditions. Different ultra-fast BTI characterization methods are discussed in Chap. 2, along with different characterization techniques for directly estimating gate insulator defects responsible for BTI. A consistent NBTI and PBTI mechanism is proposed and verified against experimental data in Chap. 3. Compact NBTI and PBTI models are developed in Chap. 4 based on the mechanism developed in Chap. 3, and the models are used to explain measured NBTI data in differently processed SiON and HKMG p-MOSFETs and PBTI data in different HKMG n-MOSFETs. The fundamentals of the

Reaction-Diffusion (RD) model are discussed in Chap. 5. Finally, the comprehensive DC and AC NBTI modeling framework is established in Chap. 6, and verified against ultra-fast measured data in SiON and HKMG p-MOSFETs.

## Acknowledgments

This book has been made possible by active contribution and support from several people. I am grateful to my former and current students at IIT Bombay whose research contributions have been included in this book: Vrajesh Maheta, Gautam Kapila, P. Bharath Kumar, Dhanoop Varghese, E. Naresh Kumar, Shweta Deora, Kaustubh Joshi, Nirmal Nanaware, Vipul Chaudhary, Subhadeep Mukhopadhyay, Ankush Chaudhary and Nilesh Goel. I am grateful to Ahmad Ehteshamul Islam and Muhammad Ashraf Alam for collaboration in the area of NBTI modeling, Sandip De, Rajan Pandey and Kota Murali for DFT simulations, Bijesh Rajamohanam for providing flicker noise data in HKMG devices, Purushothaman Srinivasan, Jacopo Franco and Ben Kaczer for providing experimental data in SiGe devices. I wish to thank Steven Hung, Chris Olsen, Khaled Ahmed, Andreas Kerber, Anand Krishnan, Vincent Huard, Amr Haggag, Vijay Reddy, Sriram Kalpat, Srikanth Krishnan, Tanya Nigam, Eiichi Murakami, Hideki Aono, Tibor Grasser, Eduard Cartier, Giuseppe La-Rosa, Guido Groeseneken, Hans Reisinger, Sanjay Rangan, Stephen Ramey, Hiu Yung Wong, Jamil Kawa and Victor Moroz for many useful discussions. I am grateful to CEN IIT Bombay for measurement and computational facilities and Applied Materials for providing experimental devices and active support. I wish to thank my colleagues at IIT Bombay and friends for their understanding and support. Last but not least, I wish to profoundly thank my wife Sahana Mukherjee and daughter Adrija Mahapatra for their constant encouragement and support, which immensely helped me during the course of writing this book.

Mumbai, India

Souvik Mahapatra

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# Editor and Contributors

## About the Editor

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# Chapter 1

## Introduction: Bias Temperature Instability (BTI) in N and P Channel MOSFETs

Souvik Mahapatra, Nilesh Goel and Subhadeep Mukhopadhyay

**Abstract** In this chapter, the basic experimental signatures of NBTI and PBTI degradation respectively in p- and n-channel MOSFETs are discussed. Historical results from published reports are briefly reviewed for SiON and HKMG MOSFETs. Results obtained using ultra-fast characterization methods are shown for DC and AC BTI degradation in state-of-the-art SiON and HKMG MOSFETs. The impact of gate insulator processes on magnitude of NBTI degradation and its time, bias and temperature dependence is discussed for SiON p-MOSFETs. Time evolution of NBTI and PBTI degradation during and after DC stress and during AC stress is shown for HKMG MOSFETs, and the impact of stress bias and temperature, as well as that of AC pulse duty cycle and frequency are discussed. Impact of basic HKMG process variations, such as Nitrogen incorporation and interlayer thickness scaling are also discussed. Similarities and differences between NBTI and PBTI results are highlighted.

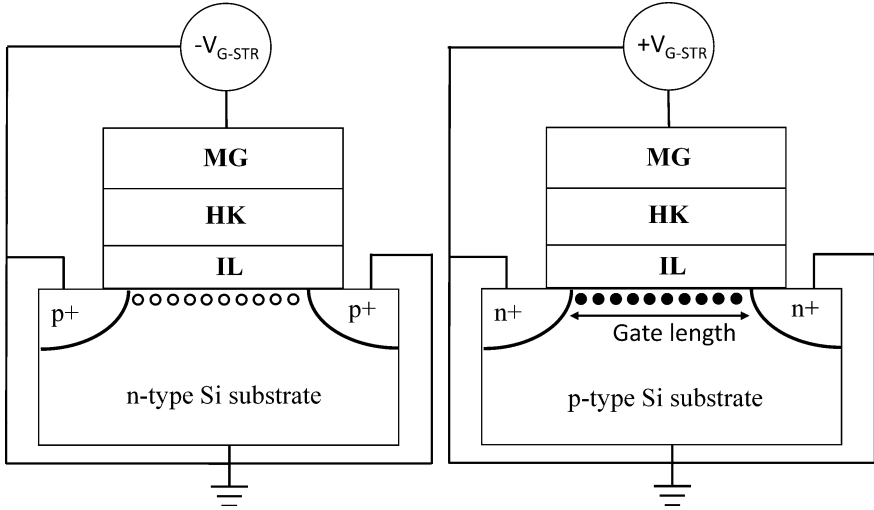
### 1.1 Introduction

Metal Oxide Semiconductor Field Effect Transistors (MOSFETs) are fundamental building blocks of Complementary MOS (CMOS) circuits. Figure 1.1 shows the schematic of p- and n-channel MOSFETs. It is now well known that for more than past 40 years, the gate length ( $L_G$ ) of MOSFETs is reduced to increase its performance and keep up with Moore's scaling law [1]. According to MOSFET scaling principle,  $L_G$  scaling must be associated with gate insulator thickness ( $T_{OX}$ ) scaling to keep different short channel effects under control [2]. Historically, conventional  $T_{OX}$  scaling based on reduction in Silicon Dioxide ( $\text{SiO}_2$ ) thickness became unfeasible at 90 nm technology node, due to significant increase in gate

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**Fig. 1.1** Schematic of p- and n-channel MOSFETs having HKMG gate insulator stacks, configured respectively for NBTI and PBTI stress

leakage current ( $I_G$ ) arising out of direct tunneling of inversion layer carriers across the gate insulator. Therefore, the industry has migrated first to Silicon Oxynitride (SiON) gate insulator at 90 nm technology node [3], and later to High-K Metal Gate (HKMG) gate insulator at 45 nm [4] or 28 nm [5] node, to continue  $T_{OX}$  scaling without significant increase in gate leakage. However, controlling the short channel effects has become a serious challenge at 20 nm node, and therefore, the industry has migrated from planar MOSFET to FinFET at 22 nm [6] or 16 nm (or 14 nm) [7] node.

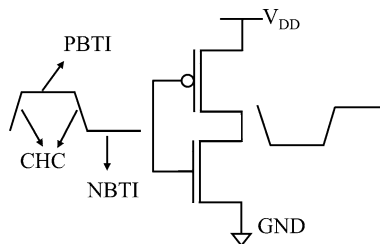
Bias Temperature Instability (BTI) is a crucial reliability issue since it degrades the performance of p- and n-channel MOSFETs used in CMOS circuits. BTI results in a gradual shift in MOSFET characteristics, such as threshold voltage ( $V_T$ ), transconductance ( $g_m$ ), subthreshold slope ( $S$ ), linear and saturation drain current ( $I_{DLIN}$  and  $I_{DSAT}$ ), etc., over time [8], and hence in-turn degrades the performance of digital, memory and analog CMOS circuits [9]. As a result, the operating lifetime of CMOS devices and circuits gets reduced, and if unchecked, BTI can lead to premature failure of Integrated Circuits (IC) chips.

Figure 1.1 shows the BTI biasing conditions for p- and n-channel MOSFETs having HKMG gate insulators. BTI degradation of p-MOSFET devices, known as Negative Bias Temperature Instability (NBTI), occurs when the gate of the device is made negative w.r.t. other terminals. NBTI results in buildup of positive charges in the gate insulator and causes negative shift in  $V_T$  ( $\Delta V_T$ ) [8]. On the other hand, Positive Bias Temperature Instability (PBTI) occurs in n-MOSFETs when the gate of the device is made positive w.r.t. other terminals. PBTI causes negative charges in the gate insulator and results in positive  $\Delta V_T$  [10].

NBTI was first observed half a century ago in  $\text{SiO}_2$  MOSFETs [11], although it became a crucial reliability concern when SiON replaced  $\text{SiO}_2$  as the gate insulator [12–14]. It continues to remain as a significant concern even today for planar and FinFET devices having HKMG based gate stacks [15–18]. Note that the physical mechanism of NBTI is presumed to be identical for SiON and HKMG p-MOSFETs [8, 19–23]. NBTI in  $\text{SiO}_2$  or SiON p-MOSFETs is attributed to buildup of positive charges at the interface between the Silicon (Si) channel and  $\text{SiO}_2$  (or SiON) dielectric, as well as in the  $\text{SiO}_2$  (or SiON) dielectric bulk. Similarly, NBTI in HKMG p-MOSFETs is attributed to buildup of positive charges in the  $\text{SiO}_2$  or SiON interlayer (IL), which separates the MOSFET channel and the Hafnium Dioxide ( $\text{HfO}_2$ ) High-K layer, refer to Fig. 1.1. The interface between the MOSFET channel and IL as well as IL bulk becomes positively charged. The High-K layer presumably acts as a voltage divider.

PBTI remained negligible for  $\text{SiO}_2$  and SiON n-MOSFETs and became important only with the introduction of HKMG technology [10, 16–18]. Generation of negative charges in  $\text{HfO}_2$  High-K layer is believed to be responsible for PBTI, refer to Fig. 1.1. The  $\text{SiO}_2$  (or SiON) IL presumably does not degrade for production quality HKMG MOSFETs and acts only as a voltage divider. Although both NBTI and PBTI impacts HKMG technology based circuits, recent results from Replacement Metal Gate (RMG) technology based HKMG FinFETs suggest PBTI to be much less of a concern than NBTI [17, 18, 24]. It is important to realize that the gate stack and other (such as backend) processes significantly influences BTI, and the magnitudes of NBTI and PBTI degradation depend on process optimization and are very much technology and industry specific. This aspect is discussed later in this chapter.

Although BTI is an important reliability issue, it is not the only mechanism that causes device degradation during operation of a CMOS circuit. Other mechanisms such as Channel Hot Carrier (CHC) degradation [25, 26], Stress Induced Leakage Current (SILC) [27, 28] and Time Dependent Dielectric Breakdown (TDDDB) [29, 30] are also responsible for device and circuit performance degradation. As an example, Fig. 1.2 illustrates the interplay of different reliability mechanisms during the operation of a CMOS inverter circuit. The inverter is made of p- and n-channel MOSFETs connected in series between power and ground rails, and the output



**Fig. 1.2** Schematic of a CMOS inverter with input and output waveforms illustrating BTI and CHC reliability regimes. SILC and TDDDB have identical regimes as BTI

voltage is complimentary to the input voltage. The p-MOSFET suffers from NBTI when input is low and output is high, i.e., the gate is negative w.r.t. all the other terminals of the device, while the n-MOSFET suffers from PBTI when input is high and output is low, i.e., the gate is positive w.r.t. all the other terminals of the device. SILC and TDDB regimes for p- and n-MOSFETs coincide with NBTI and PBTI regimes, respectively, while CHC degradation occurs during the transition periods when the input goes from low to high (output goes from high to low) and vice versa. Although a technology should be qualified for all these degradation regimes, BTI has become and remained as the dominant front-end reliability concern since 90 nm technology node and is the subject of this book.

## 1.2 Brief Overview of NBTI and PBTI

From a practical point of view, it is of utmost importance to estimate BTI degradation at the end of expected usage lifetime of devices (and hence circuits and products). The assessment of BTI induced MOSFET parametric degradation is usually done by stressing the device at an accelerated aging condition, using a gate bias ( $V_G$ ) that is higher ( $V_G = V_{G-STR}$ ) than that used during normal operation. MOSFET transfer  $I-V$  characteristics are measured before and after BTI stress, and the difference between pre- and post-stress values is used to access degradation in device parameters.

However, rather than a single value, it is of interest to estimate the time evolution of BTI degradation. In a typical BTI test scenario, transfer  $I-V$  measurements are performed by interrupting the stress at certain pre-defined times, the interruptions are usually spaced in logarithmic intervals of time, and the time evolution of BTI induced shift in MOSFET parameters is estimated. This scheme is defined as Measure-Stress-Measure (MSM) method. However, it was later realized that BTI degradation recovers as soon as stress is removed for measurement, and alternatively, the degradation in MOSFET drain current can be continuously monitored as the gate is being stressed, which is defined as On-The-Fly (OTF) method [31]. Different BTI characterization methods will be discussed in Chap. 2 of this book. The accelerated stress test is performed up to several 1000's of seconds or hours, or sometimes up to days, in wafer-level setup, although sometimes the test can go on for months in package-level setup. The measured time evolution of parametric degradation at accelerated stress condition ( $V_G = V_{G-STR}$ ) is then extrapolated to expected end-of-life (e.g., 10 years) and to normal operating  $V_G$  by using suitable models. BTI modeling for lifetime estimation is a topic of great interest and is discussed later in this book.

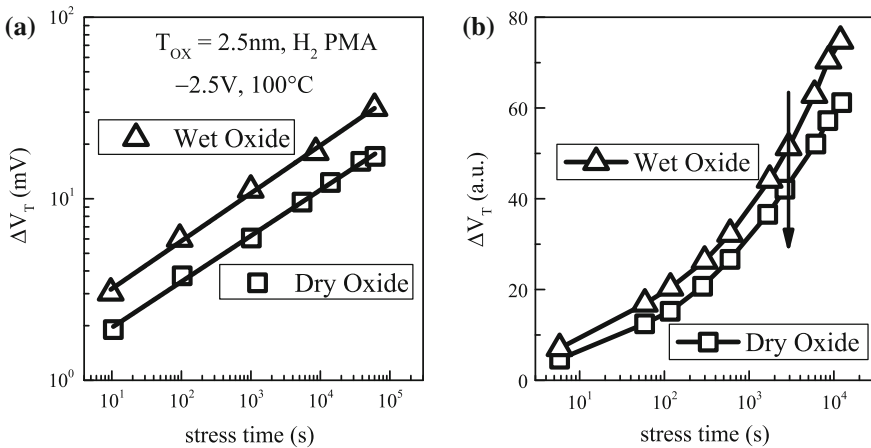
It is necessary to follow certain cautionary measures for BTI stress and measurement. Note, BTI and TDDB have identical stress regimes as shown in Fig. 1.2. Since TDDB defects build up faster in time and has higher  $V_G$  acceleration rate as compared to BTI [32, 33], the use of very high stress  $V_G$  should be avoided to prevent TDDB related “corruption” of BTI data. In other words, although BTI

dominates TDDB at relatively lower  $V_G$ , as stress  $V_G$  is increased, the degradation due to TDDB increases at a much faster rate than that for BTI. Therefore, the maximum limit of stress  $V_G$  should be carefully chosen such that the contribution from TDDB defects remains negligible as compared to BTI defects during accelerated stress test. This will be discussed later in Chap. 2. Moreover as mentioned before, it is now well known that BTI degradation starts to recover as soon as the magnitude of  $V_G$  is reduced for measurement [31, 34]. Although earlier NBTI measurements were done using slower methods, recent NBTI and PBTI measurements are performed in a way such that the impact of recovery is negligible. Several methods have been developed in recent past for “recovery artifact free” BTI measurements, and will be discussed in Chap. 2 of this book.

### 1.2.1 NBTI in $\text{SiO}_2$ and $\text{SiON}$ p-MOSFETs

Early reports show that gate insulator quality plays an important role in determining NBTI degradation. Figure 1.3 plots time evolution of  $\Delta V_T$  during NBTI stress in p-MOSFETs having  $\text{SiO}_2$  gate insulators grown by wet and dry oxidation [12, 35]. Dry  $\text{SiO}_2$  devices have superior gate insulator quality and hence show lower NBTI degradation.

As discussed in detail later in this book, NBTI degradation is due to uncorrelated contributions from interface trap generation ( $\Delta N_{\text{IT}}$ ) at Si/ $\text{SiO}_2$  interface, hole trapping in process-related  $\text{SiO}_2$  bulk traps ( $\Delta N_{\text{HT}}$ ) and generation of new  $\text{SiO}_2$  bulk traps ( $\Delta N_{\text{OT}}$ ). In general, gate oxide process can impact any one or all of these components. However,  $\Delta N_{\text{HT}}$  is a fast saturating phenomenon and is unlikely to be



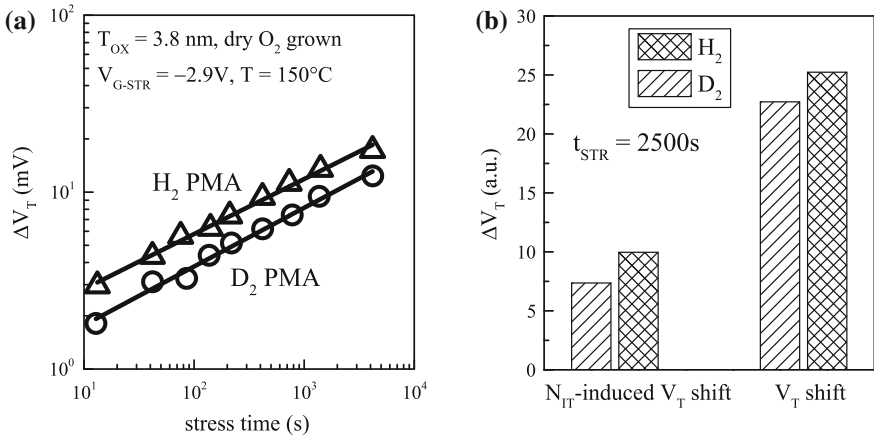
**Fig. 1.3** Time evolution of measured  $\Delta V_T$  for NBTI stress in dry and wet  $\text{SiO}_2$  p-MOSFETs. Data from [12] (left panel) and [35] (right panel)



captured in slow MSM measurement method used in [12, 35]. Furthermore,  $\Delta N_{OT}$  is associated with TDDB like trap generation process and therefore has strong voltage de-acceleration factor [32, 36];  $\Delta N_{OT}$  contribution is usually negligible unless high  $V_{G-STR}$  is used. Therefore, the improvement is likely due to lower  $\Delta N_{IT}$  in dry  $\text{SiO}_2$  devices.

The role of generated interface traps is further ascertained by studying NBTI in  $\text{SiO}_2$  p-MOSFETs having conventional Hydrogen ( $\text{H}_2$ ) and Deuterium ( $\text{D}_2$ ) based Post Metallization Anneal (PMA). Figure 1.4a plots time evolution of  $\Delta V_T$  during NBTI stress in  $\text{H}_2$  and  $\text{D}_2$  PMA based  $\text{SiO}_2$  p-MOSFETs [12]; lower degradation is observed for  $\text{D}_2$  devices. Measured  $\Delta V_T$  is likely dominated by  $\Delta N_{IT}$  due to the reasons mentioned above. As discussed later in this book, interface trap generation is explained by Reaction-Diffusion (RD) model [37], which suggests breaking of Si-H bonds at Si/ $\text{SiO}_2$  interface and subsequent diffusion of  $\text{H}_2$  [8], refer to Chap. 5 for details. For  $\text{D}_2$  devices, this would imply breaking of Si-D bonds and subsequent diffusion of  $\text{D}_2$ . Therefore, the difference in  $\Delta N_{IT}$  and  $\Delta V_T$  can be associated to difference in Si-D and Si-H bond strengths and/or different diffusivity of  $\text{D}_2$  compared to  $\text{H}_2$ . As discussed in Chap. 2,  $\Delta N_{IT}$  can be directly determined by using Charge Pumping (CP) measurements [38] before and after NBTI stress. Figure 1.4b shows measured  $\Delta V_T$  and  $\Delta N_{IT}$  for NBTI stress in  $\text{SiO}_2$  devices having  $\text{H}_2$  and  $\text{D}_2$  PMA [35]. Lower  $\Delta V_T$  for  $\text{D}_2$  devices is due to lower  $\Delta N_{IT}$  as shown.

As mentioned before, NBTI became a crucial reliability concern with the introduction of  $\text{SiON}$  gate insulator technology. Figure 1.5a plots the time evolution of  $\Delta V_T$  for NBTI stress in pure  $\text{SiO}_2$  and  $\text{SiON}$  p-MOSFETs having different Nitrogen (N) content in the gate stack [12]. Time evolution of  $\Delta V_T$  shows power law dependence for both  $\text{SiO}_2$  and  $\text{SiON}$  devices, i.e.,  $\Delta V_T = A * t^n$ , and the magnitude of  $\Delta V_T$  increases with increased N content. Time evolution of  $\Delta V_T$  is measured in  $\text{SiON}$  p-MOSFETs having different N content [39] and fitted using the

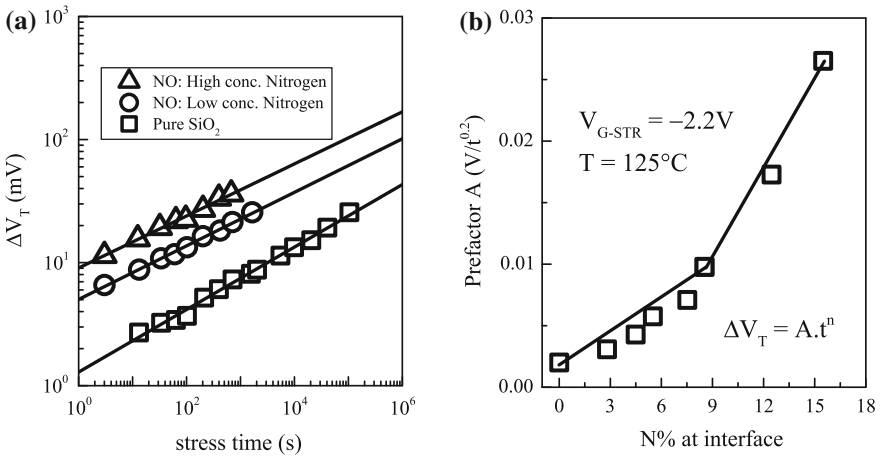


**Fig. 1.4** **a** Time evolution of  $\Delta V_T$  and **b** fixed time  $\Delta V_T$  and  $\Delta N_{IT}$ , measured for NBTI stress in dry  $\text{SiO}_2$  p-MOSFETs having  $\text{H}_2$  and  $\text{D}_2$  PMA. Data from [12] (left panel) and [35] (right panel)

power-law expression shown above. Figure 1.5b plots pre-factor ( $A$ ) as a function of atomic N content (N%) in the gate stack. Note that the pre-factor  $A$  increases with increased N%. A higher rate of increase is seen for  $N > 8\%$  for these particular devices. Figure 1.5 clearly indicates the emergence of NBTI as a crucial reliability issue with the advent of SiON technology. Once again, note that the impact of N% on  $\Delta V_T$  is likely due to variations in  $\Delta N_{IT}$ , since  $\Delta N_{HT}$  is likely to be negligible due to the use of slow MSM measurement method, and  $\Delta N_{OT}$  is also negligible as  $V_{G-STR}$  is kept low during stress.

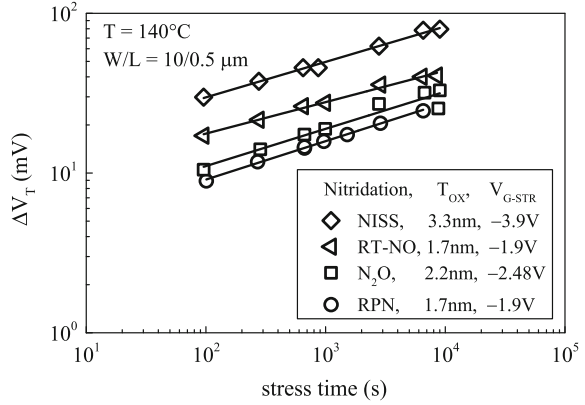
Note that N incorporation increases the permittivity ( $K$ ) of gate insulator stack, and for identical  $\text{SiO}_2$  physical thickness, it results in lower electrical thickness for SiON gate insulators. Different nitridation techniques have been studied to explore the possibility of obtaining SiON gate insulator without corresponding increase in NBTI. Figure 1.6 plots time evolution of  $\Delta V_T$  for NBTI stress in differently processed SiON p-MOSFETs [40]. Since different process have different gate insulator thickness,  $V_{G-STR}$  is suitably adjusted to perform NBTI stress at similar oxide field ( $E_{OX}$ ) for fair comparison, as NBTI depends on  $E_{OX}$  and not  $V_{G-STR}$  [32]. Note that Nitrogen Implanted Silicon Substrate (NISS) process shows highest  $\Delta V_T$ , followed by Rapid Thermal Oxidation (RTO) in NO ambient and  $\text{N}_2\text{O}$  based thermal oxidation, while Remote Plasma Nitridation (RPN) process shows lowest NBTI. It is important to remark that the process impact on  $\Delta V_T$  is likely coming from variations in  $\Delta N_{IT}$  due to the reasons mentioned before.

Figure 1.7 plots the time evolution of  $\Delta V_T$  and  $\Delta N_{IT}$  obtained respectively from slow MSM  $I-V$  and CP measurements for NBTI stress in NO based thermal nitrided SiON and RPN-SiON p-MOSFETs [14]. RPN-SiON devices have lower  $\Delta N_{IT}$  and hence have lower  $\Delta V_T$  as shown. This once again verifies that  $\Delta N_{HT}$  and  $\Delta N_{OT}$

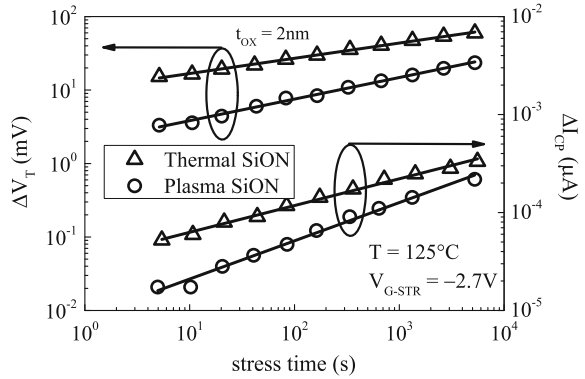


**Fig. 1.5** **a** Time evolution of  $\Delta V_T$  in  $\text{SiO}_2$  and SiON p-MOSFETs having different N dose for NBTI stress; data fitted using power-law expression  $A \cdot t^n$ . **b** Pre-factor  $A$  as a function of atomic N % for SiON devices having different N content. Data from [12] (left panel) and [39] (right panel)

**Fig. 1.6** Time evolution of  $\Delta V_T$  for NBTI stress in SiON p-MOSFETs fabricated using different gate insulator nitridation processes. Data from [40]

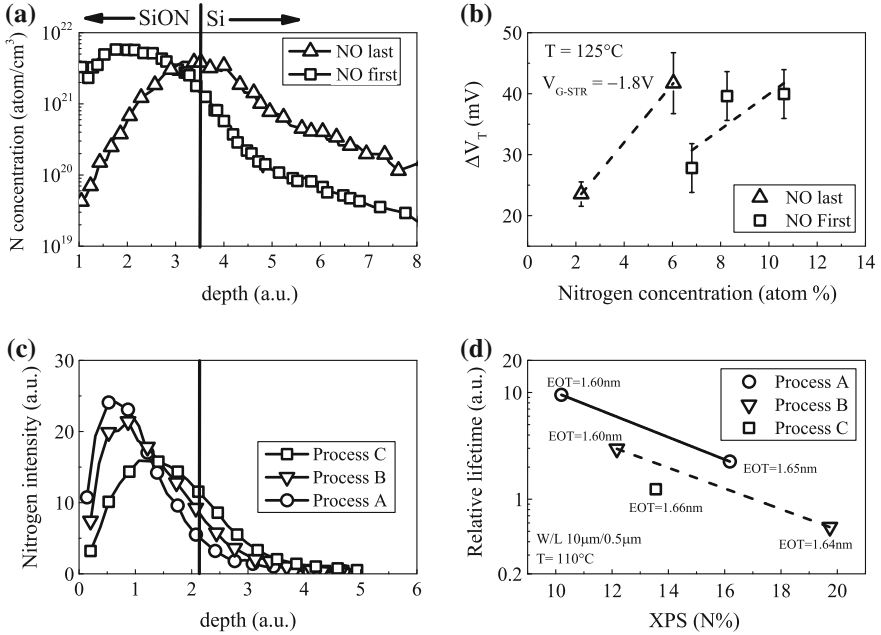


**Fig. 1.7** Time evolution of  $\Delta V_T$  and  $\Delta N_{IT}$  for NBTI stress in plasma and thermal nitrided SiON p-MOSFETs. Data from [14]



contributions are negligible and  $\Delta N_{IT}$  dominates  $\Delta V_T$  for slow MSM measurement and low  $V_{G-STR}$  stress as used in [14]. It is now well known that for a particular total N dose, RPN process results in lower N density at the Si channel and SiON interface compared to conventional NO-SiON process, since bulk of the N is placed closer to the SiON and poly-Si gate interface for RPN process [41]. Lower N density at Si/SiON interface results in lower NBTI for RPN compared to conventional thermal NO based SiON devices [42, 43]. Therefore, RPN-based nitridation technique has become widely adopted in the industry for gate insulator technology.

Figures 1.6 and 1.7 suggest that it is not the total N content in the gate insulator but rather the N density at or near the Si channel and SiON interface that controls NBTI. As a further verification, Fig. 1.8 plots N density distribution profile in the gate insulator and the corresponding NBTI degradation for different SiON gate insulator processes [44, 45]. N density profile can be obtained using Angle Resolved X-ray Photoelectron Spectroscopy (ARXPS) measurements [46]. In the top figure, NO first process has lower N density at Si/SiON interface in spite of having higher peak and overall integrated N content in the gate insulator as

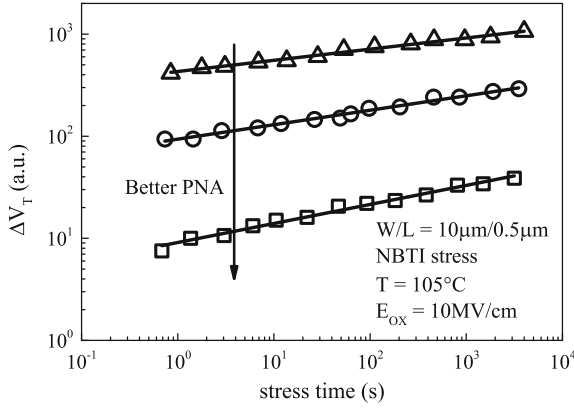


**Fig. 1.8** Nitrogen distribution profile in SiON gate insulators (*left panels*) and corresponding NBTI degradation and lifetime (*right panels*) for NO first and NO last process (*top panels*) [44] and different plasma nitridation processes (*bottom panels*) [45]

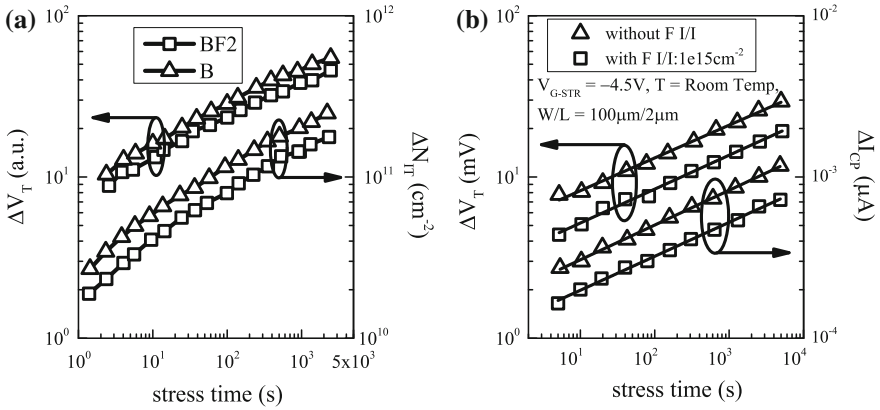
compared to NO last process [44]. Therefore, the NO first process results in lower  $\Delta V_T$  as shown. In the bottom plot, Si/SiON interfacial N density increases while the peak and total integrated N content in the gate insulator reduces from process A through C [45]. For a particular total N content in the gate stack, NBTI degradation is lowest, which results in highest extrapolated lifetime for process-A, and the degradation is highest and hence the extrapolated lifetime is lowest for process-C as shown.

Note that for RPN process having a particular total N dose, the Post Nitridation Anneal (PNA) condition [47] plays an important role in controlling NBTI degradation [48]. Figure 1.9 shows the time evolution of  $\Delta V_T$  for NBTI stress in SiON p-MOSFETs having similar N content but different post-nitridation optimization [49]. Although the total N dose remains same, optimized devices show lower  $\Delta V_T$  as shown. Therefore not only the RPN nitridation process but the PNA process is also equally important to control NBTI and is now widely adopted in the industry for gate insulator technology. More results on SiON devices having different RPN N content and PNA processes will be discussed later in this chapter.

Fluorine (F) incorporation in the gate insulator stack also impacts NBTI degradation. Figure 1.10 shows the time evolution of  $\Delta V_T$  and  $\Delta N_{IT}$  obtained, respectively, from slow MSM  $I-V$  and CP measurements for NBTI stress in devices without and with F in the gate stack [35, 50].



**Fig. 1.9** Time evolution of  $\Delta V_T$  for NBTI stress in SiON p-MOSFETs fabricated using plasma nitridation and different post nitridation anneals. Data from [49]



**Fig. 1.10** Time evolution of  $\Delta V_T$  and  $\Delta N_{IT}$  ( $\sim \Delta I_{CP}$ ) for NBTI stress in SiON p-MOSFETs having different fluorine content in the gate stack. Data from [35] (left panel) and [50] (right panel)

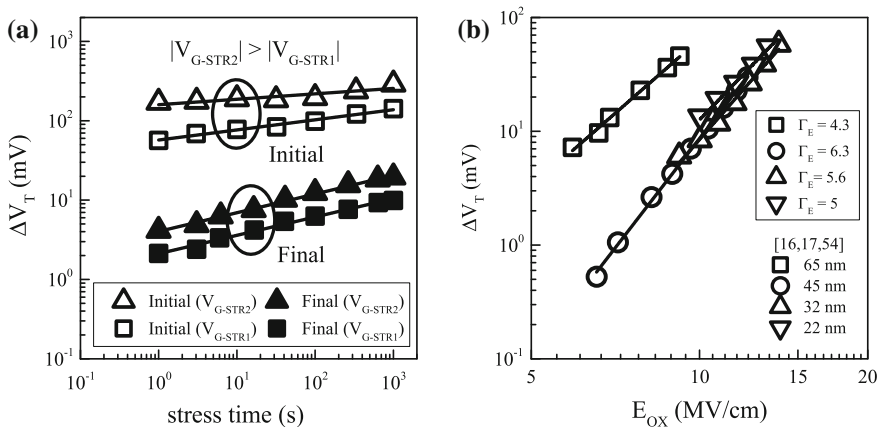
In Fig. 1.10a, F incorporation is achieved using  $BF_2$  implanted Source and Drain junctions and subsequent activation anneal, while the reference device has Boron (B) implanted junctions [35]. F is implanted directly in the gate oxide in Fig. 1.10b [50]. Note that measurements were done using slow MSM method with low  $V_{G-STR}$ , and results in  $\Delta N_{IT}$  domination of  $\Delta V_T$  as discussed earlier. F incorporation reduces  $\Delta N_{IT}$  and hence  $\Delta V_T$  as shown. Once again, Fig. 1.10 proves the role of generated interface traps on NBTI degradation.

The results shown above are among the earliest reported that studied the impact of different  $SiO_2$  and SiON gate insulator processes on NBTI degradation, refer to [51] for further details. Note that measurements were done using slower methods, as NBTI recovery and its implications [31, 34] were not fully understood at that

time. Subsequently, methods having  $\sim$ millisecond [31] and  $\sim$ microsecond [52, 53] delay were developed and used to study the impact of gate insulator nitridation on NBTI [43, 48]. These results will be discussed later in this chapter.

## 1.2.2 NBTI and PBTI in HKMG MOSFETs

As mentioned before, similar to SiO<sub>2</sub> or SiON p-MOSFETs, HKMG devices are also affected by NBTI stress due to positive charge buildup in the SiO<sub>2</sub> (or SiON) IL that separates the channel and HfO<sub>2</sub> High-K layer. Similar to SiON devices, the optimization of HKMG process plays a significant role in reducing NBTI degradation. As an illustration, Fig. 1.11a plots measured  $\Delta V_T$  time evolution for NBTI stress in p-MOSFETs having “initial” or premature and “final” or production quality HKMG gate insulator stacks [16]. Note that time evolution of  $\Delta V_T$  shows power law dependence similar to SiON devices. The “initial” premature process shows much larger  $\Delta V_T$  and very low time exponent  $n$  when compared to the production quality process and highlights the importance of process optimization. Figure 1.11b plots measured  $\Delta V_T$  at fixed stress time ( $t_{STR}$ ) as a function of gate oxide field  $E_{OX}$  for NBTI stress in production quality 65 nm SiON, as well as 45, 32 and 22 nm HKMG gate insulator processes [16, 17, 54]. Note that NBTI degradation reduces for migration from 65 nm SiON to 45 nm HKMG technology, presumably due to reduction in N in the gate stack; however, it gradually increases for migration from 45 to 32 nm planar and eventually to 22 nm FinFET technologies. Of importance is the power-law field acceleration factor ( $\Gamma_E$ ) or the slope of



**Fig. 1.11** **a** Time evolution of  $\Delta V_T$  for NBTI stress in HKMG p-MOSFETs with different quality of gate insulator stacks. **b** Fixed time  $\Delta V_T$  as a function of oxide field  $E_{OX}$  in a log-log plot, for different SiON and HKMG production quality devices. Data from [16, 17, 54]

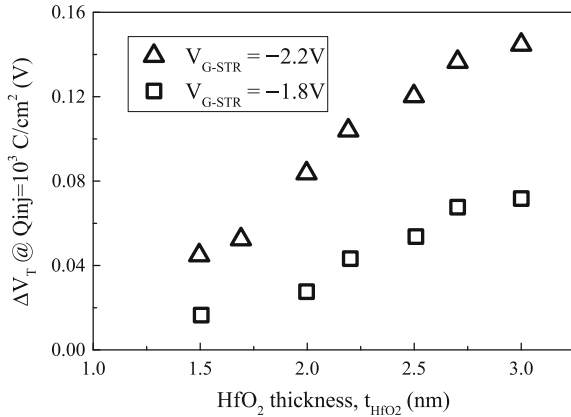
$\Delta V_T$  versus  $E_{OX}$  plot, which is larger for 45 nm HKMG compared to 65 nm SiON process, although it reduces slightly for 32 and 22 nm HKMG processes.

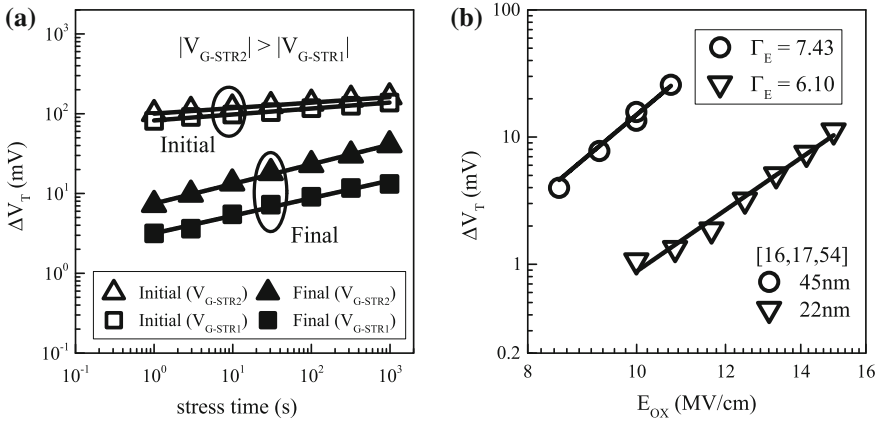
On the other hand, PBTI was negligible for SiO<sub>2</sub> or SiON n-MOSFETs and become appreciable with the introduction of HKMG devices, as it is associated with the buildup of negative charges in HfO<sub>2</sub> High-K layer [10]. It will be shown later in this book that  $\Delta V_T$  for PBTI stress is due to uncoupled contribution from trap generation at IL/High-K interface ( $\Delta N_{IT-HK}$ ) and High-K bulk ( $\Delta N_{OT-HK}$ ), as well as electron trapping in pre-existing process-related bulk High-K traps ( $\Delta N_{ET}$ ). PBTI measurements in early HKMG devices show very large degradation due to significant contribution from  $\Delta N_{ET}$  in inferior quality and thick HfO<sub>2</sub> dielectrics [55, 56]. PBTI reduces with reduction in HfO<sub>2</sub> High-K thickness [10], while process optimization played a significant role in further reducing PBTI degradation [16], primarily by reducing the  $\Delta N_{ET}$  contribution [57]. As an example, Fig. 1.12 plots  $\Delta V_T$  determined at a particular charge flounce for PBTI stress at different  $V_{G-STR}$  versus thickness of the High-K layer.  $\Delta V_T$  reduces significantly with reduction in High-K thickness as shown, due to reduction in the volume for electron trapping.

Figure 1.13a plots the time evolution of measured  $\Delta V_T$  for PBTI stress in HKMG n-MOSFETs having “initial” and “final” gate insulator processes [16]. Time evolution of  $\Delta V_T$  shows power law dependence similar to NBTI stress. Moreover, similar to NBTI results, the “initial” or premature process shows much higher  $\Delta V_T$  and lower time exponent  $n$  also for PBTI stress when compared to the “final” production quality process. Figure 1.13b plots measured  $\Delta V_T$  at fixed  $t_{STR}$  as a function of  $E_{OX}$  for PBTI stress in production quality 45 and 22 nm HKMG gate insulator processes [16, 17, 54]. Unlike NBTI,  $\Delta V_T$  for PBTI stress reduces with HKMG technology scaling as shown.

An important difference between NBTI and PBTI in HKMG MOSFETs can be observed by measuring the peak transconductance degradation ( $\Delta g_m$ ). Figure 1.14 plots the correlation of peak  $\Delta g_m$  to  $\Delta V_T$  for NBTI and PBTI stress in premature or “initial” and fully optimized or “final” production quality HKMG processes [16].

**Fig. 1.12** Measured  $\Delta V_T$  for PBTI stress in HKMG n-MOSFETs having different High-K layer thickness. Data from [10]





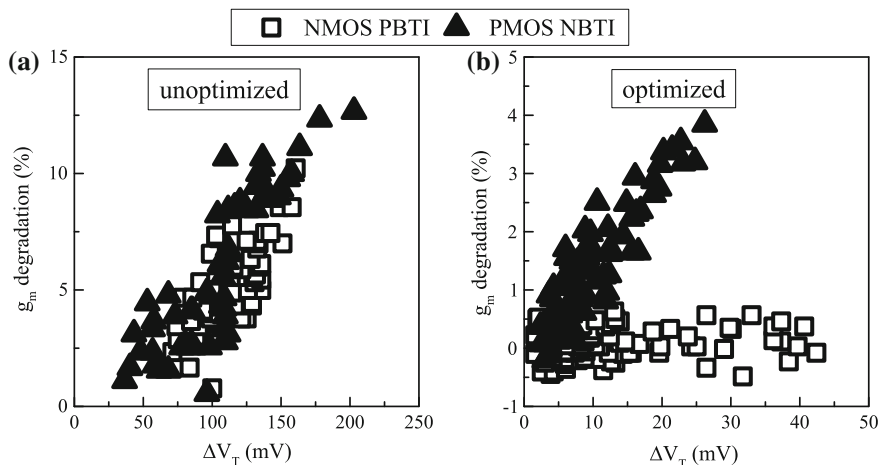
**Fig. 1.13** **a** Time evolution of  $\Delta V_T$  for PBTI stress in HKMG n-MOSFETs with different quality of gate insulator stacks. **b** Fixed time  $\Delta V_T$  as a function of oxide field  $E_{OX}$  in a log–log plot, for different HKMG production quality devices. Data from [16, 17, 54]

The “initial” or premature process shows very large  $\Delta V_T$  and  $\Delta g_m$  for both NBTI and PBTI stress. Process optimization helps in reducing  $\Delta V_T$  for both NBTI and PBTI stress. Interestingly, the optimized process shows reduced but non-negligible  $\Delta g_m$  for NBTI but negligible  $\Delta g_m$  for PBTI stress. Note, peak  $g_m$  degradation can be related to channel mobility degradation and is due to enhanced Coulomb scattering by BTI induced charges in the gate insulator. The presence of  $g_m$  degradation for NBTI is consistent with the fact that NBTI causes charge buildup in the  $\text{SiO}_2$  (or  $\text{SiON}$ ) IL, which is nearer to the MOSFET channel. Process optimization helps in improving the IL quality and reduces buildup of charges during NBTI stress, and results in lower  $\Delta V_T$  and  $\Delta g_m$ .

On the other hand, large  $\Delta g_m$  for PBTI stress in premature devices implies degradation of the IL in addition to the High-K layer. However, IL degradation is negligible for PBTI stress in well-optimized HKMG process, and charge buildup happens only in the High-K layer that is further away from the channel. Therefore, the “final” HKMG process exhibits negligible  $\Delta g_m$  as shown. It is now universally believed that PBTI stress does not cause significant IL degradation in production quality n-MOSFET devices.

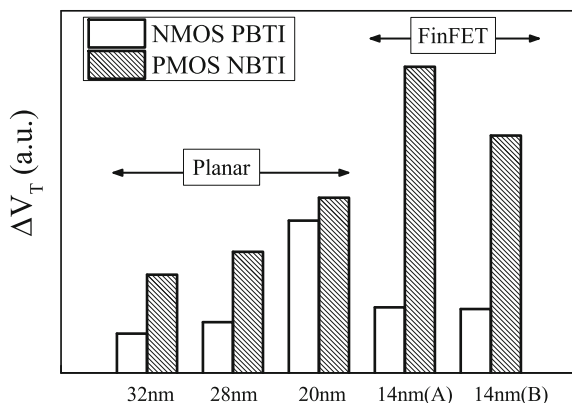
The relative magnitude of NBTI and PBTI degradation is of interest, since both mechanisms add up and can result in enhanced degradation of CMOS circuits for HKMG technologies. As mentioned before, BTI is strongly influenced by the gate insulator and other processes and hence is industry specific. For example, Fig. 1.15 plots NBTI and PBTI degradation measured in several production-quality HKMG technologies [18]. NBTI increases from 32 nm planar through 14 nm FinFETs, although reduction in NBTI is observed for optimized 14 nm process. This is similar to Fig. 1.11b [16, 17, 54] that shows increase in NBTI from 45 nm planar through 22 nm FinFET processes, and latest results [24] that show a reduction in





**Fig. 1.14** Correlation of peak  $g_m$  degradation to  $V_T$  shift for NBTI and PBTI stress in HKMG MOSFETs, having **a** un-optimized and **b** optimized gate insulator stacks. Data from [16]

**Fig. 1.15** Relative NBTI and PBTI degradation in different HKMG technology nodes. Data from [18]



NBTI for 14 nm FinFETs. Figure 1.15 also shows that 32 and 28 nm planar HKMG technologies have higher NBTI than PBTI. However, PBTI increases and comparable NBTI and PBTI degradation has been observed for the planar 20 nm node. This is contrary to Fig. 1.13b data obtained from [16, 17, 54], which show reduction in PBTI degradation with scaling from 45 nm through 22 nm nodes. A possible explanation for this discrepancy is while RMG HKMG process has been used for all nodes in [16, 17, 54], the processes in [18] used Gate First (GF) HKMG scheme for 32 and 28 nm and RMG scheme for 20 nm technology nodes [58]. However, PBTI has reduced for 14 nm RMG HKMG FinFETs [18], similar to results shown in [24]. The process impact and physical mechanism of BTI will be explained later in this book.

Note that the HKMG BTI results presented in this section have been obtained by using slower methods. Although fair conclusions can be made on relative magnitude of degradation for different processes, slower methods fail to capture accurate magnitude of BTI. Ultra-fast characterization of DC and AC BTI in HKMG MOSFETs is presented later in this chapter.

### 1.3 Ultra-Fast Characterization of NBTI in SiON p-MOSFETs

In this section, NBTI is characterized in differently processed SiON p-MOSFETs by using Ultra-Fast On-The-Fly (UF-OTF)  $I_{DLIN}$  method [52]. As described in detail in Chap. 2, in UF-OTF method, the drain current in linear regime ( $I_{DLIN}$ ) is continuously monitored as the device is being stressed at  $V_G = V_{G-STR}$ , and time evolution of degradation is calculated from measured drain current degradation,  $\Delta I_{DLIN} (=I_{DLIN} - I_{DLIN0})$ , using the relation  $\Delta V = -\Delta I_{DLIN}/I_{DLIN0} * (V_{G-STR} - V_{T0})$ , where  $V_{T0}$  is pre-stress  $V_T$  and  $I_{DLIN0}$  is the first data point recorded at  $V_G = V_{G-STR}$ , within a time  $t_0$  of application of stress. The impact of  $t_0$  delay will be discussed in Chap. 2; all measurements in this section have been done using  $t_0 = 1 \mu s$ . Mobility degradation ( $\Delta\mu_{eff}$ ) needs to be considered for properly converting  $\Delta V$  to threshold voltage shift,  $\Delta V_T$ , which can be done using a post-processing correction algorithm described in [59], refer to Chap. 2 for further details.

Table 1.1 lists the gate insulator process details of different SiON p-MOSFETs studied in this section [43]. Plasma Nitrided Oxide (PNO) devices have been fabricated using Decoupled Plasma Nitridation (DPN) process [60] with suitable Post Nitridation Anneal (PNA) [47]. The ‘‘PNO with proper PNA’’ devices W1 through W5 have different starting  $SiO_2$  base oxide thickness and were subjected to different N dose during subsequent plasma nitridation, which results in different Equivalent Oxide Thickness (EOT) and N content of the gate insulator stack. PNO with non-optimized improper PNA (W6), and  $N_2O$  based Rapid Thermal Nitrided

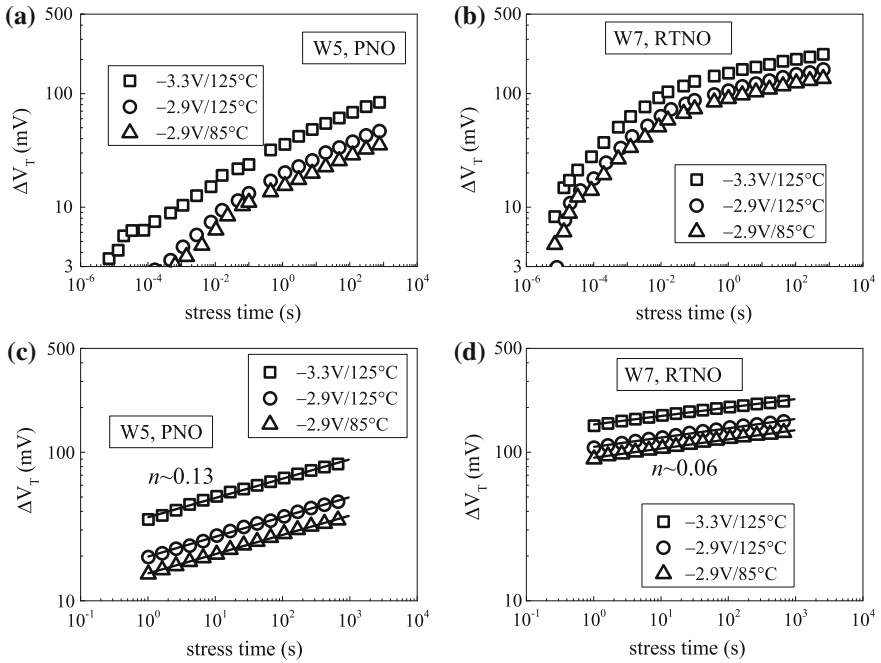
**Table 1.1** Details of SiON devices for NBTI study using UF-OTF method

Device no.	Type	Base oxide thickness (Å)	N dose ( $\times 10^{15} \text{ cm}^{-2}$ )	TXPS (Å)	EOT (Å)	% N
W1	PNO	15	0.0 + 2.8	18.48	14	23
W2	PNO	20	0.0 + 2.9	22.34	17.7	20
W3	PNO	20	0.0 + 5.3	23.16	15.6	35
W4	PNO	20	0.0 + 6.8	24.37	14.6	43
W5	PNO	25	0.0 + 3.1	28.3	23.5	17
W6	PNO (moderate PNA)	20	0.0 + 2.7	24.09	20.2	17
W7	RTNO	25	0.8 + 0.0	26.43	22.5	6

Oxide (RTNO) devices (W7) [40] are also fabricated. The atomic N content (N%) of SiON dielectrics is extracted using XPS measurements [46].

### 1.3.1 Process Impact on Threshold Voltage Degradation

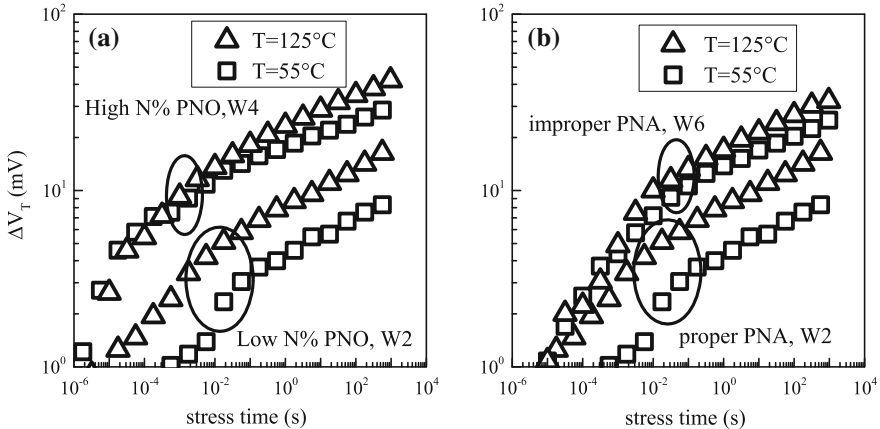
Figure 1.16 shows time evolution of  $\Delta V_T$  in (a) PNO and (b) RTNO SiON devices at different stress bias ( $V_{G-STR}$ ) and temperature ( $T$ ). Figure 1.16c, d re-plot the above data but for longer stress time,  $t_{STR}$ . The devices have similar EOT, and the oxide field during stress is estimated as  $E_{OX} = (V_{G-STR} - V_{T0})/EOT$ , EOT being the SiO<sub>2</sub> equivalent oxide thickness. In spite of lower N dose, RTNO device shows much larger NBTI degradation as compared to PNO device at identical  $E_{OX}$  and  $T$ . As mentioned before, although overall N content is high, N density at the Si/SiON interface is lower for PNO compared to RTNO process [14], and it is the Si/SiON N density that actually controls NBTI degradation.  $\Delta V_T$  time evolution increases rapidly at shorter time ( $t_{STR} < 1$  s), and shows power law dependence at



**Fig. 1.16** Time evolution of  $\Delta V_T$  from short to long stress time for **a** PNO and **b** RTNO SiON p-MOSFETs under NBTI stress at different  $V_{G-STR}$  and  $T$ . Data obtained from UF-OTF measurements after mobility correction. Re-plot of long-time  $\Delta V_T$  time evolution data for **c** PNO and **d** RTNO SiON p-MOSFETs

longer time ( $t_{STR} > 10$  s), with an exponent ( $n$ ) that is higher for PNO compared to RTNO devices. However for a particular PNO or RTNO device, similar  $n$  values are observed across different  $E_{OX}$  and  $T$ . It is interesting to note that appreciable degradation is observed in the sub-1 ms time scale for RTNO devices, which is not observed for PNO devices. Furthermore, the large, sub-1 ms degradation in RTNO devices has weak  $T$  activation but non-negligible  $E_{OX}$  dependence as shown. Overall, PNO devices show stronger  $E_{OX}$  dependence and  $T$  activation compared to RTNO devices.

Figure 1.17 shows time evolution of  $\Delta V_T$  at different stress  $T$ , in PNO-SiON devices having (a) proper PNA process but different PNO N dose, as well as (b) proper and improper PNA processes and different N dose. In (b), the N content for the proper PNA process is higher than that for the improper PNA process; refer to Table 1.1. As expected,  $\Delta V_T$  increases with increase in N dose for proper PNA devices as shown in Fig. 1.17a. The long-time power-law time exponent ( $n$ ) reduces with increased N dose. Moreover, PNO devices with high N dose show very high, but weak  $T$  activated degradation in the sub-1 ms time scale. Therefore, PNO devices with proper PNA but very high N dose behave quite similar to RTNO devices, as shown in Fig. 1.16b. On the other hand, Fig. 1.17b shows that in spite of having relatively lower N dose, improper PNA devices show very large overall  $\Delta V_T$ , as well as very high, weak  $T$  activated degradation in the sub-1 ms time scale. The power-law time exponent ( $n$ ) at longer  $t_{STR}$  is much lower for improper PNA devices. Therefore, in spite of lower N dose, improper PNA-PNO devices also behave similar to RTNO devices, and Fig. 1.17b shows the importance of utilizing proper PNA [47] after N incorporation using the DPN process [60]. Figures 1.16



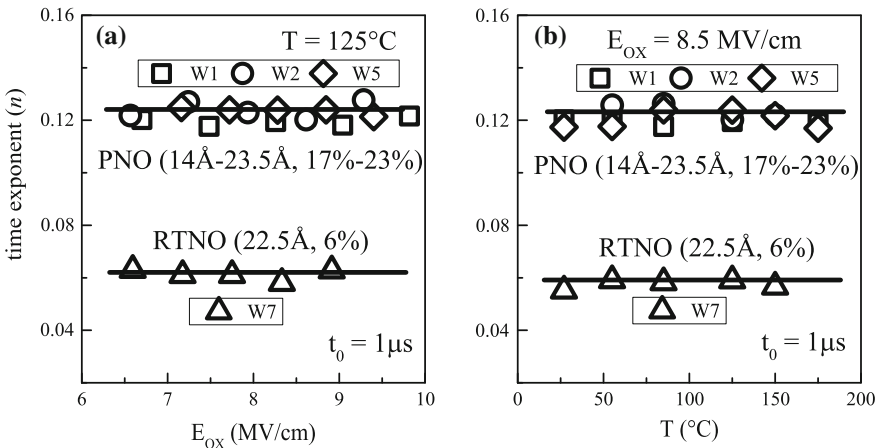
**Fig. 1.17** Time evolution of  $\Delta V_T$  from short to long stress time for PNO SiON p-MOSFETs having **a** different N dose and **b** different PNA, under NBTI stress at different  $T$ . Data obtained from UF-OTF measurements after mobility correction

and 1.17 clearly demonstrate that SiON gate insulator process has significant impact on NBTI degradation. Studying gate insulator process dependence helps understand the underlying NBTI physical mechanism, which is explained and modeled later in this book.

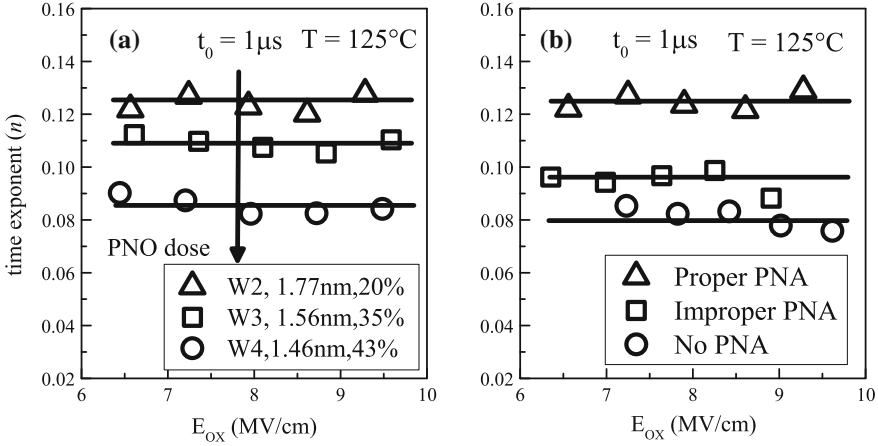
### 1.3.2 Process Impact on NBTI Parameters

The power-law time exponent ( $n$ ) corresponding to longer time BTI degradation is of significant interest, since it determines the extrapolation of measured data to end-of-life. Figure 1.18 plots the exponent ( $n$ ) as a function of (a) stress  $E_{OX}$  and (b) stress  $T$  for RTNO-SiON and different PNO-SiON devices;  $n$  is extracted from linear regression of  $\Delta V_T$  time evolution data in  $t_{STR}$  range of 10 s to 1 Ks. For all devices, similar values of  $n$  (within experimental error) have been obtained for different stress  $E_{OX}$  (or  $V_{G-STR}$ ) and  $T$ . PNO devices having different EOT and low to moderately high N dose have similar  $n$ , which is much larger compared to RTNO devices. Note that the magnitudes of  $\Delta V_T$  and  $n$  are always reciprocal to each other. In spite of having lower N dose, RTNO device shows higher  $\Delta V_T$  and lower  $n$  compared to PNO devices, as evident from Figs. 1.16 and 1.18.

Figure 1.19 plots stress  $E_{OX}$  dependence of time exponent ( $n$ ) for PNO-SiON devices having (a) proper PNA process but different N dose, as well as (b) proper and improper PNA processes respectively with relatively higher and lower N dose. Increase in N dose for proper PNA process and the improper PNA process result in lower  $n$  values as shown. Once again, lower  $n$  values are exactly reciprocal to higher  $\Delta V_T$  values for these processes as shown in Fig. 1.17.



**Fig. 1.18** Extracted long-time power law time exponent  $n$  versus **a** stress  $E_{OX}$  and **b** stress  $T$ , for NBTI stress in p-MOSFETs having PNO and RTNO SiON gate insulators. PNO devices have different N content and EOT



**Fig. 1.19** Extracted long-time power law time exponent  $n$  versus stress  $E_{OX}$  for NBTI stress in PNO SiON p-MOSFETs having **a** different N dose and **b** different PNA

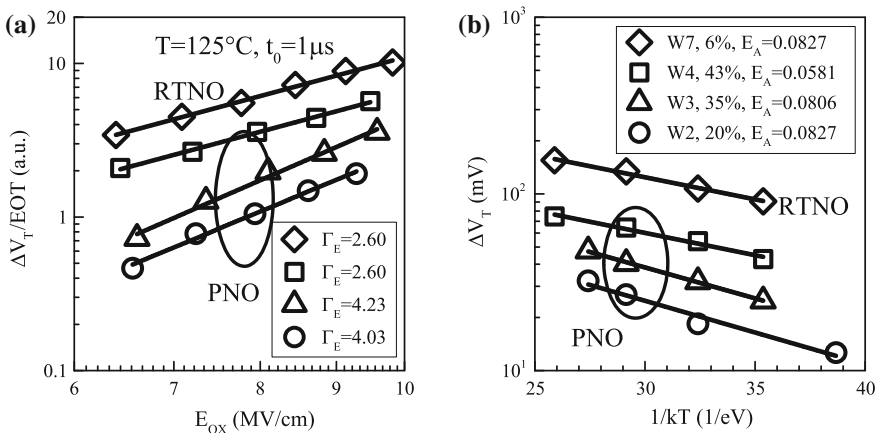
Before proceeding further, it is important to note that the observed values of  $n$  is dependent on the  $t_0$  delay for OTF measurements, and will be discussed further in Chap. 2. It is also important to highlight that several stress and measurement artifacts can impact the stress  $E_{OX}$  (or  $V_{G-STR}$ ) and  $T$  independence of measured  $n$  as observed in Figs. 1.18 and 1.19, and they are listed as follows:

- Additional contribution from TDDB like bulk trap generation  $\Delta N_{OT}$  can result in increased  $n$  values at longer  $t_{STR}$  for higher stress  $V_G$  and/or  $T$ , since  $\Delta N_{OT}$  demonstrates higher time exponent,  $V_{G-STR}$  acceleration and  $T$  activation than generated interface traps  $\Delta N_{IT}$  as mentioned before [32, 33, 61]; refer to Chap. 4 for additional details. Corruption of NBTI data by TDDB process will be discussed further in Chap. 2.
- Recovery related artifacts associated with relatively slower BTI measurements can result in increased  $n$  values at higher  $T$  [62], which is explained in detail elsewhere [63], and will be discussed in Chap. 2.
- In some situations,  $\Delta V_T$  magnitude can become high enough to significantly reduce the effective stress  $E_{OX}$  [64]. This negative feedback would cause saturation in  $\Delta V_T$  at higher stress time, resulting in lower  $n$  values. In such situations,  $n$  would reduce at higher stress  $V_G$  and  $T$ .
- Finally, as discussed later in this book, BTI induced  $V_T$  shift has two mutually uncorrelated components, generation of new defects and charging of process induced pre-existing defects; while the former evolves as power-law with stress time and has larger  $T$  activation, the later saturates quickly and has lower  $T$  activation. In certain situations, especially if BTI experiments are carried out over a wide range of  $T$ , charging of pre-existing defects would dominate at lower  $T$  and the generation of new defects would dominate at higher  $T$ , hence the time exponent ( $n$ ) would increase with increase in  $T$ .

Therefore, BTI stress and measurements must be carefully done to obtain similar values of time exponent ( $n$ ) across different stress  $E_{OX}$  (or  $V_{G-STR}$ ) and  $T$  as shown in Figs. 1.18 and 1.19.

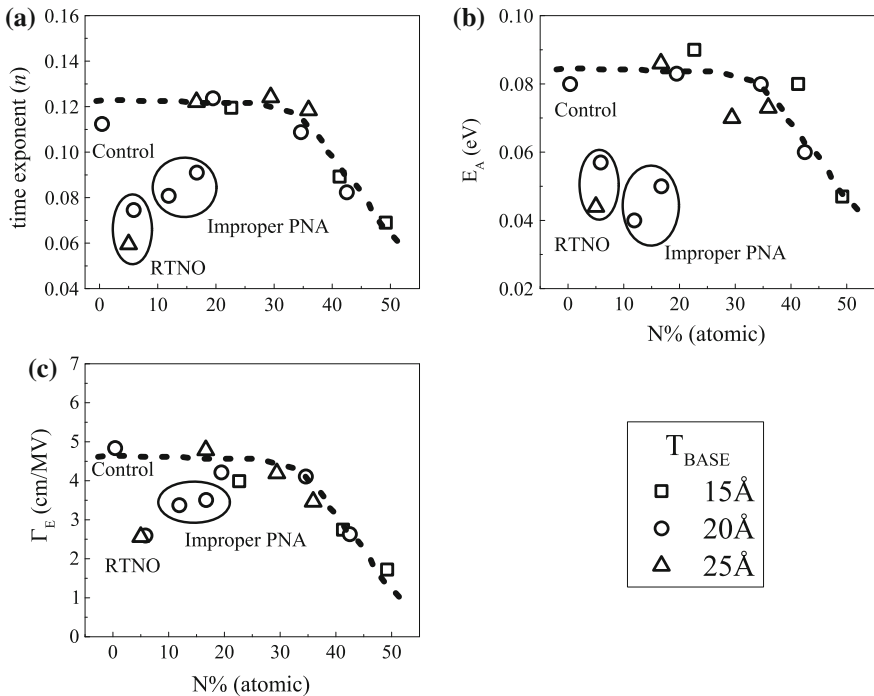
The observation of similar power-law time exponent ( $n$ ) for different  $E_{OX}$  and  $T$  implies that longer-time  $\Delta V_T$  versus  $t_{STR}$  data are parallel to each other when plotted in a log-log scale, as shown in Fig. 1.16c, d. Therefore,  $\Delta V_T$  at fixed  $t_{STR}$  can be extracted for different  $E_{OX}$  at constant stress  $T$ , and different stress  $T$  at constant  $E_{OX}$ , and the extracted  $E_{OX}$  and  $T$  dependence of  $\Delta V_T$  would therefore be independent of  $t_{STR}$ . The  $E_{OX}$  dependence of BTI can be used to extrapolate measured accelerated stress data to normal operating condition. The  $T$  dependence can be used to understand the underlying BTI physical mechanism, as discussed later in this book.

Figure 1.20 shows  $\Delta V_T$  at fixed  $t_{STR}$  as a function of (a) stress  $E_{OX}$  and (b) stress  $T$  for PNO with proper PNA devices having different N dose and RTNO devices. In spite of having lower N dose, RTNO devices show higher  $\Delta V_T$  when compared to PNO devices for a particular  $E_{OX}$  and  $T$ . Moreover, power-law field acceleration ( $\Gamma_E$ ) and Arrhenius  $T$  activation energy ( $E_A$ ) values are lower for RTNO compared to PNO devices. Note that since  $\Delta V_T$  shows power-law time dependence for longer stress time and the time exponent ( $n$ ) is similar across different  $E_{OX}$  and  $T$ , extracted  $\Gamma_E$  and  $E_A$  would be independent of the  $t_{STR}$  value used for  $\Delta V_T$  measurement. It is important to remark that unless  $n$  remains independent of  $E_{OX}$  and  $T$ , extracted  $\Gamma_E$  and  $E_A$  will have not much meaning as their magnitude would be dependent on the exact value of  $t_{STR}$  used for extraction. Therefore, it is important to ensure that the artifacts mentioned above are avoided while determining field acceleration and temperature activation of BTI degradation.



**Fig. 1.20** Fixed time  $\Delta V_T$  versus **a** stress  $E_{OX}$  and **b** stress  $T$ , for NBTI stress in SiON p-MOSFETs having PNO and RTNO gate insulators.  $E_{OX}$  dependence is shown in a log-log plot,  $T$  dependence in a semi-log plot. PNO devices have different N content and EOT

It is interesting to note from results presented in Figs. 1.16, 1.17, 1.18, 1.19, 1.20 that a particular SiON process that results in higher  $\Delta V_T$  magnitude also results in lower NBTI parameters  $n$ ,  $E_A$  and  $\Gamma_E$ . As a further demonstration of process dependence of NBTI parameters, Fig. 1.21 plots (a) power-law time exponent ( $n$ ) obtained in  $t_{STR}$  range of 10 s to 1 Ks, as well as (b) Arrhenius  $T$  activation energy ( $E_A$ ) and (c) power-law field acceleration factor ( $\Gamma_E$ ) as a function of atomic N% measured using XPS for different SiON processes [36, 43]. The control SiO<sub>2</sub> data are also shown, although it should be noted that the device suffers from Boron penetration from the poly-Si gate due to very low N content in the gate stack [65]. The PNO with proper PNA devices have different starting base oxide thickness and were subjected to different N dose, which resulted in different N% in the gate stack [43] as shown in Table 1.1. For these devices,  $n$ ,  $E_A$  and  $\Gamma_E$  reduce with increase in N%, and rapid changes are observed for N > 30 %, presumably due to large increase in N density at or near the Si/SiON interface. Furthermore, for a particular N%, RTNO and PNO without proper PNA devices show lower  $n$ ,  $E_A$  and  $\Gamma_E$  compared to the PNO with proper PNA devices. This is again attributed to relatively larger  $N$  concentration at the Si/SiON interface for RTNO and improper



**Fig. 1.21** a Power-law time exponent  $n$ , b  $T$  activation energy  $E_A$  and c  $E_{OX}$  acceleration factor  $\Gamma_E$  versus XPS measured atomic N% for NBTI stress in different SiON processes. PNO devices have different starting base oxide thickness and different N dose, resulting in different N%. Control SiO<sub>2</sub> data are also shown

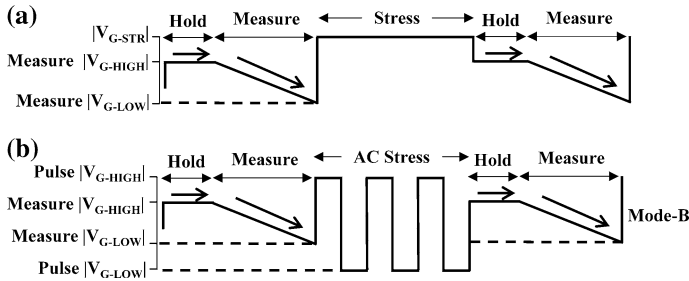


PNA-PNO devices. The impact of Nitrogen on NBTI parameters will be explained later in this book.

## 1.4 Ultra-Fast DC BTI Characterization in HKMG MOSFETs

Results presented in this and later sections of this chapter are obtained by Ultra-Fast Measure-Stress-Measure (UF-MSM) method, where transfer  $I_{DLIN}$  versus  $V_G$  characteristics are measured in approximately 10  $\mu$ s before and during logarithmically spaced intervals of BTI stress [66]. As illustrated in Fig. 1.22 and discussed in detail in Chap. 2, transfer  $I-V$  curves are measured for  $V_G$  sweeps ranging from  $\pm 1.2$  to  $\pm 0.6$  V, the “+” and “-” signs are for PBTI and NBTI measurements, respectively.  $V_T$  is extracted from measured  $I-V$  sweep data using the conventional “max- $g_m$ ” method [2].

Table 1.2 lists HKMG MOSFETs studied in this and following sections. The devices were fabricated using Gate First integration scheme having different Rapid Thermal Process (RTP) based ultra-scaled thermal IL layers. All devices have identical HfO<sub>2</sub> High-K thickness. EOT scaling has been achieved by fabricating RTP thermal IL having thickness of 5  $\text{\AA}$  (D1) and 3  $\text{\AA}$  (D2), post-High-K nitridation



**Fig. 1.22** Applied gate waveforms for (top) DC and (bottom) mode-B AC stress and UF-MSM measurements. Default hold time is 50 ns and sweep time is 10  $\mu$ s. Refer to Chap. 2 for additional details

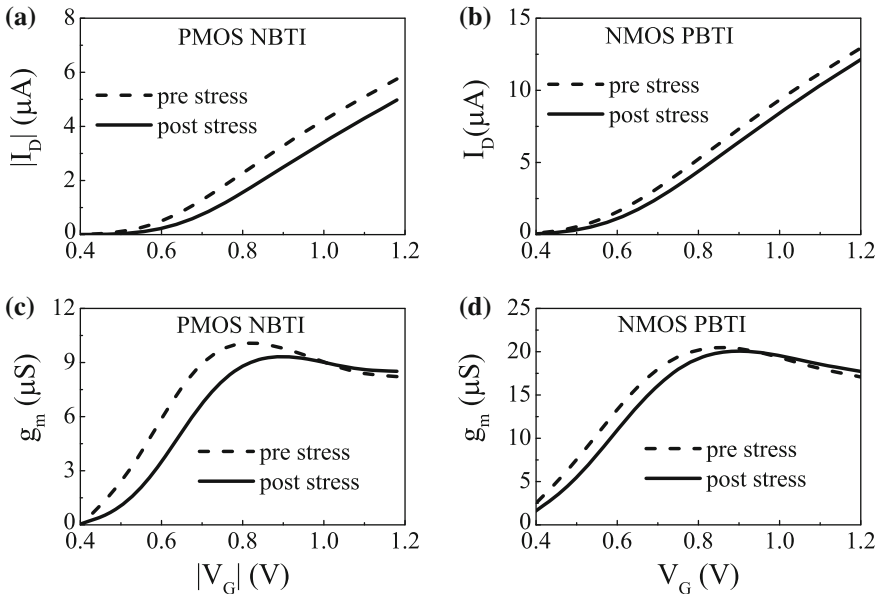
**Table 1.2** Details of HKMG devices for NBTI and PBTI study using UF-MSM method

Device no.	IL thickness ( $\text{\AA}$ )	High-K thickness ( $\text{\AA}$ )	Remarks
D1	5	23	Low-T RTP
D2	3	23	Low-T RTP
D3	2.5	23	Low-T RTP, PHKN after high-K deposition
D4	1.5	23	Low-T RTP in N ambient

of the 3 Å IL device (D3), and sub 2 Å IL using RTP on Nitrogen (N) surface passivated Si surface (D4), refer to [67] and Chap. 3, Fig. 3.2 for further details. All results shown in Sects. 1.4 and 1.5 are obtained from device D2 unless specifically mentioned otherwise.

### 1.4.1 Drain Current Degradation

Figure 1.23 shows transfer  $I_{DLIN}$  versus  $V_G$  characteristics measured before and after NBTI and PBTI stress respectively in (a) p-channel and (b) n-channel HKMG MOSFETs. Reduction in  $I_{DLIN}$  is observed for both NBTI and PBTI stress. NBTI results in negative shift and skew of the  $I$ - $V$  characteristics after stress, while PBTI only results in positive shift and negligible skew of the  $I$ - $V$  characteristics. Shift in  $I$ - $V$  characteristics after stress is a measure of  $\Delta V_T$  due to gate insulator charges; positive charges for NBTI causing negative  $\Delta V_T$ , while negative charges for PBTI causing positive  $\Delta V_T$ . The  $g_m$  versus  $V_G$  characteristics are also plotted in Fig. 1.23 before and after (c) NBTI and (d) PBTI stress. The presence of skew in  $I$ - $V$  characteristics implies transconductance degradation ( $\Delta g_m$ ) for NBTI stress, while negligible  $\Delta g_m$  is observed for PBTI stress, consistent with results shown



**Fig. 1.23** a, b  $I_{DLIN}$  versus  $V_G$  and c, d  $g_m$  versus  $V_G$  characteristics measured using the UF-MSM method before and after a, c NBTI and b, d PBTI stress respectively in p- and n-channel HKMG MOSFETs

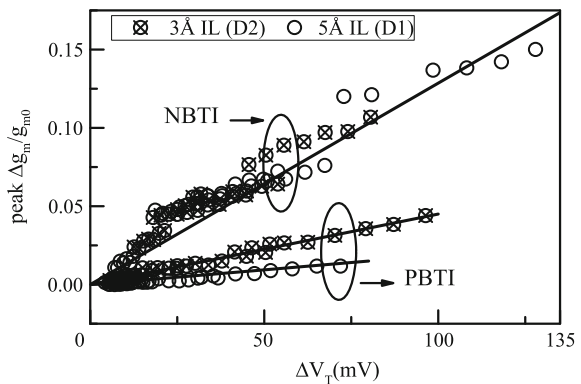
earlier in Fig. 1.14. Note that the term “transconductance degradation” after NBTI stress is applicable for peak  $g_m$  and for  $g_m$  corresponding to low  $V_G$  values, while interestingly, an apparent “improvement” is observed in  $g_m$  for high  $V_G$  values. The implication of this aspect will be discussed later in Chap. 2.

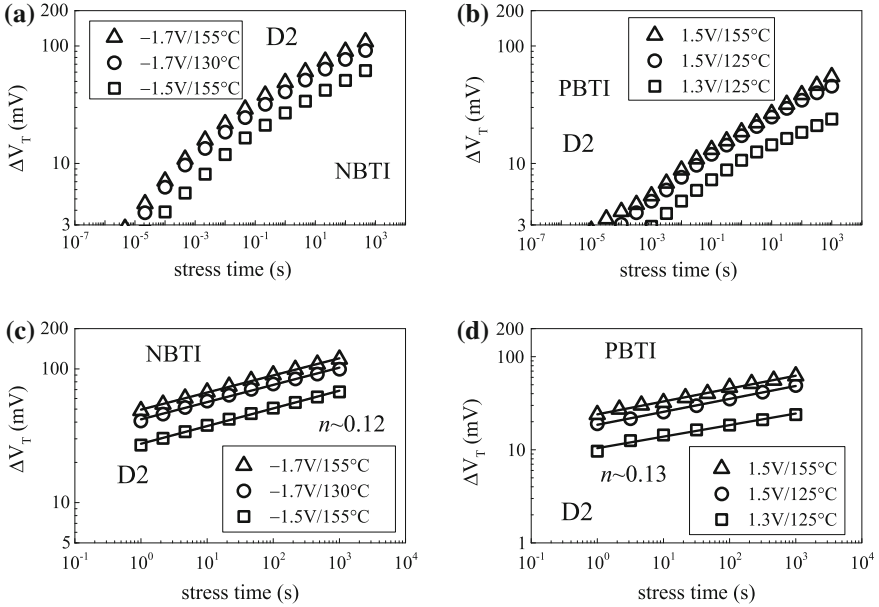
Figure 1.24 shows the correlation of peak  $\Delta g_m$  to  $\Delta V_T$  during NBTI and PBTI stress respectively in p- and n-channel HKMG MOSFETs. Two different devices D1 and D2 having different IL thickness of the HKMG gate insulator have been used. Note that these IL thicknesses are much smaller than the IL thickness of the devices shown in Fig. 1.14 [16]. The values of  $\Delta g_m$  and  $\Delta V_T$  are obtained from  $I-V$  characteristics for different intervals of BTI stress, the stress being performed at different  $V_{G-STR}$ . For a given  $\Delta V_T$ , NBTI shows much larger  $\Delta g_m$  than PBTI stress. Identical  $\Delta g_m$  to  $\Delta V_T$  correlation is observed for different IL thickness for NBTI stress. On the other hand, PBTI stress on devices having thicker IL has negligible  $\Delta g_m$ , while higher  $\Delta g_m$  for a given  $\Delta V_T$  is observed for PBTI stress on the gate stack with thinner IL. This is consistent with the fact that NBTI results in IL degradation while PBTI causes degradation of the  $\text{HfO}_2$  High-K layer. The increase in  $\Delta g_m$  for a given  $\Delta V_T$  for PBTI stress in thinner IL stack is due to increase in Coulomb scattering, since High-K charges come closer to the channel as IL is scaled. Once again, Fig. 1.24 shows absence of IL degradation during PBTI stress in well-optimized devices.

### 1.4.2 Threshold Voltage Degradation

Figure 1.25 shows time evolution of  $\Delta V_T$  from very short to long stress time ( $t_{STR}$ ) during (a) NBTI and (b) PBTI stress in p- and n-channel HKMG MOSFETs respectively, the stress being done at different  $V_{G-STR}$  and  $T$ . Figure 1.25c, d re-plot the same data for longer  $t_{STR}$ . As expected, enhanced BTI degradation is observed when stress is done at higher  $V_{G-STR}$  and  $T$ , which is true for both n- and p-channel

**Fig. 1.24** Correlation of  $\Delta g_m$  versus  $\Delta V_T$  for NBTI and PBTI stress respectively in p- and n-channel MOSFETs having different IL thickness of HKMG gate insulator stack



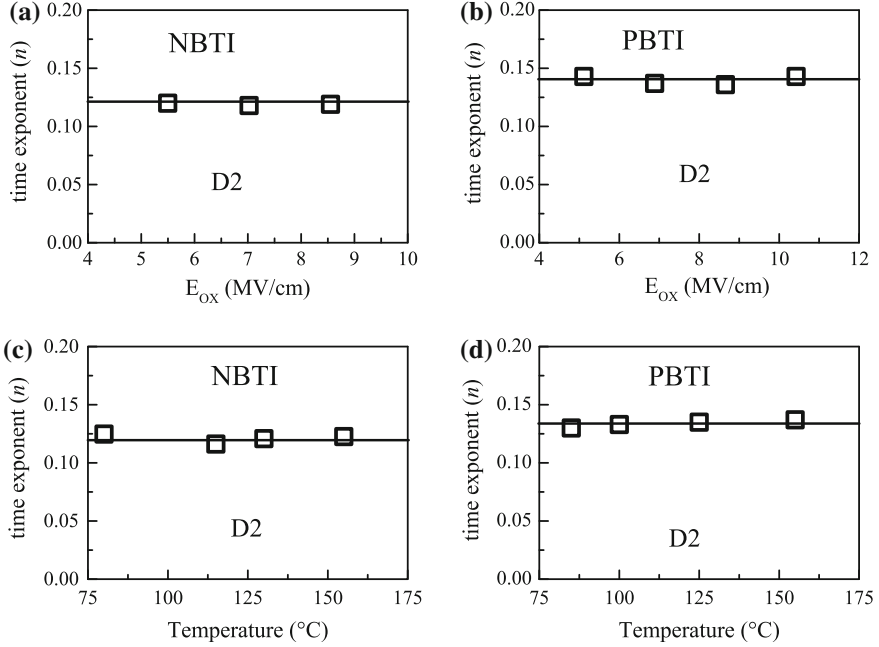


**Fig. 1.25** Time evolution of  $\Delta V_T$  from short to long stress time for **a** NBTI and **b** PBTI stress respectively in p- and n-channel HKMG MOSFETs at different  $V_{G-STR}$  and  $T$ . Data obtained from UF-MSM measurements. Re-plot of long-time  $\Delta V_T$  time evolution data for **c** NBTI and **d** PBTI stress

devices. Note that similar to NBTI in SiON p-MOSFETs,  $\Delta V_T$  for both NBTI and PBTI in HKMG MOSFETs also show rapid increase in time during the initial period of stress ( $t_{STR} < 1$  s), while power law time dependence ( $\Delta V_T \sim t^n$ ) is observed for relatively longer stress time ( $t_{STR} > 1$  s).

Figure 1.26 plots long-time power law time exponent ( $n$ ) as a function of (a, b) stress  $E_{OX}$  and (c, d) stress  $T$ , for both (a, c) NBTI and (b, d) PBTI stress respectively in p- and n-channel HKMG MOSFETs. The exponent is obtained by linear regression of measured  $\Delta V_T$  time-evolution data in  $t_{STR}$  interval of 10 s to 1 Ks. For this particular HKMG process, NBTI and PBTI show similar values of  $n$ ; moreover, the values of  $n$  are also similar across different stress  $E_{OX}$  and  $T$ . Note that the stress  $E_{OX}$  and  $T$  independence of  $n$  is similar to that observed for NBTI in SiON p-MOSFETs, and is obtained only when the artifacts mentioned in Sect. 1.3 do not influence BTI stress and measurements.

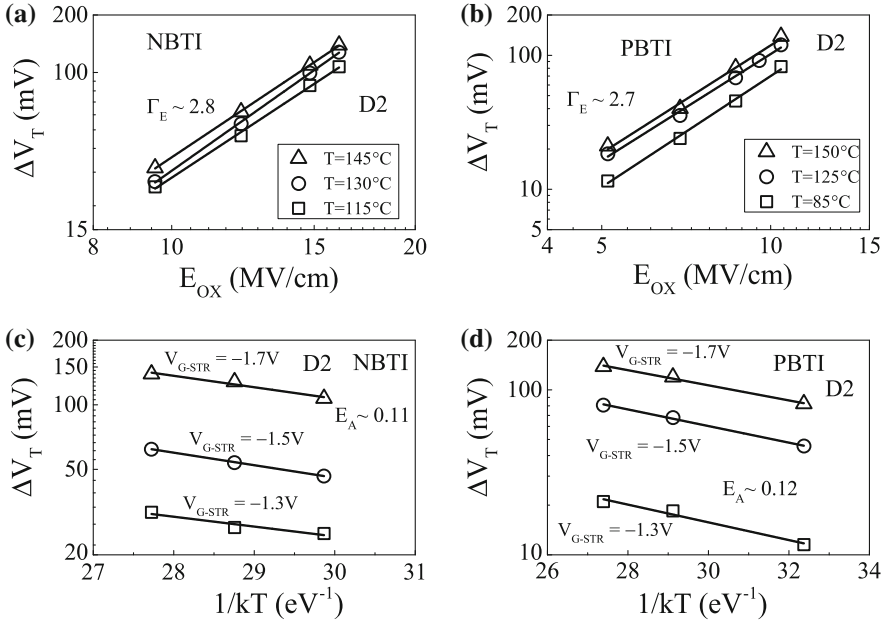
To evaluate the impact of stress  $E_{OX}$  and  $T$ , BTI stress tests were performed at three sets of  $T$ ; for each  $T$ , three sets of  $E_{OX}$  have been used, and the time evolution of  $\Delta V_T$  has been obtained. Figure 1.27 plots the (a, b) stress  $E_{OX}$  and (c, d) stress  $T$  dependence of  $\Delta V_T$  at a fixed  $t_{STR}$ , obtained from measured  $\Delta V_T$  time evolution data for (a, c) NBTI and (b, d) PBTI stress in p- and n-channel HKMG MOSFETs, respectively. The  $E_{OX}$  dependence of  $\Delta V_T$  is used to extract the power-law field acceleration factor ( $\Gamma_E$ ), which is found to be independent of  $T$ , as shown in



**Fig. 1.26** Extracted long-time power law time exponent  $n$  versus **a, b** stress  $E_{OX}$  and **c, d** stress  $T$ , for **a, c** NBTI and **b, d** PBTI stress respectively in p- and n-channel HKMG MOSFETs

Fig. 1.27a, b respectively for NBTI and PBTI stress. On the other hand,  $T$  dependence of  $\Delta V_T$  for three sets of  $E_{OX}$  is used to extract Arrhenius  $T$  activation energy ( $E_A$ ), which is found to be independent of  $E_{OX}$ , as shown respectively in Fig. 1.27c, d for NBTI and PBTI stress. Note that it is important to obtain parallel  $\Delta V_T$  versus  $t_{STR}$  curves when plotted in a log–log scale, or similar time exponent  $n$  across different stress  $E_{OX}$  and  $T$ , to obtain similar  $\Gamma_E$  and  $E_A$  at different  $t_{STR}$  as mentioned before. Therefore, the experiments must be free from different stress and measurement artifacts as mentioned in Sect. 1.3. Moreover, note that  $T$  independence of  $\Gamma_E$  and  $E_{OX}$  independence of  $E_A$  is also obtained only when BTI stress and measurements are free from the artifacts mentioned in Sect. 1.3.

As a counter example, lower than expected  $\Delta V_T$  would be measured at higher  $E_{OX}$  and/or higher  $T$  when BTI is impacted by stress saturation. In such situations, lower exponent  $n$  would be obtained at higher stress  $E_{OX}$  and  $T$ , the  $E_{OX}$  acceleration factor  $\Gamma_E$  would be lower at higher  $T$ , while the  $T$  activation energy  $E_A$  would be lower at higher  $E_{OX}$ , and the independence observed in Fig. 1.27 would be lost. In a similar way, recovery impact or TDDB traps would also corrupt extraction of  $\Gamma_E$  and  $E_A$ , since these effects would result in non-parallel  $\Delta V_T$  versus  $t_{STR}$  curves in a log–log plot or different  $n$  for different stress  $E_{OX}$  and  $T$ . Therefore, BTI stress and measurements must be carefully done to obtain mutually independent  $\Gamma_E$  and  $E_A$  values.



**Fig. 1.27** Fixed time UF-MSM measured  $\Delta V_T$  as a function of **a, b** stress  $E_{OX}$  for different stress  $T$  (log–log plot) and **c, d** stress  $T$  for different stress  $E_{OX}$  (semi-log plot) obtained under **a, c** NBTI and **b, d** PBTI stress respectively in p- and n-channel HKMG MOSFETs

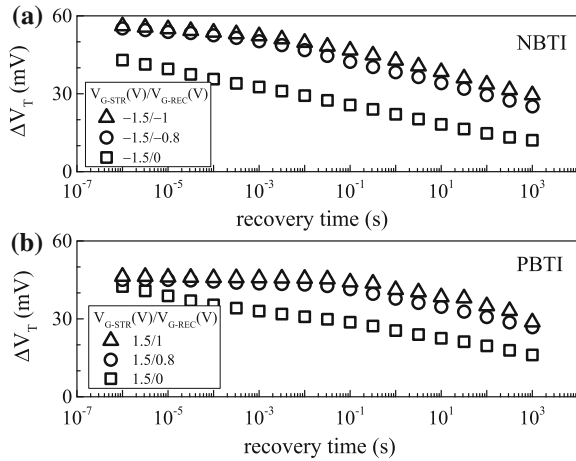
## 1.5 Ultra-Fast Characterization of BTI Recovery and AC Degradation in HKMG MOSFETs

As mentioned before, it is now well known that BTI degradation recovers after the reduction of stress  $V_G$  [31, 34]. On one hand, recovery poses a serious challenge to BTI measurements, as experimental data must be obtained to capture the true effect of stress with negligible impact of recovery. This is discussed in Chap. 2. On the other hand, recovery results in lower BTI degradation for AC stress, as buildup of  $\Delta V_T$  during pulse on phase partially recovers during pulse off phase. This “relief” in degradation obtained for AC BTI is of interest to all switching CMOS circuits, and is modeled in Chap. 6.

### 1.5.1 Recovery Measurements

Figure 1.28 shows the time evolution of  $\Delta V_T$  measured after DC (a) NBTI and (b) PBTI stress respectively in p- and n-channel HKMG MOSFETs. The devices were first stressed at a fixed  $V_{G-STR}$  and for a fixed duration of  $t_{STR}$ , and subsequently the  $V_G$  is reduced to a low value ( $V_G = V_{G-REC}$ ), and the recovery of  $\Delta V_T$  is

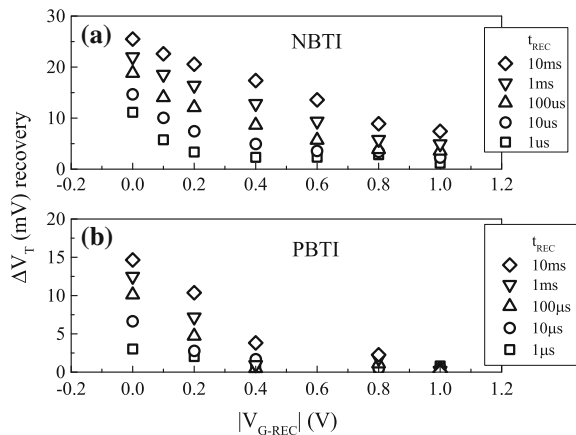
**Fig. 1.28** Time evolution of  $\Delta V_T$  recovery measured at different  $V_{G-REC}$  following **a** NBTI and **b** PBTI stress respectively in p- and n-channel HKMG MOSFETs. Data obtained from UF-MSM measurements



measured using 10  $\mu$ s UF-MSM method in logarithmic intervals of time. Three different values of  $V_{G-REC}$  have been used as shown, while MSM  $I-V$  sweeps were always performed in the  $V_G$  range of  $\pm 1.1$  to  $\pm 0.6$  V, the “+” and “-” signs respectively represent PBTI and NBTI measurements. Note that  $\Delta V_T$  starts to recover immediately after stress when the devices are recovered at  $V_{G-REC} = 0$  V. However, a delayed start of recovery is observed and overall magnitude of recovery is lower when recovery is done at higher  $|V_{G-REC}|$ . Interestingly, note that both NBTI and PBTI demonstrate very similar impact of recovery  $V_G$  as shown.

As a further illustration, Fig. 1.29 shows magnitude of  $\Delta V_T$  recovery as a function of recovery  $V_G$  for different recovery time ( $t_{REC}$ ). The recovery values are obtained from measured time evolution of  $\Delta V_T$  recovery after DC (a) NBTI and (b) PBTI stress in p- and n-channel HKMG MOSFETs respectively, while stress  $V_G$  and stress time were kept constant across all experiments. As shown, the magnitude of  $\Delta V_T$  recovery is governed by both  $V_{G-REC}$  and  $t_{REC}$ . In these HKMG devices, for

**Fig. 1.29** Magnitude of  $\Delta V_T$  recovery as a function of  $V_{G-REC}$ , for different recovery time following **a** NBTI and **b** PBTI stress respectively in HKMG p- and n-channel MOSFETs. Data obtained from UF-MSM measurements



a particular  $t_{\text{REC}}$ , lower  $\Delta V_{\text{T}}$  recovery is observed for  $|V_{\text{G-REC}}| > 0.6$  V, while the magnitude of  $\Delta V_{\text{T}}$  recovery significantly increases for  $|V_{\text{G-REC}}| \leq 0.4$  V, and similar behavior is observed for both NBTI and PBTI stress.

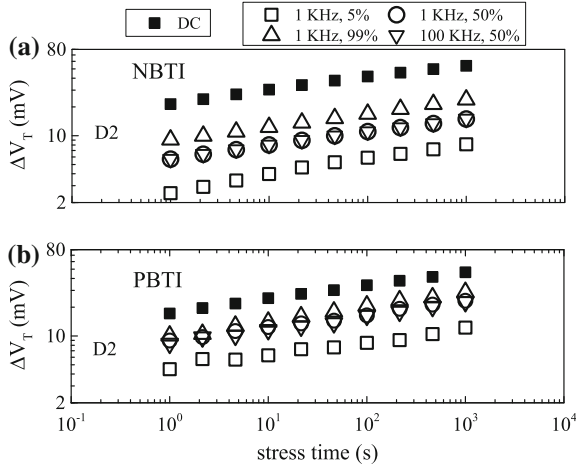
The information provided in Fig. 1.29 can be used as a guideline to determine the correct procedure for “recovery artifact free” BTI measurements. As discussed in detail in Chap. 2, BTI measurements are often performed by reducing  $V_{\text{G}}$  from stress, either by using full  $I_{\text{DLIN}}$  versus  $V_{\text{G}}$  sweep [66] or using  $I_{\text{DLIN}}$  measurement at a fixed  $V_{\text{G}}$  [62]. The measurement time and measurement  $V_{\text{G}}$  (fixed or sweep range) would determine the magnitude of BTI recovery. It is obvious that recovery would be higher for higher measurement or stress-off time, while recovery would also be higher if relatively lower  $|V_{\text{G}}|$  is used for end of sweep or one spot measurements. The sweep  $V_{\text{G}}$  range and sweep time for UF-MSM measurements used in these sections are chosen to keep BTI recovery at a minimum. Finally, it is important to note that many industry level BTI measurements are done using 1 ms delay where  $I_{\text{DLIN}}$  is recorded at a fixed, low  $V_{\text{G}}$  (close to pre-stress  $V_{\text{T}}$ ) value [62]. Such measurements would likely suffer from recovery related artifacts and need careful attention. This aspect is discussed in Chap. 2.

### 1.5.2 AC BTI Measurements

AC stress waveform having a particular pulse duty cycle (PDC) and frequency ( $f$ ) is applied to the gate, as shown in Fig. 1.22 and discussed in detail in Chap. 2, and full  $I$ - $V$  measurements are performed in 10  $\mu\text{s}$  before and during stress, by interrupting the stress at logarithmic intervals of time. The stress time,  $t_{\text{STR}}$  is recorded till the end of last full cycle as shown, and the net pulse on time would therefore depend on the value of PDC. Similar to DC stress,  $I$ - $V$  sweeps are done in the  $V_{\text{G}}$  range of  $\pm 1.1$  to  $\pm 0.6$  V, the “+” and “-” signs represent PBTI and NBTI measurements, respectively. Note that it is necessary to use identical measurement delay and sweep bias range for DC and AC experiments, to determine proper AC/DC BTI ratio. This aspect will be discussed in Chap. 2.

Figure 1.30 shows time evolution of  $\Delta V_{\text{T}}$  for AC (a) NBTI and (b) PBTI stress respectively in p- and n-channel HKMG MOSFETs. AC gate pulse with different PDC and  $f$  but identical  $V_{\text{G-STR}}$  and  $T$  have been used; note that  $V_{\text{G-STR}}$  for AC stress denotes the pulse high value ( $V_{\text{G-HIGH}}$ ). Pulse low value ( $V_{\text{G-LOW}}$ ) is kept at 0 V unless mentioned otherwise. As mentioned before,  $t_{\text{STR}}$  for AC stress is the time during which AC pulse is applied to gate, while the actual stress happens only during the pulse on time, given by the value of  $\text{PDC} * t_{\text{STR}}$ . Only long  $t_{\text{STR}}$  values of  $\Delta V_{\text{T}}$  are plotted, which shows power-law time evolution with similar time exponent  $n$  across different PDC and  $f$ . As shown,  $\Delta V_{\text{T}}$  increases at higher PDC but remains independent of  $f$  for both NBTI and PBTI stress. The DC stress data are plotted for reference, which show higher  $\Delta V_{\text{T}}$  when compared to AC stress. As mentioned before, AC BTI is lower than its DC counterpart due to recovery;  $\Delta V_{\text{T}}$  increases with increase in PDC due to reduction in pulse off or recovery time.





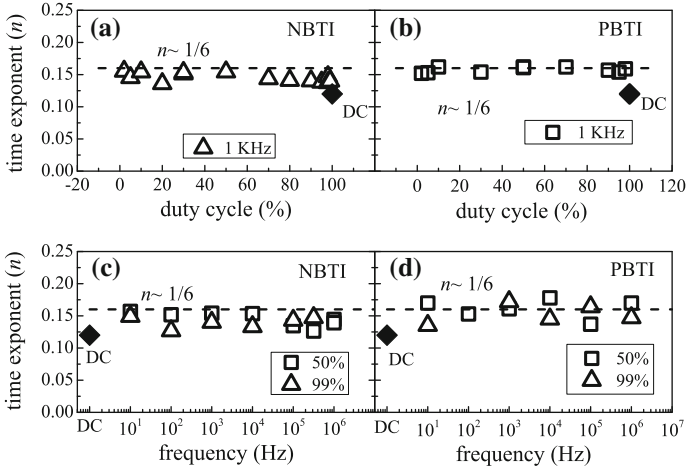
**Fig. 1.30** Time evolution of  $\Delta V_T$  for AC **a** NBTI and **b** PBTI stress respectively in p- and n-channel HKMG MOSFETs at different pulse duty cycle and frequency. Time evolution of  $\Delta V_T$  for DC NBTI and PBTI stress is also shown. Data obtained from UF-MSM measurements

On the other hand, for a particular PDC, the net pulse on and off times remain identical for AC pulses having different  $f$  and AC BTI is independent of  $f$ . The PDC and  $f$  dependence of BTI will be explained and modeled later in this book.

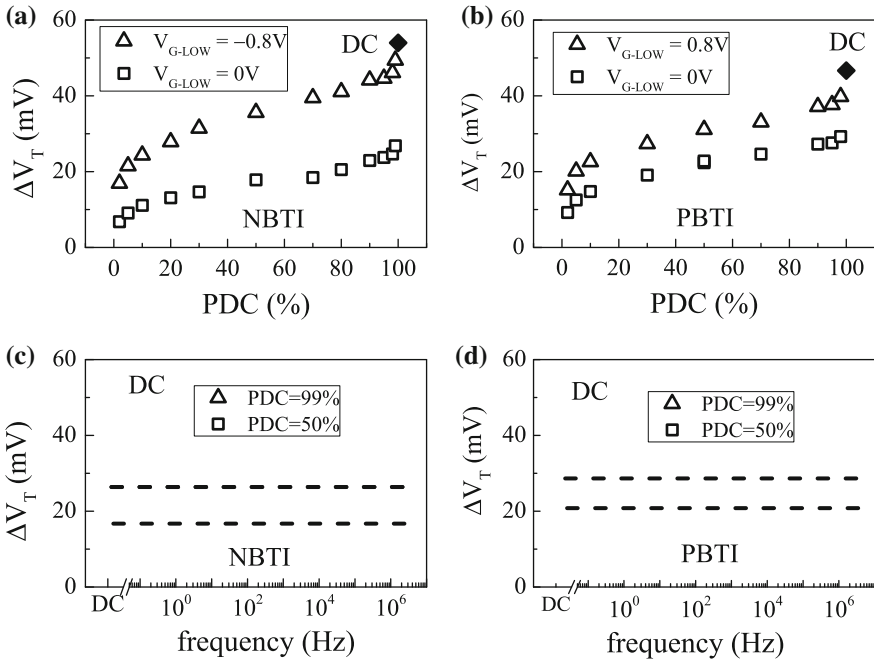
Figure 1.31 plots the measured time exponent  $n$  for AC (a, c) NBTI and (b, d) PBTI stress for different (a, b) PDC and (c, d)  $f$  of the gate pulse. All experiments were performed at identical  $V_{G-STR}$  and  $T$ , and as before, the exponent  $n$  is extracted by linear regression of measured data in  $t_{STR}$  range of 10 s to 1 Ks. The DC value is also shown as reference. Note that  $n$  for AC stress remains independent of PDC and  $f$ , and has higher value when compared to DC stress. Moreover, similar values of  $n$  are obtained for NBTI and PBTI for both DC and AC stress. The physical mechanism responsible for different  $n$  for AC and DC BTI will be discussed later in this book.

Figure 1.32 plots  $\Delta V_T$  at fixed  $t_{STR}$  for AC (a, c) NBTI and (b, d) PBTI stress in p- and n-channel HKMG MOSFETs, respectively. Experiments were performed at different PDC and constant  $f$ , see Fig. 1.32a, b, and at different  $f$  and constant PDC, see Fig. 1.32c, d, for identical  $V_{G-STR}$  and  $T$ . In addition to the default pulse low ( $V_{G-LOW}$ ) value of 0 V, the PDC dependent experiments were also done at higher  $|V_{G-LOW}|$  of 0.8 V, while  $V_{G-STR}$  or pulse high value is kept constant. On the other hand, the  $f$  dependence is studied at different PDC. As mentioned before,  $t_{STR}$  for AC stress is the time for which the AC pulse is applied, while the actual stress time will be governed by PDC and hence the pulse on time. The corresponding DC data at identical  $T$ ,  $V_{G-STR}$  and  $t_{STR}$  are also shown.

The PDC dependence of  $\Delta V_T$  demonstrates a typical “S” curve for both NBTI and PBTI stress as shown respectively in Fig. 1.32a, b. Note that  $\Delta V_T$  increases with increase in PDC and a “kink” or “jump” in  $\Delta V_T$  magnitude is observed for both NBTI and PBTI, between high PDC AC and DC stress. For a particular PDC,



**Fig. 1.31** Extracted long-time power law time exponent  $n$  versus **a, b** pulse duty cycle and **c, d** frequency, for AC **a, c** NBTI and **b, d** PBTI stress respectively in p- and n-channel HKMG MOSFETs. DC data are shown as reference



**Fig. 1.32** Fixed time UF-MSM measured  $\Delta V_T$  versus **a, b** pulse duty cycle and **c, d** frequency, obtained for AC **a, c** NBTI and **b, d** PBTI stress respectively in p- and n-channel HKMG MOSFETs. DC data are shown as reference. PDC dependence is shown for different  $V_{G-LOW}$ ,  $f$  dependence shown for different PDC

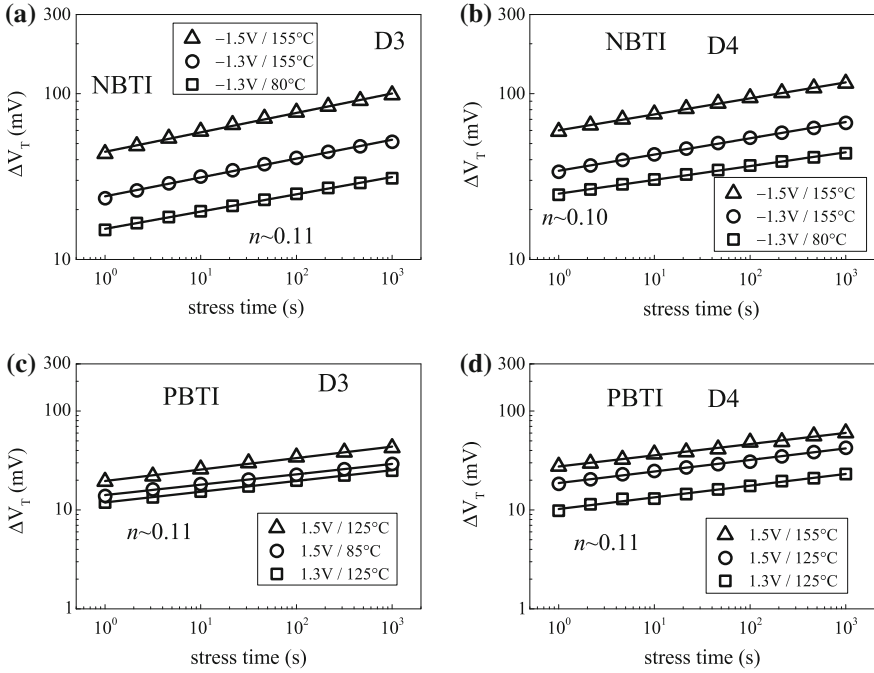
the AC/DC ratio depends on the pulse low value; higher  $\Delta V_T$  for AC stress is observed when AC stress pulse has relatively higher  $|V_{G-LOW}|$ . This is observed for both NBTI and PBTI and is fully consistent with lower  $\Delta V_T$  recovery for higher  $|V_{G-REC}|$  as shown in Fig. 1.29. On the other hand,  $f$  independence of  $\Delta V_T$  is observed for different PDC and for both NBTI and PBTI stress, as shown, respectively, in Fig. 1.32c, d. The dependence of BTI degradation on PDC,  $f$  and  $V_{G-LOW}$  of stress AC gate pulse will be explained and modeled later in this book.

## 1.6 Ultra-Fast Characterization of the Impact of HKMG EOT Scaling on BTI

As shown in Fig. 1.1, HKMG gate insulator stack consists of two layers; SiO<sub>2</sub> (or SiON) based IL and High-K dielectrics. The present state-of-the-art HKMG gate insulator stacks used in sub 20 nm technology nodes have Chemical Oxide (Chem-Ox) IL and HfO<sub>2</sub> High-K layers, having thicknesses of  $\sim 6\text{--}7$  and  $\sim 15\text{--}18$  Å, respectively [15–18]. It is difficult to reduce the HfO<sub>2</sub> High-K thickness from its present value of  $\sim 15\text{--}18$  Å due gate leakage, and further EOT scaling can be achieved by either nitridation of the gate stack after High-K deposition or by reducing the IL thickness, as discussed in detail elsewhere [67]. Note that reducing the High-K thickness by 1 Å reduces EOT of the gate stack only by 0.2 Å, but increases the gate leakage current ( $I_G$ ) by 10× [68], and is not beneficial. On the other hand, reduction of IL thickness by 1 Å reduces the gate stack EOT by the same amount, while the gate leakage increases by 10× for every 2 Å reduction in IL thickness. Therefore, IL thickness scaling is more beneficial than High-K thickness scaling. Oxygen scavenging method has been used for Chem-Ox IL scaling [69]; the scaled stacks have good leakage and mobility but suffer from severe increase in BTI degradation [58]. On the other hand, Rapid Thermal Process (RTP) based thermal IL has been successfully scaled down to a thickness of less than 2 Å [67], as shown in Table 1.2, and the scaled gate stacks demonstrate good leakage, mobility as well as BTI reliability. In this section, the impact of EOT scaling of thermal IL stacks, achieved by gate insulator nitridation following High-K deposition as well as IL thickness scaling, on DC BTI is studied. As mentioned before, BTI degradation is characterized using 10 μs UF-MSM method.

### 1.6.1 Effect of Nitrogen (N) Incorporation

Figure 1.33 shows  $\Delta V_T$  time evolution during (a, b) NBTI and (c, d) PBTI stress in p- and n-channel HKMG MOSFETs, respectively. The gate insulator stacks of these devices were fabricated (a, c) with nitridation after High-K deposition (D3) and (b, d) RTP IL growth on N passivated Si surface (D4), as shown in Table 1.2 and described in detail in Chap. 3, refer to Fig. 3.2. Since nitridation changes the



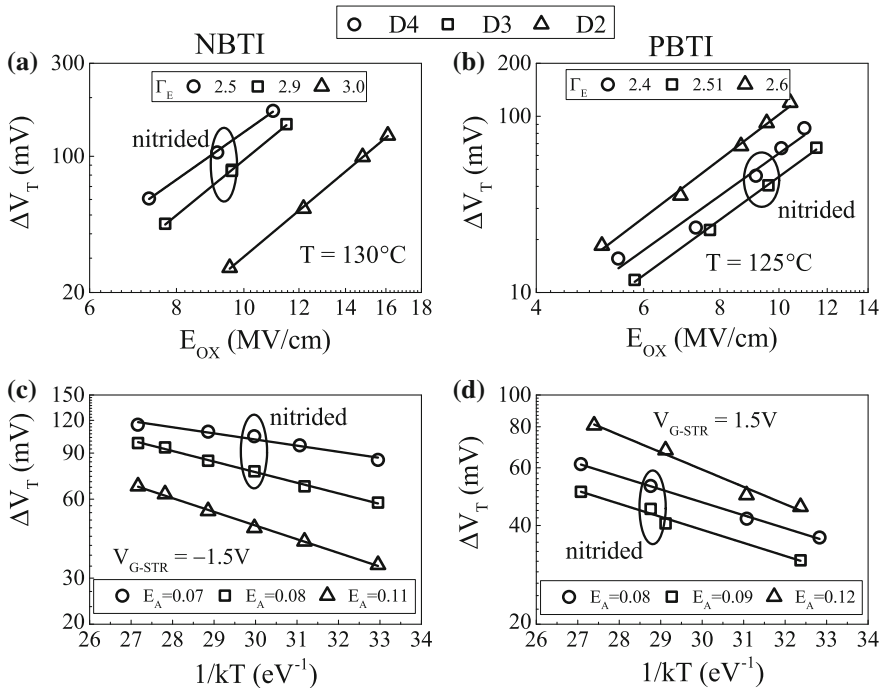
**Fig. 1.33** Time evolution of  $\Delta V_T$  for **a, b** NBTI and **c, d** PBTI stress respectively in p- and n-channel HKMG MOSFETs with gate stacks having **a, c** post High-K nitridation (D3) and **b, d** nitrided IL (D4); refer to Table 1.2 for device details. Data obtained from UF-MSM measurements

EOT of the gate insulator,  $V_{G-STR}$  has been adjusted to obtain identical  $E_{OX}$  during stress. Once again,  $E_{OX}$  is obtained using a simple formula of  $(V_{G-STR} - V_{T0})/EOT$ , where  $V_{T0}$  is pre-stress  $V_T$ .

Only the long  $t_{STR}$  data measured at different stress  $E_{OX}$  and  $T$  are plotted. Similar to non-nitrided devices shown in Fig. 1.25, measured  $\Delta V_T$  data in different type of nitrided devices also demonstrate power law time dependence; the time exponent  $n$ , extracted in  $t_{STR}$  range of 10 s to 1 Ks, is always lower for nitrided devices as compared to their non-nitrided counterparts for both NBTI and PBTI stress. Similar to the non-nitrided device, measured  $n$  for nitrided device is also independent of stress  $E_{OX}$  and  $T$  for both NBTI and PBTI stress, as long as the artifacts mentioned in Sect. 1.3 are avoided. For identical stress  $E_{OX}$  and  $T$ , NBTI shows higher  $\Delta V_T$  for the nitrided device D3 compared to its not nitrided counterpart D2, refer to Figs. 1.25 and 1.33. Note that the impact of N on NBTI magnitude and time exponent  $n$  is exactly identical for SiON and HKMG p-MOSFETs. However device D3 shows lower  $\Delta V_T$  compared to device D2 for PBTI stress, and therefore, N has just the opposite impact on PBTI magnitude when compared to NBTI stress. However, similar to NBTI, N also results in lower  $n$  for PBTI stress as shown. Process impact of NBTI and PBTI is modeled in Chap. 4.

Figure 1.34 plots (a, b) stress  $E_{OX}$  and (c, d) stress  $T$  dependence of measured  $\Delta V_T$ , obtained at fixed  $t_{STR}$  for (a, c) NBTI and (b, d) PBTI stress respectively in p- and n-channel HKMG MOSFETs. Results are shown for thermal IL based gate insulator stacks without (D2) and with (D3) post High-K nitridation, and also with N passivated IL (D4), refer to Table 1.2. The  $E_{OX}$  dependence experiments were performed at constant  $T$ , while  $T$  dependence is studied at constant  $E_{OX}$ . Note that for any  $E_{OX}$  and  $T$ , devices having N in the gate stack show higher  $\Delta V_T$  for NBTI but lower  $\Delta V_T$  for PBTI when compared to non-nitrided device. Moreover, the nitrided devices demonstrate lower power-law field acceleration  $\Gamma_E$  and  $T$  activation  $E_A$  for both NBTI and PBTI stress, when compared to the non-nitrided device. Note that similar to non-nitrided devices, obtained  $\Gamma_E$  and  $E_A$  values are independent of  $t_{STR}$  since  $\Delta V_T$  shows power law time dependence with similar  $n$  across stress  $E_{OX}$  and  $T$ . Moreover,  $\Gamma_E$  is independent of stress  $T$  and  $E_A$  is independent of stress  $E_{OX}$ , not explicitly shown here for brevity, as the artifacts mentioned in Sect. 1.3 do not play a significant role.

Therefore, expect for the magnitude of  $\Delta V_T$  that increases for NBTI but reduces for PBTI, other BTI parameters such that time exponent ( $n$ ), field acceleration ( $\Gamma_E$ )

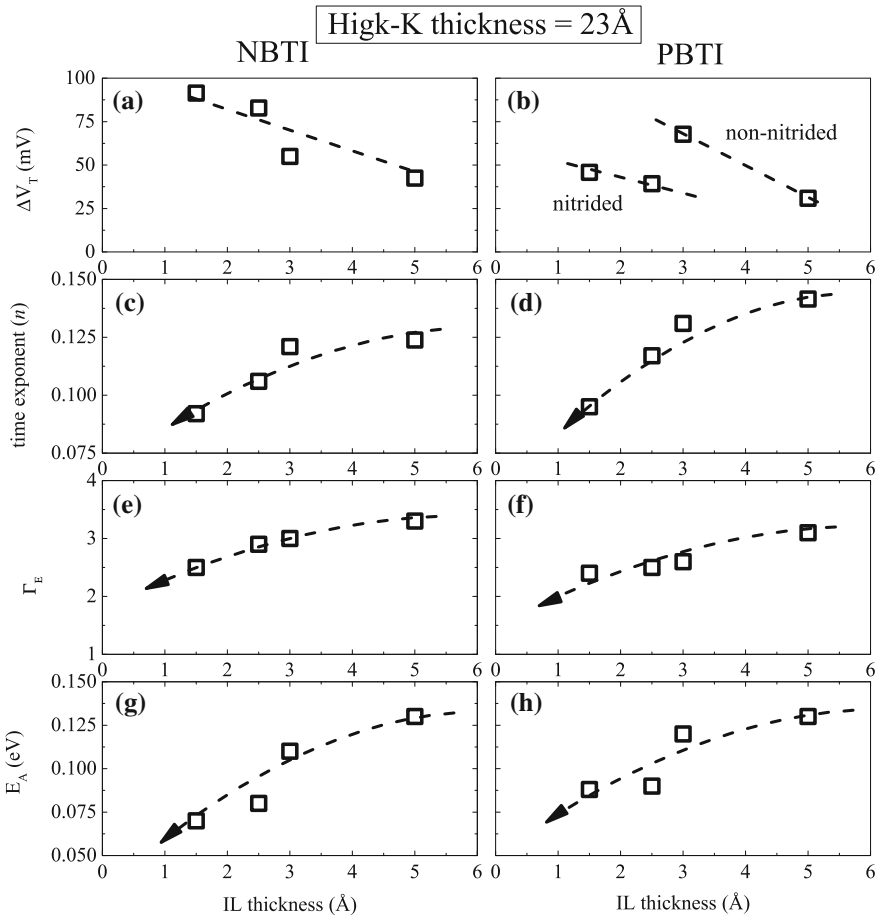


**Fig. 1.34** Fixed time UF-MSM measured  $\Delta V_T$  as a function of **a, b** stress  $E_{OX}$  and **c, d** stress  $T$ , obtained under **a, c** NBTI and **b, d** PBTI stress respectively in p- and n-channel MOSFETs having different HKMG gate insulator processes.  $E_{OX}$  dependence is shown in a log-log plot,  $T$  dependence in a semi-log plot

and Arrhenius  $T$  activation energy ( $E_A$ ) reduce when N is introduced in HKMG stacks. The mechanism responsible for the impact of N on NBTI and PBTI will be discussed later in this book.

### 1.6.2 Effect of Interlayer (IL) Scaling

Time evolution of  $\Delta V_T$  is measured during NBTI and PBTI stress respectively in p- and n-channel HKMG MOSFETs having RTP thermal IL based HKMG gate stacks



**Fig. 1.35** Interlayer (IL) thickness dependence of UF-MSM measured **a, b**  $\Delta V_T$  at fixed overdrive, **c, d** power-law time exponent  $n$ , **e, f** power-law  $E_{OX}$  acceleration factor  $\Gamma_E$ , and **g, h**  $T$  activation energy  $E_A$  for NBTI (left panels) and PBTI (right panels) stress respectively in p- and n-channel HKMG MOSFETs

of varying EOT as listed in Table 1.2, refer to Chap. 3 for additional details [67]. BTI stress has been performed and time evolution of  $\Delta V_T$  is measured at different  $V_{G-STR}$  and constant  $T$ , and different  $T$  at constant  $V_{G-STR}$ . The magnitude of  $\Delta V_T$  is extracted at identical gate overdrive ( $V_{G-STR} - V_{T0}$ ),  $T$  and  $t_{STR}$ , while the time exponent  $n$ , which is found to be independent of  $V_{G-STR}$  and  $T$  for all devices, is extracted by linear regression in the  $t_{STR}$  range of 10 s to 1 Ks. The power-law  $E_{OX}$  acceleration  $\Gamma_E$  and Arrhenius  $T$  activation  $E_A$  of  $\Delta V_T$  is extracted at fixed  $t_{STR}$  of 1 Ks. However as mentioned before, similar  $\Gamma_E$  and  $E_A$  values would be obtained at different  $t_{STR}$  as the devices show similar power-law time exponent  $n$  for different stress  $E_{OX}$  and  $T$ . Moreover,  $\Gamma_E$  has been found to be independent of stress  $T$  and  $E_A$  is independent of stress  $E_{OX}$  for all devices.

The measured data are plotted in Fig. 1.35 to show the IL scaling impact on (a, b)  $\Delta V_T$ , (c, d) time exponent  $n$ , (e, f) power-law field acceleration  $\Gamma_E$  and (g, h) Arrhenius  $T$  activation  $E_A$  for both NBTI and PBTI stress. Note that extreme EOT scaling is achieved by either post-High-K nitridation or by using N surface passivation before IL growth, and would imply higher N concentration for the two lowest EOT gate stacks.

It can be readily observed that  $\Delta V_T$  increases as EOT is scaled for NBTI stress. Although  $\Delta V_T$  increases with EOT scaling also for PBTI stress, the nitrided devices have lower  $\Delta V_T$  than non-nitrided devices as shown. Since experiments are performed at constant overdrive, EOT scaling results in higher  $E_{OX}$ . NBTI degradation increases with nitridation and increase in  $E_{OX}$  as EOT is scaled. On the other hand, PBTI degradation reduces due to nitridation but increases with increase in  $E_{OX}$  as EOT is scaled. The parameters  $n$ ,  $\Gamma_E$  and  $E_A$  reduce with EOT scaling for both NBTI and PBTI stress. The observed reduction in BTI parameters  $n$ ,  $\Gamma_E$  and  $E_A$  with IL scaling is consistent with the impact of N shown earlier in Figs. 1.33 and 1.34. The impact of EOT scaling on BTI magnitude and its parameters will be explained and modeled later in this book.

## 1.7 Summary

To summarize, NBTI is shown to degrade the performance of SiON and HKMG p-MOSFETs, while only HKMG n-MOSFETs suffer from PBTI issues. The gate insulator process is shown to significantly impact BTI degradation for both SiON and HKMG MOSFETs. The role of gate oxide quality, post metallization anneal, Nitrogen and Fluorine incorporation on NBTI degradation in SiO<sub>2</sub> and SiON p-MOSFETs and the impact of gate insulator processes on NBTI and PBTI degradation in HKMG MOSFETs are reviewed from published reports. The relative magnitude of NBTI and PBTI degradation in recent HKMG technologies is shown to be process and industry specific, although the latest RMG HKMG based FinFETs demonstrate higher NBTI and negligible PBTI degradation universally across the semiconductor industry.

An ultra-fast OTF method has been used to study gate insulator process impact of NBTI for SiON p-MOSFETs. It is observed that PNO devices having relatively moderate N dose and proper PNA show lower overall  $V_T$  degradation and negligible  $\Delta V_T$  in sub-1 ms stress time, higher power-law time exponent  $n$  at longer  $t_{STR}$ , and stronger  $E_{OX}$  acceleration  $\Gamma_E$  and  $T$  activation  $E_A$ . However, PNO with proper PNA devices having large N dose, PNO with improper PNA devices, and RTNO devices show very large overall degradation and significant  $\Delta V_T$  in sub-1 ms time scale, lower power-law time exponent  $n$  at longer  $t_{STR}$ , and weaker  $E_{OX}$  and  $T$  dependence. Rather than total N dose, the N density at the Si/SiON interface controls NBTI.

An ultra-fast  $I-V$  characterization method has been used to measure NBTI and PBTI degradation respectively in p- and n-channel MOSFETs having state-of-the-art HKMG gate insulator stacks. The impact of post-High-K Nitrogen incorporation and IL scaling has been studied. Time evolution of BTI during and after DC stress and during AC stress is characterized, and the impact of stress bias, temperature, duty cycle and frequency have been analyzed. The following observations are made:

- (a) The magnitude of  $\Delta V_T$  for NBTI stress increases while that for PBTI stress reduces with N incorporation in the gate insulator stack, when compared at identical stress  $E_{OX}$  and  $T$ . The impact of N incorporation on NBTI has been found to be similar for SiON and HKMG p-MOSFETs.
- (b) The magnitude of  $\Delta V_T$  for NBTI increases with IL scaling for HKMG devices when compared at constant overdrive bias. The magnitude of  $\Delta V_T$  for PBTI also increases with IL scaling, but nitrided devices show lower  $\Delta V_T$  compared to non-nitrided devices.
- (c) Time evolution of  $\Delta V_T$  shows power-law dependence having exponent  $n$  at longer stress time. Similar  $n$  has been observed for NBTI and PBTI stress, which does not vary with stress  $E_{OX}$  and  $T$ , but reduces with higher N concentration in the gate stack and IL scaling. The impact of N incorporation on  $n$  has been found to be similar for SiON and HKMG p-MOSFETs. The exponent  $n$  is higher for AC compared to DC stress, and does not vary with PDC and  $f$  for AC stress.
- (d) Power-law field dependence  $\Gamma_E$  and Arrhenius  $T$  activation energy  $E_A$  values have been found to be independent of stress  $T$  and  $E_{OX}$  respectively for both NBTI and PBTI stress. The values of  $\Gamma_E$  and  $E_A$  reduce with increase in N concentration and IL scaling. Once again, the impact of N incorporation on  $\Gamma_E$  and  $E_A$  for NBTI has been found to be similar for SiON and HKMG p-MOSFETs.
- (e) Reduction of  $\Delta V_T$  during recovery following NBTI and PBTI stress shows strong dependence on gate bias during recovery experiments.
- (f) AC NBTI and PBTI degradation show similar “S” shaped dependence on pulse duty cycle but show frequency independence. A kink or jump in  $\Delta V_T$  magnitude is observed between large PDC AC and DC stress.

These features will be explained and modeled in this book.



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## References

1. G.E. Moore, Cramming more components onto integrated circuits. Proc. IEEE **86**, 82 (1998)
2. Y. Taur, T.H. Ning, *Fundamentals of Modern VLSI Devices* (Cambridge University Press, Cambridge, 2009)
3. T. Ghani, M. Armstrong, C. Auth, M. Bost, P. Charvat, G. Glass, T. Hoffmann, K. Johnson, C. Kenyon, J. Klaus, B. McIntyre, K. Mistry, A. Murthy, J. Sandford, M. Silberstein, S. Sivakumar, P. Smith, K. Zawadzki, S. Thompson, M. Bohr, A 90 nm high volume manufacturing logic technology featuring novel 45 nm gate length strained silicon CMOS transistors, in *IEEE International Electron Devices Meeting Technical Digest* (2003), p. 11.6
4. K. Mistry, C. Allen, C. Auth, B. Beattie, D. Bergstrom, M. Bost, M. Brazier, M. Buehler, A. Cappellani, R. Chau, C.-H. Choi, G. Ding, K. Fischer, T. Ghani, R. Grover, W. Han, D. Hanken, M. Hattendorf, J. He, J. Hicks, R. Huessner, D. Ingerly, P. Jain, R. James, L. Jong, S. Joshi, C. Kenyon, K. Kuhn, K. Lee, H. Liu, J. Maiz, B. McIntyre, P. Moon, J. Neiryck, S. Pae, C. Parker, D. Parsons, C. Prasad, L. Pipes, M. Prince, P. Ranade, T. Reynolds, J. Sandford, L. Shifren, J. Sebastian, J. Seiple, D. Simon, S. Sivakumar, P. Smith, C. Thomas, T. Troeger, P. Vandervoorn, S. Williams, K. Zawadzki, A 45 nm logic technology with High-k+ metal gate transistors, strained silicon, 9 Cu interconnect layers, 193 nm dry patterning, and 100 % Pb-free packaging, in *IEEE International Electron Devices Meeting Technical Digest* (2007), p. 247
5. X. Chen, S. Samavedam, V. Narayanan, K. Stein, C. Hobbs, C. Baiocco, W. Li, D. Jaeger, M. Zaleski, H.S. Yang, N. Kim, Y. Lee, D. Zhang, L. Kang, J. Chen, H. Zhuang, A. Sheikh, J. Wallner, M. Aquilino, J. Han, Z. Jin, J. Li, G. Massey, S. Kalpat, R. Jha, N. Moumen, R. Mo, S. Kirshnan, X. Wang, M. Chudzik, M. Chowdhury, D. Nair, C. Reddy, Y.W. Teh, C. Kothandaraman, D. Coolbaugh, S. Pandey, D. Tekleab, A. Thean, M. Sherony, C. Lage, J. Sudijono, R. Lindsay, J.H. Ku, M. Khare, A. Steegen, A cost effective 32 nm high-K/metal gate CMOS technology for low power applications with single-metal/gate-first process, in *Symposium on VLSI Technology: Digest of Technical Papers* (2008), p. 88
6. C. Auth, C. Allen, A. Blattner, D. Bergstrom, M. Brazier, M. Bost, M. Buehler, V. Chikarmane, T. Ghani, T. Glassman, R. Grover, W. Han, D. Hanken, M. Hattendorf, P. Hentges, R. Heussner, J. Hicks, D. Ingerly, P. Jain, S. Jaloviar, R. James, D. Jones, J. Jopling, S. Joshi, C. Kenyon, H. Liu, R. McFadden, B. McIntyre, J. Neiryck, C. Parker, L. Pipes, I. Post, S. Pradhan, M. Prince, S. Ramey, T. Reynolds, J. Roesler, J. Sandford, J. Seiple, P. Smith, C. Thomas, D. Towner, T. Troeger, C. Weber, P. Yashar, K. Zawadzki, K. Mistry, A 22 nm high performance and low-power CMOS technology featuring fully-depleted tri-gate transistors, self-aligned contacts and high density MIM capacitors, in *Symposium on VLSI Technology: Digest of Technical Papers* (2012), p. 131
7. S.-Y. Wu, C.Y. Lin, M.C. Chiang, J.J. Liaw, J.Y. Cheng, S.H. Yang, S.Z. Chang, M. Liang, T. Miyashita, C.H. Tsai, C.H. Chang, V.S. Chang, Y.K. Wu, J.H. Chen, H.F. Chen, S.Y. Chang, K. H. Pan, R.F. Tsui, C.H. Yao, K.C. Ting, T. Yamamoto, H.T. Huang, T.L. Lee, C.H. Lee, W. Chang, H.M. Lee, C.C. Chen, T. Chang, R. Chen, Y.H. Chiu, M.H. Tsai, S.M. Jang, K.S. Chen, Y. Ku, An enhanced 16 nm CMOS technology featuring 2nd generation FinFET transistors and advanced Cu/low-k interconnect for low power and high performance applications, in *IEEE International Electron Devices Meeting Technical Digest* (2014), p. 3.1.1
8. S. Mahapatra, N. Goel, S. Desai, S. Gupta, B. Jose, S. Mukhopadhyay, K. Joshi, A. Jain, A.E. Islam, M.A. Alam, A comparative study of different physics-based NBTI models. IEEE Trans. Electron Devices **60**, 901 (2013)

9. S. Mahapatra, V. Huard, A. Kerber, V. Reddy, S. Kalpat, A. Haggag, Universality of NBTI—from devices to circuits and products, in *IEEE International Reliability Physics Symposium Proceedings* (2014), p. 3B.1.1
10. A. Kerber, E.A. Cartier, Reliability challenges for CMOS technology qualifications with hafnium oxide/titanium nitride gate stacks. *IEEE Trans. Device Mater. Reliab.* **9**, 147 (2009)
11. B.E. Deal, M. Sklar, A.S. Grove, E.H. Snow, Characteristics of the surface-state charge ( $Q_{ss}$ ) of thermally oxidized silicon. *J. Electrochem. Soc.* **114**, 266 (1967)
12. N. Kimizuka, K. Yamaguchi, K. Imai, T. Iizuka, C.T. Liu, R.C. Keller, T. Horiuchi, NBTI enhancement by nitrogen incorporation into ultrathin gate oxide for 0.10- $\mu\text{m}$  gate CMOS generation, in *Symposium on VLSI Technology: Digest of Technical Papers* (2000), p. 92
13. Y. Mitani, M. Nagamine, H. Satake, A. Toriumi, NBTI mechanism in ultra-thin gate dielectric—nitrogen-originated mechanism in SiON, in *IEEE International Electron Devices Meeting Technical Digest* (2002), p. 509
14. Y. Mitani, H. Satake, A. Toriumi, Influence of nitrogen on negative bias temperature instability in ultrathin SiON. *IEEE Trans. Device Mater. Reliab.* **8**, 6 (2008)
15. S. Krishnan, V. Narayanan, E. Cartier, D. Ioannou, K. Zhao, T. Ando, U. Kwon, B. Linder, J. Stathis, M. Chudzik, A. Kerber, K. Choi, Bias temperature instability in high- $\kappa$ /metal gate transistors—gate stack scaling trends, in *IEEE International Reliability Physics Symposium Proceedings* (2012), p. 5A.1.1
16. S. Pae, M. Agostinelli, M. Brazier, R. Chau, G. Dewey, T. Ghani, M. Hattendorf, J. Hicks, J. Kavalieros, K. Kuhn, M. Kuhn, J. Maiz, M. Metz, K. Mistry, C. Prasad, S. Ramey, A. Roskowski, J. Sandford, C. Thomas, J. Thomas, C. Wiegand, J. Wiedemer, BTI reliability of 45 nm high-K+ metal-gate process technology, in *IEEE International Reliability Physics Symposium Proceedings* (2008), p. 352
17. S. Ramey, A. Ashutosh, C. Auth, J. Clifford, M. Hattendorf, J. Hicks, R. James, A. Rahman, V. Sharma, A. St. Amour, C. Wiegand, Intrinsic transistor reliability improvements from 22 nm tri-gate technology, in *IEEE International Reliability Physics Symposium Proceedings* (2013), p. 4C.5.1
18. K.T. Lee, K. Wonchang, C. Eun-Ae, G. Kim, H. Shin, H. Lee, H. Kim, M. Choe, N.-I. Lee, A. Patel, J. Park, P. Jongwoo, Technology scaling on high-K and metal-gate FinFET BTI reliability, in *IEEE International Reliability Physics Symposium Proceedings* (2013), p. 2D.1.1
19. S. Deora, V.D. Maheta, G. Bersuker, C. Olsen, K.Z. Ahmed, R. Jammy, S. Mahapatra, A comparative NBTI study of  $\text{HfO}_2/\text{HfSiO}_x$ , and SiON p-MOSFETs using UF-OTF  $I_{DLIN}$  technique. *IEEE Electron Device Lett.* **30**, 152 (2009)
20. K. Joshi, S. Mukhopadhyay, N. Goel, S. Mahapatra, A consistent physical framework for N and P BTI in HKMG MOSFETs, in *IEEE International Reliability Physics Symposium Proceedings* (2012), p. 5A.3.1
21. S. Desai, S. Mukhopadhyay, N. Goel, N. Nanaware, B. Jose, K. Joshi, S. Mahapatra, A comprehensive AC / DC NBTI model: Stress, recovery, frequency, duty cycle and process dependence, in *IEEE International Reliability Physics Symposium Proceedings* (2013), p. XT.2.1
22. N. Goel, K. Joshi, S. Mukhopadhyay, N. Nanaware, S. Mahapatra, A comprehensive modeling framework for gate stack process dependence of DC and AC NBTI in SiON and HKMG p-MOSFETs. *Microelectron. Reliab.* **54**, 491 (2014)
23. N. Goel, S. Mukhopadhyay, N. Nanaware, S. De, R.K. Pandey, K.V.R.M. Murali, S. Mahapatra, A comprehensive DC/AC model for ultra-fast NBTI in deep EOT scaled HKMG p-MOSFETs, in *IEEE International Reliability Physics Symposium Proceedings* (2014), p. 6A.4.1
24. S. Novak, S. Parker, C. Becher, D. Agostinelli, M. Chahal, M. Lui, M. Nakapani, P. Packan, P. Natarajan, Transistor aging and reliability in 14 nm tri-gate technology, in *IEEE International Reliability Physics Symposium Proceedings* (2015), p. 2F.2
25. S. Mahapatra, D. Saha, D. Varghese, P.B. Kumar, On the generation and recovery of interface traps in MOSFETs subjected to NBTI, FN, and HCI stress. *IEEE Trans. Electron Devices* **53**, 1583 (2006)

26. Y.M. Randriamihaja, X. Federspiel, V. Huard, A. Bravaix, P. Palestri, New hot carrier degradation modeling reconsidering the role of EES in ultra short N-channel MOSFETs, in *IEEE International Reliability Physics Symposium Proceedings* (2013), p. XT.1.1
27. S. Takagi, M. Takayanagi, A. Toriumi, Experimental examination of physical model for direct tunneling current in unstressed/stressed ultrathin gate oxides, in *IEEE International Electron Devices Meeting Technical Digest* (1999), p. 461
28. E. Cartier, A. Kerber, Stress-induced leakage current and defect in nFETs with HfO<sub>2</sub>/TiN gate stacks during positive-bias temperature stress, in *IEEE International Reliability Physics Symposium Proceedings* (2009), p. 486
29. M.A. Alam, J. Bude, A. Ghetti, Field acceleration for oxide breakdown-can an accurate anode hole injection model resolve the E vs. 1/E controversy?, in *IEEE International Reliability Physics Symposium Proceedings* (2000), p. 21
30. T. Nigam, P. Peumans, TDDDB in the presence of interface states: implications for the PMOS reliability margin, in *IEEE International Electron Devices Meeting Technical Digest* (2008). doi:[10.1109/IEDM.2008.4796814](https://doi.org/10.1109/IEDM.2008.4796814)
31. S. Rangan, N. Mielke, E.C.C. Yeh, Universal recovery behavior of negative bias temperature instability [PMOSFETs], in *IEEE International Electron Devices Meeting Technical Digest* (2003), p. 14.3.1
32. S. Mahapatra, P. Bharath Kumar, M.A. Alam, Investigation and modeling of interface and bulk trap generation during negative bias temperature instability of p-MOSFETs. *IEEE Trans. Electron Devices* **51**, 1371 (2004)
33. M.A. Alam, S. Mahapatra, A comprehensive model of PMOS NBTI degradation. *Microelectron. Reliab.* **45**, 71 (2005)
34. H. Reisinger, O. Blank, W. Heinrigs, A. Muhlhoff, W. Gustin, C. Schlunder, Analysis of NBTI degradation- and recovery-behavior based on ultra fast VT-measurements, in *IEEE International Reliability Physics Symposium Proceedings* (2006), p. 448
35. V. Huard, M. Denais, F. Perrier, N. Revil, C. Parthasarathy, A. Bravaix, E. Vincent, A thorough investigation of MOSFETs NBTI degradation. *Microelectron. Reliab.* **45**, 83 (2005)
36. S. Mahapatra, A.E. Islam, S. Deora, V.D. Maheta, K. Joshi, A. Jain, M.A. Alam, A critical re-evaluation of the usefulness of R-D framework in predicting NBTI stress and recovery, in *IEEE International Reliability Physics Symposium Proceedings* (2011), p. 6A.3.1
37. K.O. Jeppson, C.M. Svensson, Negative bias stress of MOS devices at high electric fields and degradation of MNOS devices. *J. Appl. Phys.* **48**, 2004 (1977)
38. G. Groeseneken, H.E. Maes, N. Beltran, R.F. De Keersmaecker, A reliable approach to charge-pumping measurements in MOS transistors. *IEEE Trans. Electron Devices* **31**, 42 (1984)
39. S.S. Tan, T.P. Chen, C.H. Ang, L. Chan, Atomic modeling of nitrogen neighboring effect on negative bias temperature instability of pMOSFETs. *IEEE Electron Device Lett.* **25**, 504 (2004)
40. C.H. Liu, M.T. Lee, J. Chen, K. Schroefer, J. Brighten, N. Rovedo, T.B. Hook, M.V. Khare, C. Wann, T.H. Ning, Mechanism and process dependence of negative bias temperature instability (NBTI) for pMOSFETs with ultrathin gate dielectrics, in *IEEE International Electron Devices Meeting Technical Digest* (2001), p. 39.2.1
41. T.B. Hook, R. Bolam, W. Clark, J. Burnham, N. Rovedo, L. Schutz, Negative bias temperature instability on three oxide thicknesses (1.4/2.2/5.2 nm) with nitridation variations and deuteration. *Microelectron. Reliab.* **45**, 47 (2005)
42. S. Mahapatra, K. Ahmed, D. Varghese, A.E. Islam, G. Gupta, L. Madhav, D. Saha, M.A. Alam, On the physical mechanism of NBTI in silicon oxynitride p-MOSFETs: can differences in insulator processing conditions resolve the interface trap generation versus hole trapping controversy?, in *IEEE International Reliability Physics Symposium Proceedings* (2007), p. 1
43. V.D. Maheta, E.N. Kumar, S. Purawat, C. Olsen, K. Ahmed, S. Mahapatra, Development of an ultrafast on-the-fly I<sub>D,LIN</sub> technique to study NBTI in plasma and thermal oxynitride p-MOSFETs. *IEEE Trans. Electron Devices* **55**, 2614 (2008)

44. T. Sasaki, K. Kuwazawa, K. Tanaka, J. Kato, Engineering of nitrogen profile in an ultrathin gate insulator to improve transistor performance and NBTI. *IEEE Electron Device Lett.* **24**, 150 (2003)
45. M. Terai, K. Watanabe, S. Fujieda, Effect of nitrogen profile and fluorine incorporation on negative-bias temperature instability of ultrathin plasma-nitrided SiON MOSFETs. *IEEE Trans. Electron Devices* **54**, 1658 (2007)
46. Angle Resolved X-RAY Photoelectron Spectroscopy. [Online]. Available: <http://goliath.emt.inrs.ca/surfsci/arxps/introcss.html>
47. C. Olsen, Two-step post nitridation annealing for lower EOT plasma nitrided gate dielectrics, WO2004081984 A2, (2004)
48. V.D. Maheta, C. Olsen, K. Ahmed, S. Mahapatra, The impact of gate dielectric nitridation methodology on NBTI of SiON p-MOSFETs as studied by UF-OTF technique, in *IEEE International Symposium on the Physical and Failure Analysis of Integrated Circuits* (2008). doi:10.1109/IPFA.2008.4588198
49. K. Sakuma, D. Matsushita, K. Muraoka, Y. Mitani, Investigation of nitrogen-originated NBTI mechanism in SiON with high-nitrogen concentration, in *IEEE International Reliability Physics Symposium Proceedings* (2006), p. 454
50. Y. Mitani, T. Yamaguchi, H. Satake, A. Toriumi, Reconsideration of hydrogen-related degradation mechanism in gate oxide, in *IEEE International Reliability Physics Symposium Proceedings* (2007), p. 226
51. S. Mahapatra, FEOL and BEOL process dependence of NBTI, in *Bias Temperature Instability for Devices and Circuits*, ed. by T. Grasser (Springer, New York, 2014)
52. E.N. Kumar, V.D. Maheta, S. Purawat, A.E. Islam, C. Olsen, K. Ahmed, M.A. Alam, S. Mahapatra, Material dependence of NBTI physical mechanism in silicon oxynitride (SiON) p-MOSFETs: a comprehensive study by ultra-fast on-the-fly (UF-OTF)  $I_{DLIN}$  technique, in *IEEE International Electron Devices Meeting Technical Digest* (2007), p. 809
53. C. Shen, M.-F. Li, C.E. Foo, T. Yang, D.M. Huang, A. Yap, G.S. Samudra, Y.-C. Yeo, Characterization and physical origin of fast  $V_{th}$  transient in NBTI of pMOSFETs with SiON dielectric, in *IEEE International Electron Devices Meeting Technical Digest* (2006). doi:10.1109/IEDM.2006.346776
54. S. Pae, A. Ashok, T. Ghani, K. Lemay, M. Liu, R. Lu, P. Packan, C. Parker, R. Purser, A. St. Amour, B. Woolery, Reliability characterization of 32 nm high-K and metal-gate logic transistor technology, in *IEEE International Reliability Physics Symposium Proceedings* (2010), p. 287
55. J. Mitard, X. Garros, L.P. Nguyen, C. Leroux, G. Ghibaudo, F. Martin, G. Reimbold, Large-scale time characterization and analysis of PBTI in HFO<sub>2</sub>/metal gate stacks, in *IEEE International Reliability Physics Symposium Proceedings* (2006), p. 174
56. D. Heh, C.D. Young, G. Bersuker, Experimental evidence of the fast and slow charge trapping/detrapping processes in high-k dielectrics subjected to PBTI stress. *IEEE Electron Device Lett.* **29**, 180 (2008)
57. J. Yang, M. Masuduzzaman, K. Joshi, S. Mukhopadhyay, J. Kang, S. Mahapatra, M.A. Alam, Intrinsic correlation between PBTI and TDDB degradations in nMOS HK/MG dielectrics, in *IEEE International Reliability Physics Symposium Proceedings* (2012), p. 5D.4.1
58. E. Cartier, A. Kerber, T. Ando, M.M. Frank, K. Choi, S. Krishnan, B. Linder, K. Zhao, F. Monsieur, J. Stathis, V. Narayanan, Fundamental aspects of HfO<sub>2</sub>-based high-k metal gate stack reliability and implications on t<sub>inv</sub>-scaling, in *IEEE International Electron Devices Meeting Technical Digest* (2011), p. 18.4.1
59. A.E. Islam, V.D. Maheta, H. Das, S. Mahapatra, M.A. Alam, Mobility degradation due to interface traps in plasma oxynitride PMOS devices, in *IEEE International Reliability Physics Symposium Proceedings* (2008), p. 87
60. P.A. Kraus, K.Z. Ahmed, C.S. Olsen, F. Nouri, Physical models for predicting plasma nitrided Si-O-N gate dielectric properties from physical metrology. *IEEE Electron Device Lett.* **24**, 559 (2003)

61. Y.M. Lin, C.J. Wang, K. Wu, A new finding on NBTI lifetime model and an investigation on NBTI degradation characteristic for 1.2 nm ultra thin oxide, in *IEEE International Reliability Physics Symposium Proceedings* (2005), p. 704
62. B. Kaczer, V. Arkhipov, R. Degraeve, N. Collaert, G. Groeseneken, M. Goodwin, Disorder-controlled-kinetics model for negative bias temperature instability and its experimental verification, in *IEEE International Reliability Physics Symposium Proceedings* (2005), p. 381
63. D. Varghese, D. Saha, S. Mahapatra, K. Ahmed, F. Nouri, M. Alam, On the dispersive versus arrhenius temperature activation of NBTI time evolution in plasma nitrided gate oxides: measurements, theory, and implications, in *IEEE International Electron Devices Meeting Technical Digest* (2005), p. 684
64. A.E. Islam, H. Kufliuglu, D. Varghese, S. Mahapatra, M.A. Alam, Recent issues in negative-bias temperature instability: initial degradation, field dependence of interface trap generation, hole trapping effects, and relaxation. *IEEE Trans. Electron Devices* **54**, 2143 (2007)
65. J.R. Pfister, F.K. Baker, T.C. Mele, H.-H. Tseng, P.J. Tobin, J.D. Hayden, J.W. Miller, C.D. Gunderson, L.C. Parrillo, The effects of boron penetration on p+ polysilicon gated PMOS devices. *IEEE Trans. Electron Devices* **37**, 1842 (1990)
66. N. Goel, N. Nanaware, S. Mahapatra, Ultrafast AC–DC NBTI characterization of deep IL scaled HKMG p-MOSFETs. *IEEE Electron Device Lett.* **34**, 1476 (2013)
67. K. Joshi, S. Hung, S. Mukhopadhyay, V. Chaudhary, N. Nanaware, B. Rajamohnan, T. Sato, M. Bevan, A. Wei, A. Noori, B. McDougal, C. Ni, G. Saheli, C. Lazik, P. Liu, D. Chu, L. Date, S. Datta, A. Brand, J. Swenberg, S. Mahapatra, HKMG process impact on N, P BTI: role of thermal IL scaling, IL/HK integration and post HK nitridation, in *IEEE International Reliability Physics Symposium Proceedings* (2013), p. 4C.2.1
68. W. Tsai, L.-A. Ragnarsson, L. Pantisano, P.J. Chen, B. Onsia, T. Schram, E. Cartier, A. Kerber, E. Young, M. Caymax, S. De Gendt, M. Heyns, Performance comparison of sub 1 nm sputtered TiN/HfO<sub>2</sub>/sub 2/nMOS and pMOSFETs, in *IEEE International Electron Devices Meeting Technical Digest* (2003), p. 13.2.1
69. K. Choi, H. Jagannathan, C. Choi, L. Edge, T. Ando, M. Frank, P. Jamison, M. Wang, E. Cartier, S. Zafar, J. Bruley, A. Kerber, B. Linder, A. Callegari, Q. Yang, S. Brown, J. Stathis, J. Iacoponi, V. Paruchuri, V. Narayanan, Extremely scaled gate-first high-k/metal gate stack with EOT of 0.55 nm using novel interfacial layer scavenging techniques for 22 nm technology node and beyond, in *Symposium on VLSI Technology: Digest of Technical Papers* (2009), p. 138

# Chapter 2

## Characterization Methods for BTI Degradation and Associated Gate Insulator Defects

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**Abstract** In this chapter, different characterization methods are discussed to determine BTI degradation of MOSFET parameters and to directly estimate the pre-existing and generated gate insulator defects responsible for BTI.  $V_T$  shift is obtained from full  $I_D$ - $V_G$  sweeps and also from spot  $I_D$  measurements at fixed  $V_G$ ; one spot measurements are performed either on-the-fly at stress  $V_G$  or by dropping down to a lower  $V_G$  from stress. Impact of measurement delay and mobility degradation on  $V_T$  extracted from different methods is discussed. Flicker noise method is used to access the density of pre-existing defects for different gate insulator processes. Gated diode or DCIV, charge pumping (CP) and low voltage SILC methods are used to determine trap generation at or near the interface between Si channel and gate insulator. Conventional SILC is used to estimate generation of bulk gate insulator defects. Different artifacts related to improper choice of stress bias and measurement delay are discussed.

### 2.1 Introduction

As discussed in Chap. 1, Bias Temperature Instability (BTI) in Metal Oxide Semiconductor Field Effect Transistor (MOSFET) is normally assessed by stressing the device at higher than nominal gate bias ( $V_G = V_{G-STR}$ ), and recording the shift in device parameters in logarithmic intervals of stress time ( $t_{STR}$ ). Degradation in device parameters, such as threshold voltage shift ( $\Delta V_T$ ), is extracted from drain current ( $I_D$ ) measured before and after stress.  $I_D$  is usually measured in the linear operating regime ( $I_{D-LIN}$ ), with a low drain bias ( $V_D$ ) to keep oxide field ( $E_{OX}$ ) almost uniform across the channel during stress.

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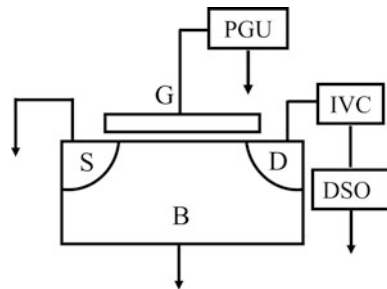
In earlier days, complete  $I_D$ - $V_G$  sweeps were taken to extract  $V_T$  before and during BTI stress, the later was achieved by interrupting the stress for few seconds for measurements [1]. It was soon realized that BTI degradation recovers substantially after stress is paused for measurement [2, 3], and for certain situations, as much as 50 % of degradation recovers in just 1 s after stoppage of stress [4]. This makes the conventional, slow  $I_D$ - $V_G$  sweep based Measure-Stress-Measure (MSM) technique unsuitable for BTI characterization, since it cannot capture the correct degradation magnitude. To circumvent this recovery issue, three different ultra-fast measurement techniques have been proposed in the literature, i.e., On-The-Fly (OTF)  $I_{DLIN}$ , MSM and One Spot Drop Down (OSDD), and are described in this chapter.

All three classes of measurements described in this chapter can be implemented using the setup illustrated in Fig. 2.1 [5–7]. A pulse generator is connected to the gate terminal of a MOSFET and is used to apply the desired stress and measurement biases. Source and substrate terminals are grounded, and the drain terminal is connected to a current–voltage converter (IVC) and subsequently to a digital storage oscilloscope (DSO). The combination of IVC and DSO helps in ultra-fast  $I_{DLIN}$  measurement in  $\sim$ microseconds measurement time ( $t_M$ ). All methods are described in this chapter are for Negative BTI (NBTI) stress in p-MOSFETs, although these can be readily adopted for Positive BTI (PBTI) stress in n-MOSFETs.

As described in detail later in this book, BTI is due to uncorrelated contribution from charging of pre-existing defects as well as generation of new defects during stress in the gate insulator of a MOSFET, and measured  $\Delta V_T$  can be decomposed into these underlying sub-components. Therefore, it is important to independently and directly access the pre-existing and generated gate insulator traps for different gate insulator processes, to verify the accuracy of the decomposition method. Such assessment can be done using different trap characterization methods, i.e., Flicker ( $1/f$ ) Noise, Charge Pumping (CP), Gated Diode (DCIV), Stress Induced Leakage Current (SILC) and Low Voltage (LV) SILC, and are described in this chapter.

Finally, it is important to remark that several stress and measurement artifacts can corrupt BTI experiments and are also discussed in this chapter. Since BTI and TDDB stress regimes are essentially the same, shown in Chap. 1, Fig. 1.2, and since

**Fig. 2.1** Schematic of a representative setup for ultra-fast BTI measurements

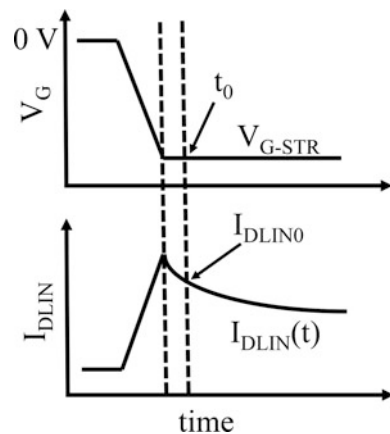


TDDDB defects have significantly different  $t_{\text{STR}}$  and  $V_G$  dependence, caution must be used to avoid TDDDB corruption of BTI experiments. Several artifacts related to BTI recovery are also discussed.

## 2.2 Ultra-Fast On-the-Fly (UF-OTF) Method

Figure 2.2 shows the schematic of OTF measurement method. BTI induced  $I_{\text{DLIN}}$  degradation is measured on-the-fly at stress ( $V_G = V_{\text{G-STR}}$ ) without reduction in  $V_G$ , and hence the technique does not suffer from recovery issues [3, 5]. However, the first data point ( $I_{\text{DLIN0}}$ ) measured immediately after the application of  $V_{\text{G-STR}}$  is assumed to be unstressed, and extracted  $\Delta I_{\text{DLIN}} (=I_{\text{DLIN}} - I_{\text{DLIN0}})$  therefore depends on the time-zero delay ( $t_0$  delay) between application of  $V_{\text{G-STR}}$  and measurement of  $I_{\text{DLIN0}}$  [5, 8].  $I_{\text{DLIN0}}$  has been measured by using  $t_0 = 1$  ms in conventional OTF [3, 9] and  $t_0 = 1$   $\mu\text{s}$  in Ultra-Fast OTF (UF-OTF) [5, 8] setups. Furthermore, the OTF technique needs to be modified to account for mobility degradation ( $\Delta\mu_{\text{eff}}$ ), as-measured  $\Delta I_{\text{DLIN}}$  is influenced by both  $\Delta V_T$  and  $\Delta\mu_{\text{eff}}$ , as shown in Chap. 1, especially for NBTI stress in p-channel MOSFETs [10]. In [11], the OTF method is modified presumably to account for mobility degradation, where a small gate pulse is superimposed on  $V_{\text{G-STR}}$  to measure transconductance ( $g_m$ ), and  $\Delta V_T$  is calculated using  $\Delta V_T = \Delta I_{\text{DLIN}}/g_m$ . However, it will be shown later that this method is not effective in providing correct  $\Delta V_T$ , and also suffers from complications associated with application of a complex gate waveform. An alternative approach is to compute  $\Delta V = -\Delta I_{\text{DLIN}}/I_{\text{DLIN0}} * (V_{\text{G-STR}} - V_{\text{T0}})$  by applying only a DC stress bias and measuring  $I_{\text{DLIN}}$  at  $V_G = V_{\text{G-STR}}$ , where  $V_{\text{T0}}$  is pre-stress  $V_T$  of the device. A post-processing correction procedure involving additional  $I_D$ - $V_G$  sweep measurements is used to correct for the impact of  $\Delta\mu_{\text{eff}}$  and convert  $\Delta V$  to  $\Delta V_T$  [12], which is discussed later in this chapter. OTF and UF-OTF methods have been

**Fig. 2.2** Schematic of OTF measurement of BTI degradation during stress. Default time-zero delay is 1  $\mu\text{s}$  unless mentioned otherwise



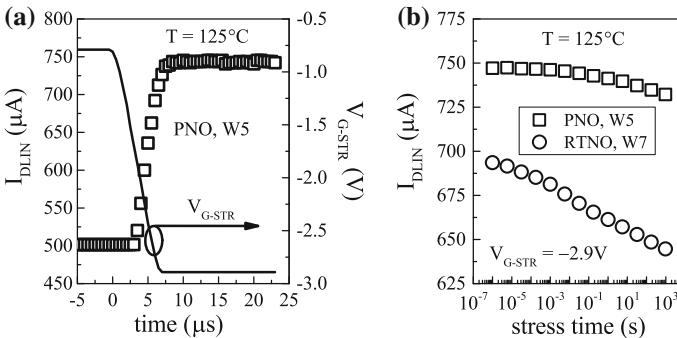


extensively used to characterize the gate insulator process dependence of NBTI degradation especially in Silicon Oxynitride (SiON) p-MOSFETs [9, 13], which will be discussed and analyzed later in this book.

### 2.2.1 Impact of Measurement Delay for DC Stress

Accuracy of the OTF technique depends on time-zero or  $t_0$  delay as mentioned before, as the first data point measured immediately after the application of  $V_{G-STR}$ , i.e.,  $I_{DLIN0}$ , is assumed as unstressed. As shown in Fig. 2.2,  $t_0$  delay is the time lag between application of  $V_{G-STR}$  and measurement of  $I_{DLIN0}$ . For a particular  $t_0$  delay, a device that degrades more rapidly soon after the initiation of stress would show larger  $t_0$  delay impact on measured  $\Delta I_{DLIN}$  and vice versa. OTF measurements with  $t_0$  delay down to 1  $\mu$ s have been made using the setup shown in Fig. 2.1 [5, 8], and relevant results are discussed in this section. Although the implementation and results are shown for the case of NBTI in SiON p-MOSFETs, OTF method can be used to study NBTI and PBTI in HKMG devices as well.

Figure 2.3a plots  $I_{DLIN}$  measured before, during and immediately after application of  $V_{G-STR}$  for OTF measurement in SiON p-MOSFET having Plasma Nitrided Oxide (PNO) gate insulator; refer to Chap. 1, Table 1.1 for SiON device details. In the beginning, the pulse generator shown in Fig. 2.1 supplies a low DC  $V_G$  to the gate terminal of the MOSFET, and the DSO is triggered to start sampling of  $I_{DLIN}$  in 1  $\mu$ s intervals. The pulse generator is triggered next and  $V_G$  ramps up to  $V_{G-STR}$ , and DSO sampling captures the associated rise in  $I_{DLIN}$  as the MOSFET is driven to strong inversion. The first data point, i.e.,  $I_{DLIN0}$ , is captured within 1  $\mu$ s of the time of  $V_G$  becoming equal to  $V_{G-STR}$ . Measured  $I_{DLIN}$  then starts to decrease with increase in stress time due to BTI degradation.

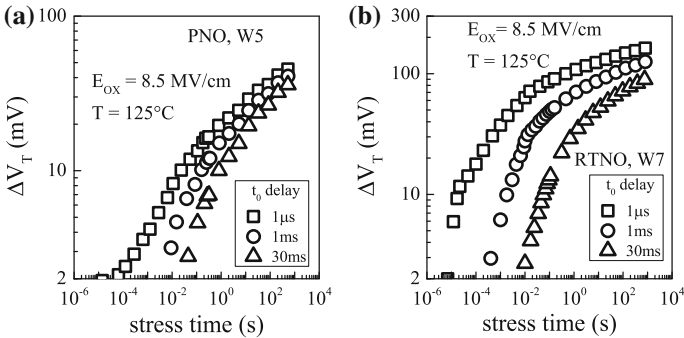


**Fig. 2.3** OTF stress measurement: **a** application of gate stress voltage and corresponding measured  $I_{DLIN}$ , and **b** time evolution of  $I_{DLIN}$  degradation for PNO and RTNO SiON p-MOSFETs under NBTI stress

Figure 2.3b shows measured  $I_{\text{DLIN}}$  from short to longer stress time for PNO and Rapid Thermal Nitrided Oxide (RTNO) SiON p-MOSFETs. Measured  $I_{\text{DLIN}}$  at  $V_{\text{G-STR}}$  starts to degrade due to BTI degradation. Although the devices have similar Equivalent Oxide Thickness (EOT), RTNO device shows lower starting  $I_{\text{DLIN}}$  and larger rate of  $I_{\text{DLIN}}$  degradation with increase in stress time,  $t_{\text{STR}}$ . As mentioned before,  $\Delta I_{\text{DLIN}}$  is calculated from measured  $I_{\text{DLIN}}$  degradation using  $I_{\text{DLIN}} - I_{\text{DLIN0}}$ , and although the first data point captured within 1  $\mu\text{s}$  can be used as  $I_{\text{DLIN0}}$ , it is possible to choose measured  $I_{\text{DLIN}}$  at different  $t_{\text{STR}}$  as  $I_{\text{DLIN0}}$  to study the impact of different  $t_0$  delay on  $\Delta I_{\text{DLIN}}$ . BTI degradation is estimated using  $\Delta V = -\Delta I_{\text{DLIN}} / I_{\text{DLIN0}} * (V_{\text{G-STR}} - V_{\text{T0}})$  as mentioned above, where  $V_{\text{T0}}$  is pre-stress  $V_{\text{T}}$  of the device, and mobility correction has been used to convert  $\Delta V$  to  $\Delta V_{\text{T}}$  using the method described in [12] and discussed later in this chapter.

Figure 2.4 plots  $\Delta V$  time evolution measured in (a) PNO and (b) RTNO devices using different  $t_0$  delay. Higher degradation is obtained using lower  $t_0$  delay as it captures a less degraded  $I_{\text{DLIN0}}$  and vice versa. Significantly, larger impact of  $t_0$  delay is observed for RTNO compared to PNO device, as RTNO device has larger rate of  $I_{\text{DLIN}}$  degradation just after the initiation of stress as shown in Fig. 2.3b.

In spite of having similar EOT and much lower Nitrogen (N) content as mentioned in Chap. 1, Table 1.1, the RTNO device has much larger BTI magnitude compared to the PNO device when stressed at identical electric field,  $E_{\text{OX}}$ , and temperature (T), and measured using identical  $t_0$  delay;  $E_{\text{OX}}$  is calculated using  $(V_{\text{G-STR}} - V_{\text{T0}}) / \text{EOT}$ . Interestingly, the RTNO device shows large degradation in the sub-1 ms time scale when measured using  $t_0$  delay of 1  $\mu\text{s}$ , which is not observed in the PNO device, or with OTF measurements with higher  $t_0$  delay. This observation has significant implication in understanding the underlying physical mechanism of BTI, and will be discussed in detail in Chap. 6. Therefore, Fig. 2.4 clearly demonstrates the importance of ultra-fast OTF measurements to accurately capture device degradation during BTI stress. Time evolution of NBTI degradation

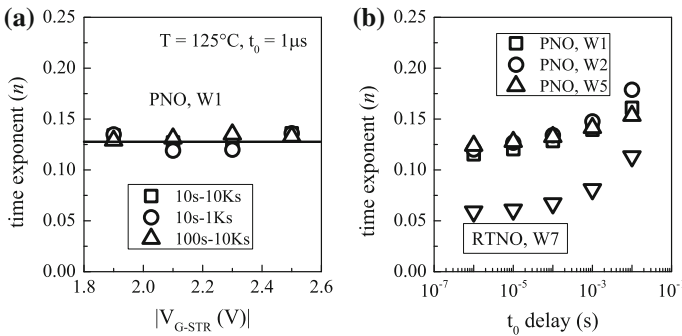


**Fig. 2.4** Time evolution of OTF measured and mobility corrected  $\Delta V_{\text{T}}$  for different time-zero delay, for **a** PNO and **b** RTNO SiON p-MOSFETs under NBTI stress. See Sect. 2.3 for mobility correction

at different stress  $E_{OX}$  and  $T$  measured using the ultra-fast OTF method in differently processed SiON p-MOSFETs has been shown in Chap. 1 and further analyzed later in this book.

As mentioned in Chap. 1, Fig. 1.16, BTI degradation shows power-law time dependence at longer stress time. Measured data are plotted in a log-log plot and the power-law time exponent ( $n$ ) is obtained using linear regression in a specified time range. To verify the robustness of power-law time dependence, Fig. 2.5a plots  $n$  calculated from  $\Delta V_T$  time evolution data as a function of  $V_{G-STR}$  for NBTI stress in PNO-SiON p-MOSFET. Extraction is done for different ranges of  $t_{STR}$  over which regression has been performed. Note that within measurement error, similar values of  $n$  are observed for different  $t_{STR}$  range and across different stress  $V_G$ , as long as  $\Delta V_T$  is measured using a small  $t_0$  delay such that recovery artifacts remain negligible. It is important to note that the  $V_G$  independence of  $n$  shown in Fig. 2.5a does not hold all the time. As mentioned in Chap. 1, measured  $n$  can reduce at higher  $V_{G-STR}$  due to saturation effects, which is caused by reduction in stress  $E_{OX}$  at longer  $t_{STR}$  when  $\Delta V_T$  becomes large. On the other hand,  $n$  can also increase at higher  $V_{G-STR}$  especially for thicker gate insulator devices, due to additional contribution from TDDDB like bulk insulator trap generation [14], which is discussed later in this chapter and also in Chap. 4.

Figure 2.5b illustrates the impact of  $t_0$  delay on extracted  $n$  for p-MOSFETs having different EOT and N content of PNO and RTNO based SiON gate stacks. Note that  $n$  is extracted over a fixed range of  $t_{STR}$  and reduces with reduction in  $t_0$  delay, although PNO devices having different EOT and low to moderate N content show higher magnitude of  $n$  when compared to the RTNO device. It is important to note that a smaller  $t_0$  captures  $I_{DLIN0}$  that is relatively less degraded, and results in larger BTI degradation and lower time exponent  $n$ . Similarly for a particular  $t_0$  delay,  $I_{DLIN0}$  is less degraded for PNO compared to RTNO device, refer to Fig. 2.3b, and results in smaller degradation magnitude and higher  $n$  for the former device. Therefore, it is important to use ultra-fast OTF measurements to properly



**Fig. 2.5** Power-law time exponent  $n$  of OTF measured  $\Delta V_T$ , **a** plotted versus  $V_{G-STR}$  and extracted for different stress time ranges for linear regression, and **b** versus time-zero delay, for PNO and RTNO SiON p-MOSFETs under NBTI stress

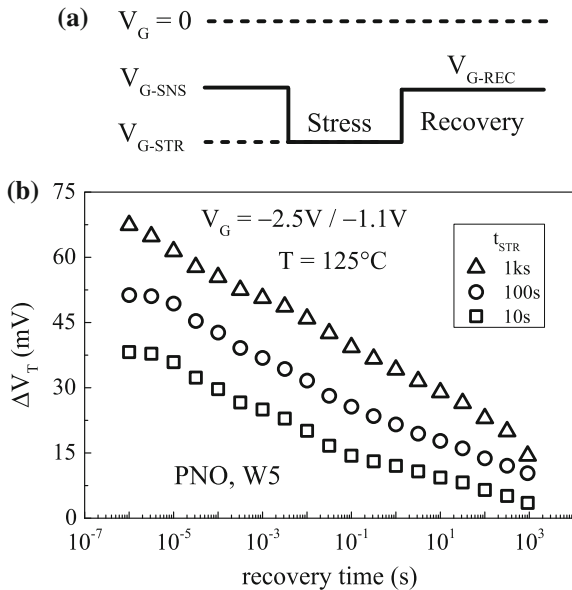
measure BTI degradation in wide variety of gate insulator devices. More results of OTF measured time exponent  $n$  for different devices and stress conditions are presented and analyzed in other chapters of this book.

### 2.2.2 Recovery After DC Stress

As mentioned before, it is now well known that BTI degradation recovers substantially after the reduction of stress  $V_G$ . Figure 2.6a illustrates the gate bias sequence for OTF measurement of BTI recovery at  $V_G = V_{G-REC}$  following BTI stress at  $V_G = V_{G-STR}$  for a time  $t_{STR}$ . The pulse generator applies  $V_G = V_{G-REC}$  to the gate of the MOSFET and the DSO is triggered to measure pre-stress  $I_{DLIN}$ , which is recorded as  $I_{DLIN0}$ . The pulse generator is then triggered to output  $V_G = V_{G-STR}$  for a duration  $t_{STR}$ , during which the device degrades due to BTI, after which  $V_G$  drops back to  $V_{G-REC}$ . The DSO is synchronously triggered again with the falling edge of the gate pulse, and recovery of degraded  $I_{DLIN}$  is measured. Once again, the voltage shift for BTI recovery can be calculated using  $\Delta V = -\Delta I_{DLIN}/I_{DLIN0} * (V_{G-REC} - V_{T0})$ , where  $\Delta I_{DLIN}$  is  $I_{DLIN} - I_{DLIN0}$  and  $I_{DLIN0}$  is recorded at  $V_G = V_{G-REC}$  before stress. Mobility correction is used to convert  $\Delta V$  to  $\Delta V_T$  using the method of [12] as discussed in the following section.

Figure 2.6b plots time evolution of  $\Delta V_T$  recovery measured using the OTF technique after NBTI stress in PNO-SiON p-MOSFETs for different  $t_{STR}$  values. It is important to note that  $\Delta V_T$  starts to recover as soon as  $V_G$  is reduced from  $V_{G-STR}$

**Fig. 2.6** OTF recovery measurement: **a** applied gate voltage sequence, **b** time evolution of measured and mobility corrected  $\Delta V_T$  recovery after NBTI stress for different stress time in PNO SiON p-MOSFET



to  $V_{G-REC}$ . This suggests the necessity of using ultra-fast setup for BTI characterization using MSM or OSDD methods, and is discussed later in this chapter. More BTI recovery results measured using OTF method for different devices and stress conditions are presented and analyzed in Chap. 6 of this book.

### 2.3 Mobility Degradation

As discussed in Chap. 1,  $I_{DLIN}$  degradation especially during NBTI stress is caused by degradation in both  $V_T$  and  $\mu_{eff}$ , the later results in transconductance ( $g_m$ ) degradation, refer to Chap. 1, Fig. 1.16. Therefore, the contribution of  $\Delta\mu_{eff}$  on  $\Delta I_{DLIN}$  needs to be determined for accurate determination of time evolution of  $\Delta V_T$  from OTF technique.

The drain current of a MOSFET in above threshold and linear regime of operation,  $I_{DLIN}$ , is given by the following equation [15]:

$$I_{DLIN} = \mu_{eff} C_{OX} \frac{W}{L} \left( V_G - V_T - m \frac{V_D}{2} \right) V_D \quad (2.1)$$

In (2.1),  $\mu_{eff}$  is effective mobility,  $C_{OX}$  is gate capacitance,  $W$  and  $L$  are device width and channel length respectively,  $V_G$  and  $V_D$  are gate and drain biases respectively, and  $m$  is calculated using the subthreshold  $I_D$  versus  $V_G$  characteristics. For higher gate overdrive ( $V_G - V_T$ ), the effective mobility can be expressed using a simple first order relation as follows [10, 12]:

$$\mu_{eff} = \frac{\mu_0}{1 + \theta(V_G - V_T)} \quad (2.2)$$

In (2.2),  $\mu_0$  is low field mobility and  $\theta$  is high field reduction factor. The variation in  $I_{DLIN}$  due to BTI can be obtained by differentiating (2.1) as follows [12]:

$$-\left| \frac{\Delta I_{DLIN}}{I_{DLIN0}} \right| = \frac{\Delta\mu_{eff}}{\mu_{eff0}} \frac{V_G - V_T - m \frac{V_D}{2}}{V_G - V_{T0} - m_0 \frac{V_D}{2}} + \frac{\mu_{eff}}{\mu_{eff,0}} \frac{-|\Delta V_T| - \frac{V_D}{2} |\Delta m|}{V_G - V_{T0} - m_0 \frac{V_D}{2}} \quad (2.3)$$

Note that besides  $\Delta V_T$ ,  $\Delta I_{DLIN}$  is also impacted by  $\Delta\mu_{eff}$  ( $=\mu_{eff} - \mu_{eff,0}$ ) and therefore by  $\Delta\mu_0$  ( $=\mu_0 - \mu_{0,0}$ ) and  $\Delta\theta$  ( $=\theta - \theta_0$ ), as well as by  $\Delta m$  ( $=m - m_0$ ), where  $\mu_{eff,0}$ ,  $\theta_0$  and  $m_0$  are corresponding pre-stress values. The simplified expression used in Sect. 2.2,  $\Delta V = -\Delta I_{DLIN}/I_{DLIN0} * (V_{G-STR} - V_{T0})$ , is derived from (2.3) by ignoring  $\Delta\mu_{eff}$  and  $\Delta m$ , and therefore,  $\Delta V$  needs to be corrected, especially for NBTI stress, to obtain proper, “mobility corrected”  $\Delta V_T$  [12].

The mobility and  $m$  factor degradation can be assessed by measuring  $I_{DLIN}$  versus  $V_G$  sweeps before and during logarithmically spaced intervals of NBTI stress. Pre- and post-stress  $I_{DLIN}$  versus  $V_G$  data in above threshold at high gate overdrive can be used to obtain  $\mu_{eff}$  versus ( $V_G - V_T$ ) data, where the mobility

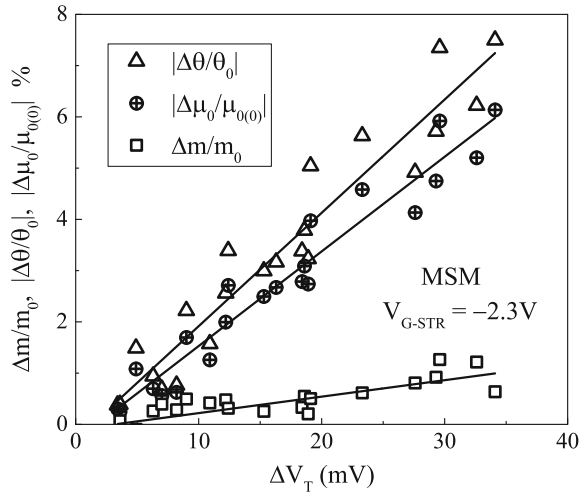
expression of (2.2) remains valid, and can be fitted to obtain  $\mu_0$  and  $\theta$ , and hence, time evolution of  $\Delta\mu_0$  and  $\Delta\theta$  can be determined. Time evolution of  $\Delta m$  can be obtained from subthreshold slope degradation and that of  $\Delta V_T$  from  $V_T$  extracted using conventional “peak  $g_m$ ” method.

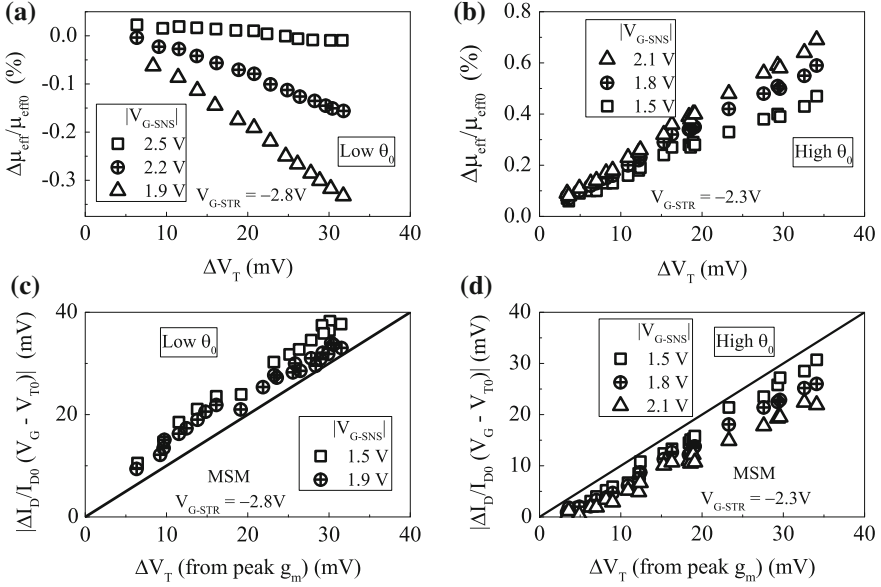
Figure 2.7 shows normalized  $\Delta\mu_0$ ,  $\Delta\theta$  and  $\Delta m$  as a function of  $\Delta V_T$  for NBTI stress in SiON p-MOSFETs. The magnitude of  $\mu_0$  and  $\theta$  reduce and that of  $m$  increases after NBTI stress. Moreover,  $\Delta\mu_0$ ,  $\Delta\theta$  and  $\Delta m$  are linearly correlated to  $\Delta V_T$ , and this correlation can be used to construct a “mobility correction” algorithm as discussed later. Note that for a particular  $\Delta V_T$ , much larger variation is usually observed for  $\Delta\mu_0$  and  $\Delta\theta$  than that for  $\Delta m$ , and therefore, correction due to  $\Delta m$  has negligible impact and can be ignored as discussed in [12].

It is important to remark that the correlation of  $\Delta\mu_{\text{eff}}$  to  $\Delta V_T$  depends on  $\theta_0$ , the pre-stress slope of  $\mu_{\text{eff}}$  versus  $(V_G - V_T)$  data, refer to (2.2). Note that when compared at fixed  $(V_G - V_T)$ , obtained  $\mu_{\text{eff}}$  always reduces after NBTI stress, and therefore,  $\Delta\mu_{\text{eff}} < 0$ . However, actual NBTI measurements are done at fixed  $V_G$ , and for devices having high  $\theta_0$ , reduction in  $\mu_0$  can be overcompensated by reduction in  $\theta_0$  and  $(V_G - V_T)$  after NBTI stress, which can result in  $\Delta\mu_{\text{eff}} > 0$ , refer to (2.2) [12].

As an example, Fig. 2.8 shows normalized  $\Delta\mu_{\text{eff}}$  as a function of  $\Delta V_T$  for two different SiON p-MOSFETs having (a) low and (b) high pre-stress  $\theta_0$ . Note that  $\mu_{\text{eff}}$  is extracted using (2.1) from pre- and post-stress  $I_{\text{DLIN}}$  versus  $V_G$  characteristics at fixed sense bias of  $V_G = V_{G\text{-SNS}}$ , while  $V_T$  is extracted by using the peak  $g_m$  method. The magnitude of  $|\Delta\mu_{\text{eff}}|$  increases with increase in  $\Delta V_T$  due to NBTI stress for both devices. However, the device with low  $\theta_0$  shows  $\Delta\mu_{\text{eff}} < 0$  as expected, while the device with high  $\theta_0$  shows  $\Delta\mu_{\text{eff}} > 0$  due to overcompensation effect discussed above. It is also important to note that for a particular  $\Delta V_T$ ,  $|\Delta\mu_{\text{eff}}|$  reduces with

**Fig. 2.7** Correlation of degradation in parameters  $m$ ,  $\mu_0$  and  $\theta$  shown in (2.1) and (2.2) to  $\Delta V_T$  for NBTI stress in PNO SiON p-MOSFET. Data obtained using  $I$ - $V$  sweeps in slow MSM method

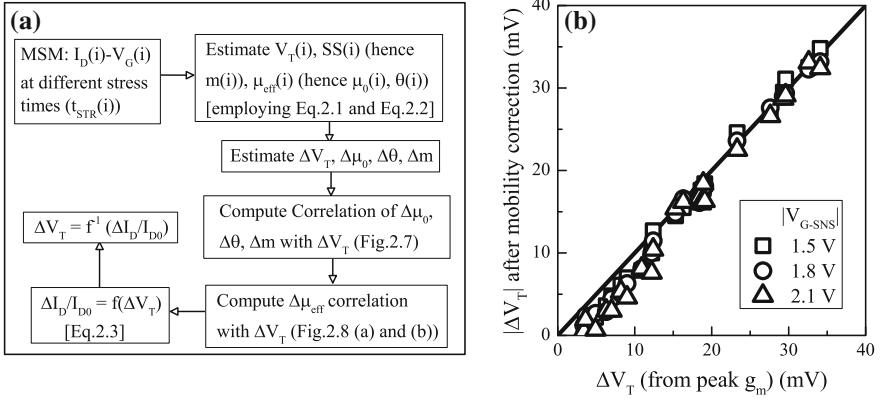




**Fig. 2.8** Correlation of normalized mobility degradation measured using different sense  $V_G$  to  $\Delta V_T$  for NBTI stress in PNO SiON p-MOSFET having **a** low  $\theta_0$  and **b** high  $\theta_0$ . Correlation of corresponding mobility uncorrected voltage shift using simple  $I_{DLIN}$  expression to  $\Delta V_T$  for **c** low  $\theta_0$  and **d** high  $\theta_0$  devices.  $\Delta V_T$  is obtained using peak  $g_m$  method

increase in  $|V_{G-SNS}|$  for low  $\theta_0$  device, while for high  $\theta_0$  device,  $|\Delta\mu_{eff}|$  increases with increase in  $|V_{G-SNS}|$  as shown in Fig. 2.8a, b.

Note that the magnitude and sign of  $\Delta\mu_{eff}$  versus  $\Delta V_T$  correlation would impact  $\Delta I_{DLIN}$  versus  $\Delta V_T$  correlation as per (2.3), since  $\Delta I_{DLIN}$  is also obtained from  $I_{DLIN}$  measurement before and after stress at a fixed  $V_G$ . As an illustration, Fig. 2.8 plots the correlation of  $\Delta V = -\Delta I_{DLIN}/I_{DLIN0} * (V_{G-SNS} - V_{T0})$  versus  $\Delta V_T$  at different sense bias  $V_{G-SNS}$  for SiON p-MOSFETs with (c) low and (d) high pre-stress  $\theta_0$ ; the  $\Delta\mu_{eff}$  versus  $\Delta V_T$  correlation of these devices are shown, respectively in Fig. 2.8a, b. Pre- and post-stress  $V_T$  and hence  $\Delta V_T$  are obtained using the peak  $g_m$  method, and 1:1 correlation is shown by a solid line. As expected,  $\Delta V$  is not equal to  $\Delta V_T$  due to mobility degradation effects. For a particular  $\Delta V_T$ , the device with lower  $\theta_0$  shows higher  $\Delta V$  than 1:1 correlation line, see Fig. 2.8c, and the error in  $\Delta V$  increases with reduction in  $|V_{G-SNS}|$ . On the other hand, the device with higher  $\theta_0$  has lower  $\Delta V$  than 1:1 correlation line, see Fig. 2.8d, while the error in  $\Delta V$  increases with increase in  $|V_{G-SNS}|$ . Therefore, if mobility correction is not taken into consideration, OTF measurements can result in higher or lower than actual NBTI degradation, and the error will be dependent on  $V_{G-SNS}$ , which is  $V_{G-STR}$  for OTF method. Therefore, not only the NBTI magnitude but also the  $V_{G-STR}$  or  $E_{OX}$  dependence of measured degradation will get corrupted, which will result in incorrect extrapolated degradation at use condition.



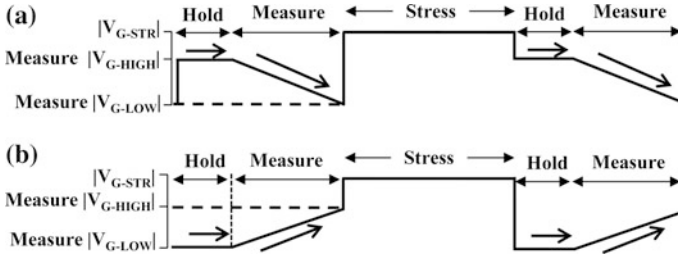
**Fig. 2.9** **a** Algorithm for mobility correction of OTF data. **b** Correlation of mobility corrected calculated  $\Delta V_T$  from measured  $I_{D,LIN}$  at different sense  $V_G$  to measured  $\Delta V_T$  using peak  $g_m$  method for NBTI stress in PNO SiON p-MOSFET

$I_{D,LIN}$  versus  $V_G$  measurements before and during NBTI stress interruptions can be used to calculate pre-stress  $\mu_{0,0}$ ,  $\theta_0$  and  $m_0$  values, as well as stress induced  $\Delta\mu_0$ ,  $\Delta\theta$  and  $\Delta m$  versus  $\Delta V_T$  correlation as shown in Fig. 2.7. Moreover, (2.2) can be used to calculate  $\Delta\mu_{eff}$  versus  $\Delta V_T$  correlation as shown in Fig. 2.8a, b, and finally, (2.3) can be used to calculate “mobility corrected”  $\Delta V_T$  [12]. Figure 2.9a illustrates this correction algorithm, and Fig. 2.9b plots “mobility corrected”  $\Delta V_T$  from one spot  $\Delta I_{D,LIN}$  measurements at different  $V_{G-SNS}$  as a function of  $\Delta V_T$  obtained using the conventional peak  $g_m$  method. Note that once mobility degradation is taken into account using (2.3), 1:1 correlation is observed between “peak  $g_m$ ”  $\Delta V_T$  and  $\Delta V_T$  obtained from  $\Delta I_{D,LIN}$  measured at different  $V_{G-SNS}$ . All UF-OTF NBTI data presented elsewhere in this book are corrected for mobility degradation using the method proposed in this section.

## 2.4 Ultra-Fast Measure-Stress-Measure (UF-MSM) Method

Ultra-Fast MSM (UF-MSM) method, illustrated in Fig. 2.10, relies on performing complete  $I_{D,LIN}$  versus  $V_G$  sweeps in few microseconds before and during logarithmically spaced interruptions of BTI stress [6, 7].  $V_T$  is extracted before and after stress from measured  $I_D$ - $V_G$  data by using the conventional “peak  $g_m$ ” method [15], and hence time evolution of  $\Delta V_T$  can be obtained. Note that similar to conventional MSM method, the UF-MSM method also suffers from potential recovery issues since  $V_G$  is lowered from stress for measurement, although the recovery would be substantially lower, if not almost negligible, as stress interruption time is drastically minimized. Note that a tradeoff exists between measurement speed and accuracy,





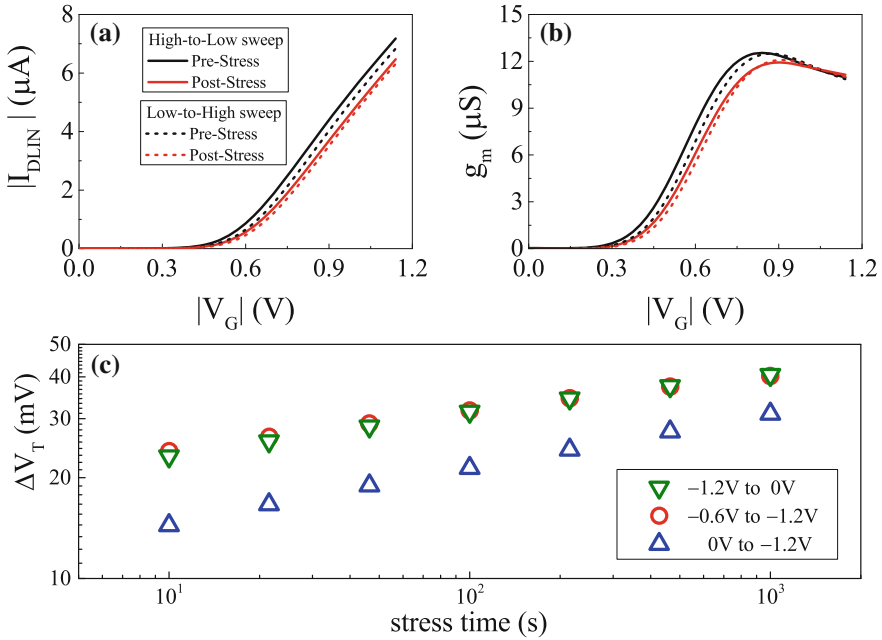
**Fig. 2.10** Schematic of UF-MSM method for DC NBTI measurements. Arrows represent directions of  $V_G$  sweep for  $I-V$  measurement. Measurement delay is sum of hold time and sweep time. Default hold time is 50 ns and sweep time is 10  $\mu$ s unless mentioned otherwise

and commercial setups are now available to reliably perform both DC and AC BTI experiments in MSM mode with  $\sim 10$   $\mu$ s delay [16]. The UF-MSM method has been extensively used to characterize DC and AC degradation during NBTI and PBTI stress in p- and n-channel High-K Metal Gate (HKMG) MOSFETs, respectively [16–19]; results are shown in Chap. 1 and further analyzed in later chapters of this book. This section describes the implementation details of the UF-MSM method. Although early implementation of UF-MSM method was made using custom setups [6], all results presented in this book are measured using commercially available instrument [16]. Although UF-MSM method has been used to characterize NBTI stress in both SiON and HKMG devices and PBTI stress in HKMG devices, results presented in this section are obtained from NBTI stress in p-channel HKMG MOSFETs.

#### 2.4.1 Measurements During DC Stress

As shown in Fig. 2.10,  $V_G$  sweeps for  $I_{DLIN}$  measurements can be made either from high to low (H to L) or from low to high (L to H) values,<sup>1</sup> however, note that it is important to keep identical sweep direction for pre- and post-stress measurements. Figure 2.11 plots pre- and post-stress (a)  $I_{DLIN}$  and (b)  $g_m$  versus  $V_G$  data obtained using H to L and L to H sweeps. Note that due to recovery issues, the H to L and L to H sweep measurements are done on identical but separate devices, stressed at identical  $V_G$  and  $T$ . Identical pre-stress measured values for different sweep directions (small discrepancy is due to device to device variation) verify that the measurement is free from hysteresis issues, which can be either due to inaccurate setup or due to bad gate insulator quality of the device under test. The degradation, i.e., the difference between pre- and post-stress data is different for different sweep directions and is discussed below.

<sup>1</sup>For NBTI stress, low and high values correspond to the magnitude of gate pulse.



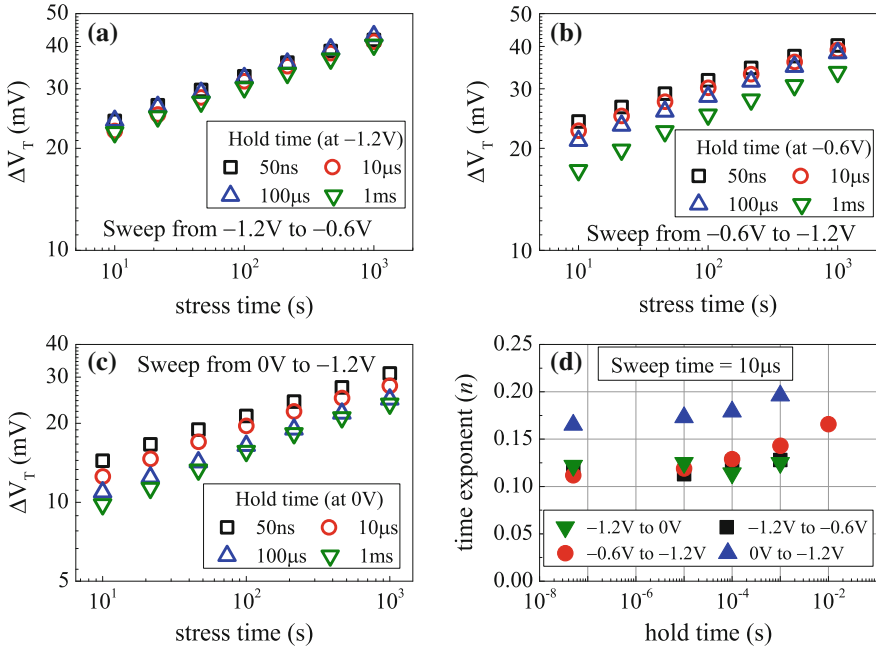
**Fig. 2.11** UF-MSM measured **a**  $I_{DLIN}$  versus  $V_G$  and **b**  $g_m$  versus  $V_G$  characteristics before and after NBTI stress in HKMG p-MOSFET. Data shown for different sweep directions for  $I$ - $V$  measurements. **c** Time evolution of UF-MSM measured  $\Delta V_T$  for different sweep directions and ranges of sweep bias

As mentioned before,  $V_T$  is extracted using the conventional “peak  $g_m$ ” method, where a tangent is drawn on the  $I_{DLIN}$  versus  $V_G$  curve at the  $V_G$  value corresponding to the peak  $g_m$  point.  $I$ - $V$  characteristics are measured before and during logarithmically spaced interruptions in BTI stress, and  $\Delta V_T$  time evolution is obtained. Figure 2.11c plots time evolution of  $\Delta V_T$  obtained at identical NBTI stress conditions but using different sweep directions. Note that  $\Delta V_T$  shows power-law time dependence with exponent  $n$  at longer  $t_{STR}$ . However, the magnitude of  $\Delta V_T$  and its exponent  $n$  show different values for H to L and L to H sweeps for identical hold and sweep time. Higher  $\Delta V_T$  and lower  $n$  are observed for H to L when compared to L to H sweep as shown;  $n$  being obtained using linear regression of measured data in  $t_{STR}$  range to 10 s to 1 Ks.

Although H to L and L to H sweeps are taken using identical voltage range (0 to  $-1.2$  V) and sweep time, the hold before sweep is at higher  $|V_G|$  for H to L and at 0 V for L to H sweep, see Fig. 2.10. Since recovery accelerates at lower  $|V_G|$ , refer to Chap. 1, Fig. 1.22, hold at 0 V for L to H sweep has larger recovery as compared to hold at higher  $|V_G|$  for H to L sweep, and therefore, the former results in lower  $\Delta V_T$  magnitude and higher exponent  $n$  as shown. Note that for L to H sweep, it is sufficient to record  $I_{DLIN}$  from  $V_G$  values just below the peak  $g_m$  point for extraction

of  $V_T$  using the tangent method, and it is not necessary to record  $I_{DLIN}$  all the way from  $V_G = 0$  V. Figure 2.11c also plots the time evolution of  $\Delta V_T$  for L to H sweep from  $-0.6$  to  $-1.2$  V, which, for identical  $V_{G-STR}$  and  $T$ , shows larger  $\Delta V_T$  and lower  $n$  compared to L to H sweep from  $0$  to  $-1.2$  V, due to relatively higher hold  $V_G$  and correspondingly lower recovery. Note that the H to L sweep can also be done from  $-1.2$  V up to  $-0.6$  V instead of going all the way down to  $0$  V to reduce measurement time,  $t_M$ . It should be remarked that the non-zero lower limit of  $V_G$  for L to H and/or H to L sweep should be suitably chosen such that it crosses the  $V_G$  value corresponding to the peak  $g_m$  point, through which a tangent needs to be drawn to estimate  $V_T$ .

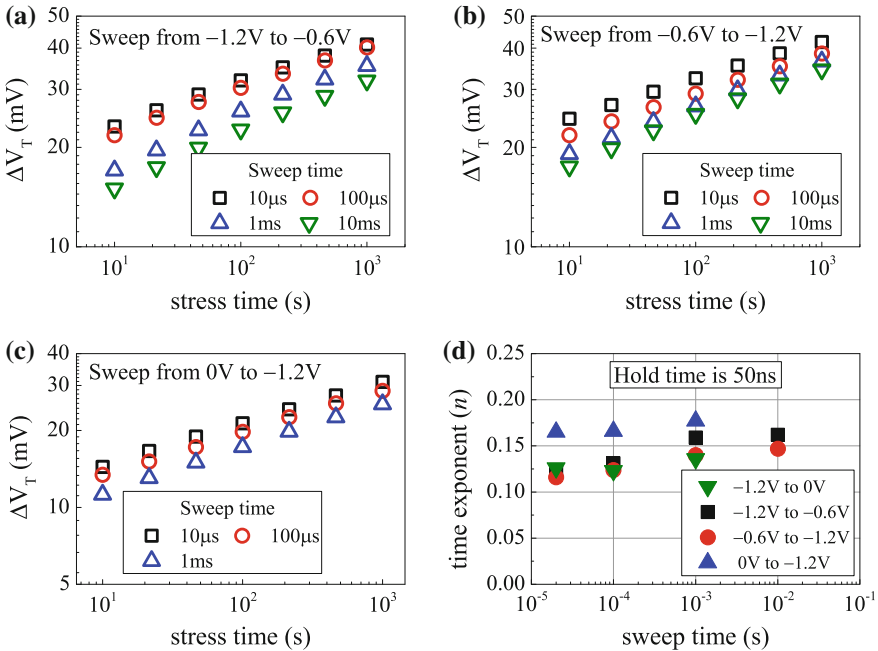
Figure 2.12 shows the impact of hold time on time evolution of  $\Delta V_T$  for (a) H to L sweep from  $-1.2$  to  $-0.6$  V, as well as L to H sweep from (b)  $-0.6$  to  $-1.2$  V and (c)  $0$  to  $-1.2$  V. The power-law time exponents extracted using linear regression of measured data in  $t_{STR}$  range to  $10$  s to  $1$  Ks are shown as a function of hold delay in Fig. 2.12d for different sweep directions. All measurements are done on identical but separate devices, stressed at identical  $V_{G-STR}$  and  $T$ . Note that H to L sweep shows largest  $\Delta V_T$ , smallest  $n$  and negligible impact of hold time, while for L to H sweep,  $\Delta V_T$  reduces and  $n$  increases with increase in hold time, larger  $\Delta V_T$  and smaller  $n$  are obtained for hold at  $-0.6$  V compared to  $0$  V. This is due to negligible



**Fig. 2.12** a–c Impact of hold time on time evolution of UF-MSM measured  $\Delta V_T$  for NBTI stress in HKMG p-MOSFETs for different sweep conditions. **d** Measured power-law time exponent  $n$  versus hold time for different sweep conditions

$\Delta V_T$  recovery at  $-1.2$  V, and much larger recovery at  $0$  V compared to  $-0.6$  V. Therefore, a non-zero lower limit of  $V_G$  sweep reduces the impact of recovery especially for L to H sweep, and the overall measurement time can also be reduced due to reduction in range of sweep  $V_G$ .

Besides hold time, the sweep time also impacts time evolution of measured  $\Delta V_T$ . Higher recovery at lower  $|V_G|$  influences both H to L and L to H sweep based  $I$ - $V$  measurements, even for sweeps with relatively higher, non-zero lower limit of  $V_G$ . Figure 2.13 plots  $\Delta V_T$  time evolution for (a) H to L sweep from  $-1.2$  to  $-0.6$  V, as well as L to H sweep from (b)  $-0.6$  to  $-1.2$  V and (c)  $0$  to  $-1.2$  V. The power-law time exponents obtained using linear regression of measured data in  $t_{STR}$  range to  $10$  s to  $1$  k s are shown as a function of sweep delay in Fig. 2.13d for different sweep directions. Higher sweep time results in lower  $\Delta V_T$  and higher  $n$  for both H to L as well as L to H sweep. However contrary to hold time, the sweep time has relatively larger impact on H to L compared to L to H sweep. This is due to larger recovery at larger sweep delay for H to L compared to L to H sweep, as the later part of the sweep goes towards lower  $|V_G|$  for H to L and towards higher  $|V_G|$  for L to H sweep. Therefore, the sweep direction, hold time and sweep time affect  $\Delta V_T$  time evolution and need to be carefully chosen for UF-MSM measurements.



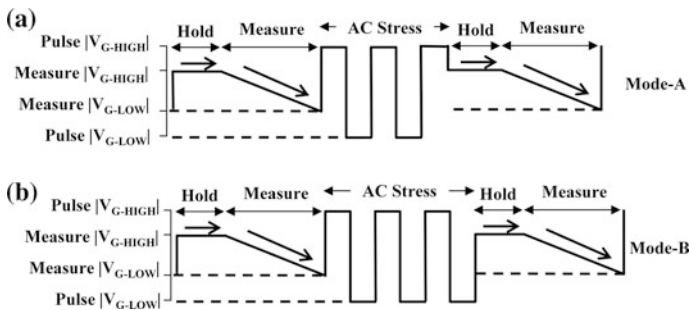
**Fig. 2.13** a–c Impact of sweep time and sweep direction on UF-MSM measured  $\Delta V_T$  time evolution for NBTI stress in HKMG p-MOSFETs. **d** Measured power-law time exponent  $n$  versus sweep time for different sweep conditions

### 2.4.2 Measurements During AC Stress

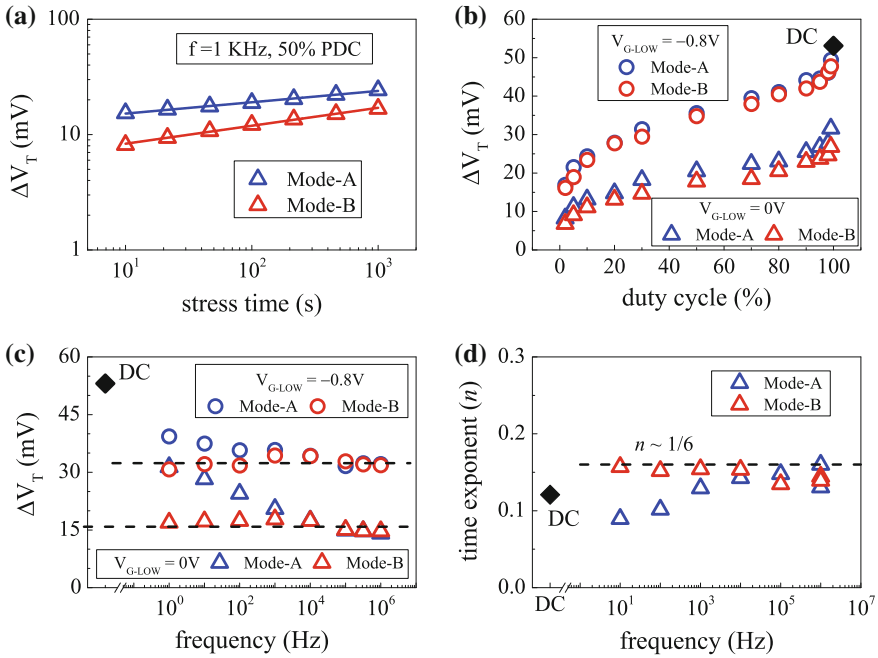
Figure 2.14 shows the gate voltage sequence for AC stress and measurement. AC pulse having a particular frequency ( $f$ ) and duty cycle (PDC) is applied to the gate for stress, pulse  $V_{G-HIGH}$  and pulse  $V_{G-LOW}$  being the stress high and low values, respectively. The device gets stressed during pulse high phase, and recovers during pulse low phase. The pulse low is usually kept at 0 V, although non-zero  $V_{G-LOW}$  can also be used to study the impact of  $V_G$  on recovery for AC stress.  $I-V$  sweeps are measured before and during logarithmically spaced interruptions in BTI stress to extract time evolution of  $\Delta V_T$ . Measure  $V_{G-HIGH}$  and measure  $V_{G-LOW}$  denote the range of  $V_G$  sweep for  $I-V$  measurements. Note that AC stress can be interrupted for  $I-V$  measurements after the completion of last half cycle or last full cycle, defined respectively as Mode-A and Mode-B AC stress. It is important to note that AC BTI results shown in Chap. 1 are from Mode-B stress. Similar to DC stress, the  $I-V$  curves can be measured using H to L or L to H directions of  $V_G$  sweep for AC stress, although H to L direction is used in this book unless mentioned otherwise. It is important to use identical sweep parameters, such as sweep direction, hold time and sweep time for accurate estimation of the ratio of AC to DC degradation.

Figure 2.15a plots time evolution of  $\Delta V_T$  for Mode-A and Mode-B AC stress at identical PDC,  $f$ ,  $V_{G-HIGH}$  ( $=V_{G-STR}$ ) and  $V_{G-LOW}$  ( $=V_{G-REC}$ ) and measured using H to L gate sweep from  $-1.2$  and  $-0.6$  V. Time evolution of  $\Delta V_T$  for AC stress also shows power-law dependence at longer  $t_{STR}$ . However, Mode-A stress shows higher  $\Delta V_T$  magnitude and lower time exponent  $n$  when compared to Mode-B stress, which is due to higher recovery for the later as measurements are done after the pulse low phase. The difference between Mode-A and Mode-B AC stress is analyzed in detail later in this book.

Figure 2.15 also shows the impact of (b) PDC and (c)  $f$  of the AC gate pulse on measured  $\Delta V_T$  at fixed  $t_{STR}$  for Mode-A and Mode-B stress at fixed  $V_{G-HIGH}$  but



**Fig. 2.14** Schematic of UF-MSM method for AC NBTI measurements. Mode-A and Mode-B represents start of  $I-V$  sweep after last half and full cycle, respectively. Identical sweep directions should be used for both modes, which should also be identical to that used for DC stress



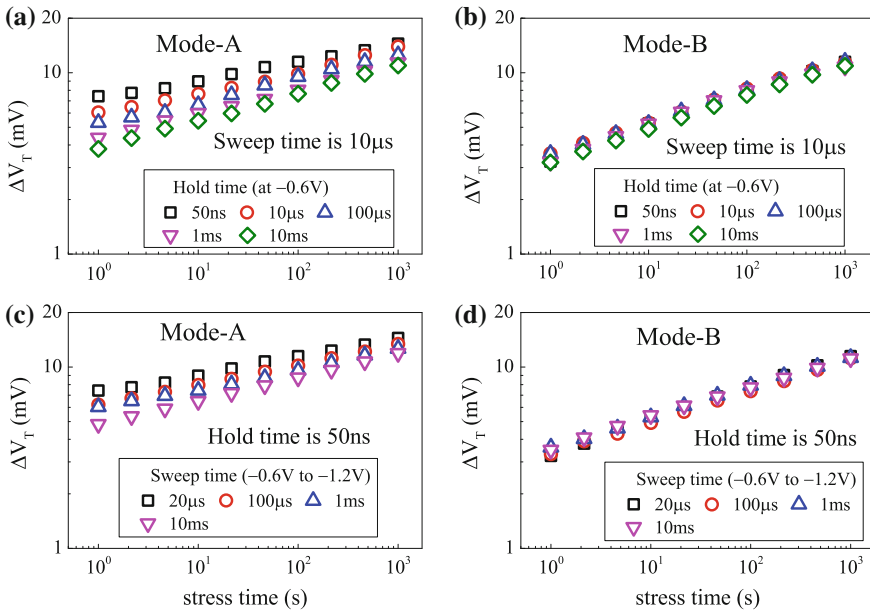
**Fig. 2.15** AC NBTI measurements in HKMG p-MOSFETs using UF-MSM method: **a** Time evolution of  $\Delta V_T$  for Mode-A and Mode-B stress. Fixed time  $\Delta V_T$  for Mode-A and Mode-B stress using AC pulse having different pulse low bias, as a function of **b** duty cycle and **c** frequency. **d** Power-law time exponent  $n$  versus frequency for Mode-A and Mode-B AC stress. DC data are shown as reference

different  $V_{G-LOW}$ , the corresponding DC stress value is shown as reference. Measurements are done using H to L  $V_G$  sweep from  $-1.2$  to  $-0.6$  V. Note that  $\Delta V_T$  for DC and AC stress are obtained at fixed  $t_{STR}$ , which, for AC stress includes both pulse on and off time, and the net stress or pulse on time for AC stress would depend on PDC of the gate pulse. Higher  $\Delta V_T$  is obtained at higher  $|V_{G-LOW}|$  for all PDC and  $f$ , which is consistent with lower recovery at higher  $|V_G|$ .  $\Delta V_T$  increases with increase in PDC due to increase in net pulse high or stress time. The PDC dependence shows a typical “S” shaped characteristics, and a kink or jump is observed between high PDC AC and DC stress. Lower kink in  $\Delta V_T$  is observed for higher  $|V_{G-LOW}|$  and vice versa, which will be explained later in this book. Measured  $\Delta V_T$  for Mode-B stress is independent of  $f$  for different  $V_{G-LOW}$ , although larger AC to DC ratio is observed for higher  $|V_{G-LOW}|$  and vice versa. On the other hand,  $\Delta V_T$  for Mode-A stress is higher when compared to Mode-B  $\Delta V_T$  especially at lower  $f$ , however, the former reduces with increase in  $f$  and merges with the later at higher  $f$  and also shows  $f$  dependence.

The impact of AC pulse  $f$  on measured power-law time exponent  $n$  for Mode-A and Mode-B stress is shown in Fig. 2.15d. As mentioned before,  $n$  is extracted by

using linear regression of measured data in  $t_{STR}$  range of 10 s to 1k s. Note that Mode-B stress shows universal  $n \sim 1/6$  value and  $f$  independence of  $n$ . On the other hand, Mode-A stress results in lower  $n$  compared to Mode-B especially at lower  $f$ , however,  $n$  for the former increases with increase in  $f$  and merges with the later at higher  $f$  and shows  $f$  independence. It is important to note the  $f$  independence of  $\Delta V_T$  and  $n$  for Mode-B stress. Moreover, the observed  $f$  dependence of  $\Delta V_T$  and  $n$  for Mode-A stress especially at lower  $f$  is also of interest;  $\Delta V_T$  reduces but  $n$  increases with increase in  $f$ . These aspects will be explained in Chap. 6.

The impact of hold and sweep delay on AC stress is also of interest. Figure 2.16 shows  $\Delta V_T$  time evolution measured using L to H  $V_G$  sweep from  $-0.6$  to  $-1.2$  V for (a, c) Mode-A and (b, d) Mode-B AC stress, for different (a, b) hold time and (c, d) sweep time. Similar to DC, Mode-A AC stress is also affected by both hold and sweep time; lower  $\Delta V_T$  magnitude and higher power-law time exponent  $n$  are observed for higher measurement delay. However, the sweep and hold delay have negligible impact on Mode-B AC stress as shown. This can be explained by noting that  $I-V$  sweeps for Mode-B stress are done after the pulse off phase where recovery takes place, and therefore, additional delay has negligible impact on measured  $\Delta V_T$  time evolution. However, this is not the case for Mode-A stress as  $I-V$  sweeps are done after pulse high phase, and hence, delay influences measured time evolution of  $\Delta V_T$  as shown. Therefore, it is necessary to use UF-MSM for accurate estimation of DC to AC ratio for Mode-A and Mode-B AC stress.

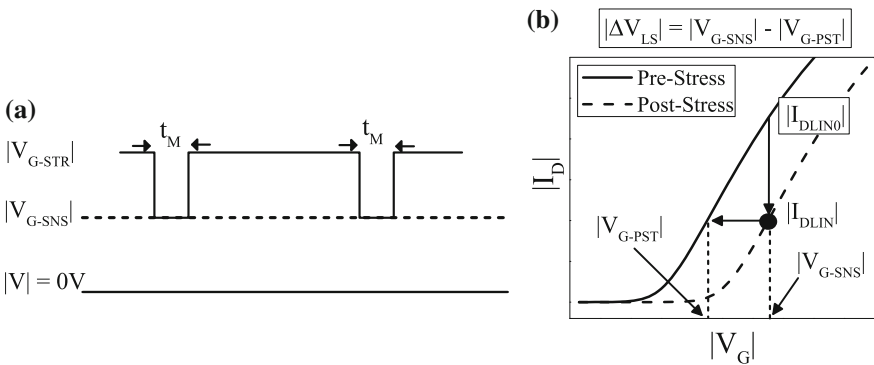


**Fig. 2.16** Impact of (a, b) hold time and (c, d) sweep time for UF-MSM measured  $\Delta V_T$  time evolution during AC (a, c) Mode-A and (b, d) Mode-B NBTI stress in HKMG p-MOSFETs

### 2.5 One Spot Drop Down (OSDD) Method

In OSDD technique, illustrated in Fig. 2.17, BTI stress is interrupted and  $V_G$  is reduced from  $V_{G-STR}$  to a suitable sense bias ( $V_{G-SNS}$ ) to measure  $I_{DLIN}$  in time  $t_M$ . Similar to MSM, the OSDD technique would also suffer from recovery issues, however, it takes much shorter time to measure a single spot  $I_D$  than full  $I_D-V_G$  sweep and hence recovery can be minimized. Although specialized commercial setups are now available to reliably perform full  $I_D-V_G$  sweeps in few microseconds, OSDD has been particularly useful in the past when such specialized instruments were not available. As shown in Fig. 2.17, once post-stress  $I_{DLIN}$  is measured at  $V_{G-SNS}$ , it can be compared to pre-stress  $I_D-V_G$  sweep to determine BTI degradation. In the vertical shift method,  $\Delta V = -\Delta I_{DLIN}/I_{DLIN0} * (V_{G-SNS} - V_{T0})$  can be estimated by noting the difference in  $I_{DLIN}$  between pre- and post-stress at  $V_{G-SNS}$ , and in the absence of mobility variation,  $\Delta V$  equals  $\Delta V_T$ . Note that the absence of mobility degradation implies parallel  $I_D-V_G$  curves before and after stress. In the lateral shift method, the voltage corresponding to post-stress  $I_{DLIN}$  is noted from the pre-stress  $I_D-V_G$  curve, which is denoted as  $V_{G-PST}$  as shown in Fig. 2.17, and the difference between  $V_{G-PST}$  and  $V_{G-SNS}$  is used to calculate  $\Delta V_{LS}$ , which becomes equal to  $\Delta V_T$  in the absence of mobility degradation.

In the technique proposed in [20],  $I_{DLIN}$  is measured at  $V_{G-SNS} = V_{T0}$ , where  $V_{T0}$  is pre-stress threshold voltage of the device and lateral shift method is used. Note that the lateral shift method assumes parallel  $I_D-V_G$  curves before and after stress and hence no mobility degradation, which is a fair assumption for PBTI stress as discussed in Chap. 1, and also at lower  $V_{G-SNS}$  close to  $V_{T0}$  for NBTI stress, which will be shown later in this section. However, as recovery magnitude increases with increase in the difference between  $V_{G-STR}$  and  $V_{G-SNS}$  [16, 21], a low  $V_{G-SNS}$  readout would suffer from recovery artifacts, shown in [22] and discussed later in this section, unless  $I_{DLIN}$  is recorded in few microseconds. There exists a tradeoff



**Fig. 2.17** a Schematic of OSDD method. b Measured  $I_{DLIN}$  versus  $V_G$  sweep before stress and one spot  $I_{DLIN}$  measurement after stress. The lateral and vertical shift methods for  $\Delta V_T$  extraction are illustrated

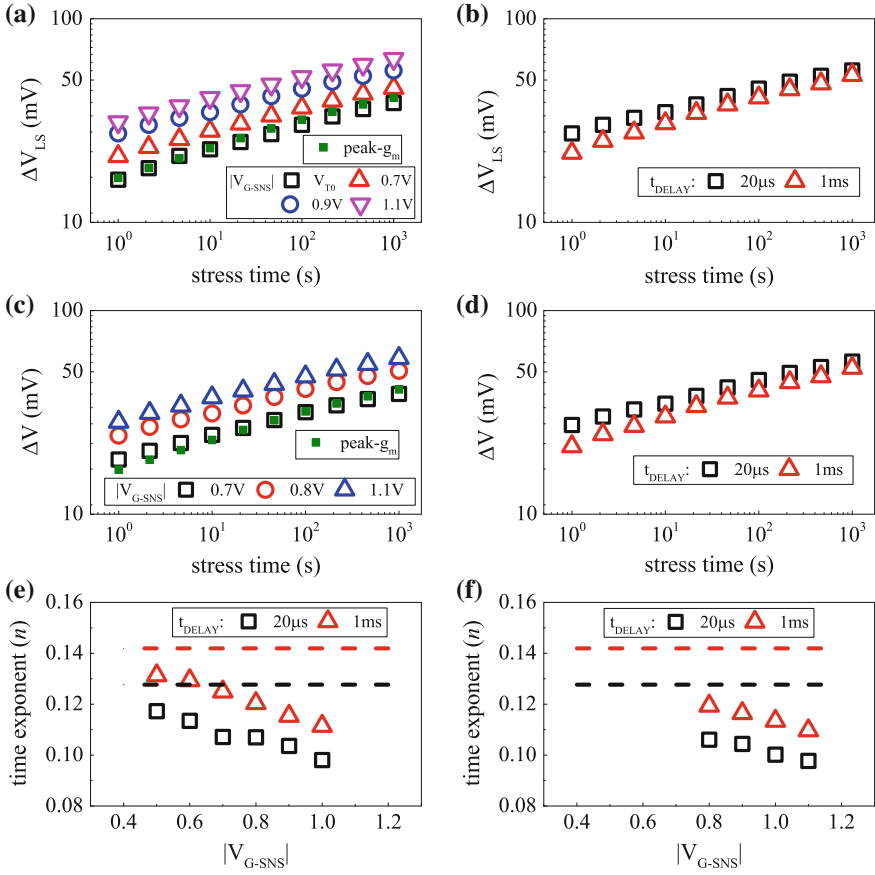


between  $V_{G-SNS}$  and drop down delay to minimize the impact of recovery, refer to Chap. 1, Fig. 1.29 for details. Alternatively, especially for relatively slower measurements, the recovery can be reduced by dropping down to  $V_{G-SNS} = V_{DD}$  for  $I_{DLIN}$  measurement, where  $V_{DD}$  is the operating voltage of the device [23, 24].  $\Delta V_T$  can be calculated either using the lateral shift or vertical shift methods. However, measured  $\Delta I_{DLIN}$  at high  $V_{G-SNS}$  is affected by both  $\Delta V_T$  and  $\Delta \mu_{eff}$ , especially for NBTI stress, and the impact of  $\Delta \mu_{eff}$  needs to be corrected as described later in this section. Although OSDD method has been used to characterize NBTI in SiON and HKMG p-MOSFETs and PBTI in HKMG n-MOSFETs [20, 24], in this chapter, results are only shown for NBTI in HKMG p-MOSFETs.

Figure 2.18 plots the time evolution of measured  $\Delta V_{LS}$  during NBTI stress in HKMG p-MOSFETs by using the lateral shift method, for (a) fixed  $t_M$  and different  $V_{G-SNS}$  and (b) fixed  $V_{G-SNS}$  and different  $t_M$ . The same  $I_{DLIN}$  data can be used to calculate  $\Delta V$  using the vertical shift method using the equation shown above, and obtained time evolution is shown in Fig. 2.18 for (c) fixed  $t_M$  and different  $V_{G-SNS}$  and (d) fixed  $V_{G-SNS}$  and different  $t_M$ . The impact of  $V_{G-SNS}$  on power-law time exponent  $n$ , extracted by linear regression of measured data in  $t_{STR}$  range of 10 s to 1 Ks, is plotted in Fig. 2.18 for (e) lateral and (f) vertical shift methods, for different measurement delay  $t_M$ . Finally, the time evolution of  $\Delta V_T$  obtained using 10  $\mu$ s UF-MSM method is shown in Fig. 2.18a, c, and power-law time exponent  $n$  extracted from MSM data for different measurement delay is shown in Fig. 2.18e, f as reference.

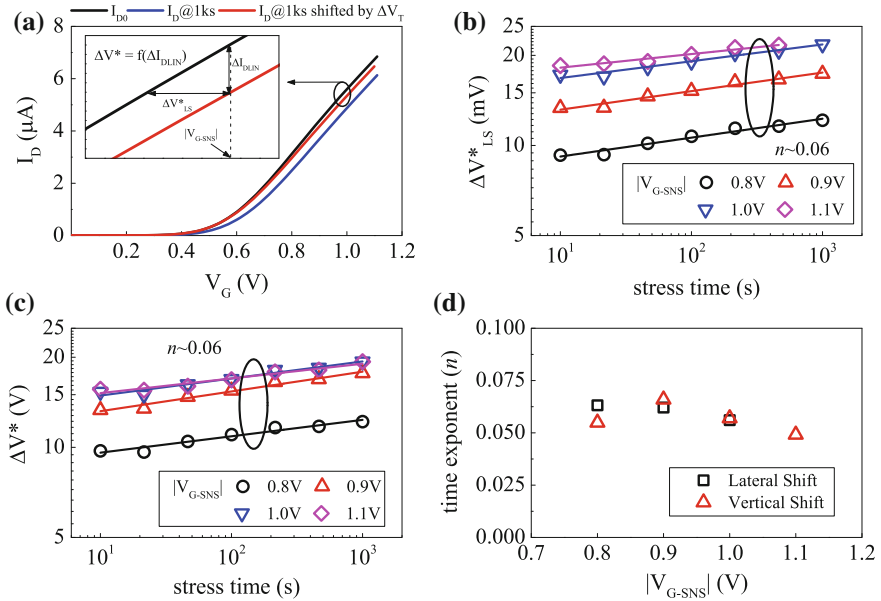
Note that when compared to the UF-MSM method for a particular  $t_M$ , the magnitude of  $\Delta V_{LS}$  from the lateral shift and  $\Delta V$  from the vertical shift OSDD method increases with increase in  $V_{G-SNS}$  as shown respectively in Fig. 2.18a, c, and the corresponding time exponent  $n$  reduces as shown in Fig. 2.18e, f. Since recovery is negligible due to the use of small  $t_M$ , this is an artifact of mobility degradation at higher  $V_{G-SNS}$  and is discussed below. However, for a particular  $V_{G-SNS}$ , the magnitude of  $\Delta V_{LS}$  and  $\Delta V$  reduces and corresponding time exponent  $n$  increases with increase in  $t_M$ , as shown in Fig. 2.18b–f, which can be attributed to recovery artifacts as discussed in the previous section.

To illustrate the impact of mobility degradation, Fig. 2.19a shows  $I_{DLIN}$  versus  $V_G$  characteristics measured using UF-MSM method in HKMG p-MOSFETs before and after NBTI stress. Pre- and post-stress  $V_T$  is determined using the peak  $g_m$  method, and the post-stress  $I-V$  curve is shifted by  $\Delta V_T$  to align with the pre-stress curve. Note that although the shifted post-stress curve aligns with the pre-stress curve at lower  $V_G$ , the curves do not match at higher  $V_G$ , and the post-stress curve is below the pre-stress curve due to additional mobility degradation. The mobility impact for vertical shift method is assessed by  $\Delta V^* = -\Delta I_{DLIN}/I_{DLIN0} * (V_{G-SNS} - V_{T0})$ , where  $\Delta I_{DLIN}$  is difference between pre-stress and  $\Delta V_T$  shifted post-stress curve. In a similar manner, the mobility impact for lateral shift method is assessed by noting  $\Delta V_{LS}^*$ , the lateral difference between pre-stress and  $\Delta V_T$  shifted post-stress curves as shown in Fig. 2.19a. Similar analysis can be done at different  $V_{G-SNS}$  and for post-stress  $I-V$  measured at different  $t_{STR}$ .



**Fig. 2.18** OSDD measurements: Time evolution of (a, b)  $\Delta V_{LS}$  using lateral shift and (c, d)  $\Delta V$  using vertical shift methods, for different (a, c) sense bias and (b, d) measurement delay, for NBTI stress in HKMG p-MOSFETs. Impact of sense  $V_G$  on power-law time exponent  $n$  for e lateral shift and f vertical shift method for different measurement delay. UF-MSM data obtained using peak  $g_m$  method are shown as reference in (a, c). Lines in (e, f) represent UF-MSM measured time exponent  $n$  for different delay

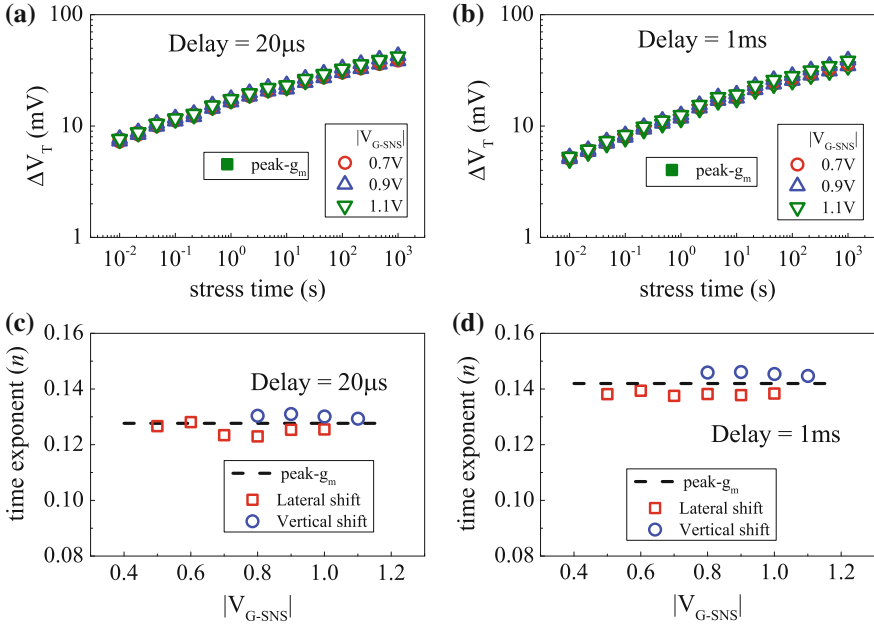
The resulting time evolution of  $\Delta V_{LS}^*$  and  $\Delta V^*$  at different  $V_{G-SNS}$  is shown respectively in Fig. 2.19b, c. It is evident that post-stress  $I_{DLIN}$  is affected by both  $\Delta V_T$  and  $\Delta \mu_{eff}$  especially at higher  $V_{G-SNS}$ . The contribution due to  $\Delta \mu_{eff}$ , manifested as  $\Delta V_{LS}^*$  or  $\Delta V^*$  for lateral or vertical shift methods respectively, increases with increase in  $V_{G-SNS}$ . Therefore,  $\Delta V_{LS}$  and  $\Delta V$ , extracted from lateral or vertical shift in  $I_D-V_G$  curve after stress, increases at higher  $V_{G-SNS}$  due to additional contribution respectively from  $\Delta V_{LS}^*$  and  $\Delta V^*$ . Although time evolution of  $\Delta V_{LS}^*$  and  $\Delta V^*$  shows power-law time dependence, they have lower time exponent  $n$  compared to



**Fig. 2.19** Isolation of mobility impact: **a** Measured  $I_{DLIN}$  versus  $V_G$  curves before and after stress, and shift of post-stress  $I$ - $V$  curve by  $\Delta V_T$ . Calculated degradation using **b** lateral and **c** vertical shift methods, between pre-stress and  $\Delta V_T$  shifted post-stress data for different sense  $V_G$ . **d** Power-law time exponent of mobility degradation induced degradation obtained at different sense  $V_G$  from (b) and (c). Data from NBTI stress in HKMG p-MOSFETs

that for  $\Delta V_T$ , which is evident from Fig. 2.19b, c. The impact of  $V_{G-SNS}$  on time exponent  $n$ , extracted using linear regression of time evolution of  $\Delta V_{LS}^*$  and  $\Delta V^*$  data in  $t_{STR}$  range of 10 s to 1 Ks is shown in Fig. 2.19d. Due to lower  $n$  for  $\Delta V_{LS}^*$  and  $\Delta V^*$ , increased  $\Delta V_{LS}$  and  $\Delta V$  magnitude is always associated with reduced time exponent  $n$  when OSDD measurements are done at higher  $V_{G-SNS}$ , as shown in Fig. 2.18e, f.

Figure 2.20a, b plot the time evolution of  $\Delta V_{LS} - \Delta V_{LS}^*$  and  $\Delta V - \Delta V^*$  obtained at different  $V_{G-SNS}$  respectively from lateral and vertical shift methods for different measurement delay. It is important to remark that once the voltage shift  $\Delta V_{LS}^*$  and  $\Delta V^*$  corresponding to mobility degradation is subtracted, time evolution of  $\Delta V_{LS} - \Delta V_{LS}^*$  and  $\Delta V - \Delta V^*$  would correspond to that of  $\Delta V_T$ . Figure 2.20c, d shows the impact of  $V_{G-SNS}$  on corresponding time exponent  $n$ , obtained using linear regression of the mobility corrected measured data in  $t_{STR}$  range of 10 s to 1 Ks, for lateral and vertical shift methods for different measurement delay. UF-MSM measured  $\Delta V_T$  time evolution for different measurement delay and corresponding time exponents are also shown as reference. It is important to note that once the impact of mobility is corrected, the lateral and vertical shift methods provide identical  $\Delta V_T$  and  $n$  values at different  $V_{G-SNS}$ , which matches well with UF-MSM measured data, and this holds for different measurement delay as shown.

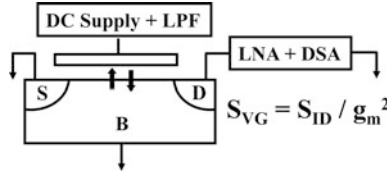


**Fig. 2.20** **a, b** Time evolution of mobility corrected  $\Delta V_T$  from lateral and vertical shift OSDD methods at different sense  $V_G$  for different measurement delay, for NBTI stress in HKMG p-MOSFETs. **c, d** Extracted long-time power-law time exponent  $n$  versus sense  $V_G$ , obtained from data in **(a, b)**. UF-MSM measured data obtained using peak  $g_m$  method are shown as reference

## 2.6 Flicker Noise

Figure 2.21 shows the schematic of a flicker noise setup. Gate of the MOSFET is connected to a power supply via a low pass filter; drain is connected to a digital spectrum analyzer via a low noise amplifier. Power spectral density of drain current noise ( $S_{ID}$ ) is measured in frequency ( $f$ ) domain for different values of gate overdrive ( $V_G - V_{T0}$ ), and input referred noise ( $S_{VG}$ ) is obtained from the relation  $S_{VG} = S_{ID}/g_m^2$ , where  $V_{T0}$  and  $g_m$  are threshold voltage and transconductance respectively of the device under test [25].

Several mechanisms have been proposed in the past to explain flicker noise in MOSFETs. Some reports suggest noise is due to fluctuation in inversion layer carrier density [26–28], while others relate noise to bulk mobility fluctuation [29, 30]. The number fluctuation model [26–28] is based on McWhorter’s theory of random trapping and detrapping of inversion layer carriers in the gate insulator traps [31], which in turn causes surface potential fluctuation and hence variation in inversion layer carrier density. The model suggests  $S_{VG}$  to be independent of gate overdrive, and strong correlation of  $S_{VG}$  to density of gate insulator traps [32, 33]. The mobility fluctuation model on the other hand is based on Hooge’s empirical



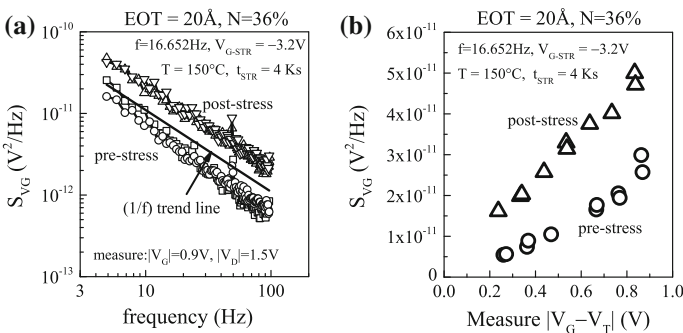
**Fig. 2.21** Schematic of flicker noise measurement setup

formulation derived for bulk semiconductors [34], and in MOSFETs it is associated to fluctuations in bulk mobility as a result of fluctuation in phonon population due to phonon scattering [35]. In contrast to the number fluctuation theory, the mobility fluctuation model suggests  $S_{VG}$  to be linearly dependent on  $(V_G - V_{T0})$ .

Flicker noise method has been used in the past to directly estimate gate insulator defects in Silicon Dioxide ( $\text{SiO}_2$ ) MOSFETs [32, 33]. More recently, the method has been used to determine pre-existing trap density in MOSFETs having differently processed SiON and HKMG gate insulators [25, 36–38]. Although flicker noise can also be utilized to determine trap generation after BTI stress [25], accurate flicker noise measurement is a time consuming process and hence the method would suffer from recovery issues and cannot estimate correct magnitude of generated defects.

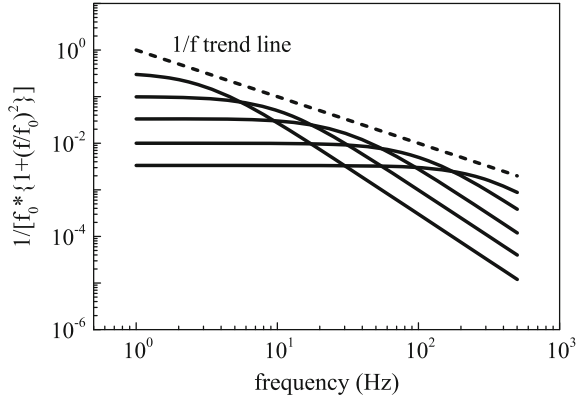
Figure 2.22 plots  $S_{VG}$  as a function of (a) frequency at fixed  $(V_G - V_{T0})$  and (b) gate overdrive at fixed  $f$ , measured in SiON p-MOSFETs before and after NBTI stress [25]. Note that  $S_{VG}$  increases after stress due to generation of new gate insulator traps as discussed in detail later in this chapter, which is consistent with previous reports [32, 33] and number fluctuation theory [26–28].

As discussed in [39] and shown in Fig. 2.23, noise contribution due to trapping and detrapping of inversion carrier for a single gate insulator trap has Lorentzian  $f$  dependence of the form  $1/[1 + (f/f_0)^2]$ , where  $f_0$  is the corner frequency of the trap;



**Fig. 2.22** Measured input referred noise versus **a** frequency and **b** gate voltage overdrive, before and after NBTI stress in SiON p-MOSFETs. Multiple measurements are shown in pre- and post-stress, obtained from different devices

**Fig. 2.23** Schematic representation of flicker noise as weighted sum of Lorentzian functions with different corner frequencies, resulting in  $1/f$  frequency response



a weighted summation of contribution from uniform spatial distribution of gate insulator traps with different  $f_0$  results in  $1/f$  dependence. As evident from Fig. 2.22, measured frequency dependence of  $S_{VG}$  shows  $f^{-k}$  dependence, with  $k \sim 0.7$  before stress, which increases to  $k \sim 1$  after stress. A plausible explanation has been provided in [25], which relates noise in SiON devices to Nitrogen (N) related gate insulator traps. Since PNO devices have been used having  $N$  concentration that peaks at the SiON/poly-Si interface and exponentially reduces towards the Si/SiON interface, a suitably weighted sum of Lorentzian response from such non-uniform trap distribution results in  $k < 1$  for  $f$  dependence of  $S_{VG}$  before stress. As discussed later in this chapter and in Chap. 3, NBTI stress results in generation of traps at and near the Si/SiON interface and hence the overall spatial distribution of gate insulator traps become relatively more uniform. As a consequence, the  $f$  dependence of  $S_{VG}$  after stress increases and shows  $k \sim 1$ .

Although the dependence of  $S_{VG}$  on gate insulator traps agrees with the number fluctuation theory, the variation of  $S_{VG}$  with gate overdrive shown in Fig. 2.22b cannot be explained in this framework. It is now well known that charges in gate insulator traps not only impacts the inversion carrier density but also influences their mobility by Coulomb scattering. The number fluctuation model has been enhanced to incorporate the effect of surface mobility fluctuation caused by gate insulator charges [40]. The combined number and mobility fluctuation model predicts the following relation for  $S_{VG}$  [40]:

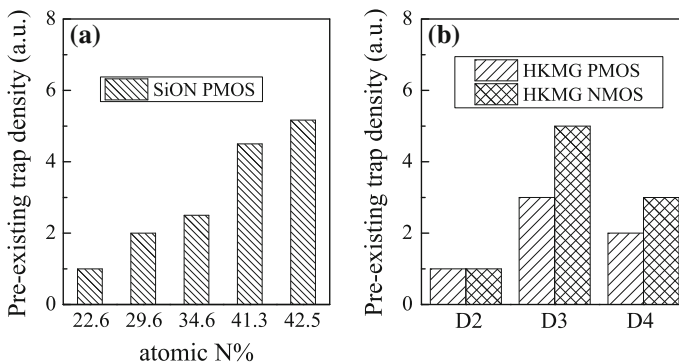
$$S_{VG} = \frac{kT q^2}{\gamma f W L C_{OX}^2} (1 + \alpha \mu N_C)^2 N_T (E_{FN}) \quad (2.4)$$

In (2.4),  $q$  is electronic charge,  $kT$  is thermal energy,  $f$  is frequency,  $C_{OX}$ ,  $W$  and  $L$  are gate oxide capacitance, device width and length respectively;  $\mu$  is inversion layer mobility,  $N_C = C_{OX}/q * (V_G - V_{T0})$  is inversion carrier density;  $\gamma$  is the attenuation factor of electron or hole wave function into the gate insulator and can be calculated using WKB tunneling framework;  $\alpha$  is scattering coefficient and  $N_T$  is the gate insulator trap density near the Fermi level ( $E_{FN}$ ). Although missing from

the conventional number fluctuation model, the combined number-mobility fluctuation model has linear dependence on gate overdrive via the term  $N_C$  and therefore is consistent with measured data.

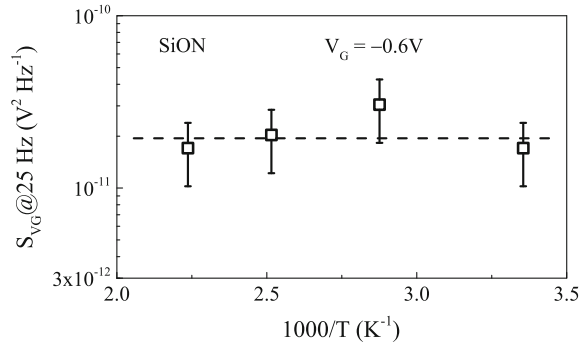
As discussed later in this book, gate insulator processes impact the density of pre-existing traps and hence the trapping component of BTI degradation. Of particular interest is the impact of Nitrogen, which is discussed in detail in different chapters of this book. Figure 2.24 plots as processed, pre-existing trap density in (a) SiON p-MOSFETs as well as (b) HKMG p-MOSFETs and n-MOSFETs extracted using the flicker noise method [25, 38]. As discussed in Chap. 1, Table 1.1, PNO SiON devices with different N dose have been used. On the other hand, the HKMG devices were fabricated without (D2) and with (D3) nitridation after ALD High-K deposition and with nitrided IL (D4), refer to Chap. 3, Fig. 3.2 for details. Note that flicker noise in n- and p-channel MOSFETs is respectively due to trapping and detrapping of inversion layer electrons and holes in gate insulator traps. Therefore, it can be remarked that presence of N in gate insulator increases pre-existing hole trap density in SiON and HKMG p-MOSFETs and electron trap density in HKMG n-MOSFETs, and hence impacts both NBTI and PBTI degradation as discussed in detail in Chaps. 3 and 4.

In spite of strong experimental evidence in the literature of trap generation during BTI stress in p- and n-channel MOSFETs, shown later in this chapter and also in Chap. 3, some reports have suggested NBTI and PBTI to be exclusively due to hole and electron trapping respectively, in pre-existing gate insulator traps [41–43]. Such a framework has to associate strong T activation to the charge trapping process to explain T activation of BTI, which can be independently assessed using flicker noise technique. Figure 2.25 plots T dependence of  $S_{VG}$  measured at fixed  $f$  and  $(V_G - V_{T0})$  in SiON p-MOSFETs [44]. Note that contrary to the above proposition,  $S_{VG}$  has negligible T dependence and therefore would suggest negligible T activation of the hole trapping and detrapping process in thin gate insulator stacks used in modern MOSFETs. It is important to remark



**Fig. 2.24** Pre-stress trap density measured using flicker noise method in **a** SiON p-MOSFETs having different N% and **b** HKMG p- and n-MOSFETs having different gate insulator processes (D2 non-nitrided, D3 post High-K nitridation, D4 nitrided IL, refer to Chap. 3, Fig. 3.2) leading to different N%

**Fig. 2.25** Impact of temperature on measured input referred noise. Data from [44]



that weak  $T$  activation of the trapping–detrapping process is significant observation, and when combined with relatively stronger  $T$  activation of the trap generation process, shown in Chap. 3, it can explain  $T$  activation of BTI for different gate insulator processes as discussed in detail in Chap. 4.

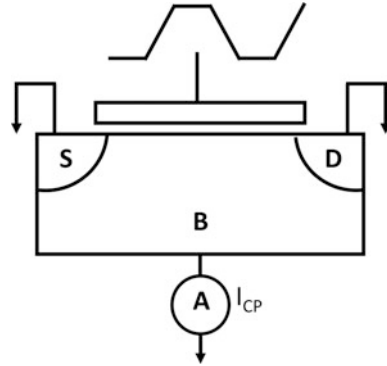
Note that the  $T$  activation of NBTI measured in SiON and HKMG p-MOSFETs and of PBTI in HKMG n-MOSFETs reduces for devices having N in the gate insulator stack, as discussed in detail in Chaps. 1 and 4. This can be explained by invoking (a) both trap generation and charge trapping processes for BTI that are mutually uncorrelated, (b) relatively lower  $T$  activation for the charge trapping process, shown in Fig. 2.25, when compared to the trap generation process, shown in Chap. 3, and (c) higher relative contribution of charge trapping in pre-existing gate insulator traps for devices having N in gate insulator, as shown in Fig. 2.24; refer to Chap. 4 for further details. Other manifestations of uncorrelated trap generation and trapping BTI sub-components are discussed in Chaps. 3 and 4 for different gate insulator processes, and flicker noise method has been used for independent verification of pre-existing gate insulator traps.

## 2.7 Charge Pumping (CP)

CP technique [45] estimates trap density at and near the Silicon (Si) channel and gate insulator interface of a MOSFET by measuring trap assisted electron-hole recombination current. In CP method, illustrated in Fig. 2.26, a large signal gate pulse is applied to drive the MOSFET repetitively between inversion and accumulation, the drain and source terminals are shorted and grounded, and DC current due to recombination of electrons and holes in gate insulator traps is measured at the substrate. Although the method can measure pre-stress gate insulator traps, increase in CP current ( $\Delta I_{CP}$ ) after BTI stress can be used as a direct estimation of generation of new gate insulator traps.



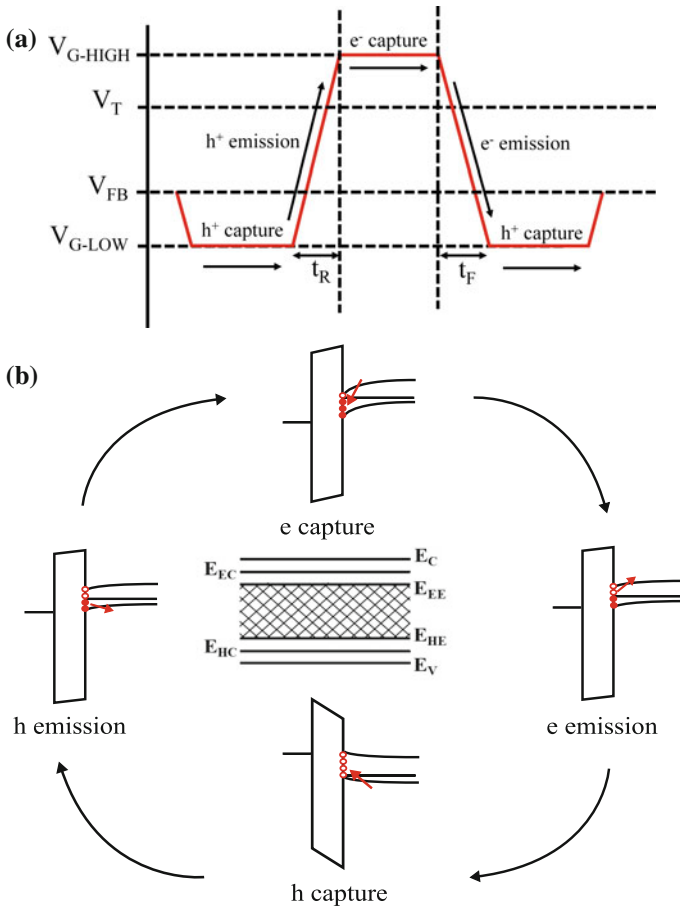
**Fig. 2.26** Schematic of charge pumping measurement setup



However, CP is a slow measurement technique and is usually implemented in measure-stress-measure or MSM configuration to estimate trap generation due to BTI stress, and hence suffer from recovery issues. Moreover, CP scans trap generation in an energy range of the Si band gap that is much smaller compared to that scanned by  $I_{DLIN}$  and  $V_T$  measurement methods. Therefore, measurement delay and band gap correction methods have been proposed [9] for accurate estimation of trap generation contribution to overall BTI degradation and are discussed later in this section. CP technique has been extensively used to characterize trap generation during BTI stress [9, 14, 22, 36, 46–48].

The basic CP method has been modified to estimate the energetic and spatial distribution of traps in the gate insulator [49, 50]. However, such spectroscopic CP techniques are extremely time consuming, and although they can be used to estimate as processed, pre-existing traps, these methods suffer from recovery related issues and hence are not effective to determine the distribution of generated traps. Furthermore, some reports have proposed ultra-fast CP techniques to characterize on-the-fly trap generation without any measurement delay [51, 52]. These methods rely on applying a gate pulse having inversion level equal to the BTI stress bias,  $V_{G-STR}$ . The application of such a large gate bias makes these methods prone to gate leakage [53] and unsuitable for thinner gate insulator MOSFETs. More importantly, since CP method involves pulsing the channel from inversion to accumulation, the application of such large bi-polar pulses alters the conventional BTI stress regime, and makes the MOSFET vulnerable to significant bulk trap generation in addition to generation of traps at or near the Si/SiO<sub>2</sub> interface. Owing to the application of large gate pulse, these methods scan traps deep into the gate insulator bulk [49, 50], and therefore, the contribution due to additionally generated bulk traps must be corrected for proper estimation of BTI generated defects. Therefore, although recovery issue can be avoided, the accuracy of these ultra-fast CP methods gets impacted by gate leakage and bulk trap issues, and the methods are of not much use to characterize BTI trap generation.

Figure 2.27 illustrates the dynamics of electron and hole capture-emission processes in gate insulator traps of an n-channel MOSFET under repetitive gate pulses [45]. The channel goes into inversion when  $V_G$  goes above  $V_T$ , and traps that



**Fig. 2.27** Schematic of charge pumping process: **a** Different regimes of trap assisted capture and emission of electrons and holes as gate is pulsed between inversion and accumulation. **b** Corresponding energy band diagrams showing capture and emission of electrons and holes, and the energy zone for recombination. Example is shown for *n*-channel MOSFET

remain below the Fermi level capture inversion layer electrons from the Si conduction band. The channel transitions from inversion via depletion towards accumulation during the falling edge of the gate pulse, traps start to move above the Fermi level and some traps emit electrons back to the conduction band. Once the channel goes into accumulation as  $V_G$  goes below the flatband voltage ( $V_{FB}$ ), traps above Fermi level capture holes from the valence band of Si. As the channel is pulsed back via depletion to inversion during the rising edge of the gate pulse, traps start to go below the Fermi level and some traps emit holes back to the valence band. Finally, as the channel goes back to inversion as  $V_G$  goes above  $V_T$ , the electron capture process starts, and subsequent processes get repeated.

Note that time constant of traps for electron emission is smallest near the conduction band edge and increases towards the valence band, while time constant for hole emission is smallest near the valence band edge and increases towards the conduction band. Figure 2.27 also depicts the energy level of traps associated with capture-emission process. During inversion, traps up to the level  $E_{EC}$  gets filled with electrons, and electron emission occurs in the levels between  $E_{EC}$  and  $E_{EE}$  during the falling edge of the gate pulse, as  $V_G$  transitions between  $V_T$  and  $V_{FB}$ . Similarly during accumulation, traps up to the level  $E_{HC}$  get filled with holes, and hole emission occurs in the levels between  $E_{HC}$  and  $E_{HE}$  during the rising edge of the gate pulse, as  $V_G$  transitions between  $V_{FB}$  and  $V_T$ . Therefore, electron-hole recombination occurs in traps between the range  $E_{EE}$  and  $E_{HE}$  that results in CP current,  $I_{CP}$ . The energy zone ( $\Delta E$ ) of traps for electron-hole recombination is given by [45]:

$$\Delta E = -2kT \ln \left[ n_i v_{th} (\sigma_n \sigma_p)^{0.5} (t_R t_F)^{0.5} \left\{ \frac{V_T - V_{FB}}{V_{GH} - V_{GL}} \right\} \right] \quad (2.5)$$

In (2.5),  $V_{GH}$  and  $V_{GL}$  respectively are pulse high and low levels,  $t_R$  and  $t_F$  are pulse rise and fall times for transition between  $V_{GL}$  to  $V_{GH}$  and  $V_{GH}$  to  $V_{GL}$  respectively, refer to Fig. 2.27;  $kT$  and  $n_i$  are thermal energy and intrinsic carrier density respectively,  $v_{th}$  is thermal velocity, while  $\sigma_n$  and  $\sigma_p$  are trap capture cross sections associated respectively with electron and hole trapping. For gate pulse having frequency  $f$ , the CP current  $I_{CP}$  is given by [45]:

$$I_{CP} = qfWLN_{IT} \quad (2.6)$$

In (2.6),  $q$  is the electronic charge,  $W$  and  $L$  respectively are width and length of the MOSFET;  $N_{IT} = \langle D_{IT} \rangle \Delta E$ , where  $\langle D_{IT} \rangle$  is the average density of traps per energy in the energy zone  $\Delta E$  scanned by CP, refer to (2.5) and Fig. 2.27, and  $N_{IT}$  is the total trap density probed by CP method.

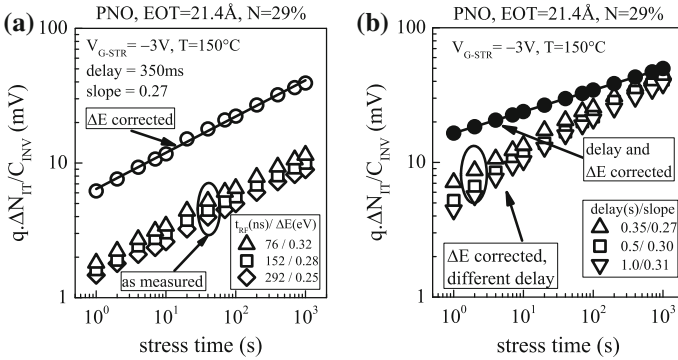
CP measurements are done in slow MSM mode before and during logarithmically spaced interruptions of BTI stress, and by assuming no change in  $\sigma_n$  and  $\sigma_p$  and therefore in  $\Delta E$ , changes in CP current ( $\Delta I_{CP}$ ) after stress can be attributed to changes in trap density ( $\Delta N_{IT}$ ). Note that to reduce measurement time, CP measurements can be done at fixed gate pulse amplitude, and the  $V_{GH}$  and  $V_{GL}$  levels of the gate pulse need to be chosen above  $V_T$  and below  $V_{FB}$  respectively, to drive the MOSFET between strong inversion and accumulation. Pre-stress  $N_{IT}$  can be independently estimated from subthreshold slope measurements, and can be used with pre-stress  $I_{CP}$  to determine the geometric mean of  $\sigma_n$  and  $\sigma_p$ . Although CP method has been used to quantify trap generation during NBTI stress in SiON and HKMG p-MOSFETs as well as PBTI stress in HKMG n-MOSFETs, in this section, results are shown for NBTI stress in SiON p-MOSFETs.

As mentioned earlier in this chapter and discussed in Chap. 3, NBTI parametric shift is caused by mutually independent contribution from trapping in pre-existing defects and generation of new traps; the later can be independently verified using

CP measurements. However, caution must be applied before the time evolution of  $\Delta N_{IT}$  obtained from CP measurements is converted to the trap generation component ( $\Delta V_{IT} = q \cdot \Delta N_{IT}/C_{OX}$ ) of overall  $V_T$  shift [9]. First, note that CP method scans trap generation in energy range  $\Delta E$  in the band gap centered on the midgap, refer to (2.5), while  $V_T$  shift estimated from inversion  $I_{DLIN}$  degradation is impacted by generated traps throughout the band gap. Moreover, while  $I_{DLIN}$  is usually measured using  $\sim$  milliseconds or  $\sim$  microseconds delay, CP method is implemented in slow MSM mode with measurement delay of  $\sim$  seconds, and hence, the later would suffer from recovery related artifacts. Therefore, time evolution of  $\Delta N_{IT}$  from CP measurements must be corrected for band gap and delay differences, which is discussed below.

Figure 2.28a shows  $\Delta N_{IT}$  time evolution obtained from CP measurements for NBTI stress in SiON p-MOSFETs [9]. Measurements were done using different  $t_R$  and  $t_F$  values of gate pulse that result in different scanned energy zone  $\Delta E$ , refer to (2.5) [45]. Note that measured  $\Delta N_{IT}$  increases with reduction in  $t_R$  and  $t_F$  as  $\Delta E$  is increased, and the  $\Delta N_{IT}$  versus  $\Delta E$  correlation can be used to determine corrected  $\Delta N_{IT}$  for traps corresponding to the full band gap, which is also plotted in Fig. 2.28a. Uniform trap generation in the entire band gap is assumed for this correction. Figure 2.28b plots  $\Delta N_{IT}$  time evolution after band gap correction, obtained from CP measurements with different measurement delay,  $t_M$ . Note that NBTI stress induced generated traps do recover after stress is stopped for measurement. Therefore, the magnitude of  $\Delta N_{IT}$  reduces and the power-law time exponent  $n$  increases with increase in  $t_M$  as recovery is increased [2, 22].

Time evolution of  $\Delta N_{IT}$  at different  $t_M$  can be modeled using empirical universal recovery expression [54]:

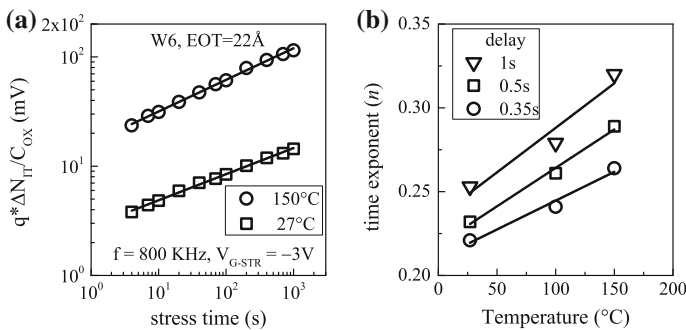


**Fig. 2.28** CP measurements: Time evolution of **a** measured  $\Delta N_{IT}$  for different energy zone of electron-hole recombination determined by different rise and fall time of gate pulse, and estimated  $\Delta N_{IT}$  after band gap correction. Time evolution of **b** band gap corrected  $\Delta N_{IT}$  for different measurement delay, and  $\Delta N_{IT}$  after both band gap and delay correction. Data from NBTI stress in SiON p-MOSFETs

$$\Delta N_{IT}(t_{STR}, t_M) = \frac{\Delta N_{IT}(t_{STR})}{1 + B \left( \frac{t_M}{t_{STR}} \right)^\beta} \quad (2.7)$$

The band gap corrected  $\Delta N_{IT}$  time evolution data can be fitted using (2.7) to determine model parameters, and hence, both band gap and delay corrected  $\Delta N_{IT}$  can be obtained for any  $t_M$ , which is also shown in Fig. 2.28b. It is important to remark that the magnitude of  $\Delta N_{IT}$  increases and power-law time exponent  $n$  reduces after corrections are performed on as-measured CP data. Failure to perform these corrections would severely underestimate the trap generation component and overestimate the trapping component of NBTI, as done in [55]. Since trapping is attributed to the as-processed pre-existing defects, this would severely underestimate quality of the gate insulator; refer to [9, 25] for further details. Once the band gap and delay corrections are performed, time evolution of directly measured  $\Delta N_{IT}$  from CP would provide correct  $\Delta V_{IT}$  subcomponent of overall  $\Delta V_T$ , which is further discussed in later chapters of this book.

Recovery of NBTI stress-generated traps is of interest and is modeled in detail in Chap. 6. An interesting artifact of  $N_{IT}$  recovery is shown in Fig. 2.29. CP measurements have been performed in SiON p-MOSFETs before and during logarithmic interruptions of NBTI stress; the stress has been performed at different  $T$ , and different measurement delay  $t_M$  has been used. Figure 2.29 shows (a) time evolution of  $\Delta N_{IT}$  for different stress  $T$  at fixed  $t_M$ , and (b) power-law time exponent  $n$  of  $\Delta N_{IT}$  time evolution data as a function of  $T$  for different  $t_M$  [22]. The exponent is calculated using linear regression of measured data in  $t_{STR}$  range of 10 s to 1 Ks. It is interesting to note that measured  $n$  increases at higher  $T$  for a given  $t_M$ , which has been explained by dispersive Hydrogen (H) transport related trap generation mechanism [20]. However, the above observation is simply a measurement artifact



**Fig. 2.29** CP measurements: **a** Time evolution of  $\Delta N_{IT}$  for NBTI stress in SiON p-MOSFETs at different stress  $T$ . **b** Extracted power-law time exponent  $n$  from  $\Delta N_{IT}$  time evolution data as a function of stress  $T$  for different measurement delay

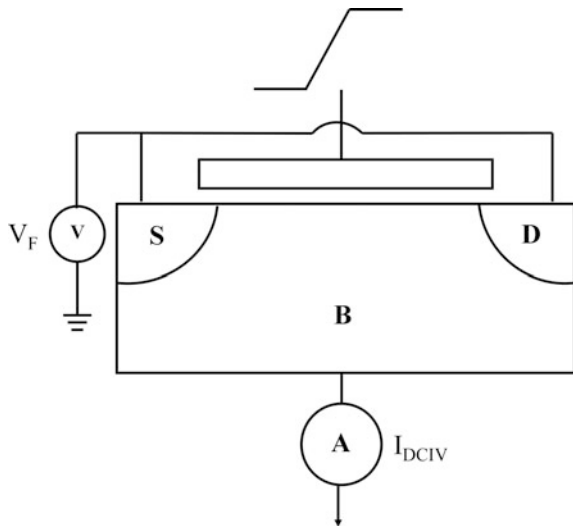
associated with  $N_{IT}$  recovery, since the  $T$  dependent increase in  $n$  is strongly impacted by  $t_M$  as shown in Fig. 2.29b, and larger  $n$  is observed at higher  $t_M$  for a given  $T$  [22]. Therefore, proper corrections to CP measured data must be done before deriving conclusions regarding NBTI physical mechanism.

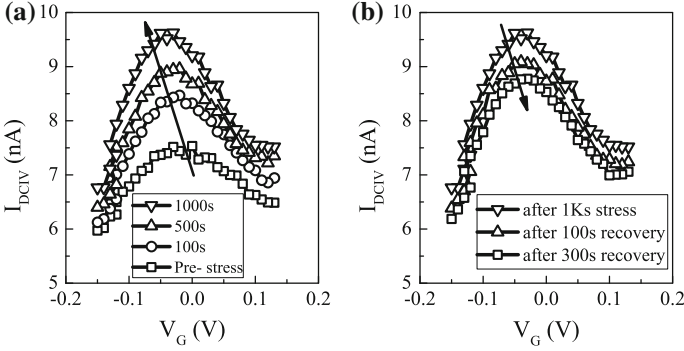
## 2.8 Gated Diode (DCIV)

Although CP is a very useful technique to determine trap generation, it requires the application of large pulses to the gate terminal of the MOSFET to drive the channel from strong inversion to accumulation, and hence is not suitable for gate insulators having thin EOT due to gate leakage issues [53]. Alternatively, direct estimation of traps at and near the Si/SiO<sub>2</sub> interface can be obtained using the DCIV method [56, 57], illustrated in Fig. 2.30. The source-drain terminals are shorted and forward biased just below the junction cut-in voltage, the gate bias is swept from accumulation to inversion in the vicinity of  $V_G \sim 0$  V, and trap assisted electron hole recombination current  $I_{DCIV}$  is measured at substrate terminal. DCIV method has been used to characterize trap generation during NBTI stress in SiON p-MOSFETs [48, 57–59], as well as during NBTI and PBTI stress respectively in HKMG p- and n-MOSFETs [17, 18, 37, 38, 60]; HKMG results are discussed in detail in Chap. 3. In this section, implementation of DCIV method is discussed using the example of NBTI stress in HKMG p-MOSFETs.

Figure 2.31 plots measured  $I_{DCIV}$  versus  $V_G$  characteristics (a) before and during different intervals of NBTI stress, as well as (b) immediately after and at different intervals following stoppage of NBTI stress in HKMG p-MOSFET. Note that  $I_{DCIV}$

**Fig. 2.30** Schematic of gate diode (DCIV) measurement setup





**Fig. 2.31**  $I$ - $V$  characteristics from DCIV measurements **a** before and after different intervals of stress, and **b** immediately after stress and after different recovery intervals, for NBTI stress in HKMG p-MOSFETs

peaks at a particular  $V_G$ , and the peak magnitude increases and reduces respectively during and after NBTI stress. The  $V_G$  value corresponding to the peak  $I_{\text{DCIV}}$  also varies during stress and recovery. Since  $I_{\text{DCIV}}$  is due to electron-hole recombination via the traps at or near the Si/SiO<sub>2</sub> interface, increase and reduction in  $I_{\text{DCIV}}$  signify generation and recovery of traps during and after NBTI stress. Trap density can be estimated from peak  $I_{\text{DCIV}}$  using the Shockley-Read-Hall (SRH) formalism of carrier capture and emission [61].

For a single defect situated at energy level  $E_T$  having density  $N_{\text{IT}}$ , the difference between base and peak values of  $I_{\text{DCIV}}$  versus  $V_G$  characteristics is given by the following relation [56, 57, 62]:

$$I_{\text{DCIV,peak}} - I_{\text{DCIV,base}} = \frac{qn_i v_{\text{th}} (\sigma_n \sigma_p)^{0.5} N_{\text{IT}} \frac{WL}{2} \left[ \exp\left(\frac{qV_F}{kT} - 1 \right) \right]}{\exp\left(\frac{qV_F}{2kT}\right) + \cosh(U_T)} \quad (2.8)$$

In (2.8),  $q$  is electronic charge,  $W$  and  $L$  are device width and length respectively,  $kT$  and  $n_i$  are thermal energy and intrinsic carrier density respectively,  $v_{\text{th}}$  is thermal velocity,  $\sigma_n$  and  $\sigma_p$  are trap capture cross sections associated with electron and hole trapping respectively and  $V_F$  is forward bias applied to the shorted source and drain terminals.  $U_T = (E_T - E_i)/kT + \ln(\sigma_n/\sigma_p)$ , where  $E_i$  is intrinsic level. The equation shown is for a single trap situated at a particular energy level, and has to be integrated over different trap energy levels for distribution of traps. The energy zone scanned by DCIV technique is given by  $\Delta E = q \cdot |V_F|$ , and for relatively larger  $V_F$  value, which should be still lower than the junction cut-in voltage, (2.8) can be approximated as follows [59, 62]:

$$I_{\text{DCIV,peak}} - I_{\text{DCIV,base}} = \frac{1}{2} q n_i (\sigma_n \sigma_p)^{0.5} v_{\text{th}} N_{\text{IT}} (WL) \exp\left(\frac{qV_F}{2kT}\right) \quad (2.9)$$

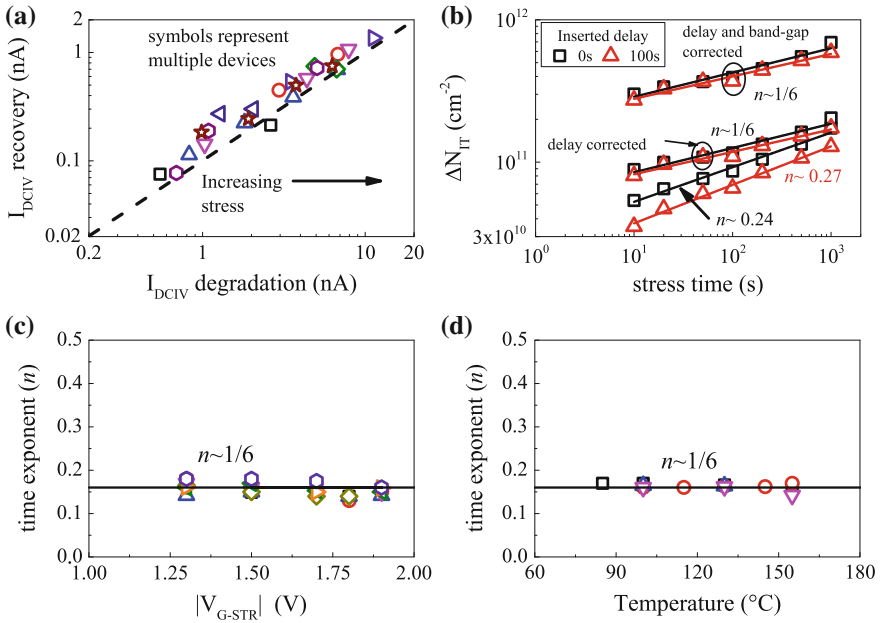
In (2.9),  $N_{IT} = \langle D_{IT} \rangle \Delta E$  is average density of traps in energy zone  $\Delta E$ , and similar values of  $\sigma_n$  and  $\sigma_p$  has been assumed. DCIV measurements are done before and during logarithmically spaced interruptions of BTI stress, and by assuming no change in  $\sigma_n$  and  $\sigma_p$  due to stress, time evolution of  $\Delta N_{IT}$  can be estimated from time evolution of measured peak  $\Delta I_{DCIV}$  using (2.9). As before, pre-stress subthreshold slope is used to estimate pre-stress  $N_{IT}$  and hence the geometric mean of  $\sigma_n$  and  $\sigma_p$  can be found by using pre-stress  $I_{DCIV}$ .

Note that similar to CP, corrections should be done on as-measured DCIV data before directly estimated  $\Delta N_{IT}$  is compared to the  $\Delta V_{IT}$  component of  $\Delta V_T$ . Similar to CP, DCIV is also a slow measurement method and is implemented in the MSM mode. A typical  $V_G$  sweep takes  $\sim$ seconds, and the time evolution of as-measured stress-generated defects should be corrected for measurement delay using the universal recovery expression shown in (2.7). Moreover, DCIV method scans traps in energy zone  $\Delta E = q \cdot |V_F|$  in the Si band gap centered on the midgap, while  $\Delta V_T$  is impacted by traps generated throughout the band gap. Therefore, obtained trap density should also be corrected for band gap difference before comparing to the trap generation subcomponent of overall  $V_T$  shift [60]. Failure to do these corrections would result in gross underestimation of the trap generation subcomponent.

DCIV measurements were performed in different HKMG p-MOSFETs, before and immediately after NBTI stress as well as after a certain delay following NBTI stress. Devices having different HKMG gate insulator processes have been used [38]; refer to Chap. 3, Fig. 3.2 for details. Different  $E_{OX}$  values have been used for stress, and all devices were stressed and recovered for identical stress time  $t_{STR}$  and recovery time  $t_{REC}$ , respectively. Figure 2.32a correlates  $\Delta I_{DCIV}$  measured just after NBTI stress to  $\Delta I_{DCIV}$  after recovery following NBTI stress. Note that universal correlation between generation and recovery of traps has been observed across different devices. Such correlation can be used to determine the parameters of universal recovery expression shown in (2.7), which can further be used to perform delay correction of as-measured DCIV data. Figure 2.32b plots the time evolution of as-measured  $\Delta N_{IT}$  using the DCIV method for different measurement delay,  $t_M$ , for NBTI stress in HKMG p-MOSFET. Time evolution of  $\Delta N_{IT}$  after delay correction and both delay as well as band gap correction are also shown. Note that the magnitude of  $\Delta N_{IT}$  increases as well as power-law time exponent  $n$  reduces after delay and band gap corrections.

DCIV measurements have been done before and during logarithmically spaced interruptions in NBTI stress, to determine time evolution of generated traps in different HKMG p-MOSFETs listed in Chap. 3, Fig. 3.2. Measured data are corrected for delay and band gap using the procedure discussed above. Figure 2.32c, d plot power-law time exponent  $n$  for these devices obtained from corrected trap generation data, as a function of  $V_{G-STR}$  and  $T$ , respectively, obtained using linear regression in  $t_{STR}$  range of 10 s to 1 Ks. It is important to remark that universal time exponent of  $n \sim 1/6$  is always observed, for different devices and across different  $V_{G-STR}$  and  $T$ . The physical mechanism behind this universality will be discussed later in this book. Unless mentioned otherwise, all DCIV data presented in Chap. 3 and elsewhere in this book are delay and band gap corrected.





**Fig. 2.32** DCIV measurements for NBTI stress in HKMG p-MOSFETs: **a** Correlation of peak DCIV current degradation and recovery for different HKMG devices. **b** Time evolution of measured  $\Delta N_{IT}$  for different measurement delay, after delay correction and after both delay and band gap correction. Extracted power-law time exponent  $n$  versus **c** stress  $V_G$  and **d** stress  $T$ , obtained from corrected DCIV data for different HKMG devices. Refer to Chap. 3, Fig. 3.2, for details of different HKMG devices

## 2.9 Stress Induced Leakage Current (SILC)

Increase in gate leakage current ( $\Delta I_G$ ) measured in inversion, referred to as SILC, is a routine characterization technique for Time Dependent Dielectric Breakdown (TDDB) stress in MOSFETs [63–65]. SILC has been attributed to inelastic Trap Assisted Tunneling (TAT) via bulk gate insulator traps generated during TDDB stress, and is illustrated in Fig. 2.33 [63, 66]. Since BTI and TDDB stress regimes are essentially the same, as mentioned in Chap. 1, Fig. 1.2, SILC has been used during NBTI stress in SiON p-MOSFETs [14] and PBTI stress in HKMG n-MOSFETs [24, 37, 38, 67, 68] to access contribution due to generated bulk insulator traps. However, due to band alignment issues, SILC is usually not observed in HKMG p-MOSFETs as discussed in [65]. In this section, the implementation details of SILC measurement are shown using PBTI stress in HKMG n-MOSFETs, and more SILC data are shown later in Chaps. 3 and 4. Independently measured DCIV data are also shown to aid comparison between the two characterization methods.

**Fig. 2.33** Energy band diagram representing SILC via trap assisted tunneling and structural relaxation of traps. Example shown for *n*-channel MOSFET

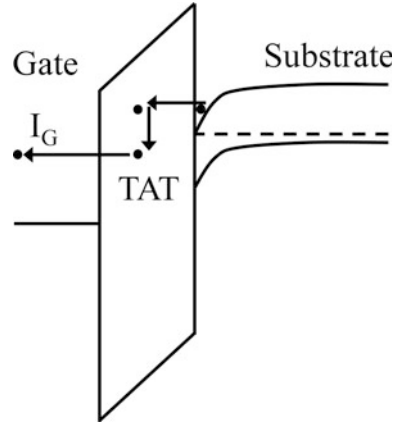
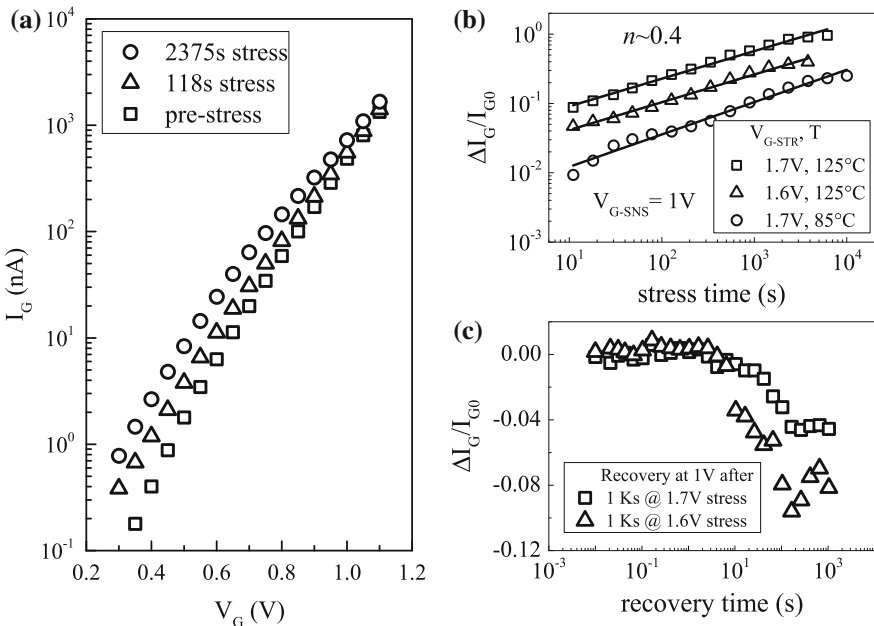


Figure 2.34a shows measured  $I_G$  versus  $V_G$  characteristics before and during logarithmically spaced interruptions of PBTI stress in HKMG n-MOSFET. Time evolution of SILC, manifested in the form of increase in  $I_G$  at a particular  $V_G$  after stress, can be estimated by noting  $\Delta I_G$  at a fixed  $V_G$  from measured  $I_G$ - $V_G$  characteristics. However, note that SILC recovers after stoppage of stress [24] and

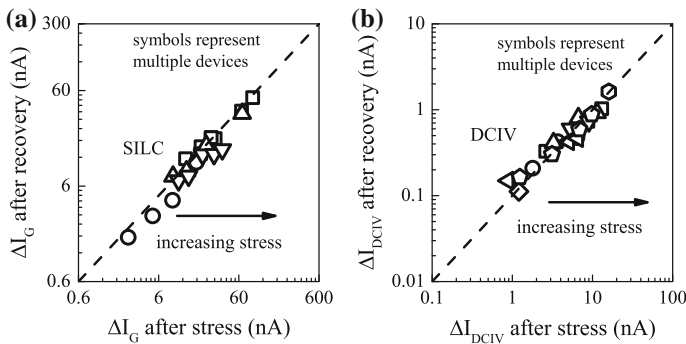


**Fig. 2.34** SILC for PBTI stress in HKMG n-MOSFETs: **a** Measured  $I_G$  versus  $V_G$  characteristics before and after stress. **b** Time evolution  $\Delta I_G$  obtained at fixed sense  $V_G$  for different  $V_{G-STR}$  and  $T$ . **c** Time evolution of reduction in  $\Delta I_G$  sensed at fixed  $V_G$ , after removal of stress

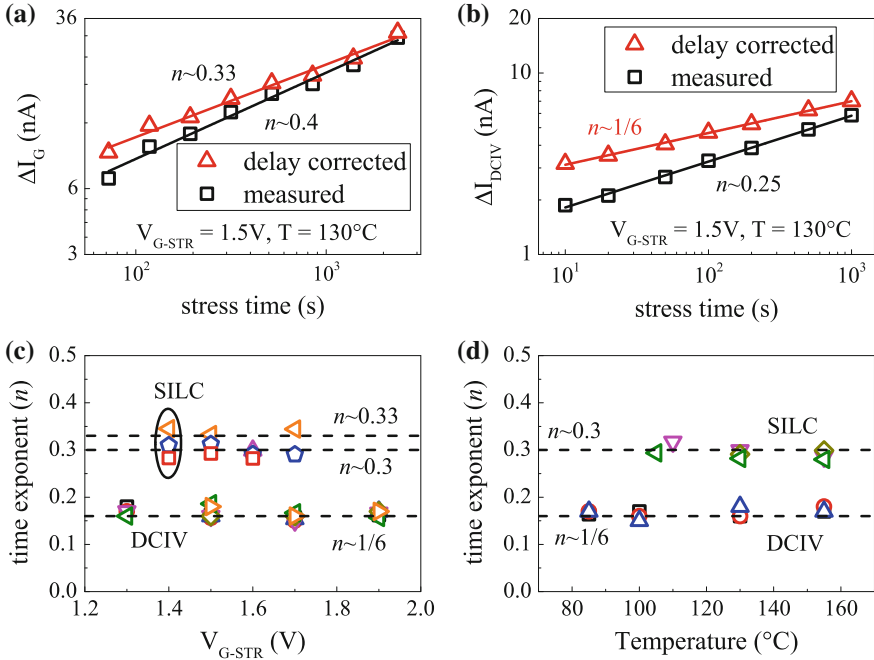
$I_G$ - $V_G$  sweep is usually time consuming for accurate  $I_G$  measurement. Therefore, it is desirable to avoid full  $I_G$ - $V_G$  sweep to minimize recovery, and instead, drop  $V_G$  down from  $V_{G-STR}$  to  $V_{G-SNS}$ , usually equals to  $V_{DD}$ , for one-point  $I_G$  measurement. Figure 2.34b shows time evolution of  $\Delta I_G$  at different  $V_{G-STR}$  and  $T$  for PBTI stress in HKMG n-MOSFET. A power-law time dependence is observed with time exponent  $n$  ( $\sim 0.4$ ), which is much larger than that obtained from DCIV measurements and shown earlier in this chapter. Therefore, trap generation probed by SILC has very different physical origin than that probed by DCIV, which is discussed in detail in Chap. 3. Figure 2.34c shows the reduction of  $\Delta I_G$  after stoppage of PBTI stress, which signifies the recovery of generated traps as measured using SILC.

Figure 2.35a correlates generation of SILC measured immediately after stress to SILC recovery measured after certain delay following stress in different HKMG n-MOSFETs listed in Chap. 3, Fig. 3.2 [38]. All devices were stressed for fixed  $t_{STR}$  duration at different  $V_{G-STR}$ , and then allowed to recover for a fixed duration  $t_{REC}$ . It is important to note that universal generation to recovery correlation has been observed for different devices, and such data can be used to model SILC recovery using the universal recovery expression of (2.7). As a comparison, Fig. 2.35b correlates trap generation and recovery obtained from measured changes in DCIV current,  $\Delta I_{DCIV}$ , during and after PBTI stress in these HKMG n-MOSFETs. Identical  $V_{G-STR}$ ,  $T$ ,  $t_{STR}$  and  $t_{REC}$  have been used for SILC and DCIV measurements for fair comparison. Universal correlation has been observed for DCIV measured data across different devices. However, the slope of the correlation line for SILC and DCIV are different, refer to Fig. 2.35a, b. Interestingly, the DCIV measured trap generation to recovery correlation slope is similar between NBTI and PBTI stress, refer to Figs. 2.32a and 2.35b. This aspect is further discussed in Chap. 3.

Figure 2.36 plots the time evolution of as measured and delay corrected (a)  $\Delta I_G$  and (b)  $\Delta I_{DCIV}$  respectively from SILC and DCIV measurements, for PBTI stress in



**Fig. 2.35** Correlation of trap generation and recovery obtained using **a** SILC and **b** DCIV measurements for PBTI stress in HKMG n-MOSFETs having different gate insulator processes. Refer to Chap. 3, Fig. 3.2, for details of different HKMG devices



**Fig. 2.36** Time evolution of as measured and delay corrected **a**  $\Delta I_G$  from SILC and **b**  $\Delta I_{DCIV}$  from DCIV measurements for PBTI stress in HKMG n-MOSFETs. Extracted time exponent  $n$  from delay corrected SILC and DCIV data as a function of **c**  $V_{G-STR}$  and **d** stress  $T$ , for PBTI stress in different HKMG devices

HKMG n-MOSFET [38]. Delay correction is done using (2.7), and the parameters of the universal recovery expression are calibrated using SILC and DCIV data shown respectively in Fig. 2.35a, b. Note that power-law time evolution of generated traps is observed for both measurements, although  $n$  from SILC is much larger than that from DCIV measurements. As expected, magnitude of degradation increases and power-law time exponent  $n$  reduces after recovery correction. Figure 2.36 also plots delay corrected  $n$  from SILC and DCIV measurements, as a function of (c)  $V_{G-STR}$  and (d)  $T$  for PBTI stress in different HKMG n-MOSFETs. The exponent  $n$  is obtained using linear regression of measured and recovery corrected data in  $t_{STR}$  range of 10 s to 1 Ks. Obtained time exponent  $n$  is independent of  $V_{G-STR}$  and  $T$  for both SILC and DCIV measurements. SILC measurements show  $n \sim 1/3$  after delay correction, which is much larger than  $n \sim 1/6$  observed for DCIV measurements. It is important to remark that delay corrected DCIV data show universal  $n \sim 1/6$  for both NBTI and PBTI stress, which will be further discussed in Chap. 3.

For a particular bulk trap density  $N_T(x, E)$  at spatial location  $x$  and energy  $E$  in the band gap of the gate insulator, increase in inversion gate leakage due to TAT of electrons is given by the following relation [63, 66]:

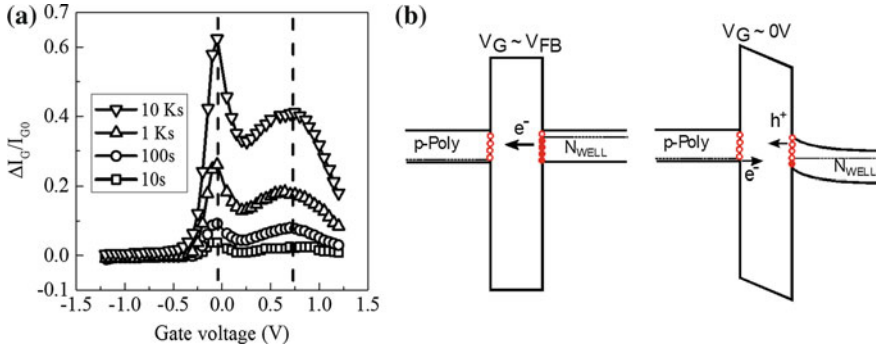
$$\Delta I_G = \iint q \sigma_n v_{th} N_C S_N (f_C - f_A) W L N_T(x, E) \frac{T_{C-T}(E) T_{T-A}(E - E_R)}{T_{C-T}(E) + T_{T-A}(E - E_R)} dx dE \quad (2.10)$$

In (2.10),  $T_{C-T}$  and  $T_{T-A}$  are transition probabilities of electron tunneling from cathode, i.e., conduction band of Si substrate to the trap, and from the trap to anode, i.e., gate, respectively, see Fig. 2.33.  $E_R$  is the energy relaxation of a trap after capture of an electron,  $q$  is electronic charge,  $\sigma_n$  is electron capture cross section,  $v_{th}$  is thermal velocity,  $N_C$  is density of electrons in the conduction band edge, and  $S_N$  is energy suppression factor in conduction band, and  $f_C$  and  $f_A$  are occupation probabilities of the cathode and anode respectively;  $W$  and  $L$  respectively are width and length of the MOSFET. The integration is performed over all possible spatial and energy values of traps in the gate insulator. Time evolution of delay corrected  $\Delta I_G$  can be fitted with (2.10) to obtain time evolution of bulk trap density,  $\Delta N_{OT}$ , and is discussed in detail later in Chap. 4.

## 2.10 Low Voltage Stress Induced Leakage Current (LV-SILC)

Increase in MOSFET gate leakage current in accumulation or Low Voltage SILC (LV-SILC) has been used as a monitor of interface trap generation for NBTI stress in p-MOSFETs [1, 58, 69] and also TDDDB stress in n- and p-MOSFETs [70]. As of now, LV-SILC has been used to characterize trap generation in MOSFETs having SiO<sub>2</sub> and SiON gate insulators, and to the best of our knowledge, this method has not been used in devices having scaled HKMG gate insulators. In this section, LV-SILC method will be briefly reviewed to provide additional evidence of interface trap generation during NBTI stress in SiON p-MOSFETs.

Accumulation  $I_G$  versus  $V_G$  sweeps are measured before and during interruptions of NBTI stress, and Fig. 2.37 plots the increase in gate leakage, normalized to pre-stress data,  $\Delta I_G/I_{G0}$ , as a function of measurement  $V_G$  for different  $t_{STR}$  [69]. Two different  $\Delta I_G/I_{G0}$  peaks are observed that evolve with increase in  $t_{STR}$ , one near  $V_G \sim 0$  V and the other near  $V_G \sim V_{FB}$ . As also illustrated in Fig. 2.37, LV-SILC is associated with elastic or small energy loss tunneling between traps generated at the Si/SiO<sub>2</sub> and SiO<sub>2</sub>/poly-Si interfaces [58, 69, 70]. The peak near  $V_G \sim 0$  V is due to electron tunneling from the valence band of poly-Si to traps at Si/SiO<sub>2</sub> interface as well as hole tunneling via traps at Si/SiO<sub>2</sub> interface. On the other hand, the peak near  $V_G \sim V_{FB}$  is due to electron tunneling from Si channel to poly-Si gate via traps at both Si/SiO<sub>2</sub> and SiO<sub>2</sub>/poly-Si interfaces. The increase in peak  $\Delta I_G$  magnitude with stress implies generation of new traps at these interfaces during NBTI stress. Although LV-SILC provides crucial evidence of interface trap generation during NBTI stress, this method is not used in this book.



**Fig. 2.37** LV-SILC measurements: **a** Increase in  $I_G$  after NBTI stress in SiON p-MOSFETs. **b** Energy band diagrams showing trap assisted tunneling corresponding to peaks in  $I$ - $V$  characteristics. Data from [69]

## 2.11 Experimental Artifacts

During BTI test, MOSFET is stressed at  $V_G = V_{G-STR}$  that is higher than the nominal operating bias, and the resultant degradation is measured either on-the-fly or by using logarithmically spaced interruptions in stress. Time evolution of degradation, measured under accelerated stress condition but for short duration, is then extrapolated to end-of-life under use condition to determine device lifetime. It is important to choose proper stress and measurement conditions so that measured data remain free from different extraneous artifacts discussed in this section.

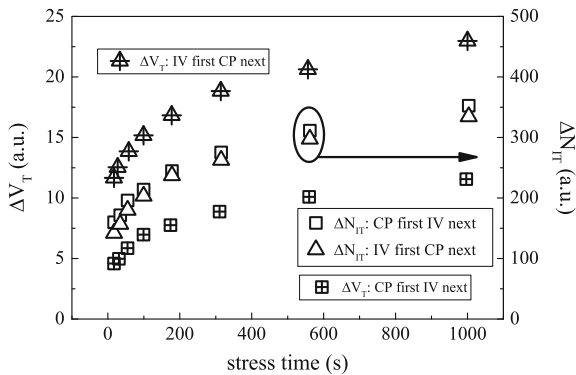
Measurement speed is a very important parameter and has very different impact on OTF and MSM or OSDD techniques. Since OTF measures  $I_{DLIN}$  without reducing stress  $V_G$ , refer to Sect. 2.2, it does not suffer from the usual recovery artifacts. However, since the device starts to degrade as soon as  $V_{G-STR}$  is applied, a faster measurement or smaller  $t_0$  delay would capture a less degraded  $I_{DLIN0}$ , which is important as  $I_{DLIN0}$  is assumed to be undegraded in this method. A larger  $t_0$  delay results in lower than actual degradation magnitude and higher than actual power-law time exponent as discussed earlier in this chapter. For a particular  $t_0$  delay, the accuracy of OTF measurement would depend on how fast the device degrades after the application of  $V_{G-STR}$ . Devices with significant fast trapping component are relatively more sensitive to variations in  $t_0$  delay than devices having negligible trapping, as shown using the example of RTNO and PNO SiON p-MOSFETs.

On the other hand, pre-stress measurement is used as a reference for MSM and OSDD methods, while the gate bias is reduced from  $V_{G-STR}$  for measurements during stress, refer to Sects. 2.3 and 2.4. Therefore, these methods suffer from recovery issues, and a lower than actual degradation magnitude and higher than actual power-law time exponent are captured depending on the measurement speed,  $t_M$ . For a particular  $t_M$ , the accuracy of MSM and OSDD measurements would

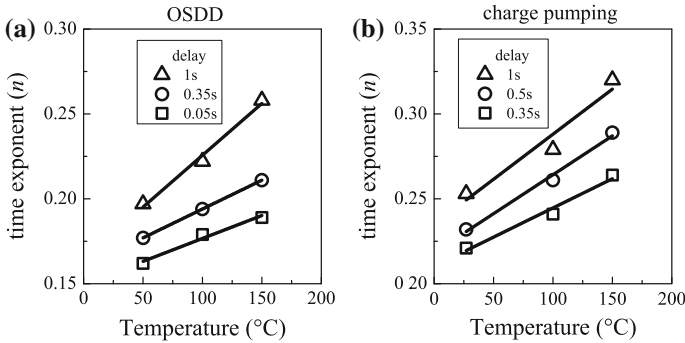
depend on how fast the device recovers after the removal of stress. Note that devices having significant fast trapping would also recover fast, and would be more sensitive to variations in  $t_M$ . Therefore, while OTF is impacted by dynamics of degradation at the initiation of stress, MSM and OSDD methods are impacted by dynamics of recovery after removal of stress. Impact of measurement speed on OTF, MSM, and OSDD measurements has been discussed earlier in this chapter.

Recovery plays an important role when BTI degradation is estimated using different measurement methods and compared against each other. For example, since BTI degradation is due to contribution from trap generation and trapping that are mutually uncorrelated, refer to Chap. 4 for details, trap generation is often estimated directly using CP or DCIV techniques and compared to overall  $V_T$  shift to determine the trapping component. Multiple measurements are often performed sequentially after stress is interrupted, and depending on measurement delay and the exact sequence, they would produce different results owing to BTI recovery. As an illustration, Fig. 2.38 plots time evolution of  $\Delta V_T$  and  $\Delta N_{IT}$  obtained respectively from  $I_{DLIN}-V_G$  and CP measurements during NBTI stress in SiON p-MOSFETs [71]. Two different measurement sequences have been used, i.e.,  $I-V$  first CP last and CP first  $I-V$  last, and produce different results as shown. Note that CP requires larger measurement time than  $I-V$  measurements, and since NBTI recovers quickly in time as soon as stress is stopped,  $\Delta V_T$  obtained from  $I-V$  first CP last is much larger than that obtained from CP first  $I-V$  last sequence, as much of the degradation recovers during CP measurements for the latter sequence. Therefore, it is important to avoid sequential measurements and perform different measurements independently on identical but different devices.

Even when independently measured,  $I-V$  and CP measurements result in different time evolution of degradation under identical measurement time. Time evolution of  $\Delta V_T$  and  $\Delta N_{IT}$  due to NBTI stress in SiON p-MOSFETs is measured using OSDD and CP methods, respectively. Experiments were performed under



**Fig. 2.38** Impact of sequential measurements using multiple methods: Time evolution of  $\Delta V_T$  and voltage shift corresponding to  $\Delta N_{IT}$  obtained respectively from  $I-V$  and CP measurements, for  $I-V$  first and CP next and CP first and  $I-V$  next sequence. Data from [71]



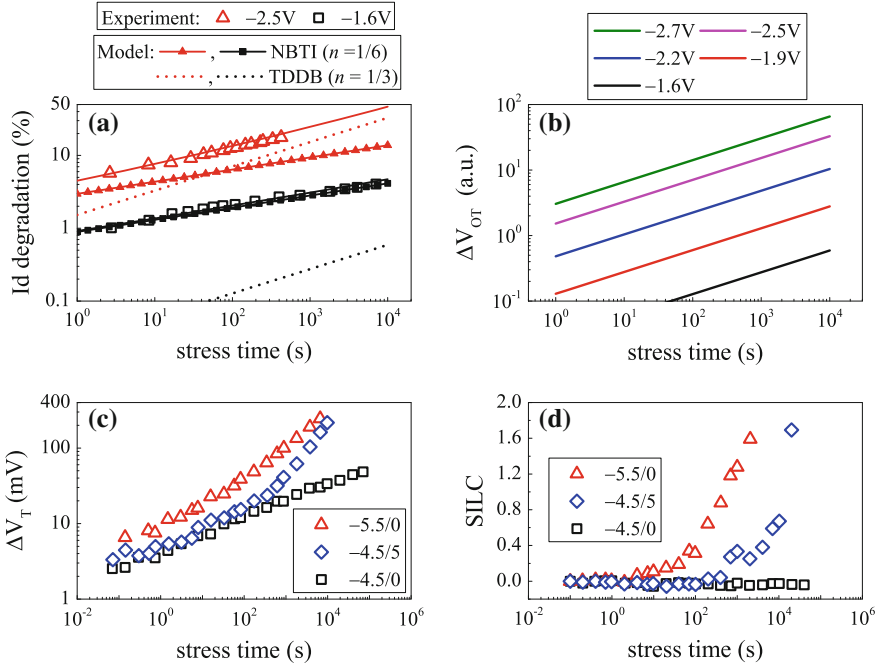
**Fig. 2.39** Impact of measurement delay: Measured power-law time exponent  $n$  as a function of stress  $T$ , extracted from **a**  $\Delta V_T$  time evolution using OSDD and **b**  $\Delta N_{IT}$  time evolution using CP methods, for NBTI stress in SiON p-MOSFETs

identical  $V_{G-STR}$  but different stress  $T$ , and for different measurement delay  $t_M$ . Figure 2.39 plots extracted power-law time exponent  $n$  for (a) OSDD and (b) CP measurements as a function of stress  $T$  for different  $t_M$ , obtained using linear regression of measured data in  $t_{STR}$  range of 10 s to 1k s [22]; the CP data are reproduced from Fig. 2.29b. Note that as-measured values of  $n$  are different between OSDD and CP measurements at identical stress  $T$  and  $t_M$ , as these methods suffer from different magnitudes of recovery. For a particular  $t_M$ ,  $n$  increases with increase in stress  $T$ , and for both measurement methods, the rate of increase in  $n$  is higher for larger  $t_M$  due to higher recovery. Therefore, just ensuring identical  $t_M$  is not sufficient for error-free comparison of different measurement methods.

As discussed earlier in this chapter, as-measured time evolution of trap generation obtained directly from CP or DCIV must be corrected for measurement delay and band gap differences before comparing with the trap generation component of  $\Delta V_T$  obtained from ultra-fast OTF, MSM or OSDD  $I_{DLIN}$  measurements. It is important to remark that failure to do these corrections would severely underestimate the trap generation and over estimate the trapping component of BTI.

BTI stress is usually performed at different  $V_{G-STR}$ , which aids in projecting the accelerated stress data to use condition. BTI and TDDDB stress regimes are essentially same, as discussed in Chap. 1, Fig. 1.2, and therefore, it is important to carefully choose  $V_{G-STR}$  so that TDDDB effects do not significantly corrupt BTI degradation. As an example, Fig. 2.40a plots the time evolution of  $\Delta I_{DLIN}$  measured in SiON p-MOSFETs under NBTI stress at different  $V_{G-STR}$  [72]. Note that a power-law time dependence is observed along with the normally observed time exponent of  $n \sim 1/6$  for stress at lower  $V_{G-STR}$ . However,  $\Delta I_{DLIN}$  breaks off from simple power-law time dependence and increases at longer  $t_{STR}$  for stress at higher  $V_{G-STR}$ ; the break-off happens earlier in time as  $V_{G-STR}$  is increased. Increased degradation at longer  $t_{STR}$  can be modeled using the sum of two independent degradation, having power-law dependence with  $n \sim 1/6$  and  $n \sim 1/3$  corresponding to NBTI and TDDDB respectively, also shown in Fig. 2.40a, refer to

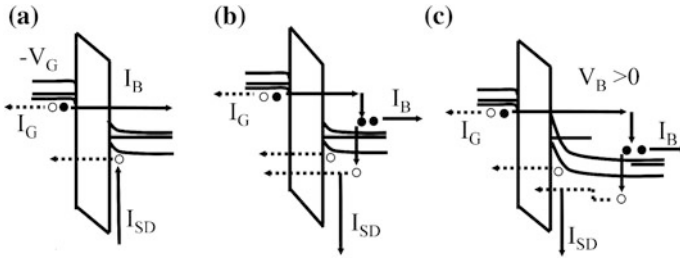




**Fig. 2.40** Impact of TDDB defects at high  $V_{G-STR}$ : **a** Time evolution of measured  $\Delta I_{DLIN}$  at different  $V_{G-STR}$ , and its decomposition into NBTI ( $n = 1/6$ ) and TDDB ( $n = 1/3$ ) components, and **b** time evolution extracted TDDB component for different  $V_{G-STR}$ , for NBTI stress in SiON p-MOSFETs. Data obtained from [72]. Time evolution of **c**  $\Delta V_T$  from  $I-V$  and **d**  $\Delta I_G$  from SILC measurements, for NBTI stress at different  $V_{G-STR}$  and reverse substrate bias  $V_B$  in SiO<sub>2</sub> p-MOSFETs

Chap. 4 for further details. Figure 2.40b shows the time evolution of extracted additional degradation for different  $V_{G-STR}$ . Identical  $n \sim 1/3$  power-law time dependence is observed across all  $V_{G-STR}$ , with a  $V_G$  acceleration factor of  $\Gamma_V \sim 30$  corresponding to time to reach a fixed degradation, which is similar to that observed for TDDB stress [48, 63, 68].

As an additional proof, Fig. 2.40c plots the time evolution of  $\Delta V_T$  measured in thicker SiO<sub>2</sub> p-MOSFETs for NBTI stress at low and high  $V_{G-STR}$ , as well as at low  $V_{G-STR}$  and high reverse substrate bias ( $V_B$ ) [14]. Note that  $\Delta V_T$  shows power-law time dependence with a single time exponent of  $n \sim 0.25$  for the entire duration of stress, when stress is performed at lower  $V_G$  and at  $V_B = 0$  V; higher  $n$  is observed due to recovery issues as data were measured using slow MSM method. However,  $\Delta V_T$  breaks off from the  $n \sim 0.25$  power-law trend and increases at longer  $t_{STR}$  for stress at higher  $V_{G-STR}$  and  $V_B = 0$  V or at low  $V_{G-STR}$  but  $V_B > 0$  V. To understand the mechanism responsible for enhanced degradation at longer  $t_{STR}$ , independent SILC measurements were performed in these devices at identical stress conditions. Figure 2.40d plots time the evolution of  $\Delta I_G/I_{G0}$  measured in inversion, showing



**Fig. 2.41** Energy band diagrams for NBTI stress in p-MOSFETs using **a** low  $V_G$  and  $V_B = 0$ , **b** high  $V_G$  and  $V_B = 0$ , and **c** low  $V_G$  and high reverse  $V_B$

absence of SILC for low  $V_G$  and  $V_B = 0$  V stress. However, SILC is observed at longer  $t_{STR}$  for stress at higher  $V_{G-STR}$  and  $V_B = 0$  V or at lower  $V_{G-STR}$  but  $V_B > 0$  V. As SILC is a measure of bulk trap generation, refer to Sect. 2.9, increased  $\Delta V_T$  at longer  $t_{STR}$  can be attributed to the charging of generated TDDB like bulk traps for stress at higher  $V_{G-STR}$  and  $V_B = 0$  V or for lower  $V_{G-STR}$  but  $V_B > 0$  V.

The energy band diagrams corresponding to NBTI stress in p-MOSFETs, illustrated in Fig. 2.41, can help explain the physical mechanism responsible for TDDB like bulk oxide trap generation under certain stress conditions [14]. For low stress  $V_G$ , inversion holes tunnel from Si substrate to gate and electrons tunnel from gate to substrate, refer to Fig. 2.41a, which is normal NBTI condition. At higher  $V_G$ , refer to Fig. 2.41b, electrons tunneling from gate to substrate gain enough energy and undergo impact ionization at the substrate and create hot holes, which can get injected back into the oxide by Anode Hole Injection (AHI) mechanism and create oxide defects [63]. Note that high stress  $V_G$  results in high  $E_{OX}$  in the gate insulator as well as generation of hot holes, and it is difficult to distinguish and identify the main reason behind bulk trap generation. Therefore to further verify the role of hot holes, Fig. 2.41c shows energy bands corresponding to stress at low  $V_G$  but high reverse  $V_B$ . In spite of low  $E_{OX}$ , hot holes can be generated via impacted ionization in the substrate due to high  $V_B$ , and can also generate bulk oxide traps as shown. Therefore, TDDB can affect the time evolution of NBTI degradation at long stress time, unless the upper limit of stress gate bias is carefully chosen.

## 2.12 Summary

To summarize, three different ultra-fast characterization methods are discussed to determine  $V_T$  shift of a MOSFET due to BTI stress. The MSM method involves  $I_D$  versus  $V_G$  sweep measurements before and during periodic interruptions of stress and provides direct estimation of  $\Delta V_T$ ; pre- and post-stress  $V_T$  being calculated using peak  $g_m$  method. The MSM method is implemented for DC and AC stress and the impact of pulse hold and sweep delay is discussed. The OTF method senses  $I_D$  on-the-fly without reducing stress  $V_G$ , while the OSDD method measures  $I_D$  by

reducing  $V_G$  from stress to a fixed sense bias. The impact of mobility degradation at different sense bias is discussed, and a post-processing mobility correction procedure is discussed for these one spot methods to properly estimate  $\Delta V_T$  from measured  $I_D$  degradation. The impact of time-zero delay for OTF and drop down delay for OSDD is discussed. It is shown that OTF measurement accuracy is dependent on how fast a device degrades after stress, while that for MSM or OSDD depends on how fast a device recovers after the removal of stress.

Several characterization techniques are discussed that directly estimate the pre-existing and newly generated defects in MOSFET gate insulator and are responsible for BTI degradation. Pre-existing process related traps are estimated in different SiON and HKMG devices using flicker noise method; a correlated number and surface mobility fluctuation model is used to determine trap density from measured drain current noise. The implementation details of CP and gated diode (or DCIV) techniques are discussed to determine density of generated traps during BTI stress. CP and DCIV are relatively slow methods and scan generated traps only in a limited energy range corresponding to the center of the Si band gap. Delay and band gap correction methods are discussed, which can be used to correct as-measured data for proper comparison with the trap generation component obtained from ultra-fast  $I-V$  methods. Increase in gate leakage in inversion or SILC is used to characterize generation of bulk traps in the gate insulator. The importance of proper choice of stress  $V_G$  is discussed, to minimize corruption of BTI degradation by TDDB like bulk trap generation. Finally, the LV-SILC method that also probes interface trap generation during BTI is briefly discussed.

In later chapters, NBTI in SiON p-MOSFETs is characterized using the mobility corrected OTF method, while flicker noise and CP methods are used respectively to characterize the pre-existing and generated traps. NBTI and PBTI in HKMG MOSFETs are characterized using the MSM method; flicker noise and DCIV are used to characterize the pre-existing and generated traps, respectively. When applicable, SILC is used to characterize generated bulk insulator traps.

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## References

1. N. Kimizuka, T. Yamamoto, T. Mogami, K. Yamaguchi, K. Imai, T. Horiuchi, The impact of bias temperature instability for direct-tunneling ultra-thin gate oxide on MOSFET scaling, in *Symposium on VLSI Technology: Digest of Technical Papers* (1999), p. 73
2. M. Ershov, S. Saxena, H. Karbasi, S. Winters, S. Minehane, J. Babcock, R. Lindley, P. Clifton, M. Redford, A. Shibkov, Dynamic recovery of negative bias temperature instability in p-type metal-oxide-semiconductor field-effect transistors. *Appl. Phys. Lett.* **83**, 1647 (2003)

3. S. Rangan, N. Mielke, E.C.C. Yeh, Universal recovery behavior of negative bias temperature instability [PMOSFETs], in *IEEE International Electron Devices Meeting Technical Digest* (2003), p. 14.3.1
4. H. Reisinger, O. Blank, W. Heinrigs, A. Muhlhoff, W. Gustin, C. Schlunder, Analysis of NBTI degradation- and recovery-behavior based on ultra fast VT-measurements, in *IEEE International Reliability Physics Symposium Proceedings* (2006), p. 448
5. E.N. Kumar, V.D. Maheta, S. Purawat, A.E. Islam, C. Olsen, K. Ahmed, M.A. Alam, S. Mahapatra, Material dependence of NBTI physical mechanism in silicon oxynitride (SiON) p-MOSFETs: a comprehensive study by ultra-fast on-the-fly (UF-OTF) IDLIN technique, in *IEEE International Electron Devices Meeting Technical Digest* (2007), p. 809
6. C. Shen, M.-F. Li, C.E. Foo, T. Yang, D.M. Huang, A. Yap, G.S. Samudra, Y.-C. Yeo, Characterization and physical origin of fast  $V_{th}$  transient in NBTI of pMOSFETs with SiON dielectric, in *IEEE International Electron Devices Meeting Technical Digest* (2006). doi:[10.1109/IEDM.2006.346776](https://doi.org/10.1109/IEDM.2006.346776)
7. A. Kerber, M. Kerber, Fast wafer level data acquisition for reliability characterization of sub-100 nm CMOS technologies. IEEE International Integrated Reliability Workshop Final Report (2004), p. 41
8. V.D. Maheta, E.N. Kumar, S. Purawat, C. Olsen, K. Ahmed, S. Mahapatra, Development of an ultrafast on-the-fly  $I_{DLIN}$  technique to study NBTI in plasma and thermal oxynitride p-MOSFETs. *IEEE Trans. Electron Devices* **55**, 2614 (2008)
9. S. Mahapatra, K. Ahmed, D. Varghese, A.E. Islam, G. Gupta, L. Madhav, D. Saha, M.A. Alam, On the physical mechanism of NBTI in silicon oxynitride p-MOSFETs: can differences in insulator processing conditions resolve the interface trap generation versus hole trapping controversy?, in *IEEE International Reliability Physics Symposium Proceedings* (2007), p. 1
10. A. Chaudhary, S. Mahapatra, A physical and SPICE mobility degradation analysis for NBTI. *IEEE Trans. Electron Devices* **60**, 2096 (2013)
11. M. Denais, A. Bravaix, V. Huard, C. Parthasarathy, G. Ribes, F. Perrier, Y. Rey-Tauriac, N. Revil, On-the-fly characterization of NBTI in ultra-thin gate oxide PMOSFET's, in *IEEE International Electron Devices Meeting Technical Digest* (2004), p. 109
12. A.E. Islam, V.D. Maheta, H. Das, S. Mahapatra, M. A. Alam, Mobility degradation due to interface traps in plasma oxynitride PMOS devices, in *IEEE International Reliability Physics Symposium Proceedings* (2008), p. 87
13. V.D. Maheta, C. Olsen, K. Ahmed, S. Mahapatra, The impact of nitrogen engineering in silicon oxynitride gate dielectric on negative-bias temperature instability of p-MOSFETs: a study by ultrafast on-the-fly  $I_{DLIN}$  technique. *IEEE Trans. Electron Devices* **55**, 1630 (2008)
14. S. Mahapatra, P. Bharath Kumar, M.A. Alam, Investigation and modeling of interface and bulk trap generation during negative bias temperature instability of p-MOSFETs". *IEEE Trans. Electron Devices* **51**, 1371 (2004)
15. Y. Taur, T.H. Ning, *Fundamentals of Modern VLSI Devices* (Cambridge University Press, Cambridge)
16. N. Goel, N. Nanaware, S. Mahapatra, Ultrafast AC–DC NBTI characterization of deep IL scaled HKMG p-MOSFETs. *IEEE Electron Device Lett.* **34**, 1476 (2013)
17. N. Goel, K. Joshi, S. Mukhopadhyay, N. Nanaware, S. Mahapatra, A comprehensive modeling framework for gate stack process dependence of DC and AC NBTI in SiON and HKMG p-MOSFETs. *Microelectron. Reliab.* **54**, 491 (2014)
18. N. Goel, S. Mukhopadhyay, N. Nanaware, S. De, R. K. Pandey, K.V.R.M. Murali, S. Mahapatra, A comprehensive DC/AC model for ultra-fast NBTI in deep EOT scaled HKMG p-MOSFETs, in *IEEE International Reliability Physics Symposium Proceedings* (2014), p. 6A.4.1
19. S. Mukhopadhyay, Private communication
20. B. Kaczer, V. Arkhipov, R. Degraeve, N. Collaert, G. Groeseneken, M. Goodwin, Disorder-controlled-kinetics model for negative bias temperature instability and its experimental verification, in *IEEE International Reliability Physics Symposium Proceedings* (2005), p. 381

21. B. Kaczer, T. Grasser, J. Roussel, J. Martin-Martinez, R. O'Connor, B.J. O'Sullivan, G. Groeseneken, Ubiquitous relaxation in BTI stressing—new evaluation and insights, in *IEEE International Reliability Physics Symposium Proceedings* (2008), p. 20
22. D. Varghese, D. Saha, S. Mahapatra, K. Ahmed, F. Nouri, M. Alam, On the dispersive versus Arrhenius temperature activation of NBTI time evolution in plasma nitrided gate oxides: measurements, theory, and implications, in *IEEE International Electron Devices Meeting Technical Digest* (2005), p. 684
23. S. Deora, P. Narayanasetti, M. Thakkar, S. Mahapatra, Development of a novel ultrafast direct threshold voltage (UF-DVT) technique to study NBTI stress and recovery. *IEEE Trans. Electron Devices* **58**, 3506 (2011)
24. K. Joshi, S. Mukhopadhyay, N. Goel, S. Mahapatra, A consistent physical framework for N and P BTI in HKMG MOSFETs, in *IEEE International Reliability Physics Symposium Proceedings* (2012), p. 5A.3.1
25. G. Kapila, N. Goyal, V.D. Maheta, C. Olsen, K. Ahmed, S. Mahapatra, A comprehensive study of flicker noise in plasma nitrided SiON p-MOSFETs: process dependence of pre-existing and NBTI stress generated trap distribution profiles. , in *IEEE International Electron Devices Meeting Technical Digest* (2008). doi:[10.1109/IEDM.2008.4796625](https://doi.org/10.1109/IEDM.2008.4796625)
26. S. Christensson, I. Lundström, C. Svensson, Low frequency noise in MOS transistors—I theory. *Solid State Electron.* **11**, 797 (1968)
27. F. Hornig-Sen, C.-T. Sah, Theory and experiments on surface 1/f noise. *IEEE Trans. Electron Devices* **19**, 273 (1972)
28. Z. Celik, T.Y. Hsiang, Study of 1/f noise in N-MOSFET's: Linear region. *IEEE Trans. Electron Devices* **32**, 2797 (1985)
29. L.K.J. Vandamme, Model for 1/f; noise in MOS transistors biased in the linear region. *Solid State Electron.* **23**, 317 (1980)
30. L.K.J. Vandamme, H.M.M. de Werd, 1/f; noise model for MOSTs biased in nonohmic region. *Solid State Electron.* **23**, 325 (1980)
31. A.L. McWhorter, 1/f noise and germanium surface properties, in *Semiconductor Surface Physics* (University of Pennsylvania Press, Philadelphia, 1957), p. 207
32. G. Abowitz, E. Arnold, E.A. Leventhal, Surface states and 1/f noise in MOS transistors. *IEEE Trans. Electron Devices* **14**, 775 (1967)
33. H.E. Maes, S.H. Usmani, G. Groeseneken, Correlation between 1/f noise and interface state density at the Fermi level in field-effect transistors. *J. Appl. Phys.* **57**, 4811 (1985)
34. F.N. Hooge, 1/f noise. *Phys. B + C* **83**, 14 (1976)
35. R.P. Jindal, Phonon fluctuation model for flicker noise in elemental semiconductors. *J. Appl. Phys.* **52**, 2884 (1981)
36. V. Huard, Two independent components modeling for negative bias temperature instability, in *IEEE International Reliability Physics Symposium Proceedings* (2010), p. 33
37. K. Joshi, S. Hung, S. Mukhopadhyay, V. Chaudhary, N. Nanaware, B. Rajamohanan, T. Sato, M. Bevan, A. Wei, A. Noori, B. McDougal, C. Ni, G. Saheli, C. Lazik, P. Liu, D. Chu, L. Date, S. Datta, A. Brand, J. Swenberg, S. Mahapatra, HKMG process impact on N, P BTI: Role of thermal IL scaling, IL/HK integration and post HK nitridation, in *IEEE International Reliability Physics Symposium Proceedings* (2013), p. 4C.2.1
38. S. Mukhopadhyay, K. Joshi, V. Chaudhary, N. Goel, S. De, R.K. Pandey, K.V.R.M. Murali, S. Mahapatra, Trap generation in IL and HK layers during BTI / TDDB stress in scaled HKMG N and P MOSFETs, in *IEEE International Reliability Physics Symposium Proceedings* (2014), p. GD.3.1
39. S. Machlup, Noise in semiconductors: spectrum of a two-parameter random signal. *J. Appl. Phys.* **25**, 341 (1954)
40. K.K. Hung, P.K. Ko, C. Hu, Y.C. Cheng, A unified model for the flicker noise in metal-oxide-semiconductor field-effect transistors. *IEEE Trans. Electron Devices* **37**, 654 (1990)

41. T. Grasser, B. Kaczer, W. Goes, T. Aichinger, P. Hehenberger, M. Nelhiebel, Understanding negative bias temperature instability in the context of hole trapping (Invited Paper). *Microelectron. Eng.* **86**, 1876 (2009)
42. H. Reisinger, T. Grasser, W. Gustin, C. Schlunder, The statistical analysis of individual defects constituting NBTI and its implications for modeling DC- and AC-stress, in *IEEE International Reliability Physics Symposium Proceedings* (2010), p. 7
43. S. Zafar, A. Kerber, R. Muralidhar, Physics based PBTI model for accelerated estimation of 10 year lifetime, in *Symposium on VLSI Technology: Digest of Technical Papers* (2014). doi:10.1109/VLSIT.2014.6894388
44. B. Kaczer, T. Grasser, J. Martin-Martinez, E. Simoen, M. Aoulaiche, P.J. Roussel, G. Groeseneken, NBTI from the perspective of defect states with widely distributed time scales, in *IEEE International Reliability Physics Symposium Proceedings* (2009), p. 55
45. G. Groeseneken, H.E. Maes, N. Beltran, R.F. De Keersmaecker, A reliable approach to charge-pumping measurements in MOS transistors. *IEEE Trans. Electron Devices* **31**, 42 (1984)
46. Y. Mitani, "Influence of nitrogen in ultra-thin SiON on negative bias temperature instability under AC stress, in *IEEE International Electron Devices Meeting Technical Digest* (2004), p. 117
47. S. Mahapatra, V.D. Maheta, A.E. Islam, M.A. Alam, Isolation of NBTI stress generated interface trap and hole-trapping components in PNO p-MOSFETs. *IEEE Trans. Electron Devices* **56**, 236 (2009)
48. S. Mahapatra, A.E. Islam, S. Deora, V.D. Maheta, K. Joshi, A. Jain, M.A. Alam, A critical re-evaluation of the usefulness of R-D framework in predicting NBTI stress and recovery, in *IEEE International Reliability Physics Symposium Proceedings* (2011), p. 6A.3.1
49. M. Zahid, R. Degraeve, M. Cho, L. Pantisano, D.R. Aguado, J. Van. Houdt, G. Groeseneken, M. Jurczak, Defect profiling in the SiO<sub>2</sub>/Al<sub>2</sub>O<sub>3</sub> interface using Variable *T* charge-*T* discharge amplitude charge pumping (VT2ACP), in *IEEE International Reliability Physics Symposium Proceedings* (2009), p. 21
50. M. Masuduzzaman, A.E. Islam, M.A. Alam, Exploring the capability of multi frequency charge pumping in resolving location and energy levels of traps within dielectric. *IEEE Trans. Electron Devices* **55**, 3421 (2008)
51. W.J. Liu, Z.Y. Liu, D. Huang, C.C. Liao, L.F. Zhang, Z.H. Gan, W. Wong, C. Shen, M.-F. Li, On-the-fly interface trap measurement and its impact on the understanding of NBTI mechanism for p-MOSFETs with SiON gate dielectric, in *IEEE International Electron Devices Meeting Technical Digest* (2007), p. 813
52. D.S. Ang, Z.Q. Teo, C.M. Ng, Reassessing NBTI mechanisms by ultrafast charge pumping measurement. *ieee international integrated reliability workshop final report* (2009), p. 25
53. S.S. Chung, S.-J. Chen, C.-K. Yang, S.-M. Cheng, S.-H. Lin, Y.-C. Sheng, H.-S. Lin, K.-T. Hung, D.-Y. Wu, T.-R. Yew, S.-C. Chien, F.-T. Liou, F. Wen, A novel and direct determination of the interface traps in sub-100 nm CMOS devices with direct tunneling regime (12 ~ 16 Å) gate oxide, in *Symposium on VLSI Technology. Digest of Technical Papers* (2002), p. 74
54. T. Grasser, W. Gos, V. Sverdlov, B. Kaczer, The universality of NBTI relaxation and its implications for modeling and characterization, in *IEEE International Reliability Physics Symposium Proceedings* (2007), p. 268
55. J. Franco, B. Kaczer, J. Mitard, M. Toledano-Luque, P.J. Roussel, L. Witters, T. Grasser, G. Groeseneken, NBTI Reliability of SiGe and Ge channel pMOSFETs With SiO<sub>2</sub>/HfO<sub>2</sub> dielectric stack. *IEEE Trans. Device Mater. Reliab.* **13**, 497 (2013)
56. J. Cai, R.-Y. Sah, Monitoring interface traps by DCIV method. *IEEE Electron Device Lett.* **20**, 60 (1999)
57. A. Neugroschel, G. Bersuker, R. Choi, Applications of DCIV method to NBTI characterization. *Microelectron. Reliab.* **47**, 1366 (2007)

58. J.H. Stathis, G. LaRosa, A. Chou, Broad energy distribution of NBTI-induced interface states in p-MOSFETs with ultra-thin nitrided oxide, in *IEEE International Reliability Physics Symposium Proceedings* (2004). doi:10.1109/RELPHY.2004.1315292
59. J.P. Campbell, P.M. Lenahan, A.T. Krishnan, S. Krishnan, NBTI: an atomic-scale defect perspective, in *IEEE International Reliability Physics Symposium Proceedings* (2006), p. 447
60. S. Mahapatra, N. Goel, S. Desai, S. Gupta, B. Jose, S. Mukhopadhyay, K. Joshi, A. Jain, A.E. Islam, M.A. Alam, A comparative study of different physics-based NBTI models. *IEEE Trans. Electron Devices* **60**, 901 (2013)
61. W. Shockley, W. Read, Statistics of the recombinations of holes and electrons. *Phys. Rev.* **87**, 835 (1952)
62. D.J. Fitzgerald, A.S. Grove, Surface recombination in semiconductors. *Surf. Sci.* **9**, 347 (1968)
63. M.A. Alam, SILC as a measure of trap generation and predictor of TBD in ultrathin oxides. *IEEE Trans. Electron Devices* **49**, 226 (2002)
64. S. Pae, T. Ghani, M. Hattendorf, J. Hicks, J. Jopling, J. Maiz, K. Mistry, J. O'Donnell, C. Prasad, J. Wiedemer, J. Xu, Characterization of SILC and its end-of-life reliability assessment on 45nm high-K and metal-gate technology, in *IEEE International Reliability Physics Symposium Proceedings* (2009), p. 499
65. S. Ramey, A. Ashutosh, C. Auth, J. Clifford, M. Hattendorf, J. Hicks, R. James, A. Rahman, V. Sharma, A. St. Amour, C. Wiegand, Intrinsic transistor reliability improvements from 22 nm tri-gate technology, in *IEEE International Reliability Physics Symposium Proceedings* (2013), p. 4C.5.1
66. S. Takagi, M. Takayanagi, A. Toriumi, Experimental examination of physical model for direct tunneling current in unstressed/stressed ultrathin gate oxides, in *IEEE International Electron Devices Meeting Technical Digest* (1999), p. 461
67. E. Cartier, A. Kerber, Stress-induced leakage current and defect generation in nFETs with HfO<sub>2</sub>/TiN gate stacks during positive-bias temperature stress, in *IEEE International Reliability Physics Symposium Proceedings* (2009), p. 486
68. J. Yang, M. Masduzzaman, K. Joshi, S. Mukhopadhyay, J. Kang, S. Mahapatra, M.A. Alam, Intrinsic correlation between PBTI and TDDB degradations in nMOS HK/MG dielectrics, in *IEEE International Reliability Physics Symposium Proceedings* (2012), p. 5D.4.1
69. A.T. Krishnan, C. Chancellor, S. Chakravarthi, P.E. Nicollian, V. Reddy, A. Varghese, R.B. Khamankar, S. Krishnan, Material dependence of hydrogen diffusion: implications for NBTI degradation, in *IEEE International Electron Devices Meeting Technical Digest* (2005), p. 688
70. P.E. Nicollian, Insights on trap generation and breakdown in ultra thin SiO<sub>2</sub> and SiON dielectrics from low voltage stress-induced leakage current measurements. *Microelectron. Reliab.* **48**, 1171 (2008)
71. T. Yang, M.F. Li, C. Shen, C.H. Ang, C. Zhu, Y.C. Yeo, G. Samudra, S.C. Rustagi, M.B. Yu, D.L. Kwong, Fast and slow dynamic NBTI components in p-MOSFET with sion dielectric and their impact on device life-time and circuit application, in *Symposium on VLSI Technology: Digest of Technical Papers* (2005), p. 92
72. Y.M. Lin, C.J. Wang, K. Wu, A new finding on NBTI lifetime model and an investigation on NBTI degradation characteristic for 1.2 nm ultra thin oxide, in *IEEE International Reliability Physics Symposium Proceedings* (2005), p. 704

# Chapter 3

## Physical Mechanism of BTI Degradation—Direct Estimation of Trap Generation and Trapping

Subhadeep Mukhopadhyay and Souvik Mahapatra

**Abstract** In this chapter, direct characterization techniques have been used to access the trap generation and trapping subcomponents of BTI degradation in HKMG MOSFETs having different gate stack processes. Generation of new traps is estimated using DCIV for NBTI stress and both DCIV and SILC for PBTI stress respectively in p- and n-channel MOSFETs. Flicker noise is used to estimate the density of process related pre-existing gate insulator traps responsible for hole and electron trapping respectively during NBTI and PBTI stress. The spatial and energetic locations of generated traps for NBTI and PBTI stress are identified. The time, bias, and temperature dependencies of trap generation obtained using the DCIV technique are compared between NBTI and PBTI stress, while these parameters obtained using DCIV and SILC techniques are compared for PBTI stress. The relative dominance of trap generation and trapping on NBTI and PBTI threshold voltage degradation is estimated for different gate insulator processes.

### 3.1 Introduction

From a practical point of view of technology qualification, it is important to know the magnitude of Bias Temperature Instability (BTI) at end-of-life of devices and hence of circuits and products under normal use condition. Estimation of Negative BTI (NBTI) and Positive BTI (PBTI) respectively in p- and n-channel Metal Oxide Semiconductor Field Effect Transistors (MOSFETs) is usually done by stressing the devices at higher than normal gate bias ( $V_G = V_{G-STR}$ ) and measuring the resulting device parametric degradation with minimal impact of recovery artifacts. Different “recovery-free” measurement techniques have been discussed in Chap. 2. As mentioned before, stress tests are usually performed for few hours or

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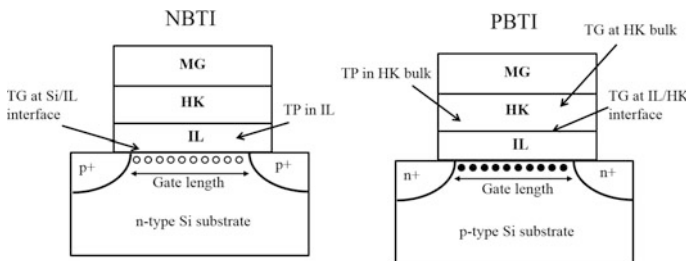
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days in wafer level setup, although sometimes the test can go on for few months in package level setup. Measured data at short time and at accelerated aging condition are then extrapolated to end-of-life and normal operating condition by using suitable models. Proper understanding of BTI degradation mechanism is necessary to develop reliable extrapolation models. It also helps in understanding the impact of gate insulator processes on BTI, which in turn helps in process optimization for keeping BTI under acceptable limits for technology qualification.

The physical mechanism of BTI has remained as a topic of great debate. It was discussed in Chap. 1 that NBTI has emerged as a crucial p-MOSFET reliability issue since 90 nm technology node, when Silicon Oxynitride (SiON) replaced Silicon Dioxide (SiO<sub>2</sub>) as the gate insulator [1, 2]. NBTI remains as an important issue even today for planar MOSFETs and FinFETs having state-of-the-art High-K Metal Gate (HKMG) gate stacks [3, 4]. Over the years, different physical mechanisms have been proposed to explain buildup of positive charges in the gate insulator during NBTI stress and were recently reviewed [5]. Figure 3.1 shows schematic of p- and n-channel HKMG MOSFETs having bi-layer gate insulator stack with SiO<sub>2</sub> or SiON Interlayer (IL) and Hafnium Oxide (HfO<sub>2</sub>) High-K dielectrics. Positive charge buildup during NBTI stress can be due to either one or both of the two processes, i.e., generation of new traps at or near the interface between Silicon (Si) channel and SiO<sub>2</sub> (or SiON) IL and/or charging of pre-existing, as-processed traps in IL bulk. It is believed that HfO<sub>2</sub> High-K layer presumably acts primarily as a voltage divider.

Different characterization techniques have been discussed in Chap. 2 for accessing the density of process related and generated traps respectively before and after BTI stress. Note that direct characterization techniques such as Charge Pumping (CP) [6] and Gated Diode (or DCIV) [7] have been used in several reports to provide irrefutable proof of interface trap generation ( $\Delta N_{IT}$ ) for NBTI stress in SiON [5, 7–15] and HKMG [5, 16–18] p-MOSFETs. In spite of these experimental evidences, some reports have suggested hole trapping in pre-existing traps ( $\Delta N_{HT}$ ) as the only NBTI mechanism [19–23], which is definitely not correct. Similarly, reports suggesting  $\Delta N_{IT}$  as the exclusive NBTI mechanism [10, 11] are also not correct, as they cannot explain ultra-fast threshold voltage shift ( $\Delta V_T$ ) measurements [20, 24, 25] and gate insulator process dependence of NBTI [13–15]. As of



**Fig. 3.1** Schematic of p- and n-channel HKMG MOSFETs showing different trap generation (TG) and trapping (TP) processes under NBTI and PBTI stress

today, the prevailing notion of NBTI mechanism involves contribution from both  $\Delta N_{IT}$  and  $\Delta N_{HT}$ ; although some have suggested strong coupling or correlation between the two processes [26], most reports suggest that they are independent and mutually uncorrelated [5, 9, 13–18, 27–35]. Furthermore, trap generation ( $\Delta N_{OT}$ ) in bulk IL also contributes for situations involving high stress gate bias ( $V_{G-STR}$ ). Mutually uncoupled  $\Delta N_{IT}$  and  $\Delta N_{HT}$  (and also  $\Delta N_{OT}$  for certain situations) mechanisms can explain different gate insulator process dependent NBTI data [5, 33–35], and is discussed later in Chap. 4.

As discussed in Chap. 1, PBTI remained negligible for SiON n-MOSFETs and became important with the introduction of HKMG technology [36]. As mentioned before, NBTI in HKMG MOSFETs results in positive charge buildup in the SiO<sub>2</sub> or SiON IL due to trap generation at Si/IL interface and hole trapping in IL bulk [16, 17, 34]. In contrast, PBTI results in negative charge buildup in HfO<sub>2</sub> High-K layer as shown in Fig. 3.1 [36]. Note that initial HKMG MOSFETs had thick and not fully optimized HfO<sub>2</sub> High-K layer and showed very large PBTI degradation primarily due to significant electron trapping in pre-existing traps ( $\Delta N_{ET}$ ) [37, 38]. However, PBTI magnitude reduces with reduction in High-K layer thickness [36] and with optimization of HKMG process [39] as mentioned in Chap. 1. For well-optimized gate insulator stacks, various reports have suggested trap generation in the High-K layer measured directly using DCIV [16, 17, 40] and Stress Induced Leakage Current (SILC) [40, 41] methods. Moreover, a recent report has suggested two different and mutually uncoupled PBTI trap generation processes, presumably at the IL/High-K interface ( $\Delta N_{IT-HK}$ ) and High-K bulk ( $\Delta N_{OT-HK}$ ), respectively, probed by DCIV and SILC techniques [17]. In spite of such direct experimental evidences of trap generation, some report still suggests PBTI to be solely due to electron trapping in pre-existing process related traps in the High-K layer even for state-of-the-art technology nodes [42], which is obviously not correct. However, many reports have suggested mutually uncorrelated trap generation and trapping in High-K as the physical mechanism of PBTI [16, 17, 32, 40, 43]. PBTI model is discussed later in Chap. 4.

Furthermore, transconductance degradation ( $\Delta g_m$ ) has been reported for NBTI stress in HKMG p-MOSFETs since generated IL charges are closer to the channel and results in mobility degradation due to Coulomb scattering. However,  $\Delta g_m$  is negligible for PBTI stress in well-optimized HKMG n-MOSFETs due to negligible IL degradation [39], refer to Chap. 1 for details. While the magnitude of PBTI degradation reduces with HfO<sub>2</sub> thickness scaling, it increases with reduction in IL thickness since generated High-K layer charges come closer to the channel, and also due to possible modification of the High-K layer quality introduced by the IL thickness scaling process [17, 32, 44, 45]. Therefore, NBTI and PBTI charges are shown to have very different physical location in the HKMG gate stack.

As mentioned in Chap. 1, the relative magnitude of NBTI and PBTI degradation respectively in p- and n-channel HKMG MOSFETs stressed under identical oxide field ( $E_{OX}$ ) and temperature ( $T$ ) depends on the gate insulator process and is industry specific [3, 4]. Although NBTI results in trap generation and trapping in the IL layer while PBTI degrades the High-K layer, they demonstrate very similar behavior listed

as follows, when measured by using Ultra-Fast Measure-Stress-Measure (UF-MSM) technique, refer to Chap. 1 for details:

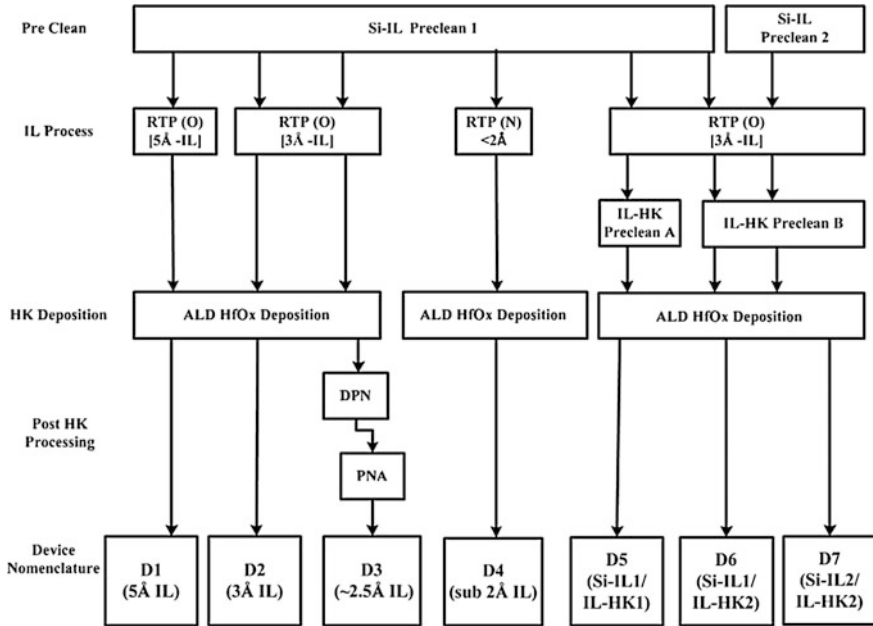
- (a) Time evolution of  $\Delta V_T$  shows rapid increase at the beginning of stress and power-law time dependence with time exponent  $n$  for longer stress time. The longer time power-law dependence is observed for both DC and AC stress, refer to Figs. 1.25 and 1.30.
- (b) The longer time power-law time exponent  $n$  is independent of stress  $E_{OX}$  and  $T$  when stress and measurements are performed without any extraneous artifacts, such as influence of recovery or stress saturation, and shows similar values for NBTI and PBTI stress. The exponent is also independent of AC pulse duty cycle (PDC) and frequency ( $f$ ), although  $n$  for AC stress is higher compared to DC stress. Refer to Figs. 1.26 and 1.31.
- (c) Measured  $\Delta V_T$  increases with stress  $E_{OX}$  and  $T$ . The power-law  $E_{OX}$  acceleration factor ( $\Gamma_E$ ) and Arrhenius T activation energy ( $E_A$ ) extracted using  $\Delta V_T$  measured at fixed stress time ( $t_{STR}$ ) are found to be independent of stress  $T$  and  $E_{OX}$  respectively, when stress and measurements remain free from certain extraneous artifacts mentioned above, refer to Fig. 1.27.
- (d) BTI recovery results in lower  $\Delta V_T$  for AC when compared to DC stress. AC  $\Delta V_T$  is independent of  $f$ , and shows a typical “S” shaped characteristic with variation in PDC, with a large “kink” or “jump” in  $\Delta V_T$  observed between high PDC AC and DC stress, refer to Fig. 1.32.
- (e) Although the magnitude of  $\Delta V_T$  increases for NBTI but reduces for PBTI when Nitrogen (N) is incorporated in the gate insulator stack, the parameters  $n$ ,  $E_A$  and  $\Gamma_E$  show a reduction for both NBTI and PBTI stress, refer to Fig. 1.34.
- (f) Equivalent Oxide Thickness (EOT) scaling achieved either by reduction in IL thickness or post High-K nitridation results in higher  $\Delta V_T$  but reduction in parameters  $n$ ,  $E_A$  and  $\Gamma_E$ , refer to Fig. 1.35.

In this chapter, the underlying trap generation and trapping subcomponents of NBTI and PBTI degradation are independently assessed respectively in p- and n-channel HKMG MOSFETs. Devices having different HKMG gate insulator processes are used. The contribution of trap generation and trapping on  $\Delta V_T$  measured using ultra-fast MSM method is also assessed to determine physical mechanism of BTI degradation. The concept developed in this chapter will be used in Chap. 4 to develop quantitative NBTI and PBTI models.

## 3.2 Description of HKMG Devices

Figure 3.2 shows the gate insulator process flow of different HKMG MOSFETs studied in this chapter. A Gate First integration scheme has been used.

The devices have different Rapid Thermal Process (RTP) based thermal IL layers [46] but identical HfO<sub>2</sub> High-K layer obtained using the Atomic Layer Deposition (ALD) method [47]. Different pre-clean surface treatments have been



**Fig. 3.2** Schematic process flow of different HKMG gate insulators studied in this chapter

used before thermal IL growth and before ALD High-K deposition. The Si/IL pre-clean is done before the IL growth and therefore affect the IL quality, and for thinner IL, it can also affect the High-K quality. The IL/HK pre-clean is done after IL growth but before High-K deposition, and impacts the High-K layer quality. EOT scaling has been achieved (a) by using RTP based thermal IL having thickness of 5 Å (D1) and 3 Å (D2), (b) by introducing Nitrogen (N) in the gate stack after High-K deposition, using Decoupled Plasma Nitridation (DPN) [48] with proper Post Nitridation Anneal (PNA) [49] (D3) and (c) by using N based surface passivation before RTP IL growth (D4). Devices D1 through D4 have identical Si/IL and IL/HK pre-clean processes, different IL but identical High-K thickness. Devices D5 through D7 have identical IL and High-K layer thickness, however, D5 and D6 have similar Si/IL but different IL/HK pre-clean processes, while D6 and D7 have different Si/IL but similar IL/HK pre-clean processes. All thicknesses are measured using X-ray Photoelectron Spectroscopy; refer to [32] for further details.

### 3.3 Trap Generation During NBTI

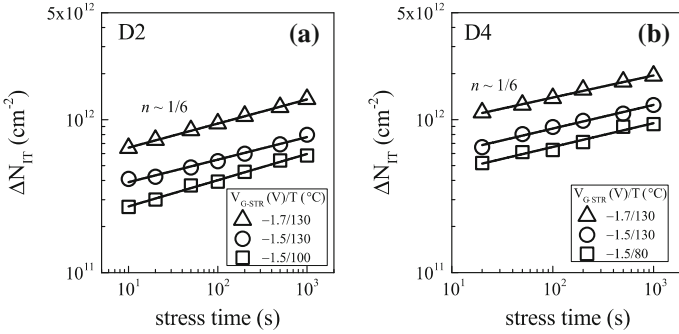
In this section, trap generation during NBTI stress in HKMG p-MOSFETs is studied using the Gated Diode or DCIV technique [7], which has been discussed in detail in Chap. 2. In this technique, the source and drain terminals of a MOSFET are

shorted together and forward biased below the junction cut-in voltage, the gate is swept from accumulation to inversion, and the current due to electron-hole recombination in traps at and near the Si channel and gate insulator interface is measured at the substrate. DCIV current ( $I_{\text{DCIV}}$ ) is proportional to the density of these traps, and therefore, increase in  $I_{\text{DCIV}}$  after NBTI stress is a direct measure of generation of new traps. In HKMG MOSFETs, DCIV can measure trap generation at Si/IL interface, IL bulk, as well as at IL/High-K interface especially for gate stacks having thin IL layers, refer to Fig. 3.1. However, it is unlikely that DCIV would probe much deeper inside High-K bulk. Therefore, in addition to generated traps associated with NBTI, DCIV technique can also measure generated traps in the IL due to Time Dependent Dielectric Breakdown (TDDB) process as both mechanisms get triggered at identical stress conditions, refer to Chap. 1, Fig. 1.2. However, as discussed in Chaps. 2 and 4, TDDB has much larger  $V_G$  acceleration factor compared to NBTI [15], and for HKMG MOSFETs, the stress  $V_G$  gets divided between the IL and High-K layers. Therefore, for moderate values of stress  $V_G$ , trap generation in HKMG devices measured by DCIV can be largely associated to the NBTI process.

Furthermore, DCIV is a slow measurement technique and it takes approximately few seconds to perform the  $V_G$  sweep and measure  $I_{\text{DCIV}}$  using conventional instrumentation. Note that DCIV characterization is performed in MSM mode, where measurements are performed before and during logarithmically spaced intervals of NBTI stress. Since generated traps start to reduce when NBTI stress is stopped for measurement, measured DCIV data get corrupted by recovery artifacts and therefore needs to be corrected for measurement delay, as discussed in Chap. 2. Finally, note that DCIV scans trap generation located energetically in  $\sim 0.3$  eV around the Si band gap [7]. Since  $\Delta V_T$  gets affected by trap generation in the entire band gap, measured DCIV data must also be corrected for such band gap difference before compared to  $\Delta V_T$  obtained from  $I$ - $V$  measurements. DCIV data in this and following sections are plotted after correction for measurement delay and band gap difference using the procedure discussed in Chap. 2 [17].

### 3.3.1 DCIV Measurements in DC Stress

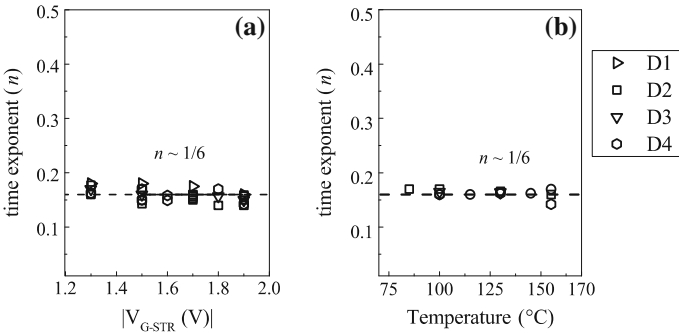
Figure 3.3 plots time evolution of generated interface traps ( $\Delta N_{\text{IT}}$ ) in HKMG p-MOSFETs having (a) non-nitrided (D2) and (b) N surface passivated (D4) IL for NBTI stress at different  $V_{\text{G-STR}}$  and  $T$ . As mentioned before,  $\Delta N_{\text{IT}}$  is extracted from DCIV measurements after delay and band gap correction. Only longer time data are plotted, and  $\Delta N_{\text{IT}}$  increases with increase in  $V_{\text{G-STR}}$  and  $T$  as expected, and the nitrided device D4 shows slightly higher degradation compared to its non-nitrided counterpart due to larger stress  $E_{\text{OX}}$  and different IL quality. Note that  $E_{\text{OX}}$  is calculated using  $(V_{\text{G-STR}} - V_{\text{T0}})/\text{EOT}$ ; where  $V_{\text{T0}}$  is pre-stress  $V_T$  and EOT is the  $\text{SiO}_2$  equivalent gate insulator thickness. The time evolution of  $\Delta N_{\text{IT}}$  shows power-law dependence with identical time exponent ( $n \sim 1/6$ ) for both devices and



**Fig. 3.3** DCIV measured time evolution of  $\Delta N_{IT}$  for NBTI stress at different  $V_{G-STR}$  and  $T$  in HKMG p-MOSFETs having different IL processes

for different  $V_{G-STR}$  and  $T$ . The exponent  $n$  is extracted by linear regression of measured  $\Delta N_{IT}$  time evolution data in  $t_{STR}$  range of 10 s to 1 Ks. Interestingly, the HKMG process dependence of time exponent  $n$  for  $\Delta N_{IT}$  is different from that for  $\Delta V_T$  shown earlier in Chap. 1, Figs. 1.25, 1.33 and 1.35. Note that although  $\Delta V_T$  shows power-law time dependence with exponent  $n$  that is independent of  $V_{G-STR}$  and  $T$  for a particular HKMG process, its value reduces for nitrided devices unlike that shown here for  $\Delta N_{IT}$  data. Moreover, the value of  $n$  for  $\Delta N_{IT}$  is always higher than that for  $\Delta V_T$  when extracted in the same range of  $t_{STR}$  as shown.

As a further proof of the universality of power-law time exponent  $n$ , time evolution of  $\Delta N_{IT}$  is measured using DCIV method in different HKMG devices shown in Fig. 3.2. Figure 3.4 plots extracted  $n$  versus (a)  $V_{G-STR}$  and (b)  $T$  after correction for measurement delay. Note that within measurement error, a universal power-law time dependence with  $n \sim 1/6$  is obtained for devices having different HKMG gate insulator processes and also across different  $V_{G-STR}$  and  $T$ . Once again, while a universal exponent is obtained for time evolution of  $\Delta N_{IT}$ , this is in contrast

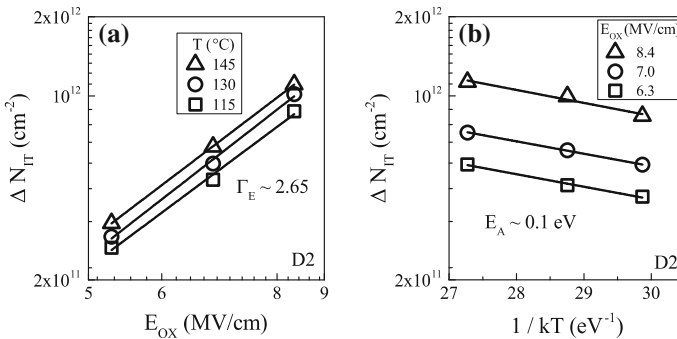


**Fig. 3.4** Extracted long-time power-law time exponent  $n$  for different HKMG devices as a function of **a** stress  $V_G$  and **b** stress  $T$ , obtained using DCIV measurements during NBTI stress

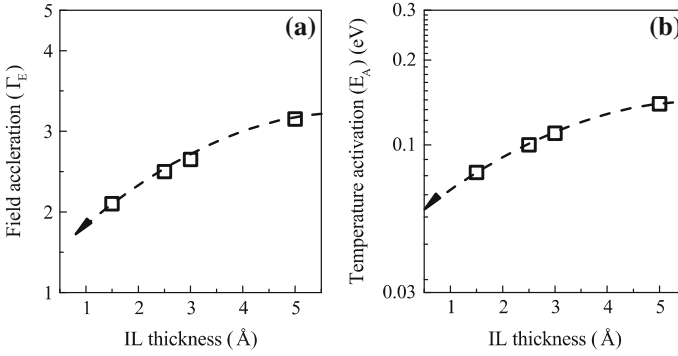
to the exponent obtained for time evolution of  $\Delta V_T$  from UF-MSM technique; the latter has strong gate insulator process dependence as discussed in Chap. 1, Sect. 1.6. This universality of  $\Delta N_{IT}$  time evolution is a very significant result and underlines the robustness of physical mechanism governing interface trap generation, which will be discussed later in this book.

Figure 3.5 plots (a) stress  $E_{OX}$  and (b) stress  $T$  dependence of  $\Delta N_{IT}$  at fixed  $t_{STR}$ , obtained from DCIV measurements after delay and band gap corrections. Experiments have been performed at three sets of stress  $T$ , and for each  $T$ , three different values of  $E_{OX}$  have been used. This facilitates extraction of power-law  $E_{OX}$  acceleration factor  $\Gamma_E$  and Arrhenius  $T$  activation energy  $E_A$  of  $\Delta N_{IT}$  at different  $T$  and  $E_{OX}$ , respectively. Since  $\Delta N_{IT}$  time evolution has power-law dependence with similar  $n$  for different stress  $E_{OX}$  and  $T$  as shown above, extracted  $\Gamma_E$  and  $E_A$  would be independent of  $t_{STR}$ . It is interesting to note that similar to  $E_{OX}$  and  $T$  dependence of  $\Delta V_T$  shown in Chap. 1, Fig. 1.27, measured values of  $\Gamma_E$  and  $E_A$  from  $E_{OX}$  and  $T$  dependence of  $\Delta N_{IT}$  are also independent of  $T$  and  $E_{OX}$ , respectively. Note that mutually independent  $E_{OX}$  and  $T$  dependencies are obtained when stress and measurement remain free from extraneous artifacts mentioned in Chap. 1, Sect. 1.3.

Figure 3.6 shows the impact of IL thickness on (a) power-law field acceleration factor  $\Gamma_E$  and (b) Arrhenius  $T$  activation energy  $E_A$  extracted from DCIV measured  $\Delta N_{IT}$  data after delay and band gap correction, for NBTI stress in different HKMG devices shown in Fig. 3.2. As discussed before, IL thickness scaling is achieved by using different RTP based thermal IL (D1, D2), post High-K nitridation (D3), and RTP based IL on N passivated Si substrate (D4). Both  $\Gamma_E$  and  $E_A$  reduce with EOT scaling as shown, which is similar to EOT dependence of  $\Gamma_E$  and  $E_A$  for  $\Delta V_T$  shown in Fig. 1.35. For a particular device, the magnitude of  $\Gamma_E$  for  $\Delta N_{IT}$  is similar to that



**Fig. 3.5** Fixed time DCIV measured  $\Delta N_{IT}$  versus **a** stress  $E_{OX}$  and **b** stress  $T$  for NBTI stress in HKMG p-MOSFETs.  $E_{OX}$  dependence is shown for different  $T$  and  $T$  dependence is plotted for different  $E_{OX}$ .  $E_{OX}$  dependence is plotted in a log–log scale and  $T$  dependence is plotted in a semi-log scale



**Fig. 3.6** Power-law field acceleration factor ( $\Gamma_E$ ) and Arrhenius  $T$  activation energy ( $E_A$ ) of DCIV measured  $\Delta N_{IT}$  for NBTI stress, as a function of IL thickness of different HKMG stacks

for  $\Delta V_T$ , while  $E_A$  for  $\Delta N_{IT}$  is always higher compared to the corresponding value for  $\Delta V_T$ . This aspect is discussed later in this chapter and also in Chap. 4.

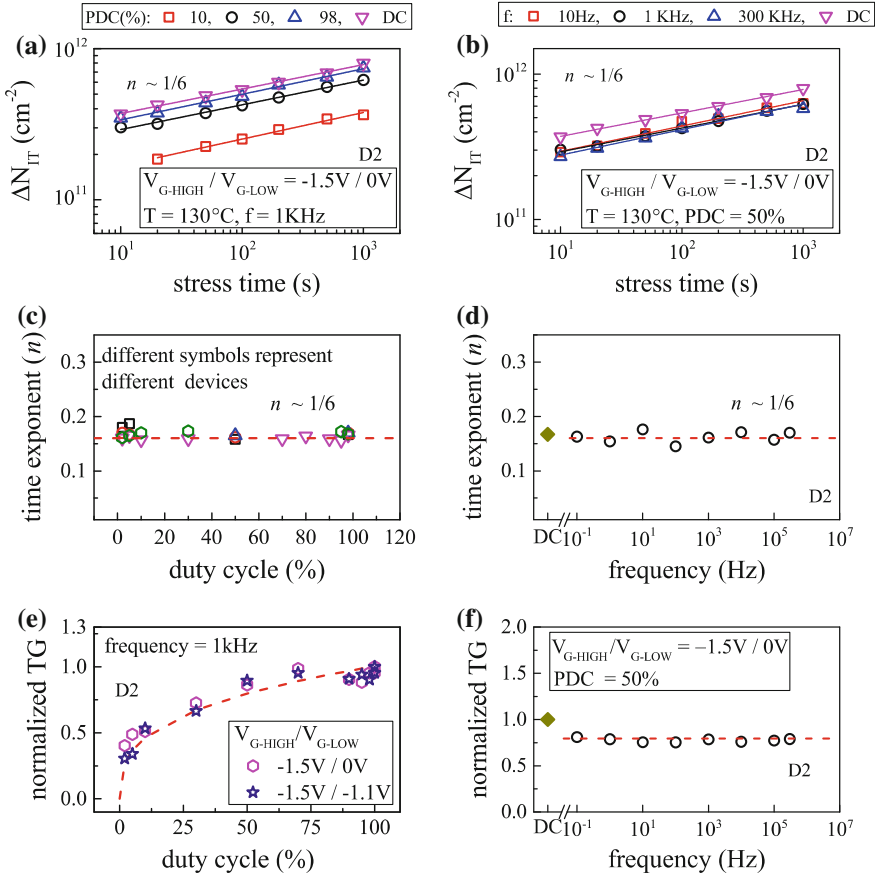
### 3.3.2 DCIV Measurements in AC Stress

Similar to DC stress, DCIV assessment of trap generation during AC NBTI stress is also done in MSM mode, where measurements are performed before and during logarithmically spaced interruptions of stress. Figure 3.7 plots time evolution of  $\Delta N_{IT}$  during AC stress at different (a) PDC and (b)  $f$  but identical stress  $E_{OX}$  and  $T$ , obtained from DCIV measurements after delay and band gap corrections.

Only the long  $t_{STR}$  data are plotted, and the corresponding DC data are also shown. Note that DC stress bias and AC stress pulses have been applied for identical  $t_{STR}$  duration, and therefore the actual duration of AC stress, i.e., the pulse on time would depend on PDC of the applied AC pulse.  $\Delta N_{IT}$  time evolution shows power-law dependence at longer  $t_{STR}$  for both DC and AC stress, and the exponent  $n$  extracted in  $t_{STR}$  range of 10 s to 1 Ks is also plotted in Fig. 3.7 as a function of (c) PDC and (d)  $f$  of the gate pulse; DC value is shown as reference (100 % PDC). Identical  $n$  ( $\sim 1/6$ ) is observed for DC and AC stress at different PDC and  $f$ . Note that identical  $n$  of  $\Delta N_{IT}$  time evolution for DC and AC stress is in contrast to that observed for time evolution of  $\Delta V_T$ , measured using the UF-MSM technique and shown in Chap. 1, Fig. 1.31;  $\Delta V_T$  shows lower  $n$  for DC compared to AC stress. Moreover when extracted in same  $t_{STR}$  range,  $\Delta N_{IT}$  shows higher  $n$  compared to  $\Delta V_T$  for DC stress, however, both  $\Delta N_{IT}$  and  $\Delta V_T$  show identical  $n$  ( $\sim 1/6$ ) for AC stress. Once again, the universality of  $n \sim 1/6$  for  $\Delta N_{IT}$  time evolution during DC and AC stress suggest the robustness of the underlying physical mechanism of interface trap generation and is discussed in Chap. 5.

Figure 3.7 also plots measured  $\Delta N_{IT}$  at fixed  $t_{STR}$  for AC NBTI stress as a function of (e) PDC and (f)  $f$ , the PDC dependence is measured using AC pulses





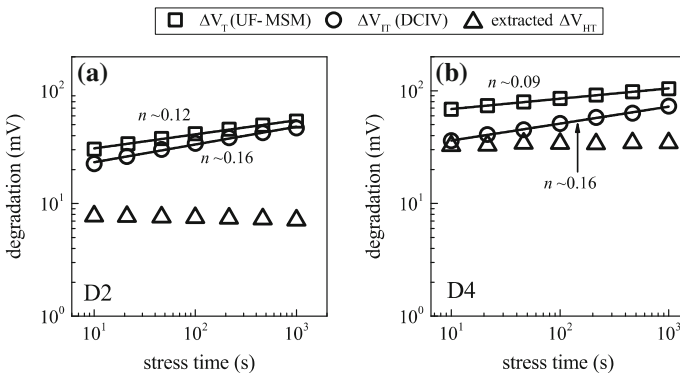
**Fig. 3.7** DCIV measured time evolution of  $\Delta N_{IT}$  for AC NBTI stress at different **a** PDC and **b** frequency; the PDC and  $f$  values used in panel **a** and **b** respectively are mentioned at the *top*. Measured long-time power-law time exponent  $n$  as a function of **c** PDC for different devices and **d** frequency. Fixed time measured  $\Delta N_{IT}$  versus **e** PDC for different  $V_{G-LOW}$  and **f** frequency

having identical pulse high but different pulse low values. AC data are normalized to the corresponding DC value at identical  $t_{STR}$ . Note that  $\Delta N_{IT}$  magnitude increases with increase in PDC, but remains independent of the pulse low value and  $f$ . Although  $f$  independence of  $\Delta N_{IT}$  is qualitatively similar to that observed for  $\Delta V_T$  as shown in Chap. 1, Fig. 1.32,  $\Delta N_{IT}$  and  $\Delta V_T$  have very different AC to DC ratio. On the other hand, the PDC dependence of  $\Delta N_{IT}$  is both qualitatively and quantitatively different from the PDC dependence of  $\Delta V_T$ . Note,  $\Delta N_{IT}$  does not show the “S” shaped PDC dependence as in  $\Delta V_T$ , and moreover, no “kink” or “jump” is seen for  $\Delta N_{IT}$  data between high PDC AC and DC stress. Furthermore, not only  $\Delta N_{IT}$  has very different AC to DC ratio compared to  $\Delta V_T$  as mentioned above, unlike  $\Delta V_T$ , the AC to DC ratio for  $\Delta N_{IT}$  does not depend on the pulse low value. Time evolution of  $\Delta N_{IT}$  and  $\Delta V_T$  for AC stress will be explained later in this book.

### 3.4 Hole Trapping During NBTI

As discussed earlier in this chapter, although interface trap generation plays a crucial role, it alone cannot explain UF-MSM measured  $\Delta V_T$  during NBTI stress. As an evidence of additional contribution from the hole-trapping component, Fig. 3.8 plots time evolution of measured  $\Delta V_T$  and  $\Delta V_{IT}$  ( $=q/C_{OX} * \Delta N_{IT}$ ) obtained using UF-MSM and DCIV techniques, respectively. Experiments were performed on HKMG p-MOSFETs having (a) non-nitrided (D2) and (b) N surface passivated (D4) IL, refer to Fig. 3.2;  $C_{OX}$  is gate insulator capacitance and  $q$  is electronic charge. Identical stress  $E_{OX}$  and  $T$  have been used for both devices, and experimental DCIV data were corrected for measurement delay and band gap differences as mentioned earlier. Since  $\Delta V_{IT}$  signifies the component of  $\Delta V_T$  that is contributed by generated interface traps ( $\Delta N_{IT}$ ), the difference between  $\Delta V_T$  and  $\Delta V_{IT}$  signifies contribution due to hole trapping in pre-existing traps,  $\Delta V_{HT}$  ( $=q/C_{OX} * \Delta N_{HT}$ ). Time evolution of  $\Delta V_{HT}$  is also plotted in Fig. 3.8. Only longer  $t_{STR}$  data are shown.

Time evolution of  $\Delta V_{IT}$  has power-law dependence with exponent  $n \sim 1/6$  as discussed above, while  $\Delta V_{HT}$  saturates at longer  $t_{STR}$  as shown. Therefore, time evolution of  $\Delta V_T$  ( $=\Delta V_{IT} + \Delta V_{HT}$ ) shows power-law dependence with lower  $n$  compared to that for  $\Delta V_{IT}$ . This explains the reason behind lower time exponent  $n$  observed for  $\Delta V_T$  compared to  $\Delta N_{IT}$  data across different  $V_{G-STR}$  and  $T$  as mentioned before. Although the  $\Delta V_{IT}$  contribution increases slightly for the N containing device D4 compared to the non-nitrided device D2, a significantly large increase is observed for the  $\Delta V_{HT}$  component. Therefore,  $\Delta V_T$  magnitude increases while time exponent  $n$  reduces for the D4 device as shown. Figure 3.8 clearly indicates that the underlying  $\Delta N_{IT}$  and  $\Delta N_{HT}$  components of NBTI are uncorrelated; a relatively larger increase in  $\Delta N_{HT}$  is observed for the D4 device having N in



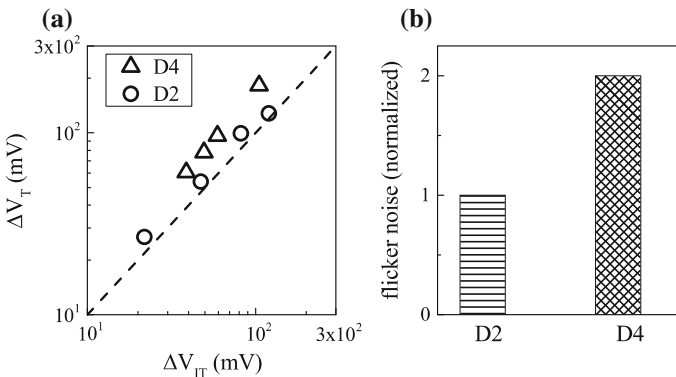
**Fig. 3.8** Time evolution of UF-MSM measured  $\Delta V_T$  and DCIV measured  $\Delta N_{IT}$  contribution after measurement delay and band gap correction ( $\Delta V_{IT}$ ), for NBTI stress in HKMG p-MOSFETs having different IL processes. Extracted difference ( $\Delta V_{HT}$ ) is also shown

the gate stack, which can explain the measured reduction in the time exponent  $n$ . However,  $\Delta V_{IT}$  component dominates  $\Delta V_T$  for both devices as shown.

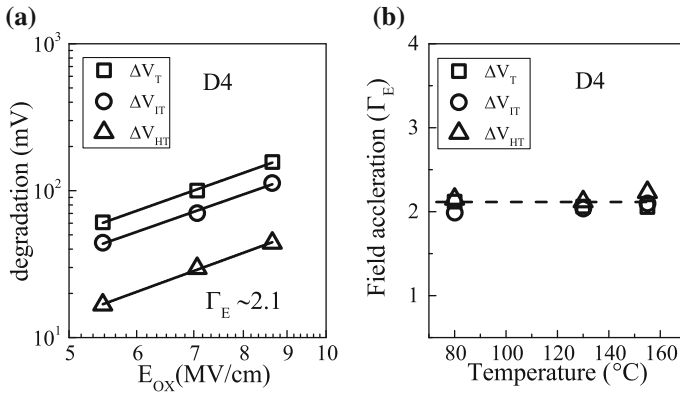
As a further proof, Fig. 3.9a shows the correlation of measured  $\Delta V_T$  and  $\Delta V_{IT}$  for HKMG devices D2 and D4. As mentioned before,  $\Delta V_T$  is obtained using UF-MSM and  $\Delta V_{IT}$  using DCIV after delay and band gap correction. The 1:1 correlation line is also shown, which signifies zero hole-trapping contribution. Note that for a particular  $\Delta V_{IT}$ , D2 device shows slightly higher  $\Delta V_T$  than the 1:1 correlation line, while a somewhat larger  $\Delta V_T$  is observed for device D4, which is consistent with relatively larger  $\Delta N_{HT}$  contribution for device D4 having N in the gate insulator stack. Larger magnitude of hole trapping during NBTI stress in gate insulators containing N is a well-known result and reported by various groups [13–15, 50].

Hole trapping occurs in pre-existing, process related gate insulator traps, and as mentioned in Chap. 2, flicker noise technique can be used to access the density of these traps. In flicker noise method, the gate of the MOSFET is biased in weak inversion and the power spectral density of drain current noise ( $S_{ID}$ ) is measured using a spectrum analyzer. The inversion layer carrier density in the channel remains low in weak inversion, and drain current noise arises due to trapping and detrapping of carriers in gate insulator traps. Higher trap density results in larger  $S_{ID}$  and vice versa. Figure 3.9b shows measured pre-existing trap density in devices D2 and D4. Note that the nitrided device D4 shows higher trap density, which is consistent with higher  $\Delta N_{HT}$  contribution shown in Figs. 3.8 and 3.9a. The impact of N on pre-existing hole traps has been studied in detail in SiON [50] and HKMG [51] p-MOSFETs and also verified by Density Functional Theory (DFT) calculations as discussed in detail in [17, 51].

Time evolution of  $\Delta V_T$  and  $\Delta N_{IT}$  during NBTI stress has been measured respectively using UF-MSM and DCIV methods for three sets of stress  $T$ , and for each  $T$ , three different  $E_{OX}$  values have been used for stress. The  $E_{OX}$  and  $T$  dependencies of  $\Delta V_T$  at fixed  $t_{STR}$  are shown in Chap. 1, Fig. 1.27 and that for



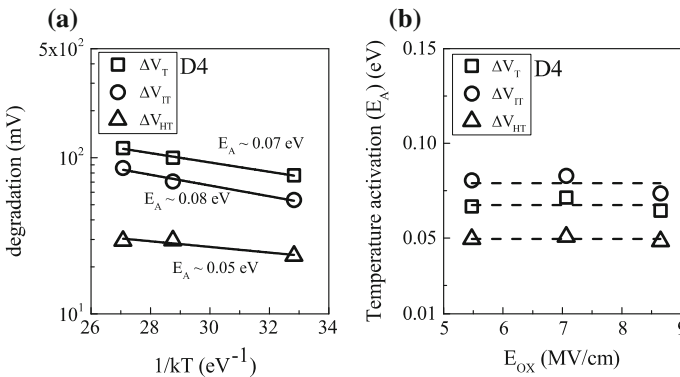
**Fig. 3.9** **a** Correlation of UF-MSM measured  $\Delta V_T$  and DCIV measured  $\Delta V_{IT}$  for NBTI stress, and **b** pre-stress trap density measured by using flicker noise method, in HKMG p-MOSFETs having different HKMG gate insulator processes



**Fig. 3.10** **a** Fixed time UF-MSM measured  $\Delta V_T$ , DCIV measured  $\Delta V_{IT}$  and their difference ( $\Delta V_{HT}$ ) versus NBTI stress  $E_{OX}$  plotted in a log-log scale. **b** Extracted power-law field acceleration factor for  $\Delta V_T$ ,  $\Delta V_{IT}$  and  $\Delta V_{HT}$  versus stress  $T$

$\Delta N_{IT}$  are shown before in Fig. 3.5. Measured  $\Delta V_T$  and  $\Delta V_{IT}$  as well as the extracted difference  $\Delta V_{HT}$  obtained at a fixed  $t_{STR}$  for the HKMG device D4 are plotted in Fig. 3.10a versus stress  $E_{OX}$  for a particular stress  $T$ , and plotted in Fig. 3.11a versus stress  $T$  for a particular stress  $E_{OX}$ . Note that the  $\Delta V_{IT}$  subcomponent dominates overall  $\Delta V_T$  for all  $E_{OX}$  and  $T$ , even for D4 device having N in the gate insulator stack. Moreover, identical power-law  $E_{OX}$  dependence  $\Gamma_E$  is obtained for  $\Delta V_T$ ,  $\Delta V_{IT}$  and therefore for  $\Delta V_{HT}$ . However, extracted  $\Delta V_{HT}$  has much lower Arrhenius  $T$  activation energy  $E_A$  compared to measured  $\Delta V_{IT}$ , which explains lower  $E_A$  for  $\Delta V_T$  when compared to  $E_A$  for  $\Delta V_{IT}$  as shown.

As discussed before,  $\Delta V_T$  and  $\Delta N_{IT}$  have power-law time dependence with identical  $n$  across different  $E_{OX}$  and  $T$ , although  $n$  for  $\Delta N_{IT}$  is higher than that for  $\Delta V_T$ . Therefore, extracted  $\Gamma_E$  and  $E_A$  for  $\Delta V_T$ ,  $\Delta V_{IT}$  and hence for  $\Delta V_{HT}$  would be



**Fig. 3.11** **a** Fixed time UF-MSM measured  $\Delta V_T$ , DCIV measured  $\Delta V_{IT}$  and their difference ( $\Delta V_{HT}$ ) versus NBTI stress  $T$  plotted in a semi-log scale. **b** Extracted  $T$  activation energy for  $\Delta V_T$ ,  $\Delta V_{IT}$  and  $\Delta V_{HT}$  versus stress  $E_{OX}$

independent of the value of  $t_{\text{STR}}$  used for extracting  $E_{\text{OX}}$  and  $T$  dependence, otherwise these terms would not have much meaning. Extracted  $\Gamma_{\text{E}}$  versus  $T$  for  $\Delta V_{\text{T}}$  and its  $\Delta V_{\text{IT}}$  and  $\Delta V_{\text{HT}}$  subcomponents is shown in Fig. 3.10b, while the corresponding  $E_{\text{A}}$  versus  $E_{\text{OX}}$  relation is shown in Fig. 3.11b. Note that in the absence of different extraneous artifacts mentioned in Chap. 1, Sect. 1.3,  $\Gamma_{\text{E}}$  and  $E_{\text{A}}$  for both  $\Delta V_{\text{T}}$  and  $\Delta N_{\text{IT}}$  (or  $\Delta V_{\text{IT}}$ ) are independent of  $T$  and  $E_{\text{OX}}$  respectively as shown. Therefore,  $\Gamma_{\text{E}}$  and  $E_{\text{A}}$  of extracted  $\Delta N_{\text{HT}}$  (or  $\Delta V_{\text{HT}}$ ) also has the same behavior as shown. Mutually uncoupled  $\Gamma_{\text{E}}$  and  $E_{\text{A}}$  is observed for other devices, not plotted here for brevity.

### 3.5 Trap Generation During PBTI

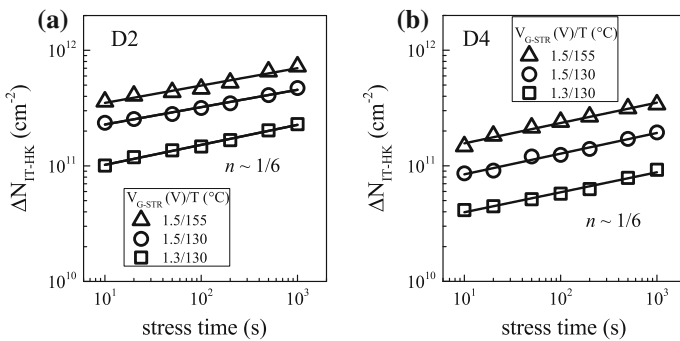
In this section, trap generation during PBTI stress in HKMG n-MOSFETs is studied using the DCIV [7] and SILC [41] techniques. DCIV scans trap generation located energetically in  $\sim 0.3$  eV around the Si band gap, and in HKMG MOSFETs, it can measure generated traps at Si/IL interface, IL bulk, as well as at IL/High-K interface especially for gate stacks having thin IL layers. As mentioned before, negligible  $g_m$  degradation during PBTI stress suggests negligible IL degradation and therefore, PBTI is believed to cause trap generation and trapping predominately in the HfO<sub>2</sub> High-K layer [36, 39]. DCIV measurements can probe trap generation during PBTI stress at and near the IL/High-K interface ( $\Delta N_{\text{IT-HK}}$ ); refer to Fig. 1. As mentioned before, it is unlikely that DCIV method would probe much deeper into the High-K bulk.

As discussed in Chap. 2, SILC is estimated from measured gate current ( $I_{\text{G}}$ ) before and during logarithmically spaced intervals of BTI stress. Increase in  $I_{\text{G}}$  after stress is due to trap assisted tunneling via newly generated traps, and therefore, the magnitude of increased gate current ( $\Delta I_{\text{G}}$ ) can be used to estimate density of generated traps during PBTI stress in HKMG n-MOSFETs [40]. Note that SILC has been used in the past to estimate gate insulator trap generation associated with the TDDB process [52–54], and also bulk trap generation during NBTI stress [55], in SiON MOSFETs. SILC is negligible during NBTI stress in HKMG p-MOSFETs due to band alignment issues mentioned in Chap. 2, while non-negligible SILC is observed in HKMG n-MOSFETs during PBTI stress [3, 16, 17, 40, 41]. Note that unlike DCIV that scans traps that are energetically aligned with Si mid gap, SILC scans traps close to the conduction band edge of the High-K layer [41]. However, there is a debate regarding the exact physical location of generated traps during PBTI stress in HKMG n-MOSFETs as probed by SILC; some report suggests it is at the IL/High-K interface [56], while other suggests it is deeper inside the High-K bulk [41]. Although the exact location of traps is an important aspect especially from the viewpoint of TDDB process, the type of generated traps probed by SILC has been found to have much smaller impact on PBTI degradation when compared to the impact of generated traps probed by the DCIV method [17], and will be discussed later in Chap. 4.

### 3.5.1 DCIV Measurements in DC Stress

Figure 3.12 plots the time evolution of generated interface traps ( $\Delta N_{IT-HK}$ ) during PBTI stress at different  $V_{G-STR}$  and stress  $T$  in HKMG n-MOSFETs with (a) non-nitrided (D2) and (b) N surface passivated (D4) IL. As mentioned before,  $\Delta N_{IT-HK}$  is extracted from DCIV measurements after delay and band gap correction. The delay correction of DCIV is straightforward and the method used for NBTI can be used. However, the band gap correction is not obvious, as DCIV probes traps at or near the IL/High-K interface for PBTI stress, and the exact energetic extent of trap generation is yet unknown. For simplicity, a similar correction factor as used for NBTI stress is also assumed for PBTI stress in different HKMG devices.

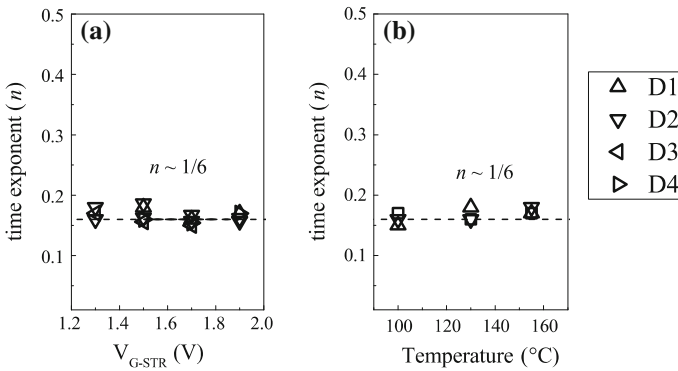
Only longer time data are plotted, and measured  $\Delta N_{IT-HK}$  increases with increase in  $V_{G-STR}$  and  $T$  as expected. However unlike NBTI, the  $\Delta N_{IT-HK}$  magnitude reduces significantly for the nitrided device D4 when compared to the non-nitrided device D2 at identical  $V_{G-STR}$  and  $T$ . This happens in spite of higher  $E_{OX}$  for device D4 due to lower EOT,  $E_{OX}$  being calculated as  $(V_{G-STR} - V_{T0})/EOT$ , and hence is attributed to presence of N in the gate insulator stack. Similar to NBTI, time evolution of  $\Delta N_{IT-HK}$  for PBTI stress shows power-law dependence with identical time exponent ( $n \sim 1/6$ ) for both devices and for different  $V_{G-STR}$  and  $T$ ; the exponent  $n$  is extracted by linear regression of measured  $\Delta N_{IT-HK}$  time evolution in  $t_{STR}$  range of 10 s to 1 Ks. Remarkably, identical  $n$  has been obtained for both NBTI and PBTI stress as shown. Note that similar to NBTI stress data shown earlier, the process dependence of  $\Delta N_{IT-HK}$  time exponent for PBTI stress is in contrast with process dependence of  $\Delta V_T$  time exponent shown in Chap. 1, Figs. 1.25 and 1.33. Although  $\Delta V_T$  has power-law dependence for PBTI stress with time exponent  $n$  that is independent of stress  $E_{OX}$  and  $T$  for a particular HKMG process, the value of  $n$  reduces for nitrided devices, unlike that seen here for  $\Delta N_{IT-HK}$  data. Moreover, similar to that observed for NBTI stress, the value of  $n$  for  $\Delta N_{IT-HK}$  is always higher than  $n$  for  $\Delta V_T$  for PBTI stress, when extracted in the same range of  $t_{STR}$  as shown.



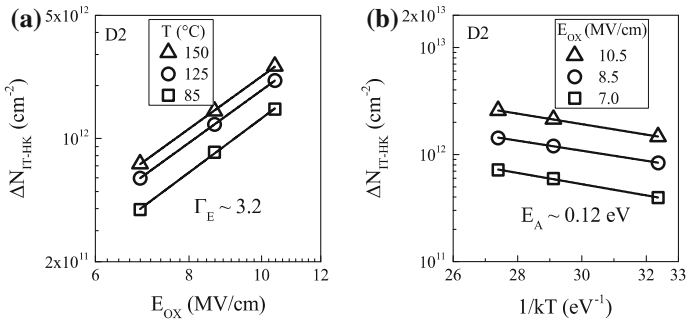
**Fig. 3.12** DCIV measured time evolution of  $\Delta N_{IT-HK}$  for PBTI stress at different  $V_{G-STR}$  and  $T$  in HKMG n-MOSFETs having different IL processes

As a further proof of the universality of time exponent ( $n \sim 1/6$ ) for PBTI stress, time evolution of  $\Delta N_{IT-HK}$  is measured by using DCIV in different HKMG devices listed in Figs. 3.2, and 3.13 plots extracted  $n$  as a function of (a)  $V_{G-STR}$  and (b)  $T$  after correction for measurement delay. Similar to NBTI, power-law time dependence with universal  $n \sim 1/6$  is also obtained for  $\Delta N_{IT-HK}$  during PBTI stress at different  $V_{G-STR}$  and  $T$  in devices having different HKMG gate insulator processes. Once again, similar to NBTI results shown earlier, while a universal  $n \sim 1/6$  exponent is obtained for time evolution of  $\Delta N_{IT-HK}$  for PBTI stress in different HKMG devices, this is in contrast to the exponent obtained for time evolution of  $\Delta V_T$  from UF-MSM technique; the latter shows strong gate insulator process dependence as discussed in Chap. 1, Sect. 1.6. The similarity of time evolution of  $\Delta N_{IT}$  for NBTI and  $\Delta N_{IT-HK}$  for PBTI stress is a very remarkable result and underlines the similarity of physical mechanism governing trap generation at Si/IL and IL/High-K interfaces, and will be discussed later in this book.

Similar to NBTI results shown earlier,  $\Delta N_{IT-HK}$  time evolution for PBTI stress also has power-law dependence with similar  $n$  across different stress  $E_{OX}$  and  $T$  as shown. Therefore, the power-law  $E_{OX}$  acceleration factor  $\Gamma_E$  and Arrhenius  $T$  activation energy  $E_A$  for  $\Delta N_{IT-HK}$  extracted at a fixed  $t_{STR}$  would remain independent of  $t_{STR}$ . PBTI experiments were done at three sets of stress  $T$ , and at each  $T$ , three different  $E_{OX}$  values have been used for stress. Figure 3.14 plots (a) stress  $E_{OX}$  and (b) stress  $T$  dependence of  $\Delta N_{IT-HK}$  obtained from DCIV measurements after delay and band gap corrections. Measured values of  $\Gamma_E$  and  $E_A$  extracted from  $E_{OX}$  and  $T$  dependence of  $\Delta N_{IT-HK}$  for PBTI stress are independent of  $T$  and  $E_{OX}$ , respectively. This behavior is similar to the  $E_{OX}$  and  $T$  dependent parameters of  $\Delta V_T$  shown in Chap. 1, Fig. 1.27. Moreover, this observation is identical to the NBTI results discussed before in this chapter. As mentioned before, mutually independent  $E_{OX}$  and  $T$  dependencies are observed when stress and measurements remain free from artifacts mentioned earlier in Chap. 1, Sect. 1.3.

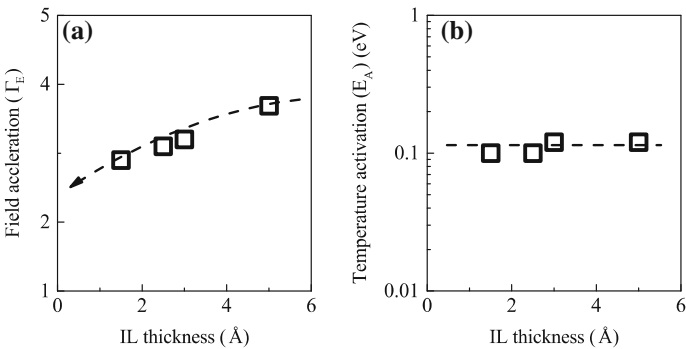


**Fig. 3.13** Extracted long-time power-law time exponent  $n$  for different HKMG devices as a function of **a** stress  $V_G$  and **b** stress  $T$ , obtained using DCIV measurements during PBTI stress



**Fig. 3.14** Fixed time DCIV measured  $\Delta N_{IT-HK}$  versus **a** stress  $E_{OX}$  and **b** stress  $T$  for PBTI stress in HKMG n-MOSFETs.  $E_{OX}$  dependence is shown for different  $T$  and  $T$  dependence is shown for different  $E_{OX}$ .  $E_{OX}$  dependence is plotted in a log-log scale and  $T$  dependence is plotted in a semi-log scale

Figure 3.15 plots the impact of IL thickness on (a) power-law field acceleration factor  $\Gamma_E$  and (b) Arrhenius  $T$  activation energy  $E_A$  extracted from DCIV measured  $\Delta N_{IT-HK}$  data after delay and band gap corrections, obtained for PBTI stress in different HKMG devices shown in Fig. 3.2. Reduction in IL thickness is achieved using different RTP based thermal IL (D1, D2), post High-K nitridation (D3), and RTP based IL on N passivated Si substrate (D4), refer to Fig. 3.2. Similar to NBTI,  $\Gamma_E$  for PBTI reduces with EOT scaling. However unlike NBTI, only negligible reduction in  $E_A$  has been observed with EOT scaling. Similar to NBTI results shown before, the magnitude of  $\Gamma_E$  for  $\Delta N_{IT-HK}$  is similar to  $\Gamma_E$  for  $\Delta V_T$  for a particular device also for PBTI stress, while  $E_A$  for  $\Delta N_{IT-HK}$  is always higher compared to the corresponding value for  $\Delta V_T$ ; refer to Chap. 1, Fig. 1.35 for dependence of  $\Delta V_T$  parameters on IL thickness. This aspect will be discussed later in this chapter.

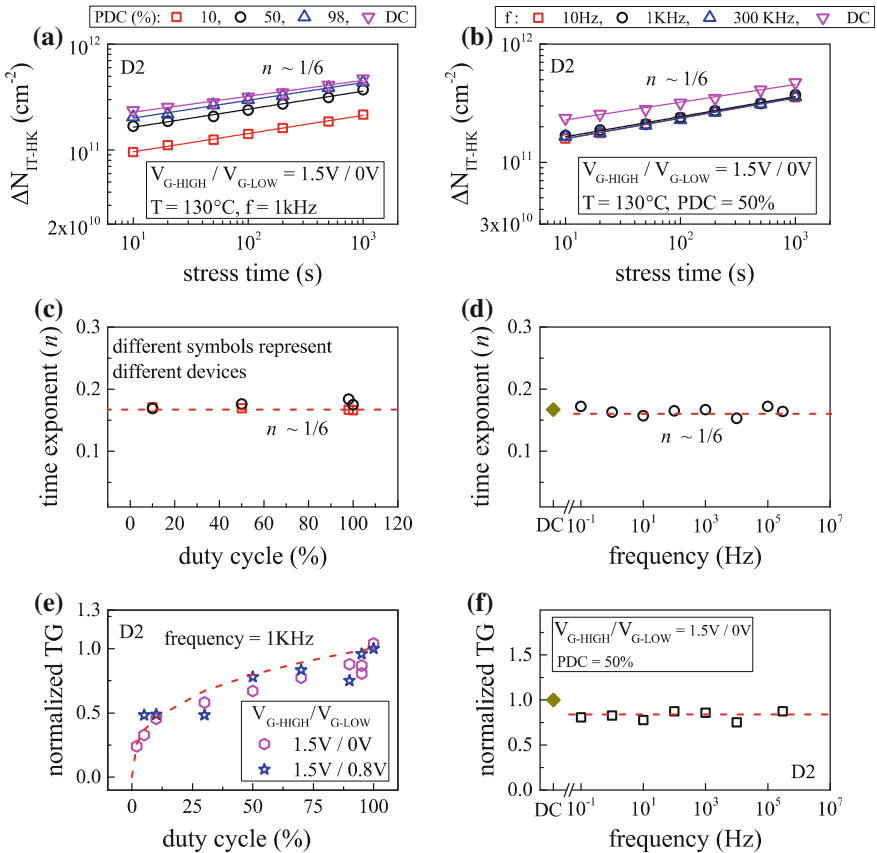


**Fig. 3.15** Power-law field acceleration factor ( $\Gamma_E$ ) and Arrhenius  $T$  activation energy ( $E_A$ ) of DCIV measured  $\Delta N_{IT-HK}$  for PBTI stress, as a function of IL thickness of different HKMG stacks



### 3.5.2 DCIV Measurements in AC Stress

DCIV assessment of trap generation during AC stress is done in MSM mode similar to DC stress, and measurements were performed before and during logarithmically spaced stress intervals. Figure 3.16 plots time evolution of  $\Delta N_{IT-HK}$  during AC stress at different (a) PDC and (b)  $f$  but identical stress  $E_{OX}$  and  $T$ , obtained from DCIV measurements after delay and band gap corrections. Only long  $t_{STR}$  data are plotted, and the corresponding DC data are also shown. Similar to NBTI stress as discussed before, the DC stress bias and AC stress pulses for PBTI stress were applied for identical  $t_{STR}$  duration, and actual duration of AC stress depends on PDC of the applied AC pulse. Time evolution of  $\Delta N_{IT-HK}$  shows power-law dependence at longer  $t_{STR}$ ; the exponent  $n$  extracted in  $t_{STR}$  range of 10 s to 1 Ks is



**Fig. 3.16** DCIV measured time evolution of  $\Delta N_{IT-HK}$  for AC PBTI stress at different **a** PDC and **b** frequency; the PDC and  $f$  values used in panel **a** and **b** respectively are mentioned at the top. Measured long-time power-law time exponent  $n$  as a function of **c** PDC for different devices and **d** frequency. Fixed time measured  $\Delta N_{IT-HK}$  versus **e** PDC for different  $V_{G-LOW}$  and **f** frequency

also plotted in Fig. 3.16 as a function of (c) PDC and (d)  $f$  of the gate pulse. The DC value is shown as reference.

Similar to NBTI stress results shown earlier, identical  $n$  ( $\sim 1/6$ ) is observed for DC and AC PBTI stress at different PDC and  $f$ . Once again, similar to NBTI, identical  $n$  of  $\Delta N_{\text{IT-HK}}$  time evolution for DC and AC PBTI stress is in contrast to the observed time evolution of  $\Delta V_{\text{T}}$  measured using UF-MSM technique and shown in Chap. 1, Fig. 1.31;  $\Delta V_{\text{T}}$  time evolution has lower  $n$  for DC compared to AC stress. Moreover when extracted in the same  $t_{\text{STR}}$  range,  $\Delta N_{\text{IT-HK}}$  shows higher  $n$  compared to  $\Delta V_{\text{T}}$  for DC stress, but both  $\Delta N_{\text{IT-HK}}$  and  $\Delta V_{\text{T}}$  show identical  $n$  ( $\sim 1/6$ ) for AC stress also for PBTI stress, which is again similar to NBTI stress results shown before. Once again, the universality of  $n \sim 1/6$  for  $\Delta N_{\text{IT-HK}}$  time evolution during DC and AC PBTI stress suggest the robustness of the underlying physical mechanism of interface trap generation and will be discussed later in the book.

Figure 3.16 also plots the measured  $\Delta N_{\text{IT-HK}}$  at fixed  $t_{\text{STR}}$  for AC PBTI stress as a function of (e) PDC and (f)  $f$  of the gate pulse. Once again, AC pulses having identical pulse high but different pulse low values were used to study the PDC dependence. AC data are normalized to the corresponding DC value at identical  $t_{\text{STR}}$ . Similar to that shown earlier for NBTI, the magnitude of  $\Delta N_{\text{IT-HK}}$  for PBTI stress increases with increase in PDC but remains independent of the pulse low value and  $f$  of the gate pulse. Remarkably similar AC to DC ratio and PDC dependent shape has been observed for NBTI and PBTI stress. Moreover, although the  $f$  independence of  $\Delta N_{\text{IT-HK}}$  for PBTI stress is qualitatively similar to that observed for  $\Delta V_{\text{T}}$  shown in Chap. 1, Fig. 1.32,  $\Delta N_{\text{IT-HK}}$  and  $\Delta V_{\text{T}}$  show very different AC to DC ratio. This observation is similar to that reported for NBTI stress. Once again, similar to NBTI, the PDC dependence of  $\Delta N_{\text{IT-HK}}$  for PBTI stress is both qualitatively and quantitatively different from the PDC dependence of  $\Delta V_{\text{T}}$  shown in Chap. 1. Similar to NBTI results,  $\Delta N_{\text{IT-HK}}$  for PBTI also does not have the “S” shaped PDC dependence as observed for  $\Delta V_{\text{T}}$ , and unlike  $\Delta V_{\text{T}}$ , no “kink” or “jump” is observed for  $\Delta N_{\text{IT-HK}}$  data between high PDC AC and DC stress. Moreover as mentioned earlier,  $\Delta N_{\text{IT-HK}}$  has very different AC to DC ratio compared to  $\Delta V_{\text{T}}$ , and unlike  $\Delta V_{\text{T}}$ , the AC to DC ratio for  $\Delta N_{\text{IT-HK}}$  does not depend on the pulse low value. The PDC and  $f$  dependencies of  $\Delta N_{\text{IT-HK}}$  and  $\Delta V_{\text{T}}$  for AC PBTI stress have been found to be remarkably similar to AC NBTI stress as shown earlier in this chapter and also in Chap. 1.

### 3.5.3 SILC Measurements in DC Stress

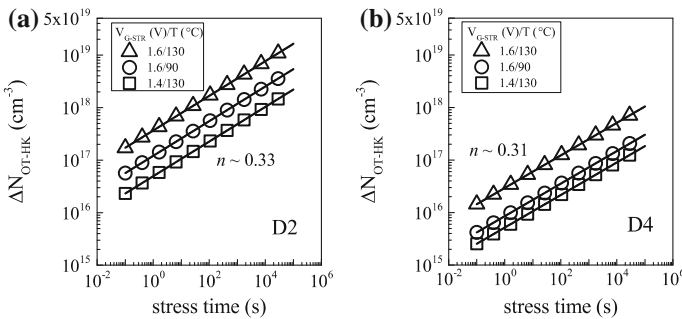
As mentioned before, increase in gate leakage current ( $I_{\text{G}}$ ) after stress is also used to calculate trap generation during PBTI stress [40, 41]. While DCIV scans generated traps aligned energetically with the Si [7] mid gap, SILC scans traps closer to the conduction band edge of High-K layer, although the exact physical location of these traps are debated [41, 56].  $I_{\text{G}}$  versus  $V_{\text{G}}$  sweeps were taken before and during

logarithmic intervals of stress, and generated trap density ( $\Delta N_{\text{OT-HK}}$ ) is calculated as discussed in Chap. 2 [40].

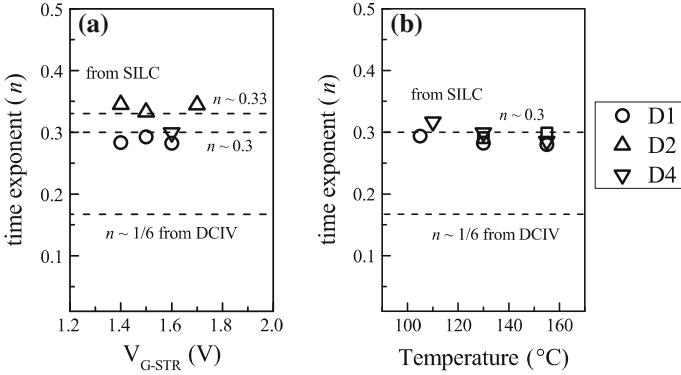
Figure 3.17 plots the time evolution of  $\Delta N_{\text{OT-HK}}$  calculated from SILC for different  $V_{\text{G-STR}}$  and  $T$  in (a) D2 and (b) D4 HKMG n-MOSFETs; refer to Fig. 3.2 for device details. Note that SILC in HKMG devices recovers after removal of stress, and therefore, measured data must be corrected for measurement delay following the methodology shown in Chap. 2. Only long  $t_{\text{STR}}$  data are plotted; magnitude of  $\Delta N_{\text{OT-HK}}$  increases with  $V_{\text{G-STR}}$  and  $T$  as expected, but reduces drastically for the device D4 having N in the gate stack. Note that D4 device have thinner EOT and would have higher  $E_{\text{OX}}$  compared to device D2 for a given  $V_{\text{G-STR}}$ . Therefore, the reduction can be attributed to the presence of N in the gate insulator stack. It is interesting to remark that both DCIV and SILC measurements show reduced trap generation in nitrided devices during PBTI stress. Although the time evolution of  $\Delta N_{\text{OT-HK}}$  from SILC shows power-law dependence, the time exponent  $n$  is much larger when compared to that for DCIV measured  $\Delta N_{\text{IT-HK}}$  and UF-MSM measured  $\Delta V_{\text{T}}$  time evolution data shown earlier in the book.

As a further proof, Fig. 3.18 plots extracted time exponent  $n$  from  $\Delta N_{\text{OT-HK}}$  time evolution measured using SILC after delay correction, versus (a)  $V_{\text{G-STR}}$  and (b)  $T$ . As done earlier, the exponent  $n$  is extracted by linear regression of measured time evolution of  $\Delta N_{\text{OT-HK}}$  data in  $t_{\text{STR}}$  range of 10 s to 1 Ks. Data from different HKMG devices shown in Fig. 3.2 are plotted, and the trend line corresponding to DCIV data is also shown as a reference.

Note that SILC data show similar  $n$  ( $\sim 1/3$ ) for different  $V_{\text{G-STR}}$  and  $T$  and for different devices, which signifies the robustness of the underlying physical mechanism. However, the magnitude of time exponent  $n$  from SILC is considerably higher than  $n$  ( $\sim 1/6$ ) obtained from DCIV, which unequivocally suggests different physical mechanism of generated traps that are probed by these methods. On the other hand, a remarkable similarity of extracted  $n$  has been observed during NBTI and PBTI stress



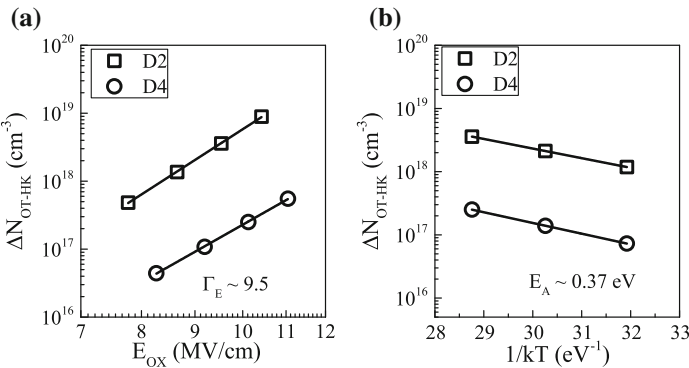
**Fig. 3.17** SILC measured time evolution of  $\Delta N_{\text{OT-HK}}$  for PBTI stress at different  $V_{\text{G-STR}}$  and  $T$  in HKMG n-MOSFETs having different IL processes



**Fig. 3.18** Extracted long-time power-law time exponent  $n$  for different HKMG devices as a function of **a** stress  $V_G$  and **b** stress  $T$  using SILC measurements during PBTI stress. The reference line for DCIV measurement is also shown

for DCIV measurements, refer to Figs. 3.4 and 3.13, which suggests similar generation mechanism for these traps. This will be discussed later in this book.

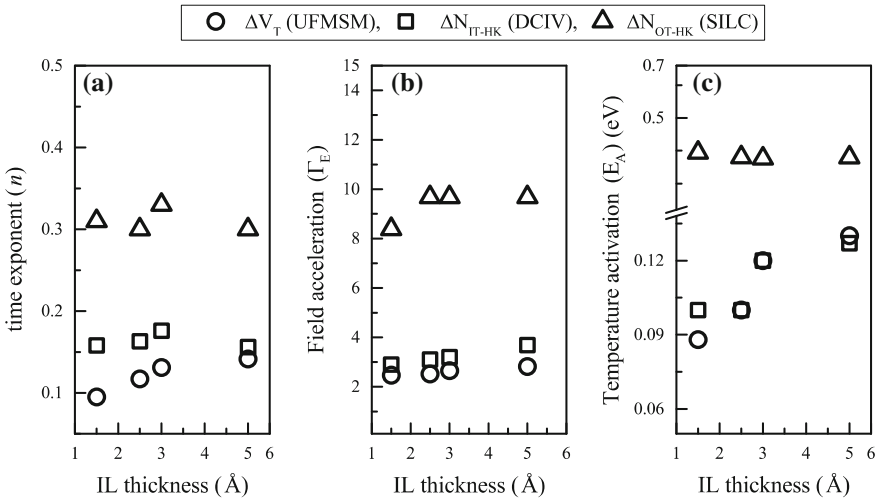
Figure 3.19 plots measured  $\Delta N_{OT-HK}$  at fixed  $t_{STR}$  from delay corrected SILC data versus (a) stress  $E_{OX}$  and (b) stress  $T$ , for D2 and D4 HKMG n-MOSFETs. The magnitude of  $\Delta N_{OT-HK}$  reduces for the nitrided device D4, although the power-law  $E_{OX}$  acceleration factor  $\Gamma_E$  and Arrhenius  $T$  activation energy  $E_A$  remain independent of HKMG processes. As  $\Delta N_{OT-HK}$  shows power-law time dependence and identical  $n$  across stress  $E_{OX}$  and  $T$ , extracted  $\Gamma_E$  and  $E_A$  would be independent of  $t_{STR}$ . Note that  $\Gamma_E$  and  $E_A$  for  $\Delta N_{OT-HK}$  obtained from SILC has much larger value when compared to  $\Delta N_{IT-HK}$  from DCIV and  $\Delta V_T$  from UF-MSM measurements



**Fig. 3.19** Fixed time SILC measured  $\Delta N_{OT-HK}$  versus **a** stress  $E_{OX}$  and **b** stress  $T$  for PBTI stress in HKMG n-MOSFETs.  $E_{OX}$  dependence is plotted in a log–log scale and  $T$  dependence is plotted in a semi-log scale

shown earlier in the book. Different  $\Gamma_E$  and  $E_A$  also suggest different physical mechanism of generated traps as probed by DCIV and SILC techniques during PBTI stress.

To understand the relative importance of different trap generation processes on PBTI degradation, Fig. 3.20 compares extracted (a)  $n$ , (b)  $\Gamma_E$  and (c)  $E_A$  for DCIV, SILC and UF-MSM measurements, as a function of IL thickness for D1 through D4 HKMG devices shown in Fig. 3.2. Note that  $\Delta N_{OT-HK}$  parameters obtained from SILC measurements remain almost constant across IL thickness and show significantly higher values when compared to the  $\Delta V_T$  and  $\Delta N_{IT-HK}$  parameters obtained respectively from UF-MSM and DCIV measurements. Between DCIV and UF-MSM measurements, power-law time exponent  $n$  is somewhat higher for  $\Delta N_{IT-HK}$  compared to  $\Delta V_T$  for all devices and  $n$  reduces with IL scaling for both  $\Delta V_T$  and  $\Delta N_{IT-HK}$ ; however, much larger reduction is observed for  $\Delta V_T$  for deeply scaled IL. The power-law  $E_{OX}$  acceleration  $\Gamma_E$  shows similar values for  $\Delta V_T$  and  $\Delta N_{IT-HK}$  and reduces slightly with IL scaling. Arrhenius  $T$  activation energy  $E_A$  for  $\Delta N_{OT-HK}$  remains almost constant with IL, but that for  $\Delta V_T$  and  $\Delta N_{IT-HK}$  reduces slightly with IL scaling. It will be shown in Chap. 4 that the voltage shift corresponding to generated bulk traps from SILC is negligible compared to that for generated interface traps from DCIV, and it is the later that dominates PBTI degradation. Therefore, the parameters  $n$ ,  $\Gamma_E$  and  $E_A$  for  $\Delta V_T$  are closer to the parameters for  $\Delta N_{IT-HK}$  rather than that for  $\Delta N_{OT-HK}$ . Of course, additional contribution from electron trapping in High-K bulk must be considered to compute  $\Delta V_T$ , as discussed in the following section.

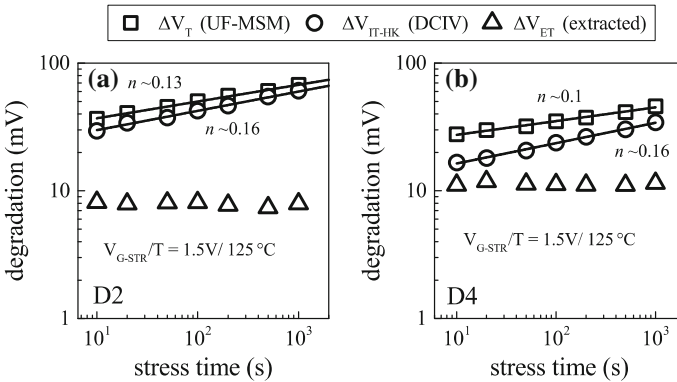


**Fig. 3.20** a Power-law time dependence  $n$ , b power-law field acceleration factor  $\Gamma_E$  and c Arrhenius  $T$  activation energy  $E_A$  obtained using UF-MSM, DCIV and SILC methods for PBTI stress, versus IL thickness of different HKMG stacks

### 3.6 Electron Trapping During PBTI

Although trap generation in the IL is negligible for PBTI stress and the generated traps at or near the IL/High-K interface ( $\Delta N_{IT-HK}$ ) plays a crucial role, it alone cannot explain  $\Delta V_T$  measured using UF-MSM method. As an evidence of additional contribution from electron trapping in pre-existing, process related High-K bulk traps ( $\Delta N_{ET}$ ), Fig. 3.21 plots time evolution of  $\Delta V_T$  and  $\Delta V_{IT-HK}$  ( $=q/C_{OX} * \Delta N_{IT-HK}$ ) respectively measured using UF-MSM and DCIV techniques. Experiments were performed in HKMG n-MOSFETs having (a) non-nitrided (D2) and (b) N surface passivated (D4) IL, refer to Fig. 3.2;  $C_{OX}$  is gate insulator capacitance and  $q$  is the electronic charge. Identical  $V_{G-STR}$  and  $T$  have been used for both devices, and experimental DCIV data were corrected for measurement delay and band gap differences as discussed before. Since  $\Delta V_{IT-HK}$  signifies the component of  $\Delta V_T$  contributed by generated interface traps at IL/High-K interface, the difference between  $\Delta V_T$  and  $\Delta V_{IT-HK}$  signifies the contribution due to electron trapping in pre-existing traps,  $\Delta V_{ET}$  ( $=q/C_{OX} * \Delta N_{ET}$ ). Time evolution of  $\Delta V_{ET}$  is also plotted in Fig. 3.21. Only longer  $t_{STR}$  data are plotted, and contribution from  $\Delta V_{IT-HK}$  dominates  $\Delta V_T$  for both devices as shown.

Similar to NBTI data, time evolution of  $\Delta V_{IT-HK}$  for PBTI stress shows power-law dependence with exponent  $n \sim 1/6$  and  $\Delta V_{ET}$  saturates at longer  $t_{STR}$ . Therefore, time evolution of  $\Delta V_T$  ( $=\Delta V_{IT-HK} + \Delta V_{ET}$ ) shows power-law dependence with lower  $n$  compared to that for  $\Delta V_{IT-HK}$ . However contrary to NBTI, the  $\Delta V_{IT-HK}$  component of  $\Delta V_T$  reduces drastically for the N containing device D4 compared to the non-nitrided device D2, while an increase is observed for the  $\Delta V_{ET}$  component. Note that device D4 has lower EOT and therefore higher  $E_{OX}$  when compared to device D2 at identical  $V_{G-STR}$ . As  $\Delta V_{IT-HK}$  dominates overall  $\Delta V_T$  for both D2 and D4 devices, the magnitude of  $\Delta V_T$  and its power-law time exponent  $n$  reduce for



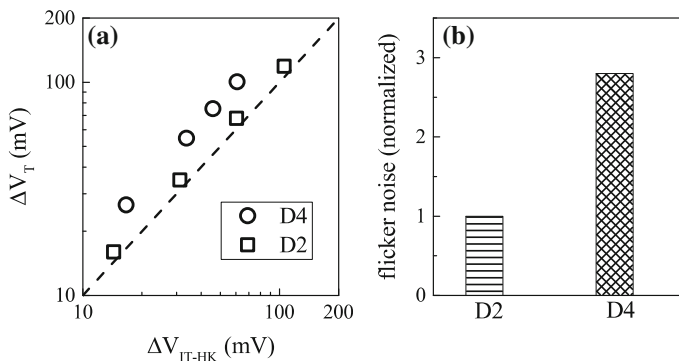
**Fig. 3.21** Time evolution of UF-MSM measured  $\Delta V_T$  and DCIV measured  $\Delta N_{IT-HK}$  contribution after measurement delay and band gap correction ( $\Delta V_{IT-HK}$ ), for PBTI stress in HKMG n-MOSFETs having different IL processes. Extracted difference ( $\Delta V_{ET}$ ) is also shown

device D4 as shown. Therefore, Fig. 3.21 clearly shows that underlying  $\Delta N_{IT-HK}$  and  $\Delta N_{ET}$  components of PBTI are clearly uncorrelated; i.e., while  $\Delta N_{IT-HK}$  reduces,  $\Delta N_{ET}$  increases for the D4 device, which can explain the measured reduction in  $\Delta V_T$  and  $n$ . This aspect is further discussed in detail in Chap. 4.

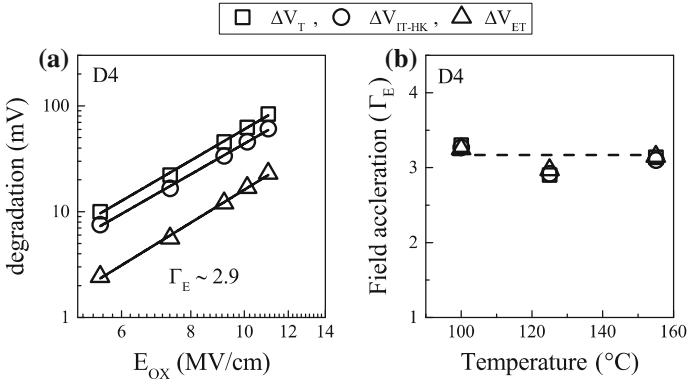
As an additional proof, Fig. 3.22a plots the correlation of measured  $\Delta V_T$  and  $\Delta V_{IT-HK}$  for HKMG devices D2 and D4. As mentioned before,  $\Delta V_T$  is obtained using UF-MSM method and  $\Delta V_{IT-HK}$  using DCIV method after delay and band gap corrections. The 1:1 correlation line corresponding to zero electron trapping contribution is also plotted. Note that for a particular  $\Delta V_{IT-HK}$ , D2 device shows slightly higher  $\Delta V_T$  than the 1:1 correlation line. However, much larger  $\Delta V_T$  is observed for device D4, which is consistent with relatively larger  $\Delta N_{ET}$  contribution for device D4 having N in the gate insulator stack. Larger magnitude of electron trapping during NBTI stress in gate insulators containing N has been analyzed using DFT simulations; refer to [17] for additional details.

Similar to hole trapping in NBTI, electron trapping during PBTI also occurs in pre-existing, process related gate insulator traps; while the hole traps are located in IL, electron traps are located in the High-K layer. As done in p-MOSFETs, flicker noise method can also be used to access the density of High-K electron traps in n-MOSFETs. Figure 3.22b shows measured pre-existing trap density in devices D2 and D4. Note that the nitrided device D4 shows higher trap density, which is consistent with higher  $\Delta N_{ET}$  contribution shown in Figs. 3.21 and 3.22a, and is also consistent with DFT simulation results [17].

Similar to NBTI stress, time evolution of  $\Delta V_T$  and  $\Delta N_{IT-HK}$  during PBTI stress has been measured respectively using UF-MSM and DCIV methods for three sets of stress  $T$ , and for each  $T$ , three different stress  $E_{OX}$  have been used. The  $E_{OX}$  and  $T$  dependencies of  $\Delta V_T$  at fixed  $t_{STR}$  are shown in Chap. 1, Fig. 1.27, and the same for  $\Delta N_{IT}$  are shown earlier in Fig. 3.13. Measured  $\Delta V_T$ ,  $\Delta V_{IT-HK}$  and their difference  $\Delta V_{ET}$  at a particular  $t_{STR}$  for the HKMG device D4 is plotted versus stress  $E_{OX}$  at a



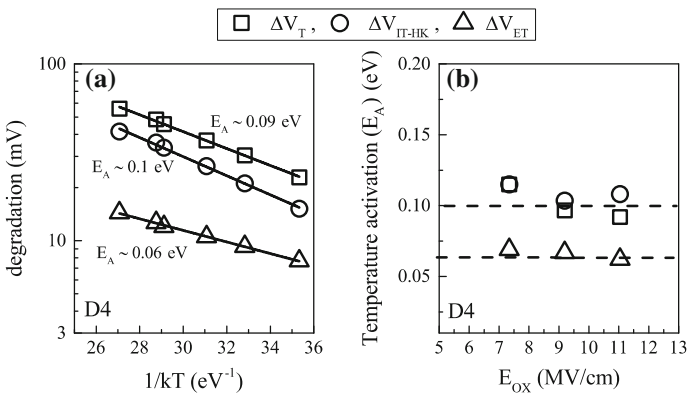
**Fig. 3.22** **a** Correlation of UF-MSM measured  $\Delta V_T$  and DCIV measured  $\Delta V_{IT-HK}$  for PBTI stress, and **b** pre-stress trap density measured by using flicker noise method, in HKMG n-MOSFETs having different HKMG gate insulator processes



**Fig. 3.23** **a** Fixed time UF-MSM measured  $\Delta V_T$ , DCIV measured  $\Delta V_{IT-HK}$  and their difference ( $\Delta V_{ET}$ ) versus PBTI stress  $E_{OX}$  plotted in a log–log scale. **b** Extracted power-law field acceleration factor for  $\Delta V_T$ ,  $\Delta V_{IT}$  and  $\Delta V_{ET}$  as a function of stress  $T$

particular stress  $T$  in Fig. 3.23a, and also plotted versus stress  $T$  for a fixed stress  $E_{OX}$  in Fig. 3.24a. Note that  $\Delta V_{IT-HK}$  subcomponent dominates overall  $\Delta V_T$  for all  $E_{OX}$  and  $T$ , even for this particular device having  $N$  in the gate insulator stack. Moreover, identical power-law  $E_{OX}$  dependence  $\Gamma_E$  is obtained for  $\Delta V_T$ ,  $\Delta V_{IT-HK}$  and therefore for  $\Delta V_{ET}$ . However,  $\Delta V_{ET}$  shows much lower Arrhenius  $T$  activation energy  $E_A$  compared to  $\Delta V_T$  and  $\Delta V_{IT-HK}$ . Note that the relative values of  $\Gamma_E$  and  $E_A$  for  $\Delta V_T$ ,  $\Delta V_{IT-HK}$  and  $\Delta V_{ET}$  for PBTI stress are similar to that observed for NBTI stress data shown earlier in this chapter.

As shown before,  $\Delta V_T$  and  $\Delta V_{IT-HK}$  have power-law time dependence with identical  $n$  across different  $E_{OX}$  and  $T$ , although higher  $n$  has been observed for



**Fig. 3.24** **a** Fixed time UF-MSM measured  $\Delta V_T$ , DCIV measured  $\Delta V_{IT-HK}$  and their difference ( $\Delta V_{ET}$ ) versus PBTI stress  $T$  plotted in a semi-log scale. **b** Extracted  $T$  activation energy for  $\Delta V_T$ ,  $\Delta V_{IT}$  and  $\Delta V_{ET}$  as a function of stress  $E_{OX}$

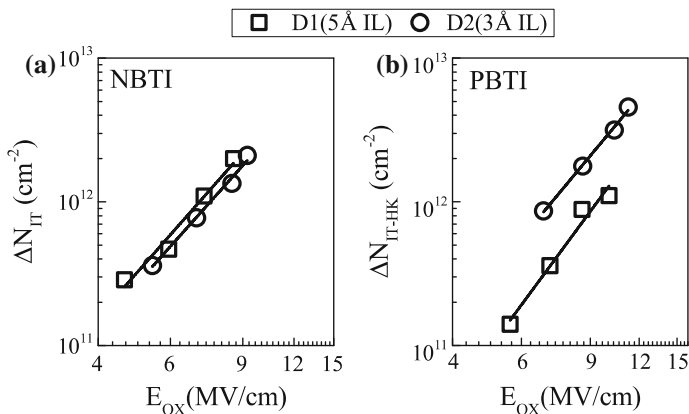


$\Delta N_{IT-HK}$  compared to  $\Delta V_T$  data. Therefore, extracted  $\Gamma_E$  and  $E_A$  for  $\Delta V_T$ ,  $\Delta V_{IT-HK}$  and therefore for  $\Delta V_{ET}$  would be independent of the value of  $t_{STR}$  used for extracting  $E_{OX}$  and  $T$  dependence. Extracted  $\Gamma_E$  for  $\Delta V_T$  and underlying  $\Delta V_{IT-HK}$  and  $\Delta V_{ET}$  subcomponents are plotted versus  $T$  in Fig. 3.23b, while their corresponding  $E_A$  values are plotted versus  $E_{OX}$  in Fig. 3.24b. Note that in the absence of different extraneous artifacts mentioned in Chap. 1, Sect. 1.3,  $\Gamma_E$  and  $E_A$  for  $\Delta V_T$  and  $\Delta N_{IT-HK}$  (or  $\Delta V_{IT-HK}$ ) are shown to be independent of  $T$  and  $E_{OX}$ , respectively. Therefore,  $\Gamma_E$  and  $E_A$  of extracted  $\Delta N_{ET}$  (or  $\Delta V_{ET}$ ) also show the same behavior as shown. These features of PBTI stress are exactly identical to NBTI, and similar mutually uncoupled  $\Gamma_E$  and  $E_A$  has been observed for other devices, not plotted here for brevity.

### 3.7 Location of Generated Traps (DCIV Measurements)

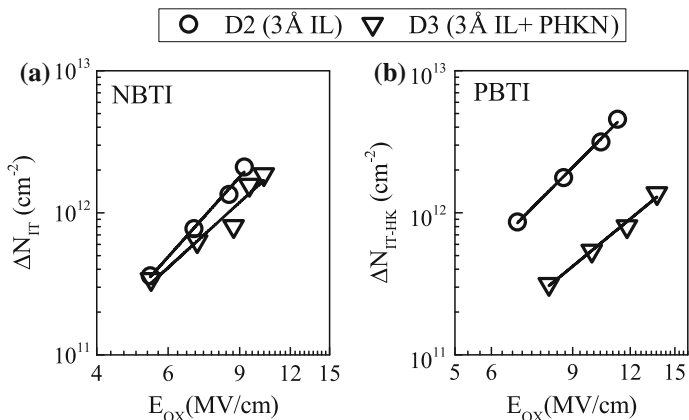
As discussed earlier in this chapter, although hole and electron trapping cannot be ignored respectively for NBTI and PBTI stress, trap generation plays the dominant role. DCIV technique has been used to access trap generation during BTI stress, and the resulting data show very similar time, bias and temperature dependence for NBTI and PBTI stress in different HKMG devices. This suggests very similar underlying physical mechanism of DCIV accessed trap generation for NBTI and PBTI. SILC is not observed for NBTI due to band alignment issues but is present for PBTI stress; although the magnitude of generated bulk traps that are responsible for SILC has been found to be smaller compared to that probed by DCIV, refer to Chap. 4 for details. DCIV accessed trap generation during NBTI and PBTI has been attributed to Si/IL and IL/High-K interfaces respectively by noting the presence or absence of degradation in  $g_m$ . Trap generation in the IL in any significant quantity is ruled out for PBTI stress due to the absence of  $\Delta g_m$ , while the presence of  $\Delta g_m$  suggests trap generation in IL for NBTI stress. The similarities of DCIV measured trap generation during NBTI and PBTI stress have been shown before, which suggests similarity of underlying physical mechanism. In this section, experimental proof is provided to bring out their differences, which will ascertain the difference in physical location. All DCIV data shown in this section are corrected for delay and band gap using the procedure described in Chap. 2.

Figure 3.25 plots the  $E_{OX}$  dependence of generated traps obtained at fixed  $t_{STR}$  for (a) NBTI and (b) PBTI stress in HKMG devices having relatively thicker (D1) and thinner (D2) IL, refer to Fig. 3.2. IL thickness has no impact for NBTI stress since generated traps are at the Si/IL interface. However, magnitude of generated traps increases for thinner IL device for PBTI stress. As discussed in Chap. 5, trap generation for NBTI stress in p-MOSFETs is caused due to tunneling of inversion layer holes into the Si-H bonds at Si/IL interface, and therefore, the magnitude is independent of IL thickness. However, trap generation at or near the IL/High-K interface for PBTI stress in n-MOSFETs occurs due to tunneling of inversion layer electrons, which increases with reduction in IL thickness, and therefore causes higher trap generation magnitude for thinner IL devices as shown.



**Fig. 3.25** DCIV measured trap generation versus  $E_{OX}$  for **a** NBTI and **b** PBTI stress in HKMG MOSFETs having different IL thickness

Figure 3.26 plots the  $E_{OX}$  dependence of generated traps obtained at fixed  $t_{STR}$  for (a) NBTI and (b) PBTI stress in HKMG devices without (D2) and with (D3) post High-K nitridation using the DPN process, refer to Fig. 3.2. Nitridation impact is negligible for NBTI stress, but trap generation reduces significantly for device D3 for PBTI stress. Since N incorporation is done after High-K deposition, higher N density is expected in the High-K compared to the IL layer, especially for denser thermal IL used in this study that show much lower N penetration, refer to [51] for additional evidence from Angle Resolved X-ray Photoelectron Spectroscopy measurements. Therefore, post High-K nitridation has larger impact on generated



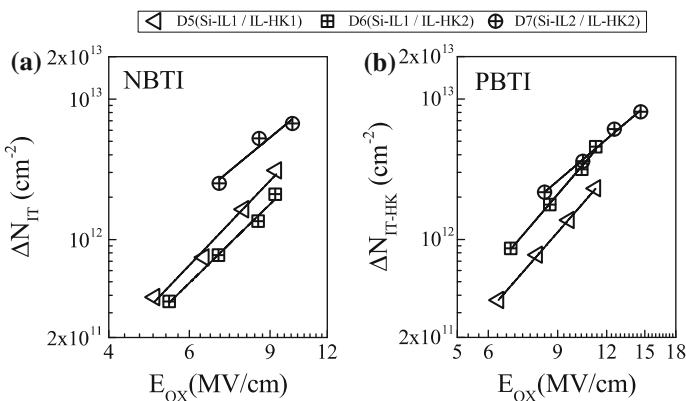
**Fig. 3.26** DCIV measured trap generation versus  $E_{OX}$  for **a** NBTI and **b** PBTI stress in HKMG MOSFETs without and with nitridation after High-K deposition

traps at or near the IL/High-K interface for PBTI stress compared to that at Si/IL interface for NBTI stress. The exact physical mechanism responsible for reduction in trap generation for nitrated gate stacks is not known and need further study.

Figure 3.27 plots the  $E_{OX}$  dependence of generated traps obtained at fixed  $t_{STR}$  for (a) NBTI and (b) PBTI stress in HKMG devices D5 through D7 having different pre-cleans before IL growth and High-K deposition, refer to Fig. 3.2. Devices D5 and D6 have similar pre-clean before IL but different pre-clean before High-K and hence similar IL but different High-K quality. On the other hand, devices D6 and D7 have different pre-clean before IL but similar pre-clean before High-K and hence different IL but similar High-K quality. Therefore, trap generation at Si/IL interface for NBTI stress in p-MOSFETs is similar for D5 and D6 but different for D6 and D7 devices, while trap generation at or near the IL/High-K interface for PBTI stress in n-MOSFETs is different for D5 and D6 and similar for D6 and D7 devices as shown.

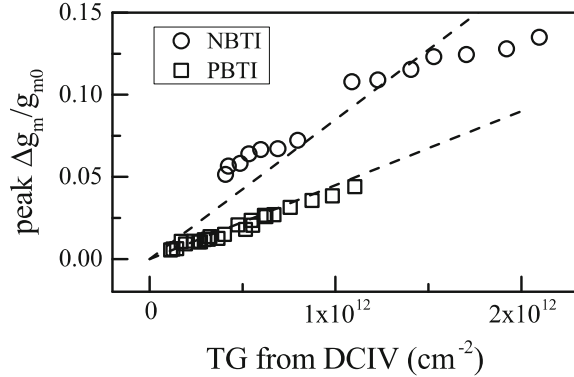
Although DCIV assessed generated traps for NBTI and PBTI have similar time dynamics and  $E_{OX}$  and T dependence, they have very different HKMG process dependence as shown in Figs. 3.25, 3.26 and 3.27 that clearly verifies the difference in physical location of these generated traps. As a further evidence, Fig. 3.28 correlates  $g_m$  degradation to generated trap density measured using DCIV for NBTI and PBTI stress. Note that NBTI shows higher  $\Delta g_m$  for a particular trap density when compared to PBTI stress. Since  $\Delta g_m$  is due to mobility degradation resulting from Coulomb scattering by BTI charges and as trap generation dominates both NBTI and PBTI degradation, higher  $\Delta g_m$  is caused by trap generation at Si/IL interface for NBTI than that at IL/High-K interface for PBTI.

Therefore, although DCIV measured traps during NBTI and PBTI stress respectively in p- and n-channel HKMG MOSFETs show very similar kinetics, they have very different physical location as discussed above.



**Fig. 3.27** DCIV measured trap generation versus  $E_{OX}$  for **a** NBTI and **b** PBTI stress in HKMG MOSFETs having different pre-clean processes before IL growth and High-K deposition. Refer to Fig. 3.2 for details

**Fig. 3.28** Correlation of peak transconductance degradation to DCIV measured generation of traps for NBTI and PBTI stress



### 3.8 Summary

To summarize, the underlying subcomponents of NBTI and PBTI degradation in p- and n-channel HKMG MOSFETs respectively have been analyzed using different direct characterization techniques. MOSFETs having different HKMG gate insulator processes have been studied. Process related pre-existing hole and electron traps respectively in the IL and High-K layers is accessed using flicker noise. The generation of traps during NBTI is studied using DCIV method, while that during PBTI stress using DCIV and SILC methods. The relative contribution of trapping and trap generation on BTI degradation has been accessed. Although hole trapping in IL for NBTI and electron trapping in High-K for PBTI contribute, it is observed that trap generation dominates NBTI and PBTI degradation for different HKMG gate insulator processes.

DCIV measures trap generation at Si/IL interface during NBTI and at or near IL/High-K interface during PBTI, refer to Fig. 3.1. Energetically, these traps are aligned to  $\sim 0.3$  eV around the Si band gap as shown in Chap. 2. Although locations of DCIV accessed generated traps are different, at Si/IL interface for NBTI and at or near IL/High-K interface for PBTI, they show very similar time, bias, temperature, AC duty cycle, and frequency dependence between NBTI and PBTI stress, suggesting strong universality of the underlying physical process. SILC measures trap generation energetically located closer to the HfO<sub>2</sub> conduction band, however, the exact physical location of these traps are still debated. Nevertheless for PBTI stress, SILC accessed generated traps show very different time, temperature, and bias dependence compared to that measured by DCIV and suggests very different underlying physical mechanism. SILC accessed traps have been found to have negligible role in PBTI degradation.

The following observations can be made between trap generation measured using DCIV, hole or electron trapping, and UF-MSM measured threshold voltage degradation for both NBTI and PBTI stress:

- (a) Contribution from generated interface traps,  $\Delta V_{IT}$  for NBTI or  $\Delta V_{IT-HK}$  for PBTI, shows power-law time dependence at long stress time and universal exponent  $n \sim 1/6$  for DC stress at different  $E_{OX}$  and T, for AC stress at different  $f$  and PDC, and for different HKMG processes. Since the trapping component,  $\Delta V_{HT}$  for NBTI or  $\Delta V_{ET}$  for PBTI, saturates at long time ( $n \sim 0$ ), the relative magnitude of trap generation and trapping determines the time exponent ( $n < 1/6$ ) of overall  $\Delta V_T$ . Trap generation and trapping are completely uncorrelated to each other.
- (b) Incorporation of N in the gate insulator has minimal impact on  $\Delta V_{IT}$  for NBTI but significantly reduces  $\Delta V_{IT-HK}$  for PBTI stress, while N increases both  $\Delta V_{HT}$  and  $\Delta V_{ET}$  for NBTI and PBTI stress, respectively. This unequivocally indicates that the trap generation and trapping subcomponents are mutually uncorrelated. Although  $\Delta V_{IT}$  and  $\Delta V_{IT-HK}$  dominate NBTI and PBTI respectively, a relatively larger  $\Delta V_{HT}$  or  $\Delta V_{ET}$  contribution results in reduction in  $n$  for overall  $\Delta V_T$  in HKMG devices containing N in the gate stack.
- (c) The power-law  $E_{OX}$  acceleration factor  $\Gamma_E$  has been found to be identical for  $\Delta V_{IT}$  and  $\Delta V_{HT}$  (or for  $\Delta V_{IT-HK}$  and  $\Delta V_{ET}$ ) and therefore for  $\Delta V_T$  for all HKMG processes, although  $\Gamma_E$  reduces for devices containing N in the gate stack or with reduction in IL thickness.
- (d) The Arrhenius T activation energy  $E_A$  is larger for  $\Delta V_{IT}$  (or  $\Delta V_{IT-HK}$ ) compared to  $\Delta V_{HT}$  (or  $\Delta V_{ET}$ ). Therefore, the relative magnitude of trap generation and trapping determines  $E_A$  for overall  $\Delta V_T$ . HKMG processes having relatively larger trapping subcomponent show lower  $E_A$  for  $\Delta V_T$  and vice versa.
- (e) For AC stress,  $\Delta V_{IT}$  (or  $\Delta V_{IT-HK}$ ) remains independent of  $f$  but increases with increase in PDC of the gate pulse. However, the AC/DC ratio and PDC dependent shape for  $\Delta V_{IT}$  (or  $\Delta V_{IT-HK}$ ) is very different from that for  $\Delta V_T$ , and will be explained later in the book.

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## References

1. N. Kimizuka, K. Yamaguchi, K. Imai, T. Iizuka, C.T. Liu, R.C. Keller, T. Horiuchi, NBTI enhancement by nitrogen incorporation into ultrathin gate oxide for 0.10-/spl mu/m gate CMOS generation, in *Symposium on VLSI Technology: Digest of Technical Papers* (2000), p. 92
2. Y. Mitani, M. Nagamine, H. Satake, A. Toriumi, NBTI mechanism in ultra-thin gate dielectric-nitrogen-originated mechanism in SiON, in *IEEE International Electron Devices Meeting Technical Digest* (2002), p. 509
3. S. Ramey, A. Ashutosh, C. Auth, J. Clifford, M. Hattendorf, J. Hicks, R. James, A. Rahman, V. Sharma, A. St.Amour, C. Wiegand, Intrinsic transistor reliability improvements from 22 nm tri-gate technology, in *IEEE International Reliability Physics Symposium Proceedings* (2013), p. 4C.5.1

4. W. McMahon, C. Tian, S. Uppal, H. Kothari, M. Jin, G. LaRosa, T. Nigam, A. Kerber, B. P. Linder, E. Cartier, W.L. Lai, Y. Liu, R. Ramachandran, U. Kwon, B. Parameshwaran, S. Krishnan, V. Narayanan, Intrinsic dielectric stack reliability of a high performance bulk planar 20 nm replacement gate high-k metal gate technology and comparison to 28 nm gate first high-k metal gate process, in *IEEE International Reliability Physics Symposium Proceedings* (2013), p. 4C.4.1
5. S. Mahapatra, N. Goel, S. Desai, S. Gupta, B. Jose, S. Mukhopadhyay, K. Joshi, A. Jain, A.E. Islam, M.A. Alam, A comparative study of different physics-based NBTI models. *IEEE Trans. Electr. Dev.* **60** (2013), 901
6. G. Groeseneken, H. Maes, N. Beltran, R. De Keersmaecker, A reliable approach to charge-pumping measurements in MOS transistors. *IEEE Trans. Electr. Dev.* **31** (1984), 42
7. A. Neugroschel, G. Bersuker, R. Choi, Applications of DCIV method to NBTI characterization. *Microelectron. Reliab.* **47**, 1366 (2007)
8. J.H. Stathis, G. LaRosa, A. Chou, Broad energy distribution of NBTI-induced interface states in p-MOSFETs with ultra-thin nitrided oxide, in *IEEE International Reliability Physics Symposium Proceedings* (2004), p. 25
9. Y. Mitani, Influence of nitrogen in ultra-thin SiON on negative bias temperature instability under AC stress, in *IEEE International Electron Devices Meeting Technical Digest* (2004), p. 117
10. D. Varghese, D. Saha, S. Mahapatra, K. Ahmed, F. Nouri, M.A. Alam, On the dispersive versus Arrhenius temperature activation of NBTI time evolution in plasma nitrided gate oxides: measurements, theory, and implications, in *IEEE International Electron Devices Meeting Technical Digest* (2005), p. 684
11. A.T. Krishnan, C. Chancellor, S. Chakravarthi, P.E. Nicollian, V. Reddy, A. Varghese, R.B. Khamankar, S. Krishnan, Material dependence of hydrogen diffusion: implications for NBTI degradation, in *IEEE International Electron Devices Meeting Technical Digest* (2005), p. 688
12. J.P. Campbell, P.M. Lenahan, A.T. Krishnan, S. Krishnan, NBTI: an atomic-scale defect perspective, in *IEEE International Reliability Physics Symposium Proceedings* (2006), p. 442
13. V. Huard, Two independent components modeling for negative bias temperature instability, in *IEEE International Reliability Physics Symposium Proceedings* (2010), p. 33
14. S. Mahapatra, K. Ahmed, D. Varghese, A.E. Islam, G. Gupta, L. Madhav, D. Saha, M.A. Alam, On the physical mechanism of NBTI in silicon oxynitride p-MOSFETs: can differences in insulator processing conditions resolve the interface trap generation versus hole trapping controversy?, in *IEEE International Reliability Physics Symposium Proceedings* (2007), p. 1
15. S. Mahapatra, A. Islam, S. Deora, V. Maheta, K. Joshi, A. Jain, M. Alam, A critical re-evaluation of the usefulness of R-D framework in predicting NBTI stress and recovery, in *IEEE International Reliability Physics Symposium Proceedings* (2011), p. 6A.3.1
16. K. Joshi, S. Mukhopadhyay, N. Goel, S. Mahapatra, A consistent physical framework for N and P BTI in HKMG MOSFETs, in *IEEE International Reliability Physics Symposium Proceedings* (2012), p. 5A.3.1
17. S. Mukhopadhyay, K. Joshi, V. Chaudhary, N. Goel, S. De, R.K. Pandey, K.V. Murali, S. Mahapatra, Trap generation in IL and HK layers during BTI/TDDDB stress in scaled HKMG N and P MOSFETs, in *IEEE International Reliability Physics Symposium Proceedings* (2014), p. GD.3.1
18. S. Mahapatra, V. Huard, A. Kerber, V. Reddy, S. Kalpat, A. Haggag, Universality of NBTI from devices to circuits and products, in *IEEE International Reliability Physics Symposium Proceedings* (2014), p. 3B.1.1
19. D.S. Ang, S. Wang, Recovery of the NBTI-stressed ultrathin gate p-MOSFET: the role of deep-level hole traps. *IEEE Electr. Dev. Lett.* **27**, 914 (2006)

20. C. Shen, M.F. Li, C.E. Foo, T. Yang, D.M. Huang, A. Yap, G.S. Samudra, Y.C. Yeo, Characterization and physical origin of fast  $V_{th}$  transient in NBTI of pMOSFETs with SiON dielectric, in *IEEE International Electron Devices Meeting Technical Digest* (2006), p. 12.5.1
21. T. Grasser, B. Kaczer, W. Goes, An energy-level perspective of bias temperature instability, in *IEEE International Reliability Physics Symposium Proceedings* (2008), p. 28
22. D. Ielmini, M. Manigrasso, F. Gattel, G. Valentini, A unified model for permanent and recoverable NBTI based on hole trapping and structure relaxation, in *IEEE International Reliability Physics Symposium Proceedings* (2009), p. 26
23. H. Reisinger, T. Grasser, K. Ermisch, H. Nielen, W. Gustin, C. Schlunder, Understanding and modeling AC BTI, in *IEEE International Reliability Physics Symposium Proceedings* (2011), p. 6A.1.1
24. E.N. Kumar, V.D. Maheta, S. Purawat, A.E. Islam, C. Olsen, K. Ahmed, M. Alam, S. Mahapatra, Material dependence of NBTI physical mechanism in silicon oxynitride (SiON) p-MOSFETs: a comprehensive study by ultrafast on-the-fly (UF-OTF)  $I_{DLIN}$  technique, in *IEEE International Electron Devices Meeting Technical Digest* (2007), p. 809
25. V.D. Maheta, C. Olsen, K. Ahmed, S. Mahapatra, The impact of nitrogen engineering in silicon oxynitride gate dielectric on negative-bias temperature instability of p-MOSFETs: a study by ultrafast on-the-fly technique. *IEEE Trans. Electr. Dev.* **55**, 1630 (2008)
26. T. Grasser, B. Kaczer, W. Goes, T. Aichinger, P. Hehenberger, M. Nelhiebel, A two stage model for negative bias temperature instability, in *IEEE International Reliability Physics Symposium Proceedings* (2009), p. 33
27. H. Reisinger, O. Blank, W. Heinrigs, A. Muhlhoff, W. Gustin, C. Schlunder, Analysis of NBTI degradation-and recovery-behavior based on ultra fast VT-measurements, in *IEEE International Reliability Physics Symposium Proceedings* (2006), p. 448
28. K. Sakuma, D. Matsushita, K. Muraoka, Y. Mitani, Investigation of nitrogen-originated NBTI mechanism in SiON with high-nitrogen concentration, in *IEEE International Reliability Physics Symposium Proceedings* (2006), p. 454
29. Y. Mitani, H. Satake, A. Toriumi, Influence of nitrogen on negative bias temperature instability in ultrathin SiON. *IEEE Trans. Dev. Mater. Reliab.* **8**, 6 (2008)
30. S. Mahapatra, V.D. Maheta, A.E. Islam, M.A. Alam, Isolation of NBTI stress generated interface trap and hole-trapping components in PNO p-MOSFETs. *IEEE Trans. Electr. Dev.* **56**, 236 (2009)
31. S. Desai, S. Mukhopadhyay, N. Goel, N. Nanaware, B. Jose, K. Joshi, S. Mahapatra, A comprehensive AC/DC NBTI model: stress, recovery, frequency, duty cycle and process dependence, in *IEEE International Reliability Physics Symposium Proceedings* (2013), p. XT.2.1
32. K. Joshi, S. Hung, S. Mukhopadhyay, V. Chaudhary, N. Nanaware, B. Rajamohanam, T. Sato, M. Bevan, A. Wei, A. Noori, B. McDougall, C. Ni, C. Lazik, G. Saheli, P. Liu, D. Chu, L. Date, S. Datta, A. Brand, J. Swenberg, S. Mahapatra, HKMG process impact on N, P BTI: role of thermal IL scaling, IL/HK integration and post HK nitridation, in *IEEE International Reliability Physics Symposium Proceedings* (2013), p. 4C.2.1
33. N. Goel, K. Joshi, S. Mukhopadhyay, N. Nanaware, S. Mahapatra, A comprehensive modeling framework for gate stack process dependence of DC and AC NBTI in SiON and HKMG p-MOSFETs. *Microelectron. Reliab.* **54**, 491 (2014)
34. N. Goel, S. Mukhopadhyay, N. Nanaware, S. De, R.K. Pandey, K.V.R.M. Murali, S. Mahapatra, A comprehensive DC/AC model for ultra-fast NBTI in deep EOT scaled HKMG p-MOSFETs, in *IEEE International Reliability Physics Symposium Proceedings* (2014), p. 6A.4.1
35. N. Goel, T. Naphade, S. Mahapatra, Combined trap generation and transient trap occupancy model for time evolution of NBTI during DC multi-cycle and AC stress, in *IEEE International Reliability Physics Symposium Proceedings* (2015)
36. A. Kerber, E. Cartier, Reliability challenges for CMOS Technology qualifications with hafnium oxide/titanium nitride gate stacks. *IEEE Trans. Device Mater. Reliab.* **9**, 147 (2009)

37. J. Mitard, X. Garros, L.P. Nguyen, C. Leroux, G. Ghibaudo, F. Martin, G. Reimbold, Large-scale time characterization and analysis of PBTI In  $\text{HfO}_2$ /metal gate stacks, in *IEEE International Reliability Physics Symposium Proceedings* (2006), p. 174
38. D. Heh, C.D. Young, G. Bersuker, Experimental evidence of the fast and slow charge trapping/detrapping processes in high-k dielectrics subjected to PBTI stress. *IEEE Electr. Dev. Lett.* **29**, 180 (2008)
39. S. Pae, M. Agostinelli, M. Brazier, R. Chau, G. Dewey, T. Ghani, M. Hattendorf, J. Hicks, J. Kavalieros, K. Kuhn, M. Kuhn, J. Maiz, M. Metz, K. Mistry, C. Prasad, S. Ramey, A. Roskowski, J. Sandford, C. Thomas, J. Thomas, C. Wiegand, J. Wiedemer, BTI reliability of 45 nm high-K+ metal-gate process technology, in *IEEE International Reliability Physics Symposium Proceedings* (2008), p. 352
40. J. Yang, M. Masuduzzaman, K. Joshi, S. Mukhopadhyay, J. Kang, S. Mahapatra, M.A. Alam, Intrinsic correlation between PBTI and TDDB degradations in nMOS HK/MG dielectrics, in *IEEE International Reliability Physics Symposium Proceedings* (2012), p. 5D.4.1
41. E. Cartier, A. Kerber, Stress-induced leakage current and defect generation in nFETs with  $\text{HfO}_2/\text{TiN}$  gate stacks during positive-bias temperature stress, in *IEEE International Reliability Physics Symposium Proceedings* (2009), p. 486
42. S. Zafar, A. Kerber, R. Muralidhar, Physics based PBTI model for accelerated estimation of 10 year lifetime. In *Symposium on VLSI Technology: Digest of Technical Papers* (2014). doi: [10.1109/VLSIT.2014.6894388](https://doi.org/10.1109/VLSIT.2014.6894388)
43. W. Liu, G. La Rosa, G. Tian, S. Boffoli, F. Guarini, W.L. Lai, V. Narayanan, H. Kothari, M. Jin, S. Uppal, W. McMahon, Process dependence of AC/DC PBTI in HKMG n-MOSFETs, in *IEEE International Reliability Physics Symposium Proceedings* (2014), p. XT.6.1
44. D.P. Ioannou, E. Cartier, Y. Wang, S. Mittl, PBTI response to interfacial layer thickness variation in HF-based HKMG nFETs, in *IEEE International Reliability Physics Symposium Proceedings* (2010), p. 1044
45. E. Cartier, A. Kerber, T. Ando, M.M. Frank, K. Choi, S. Krishnan, B. Linder, K. Zhao, F. Monsieur, J. Stathis, V. Narayanan, Fundamental aspects of  $\text{HfO}_2$ -based high-k metal gate stack reliability and implications on tinV-scaling, in *IEEE International Electron Devices Meeting Technical Digest* (2011), p. 18.4.1
46. M.J. Bevan, R. Curtis, T. Guarini, W. Liu, S.C.H. Hung, H. Graoui, Ultrathin  $\text{SiO}_2$  interface layer growth, in *International Conference on Advanced Thermal Processing of Semiconductors (RTP)*, (2010), p. 154
47. E.P. Gusev, C. Cabral Jr, M. Copel, C. D'Emic, M. Gribelyuk, Ultrathin  $\text{HfO}_2$  films grown on silicon by atomic layer deposition for advanced gate dielectrics applications. *Microelectron. Eng.* **69**, 145 (2003)
48. P.A. Kraus, K.Z. Ahmed, C.S. Olsen, F. Nouri, Physical models for predicting plasma nitrided Si-O-N gate dielectric properties from physical metrology. *IEEE Electr. Dev. Lett.* **24**, 559 (2003)
49. C. Olsen, Two-step post nitridation annealing for lower EOT plasma nitrided gate dielectrics. WO2004081984 A2, (2004)
50. G. Kapila, N. Goyal, V.D. Maheta, C. Olsen, K. Ahmed, S. Mahapatra, A comprehensive study of flicker noise in plasma nitride SiON p-MOSFETs: process dependence of pre-existing and NBTI stress generated trap distribution profiles. In *IEEE International Electron Devices Meeting Technical Digest* (2008). doi:[10.1109/IEDM.2008.4796625](https://doi.org/10.1109/IEDM.2008.4796625)
51. S. Mahapatra, S. De, K. Joshi, S. Mukhopadhyay, R.K. Pandey, K.V.R.M. Murali, Understanding process impact of hole traps and NBTI in HKMG p-MOSFETs using measurements and atomistic simulations. *IEEE Electr. Dev. Lett.* **34**, 963 (2013)
52. S. Takagi, N. Yasuda, A. Toriumi, Experimental evidence of inelastic tunneling in stress-induced leakage current. *IEEE Trans. Electr. Dev.* **46**, 335 (1999)
53. S. Takagi, N. Yasuda, A. Toriumi, A new I-V model for stress-induced leakage current including inelastic tunneling. *IEEE Trans. Electr. Dev.* **46**, 348 (1999)



54. M.A. Alam, SILC as a measure of trap generation and predictor of TBD in ultrathin oxides. *IEEE Trans. Electr. Dev.* **49**, 226 (2002)
55. S. Mahapatra, P. Bharath Kumar, M.A. Alam, Investigation and modeling of interface and bulk trap generation during negative bias temperature instability of p-MOSFETs". *IEEE Trans. Electr. Dev.* **51**, 1371 (2004)
56. M. Masduzzaman, A.E. Islam, M.A. Alam, A multi-probe correlated bulk defect characterization scheme for ultra-thin high- $\kappa$  dielectric, in *IEEE International Reliability Physics Symposium Proceedings* (2010), p. 1069

# Chapter 4

## Physical Mechanism of BTI Degradation—Modeling of Process and Material Dependence

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**Abstract** This chapter proposes compact models to predict NBTI and PBTI degradation in p- and n-channel MOSFETs, respectively. Models are based on the physics of BTI degradation discussed in Chap. 3. Compact NBTI model has been verified against measurements in different SiON and HKMG gate insulator process-based planar Si devices, planar HKMG devices having SiGe channel without and with Si cap, and Si channel based HKMG FinFETs. The model can predict degradation in such wide variety of devices with a maximum of five, but in most cases just three, device dependent adjustable parameters. PBTI compact model has been verified to predict degradation in different HKMG gate insulator process-based planar Si devices with six device dependent parameters. Models for both NBTI and PBTI have three underlying subcomponents related to interface and bulk trap generation and charge trapping, overall degradation being the uncorrelated sum of these subcomponents. All subcomponents are independently verified using different measurement techniques, such as CP, DCIV, SILC, and flicker noise, discussed in Chap. 2.

### 4.1 Introduction

It has been discussed in Chap. 1 that Negative Bias Temperature Instability (NBTI) and Positive Bias Temperature Instability (PBTI) are well-known reliability issues respectively for p- and n-channel Metal Oxide Semiconductor Field Effect Transistors (MOSFETs). NBTI has become an important issue as the industry migrated from conventional Silicon Dioxide ( $\text{SiO}_2$ ) to Silicon Oxynitride (SiON)

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gate insulator technology, and continues to remain as a concern for state-of-the-art High K Metal Gate (HKMG) planar and FinFET technologies. PBTI was never a serious concern for SiO<sub>2</sub> and SiON MOSFETs and only became important with the advent of HKMG technology, although PBTI is now perceived to be less of a concern for FinFET devices for sub 22 nm technology nodes. Refer to Chap. 1 for a brief overview of NBTI and PBTI degradation across different technology nodes.

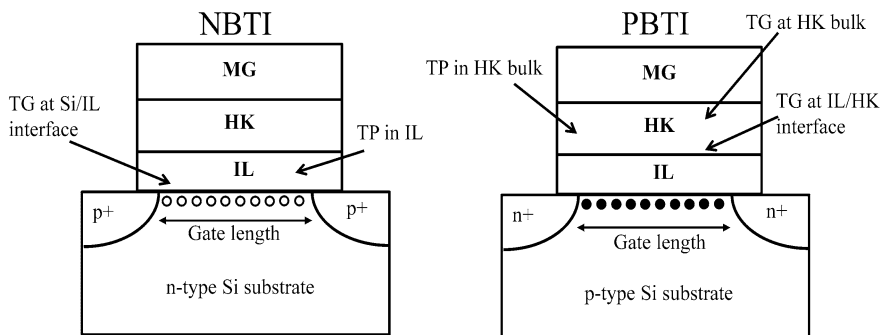
It is now well known that BTI degradation is strongly impacted by the gate insulator process, as discussed in Chaps. 1 and 3 and also in this chapter. Therefore, process optimization is an important exercise to develop BTI resistant technologies. Note that BTI measurements are usually performed at accelerated stress conditions for short time, and it is important to develop suitable models to calculate the degradation at end-of-life (EOL) under normal operating condition. This is the primary objective of a reliability model from the perspective of technology qualification. It is important to note that a good model for any reliability phenomenon must have the following characteristics:

- (a) It should adhere to the physics of the degradation mechanism.
- (b) It should be able to predict degradation for differently processed devices.
- (c) It should contain least possible fitting parameters so as to keep the model compact and simple to implement.
- (d) It should be able to predict EOL degradation at use conditions to determine reliable operating lifetime.

Various models have been proposed over the years to explain the mechanism of NBTI and PBTI degradation respectively in p- and n-channel MOSFETs, and are briefly reviewed in Chap. 3. Note that there exist strong experimental evidences of interface trap generation ( $\Delta N_{IT}$ ) during NBTI stress, obtained from different independent measurement methods such as Charge Pumping (CP) [1–5], Gated Diode (DCIV) [5–13] and Low Voltage Stress Induced Leakage Current (LV-SILC) [7, 14], refer to Chaps. 2 and 3 for further details. However in spite of such irrefutable evidences, some authors have proposed hole trapping in pre-existing traps ( $\Delta N_{HT}$ ) as the sole NBTI physical mechanism [15–17], which is definitely not true. However, note that although trap generation is the dominant physical mechanism and is primarily responsible for EOL degradation for well-optimized devices and circuits [18], the contribution due to hole trapping should also be considered especially to model short-time degradation measured using ultra-fast methods [4, 10, 11, 12]. It is now well accepted that threshold voltage shift ( $\Delta V_T$ ) during NBTI stress is due to both  $\Delta N_{IT}$  and  $\Delta N_{HT}$ ; although some authors have suggested strong coupling between the two [19], most evidences suggest they are mutually uncorrelated [1, 2, 4, 5, 10, 11, 12, 20, 21, 22], which will be discussed in detail and verified later in this chapter. In addition to  $\Delta N_{IT}$  and  $\Delta N_{HT}$ , contribution from TDDDB like bulk trap generation ( $\Delta N_{OT}$ ) can also impact  $\Delta V_T$  especially in thick gate insulators and high stress voltage ( $V_{G-STR}$ ) [5, 23], and is also discussed later in this chapter. Different physical models for NBTI have been recently reviewed; refer to [10] for details.

Figure 4.1 illustrates different uncorrelated components that contribute to NBTI degradation in HKMG p-MOSFETs having SiO<sub>2</sub> or SiON interlayer (IL) and Hafnium Oxide (HfO<sub>2</sub>) High-K layer [10], refer to Chap. 3 for details. Note that NBTI results in charging of the IL, primarily due to  $\Delta N_{IT}$  at the channel and IL interface and also due to  $\Delta N_{HT}$  in IL bulk. As discussed in detail in Chap. 2, CP and DCIV techniques can be used to independently estimate  $\Delta N_{IT}$ . Flicker noise can be used to estimate pre-existing defects that give rise to  $\Delta N_{HT}$ . Although  $\Delta N_{OT}$  can be appreciable for thicker SiO<sub>2</sub> and SiON devices especially at higher  $V_{G-STR}$  and can be independently estimated using conventional SILC as discussed in Chap. 2, it has relatively lower contribution in HKMG devices as shown later in this chapter [5, 10]. It is important to note that SILC is usually not observed for NBTI stress in HKMG p-MOSFETs due to band alignment issues [24], refer to Chap. 2, Fig. 2.33 for details.

As discussed in Chap. 1, a crucial difference between NBTI and PBTI is presence of transconductance degradation ( $\Delta g_m$ ) for the former and its absence for the later, especially for well-optimized HKMG devices [25]. Historically, PBTI degradation has been assumed to be dominated by electron trapping ( $\Delta N_{ET}$ ) in High-K layer for early non-optimized gate insulator processes [26, 27]. Although electron trapping reduces with HKMG process improvement [25] and reduction in High-K layer thickness [28], some authors still propose  $\Delta N_{ET}$  to be the sole contributor to  $\Delta V_T$  [29], ignoring strong evidence of trap generation measured using independent methods such as SILC and DCIV [30–34]. In the past, PBTI has been correlated to trap generation measured using conventional SILC technique [30, 31]. However, it has been recently shown that stress time ( $t_{STR}$ ), temperature ( $T$ ) and  $V_{G-STR}$  dependence of PBTI  $\Delta V_T$  closely resembles the dependence of trap generation measured using DCIV and not SILC [13, 34], thereby suggesting the former to be primarily responsible for PBTI degradation in scaled and optimized HKMG stacks. As also illustrated in Fig. 4.1, it has been shown that PBTI degradation is due to uncorrelated contribution from trap generation at the interface between IL and



**Fig. 4.1** Schematic of p- and n-channel HKMG MOSFETs showing different trap generation (TG) and trapping (TP) processes under NBTI and PBTI stress

High-K layers ( $\Delta N_{\text{IT-HK}}$ ) and in High-K bulk ( $\Delta N_{\text{OT-HK}}$ ), together with  $\Delta N_{\text{ET}}$  in pre-existing bulk High-K defects [32–34], refer to Chap. 3 for further details.

In this chapter, compact models are developed for NBTI and PBTI degradation and validated respectively in differently processed SiON and HKMG p-MOSFETs and HKMG n-MOSFETs. The models are based on physical mechanism of BTI as discussed above and therefore have uncorrelated trap generation and trapping subcomponents, which are independently verified by different measurement methods. The impact of gate insulator processes on model parameters and underlying subcomponents are discussed in detail, which helps explain the material and process dependence of BTI degradation. The methodology developed in this chapter can be used to predict process impact of EOL degradation, which in-turn can be used to develop suitable gate insulator processes for BTI resistant technologies.

## 4.2 Compact Model and Device Description

### 4.2.1 NBTI Model

Table 4.1 lists the compact model to predict NBTI degradation at long  $t_{\text{STR}}$  values of  $\sim$ seconds and higher. The model is based on results from NBTI studies that are summarized in Fig. 4.1. According to the model, at any given stress time  $t = t_{\text{STR}}$ , overall NBTI threshold voltage shift  $\Delta V_{\text{T}}(t)$  is the uncorrelated sum of the following independent subcomponents [10, 32]:

- (a) Interface trap generation,  $\Delta V_{\text{IT}}(t) = q \cdot \Delta N_{\text{IT}}(t)/C_{\text{OX}}$  at device channel and IL interface.
- (b) Hole trapping,  $\Delta V_{\text{HT}}(t) = q \cdot \Delta N_{\text{HT}}(t)/C_{\text{OX}}$  in pre-existing, process related IL bulk traps.
- (c) Trap generation in IL bulk,  $\Delta V_{\text{OT}}(t) = q \cdot \Delta N_{\text{OT}}(t)/C_{\text{OX}}$ .

In the above expressions,  $q$  is the electronic charge and  $C_{\text{OX}}$  is oxide capacitance. Note that although the physical location of  $\Delta N_{\text{HT}}$  and  $\Delta N_{\text{OT}}$  are in the IL bulk, an effective interfacial density is assumed in the proposed model to calculate their respective contribution to overall  $\Delta V_{\text{T}}$ . Also note that the model is equally applicable for both SiON and HKMG devices; the degradation will happen at the channel/SiON interface and SiON bulk for conventional SiON devices [10].

The interface trap generation component  $\Delta N_{\text{IT}}$  is explained by the well-known Reaction Diffusion or RD model [10], refer to Chap. 5 for details. The model states that inversion layer holes tunnel into and subsequently break Si–H bonds<sup>1</sup> at the

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<sup>1</sup>Note that RD model does not specify the exact type of bonds broken during NBTI stress. It assumes that there exists  $H$  passivated defects ( $X-H$ ) at (or near) the Si channel and oxide interface that get broken during stress. The broken bonds ( $X^-$ ) show up as interface traps.

**Table 4.1** NBTI compact model and fixed and device dependent model parameters

Interface trap generation	Hole trapping	Bulk trap generation
$\Delta N_{IT} = A E_{OX} e^{\Gamma_{IT} E_{OX}} e^{-\frac{E_{AIT}}{kT}} t^{1/6}$	$\Delta N_{HT} = B E_{OX} e^{\Gamma_{HT} E_{OX}} e^{-\frac{E_{AHT}}{kT}}$	$\Delta N_{OT} = C (1 - e^{-(t/w)\beta_{OT}})$
$E_{AIT} = \frac{2}{3}(E_{AKF} - E_{AKR}) + \frac{E_{ADH2}}{6}$		$w = \eta (V_G - V_{T0} - \Delta V_T) \frac{\Gamma_{OT}}{\beta_{OT}} e^{\frac{E_{AOT}}{kT}} \frac{V_T}{\Gamma_{OT}}$
$E_{OX} = (V_{G-STR} - V_{T0} - \Delta V_T)/EOT$		
$\Delta V_T = \frac{q}{C_{OX}} * (\Delta N_{IT} + \Delta N_{HT} + \Delta N_{OT})$		
A, B, C, $\Gamma_{IT}$ ( $=\Gamma_{HT}$ ) and $E_{AKF}$ are variable across devices		
<i>Fixed parameters</i>		
$E_{AKR} = 0.2$ eV	$E_{AHT} = 0.052$ eV	$E_{AOT} = 0.16$ eV; $\beta_{OT} = 0.33$
$E_{ADH2} = 0.2$ eV		$\Gamma_{OT} = 10$ ; $\eta = 5 \times 10^{12}$

Fixed parameters are constant across different type of SiON and HKMG gate insulator stacks, and different channel type and orientation of devices used in this study

MOSFET channel and IL interface to generate  $N_{IT}$ . The broken Si-H bonds release hydrogen (H) atoms that eventually diffuse away as molecular hydrogen ( $H_2$ ) species; the diffusion of molecular  $H_2$  determines long-time kinetics of  $N_{IT}$  generation. To achieve compactness, only the long-time solution of  $\Delta N_{IT}$  is modeled as per RD model, which predicts power-law time dependence with time exponent ( $n$ ) of 1/6. This assumption is consistent with measurement data shown in Chap. 3 and is also validated later in this chapter.  $\Delta N_{IT}$  depends on the oxide field ( $E_{OX}$ ) as  $E_{OX} * \exp \cdot (\Gamma_{IT} \cdot E_{OX})$  with field acceleration factor  $\Gamma_{IT}$ , the linear and exponential terms representing inversion hole density and its tunneling, respectively. Arrhenius  $T$  activation is used with energy  $E_{AIT}$ , and  $A$  is a process dependent pre-factor. Although it is suffice to model the  $T$  activation with  $E_{AIT}$  as model parameter, the overall  $T$  activation is further divided using  $T$  activation corresponding to Si-H bond breaking ( $E_{AKF}$ ) and passivation ( $E_{AKR}$ ) and molecular  $H_2$  diffusion ( $E_{ADH2}$ ), to keep it closer to the actual physical mechanism; refer to Chaps. 5 and 6 for further details.

Note that the oxide field  $E_{OX}$  is calculated as  $(V_{G-STR} - V_{T0} - \Delta V_T)/EOT$ , where EOT is equivalent oxide thickness. Of particular interest is the appearance of  $\Delta V_T$  in the expression, which is included to account for  $E_{OX}$  reduction effect at higher degradation. Although the insertion of this term makes the expression less compact, since  $\Delta V_T$  needs to be calculated using iterative approach, this is a very important effect that governs the time exponent  $n$  at long  $t_{STR}$ , especially for situations where  $\Delta V_T$  is appreciably high. Since  $\Delta V_T$  has exponential  $E_{OX}$  dependence, reduction in  $E_{OX}$  at longer  $t_{STR}$  would cause a soft-saturation effect and as a consequence result in relatively lower  $n$  than expected. This aspect is also discussed in Chap. 1, and is used for both NBTI and PBTI compact model. It is also used in the composite modeling framework discussed in Chap. 6.

The hole-trapping component ( $\Delta N_{HT}$ ) in pre-existing traps can be calculated by the Two-Energy Well (2EW) model [11, 35], which predicts trapping saturation at long  $t_{STR}$ . Since the compact model is used for long  $t_{STR}$ , a fixed  $\Delta V_{HT}$  is used with process dependent pre-factor B, field acceleration parameter  $\Gamma_{HT}$  and Arrhenius

$T$  activation  $E_{\text{AHT}}$ . Note that hole trapping is presumed to be having weaker  $T$  activation compared to trap generation, which will be validated in this chapter. However, identical field acceleration is used for trap generation and trapping [10, 36].

The third component is generation of new bulk traps,  $\Delta N_{\text{OT}}$ , which is negligible for HKMG devices unless very high  $V_{\text{G-STR}}$  is used. However, it is appreciable for thicker  $\text{SiO}_2$  and  $\text{SiON}$  devices and when stressed at high  $V_{\text{G-STR}}$ . Time evolution of  $\Delta N_{\text{OT}}$  has a stretched exponential form based on theory for bulk trap generation [37], with Arrhenius temperature activation  $E_{\text{AOT}}$  and power-law voltage acceleration factor  $\Gamma_{\text{OT}}$  [5]. Note that unlike  $\Delta N_{\text{IT}}$  that is dependent on oxide field,  $\Delta N_{\text{OT}}$  is dependent on gate bias, the latter having much stronger bias dependence than the former [5, 23]. This component has a process dependent pre-factor  $C$ .

The pre-factors  $A$ ,  $B$ , and  $C$ , field acceleration factor  $\Gamma_{\text{IT}}$  and temperature activation for interface trap generation component  $E_{\text{AIT}}$ , through variation in  $E_{\text{AKF}}$ , are process dependent and are used as fitting parameters to predict degradation in different  $\text{SiON}$  and HKMG p-MOSFETs. Identical values are used for  $\Gamma_{\text{IT}}$  and  $\Gamma_{\text{HT}}$ , so  $\Gamma_{\text{HT}}$  is not an independent parameter. All other parameters are constant and are shown in Table 4.1. Although the model in general has five free parameters, only four are needed for HKMG devices since  $\Delta N_{\text{OT}}$  is negligible. Moreover, it will be shown that  $E_{\text{AKF}}$  remains almost constant unless IL process is drastically changed. Therefore, most HKMG devices can be successfully modeled with only three process dependent free parameters. Finally, CP and DCIV techniques have been used to independently estimate trap generation in  $\text{SiON}$  and HKMG devices respectively, while flicker noise is used to estimate pre-stress process related defects [10, 13, 33]. The compact model subcomponents are verified against these independent estimates to ascertain their correctness.

## 4.2.2 PBTI Model

A compact model to predict PBTI degradation is also developed along the same lines of NBTI model. This model is based on physical mechanism of PBTI summarized in Fig. 4.1. According to the model, overall PBTI degradation  $\Delta V_{\text{T}}(t)$  at a time  $t = t_{\text{STR}}$  is the sum of the following uncorrelated components [32–34]:

- (a) Interface trap generation,  $\Delta V_{\text{IT-HK}}(t) = q \cdot \Delta N_{\text{IT-HK}}(t)/C_{\text{OX}}$ , at the interface between IL and High-K layers.
- (b) Electron trapping,  $\Delta V_{\text{ET}}(t) = q \cdot \Delta N_{\text{ET}}(t)/C_{\text{OX}}$  in pre-existing process related High-K bulk traps.
- (c) Bulk trap generation in High-K layer,  $\Delta V_{\text{OT-HK}}(t) = q \cdot \Delta N_{\text{OT-HK}}(t)/C_{\text{OX}}$ .

In the above expressions,  $q$  is the electronic charge and  $C_{\text{OX}}$  is oxide capacitance. Note that PBTI stress in optimized HKMG devices does not result in charging of the IL layer, which is evident from negligible  $\Delta g_m$  [25]. It is important to remark that although the physical location of defects are at the IL/High-K

interface and High-K bulk, for modeling purpose, an effective density is assumed at the channel/IL interface to compute their contribution to overall  $\Delta V_T$ .

As shown in Chap. 3, trap generation measured using DCIV for NBTI and PBTI stress respectively in p- and n-channel HKMG MOSFETs demonstrates remarkably similar stress and recovery kinetics [13]. Therefore, interface generation component ( $\Delta N_{IT-HK}$ ) under PBTI stress can also be modeled using the RD framework. Since IL degradation is negligible for PBTI stress, it is presumed that H passivated defects at the IL/High-K interface are broken by tunneling of inversion layer electrons, and released H atoms eventually diffuse as molecular  $H_2$  species resulting in power-law time evolution of  $\Delta N_{IT-HK}$  at long  $t_{STR}$  with exponent  $n$  of  $1/6$ . The electron trapping component  $\Delta N_{ET}$  is assumed to saturate at long  $t_{STR}$ , which is similar to the  $\Delta N_{HT}$  component for NBTI stress; this assumption will be validated later in this chapter. Both interface trap generation and electron trapping are assumed to be field dependent phenomena and similar expressions have been used for NBTI and PBTI stress. However unlike NBTI, the field acceleration factor for interface trap generation ( $\Gamma_{IT-HK}$ ) is not equal to that for electron trapping ( $\Gamma_{ET}$ ). Both components have Arrhenius  $T$  activation, and once again, the  $T$  activation of electron trapping ( $E_{AET}$ ) is assumed to be weaker than  $T$  activation for trap generation ( $E_{AIT-HK}$ ), which will also be validated later in this chapter. Finally, the time evolution of bulk trap generation component ( $\Delta N_{OT-HK}$ ) uses a stretched exponential form, has Arrhenius  $T$  activation ( $E_{AOT-HK}$ ) and power-law  $V_{G-STR}$  dependence ( $\Gamma_{OT-HK}$ ) [31]. Although the bulk trap generation component has been found to be non-negligible for PBTI stress, however, due to stronger voltage acceleration factor its contribution becomes minimal at use condition.

The pre-factors for interface trap generation ( $A$ ), electron trapping ( $B$ ) and bulk trap generation ( $C$ ), as well as  $\Gamma_{IT-HK}$ ,  $\Gamma_{ET}$  and  $E_{AIT-HK}$  are used as fitting parameters across different HKMG processes. All other parameters are kept constant for different processes and are listed in Table 4.2. Trap generation at IL/High-K

**Table 4.2** PBTI compact model and fixed and device dependent model parameters

Interface trap generation	Hole trapping	Bulk trap generation
$\Delta N_{IT-HK} = AE_{OX} e^{\Gamma_{IT-HK} E_{OX}} e^{-\frac{E_{AIT-HK}}{kT}} t^{1/6}$	$\Delta N_{ET} = BE_{OX} e^{\Gamma_{ET} E_{OX}} e^{-\frac{E_{A-ET}}{kT}}$	$\Delta N_{OT-HK} = C(1 - e^{-(t/w)^{\beta_{OT-HK}}})$
$E_{OX} = (V_{G-STR} - V_{T0} - \Delta V_T)/EOT$		$w = \eta(V_G - V_{T0} - \Delta V_T)^{\frac{\Gamma_{OT-HK}}{\beta_{OT-HK}}} e^{\frac{E_{AOT-HK}}{kT}}$
$\Delta V_T = \frac{q}{C_{OX}} * (\Delta N_{IT-HK} + \Delta N_{ET} + \Delta N_{OT-HK})$		
A, B, C, $\Gamma_{IT-HK}$ , $\Gamma_{ET}$ and $E_{AIT-HK}$ are variable across devices		
<i>Fixed parameters</i>		
	$E_{A-ET} = 0.052 \text{ eV}$	$E_{AOT-HK} = 0.32 \text{ eV}; \beta_{OT} = 0.35$
		$\Gamma_{OT} = 10; \eta = 5 \times 10^{12}$

Fixed parameters are constant across different type of HKMG devices used in this study



interface is independently estimated using DCIV method [13], SILC is used to estimate trap generation in High-K bulk [30]. Flicker noise is used to estimate pre-existing bulk High-K trap density for different gate insulator processes [33]. The compact model components are verified against these independently estimated quantities to ascertain their correctness.

### 4.2.3 Process Dependence

Both NBTI and PBTI degradation are known to be extremely sensitive to the variations in gate insulator processes. The compact models are validated against large variety of SiON and HKMG MOSFETs, and the process impact on the underlying trap generation and trapping subcomponents is accessed. SiON devices were fabricated using Decoupled Plasma Nitridation (DPN) technique with peak Nitrogen (N) concentration away from Si/SiON interface [38]. All devices were subjected to proper two-step Post Nitridation Anneal (PNA) [39]. Devices with varying base oxide thickness and Nitrogen dosage were fabricated and are listed in Table 4.3; refer to Chap. 1 for additional details. NBTI degradation in SiON p-MOSFETs was measured using the On-The-Fly (OTF) technique with different time-zero ( $t_0$ ) delay; measured data are suitably corrected for mobility degradation, refer to Chap. 2 for details. As mentioned before, PBTI degradation is not important for SiON devices and hence not studied.

Planar p- and n-channel MOSFETs with Silicon (Si) channel and having different HKMG gate insulator processes have been used to study and validate NBTI and PBTI compact models; device details are listed in Table 4.4. A gate first integration has been used; HKMG gate insulator stacks were fabricated using a novel cluster tool, which includes IL growth and Atomic Layer Deposition (ALD) technique based High-K deposition processes in a controlled vacuum environment to achieve Equivalent Oxide Thickness (EOT) down to 6 Å [33], see Chap. 3, Fig. 3.2 for additional details. IL was grown using a low temperature Rapid Thermal Process (RTP) and was followed by ALD HfO<sub>2</sub> deposition without any air break between the two processes. Devices with IL thickness having 5 and 3 Å were fabricated and are referred to as devices D1 and D2, respectively. To study the

**Table 4.3** Details of SiON p-MOSFETs for NBTI measurements and analysis

Device no.	Type	Base oxide thickness (Å)	PNO N dose ( $\times 10^{15} \text{ cm}^{-2}$ )	$T_{\text{XPS}}$ (Å)	EOT (Å)	% N
W1	PNO	15	2.8	18.5	14.0	23
W4	PNO	20	6.8	24.4	14.6	43
W8	PNO	25	3.1	28.1	23.5	17
W9	PNO	25	5.5	28.5	21.4	29
W10	PNO	25	6.8	28.9	19.9	36

Refer to Chap. 1, Table 1.1 for additional information

**Table 4.4** Details of HKMG p- and n-MOSFETs for NBTI and PBTI measurements and analysis

Device no.	IL thickness (Å)	High-K thickness (Å)	Remarks
D1	5	23	Low-T RTP
D2	3	23	Low-T RTP
D3	2.5	23	Low-T RTP, PHKN after high-K deposition
D4	1.5	23	Low-T RTP in N Ambient

Refer to Chap. 3, Fig. 3.2 for additional information

impact of Nitrogen, post High-K nitridation (PHKN) was performed on the 3 Å device by using DPN followed by PNA, these devices are referred to as D3. Extreme scaling of the IL (less than 2 Å) was achieved by performing RTP in Nitrogen environment followed by ALD High-K deposition; resulting devices labeled as D4. Ultra-Fast Measure-Stress-Measure (MSM) technique was used to measure BTI degradation in these devices, refer to Chaps. 1 and 2 for additional details.

NBTI compact model is also used to study planar HKMG p-MOSFETs having Silicon Germanium (SiGe) channel, with [40] and without [41] Si cap. The device details are shown in Table 4.5. Si capped devices have different Si cap thickness, SiGe composition and SiGe quantum well thickness, while non Si capped devices have different SiGe composition, refer to [40, 41] for further details. Finally, the NBTI compact model is also verified on FinFETs having Replacement Metal Gate

**Table 4.5** Details of SiGe channel based HKMG p-MOSFETs for NBTI measurements and analysis

Device no.	Ge %	SiGe thickness (nm)	Si cap thickness (nm)	$T_{INV}$ (nm)	
SG1	0	0	0	1.55	
SG2	45	7	1.3	1.4	
SG3	55	3	1.3	1.4	
SG4	55	5	0.65	1.28	
SG5	55	5	1	1.32	
SG6	55	5	1.3	1.4	
SG7	55	5	2	1.59	
SG8	55	7	1.3	1.4	
SG9	0	0	0	1.23	
SG10	20	7.5	0	1.29	
SG11	25	7.5	0	1.33	
SG12	35	7.5	0	1.51	

SG1 to SG8 data from [40], SG9 to SG12 data from [41]. The devices consist of the following layers: Si/SiGe/Si cap (optional)/IL /High-K/Metal Gate as shown

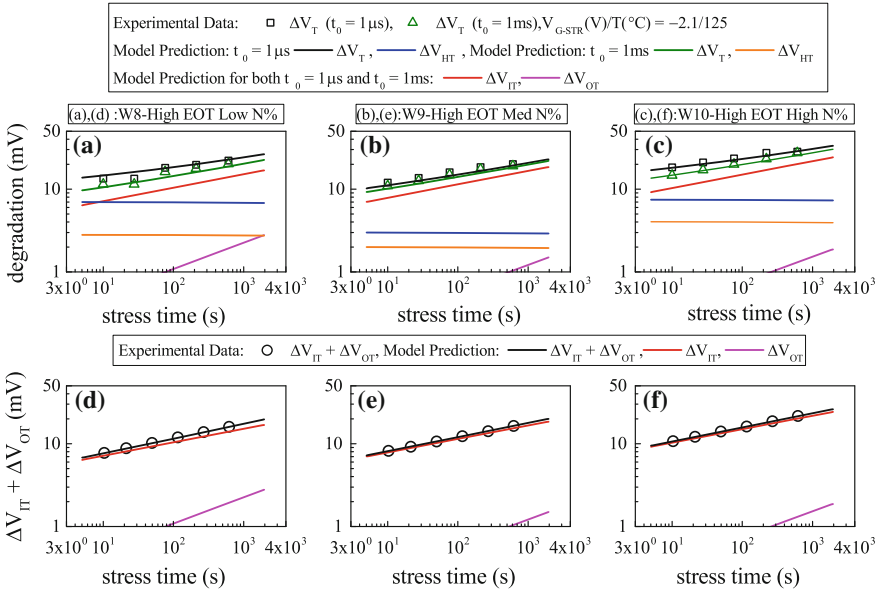
(RMG) based HKMG process [42]. One Spot Drop Down (OSDD) technique with sense bias ( $V_{G-SNS}$ ) close to pre-stress  $V_T(V_{T0})$  has been used (unless stated otherwise) to measure NBTI degradation in these devices, refer to Chap. 2 for details.

### 4.3 NBTI Process Dependence in SiON p-MOSFETs

Figure 4.2a through c show time evolution of threshold voltage shift  $\Delta V_T$  at a particular stress voltage  $V_{G-STR}$  and temperature  $T$  in SiON devices having different Nitrogen concentration (N%) and high EOT, measured using the OTF method having  $t_0$  delay of 1  $\mu$ s and 1 ms. NBTI degradation increases with increased N%; refer to Chap. 1 for additional details. Overall model prediction and the underlying subcomponents are also shown, see Table 4.1 for model and Table 4.3 for device details. Measured  $\Delta V_T$  using different  $t_0$  delay shows power-law time dependence, with lower degradation magnitude and higher time exponent  $n$  at higher  $t_0$  delay. Time evolution of  $\Delta V_T$  for different  $t_0$  delay can be modeled by only varying the hole trapping concentration  $\Delta V_{HT}$  and using identical trap generation subcomponents  $\Delta V_{IT}$  and  $\Delta V_{OT}$  as shown. This is consistent with the fact that delayed OTF measurements would capture somewhat smaller fast hole trapping subcomponent at the beginning of stress, since hole trapping is a fast process and gets triggered as soon as stress is applied, and therefore results in lower overall  $\Delta V_T$ , see Chap. 2 for OTF measurement details. On the other hand,  $\Delta V_{IT}$  and  $\Delta V_{OT}$  subcomponents evolve at a much slower rate and are not impacted by  $t_0$  delay, unless  $t_0$  becomes unnaturally large. Moreover, since  $\Delta V_{HT}$  saturates at longer  $t_{STR}$ , lower  $\Delta V_{HT}$  contribution captured for larger  $t_0$  delay would result in higher time exponent  $n$  and vice versa, which verifies the assumption that  $\Delta V_{HT}$  saturates at long stress time.

Figure 4.2d through f show the time evolution of voltage shift corresponding to trap generation directly measured using CP method in different N% devices. Data are plotted after delay and band gap correction; refer to Chap. 2 for CP measurement details. Time evolution of generated interface traps  $\Delta V_{IT}$  and bulk traps  $\Delta V_{OT}$  subcomponents as predicted by the compact model is also shown. Note that overall modeled trap generation subcomponent ( $\Delta V_{IT} + \Delta V_{OT}$ ) shows an excellent agreement with directly measured contribution from trap generation for different SiON devices with varying Nitrogen concentration. Therefore, correctness of the trap generation subcomponents of the compact model is independently verified.

The compact model has also been validated against other SiON devices listed in Table 4.3 having different N% and EOT. Figure 4.3 shows the time evolution of  $\Delta V_T$  for NBTI stress at different  $V_{G-STR}$  and  $T$ , measured using OTF method having different  $t_0$  delay. Overall model prediction is also shown, and it is important to note that different  $t_0$  delay data can be predicted by varying only the  $\Delta V_{HT}$  subcomponent, which again verifies that the  $\Delta V_{HT}$  subcomponent is fast and saturates at longer  $t_{STR}$ . Therefore, the compact model of Table 4.1 can successfully predict

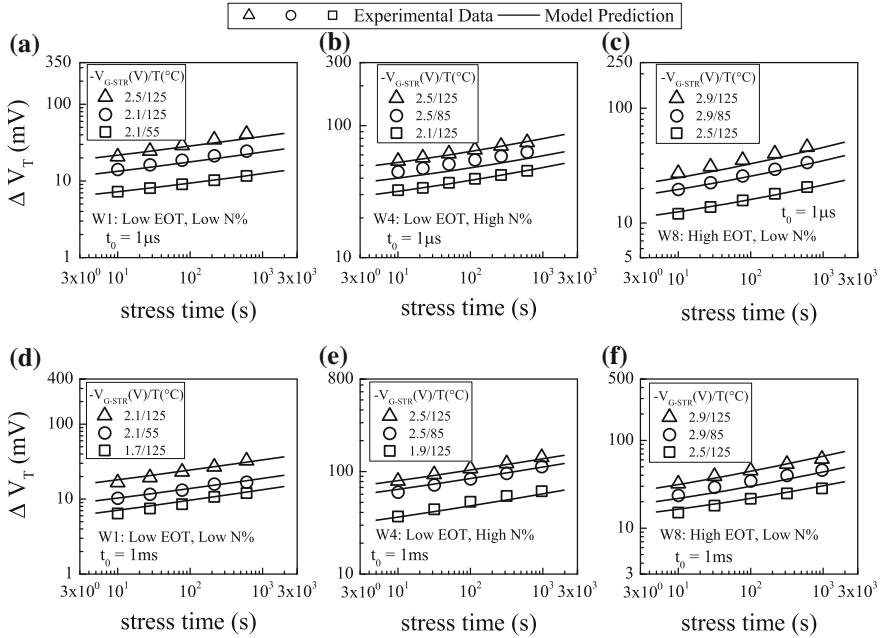


**Fig. 4.2** a–c Time evolution of measured  $\Delta V_T$  using OTF method with different time-zero delay (*symbols*), for NBTI stress in p-MOSFETs having different SiON gate insulator processes. Overall model prediction for  $\Delta V_T$  and underlying  $\Delta V_{IT}$ ,  $\Delta V_{HT}$ , and  $\Delta V_{OT}$  subcomponents are also shown (*lines*). d–f Time evolution of measured trap generation using CP method after delay and band gap corrections (*symbols*) and model calculation for  $\Delta V_{IT} + \Delta V_{OT}$  (*lines*) for different SiON devices

$\Delta V_T$  time evolution measured in different SiON devices of Table 4.3 for various stress conditions with five process dependent variable parameters, which are listed in Table 4.6. All other parameters are kept fixed across devices and are listed in Table 4.1. The use of very few adjustable model parameters across wide variety of SiON devices and different stress and measurement conditions shows the unique predictive ability of the proposed model.

Figure 4.4 shows  $\Delta V_T$  measured at a fixed stress time as a function of (a) oxide field<sup>2</sup>  $E_{OX}$  and (b) temperature  $T$  for NBTI stress in SiON devices having different N%. The compact model calculation is also shown. Note that increased N% leads to higher  $\Delta V_T$  magnitude, but lowering of power-law field acceleration factor ( $\Gamma_E$ ) and Arrhenius  $T$  activation energy ( $E_A$ ), and the model can predict measured data reasonable well for different SiON processes using the fixed and variable

<sup>2</sup>For simplicity and ease of comparison with data shown elsewhere, the measured and calculated  $E_{OX}$  dependence is plotted in a log–log plot and power-law  $E_{OX}$  acceleration factor  $\Gamma_E$  is extracted. Note that the  $E_{OX}$  dependence of the compact model has a different form as it adheres to the underlying physical mechanism. The same is also done for NBTI and PBTI measured and calculated data in HKMG devices shown later in this chapter.



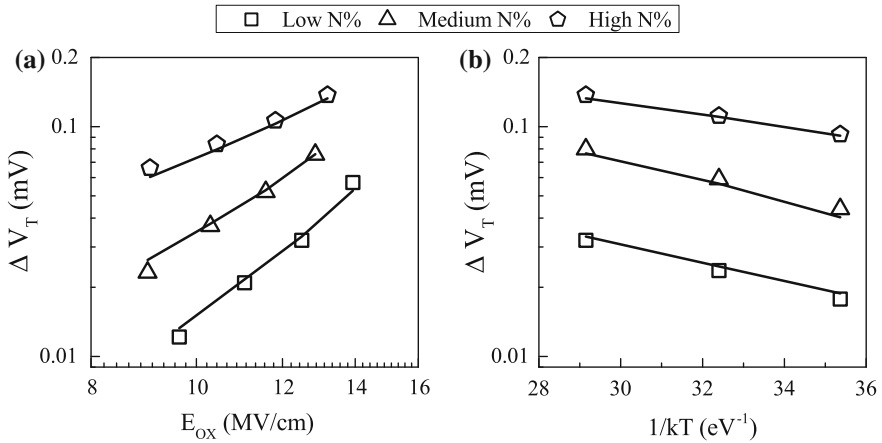
**Fig. 4.3** Time evolution of measured  $\Delta V_T$  using OTF method with different time-zero delay (symbols) and corresponding compact model prediction (lines), for NBTI stress at different  $V_{G-STR}$  and  $T$  in p-MOSFETs having different SiON gate insulator processes. *Top panels* for  $t_0 = 1 \mu s$ , *bottom panels* for  $t_0 = 1 ms$  data

**Table 4.6** SiON process dependent NBTI compact model parameters

	A	B	C	$\Gamma_{IT} = \Gamma_{HT}$	$E_{AKF}$
Units	$\frac{1}{V cm s^{1/6}}$	$\frac{1}{V cm}$	$cm^{-2}$	$\frac{cm}{MV}$	eV
Thin EOT low N%	7E9	1E8	1E11	0.25	0.185
Thin EOT high N%	3.5E10	2.5E9	1E11	0.2	0.15
Thick EOT	7E9	4.2E9	4.5E12	0.25	0.16

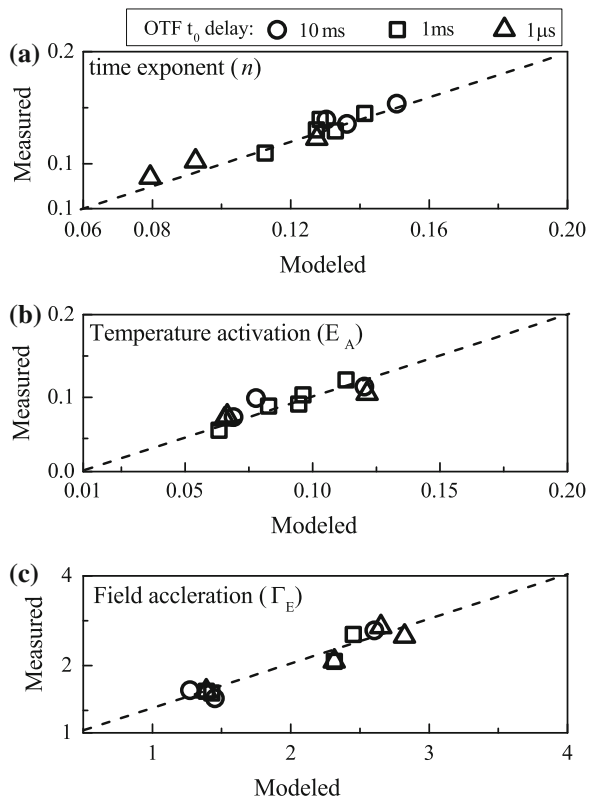
parameters listed respectively in Tables 4.1 and 4.6. Note that devices having higher N% show larger hole trapping component [4, 43], and the  $T$  activation of trapping is presumed to be small compared to the  $T$  activation of trap generation. Therefore,  $T$  activation of overall  $\Delta V_T$  reduces with increased N% as shown. More work is needed to explain the reduction of  $\Gamma_E$  in devices having larger N%.

Figure 4.5 shows the correlation of measured and modeled (a) power-law time exponent  $n$ , (b) Arrhenius  $T$  activation energy  $E_A$  and (c) power-law  $E_{OX}$  acceleration factor  $\Gamma_E$  for NBTI stress in different SiON devices. Note that a power-law  $E_{OX}$  dependence is used for ease of comparison, although the compact model uses a



**Fig. 4.4** UF-OTF measured  $\Delta V_T$  at fixed stress time for NBTI stress in different SiON p-MOSFETs versus **a** stress  $E_{OX}$  and **b** stress  $T$  (symbols).  $E_{OX}$  dependence is plotted in a log-log scale,  $T$  dependence in a semi-log scale. Lines are model prediction

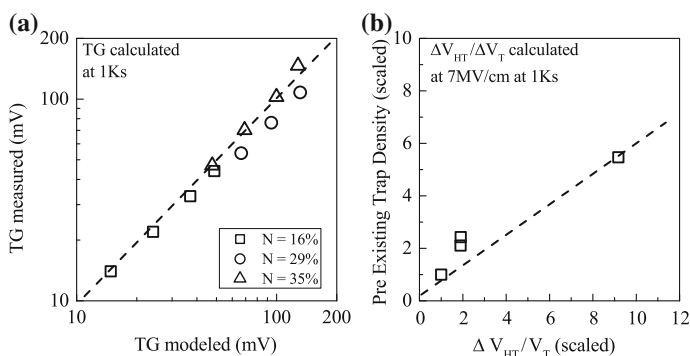
**Fig. 4.5** Correlation of measured and compact model predicted **a** power-law time exponent  $n$ , **b** Arrhenius  $T$  activation energy  $E_A$ , and **c** power-law field acceleration factor  $\Gamma_E$  for NBTI stress in different SiON p-MOSFETs. Comparison has been done for different measurement delay. Lines represent 1:1 correlation



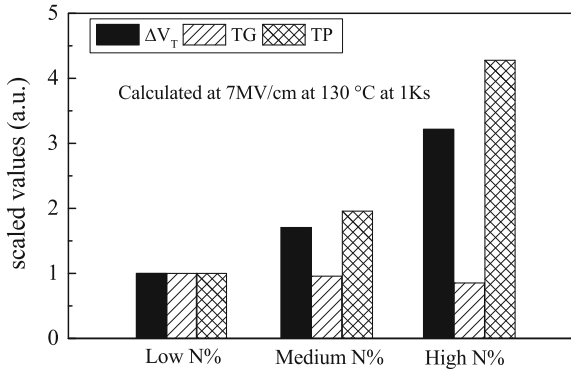
more physically based relation. Time exponent  $n$  is calculated using liner regression of measured  $\Delta V_T$  time evolution in  $t_{STR}$  range of 10 s to 1 Ks, while  $\Gamma_E$  and  $E_A$  are calculated at fixed  $t_{STR}$ .

Note that excellent correlation is observed between measured data and model prediction for different measurement delay and for different SiON devices. Note that the relative contribution of trap generation and trapping subcomponents depends on SiON process and measurement delay. Since trap generation keeps on evolving at longer  $t_{STR}$  while trapping saturates, and since the former shows larger  $T$  activation than the latter, their relative dominance in particular decides the time exponent  $n$  and  $T$  activation  $E_A$  of overall NBTI degradation. Accurate prediction of measured parameters therefore suggests correctness of the underlying subcomponents of the model, which is further verified below using direct CP and flicker noise measurements.

Figure 4.6a shows the correlation of voltage shift contribution from trap generation measured using the CP technique to calculated trap generation subcomponents ( $\Delta V_{IT} + \Delta V_{OT}$ ) calculated using the compact model for NBTI stress in SiON devices with different N%. Measured and modeled  $\Delta V_{IT}$  time evolution has been obtained at different stress  $E_{OX}$  and  $T$ , although the data plotted in Fig. 4.6a are shown for a fixed  $t_{STR}$ . As discussed in Chap. 2, voltage shift due to trap generation from CP measurements is calculated after suitable delay and band gap correction. Excellent agreement between theory and measurements verify the accuracy of trap generation subcomponents across different devices. Furthermore, Fig. 4.6b plots the correlation of pre-existing trap density measured using the flicker noise technique to fractional hole trapping contribution ( $\Delta V_{HT}/\Delta V_T$ ) calculated by the model for different SiON devices. Measured pre-existing trap density increases for SiON devices having higher N% and results in higher trapping magnitude during stress [43], and validates the hole-trapping subcomponent of NBTI compact model.



**Fig. 4.6** Correlation of **a** trap generation (TG) measured using CP method after delay and band gap corrections and model prediction, and **b** pre-existing traps measured using flicker noise and calculated fractional hole trapping contribution, for NBTI stress in different SiON p-MOSFETs. Lines represent **a** 1:1 correlation and **b** guide to eye



**Fig. 4.7** Model calculated overall  $\Delta V_T$  and underlying trap generation and trapping subcomponents of NBTI degradation in SiON devices having different N content in the gate insulator stack

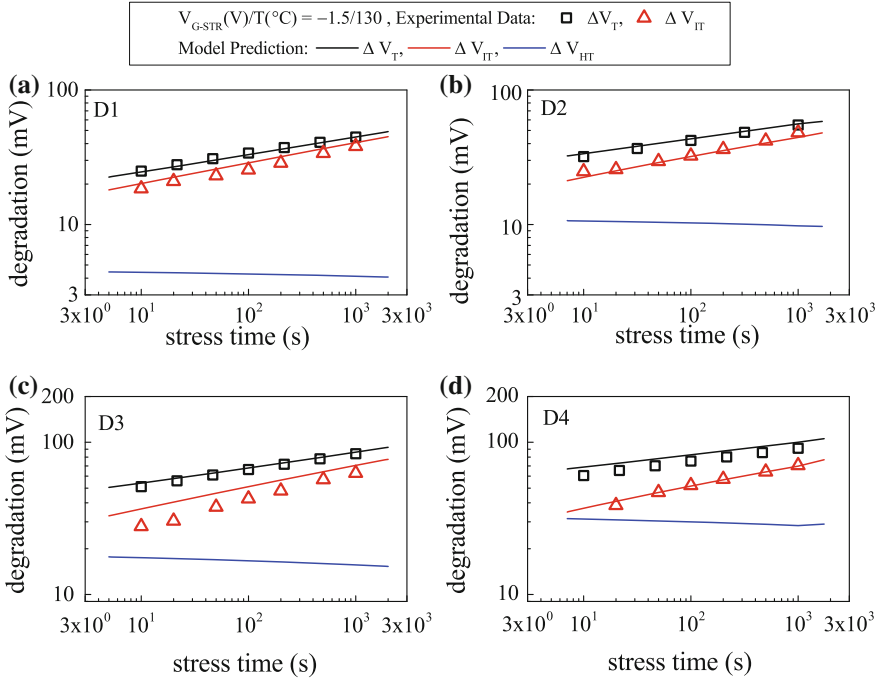
It is important to assess the impact of N% on trap generation and trapping subcomponents of overall NBTI degradation. Figure 4.7 shows overall  $\Delta V_T$  and the underlying  $\Delta V_{HT}$  and  $\Delta V_{IT} + \Delta V_{OT}$  subcomponents for SiON devices having different N%. The compact model with parameters calibrated by prediction of stress data at different  $V_{G-STR}$  and  $T$  is used to compute overall degradation and its subcomponents for identical stress condition across different N% devices. All data are normalized to the device having lowest N%. Note that  $\Delta V_T$  increases with increase in N%, which is now a well-known result, and the increase is primarily due to increase in  $\Delta V_{HT}$  subcomponent as shown [21, 22]. Interestingly, N% has negligible impact on trap generation as shown and verifies the uncoupled nature of trap generation and trapping subcomponents of overall degradation. Note that as plasma nitridation with proper PNA is used in devices having thicker gate oxides, the N density at the Si/SiON interface is unlikely to change significantly with variation in N dose, refer to Table 4.3. Therefore  $\Delta V_{IT}$  does not change, while  $\Delta V_{HT}$ , being a bulk phenomenon, gets affected, which is also independently corroborated by flicker noise measurements [43]. Moreover, the relative contribution of bulk trap generation  $\Delta V_{OT}$  is lower compared to  $\Delta V_{IT}$  for the stress conditions used in this study; hence overall trap generation remains unaffected by changes in bulk N concentration as shown.

## 4.4 NBTI Process Dependence in HKMG p-MOSFETs

### 4.4.1 Impact of HKMG Process

Figure 4.8 plots time evolution of UF-MSM measured threshold voltage shift  $\Delta V_T$  for NBTI stress in differently processed planar HKMG Si channel devices listed in Table 4.4. Compared to non-nitrided D1 and D2 devices, nitrided D3 and D4

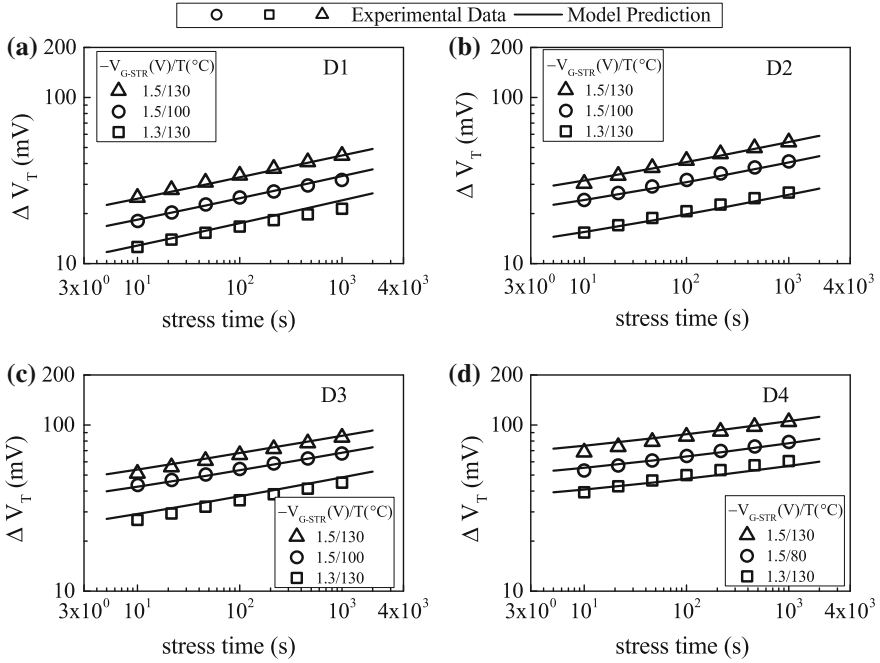




**Fig. 4.8** Time evolution of UF-MSM measured  $\Delta V_T$  and DCIV measured  $\Delta V_{IT}$  after delay and band gap corrections (*symbols*) for NBTI stress in p-MOSFETs with different HKMG gate insulator stacks, refer to Table 4.4 for device details. Compact model prediction of overall  $\Delta V_T$  and underlying trap generation and trapping subcomponents are shown (*lines*)

devices show higher NBTI degradation, which is consistent with SiON results; refer to Chap. 1 for further details. Time evolution of interface trap generation  $\Delta N_{IT}$  is independently estimated by using DCIV technique, refer to Chap. 2 for details; the voltage shift  $\Delta V_{IT}$  corresponding to trap generation extracted from DCIV measurements after delay and band gap correction is shown.  $\Delta V_T$  modeled by three-component NBTI compact model proposed in Table 4.1 is shown along with underlying trap generation and trapping subcomponents. As mentioned before, bulk trap generation component for HKMG stacks is negligible and hence is not shown. Note that the overall model can predict measured  $\Delta V_T$  time evolution for various devices while modeled  $\Delta V_{IT}$  subcomponent agrees well with independently measured trap generation data. Also note that relative contribution of the saturated trapping subcomponent  $\Delta V_{HT}$  increases in HKMG stacks D3 and D4 having additional N in the gate insulator stack, which is consistent with SiON data discussed earlier in this chapter.

Figure 4.9 shows time evolution of  $\Delta V_T$  measured in different HKMG devices listed in Table 4.4 for NBTI stress using different  $V_{G-STR}$  and temperature  $T$ . Calculated  $\Delta V_T$  time evolution using the compact model of Table 4.1 is also shown. Note that the model can successfully predict measured data in such large



**Fig. 4.9** Time evolution of UF-MSM measured  $\Delta V_T$  (symbols) and corresponding compact model calculation (lines) for NBTI stress at different  $V_{G-STR}$  and  $T$  in p-MOSFETs having different HKMG gate insulator stacks

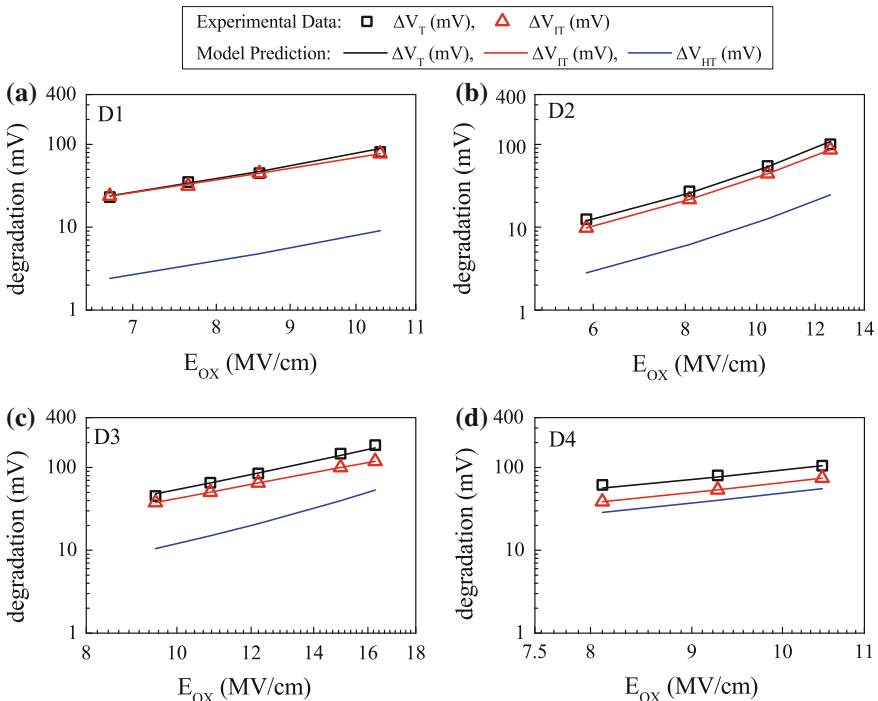
variety of HKMG devices under different stress conditions with four adjustable parameters ; pre-factor  $A$ , temperature activation  $E_{AKF}$  and field acceleration  $\Gamma_{IT}$  for interface trap generation , and hole trapping pre-factor  $B$ , and are listed in Table 4.7. Unlike SiON, bulk trap generation pre-factor  $C$  is negligible in HKMG devices. Other parameters are kept constant across different devices and are listed in Table 4.1; identical fixed parameter values have been used for SiON and HKMG devices. Out of four adjustable parameters ,  $\Gamma_{IT}$  and  $E_{AKF}$  are of interest as they depend on the IL type and quality, e.g.,  $N$  density near the interface between Si channel and IL. However, similar  $\Gamma_{IT}$  and  $E_{AKF}$  values are used for a particular category of HKMG stacks but having different IL and HK thicknesses. Therefore

**Table 4.7** HKMG process dependent NBTI compact model parameters

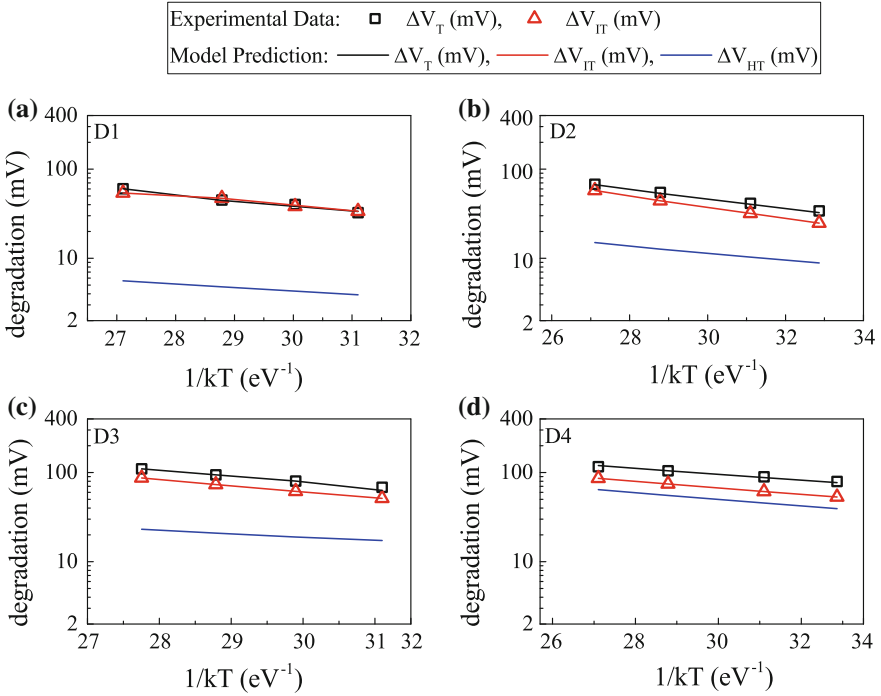
	A	B	C	$\Gamma_{IT} = \Gamma_{HT}$	$E_{AKF}$
Units	$\frac{1}{V\text{ cm s}^{1/6}}$	$\frac{1}{V\text{ cm}}$	$\text{cm}^{-2}$	$\frac{\text{cm}}{\text{MV}}$	eV
HKMG D1	9E10	6E9	0	0.245	0.215
HKMG D2	8E10	1.5E10	0	0.21	0.215
HKMG D3	2.8E11	5E10	0	0.16	0.21
HKMG D4	4E10	1E11	0	0.17	0.13

unless the process technology is drastically changed, small process variations can be predicted by only two adjustable parameters  $A$  and  $B$ . Once again, the use of few adjustable parameters shows the uniqueness of the model and signifies its importance in predicting degradation across wide variety of HKMG processes.

Figures 4.10 and 4.11 respectively show the oxide field  $E_{OX}$  and temperature  $T$  dependence of UF-MSM measured  $\Delta V_T$  as well as DCIV measured  $\Delta V_{IT}$  obtained after delay and band gap corrections, refer to Chap. 2 for details. The model calculated  $E_{OX}$  and  $T$  dependence of overall  $\Delta V_T$  and underlying  $\Delta V_{IT}$  and  $\Delta V_{HT}$  subcomponents are also shown. As mentioned earlier, the contribution from bulk trap generation  $\Delta V_{OT}$  is negligible and hence is not shown. Note that model calculated  $E_{OX}$  and  $T$  dependence of both  $\Delta V_T$  and  $\Delta V_{IT}$  is in excellent agreement with experiments for different HKMG processes, and is obtained using the fixed and process dependent parameters shown in Tables 4.1 and 4.7, respectively. Note that the relative contribution of hole trapping component  $\Delta V_{HT}$  increases with increase in N content in the gate insulator stack. Also note that similar to SiON devices,  $\Gamma_{IT}$  equals  $\Gamma_{HT}$  and both reduce for stacks having larger N density in the IL, thereby reducing the field acceleration of overall  $\Delta V_T$ , see Fig. 4.10. On the other hand,



**Fig. 4.10** UF-MSM measured  $\Delta V_T$  and DCIV measured  $\Delta V_{IT}$  after delay and band gap corrections (symbols) at fixed  $t_{STR}$  versus stress  $E_{OX}$  for NBTI stress in p-MOSFETs having different HKMG gate insulator stacks. Compact model prediction of  $\Delta V_T$  and underlying trap generation and trapping subcomponents are shown (lines).  $E_{OX}$  dependence is plotted in a log–log scale

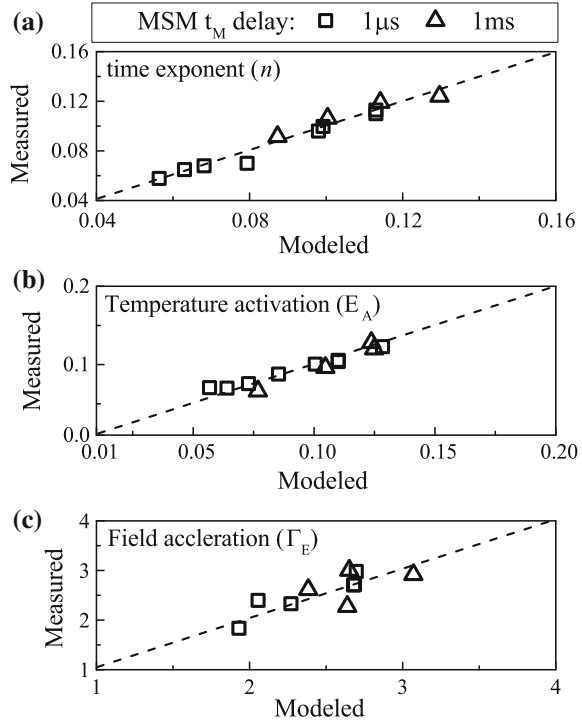


**Fig. 4.11** UF-MSM measured  $\Delta V_T$  and DCIV measured  $\Delta V_{IT}$  after delay and band gap corrections (*symbols*) at fixed  $t_{STR}$  versus stress  $T$  for NBTI stress in p-MOSFETs having different HKMG gate insulator stacks. Compact model prediction of  $\Delta V_T$  and underlying trap generation and trapping subcomponents are shown (*lines*)

$\Delta V_{HT}$  has weaker  $T$  activation compared to  $\Delta V_{IT}$  as shown in Fig. 4.11, and larger relative  $\Delta V_{HT}$  contribution results in reduced  $E_A$  of overall  $\Delta V_T$  for devices having higher  $N$  content, and once again verifies the uncorrelated nature of trap generation and trapping processes.

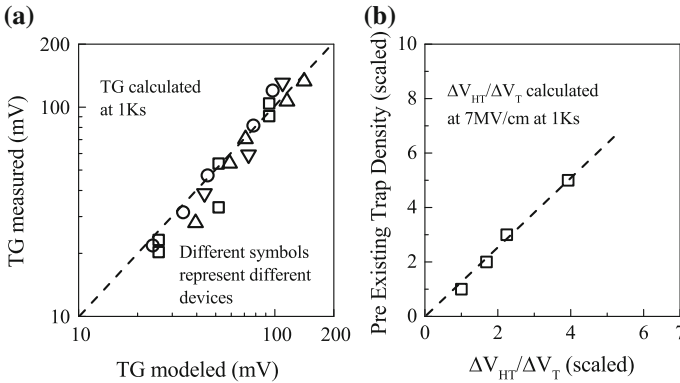
Figure 4.12 shows the correlation of measured and modeled (a) power-law time exponent  $n$ , (b) Arrhenius  $T$  activation energy  $E_A$  and (c) power-law  $E_{OX}$  acceleration factor  $\Gamma_E$  for different HKMG devices listed in Table 4.4. Note that a power-law  $E_{OX}$  dependence is used for ease of comparison, although the compact model uses a more physically based relation. As before, the time exponent  $n$  is calculated using liner regression of measured  $\Delta V_T$  time evolution in  $t_{STR}$  range of 10 s to 1 Ks, while  $\Gamma_E$  and  $E_A$  are calculated at fixed  $t_{STR}$ . Excellent correlation is obtained between measured data and model prediction for different measurement delay and across different HKMG gate insulator processes. Note that hole trapping saturates while interface trap generation keeps evolving with increase in  $t_{STR}$ , and the former has weaker  $T$  activation than the latter. Therefore as discussed before, prediction of time exponent  $n$  and  $T$  activation  $E_A$  implies precise determination of the underlying trap generation and trapping subcomponents for different HKMG

**Fig. 4.12** Correlation of measured and compact model predicted **a** power-law time exponent  $n$ , **b** Arrhenius  $T$  activation energy  $E_A$ , and **c** power-law field acceleration factor  $\Gamma_E$  for NBTI stress in different HKMG p-MOSFETs. Comparison has been done for different measurement delay. Lines represent 1:1 correlation



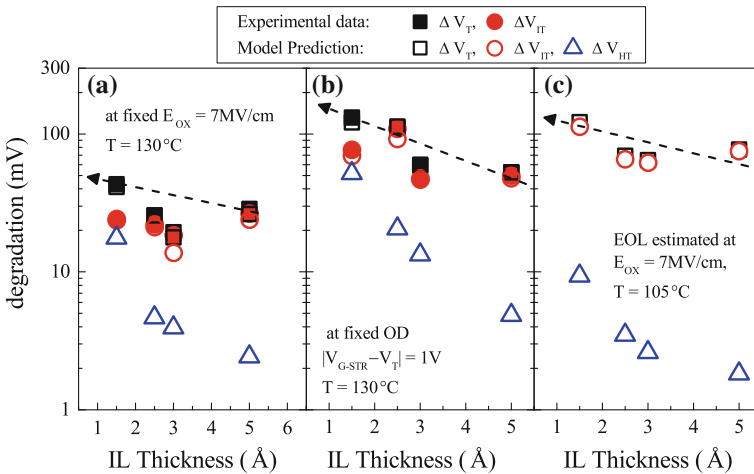
processes and stress conditions. This is achieved with only four process dependent adjustable parameters as listed in Table 4.7. The individual model subcomponents are validated next using direct measurements.

Figure 4.13a shows the correlation of voltage shift corresponding to interface trap generation measured using DCIV to the model calculated  $\Delta V_{IT}$  subcomponent for different HKMG devices mentioned in Table 4.4. Measured and modeled time evolution of  $\Delta V_{IT}$  is obtained at different stress  $E_{OX}$  and  $T$ , although their correlation in Fig. 4.13a is shown at fixed  $t_{STR}$ . As mentioned before, measured DCIV data are corrected for delay and band gap, refer to Chap. 2 for details. Excellent correlation is observed between measurements and theory across different HKMG devices, which verifies the correctness of the calculated trap generation subcomponent. Figure 4.13b shows the correlation of measured pre-stress trap density using flicker noise technique to fractional hole trapping ( $\Delta V_{HT}/\Delta V_T$ ) contribution calculated using the compact model for different HKMG devices. As mentioned before, increase in pre-stress trap density as measured using flicker noise for gate stacks having larger N content in the gate stack would result in higher hole trapping magnitude during NBTI stress. This is indicated by relatively larger fractional  $\Delta V_{HT}$  concentration shown in Fig. 4.13b, and validates the hole-trapping subcomponent of NBTI compact model.



**Fig. 4.13** Correlation of **a** trap generation (TG) measured using DCIV method after delay and band gap corrections and model prediction, and **b** pre-existing traps measured using flicker noise and calculated fractional hole trapping contribution, for NBTI stress in different HKMG p-MOSFETs. Lines represent **a** 1:1 correlation and **b** guide to eye

The EOT scaling of HKMG gate insulator stacks is of interest and is primarily achieved by IL thickness scaling, since High-K thickness scaling is detrimental from the viewpoint of increased gate leakage [33, 44]. The impact of IL thickness scaling on NBTI has been shown in Chap. 1. Figure 4.14 shows measured  $\Delta V_T$  and  $\Delta V_{IT}$  at fixed  $t_{STR}$  as a function of IL thickness, calculated at (a) fixed oxide field  $E_{OX}$  and



**Fig. 4.14** Impact of IL thickness scaling on UF-MSM measured  $\Delta V_T$  and DCIV measured  $\Delta V_{IT}$  after delay and band gap corrections, for NBTI stress in HKMG p-MOSFETs at **a** constant  $E_{OX}$  and **b** constant gate overdrive . Model calculated overall  $\Delta V_T$  and underlying  $\Delta V_{IT}$  and  $\Delta V_{HT}$  subcomponents are also shown. **c** IL thickness scaling impact on compact model calculated  $\Delta V_T$  and underlying  $\Delta V_{IT}$  and  $\Delta V_{HT}$  subcomponents at 10 years. Lines are guide to eye

(b) fixed overdrive bias ( $V_{G-STR} - V_{T0}$ ),  $V_{T0}$  being pre-stress  $V_T$ . As mentioned before, UF-MSM and DCIV measurements are, respectively, used for  $\Delta V_T$  and  $\Delta V_{IT}$ , the latter is obtained after delay and band gap corrections. Model calculated overall  $\Delta V_T$  and underlying  $\Delta V_{IT}$  and  $\Delta V_{HT}$  subcomponents are also shown; excellent agreement has been observed between measured and modeled  $\Delta V_T$  and  $\Delta V_{IT}$  data. Note that  $\Delta V_T$  at fixed  $E_{OX}$  increases as IL is scaled because of nitridation, refer to Table 4.4 for device details. However, increase in nitridation results in much larger relative increase in  $\Delta V_{HT}$  when compared  $\Delta V_{IT}$  as IL is scaled, refer to Fig. 4.14a. On the other hand, in addition to impact of  $N$ , increase in  $\Delta V_T$  at fixed gate overdrive is also due to increased  $E_{OX}$  as IL is scaled, as shown in Fig. 4.14b.

Once again, a relatively larger increase in  $\Delta V_{HT}$  is observed as nitridation is used for IL scaling. Therefore, similar to SiON data, N has larger impact on hole trapping than trap generation for HKMG devices as well. However unlike SiON devices, process variations causes variation in the Nitrogen content near the Si/IL interface for HKMG stacks, which impacts both  $\Delta V_{IT}$  and  $\Delta V_{HT}$  subcomponents. Figure 4.14c plots extrapolated  $\Delta V_T$  and underlying  $\Delta V_{IT}$  and  $\Delta V_{HT}$  subcomponents at EOL value of 10 years for HKMG devices having different EOT, calculated using the NBTI compact model of Table 4.1 with calibrated parameters. Since  $\Delta V_{HT}$  saturates quickly and only impacts short-time data,  $\Delta V_T$  at EOL is completely dominated by  $\Delta V_{IT}$  as shown. Therefore, the impact of hole trapping remains negligible at scaled EOT.

#### 4.4.2 Impact of Channel Material

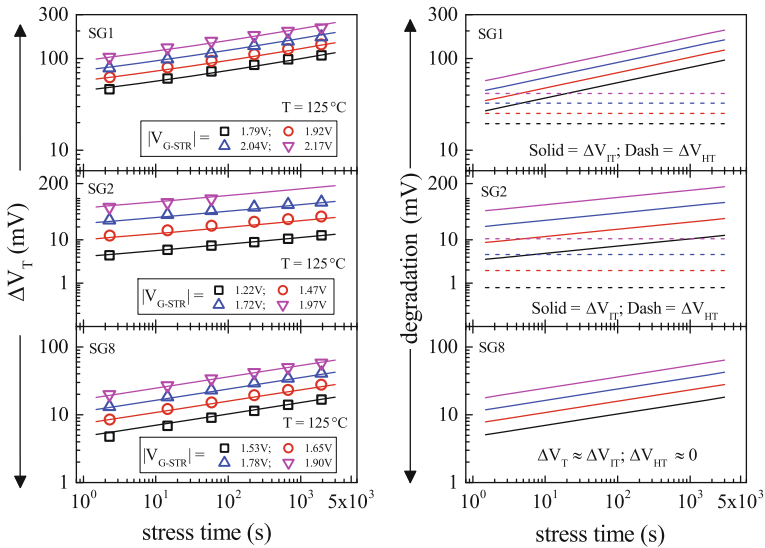
The compact model of Table 4.1 is also used to predict NBTI degradation in different SiGe channel based planar HKMG devices without and with Si cap, refer to Table 4.5 for device details [40, 41]. Time evolution of overall  $\Delta V_T$  is modeled using  $\Delta V_{IT}$  and  $\Delta V_{HT}$  subcomponents, since  $\Delta V_{OT}$  contribution has been found to be negligible in these devices [45]. Only three process dependent parameters have been used, i.e., interface trap generation and trapping pre-factors A and B as well as the field acceleration factor  $\Gamma_{IT}$  ( $=\Gamma_{HT}$ ), refer to Tables 4.1 and 4.8. The parameter  $E_{AKF}$  related to  $T$  activation has been found to be constant across devices due to the use of very similar HKMG gate insulator stacks, and the pre-factor C for  $\Delta V_{OT}$  is assumed to be negligible. Other fixed parameters are listed in Table 4.1, and identical values are used for Si and SiGe devices. As mentioned before, OSDD method has been used for  $\Delta V_T$  time evolution measurements in these devices.

Figure 4.15 plots the time evolution of measured [40] and modeled  $\Delta V_T$  in left panels, and underlying  $\Delta V_{IT}$  and  $\Delta V_{HT}$  subcomponents in right panels, for NBTI stress in Si capped SiGe devices having different Ge concentration; pure Si device is shown as reference. The process dependent adjustable parameters are listed in Table 4.8. SiGe devices show higher power-law field acceleration factor  $\Gamma_E$  compared to Si reference device [40]. NBTI degradation reduces with increased Ge% in the channel.  $\Delta V_{IT}$  contribution to overall  $\Delta V_T$  is much larger than  $\Delta V_{HT}$

**Table 4.8** SiGe process dependent NBTI compact model parameters

Device no.	A $\left(\frac{1}{\sqrt{\text{cm s}^{1/6}}}\right)$	B $\left(\frac{1}{\sqrt{\text{cm}}}\right)$	$\Gamma_{\text{IT}} = \Gamma_{\text{HT}} \left(\frac{\text{cm}}{\text{MV}}\right)$	$E_{\text{AKF}}$ (eV)
SG1	2.15E11	2.9E10	0.15	0.214
SG2	1.2E10	5E8	0.27	
SG3	9E9	5E6		
SG4	1.15E9	5E6		
SG5	2.7E9	5E6		
SG6	6.3E9	5E6		
SG7	2.1E10	1E9		
SG8	4.9E9	5E6		
SG9	4.4E11	0	0.14	
SG10	1.25E11	0	0.19	
SG11	1E11	0		
SG12	4.E10	0		

Due to the absence of temperature dependent SiGe data [40, 41], identical  $E_{\text{AKF}}$  is used for Si and SiGe devices



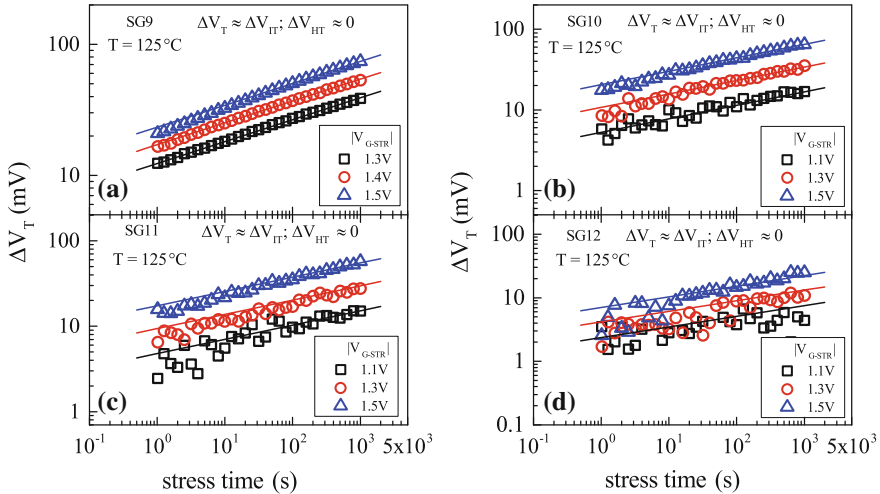
**Fig. 4.15** Time evolution of  $\Delta V_T$  from OSDD measurements and model prediction (*left panels*) and time evolution of calculated model subcomponents (*right panels*) for NBTI stress at different  $V_{\text{G-STR}}$  in Si and SiGe based HKMG p-MOSFETs with different Ge concentration. SiGe devices have Si cap. Experimental data (*symbols*) from [40], *lines* are model calculation

contribution across all devices, and interestingly, the  $\Delta V_{\text{HT}}$  contribution becomes negligible and hence  $\Delta V_{\text{IT}}$  dominates overall  $\Delta V_T$  as Ge concentration is increased beyond 50 %. Increased Ge concentration reduces the magnitude of  $\Delta V_{\text{IT}}$  and hence



that of  $\Delta V_T$ , although the power-law time exponent for time evolution of  $\Delta V_{IT}$  remains constant at  $n \sim 1/6$  across different devices as shown. Therefore, power-law time exponent of overall  $\Delta V_T$  becomes less than  $n \sim 1/6$  for Si and low Ge% SiGe devices owing to non-negligible but saturated  $\Delta V_{HT}$  contribution, although the  $n \sim 1/6$  dependence is seen for the high Ge% SiGe devices due to complete  $\Delta V_{IT}$  dominance. Note that an earlier analysis of these data suggested dominant  $\Delta V_{HT}$  contribution [40], because the  $\Delta V_{IT}$  subcomponent was obtained using CP measurement and is underestimated, since it was not corrected for measurement delay and band gap, refer to Chap. 2 for details [4].

Figure 4.16 shows time evolution of measured  $\Delta V_T$  for SiGe devices without Si cap [41] and prediction by the compact model [45]; the Si device is also shown as reference. The device dependent adjustable parameters are listed in Table 4.8. It is important to note that higher Ge% devices exhibit noise and variability in measured data, which is due to process variability as discussed in [41]. The data plotted in Fig. 4.16 especially for higher Ge% devices are obtained by averaging different measurements. Once again, NBTI degradation reduces with increased Ge% in the channel. Moreover, the power-law field acceleration factor  $\Gamma_E$  is large for SiGe devices without Si cap as compared to pure Si device, which is similar to the Si capped data shown before. However, note that  $\Delta V_T$  time evolution is completely dominated by  $\Delta V_{IT}$  and the  $\Delta V_{HT}$  subcomponent is negligible for these Si and SiGe

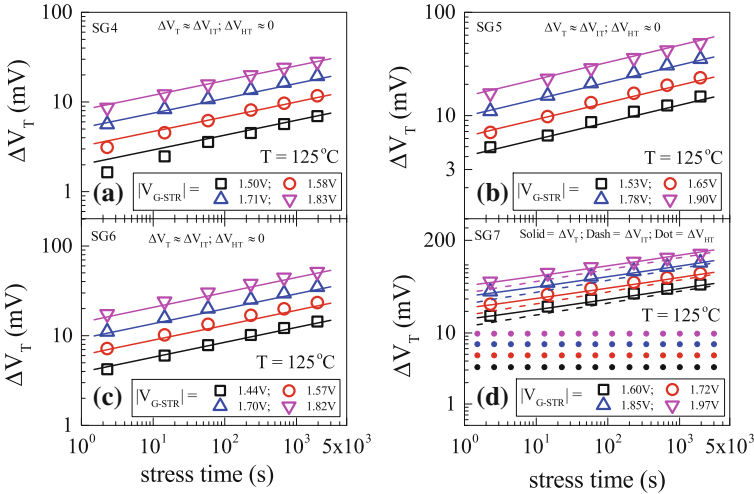


**Fig. 4.16** Time evolution of  $\Delta V_T$  from OSDD measurements and model prediction for NBTI stress at different  $V_{G-STR}$  in Si and SiGe based HKMG p-MOSFETs with different Ge concentration. SiGe devices do not have Si cap. Experimental data (*symbols*) from [41], *lines* are model calculation

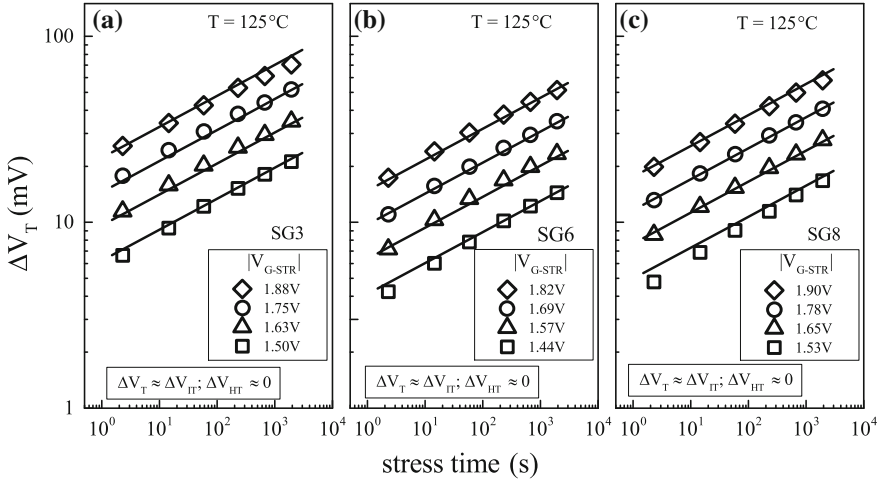
devices having different Ge concentration. Therefore, the  $\Delta V_T$  time evolution exhibits power-law dependence with exponent  $n \sim 1/6$ , although the magnitude of  $\Delta V_T$  reduces with increase in Ge concentration due to reduction in  $\Delta V_{IT}$  magnitude, which is again similar to the Si capped results shown before.

Figure 4.17 shows time evolution of measured  $\Delta V_T$  in Si capped SiGe devices having high Ge% but different Si cap thickness [40]. A reduction in NBTI degradation is observed with reduction in Si cap thickness. The compact model prediction is also shown [45]; adjustable parameters are listed in Table 4.8. Since these devices have high Ge concentration,  $\Delta V_{IT}$  completely dominates time evolution of  $\Delta V_T$  and  $\Delta V_{HT}$  is negligible, hence the subcomponents are not plotted, for all but the thickest Si cap device. Since  $\Delta V_{IT}$  dominates  $\Delta V_T$ , a power-law time dependence with exponent  $n \sim 1/6$  is observed for all but the thickest Si cap device. The time evolution of  $\Delta V_{IT}$  and  $\Delta V_{HT}$  subcomponents is shown for the thickest Si cap device. Although  $\Delta V_{HT}$  is not negligible for thickest Si cap device, its contribution is still significantly lower than that of  $\Delta V_{IT}$  as shown, and hence  $\Delta V_{IT}$  still dominates the time evolution of overall  $\Delta V_T$  especially at longer  $t_{STR}$ . However, no variation is observed in power-law field acceleration factor  $\Gamma_E$  for different Si cap thickness as shown in Table 4.8.

Figure 4.18 shows time evolution of measured  $\Delta V_T$  in Si capped SiGe devices having high Ge% but different SiGe quantum well (QW) thickness [40]. All devices



**Fig. 4.17** Time evolution of  $\Delta V_T$  from OSDD measurements and model prediction for NBTI stress at different  $V_{G-STR}$  in Si capped SiGe based HKMG p-MOSFETs having different Si cap thickness. All devices, except the one with thickest Si cap, are modeled only using  $\Delta V_{IT}$  subcomponent. The  $\Delta V_{IT}$  and  $\Delta V_{HT}$  subcomponents for the thickest Si cap device are shown. Experimental data (*symbols*) from [40], *lines* are model calculation

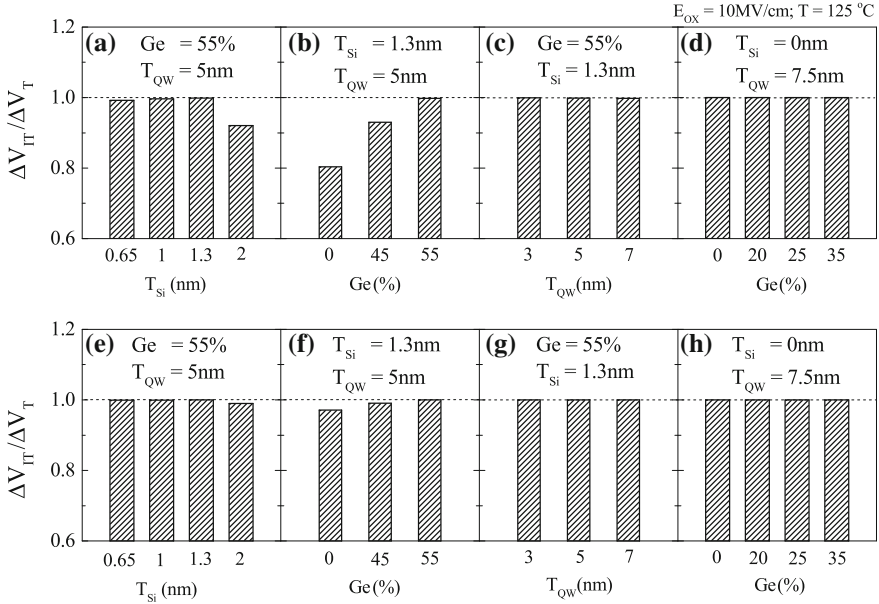


**Fig. 4.18** Time evolution of  $\Delta V_T$  from OSDD measurements and model prediction for NBTI stress at different  $V_{G-STR}$  in Si capped SiGe based HKMG p-MOSFETs with different SiGe quantum well thickness. Experimental data (symbols) from [40], lines are model calculation

have identical moderately thick Si cap. Compact model prediction is shown; adjustable model parameters are listed in Table 4.8. Since these devices have high Ge concentration and not very thick Si cap,  $\Delta V_{IT}$  completely dominates time evolution of  $\Delta V_T$  and  $\Delta V_{HT}$  is found to be negligible. Although the magnitude of  $\Delta V_{IT}$  and hence that of  $\Delta V_T$  reduces with increase in QW thickness, the power-law field acceleration  $\Gamma_E$  and time exponent  $n$  ( $\sim 1/6$ ) remain unchanged as shown.

The relative contribution of  $\Delta V_{IT}$  and  $\Delta V_{HT}$  subcomponents to overall  $\Delta V_T$  for different SiGe processes is of interest. Figure 4.19 plots  $\Delta V_{IT}$  contribution normalized to overall  $\Delta V_T$ , calculated at fixed  $E_{OX}$  for different Si and SiGe devices at (a–d) short  $t_{STR}$  and (e–h)  $t_{STR}$  of 10 years corresponding to end-of-life (EOL) degradation. The compact model shown in Table 4.1 is used for this calculation; model parameters are calibrated by prediction of measured data at different stress  $E_{OX}$ . A  $\Delta V_{IT}/\Delta V_T$  value of 1 implies complete  $\Delta V_{IT}$  domination, a value lower than 1 implies non-negligible  $\Delta V_{HT}$  contribution.

Note that depending on gate insulator process, pure Si devices show [40] and do not show [41]  $\Delta V_{HT}$  contribution.  $\Delta V_T$  for SiGe devices without Si cap is completely dominated by  $\Delta V_{IT}$  for different Ge concentration, and is also due to the particular gate insulator process. At shorter  $t_{STR}$ , SiGe devices with Si cap shows non-negligible  $\Delta V_{HT}$  contribution only for lower Ge% or higher Si cap thickness;  $\Delta V_{IT}$  completely dominates  $\Delta V_T$  for all other process conditions leading to higher Ge surface concentration. However since  $\Delta V_{HT}$  saturates at long time, EOL degradation is dominated by  $\Delta V_{IT}$  for all devices as shown, which is similar to the HKMG process impact data shown earlier in this chapter.

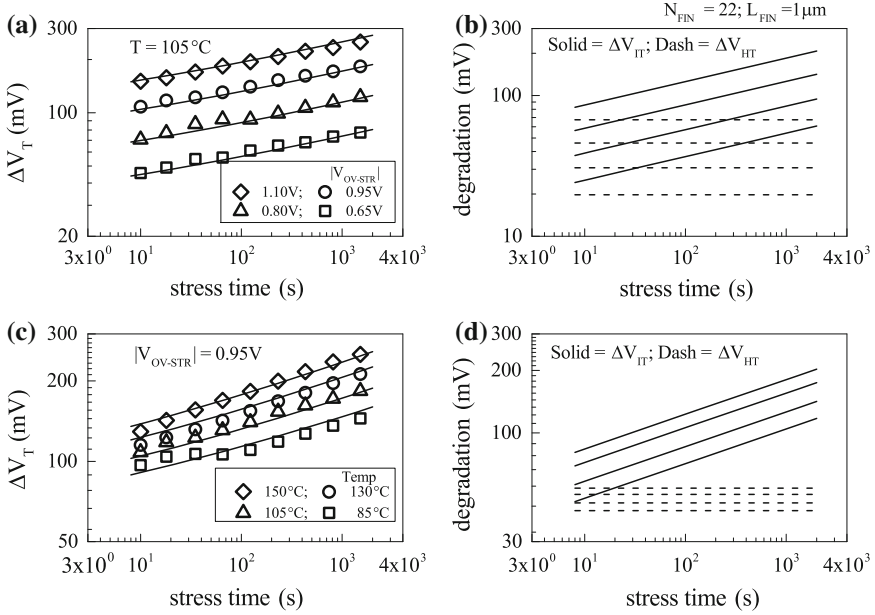


**Fig. 4.19** Compact model calculated fractional contribution by generated interface traps ( $\Delta V_{IT}/\Delta V_T$ ) at (*top panels*) short time and (*bottom panels*) end-of-life value of 10 years, for different Si and SiGe based HKMG p-MOSFETs listed in Table 4.5

#### 4.4.3 Impact of Channel Orientation (*FinFETs*)

The compact model shown in Table 4.1 has also been used to predict NBTI degradation in Si channel based FinFETs with Replacement Metal Gate (RMG) HKMG gate insulator stacks. Devices with different channel length ( $L_{FIN}$ ) and number of fins ( $N_{FIN}$ ) are used. Measured time evolution of  $\Delta V_T$  at different stress  $E_{OX}$  and  $T$  can be modeled using interface trap generation  $\Delta V_{IT}$  and hole trapping  $\Delta V_{HT}$  subcomponents. As mentioned before, the bulk trap generation subcomponent  $\Delta V_{OT}$  is found to be negligible in these devices due to the use of HKMG gate insulators.

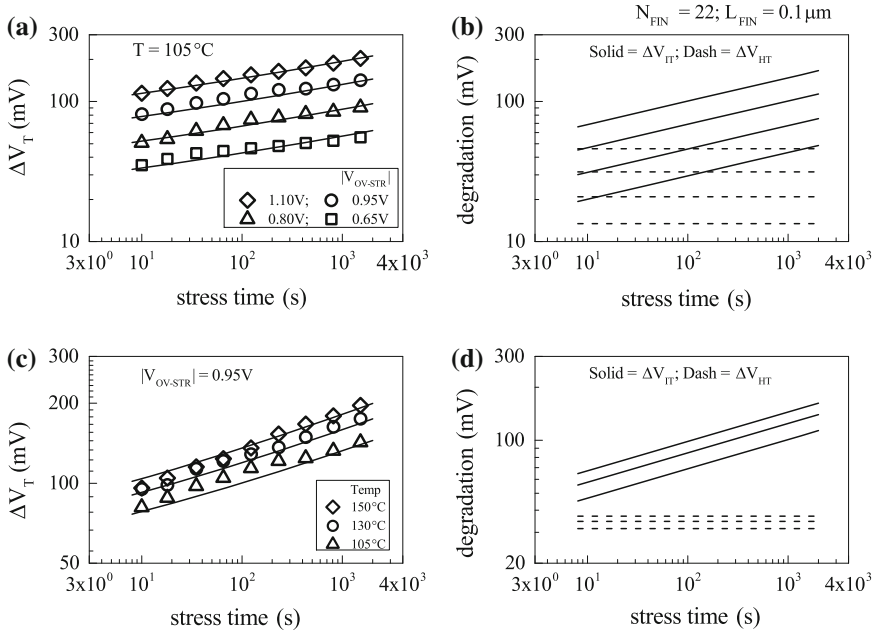
Figures 4.20 and 4.21 show time evolution of measured  $\Delta V_T$  for  $L_{FIN} = 1 \mu\text{m}$  and  $L_{FIN} = 100 \text{nm}$  devices respectively, for NBTI stress at (a) different  $V_{G-STR}$  but fixed  $T$  and (b) different  $T$  but fixed  $V_{G-STR}$ . Mobility corrected OSDD measurements are done at higher  $V_{G-SNS}$  to reduce recovery. Both devices have identical  $N_{FIN} = 22$ . The compact model prediction of overall  $\Delta V_T$  is also shown in panels (a) and (b), and the time evolution of underlying  $\Delta V_{IT}$  and  $\Delta V_{HT}$  subcomponents is shown for variation in (c)  $V_{G-STR}$  and (d) stress  $T$ . The model can predict measured data reasonably well, and  $\Delta V_T$  time evolution is dominated by  $\Delta V_{IT}$  especially at long  $t_{STR}$ . Similar prediction of measured data is obtained for other combinations of  $V_{G-STR}$  and  $T$  and in FinFETs having different  $N_{FIN}$ , not explicitly shown here for brevity.



**Fig. 4.20** Time evolution of  $\Delta V_T$  from mobility corrected OSDD measurements at higher  $|V_{G-SNS}|$  and model prediction (*left panels*) and time evolution of model subcomponents (*right panels*) for NBTI stress at different  $V_{G-STR}$  and  $T$  in long channel HKMG p-FinFETs. *Symbols* measured data, *lines* model calculation

The  $L_{FIN}$  and  $N_{FIN}$  dependence of adjustable parameters are listed in Table 4.9. Measured  $\Delta V_T$  time evolution can be predicted using only two adjustable parameters  $A$  and  $B$  corresponding to the pre-factors for  $\Delta V_{IT}$  and  $\Delta V_{HT}$  subcomponents, respectively. Other adjustable parameters  $\Gamma_{IT}$  ( $=\Gamma_{HT}$ ) and  $E_{AKF}$  are kept fixed for different device dimensions due to the use of identical HKMG gate insulator process. Note that  $A$  and  $B$  reduce with reduction in  $L_{FIN}$ , however the relative ratio of trap generation and trapping remains constant across different  $L_{FIN}$  as expected. Moreover, negligible change is observed in parameters  $A$  and  $B$  with variation in  $N_{FIN}$  as shown.

Figure 4.22a shows time evolution of  $\Delta V_T$  at fixed  $V_{G-STR}$  and  $T$ , measured for NBTI stress in multiple small area FinFETs with  $L_{FIN} = 28$  nm and  $N_{FIN} = 2$ . It is now well known that small-area devices show variable BTI degradation [46, 47], and results in distribution of  $\Delta V_T$  magnitude and time exponent  $n$  as shown. The statistical aspects of NBTI degradation in these small-area devices are discussed in [42]. Figure 4.22b plots the time evolution of mean  $\Delta V_T$  obtained by averaging measured data plotted in panel (a), and also shows overall model prediction and underlying  $\Delta V_{IT}$  and  $\Delta V_{HT}$  subcomponents. Only the pre-factors  $A$  and  $B$  are adjusted, while  $\Gamma_{IT}$  ( $=\Gamma_{HT}$ ) and  $E_{AKF}$  are kept identical to larger area devices, refer to Table 4.9. Note that overall  $\Delta V_T$  and hence the pre-factors  $A$  for  $\Delta V_{IT}$  and  $B$  for  $\Delta V_{HT}$  reduce as  $L_{FIN}$  is reduced and is consistent with larger area data. However, the ratio of  $A$  and  $B$ , i.e.,



**Fig. 4.21** Time evolution of  $\Delta V_T$  from mobility corrected OSDD measurements at higher  $|V_{G-SNS}|$  and model prediction (*left panels*) and time evolution of model subcomponents (*right panels*) for NBTI stress at different  $V_{G-STR}$  and  $T$  in short channel HKMG p-FinFETs. *Symbols* measured data, *lines* model calculation

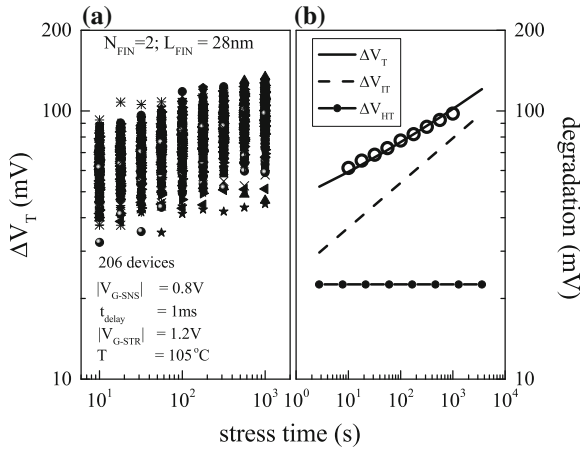
**Table 4.9** NBTI compact model parameters for HKMG p-FinFETs, and compact model calculated fractional contribution by generated interface traps ( $\Delta V_{IT}/\Delta V_T$ ) at short time and at 10 years

$N_{FIN}$	$L_{FIN}$ ( $\mu m$ )	$A \left( \frac{1}{V_{cm} s^{1/6}} \right)$	$B \left( \frac{1}{V_{cm}} \right)$	$\Delta V_{IT}/\Delta V_T @ 1 \text{ Ks}$	$\Delta V_{IT}/\Delta V_T @ 10 \text{ years}$
2	0.028	3.5E11	5E10	0.79	0.97
22	0.1	4.8E11	7.5E10	0.78	0.97
	1	6E11	1.1E11	0.75	0.96
4	0.2	4.6E11	9E10	0.74	0.96
20		5.3E11	9E10	0.76	0.96
220		5.8E11	9E10	0.78	0.97

Note,  $\Gamma_{IT}$  ( $=\Gamma_{HT}$ ) and  $E_{AKF}$  values are same as SG1 silicon device (Table 4.8)

the relative contribution of trap generation and trapping for small area very short channel devices remains similar to that observed for large area long and short channel devices. This is expected due to the use of identical HKMG process.

Table 4.9 also shows  $\Delta V_{IT}/\Delta V_T$  fraction for FinFETs having different  $L_{FIN}$  and  $N_{FIN}$ , calculated using the calibrated compact model at short and long  $t_{STR}$  and at a particular  $E_{OX}$  and  $T$ . It is important to note that although  $\Delta V_{IT}$  dominates,  $\Delta V_{HT}$  is



**Fig. 4.22** Time evolution of  $\Delta V_T$  using OSDD measurements in multiple small-area HKMG p-FinFETs, for NBTI stress at fixed  $V_{G-STR}$  and  $T$  (*left panel*). Time evolution of measured mean  $\Delta V_T$ , and compact model calculated  $\Delta V_T$  and underlying  $\Delta V_{IT}$  and  $\Delta V_{HT}$  subcomponents (*right panel*). Identical  $V_{G-SNS}$  is used as large area devices. *Symbols* measured data, *lines* model calculation

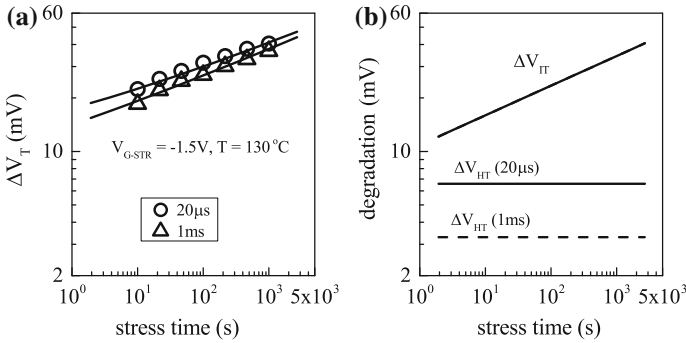
not negligible especially at shorter  $t_{STR}$ , and hence  $\Delta V_{IT}/\Delta V_T < 1$ . Note that identical  $\Delta V_{IT}/\Delta V_T$  ratio is observed for all devices as expected. However,  $\Delta V_{HT}$  saturates quickly and therefore the long-time  $\Delta V_T$  is completely dominated by  $\Delta V_{IT}$  as shown. Therefore, similar to planar Si and SiGe devices, NBTI degradation in FinFETs at EOL is also dominated by generation of interface traps; hole trapping in pre-existing defects have relatively minor contribution.

## 4.5 Process Impact on NBTI Parameters

In this section, impact of different gate insulator processes on NBTI parameters at long stress time; i.e., power-law time exponent ( $n$ ), Arrhenius temperature activation ( $E_A$ ) and power-law oxide field acceleration ( $\Gamma_E$ ), is explored. Moreover, various assumptions mentioned earlier to achieve compactness of the proposed NBTI model are also verified.

### 4.5.1 Time Exponent

Figure 4.23a plots the time evolution of UF-MSM measured  $\Delta V_T$  for different measurement delay in Si planar HKMG p-MOSFETs subjected to identical NBTI stress. As discussed in Chap. 1, Fig. 1.21, BTI degradation starts to recover as soon



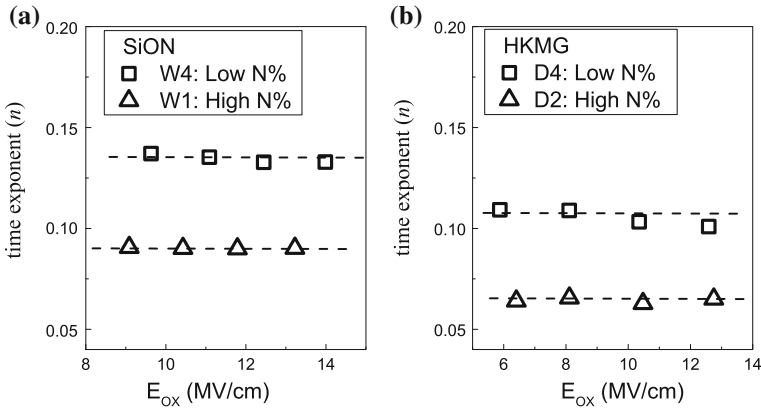
**Fig. 4.23** Time evolution of (a) MSM measured  $\Delta V_T$  for different measurement delay for NBTI stress in HKMG p-MOSFETs and model prediction, (b) underlying  $\Delta V_{IT}$  and  $\Delta V_{HT}$  subcomponents. *Symbols* measured data, *lines* model calculation

as the stress is interrupted for measurement, and larger measurement delay exhibits lower  $\Delta V_T$  magnitude and higher power-law time exponent  $n$ , refer to Chap. 2 for additional details. The compact model calculation is also shown, and  $\Delta V_T$  time evolution for different delay can be predicted by identical trap generation but different trapping subcomponents, plotted in Fig. 4.23b. As shown later in Chap. 6, the initial part of NBTI recovery is dominated by hole detrapping, so MSM measurement with larger delay would capture less trapped holes and vice versa. Therefore, MSM measured  $\Delta V_T$  time evolution at different delay can be predicted using same  $\Delta V_{IT}$  but different  $\Delta V_{HT}$  subcomponents. Note that  $\Delta V_{HT}$  saturates at longer  $t_{STR}$  and  $\Delta V_{IT}$  shows power-law time dependence with  $n \sim 1/6$ . Therefore, larger  $\Delta V_{HT}$  at smaller delay results in lower  $n$  of overall  $\Delta V_T$  and vice versa as shown.

Note that although measurement delay has identical impact on MSM and OTF measurements, they are caused by different mechanisms as discussed in Chap. 2. It can be seen from Fig. 4.2 that larger  $t_0$  delay for OTF measurements also results in lower  $\Delta V_T$  magnitude and higher time exponent  $n$ . Since OTF technique measures degradation without interruption of stress, it does not suffer from recovery issues similar to the MSM method. However, the magnitude of degradation captured by OTF method at the initiation of stress depends on  $t_0$  delay. Since early degradation is primarily caused by hole trapping, refer to Chap. 6,  $\Delta V_T$  time evolution at different  $t_0$  delay can be modeled using same  $\Delta V_{IT}$  but different  $\Delta V_{HT}$  subcomponents as shown in Fig. 4.2. Once again, as  $\Delta V_{HT}$  saturates at longer  $t_{STR}$ , a relatively larger  $\Delta V_{HT}$  contribution captured using OTF method for smaller  $t_0$  delay, when added to  $\Delta V_{IT}$  time evolution having  $n \sim 1/6$ , results in lower  $n$  of overall  $\Delta V_T$  as shown.

Figure 4.24 plots power-law time exponent  $n$  calculated from  $\Delta V_T$  time evolution data by linear regression in  $t_{STR}$  range of 10 s to 1 Ks, versus stress oxide field  $E_{OX}$ , for (a) SiON and (b) HKMG devices having different  $N$  content in gate stack. As mentioned before, SiON data are measured using OTF and HKMG data using UF-MSM method. Note that both SiON and HKMG devices having higher  $N$  content show lower time exponent  $n$ . As mentioned earlier in this chapter and also

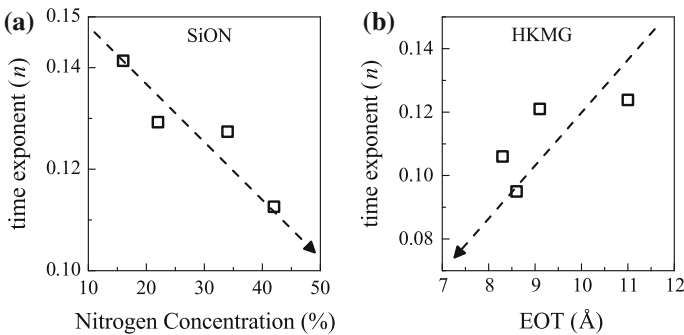




**Fig. 4.24** Measured power-law time exponent  $n$  at long  $t_{STR}$  for NBTI stress using different  $E_{OX}$  in **a** SiON and **b** HKMG p-MOSFETs having different N content in the gate insulator stack. Symbols measured data, lines guide to eye

in Chap. 2, pre-stress flicker noise results in larger trap density in nitrated gate stacks, and results in larger hole trapping subcomponent  $\Delta V_{HT}$  during NBTI stress. Therefore, a relatively larger saturated  $\Delta V_{HT}$  contribution, when added to time evolution of  $\Delta V_{IT}$  having  $n \sim 1/6$  power-law time dependence, lowers the time exponent  $n$  of overall  $\Delta V_T$  for nitrated devices as shown. This once again verifies that hole trapping and trap generation are two mutually independent subcomponents and the former saturates at longer stress time.

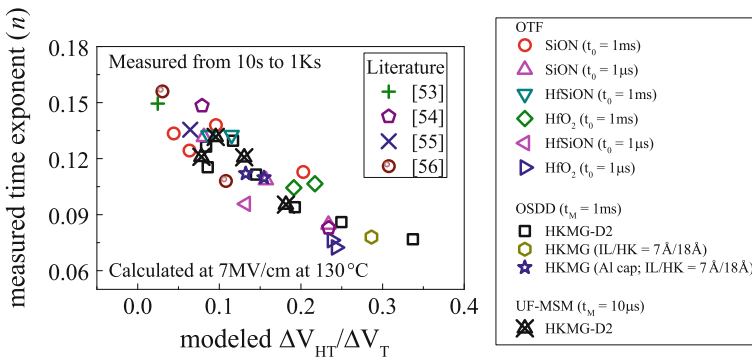
The correlation of N concentration in the gate stack and NBTI time exponent is further verified for SiON and HKMG devices. Figure 4.25a shows time exponent obtained using linear regression of OTF measured  $\Delta V_T$  time evolution in  $t_{STR}$  range of 10 s to 1 Ks, as a function of N concentration in different plasma nitrated SiON devices [38]. N concentration is measured using X-ray Photoelectron Spectroscopy



**Fig. 4.25** Measured power-law time exponent  $n$  at long  $t_{STR}$  for NBTI stress in **a** SiON p-MOSFETs having different N content in the gate insulator stack, and **b** HKMG p-MOSFETs having different IL thickness. Symbols measured data, lines guide to eye

(XPS) technique [48]. Note that measured  $n$  reduces with increase in N concentration. Figure 4.25b shows time exponent obtained using linear regression of MSM measured  $\Delta V_T$  time evolution in  $t_{STR}$  range of 10 s to 1 Ks, as a function of EOT of the gate stack for HKMG devices. EOT is estimated using Capacitance-Voltage (CV) method after necessary corrections [49]. As discussed earlier, refer to Table 4.4, EOT scaling is achieved either by nitridation after HK deposition or by using nitrided IL, therefore, EOT scaling also leads to reduction in time exponent  $n$  as shown. It has been shown using flicker noise method in SiON [43] and HKMG [33] p-MOSFETs that gate stacks with higher N concentration show higher pre-existing traps, and would result in higher hole trapping subcomponent  $\Delta V_{HT}$  during NBTI stress. As discussed before, a relatively larger  $\Delta V_{HT}$  contribution that saturates at longer  $t_{STR}$ , when added to  $\Delta V_{IT}$  that continues to evolve with power-law time exponent  $n \sim 1/6$ , reduces time exponent  $n$  of overall  $\Delta V_T$ . Once again, this verifies the uncoupled nature of trap generation and trapping subcomponents of NBTI degradation.

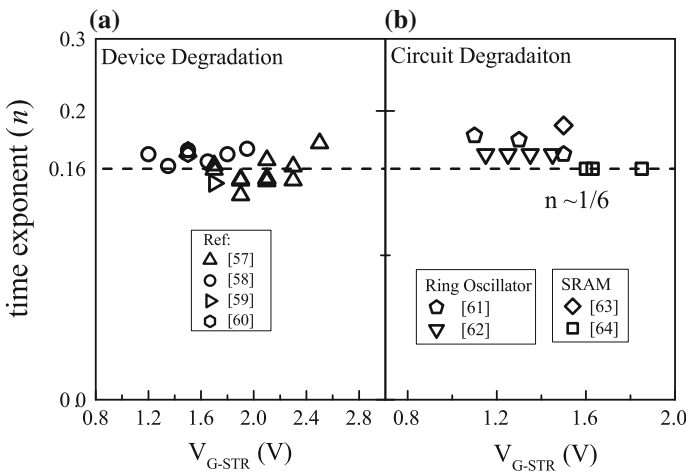
The impact of hole trapping on long-time exponent is further validated using a larger set of data; refer to [50] for additional details. Figure 4.26 plots the correlation of measured time exponent  $n$  and calculated fractional hole trapping contribution ( $\Delta V_{HT}/\Delta V_T$ ) for various SiON and HKMG devices subjected to NBTI stress. Time exponent is calculated using linear regression of measured  $\Delta V_T$  time evolution in  $t_{STR}$  range of 10 s to 1 Ks. The calibrated compact model shown earlier using Table 4.1 is used to calculate  $\Delta V_{HT}$  and  $\Delta V_T$  at fixed  $E_{OX}$  and  $T$ , and a large  $t_{STR}$  is used to capture saturated  $\Delta V_{HT}$  magnitude. SiON and HKMG-A devices are listed earlier in Tables 4.3 and 4.4, respectively. HKMG-B and HKMG-C devices respectively have Si and SiGe channels, and both have Aluminum capped HKMG stacks and are listed in [50]. HKMG-D devices use HfO<sub>2</sub> and Hafnium Silicate (HfSiO) HKMG stacks, refer to [51] for device details. UF-OTF method is used for SiON and HKMG-D, UF-MSM for HKMG-A, and OSDD for HKMG-B and HKMG-C devices to obtain  $\Delta V_T$  time evolution. Moreover, published data from



**Fig. 4.26** Correlation of measured power-law time exponent  $n$  at long  $t_{STR}$  to compact model calculated fractional hole trapping contribution ( $\Delta V_{HT}/\Delta V_T$ ) for NBTI stress in different SiON and HKMG devices

other reports [4, 52, 53, 54, 55] are also analyzed and plotted. An exceptional universality is observed for different devices and measurements, which unequivocally establishes that increase in fractional hole trapping contribution reduces the long-time power-law time exponent  $n$  of overall  $\Delta V_T$ , which is due to saturation of  $\Delta V_{HT}$  at long stress time. This also verifies uncorrelated nature of NBTI subcomponents.

Finally, note that the interface trap generation subcomponent shows power-law time dependence with time exponent  $n \sim 1/6$ , refer to Chap. 3 for additional details. As established above, the hole-trapping subcomponent saturates very early, and is strongly impacted by the quality of gate insulator stack. Moreover, owing to large voltage acceleration, the bulk trap generation subcomponent is negligible unless very large  $V_{G-STR}$  is used for stress. Therefore, for well-processed devices and circuits, only the interface trap generation component would dominate overall NBTI degradation at moderate level of stress bias and longer stress time. As a validation, Fig. 4.27a shows  $V_{G-STR}$  dependence of power-law time exponent extracted from long-time  $\Delta V_T$  time evolution measurements in individual transistors [56–59], and Fig. 4.27b shows  $V_{G-STR}$  dependence of power-law time exponent extracted from time evolution of Ring Oscillator frequency degradation [60, 61] and SRAM  $V_{MIN}$  shift [62, 63] measurements in circuits. It is important to remark that the universal  $n \sim 1/6$  time exponent is observed across such large variety of devices and circuits and also across different industries [18]. This confirms that long-time NBTI degradation is dominated by interface trap generation and shows power-law time dependence with a time exponent of  $n \sim 1/6$ , which is readily predicted by H/H<sub>2</sub> Reaction-Diffusion (RD) model [5, 10]; refer to Chap. 5 for further details.

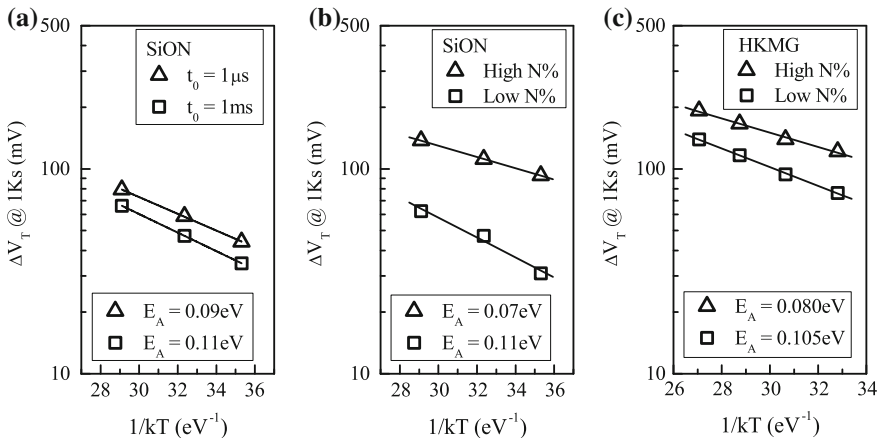


**Fig. 4.27** Measured power-law time exponent  $n$  at long  $t_{STR}$  for NBTI stress in **a** p-MOSFETs across various technologies and **b** different type of circuits. *Symbols* measured data, *lines* guide to eye

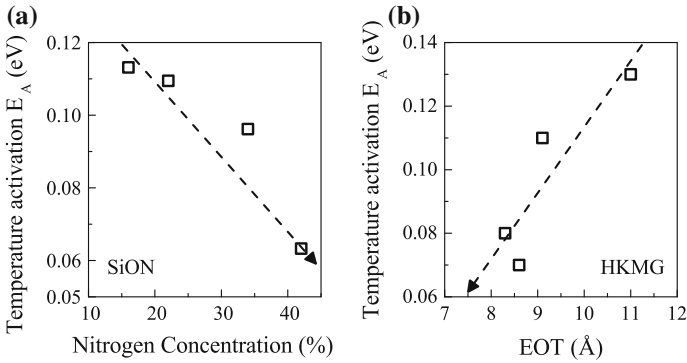
### 4.5.2 Temperature Activation

Figure 4.28 shows measured  $\Delta V_T$  at fixed NBTI stress time  $t_{STR}$  as a function of stress temperature  $T$ , for SiON and HKMG devices. SiON devices are measured using OTF method having different  $t_0$  delay, Fig. 4.28a, and UF-OTF method is also used to measure SiON devices having different  $N$  content in gate insulator stack, Fig. 4.28b. UF-MSM method is used to study HKMG devices having different  $N$  content in gate insulator stack, Fig. 4.28c. Note that higher  $\Delta V_T$  magnitude and lower  $T$  activation energy  $E_A$  are observed for faster OTF measurements and for SiON and HKMG devices having higher  $N$  content. As mentioned earlier, these situations favor relatively larger hole trapping subcomponent  $\Delta V_{HT}$ , which is presumed to have lower  $T$  activation compared to trap generation subcomponent  $\Delta V_{IT}$ , refer to Table 4.1 for details. Therefore, larger fractional  $\Delta V_{HT}$  contribution reduces  $T$  activation of overall  $\Delta V_T$  for faster measurements and for devices having higher  $N$  content as shown, and once again, verifies the uncorrelated nature of trap generation and trapping.

The correlation of temperature activation energy and  $N$  concentration is further validated for SiON and HKMG devices. Figure 4.29 shows temperature activation energy  $E_A$  for (a) SiON devices having different  $N$  content and (b) HKMG devices with EOT scaling achieved by increased  $N$  concentration in the gate stack. Once again,  $T$  activation is obtained from  $\Delta V_T$  measured at fixed  $t_{STR}$ , using UF-OTF method for SiON and UF-MSM for HKMG devices. As shown earlier in Fig. 4.25, increased  $N\%$  for SiON and EOT scaling for HKMG gate stacks result in higher fractional  $\Delta V_{HT}$  contribution. Since hole trapping has lower  $T$  activation compared to trap generation, relatively larger  $\Delta V_{HT}$  reduces  $T$  activation of overall  $\Delta V_T$  for



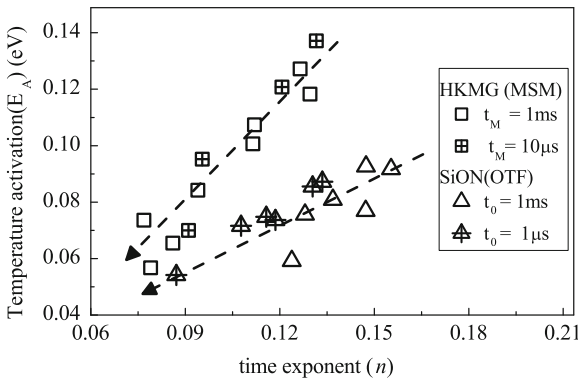
**Fig. 4.28** Measured  $\Delta V_T$  at fixed stress time for NBTI stress at different  $T$ , in **a** SiON p-MOSFETs for different OTF time-zero delay and in **b** SiON, and **c** HKMG p-MOSFETs having different  $N$  content in the gate insulator stack. *Symbols* measured data, *lines* model calculation



**Fig. 4.29** Measured Arrhenius  $T$  activation energy  $E_A$  at fixed stress time for NBTI stress in **a** SiON p-MOSFETs having different  $N$  content in gate insulator stack, and **b** HKMG p-MOSFETs having different IL thickness. *Symbols* measured data, *lines* guide to eye

higher  $N\%$  SiON and lower EOT HKMG devices. Once again, this validates the model assumption of lower  $T$  activation for the hole trapping subcomponent.

As discussed before, hole trapping saturates at longer  $t_{STR}$  and results in lower power-law time exponent  $n$  for time evolution of overall  $\Delta V_T$  in situations involving relatively larger  $\Delta V_{HT}$  contribution, such as faster NBTI measurement and for gate stacks having higher  $N$  content. Moreover as shown above, hole trapping also shows lower  $T$  activation and reduces  $E_A$  of overall  $\Delta V_T$  for these situations. The similarity is further illustrated in Fig. 4.30, showing the correlation of time exponent  $n$  and  $T$  activation  $E_A$  for SiON devices with different  $N$  content and HKMG devices having different EOT achieved by increased  $N$  content in the gate stack. Time exponent  $n$  is obtained using linear regression of  $\Delta V_T$  time evolution data in

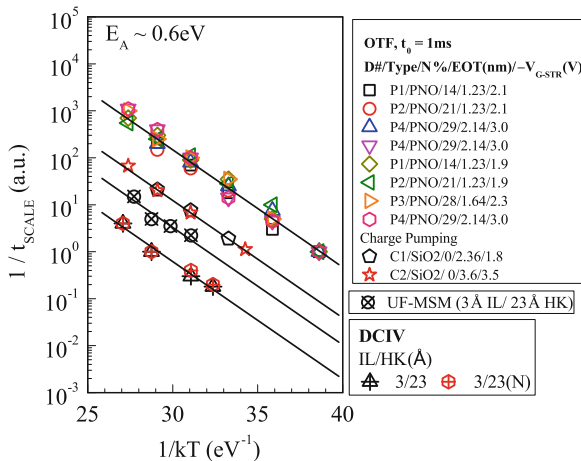


**Fig. 4.30** Correlation of long-time power-law time exponent  $n$  to Arrhenius  $T$  activation energy  $E_A$  for different measurement delay, for NBTI stress in different SiON and HKMG p-MOSFETs. *Symbols* measured data, *lines* guide to eye

$t_{STR}$  range of 10 s to 1 Ks, and  $T$  activation is obtained at fixed  $t_{STR}$ . OTF method with different  $t_0$  delay is used for SiON, while MSM method with different measurement delay is used for HKMG devices. As expected,  $n$  and  $E_A$  of overall  $\Delta V_T$  are nicely correlated for both SiON and HKMG devices and for different measurement delay. However, the correlation line has been found to be different between SiON and HKMG devices, due to higher  $T$  activation energy  $E_{AKF}$  associated with the  $\Delta V_{IT}$  subcomponent for HKMG devices as shown earlier in the chapter, refer to Tables 4.6 and 4.7.

According to the RD model discussed in detail in Chap. 5,  $\Delta V_{IT}$  time evolution at longer stress time is governed by molecular  $H_2$  diffusion and shows power-law time dependence with exponent  $n \sim 1/6$  [10] and  $T$  activation  $E_{ADH2} \sim 0.6$  eV [64]. It can be observed from Table 4.1 that for situations where  $E_{AKF}$  is similar to  $E_{AKR}$ , i.e., Si-H bond dissociation and passivation are similarly activated; the temperature activation of  $\Delta V_{IT}$  at a fixed  $t_{STR}$  would be given by  $E_{AIT} = E_{ADH2}/6$ . On the other hand, temperature activation of the time to reach a particular  $\Delta V_{IT}$  magnitude at different  $T$  would be equal to  $E_{ADH2}$ . Therefore, time evolution of  $\Delta V_{IT}$  obtained at different stress  $T$  and plotted in a log-log plot can be scaled along time or  $X$ -axis to merge with each other, and the scale factor ( $t_{SCALE}$ ) can be determined at every  $T$ ; the temperature activation of  $1/t_{SCALE}$  would be equal to  $E_{ADH2}$ . For situations when  $\Delta V_{HT}$  is negligible, such as low N% devices, relatively slower measurement, long  $t_{STR}$ , and  $\Delta V_{OT}$  is also negligible such as not too large  $V_{G-STR}$ ,  $\Delta V_T$  would be dominated by  $\Delta V_{IT}$ , and a similar exercise involving  $\Delta V_T$  time evolution data at different stress  $T$  would also provide  $E_{ADH2}$ .

Figure 4.31 shows  $T$  activation of  $1/t_{SCALE}$  calculated from  $\Delta V_T$  time evolution measured in pure  $SiO_2$  as well as different plasma nitrated SiON devices with low



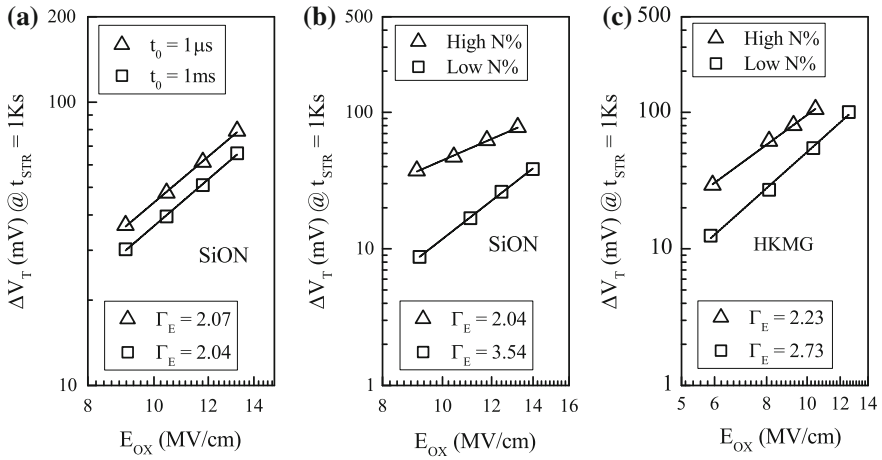
**Fig. 4.31** T activation of time to reach a particular degradation for  $SiO_2$ , SiON, and HKMG p-MOSFETs under NBTI stress, measured using OTF  $I_{DLIN}$ , CP, and DCIV methods (symbols). CP and DCIV data are plotted after delay and band gap corrections. Lines are fit to data

N content in the gate insulator stack. Measurements are performed using  $t_0 = 1$  ms OTF method and moderate  $V_{G-STR}$  is used for stress, ensuring negligible contribution from  $\Delta V_{HT}$  and  $\Delta V_{OT}$ , respectively; hence  $\Delta V_T$  is dominated by  $\Delta V_{IT}$ . Similar data are also shown for HKMG devices with low N content, measured using MSM method for stress at moderate  $V_{G-STR}$ . Moreover, direct  $\Delta V_{IT}$  time evolution measurements are done using CP in  $\text{SiO}_2$  devices and using DCIV in HKMG devices, and the corresponding  $T$  activation values are also shown. It is important to note that a remarkable consistency in  $T$  activation of  $1/t_{SCALE}$  is observed for such diverse set of devices and measurement conditions, and obtained  $E_A$  is consistent with that reported for molecular  $\text{H}_2$  diffusion [64], which is also consistent with observed power-law time evolution with exponent  $n \sim 1/6$  at long stress time. This verifies the time and  $T$  dependence of  $\Delta V_{IT}$  subcomponent of the compact model. Refer to Chap. 6 for further discussion in this topic.

### 4.5.3 Field Acceleration

The oxide field dependence of interface trap generation and hole trapping comes from inversion layer holes tunneling to Si–H bonds and pre-existing traps respectively [10], and therefore is related to the product of inversion hole density ( $\sim E_{OX}$ ) and its tunneling probability ( $\sim \exp \cdot (\Gamma \cdot E_{OX})$ ) as shown in Table 4.1 [57]. Identical field acceleration factor is assumed for trap generation ( $\Gamma_{IT}$ ) and trapping ( $\Gamma_{HT}$ ), as they occur close to the channel and gate insulator interface [4, 10]. However for simplicity and without loss of generality, power-law  $E_{OX}$  dependence with acceleration factor  $\Gamma_E$  is often used, as shown elsewhere in the book. Bulk trap generation depends on stress gate voltage and has power-law dependence [5], however, this component is often negligible as discussed earlier in this chapter. Hence in most situations, interface trap generation and hole-trapping processes determine field acceleration for overall  $\Delta V_T$ . It is important to study the impact of gate insulator process on  $E_{OX}$  dependence, as it determines the extrapolation of degradation from stress to use condition.

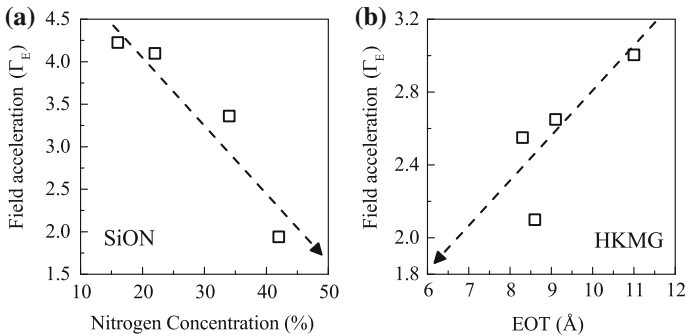
Figure 4.32 shows measured  $\Delta V_T$  for NBTI stress at fixed  $t_{STR}$  as a function of stress oxide field  $E_{OX}$  for SiON and HKMG devices. SiON devices are measured using OTF method having different  $t_0$  delay, Fig. 4.32a, and UF-OTF method is used to measure for SiON devices with different N content in gate insulator stack, Fig. 4.32b. UF-MSM method is used for HKMG devices having different N content in gate insulator stack, Fig. 4.32c. As discussed before, magnitude of  $\Delta V_T$  is smaller for higher  $t_0$  delay as lower hole trapping magnitude is captured. However, both measurements show identical field acceleration factor  $\Gamma_E$  as shown, which is due to similar  $E_{OX}$  dependence for  $\Delta V_{IT}$  and  $\Delta V_{HT}$  subcomponents. This is contrary to the  $T$  dependence shown earlier in Fig. 4.28a, where higher  $E_A$  is observed for larger  $t_0$  delay when lower  $\Delta V_{HT}$  is captured, due to relatively lower  $T$  activation  $E_{AHT}$  of the hole trapping component. However, both SiON and HKMG gate stacks having larger N content show larger  $\Delta V_T$  magnitude but lower  $\Gamma_E$ . As discussed earlier in



**Fig. 4.32** Measured  $\Delta V_T$  at fixed stress time for NBTI stress at different  $E_{OX}$ , in **a** SiON p-MOSFETs for different OTF time-zero delay and in **b** SiON and **c** HKMG p-MOSFETs having different N content in the gate insulator stack. Field dependence is plotted in a log-log scale. Symbols measured data, lines model calculation

the chapter, higher  $\Delta V_T$  is primarily due to increased  $\Delta V_{HT}$  contribution for SiON devices. For HKMG devices, increased N results in increase in both  $\Delta V_{IT}$  and  $\Delta V_{HT}$ , although  $\Delta V_{HT}$  increases much more than  $\Delta V_{IT}$ , and is also shown earlier in this chapter. More work is needed to understand the reduction in  $\Gamma_E$  for higher N content in the gate insulator stack for both SiON and HKMG devices as shown, which is beyond the scope of the present book.

Figure 4.33 shows power-law field acceleration factor  $\Gamma_E$  for (a) SiON devices with different N concentration and (b) HKMG devices having different EOT resulting from different N concentration in the gate stack. Once again,  $E_{OX}$



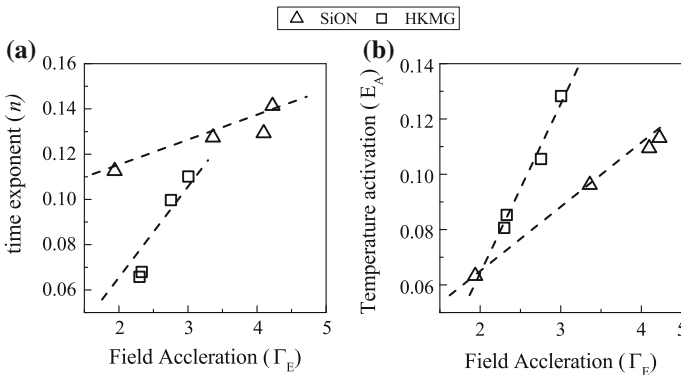
**Fig. 4.33** Measured power-law field acceleration  $\Gamma_E$  at fixed stress time for NBTI stress in **a** SiON p-MOSFETs having different N content in gate insulator stack, and **b** HKMG p-MOSFETs having different IL thickness. Symbols measured data, lines guide to eye



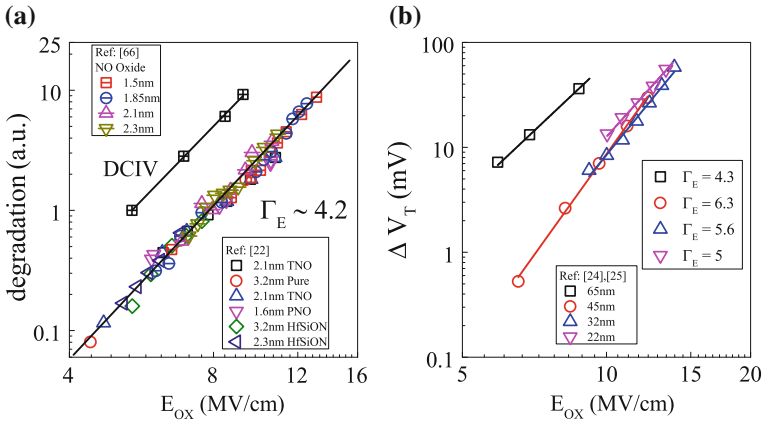
dependent  $\Delta V_T$  measurements are performed at fixed  $t_{STR}$  to determine  $\Gamma_E$ , using UF-OTF method for SiON and UF-MSM for HKMG devices. Note that  $\Gamma_E$  reduces as the  $N$  concentration is increased for SiON devices and also with EOT scaling in HKMG devices achieved using higher  $N$  content in the gate stack. It is interesting to remark that although the time and  $T$  dependence of  $\Delta V_{IT}$  and  $\Delta V_{HT}$  subcomponents are different from each other, they show very similar  $E_{OX}$  dependence, and hence  $\Gamma_E$  can be used to monitor  $N$  concentration in the gate stack and is shown below.

As discussed before, increased  $N$  concentration preferentially increases the hole trapping process compared to interface trap generation, and reduces parameters  $n$ ,  $E_A$  and  $\Gamma_E$  for NBTI stress in both SiON and HKMG devices. Reduction in time exponent  $n$  is attributed to saturation of  $\Delta V_{HT}$  subcomponent at longer  $t_{STR}$ , while reduction in  $T$  activation  $E_A$  is due to lower  $E_{AHT}$  associated with  $\Delta V_{HT}$ . As mentioned before, the physical mechanism responsible for  $\Gamma_E$  reduction is not yet understood. However,  $\Gamma_E$  can be correlated to other parameters, and Fig. 4.34 plots (a) time exponent  $n$  and (b) temperature activation  $E_A$  as a function of power-law field acceleration  $\Gamma_E$  for SiON and HKMG devices. Note that reduction in  $n$  or  $E_A$  nicely correlates to reduction in  $\Gamma_E$  for both SiON and HKMG devices containing larger  $N$  density in the gate insulator stack. As mentioned earlier in this chapter, increased  $N$  concentration also results in larger  $\Delta V_T$  during NBTI stress. Therefore,  $\Gamma_E$  can be used as an overall monitor of gate insulator quality, with higher  $\Gamma_E$  signifying better quality and vice versa.

Figure 4.35 plots the oxide field dependence of  $\Delta V_T$  for NBTI stress in different production quality SiON and HKMG devices [18], extracted from published reports across multiple technologies [22, 24, 25, 65, 66]. Although physics-based analysis would suggest the correct field dependent expression as shown in Table 4.1 [57], a power-law  $E_{OX}$  dependence is used for ease of comparison across published reports. Power-law  $E_{OX}$  dependence having acceleration factor of  $\Gamma_E \sim 4$  is universally observed for different SiON and gate first (GF) HKMG devices, and  $\Gamma_E$  becomes



**Fig. 4.34** Correlation of **a** long-time power-law time exponent  $n$  and **b** Arrhenius  $T$  activation energy  $E_A$  to power-law field acceleration  $\Gamma_E$  for NBTI stress in different SiON and HKMG p-MOSFETs. *Symbols* measured data, *lines* guide to eye



**Fig. 4.35** Fixed time  $\Delta V_T$  versus stress  $E_{OX}$  for **a** different SiON and gate first HKMG p-MOSFETs and for **b** SiON and different RMG HKMG p-MOSFETs. DCIV measured  $\Delta N_{IT}$  data are also plotted after delay and band gap corrections for gate first HKMG p-MOSFET as a reference. *Symbols* measured data, *lines* fit to data

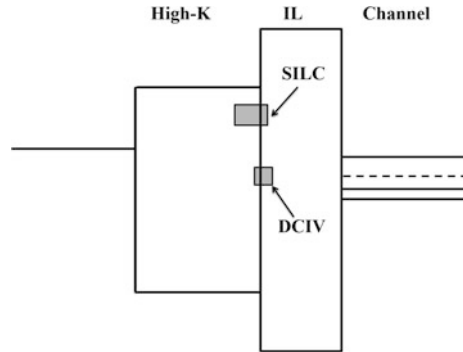
larger for RMG HKMG devices. As shown in Fig. 4.35b, increase in  $\Gamma_E$  is associated with reduction in  $\Delta V_T$  magnitude for RMG HKMG compared to SiON devices. However, note that  $\Gamma_E$  reduces slightly with slight increase in  $\Delta V_T$  magnitude as RMG HKMG technology is scaled. Moreover as a comparison, the  $E_{OX}$  dependence of  $\Delta N_{IT}$  obtained using DCIV method in gate first HKMG devices after delay and band gap correction is also plotted in Fig. 4.35a [13]. A power-law dependence of  $\Gamma_E \sim 4$  is also obtained as shown, which is consistent with  $\Delta V_T$  measurement data, and verifies identical  $E_{OX}$  dependence for  $\Delta V_{IT}$  and  $\Delta V_{HT}$  subcomponents.

## 4.6 PBTI Process Dependence in HKMG n-MOSFETs

In this section, the physics-based PBTI compact model discussed in Table 4.2 is validated against different HKMG devices listed in Table 4.4. The model has trap generation subcomponents located at IL/High-K interface ( $\Delta V_{IT-HK}$ ) as well as in High-K bulk ( $\Delta V_{OT-HK}$ ), refer to Fig. 4.1, which are independently verified using DCIV and SILC measurements respectively, refer to Chap. 3 for additional details. As discussed in Chap. 2 and shown in Fig. 4.36, DCIV method probes traps aligned with the center of the Si band gap and SILC probes traps that are closer to High-K conduction band. Moreover as also discussed in Chap. 2, DCIV estimated traps are corrected for both measurement delay and band gap,<sup>3</sup> while SILC estimated traps

<sup>3</sup>The energy zone corresponding to trap generation at IL/High-K interface during PBTI stress is not known. Since kinetics of trap generation at channel/IL interface for NBTI and IL/High-K interface for PBTI is remarkably similar, see Chap. 3, identical band gap correction factor is assumed for

**Fig. 4.36** Energy band diagram of a HKMG gate stack illustrating traps probed by DCIV and SILC methods



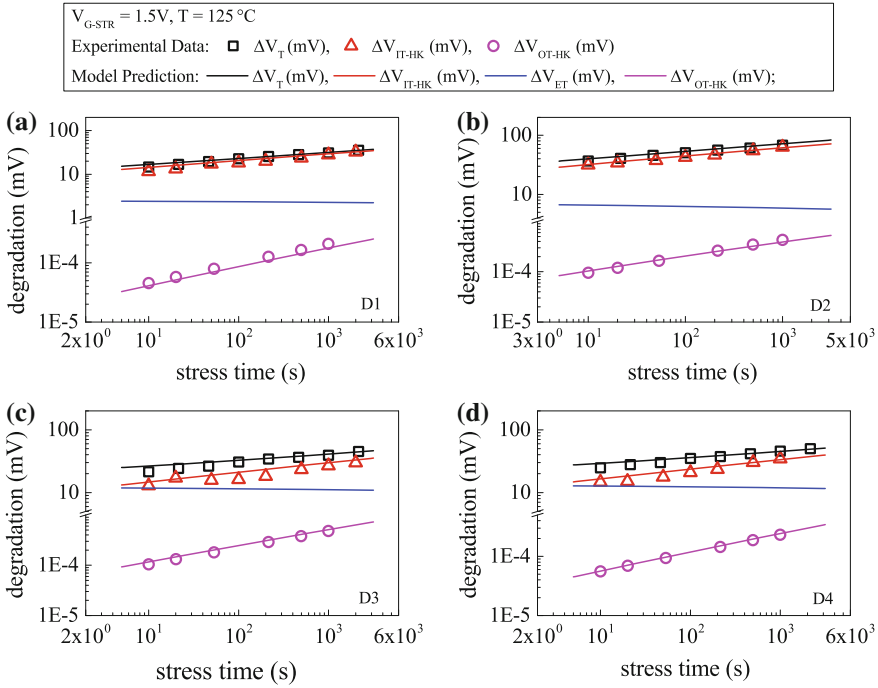
are corrected for measurement delay. Pre-stress High-K bulk trap density is independently estimated using flicker noise measurements, refer to Chap. 2, and these traps are responsible for electron trapping ( $\Delta V_{ET}$ ) during PBTI stress. Overall  $\Delta V_T$  is measured using UF-MSM method and modeled as uncorrelated sum of  $\Delta V_{IT-HK}$ ,  $\Delta V_{ET}$  and  $\Delta V_{OT-HK}$  subcomponents [32, 34], see Table 4.2 for model equations and list of fixed and process dependent parameters.

Figure 4.37 shows the time evolution of UF-MSM measured  $\Delta V_T$  (left panels) as well as of DCIV measured  $\Delta V_{IT-HK}$  and SILC measured  $\Delta V_{OT-HK}$  (right panels) in different HKMG n-MOSFETs for PBTI stress at constant  $V_{G-STR}$  and  $T$ . Contrary to NBTI data shown earlier, D3 and D4 devices having nitrated gate insulator stacks show lower PBTI degradation and lower trap generation compared to non-nitrated D1 and D2 devices. Long-time degradation has power-law time dependence, with similar time exponent  $n$  for  $\Delta V_T$  and  $\Delta V_{IT-HK}$ , but large  $n$  for  $\Delta V_{OT-HK}$ . Model prediction for  $\Delta V_T$  and underlying  $\Delta V_{IT-HK}$ ,  $\Delta V_{ET}$  and  $\Delta V_{OT-HK}$  subcomponents are also shown. The model can successfully estimate measured time evolution of  $\Delta V_T$ ,  $\Delta V_{IT-HK}$  and  $\Delta V_{OT-HK}$ , and uses a saturated value for  $\Delta V_{ET}$ . Device dependent variable parameter values are listed in Table 4.10 and fixed parameters are listed in Table 4.2. Note that  $\Delta V_{IT-HK}$  dominates overall  $\Delta V_T$  for non-nitrated devices D1 and D2. Although  $\Delta V_{ET}$  increases significantly and  $\Delta V_{IT-HK}$  reduces slightly for nitrated devices D3 and D4,  $\Delta V_{IT-HK}$  still dominates  $\Delta V_T$  especially at longer  $t_{STR}$ . For all devices,  $\Delta V_{OT-HK}$  contribution is much less as shown.

Figure 4.38 plots UF-MSM measured time evolution of  $\Delta V_T$  at different  $V_{G-STR}$  and  $T$  for PBTI stress different HKMG n-MOSFETs. Compact model calculations are also plotted; fixed and device dependent parameters are listed in Tables 4.2 and 4.10, respectively. Note that six device dependent parameters are used; pre-factors A, B and C corresponding to  $\Delta V_{IT-HK}$ ,  $\Delta V_{ET}$  and  $\Delta V_{OT-HK}$  subcomponents, oxide field acceleration factors  $\Gamma_{IT-HK}$  and  $\Gamma_{ET}$  associated with  $\Delta V_{IT-HK}$  and  $\Delta V_{ET}$ , and

(Footnote 3 continued)

NBTI and PBTI stress. Universal recovery expression is used for measurement delay correction. Refer to Chap. 2 for details.

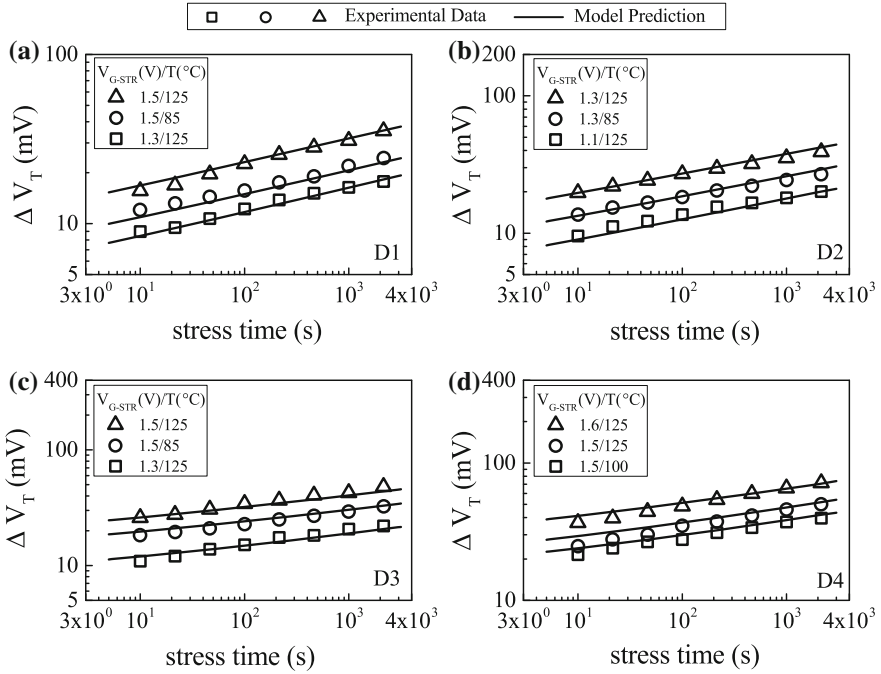


**Fig. 4.37** Time evolution of UF-MSM measured  $\Delta V_T$ , DCIV measured  $\Delta V_{IT-HK}$  as well as SILC measured  $\Delta V_{OT-HK}$  (symbols) for PBTI stress in different HKMG n-MOSFETs. Refer to Table 4.4 for device details. Compact model calculation (lines) of overall  $\Delta V_T$  and underlying trapping and trap generation subcomponents are shown. DCIV data plotted after delay and band gap correction, SILC data after delay correction

**Table 4.10** HKMG process dependent PBTI compact model parameters

Device no.	A ( $\frac{1}{\sqrt{\text{cm s}^{1/6}}}$ )	B ( $\frac{1}{\sqrt{\text{cm}}}$ )	C ( $\text{cm}^{-2}$ )	$\Gamma_{IT-HT}$ ( $\frac{\text{cm}}{\text{MV}}$ )	$\Gamma_{ET}$ ( $\frac{\text{cm}}{\text{MV}}$ )	$E_{AIT-HK}$ (eV)
HKMG D1	8E10	3E09	4E13	0.23	0.21	0.24
HKMG D2	8.65E10	3E09	2.5E13	0.18	0.206	0.206
HKMG D3	1.1E10	6.5E09	2E13	0.205	0.19	0.19
HKMG D4	4.3E10	7E09	2.1E13	0.188	0.206	0.206

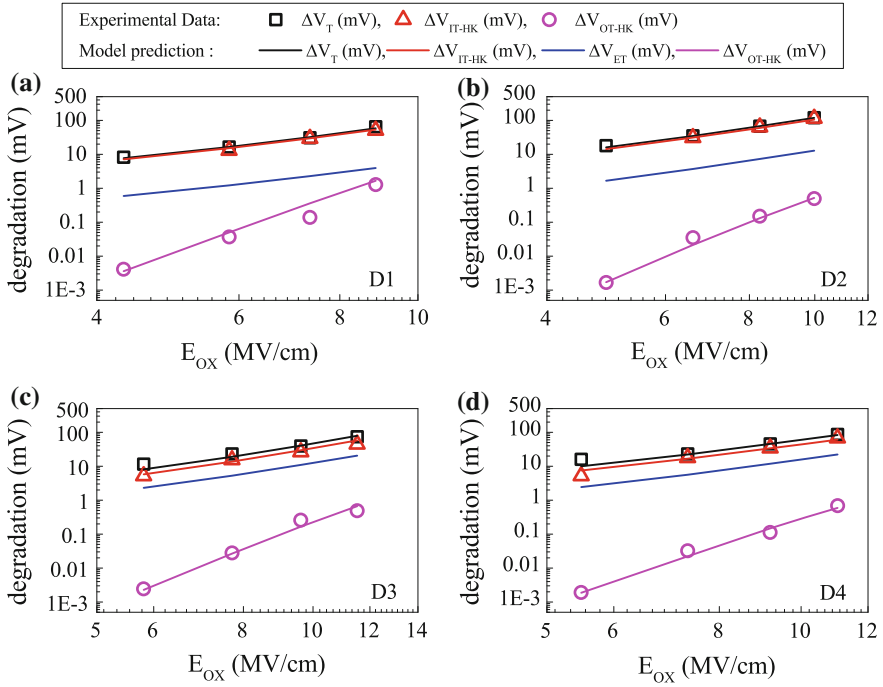
$T$  activation  $E_{AIT-HK}$  for  $\Delta V_{IT-HK}$  [32, 34]. Unlike NBTI, the field acceleration parameters  $\Gamma_{IT-HK}$  and  $\Gamma_{ET}$  associated with trap generation and trapping respectively at IL/High-K interface and High-K bulk are found to be somewhat different, which likely indicates different physical mechanisms for these processes and need further investigation. It is important to remark that trap generation reduces while trapping increases for nitrided devices, which gets reflected in device dependent pre-factors A, B, and C as evident from Table 4.10. The compact model can predict measured data quite well as shown.



**Fig. 4.38** Time evolution of UF-MSM measured  $\Delta V_T$  (symbols) and compact model calculation (lines) for PBTI stress at different  $V_{G-STR}$  and  $T$  in n-MOSFETs having different HKMG gate insulator stacks

Figures 4.39 and 4.40 respectively plots  $E_{OX}$  and  $T$  dependence of UF-MSM measured  $\Delta V_T$ , DCIV measured  $\Delta V_{IT-HK}$  and SILC measured  $\Delta V_{OT-HK}$  at fixed  $t_{STR}$  for PBTI stress in different HKMG devices. As mentioned before, as-measured DCIV and SILC data are corrected for comparison with UF-MSM data.

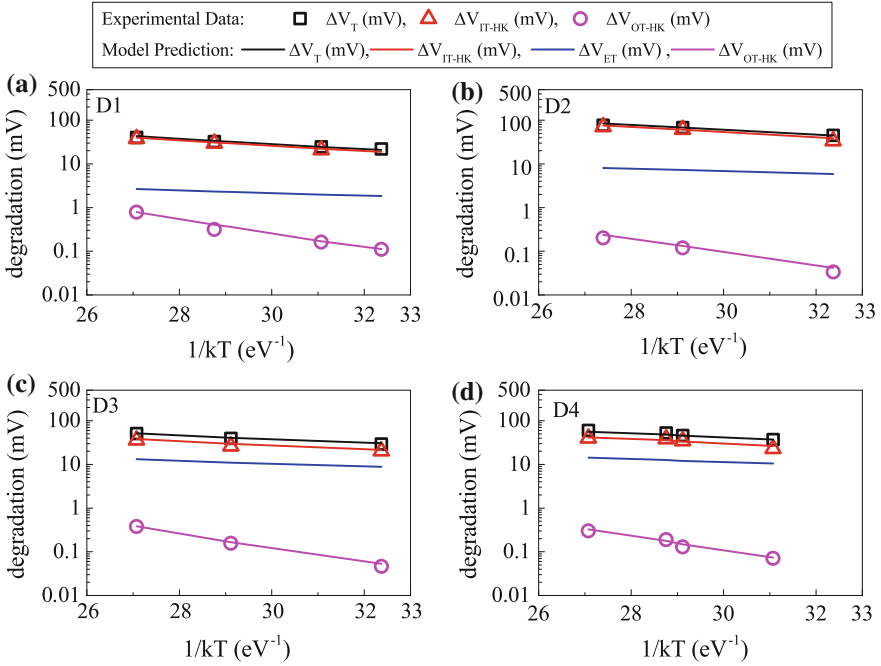
Note that the magnitude,  $E_{OX}$  and  $T$  dependence of  $\Delta V_T$  and  $\Delta V_{IT-HK}$  are remarkably similar, and this similarity holds good for all devices, however, the corresponding values for  $\Delta V_{OT-HK}$  are significantly different as shown. This reaffirms the dominance of IL/High-K interface trap generation on PBTI degradation. The model prediction of  $\Delta V_T$  and its underlying  $\Delta V_{IT-HK}$ ,  $\Delta V_{ET}$  and  $\Delta V_{OT-HK}$  subcomponents are shown, calculated by using fixed and device dependent parameters shown in Tables 4.2 and 4.10 respectively; calculated degradation is in good agreement with measurements. Note that  $\Delta V_{IT-HK}$  is always larger than  $\Delta V_{ET}$ , although the former reduces slightly while the latter increases for nitrided devices D3 and D4 as shown. Since  $\Delta V_{ET}$  has lower  $T$  activation than  $\Delta V_{IT-HK}$  as evident from listed model parameters, relative increase in contribution from  $\Delta V_{ET}$  reduces the overall  $T$  activation of  $\Delta V_T$  for nitrided devices, and verifies the uncoupled nature of trap generation and trapping processes.



**Fig. 4.39** UF-MSM measured  $\Delta V_T$ , DCIV measured  $\Delta V_{IT-HK}$  after delay and band gap corrections and SILC measured  $\Delta V_{OT-HK}$  after delay correction (*symbols*) at fixed  $t_{STR}$  as a function of stress  $E_{OX}$  for PBTI stress in n-MOSFETs having different HKMG gate insulator stacks. Compact model prediction (*lines*) of  $\Delta V_T$  and underlying trap generation and trapping subcomponents are shown.  $E_{OX}$  dependence is plotted in a log-log scale

Figure 4.41 correlates independently measured (a)  $\Delta V_{IT-HK}$  from DCIV and (b)  $\Delta V_{OT-HK}$  from SILC at fixed  $t_{STR}$  to the corresponding values calculated using the compact model of Table 4.2, for PBTI stress using different  $E_{OX}$  and  $T$  in different HKMG devices. Once again, as-measured DCIV and SILC data are suitably corrected. Figure 4.41c correlates pre-stress High-K trap density measured using flicker noise method to model calculated fractional electron trapping ( $\Delta V_{ET}/\Delta V_T$ ) for different devices. Model calculation agrees well with measurement and hence verifies the accuracy of underlying subcomponents and overall PBTI degradation.

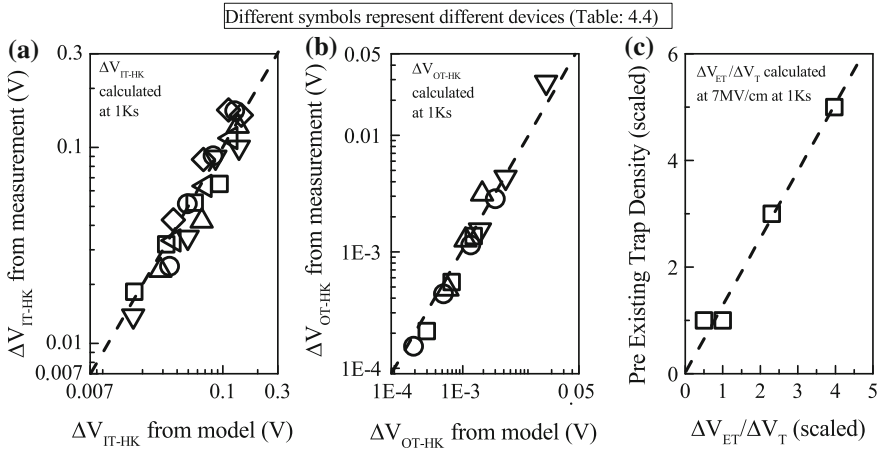
Note that pre-stress High-K trap density depends on gate insulator process and determines the  $\Delta V_{ET}$  subcomponent of overall  $\Delta V_T$  as shown in Fig. 4.41c. Since  $\Delta V_{ET}$  saturates at long  $t_{STR}$  as described in Table 4.2 while  $\Delta V_{IT-HK}$  and  $\Delta V_{OT-HK}$  evolve in time with power-law dependence having exponent  $n \sim 1/6$  and  $n \sim 1/3$ , respectively, larger relative contribution from  $\Delta V_{ET}$  would reduce the time exponent  $n$  of overall  $\Delta V_T$ . Figure 4.42a plots the correlation of measured time exponent  $n$  to calculated fractional electron trapping contribution ( $\Delta V_{ET}/\Delta V_T$ ) for different HKMG devices listed in Table 4.4. Data published in different reports [31, 67, 68, 69] are also



**Fig. 4.40** UF-MSM measured  $\Delta V_T$ , DCIV measured  $\Delta V_{IT-HK}$  after delay and band gap corrections and SILC measured  $\Delta V_{OT-HK}$  after delay correction (symbols) at fixed  $t_{STR}$  as a function of stress  $T$  for PBTI stress in n-MOSFETs having different HKMG gate insulator stacks. Compact model prediction (lines) of  $\Delta V_T$  and underlying trap generation and trapping subcomponents are shown

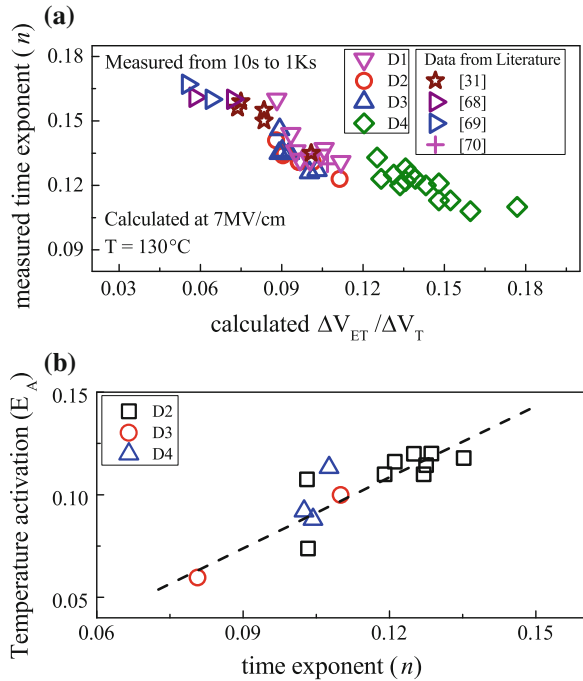
analyzed and shown. Time exponent  $n$  is calculated by linear regression of measured data in  $t_{STR}$  range of 10 s to 1 Ks, and  $\Delta V_{ET}/\Delta V_T$  is calculated at fixed  $E_{OX}$ ,  $T$  and  $t_{STR}$  using the calibrated compact model. Note that measured  $n$  reduces with increased trapping fraction as expected, and a remarkable consistency is observed across different devices that verifies the assumption that electron trapping saturates at longer stress time. Moreover, since  $\Delta V_{ET}$  has lower  $T$  activation than  $\Delta V_{IT-HK}$  and  $\Delta V_{OT-HK}$ , larger fractional  $\Delta V_{ET}$  contribution would reduce the  $T$  activation of overall  $\Delta V_T$ , hence  $n$  and  $E_A$  would reduce in tandem for devices having higher as-processes HK defects. Figure 4.42b correlates measured  $n$  and  $E_A$  for different HKMG devices of Table 4.4 and verifies the above hypothesis.

The impact of EOT scaling of HKMG gate insulator stacks on PBTI degradation and its parameters is of interest, and is discussed in Chap. 1, Fig. 1.28. As mentioned earlier in this chapter, EOT scaling of HKMG devices listed in Table 4.4 is achieved either by IL thickness scaling (D2), or by post High-K nitridation (D3), or by nitrided IL (D4). Figure 4.43a plots measured  $\Delta V_T$ ,  $\Delta V_{IT-HK}$  and  $\Delta V_{OT-HK}$  obtained respectively by UF-MSM, delay and band gap corrected DCIV and delay corrected SILC measurements at a particular  $E_{OX}$ ,  $T$ , and  $t_{STR}$  as a function of IL thickness for different HKMG devices. The  $\Delta V_{ET}$  subcomponent is estimated from

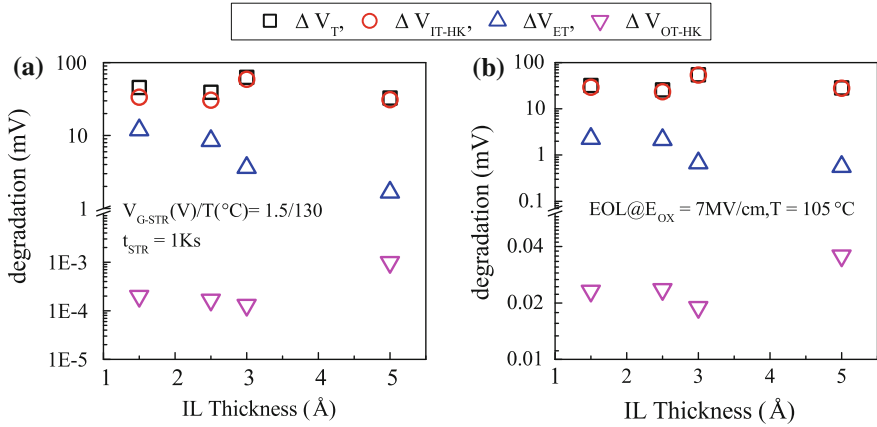


**Fig. 4.41** Correlation of trap generation measured **a** using DCIV method after delay and band gap corrections and **b** using SILC method after delay correction to trap generation calculated using compact model. **c** Correlation of pre-existing traps measured using flicker noise method and calculated fractional electron trapping contribution, for PBTI stress in different HKMG n-MOSFETs. Lines represent **a**, **b** 1:1 correlation, **c** guide to eye

**Fig. 4.42 a** Correlation of measured power-law time exponent  $n$  at long  $t_{STR}$  to fractional electron trapping contribution ( $\Delta V_{ET}/\Delta V_T$ ) calculated using the compact model for PBTI stress in different HKMG n-MOSFETs. **b** Correlation of measured  $n$  and  $T$  activation  $E_A$  also for PBTI stress. Line is guide to eye







**Fig. 4.43** Impact of IL thickness scaling on **a** UF-MSM measured  $\Delta V_T$ , DCIV measured  $\Delta V_{IT-HK}$  after delay and band gap correction and SILC measured  $\Delta V_{OT-HK}$  after delay correction for PBTI stress in HKMG p-MOSFETs at fixed  $t_{STR}$ ; estimated  $\Delta V_{ET}$  subcomponent is also shown. **b** IL thickness scaling impact on compact model calculated  $\Delta V_T$ , and underlying  $\Delta V_{IT-HK}$ ,  $\Delta V_{OT-HK}$ , and  $\Delta V_{ET}$  subcomponents at end-of-life (10 years)

the difference and is also shown. Figure 4.43b shows IL thickness dependence of  $\Delta V_T$  and its underlying  $\Delta V_{IT-HK}$ ,  $\Delta V_{ET}$ , and  $\Delta V_{OT-HK}$  subcomponents at the end-of-life of 10 years, calculated using the calibrated compact model at a fixed  $E_{OX}$  and  $T$ . As shown,  $\Delta V_{ET}$  increases as IL is scaled especially for gate stacks D3 and D4 having higher N density, refer to [13] for additional details. However, since  $\Delta V_{IT-HK}$  dominates  $\Delta V_T$  and more so at end-of-life; a reduction in  $\Delta V_{IT-HK}$  causes reduction in  $\Delta V_T$ , in spite of increase in  $\Delta V_{ET}$ , for nitrided devices having scaled IL. The  $\Delta V_{OT-HK}$  subcomponent remains negligible as shown. Therefore, unlike NBTI, IL scaling achieved by nitridation reduces PBTI degradation, and has significant impact on technology scaling.

## 4.7 Summary

The physical mechanism responsible for NBTI and PBTI degradation respectively in p- and n-channel MOSFETs is explored in devices having different gate insulator processes. A compact model is developed to predict time evolution of measured  $\Delta V_T$  at different stress bias and temperature, for NBTI stress in Si planar devices having differently processed SiON and HKMG gate insulators, SiGe planar devices without and with Si cap as well as in Si channel FinFETs, having HKMG gate insulators, and for PBTI stress in differently processed Si planar HKMG devices. The NBTI compact model consists of trap generation at channel/gate insulator interface and in gate insulator bulk, although the latter is found to be negligible for HKMG devices, as well as hole trapping in gate insulator bulk. Transconductance

degradation is negligible that suggests creation of defects away from channel for PBTI stress. Therefore, the PBTI compact model for HKMG stacks consists of trap generation at the IL/High-K interface and High-K bulk, and electron trapping in High-K bulk, and IL remains undegraded. Overall,  $\Delta V_T$  is modeled using uncorrelated sum of underlying trap generation and trapping subcomponents.

Trap generation during NBTI stress in SiON and HKMG p-MOSFETs is independently estimated using CP and DCIV techniques, respectively. For PBTI stress, trap generation at the IL/High-K interface and High-K bulk is estimated respectively using DCIV and SILC techniques. Time evolution of as-measured generated traps from CP and DCIV is corrected for measurement delay and band gap, while that from SILC is corrected for measurement delay, for proper comparison with measured time evolution of overall  $\Delta V_T$ . Pre-stress trap density is estimated using the flicker noise technique and is responsible for hole and electron trapping respectively for NBTI and PBTI stress.

The compact model with consistent set of calibrated model parameters can predict  $\Delta V_T$  time evolution for NBTI and PBTI stress in different devices and under different stress conditions, and calculated underlying model subcomponents agree well with independently measured contribution from trap generation and trapping. It is shown that trap generation at channel/gate insulator interface for NBTI and at the IL/High-K interface for PBTI demonstrate remarkably similar time dependent kinetics of power-law time dependence with time exponent  $n \sim 1/6$ . These generated traps dominate the time evolution of overall  $\Delta V_T$  and explains similar kinetics observed between NBTI and PBTI stress. The trapping subcomponent saturates at longer time and has weaker  $T$  activation as compared to trap generation, and reduces the time exponent and  $T$  activation of overall  $\Delta V_T$ , especially for processes leading to large pre-existing gate insulator defects. However, since trapping saturates at long stress time and bulk trap generation becomes negligible at low voltage use condition due to large voltage de-acceleration factor, the end-of-life BTI degradation is always determined by kinetics of interface trap generation for all process variations studied in this chapter.

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## References

1. Y. Mitani, M. Nagamine, H. Satake, Akira Toriumi, NBTI mechanism in ultra-thin gate dielectric-nitrogen-originated mechanism in SiON, in *IEEE International Electron Devices Meeting Technical Digest* (2002), p. 509
2. V. Huard, M. Denais, F. Perrier, N. Revil, C. Parthasarathy, A. Bravaix, E. Vincent, A thorough investigation of MOSFETs NBTI degradation. *Microelectron. Reliab.* **45**, 83 (2005)

3. D. Varghese, D. Saha, S. Mahapatra, K. Ahmed, F. Nouri, M.A. Alam, On the dispersive versus Arrhenius temperature activation of NBTI time evolution in plasma nitrided gate oxides: measurements, theory, and implications, in *IEEE International Electron Devices Meeting Technical Digest* (2005), p. 684
4. S. Mahapatra, K. Ahmed, D. Varghese, A.E. Islam, G. Gupta, L. Madhav, D. Saha, M.A. Alam, On the physical mechanism of NBTI in silicon oxynitride p-MOSFETs: can differences in insulator processing conditions resolve the interface trap generation versus hole trapping controversy? in *IEEE International Reliability Physics Symposium Proceedings* (2007), p. 1
5. S. Mahapatra, A. Islam, S. Deora, V. Maheta, K. Joshi, A. Jain, M. Alam, A critical re-evaluation of the usefulness of R-D framework in predicting NBTI stress and recovery, in *IEEE International Reliability Physics Symposium Proceedings* (2011), p. 6A.3.1
6. G. Chen, K.Y. Chuah, M.-F. Li, D.S.H. Chan, C.H. Ang, J.Z. Zheng, Y. Jin, D.L. Kwong, Dynamic NBTI of PMOS transistors and its impact on device lifetime, in *IEEE International Reliability Physics Symposium Proceedings* (2003), p. 196
7. J.H. Stathis, G. La Rosa, A. Chou, Broad energy distribution of NBTI-induced interface states in p-MOSFETs with ultra-thin nitrided oxide, in *IEEE International Reliability Physics Symposium Proceedings* (2004), p. 1
8. J.P. Campbell, P.M. Lenahan, A.T. Krishnan, S. Krishnan, NBTI: an atomic-scale defect perspective, in *IEEE International Reliability Physics Symposium Proceedings*, (2006), p. 442
9. A. Neugroschel, G. Bersuker, R. Choi, C. Cochrane, P. Lenahan, D. Heh, C. Young, C.Y. Kang, B.H. Lee, R. Jammy, An accurate lifetime analysis methodology incorporating governing NBTI mechanisms in high-k/SiO<sub>2</sub> gate stacks, in *IEEE International Electron Devices Meeting Technical Digest* (2006). doi:[10.1109/IEDM.2006.346772](https://doi.org/10.1109/IEDM.2006.346772)
10. S. Mahapatra, N. Goel, S. Desai, S. Gupta, B. Jose, S. Mukhopadhyay, K. Joshi, A. Jain, A.E. Islam, M.A. Alam, A comparative study of different physics-based NBTI models. *IEEE Trans. Electron Devices* **60**, 901 (2013)
11. S. Desai, S. Mukhopadhyay, N. Goel, N. Nanaware, B. Jose, K. Joshi, S. Mahapatra, A comprehensive AC/DC NBTI model: stress, recovery, frequency, duty cycle and process dependence, in *IEEE International Reliability Physics Symposium Proceedings*, (2013), p. XT.2.1
12. N. Goel, S. Mukhopadhyay, N. Nanaware, S. De, R.K. Pandey, K.V.R.M. Murali, S. Mahapatra, A comprehensive DC/AC model for ultra-fast NBTI in deep EOT scaled HKMG p-MOSFETs, in *IEEE International Reliability Physics Symposium Proceedings* (2014), p. 6A.4.1
13. S. Mukhopadhyay, K. Joshi, V. Chaudhary, N. Goel, S. De, R.K. Pandey, K.V.R.M. Murali, S. Mahapatra, Trap generation in IL and HK layers during BTI/TDDDB stress in scaled HKMG N and P MOSFETs, in *IEEE International Reliability Physics Symposium Proceedings* (2014), p. GD.3.1
14. A.T. Krishnan, C. Chancellor, S. Chakravarthi, P.E. Nicollian, V. Reddy, A. Varghese, R.B. Khamankar, S. Krishnan, Material dependence of hydrogen diffusion: implications for NBTI degradation, in *IEEE International Electron Devices Meeting Technical Digest* (2005), p. 688
15. D.S. Ang, S. Wang, Recovery of the NBTI-stressed ultrathin gate p-MOSFET: the role of deep-level hole traps. *IEEE Electron Device Lett.* **27**, 914 (2006)
16. T. Grasser, B. Kaczer, W. Goes, T. Aichinger, P. Hehenberger, M. Nelhiebel, Understanding negative bias temperature instability in the context of hole trapping. *Microelectron. Eng.* **86**, 1876 (2009)
17. H. Reisinger, T. Grasser, K. Ermisch, H. Nielen, W. Gustin, C. Schlunder, Understanding and modeling AC BTI, in *IEEE International Reliability Physics Symposium Proceedings* (2011), p. 6A.1.1
18. S. Mahapatra, V. Huard, A. Kerber, V. Reddy, S. Kalpat, A. Haggag, Universality of NBTI-From devices to circuits and products, in *IEEE International Reliability Physics Symposium Proceedings* (2014), p. 3B.1.1

19. T. Grasser, B. Kaczer, W. Goes, T. Aichinger, P. Hehenberger, M. Nelhiebel, A two stage model for negative bias temperature instability, in *IEEE International Reliability Physics Symposium Proceedings* (2009), p. 33
20. J.H. Lee, W.H. Wu, A.E. Islam, M.A. Alam, A.S. Oates, Separation method of hole trapping and interface trap generation and their roles in NBTI Reaction-Diffusion model, in *IEEE International Reliability Physics Symposium Proceedings* (2008), p. 745
21. S. Mahapatra, V.D. Maheta, A.E. Islam, M.A. Alam, Isolation of NBTI stress generated interface trap and hole-trapping components in PNO p-MOSFETs. *IEEE Trans. Electron Devices* **56**, 236 (2009)
22. V. Huard, Two independent components modeling for negative bias temperature instability, in *IEEE International Reliability Physics Symposium Proceedings* (2010), p. 33
23. S. Mahapatra, P. Bharath, P. Bharath Kumar, M.A. Alam, Investigation and modeling of interface and bulk trap generation during negative bias temperature instability of p-MOSFETs. *IEEE Trans. Electron Devices* **51**, 1371 (2004)
24. S. Ramey, A. Ashutosh, C. Auth, J. Clifford, M. Hattendorf, J. Hicks, R. James, A. Rahman, V. Sharma, A. St.Amour, C. Wiegand, Intrinsic transistor reliability improvements from 22 nm tri-gate technology, in *IEEE International Reliability Physics Symposium Proceedings* (2013), p. 4C.5.1
25. S. Pae, M. Agostinelli, M. Brazier, R. Chau, G. Dewey, T. Ghani, M. Hattendorf, J. Hicks, J. Kavalieros, K. Kuhn, M. Kuhn, J. Maiz, M. Metz, K. Mistry, C. Prasad, S. Ramey, A. Roskowski, J. Sandford, C. Thomas, J. Thomas, C. Wiegand, J. Wiedemer, BTI reliability of 45 nm high-K + metal-gate process technology, in *IEEE International Reliability Physics Symposium Proceedings* (2008), p. 352
26. J. Mitard, X. Garros, L.P. Nguyen, C. Leroux, G. Ghibaudo, F. Martin, G. Reimbold, Large-scale time characterization and analysis of PBTI In HfO<sub>2</sub>/metal gate stacks, in *IEEE International Reliability Physics Symposium Proceedings* (2006), p. 174
27. D. Heh, C.D. Young, G. Bersuker, Experimental evidence of the fast and slow charge trapping/detrapping processes in high-k dielectrics subjected to PBTI stress. *IEEE Electron Dev. Lett.*, **29**, 180 (2008)
28. A. Kerber, E. Cartier, Reliability Challenges for CMOS Technology Qualifications With Hafnium Oxide/Titanium Nitride Gate Stacks. *IEEE Trans. Device Mater. Reliab.* **9**, 147 (2009)
29. S. Zafar, A. Kerber, R. Muralidhar, Physics based PBTI model for accelerated estimation of 10 year lifetime, in *Symposium on VLSI Technology: Digest of Technical Papers* (2014). doi: [10.1109/VLSIT.2014.6894388](https://doi.org/10.1109/VLSIT.2014.6894388)
30. E. Cartier, A. Kerber, Stress-induced leakage current and defect generation in nFETs with HfO<sub>2</sub>/TiN gate stacks during positive-bias temperature stress, in *IEEE International Reliability Physics Symposium Proceedings* (2009), p. 486
31. J.Q. Yang, M. Masuduzzman, J.F. Kang, M.A. Alam, SILC-based reassignment of trapping and trap generation regimes of positive bias temperature instability, in *IEEE International Reliability Physics Symposium Proceedings* (2011), p. 3A.3.1
32. K. Joshi, S. Mukhopadhyay, N. Goel, S. Mahapatra, A consistent physical framework for N and P BTI in HKMG MOSFETs, in *IEEE International Reliability Physics Symposium Proceedings* (2012), p. 5A.3.1
33. K. Joshi, S. Hung, S. Mukhopadhyay, V. Chaudhary, N. Nanaware, B. Rajamohanam, T. Sato, M. Bevan, A. Wei, A. Noori, B. McDougall, C. Ni, C. Lazik, G. Saheli, P. Liu, D. Chu, L. Date, S. Datta, A. Brand, J. Swenberg, S. Mahapatra, HKMG process impact on N, P BTI: role of thermal IL scaling, IL/HK integration and post HK nitridation, in *IEEE International Reliability Physics Symposium Proceedings* (2013), p. 4C.2.1
34. S. Mukhopadhyay, K. Joshi, S. Mahapatra, A compact model for estimating end of life PBTI degradation. *IEEE Trans. Electron Devices* (under review) (2015)
35. T. Grasser, B. Kaczer, W. Goes, An energy-level perspective of bias temperature instability, in *IEEE International Reliability Physics Symposium Proceedings* (2008), p. 28

36. N. Goel, K. Joshi, S. Mukhopadhyay, N. Nanaware, S. Mahapatra, A comprehensive modeling framework for gate stack process dependence of DC and AC NBTI in SiON and HKMG p-MOSFETs. *Microelectron. Reliab.* **54**, 491 (2014)
37. D. Varghese, Ph.d. Dissertation, Multi-probe experimental and ‘bottom-up’ computational analysis of correlated defect generation in modern nanoscale transistors, Purdue University (2009)
38. V.D. Maheta, C. Olsen, K. Ahmed, S. Mahapatra, The impact of nitrogen engineering in silicon oxynitride gate dielectric on negative—bias temperature instability of p-MOSFETs: a study by ultrafast on-the-fly technique. *IEEE Trans. Electron Devices* **55**, 1630 (2008)
39. C. Olsen, Two-step post nitridation annealing for lower EOT plasma nitrided gate dielectrics, WO2004081984 A2 (2004)
40. J. Franco, B. Kaczer, J. Mitard, M. Toledano-Luque, P.J. Roussel, L. Witters, T. Grasser, G. Groeseneken, NBTI reliability of SiGe and ge channel pMOSFETs with SiO<sub>2</sub>/HfO<sub>2</sub> dielectric stack. *IEEE Trans. Device Mater. Reliab.* **13**, 497 (2013)
41. P. Srinivasan, J. Fronheiser, K. Akarvardar, A. Kerber, L.F. Edge, R.G. Southwick, E. Cartier, H. Kothari, SiGe composition and thickness effects on NBTI in replacement metal gate/high-κ technologies, in *IEEE International Reliability Physics Symposium Proceedings*, (2014), p. 6A.3.1
42. A. Chaudhary, B. Kaczer, P.J. Roussel, T. Chiarella, N. Horiguchi, S. Mahapatra, Time dependent variability in RMG-HKMG FinFETs: impact of extraction scheme on stochastic NBTI, in *IEEE International Reliability Physics Symposium Proceedings*, (2015), p. 3B.4
43. G. Kapila, N. Goyal, V.D. Maheta, C. Olsen, K. Ahmed, S. Mahapatra, A comprehensive study of flicker noise in plasma nitride SiON p-MOSFETs: process dependence of pre-existing and NBTI stress generated trap distribution profiles, in *IEEE International Electron Devices Meeting Technical Digest* (2008). doi:10.1109/IEDM.2008.4796625
44. K. Choi, H. Jagannathan, C. Choi, L. Edge, T. Ando, M. Frank, P. Jamison, et al., Extremely scaled gate-first high-κ/metal gate stack with EOT of 0.55 nm using novel interfacial layer scavenging techniques for 22 nm technology node and beyond, in *Symposium on VLSI Technology: Digest of Technical Papers* (2009), p. 138
45. A. Chaudhary, IIT Bombay, Private Communication
46. A. Kerber, T. Nigam, Challenges in the characterization and modeling of BTI induced variability in metal gate/high-κ CMOS technologies, in *IEEE International Reliability Physics Symposium Proceedings*, (2013), p. 2D.4.1
47. C. Prasad, M. Agostinelli, J. Hicks, S. Ramey, C. Auth, K. Mistry, S. Natarajan, P. Packan, I. Post, S. Bodapati, M. Giles, S. Gupta, S. Mudanai, K. Kuhn, Bias temperature instability variation on SiON/Poly, HK/MG and trigate architectures, in *IEEE International Reliability Physics Symposium Proceedings*, (2014), p. 6A.5.1
48. XPS: X-Ray Photoelectron Spectroscopy, *Physical Electronics*. [Online]. Available: <http://www.phii.com/surface-analysis-techniques/xps.html>
49. S. Guha, V. Narayanan, High-κ/metal gate science and technology. *Annu. Rev. Mater. Res.* **39**, 181 (2009)
50. K. Joshi, S. Mukhopadhyay, N. Goel, N. Nanaware, S. Mahapatra, A detailed study of gate insulator process dependence of NBTI using a compact model. *IEEE Trans. Electron Devices* **61**, 408 (2014)
51. S. Deora, V.D. Maheta, G. Bersuker, C. Olsen, K.Z. Ahmed, R. Jammy, S. Mahapatra, A comparative NBTI study of HfO<sub>2</sub>, HfSiO<sub>x</sub> and SiON p-MOSFETs using UF-OTF I<sub>DLIN</sub> technique. *IEEE Electron Device Lett.* **30**, 152 (2009)
52. H. Reisinger, O. Blank, W. Heinrigs, A. Muhlhoff, W. Gustin, C. Schlunder, Analysis of NBTI degradation- and recovery-behavior based on ultra fast VT-measurements, in *IEEE International Reliability Physics Symposium Proceedings* (2006), p. 448
53. M. Jo, M. Chang, S. Kim, H.S. Jung, R. Choi, H. Hwang, Contribution of interface states and oxide traps to the negative bias temperature instability of high-κ pMOSFETs. *IEEE Electron Device Lett.* **30**, 291 (2009)

54. T. Grasser, P. Wagner, H. Reisinger, T. Aichinger, G. Pobegen, M. Nelhiebel, B. Kaczer, Analytic modeling of the bias temperature instability using capture/emission time maps, in *IEEE International Electron Devices Meeting Technical Digest* (2011), p. 27.4
55. C. Shen, M.F. Li, C.E. Foo, T. Yang, D.M. Huang, A. Yap, G.S. Samudra, Y.C. Yeo, Characterization and physical origin of fast V<sub>th</sub> transient in NBTI of pMOSFETs with SiON dielectric, in *IEEE International Electron Devices Meeting Technical Digest* (2006), p. 12.5
56. C.L. Chen, Y.M. Lin, C.J. Wang, and K. Wu, "A new finding on NBTI lifetime model and an investigation on NBTI degradation characteristic for 1.2 nm ultra thin oxide, in *IEEE International Reliability Physics Symposium Proceedings* (2005), p. 704
57. A. Islam, G. Gupta, S. Mahapatra, A. T. Krishnan, K. Ahmed, F. Nouri, A. Oates, M.A. Alam, Gate leakage vs. NBTI in plasma nitrided oxides: characterization, physical principles, and optimization, in *IEEE International Electron Devices Meeting Technical Digest* (2006). doi: [10.1109/IEDM.2006.346775](https://doi.org/10.1109/IEDM.2006.346775)
58. K. Hofmann, H. Reisinger, K. Ermisch, C. Schlünder, W. Gustin, T. Pompl, G. Georgakos, K. V. Arnim, J. Hatsch, T. Kodytek, T. Baumann, C. Pacha, Highly accurate product level aging monitoring in 40 nm CMOS, in *Symposium on VLSI Technology: Digest of Technical Papers* (2010), p. 27
59. A. Kerber, Characterization of BTI induced variability in scaled metal gate/highK CMOS technologies, in *Variability Workshop* (2013)
60. A.T. Krishnan, F. Cano, C. Chancellor, V. Reddy, Z. Qi, P. Jain, J. Masin, S. Zuhoski, S. Krishnan, J. Ondrusek, Product drift from NBTI: guardbanding, circuit and statistical effects, in *IEEE International Electron Devices Meeting Technical Digest* (2010), p. 4.3
61. D.P. Ioannou, S. Mittl, D. Brochu, Burn-in stress induced BTI degradation and post-burn-in high temperature anneal (Bake) effects in advanced HKMG and oxynitride based CMOS ring oscillators, in *IEEE International Reliability Physics Symposium Proceedings* (2012), p. 5C.2.1
62. A.T. Krishnan, V. Reddy, D. Aldrich, J. Raval, K. Christensen, J. Rosal, C. O. Brien, R. Khamankar, A. Marshall, W. Loh, R. Mckee, S. Krishnan, SRAM cell static noise margin and VMIN sensitivity to transistor degradation, in *IEEE International Electron Devices Meeting Technical Digest* (2006). doi:[10.1109/IEDM.2006.346778](https://doi.org/10.1109/IEDM.2006.346778)
63. A. Haggag, G. Anderson, S. Parihar, D. Burnett, G. Abeln, J. Higman, M. Moosa, Understanding SRAM high-temperature-operating-life NBTI: statistics and permanent vs. recoverable damage, in *IEEE International Reliability Physics Symposium Proceedings* (2007), p. 452
64. M.L. Reed, J.D. Plummer, Chemistry of Si-SiO<sub>2</sub> interface trap annealing. *J. Appl. Phys.* **63**, 5776 (1988)
65. S. Tsujikawa, Y. Akamatsu, H. Umeda, J. Yugami, Two concerns about NBTI issue: gate dielectric scaling and increasing gate current, in *IEEE International Reliability Physics Symposium Proceedings* (2004), p. 28
66. S. Pae, T. Ghani, M. Hattendorf, J. Hicks, J. Jopling, J. Maiz, K. Mistry, J. O'Donnell, C. Prasad, J. Wiedemer, J. Xu, Characterization of SILC and its end-of-life reliability assessment on 45 nm high-K and metal-gate technology, in *IEEE International Reliability Physics Symposium Proceedings* (2009), p. 499
67. J. Yang, M. Masuduzzaman, K. Joshi, S. Mukhopadhyay, J. Kang, S. Mahapatra, M.A. Alam, Intrinsic correlation between PBTI and TDDB degradations in nMOS HK/MG dielectrics, in *IEEE International Reliability Physics Symposium Proceedings* (2012), p. 5D.4.1
68. K. Zhao, J.H. Stathis, A. Kerber, E. Cartier, PBTI relaxation dynamics after AC vs. DC stress in high-k/metal gate stacks, in *IEEE International Reliability Physics Symposium Proceedings* (2010), p. 50
69. W. Liu, G. La Rosa, G. Tian, S. Boffoli, F. Guarin, W.L. Lai, V. Narayanan, H. Kothari, M. Jin, S. Uppal, W. McMahon, Process dependence of AC/DC PBTI in HKMG n-MOSFETs, in *IEEE International Reliability Physics Symposium Proceedings* (2014), p. XT.6.1

# Chapter 5

## Reaction-Diffusion Model

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**Abstract** This chapter discusses different aspects of the Reaction-Diffusion (RD) model used to interpret dissociation and reformation of the Si–H bonds (in other words, creation and reverse-anneal of dangling Si-bonds or interface traps) present at the silicon/oxide interfaces of a CMOS transistor. The theory presented in this chapter is later combined with other features of NBTI to interpret measurements in Chap. 6. The reaction part of the R-D model interprets the chemical reactions like Si–H bond dissociation and reformation taking place at the interface, while the diffusion part interprets the transport of Hydrogen species in the oxide and the gate medium. In the NBTI stress phase with a particular stress bias, the Si–H bond dissociation initiates generation of interface traps over time, which later reaches quasi-equilibrium with the diffusive components. After that the diffusion of Hydrogen species defines the time evolution of interface trap generation with a power law. The power-law time exponent is a unique signature of the diffusing species and it shows no variation with the change in stress conditions (bias, temperature and frequency). In the NBTI relaxation phase, the diffusion of Hydrogen species also defines the time evolution of interface trap repassivation. This single dependence of the time evolution, in both stress and relaxation phases, only on the diffusing species leads to frequency independence of interface trap generation—a distinct feature of NBTI measured over a wide range of transistors.

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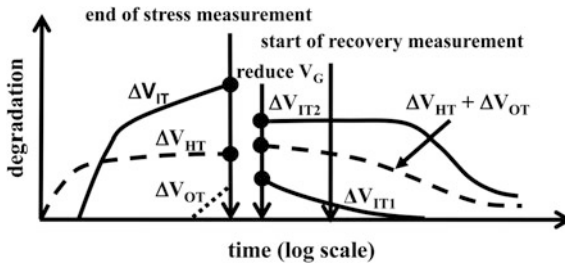
S. Mahapatra (ed.), *Fundamentals of Bias Temperature Instability  
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DOI 10.1007/978-81-322-2508-9\_5



## 5.1 Introduction

The silicon/oxide interface dictates charge transport in modern CMOS transistors. This interface is generally passivated with Hydrogen, which converts the interface traps (or dangling Si- bonds) having a density of  $\sim 10^{12} \text{ cm}^{-2}$  into Si-H bonds [1–7]. The residual trap density after Hydrogen passivation is  $\sim 10^{10} \text{ cm}^{-2}$  or even below [8–10]. Application of negative gate bias  $V_{G\text{-STR}}$  at an elevated temperature during NBTI stress, stretches the Si-H bonds and recreates the interface traps [11–15]. The dissociation of Si-H bond (*reaction*) generates Hydrogen species that move away from the interface (*diffusion*)—a phenomenon that can be easily captured using a Reaction-Diffusion (RD) framework. Starting from the pioneering work of Jeppson et al., successive refinements of RD model have interpreted a broad range of NBTI experiments [11–25]. Differences in these refinements depend on how one interprets: (a) the Si-H bond dissociation and (b) the type of Hydrogen species moving away from the interface. In the following sections, we start with the RD model proposed by Jeppson and Svensson [12], which has been reinterpreted by Alam and Mahapatra [14], and later explain the existing variants of this original proposal. In general, RD model seeks to capture the following key aspects of NBTI as observed in measurements over a wide range of transistors with variations in  $V_{G\text{-STR}}$ , temperature  $T$ , stress cycle, gate dielectric, and channel strain:

- RD model captures the time evolution of the interface trap component ( $\Delta V_{IT}$ ) of threshold voltage degradation ( $\Delta V_T$ ). As elaborated in Chaps. 4 and 6, one should decompose  $\Delta V_T$  appropriately into its components before comparison with RD theory (Fig. 5.1).
- In the stress phase, the RD theory studies the origin of power-law change in  $\Delta V_{IT}$  over time (i.e.,  $\Delta V_{IT} \sim t^n$ ). As discussed in Chap. 3, the time exponent ( $n$ ) in stress phase is a unique feature of NBTI.



**Fig. 5.1** Schematic illustration of different components of threshold voltage shift ( $\Delta V_T$ ), measured during NBTI stress and relaxation experiments. This chapter discusses the theory of interface trap component ( $\Delta V_{IT}$  and  $\Delta V_{IT2}$ ), while Sect. 6.3 discusses the extension of the theory to include fast electron capture into the interface traps going below the Fermi level ( $\Delta V_{IT1}$ ), hole trapping into pre-existing ( $\Delta V_{HT}$ ) and generated ( $\Delta V_{OT}$ ) oxide defects. In the stress phase,  $\Delta V_{IT}$  versus time follows power-law with time exponent ( $n$ ); while in the relaxation phase,  $\Delta V_{IT2}$  responds slowly compared to the other components

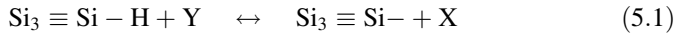


- In the relaxation phase, the RD theory studies the nature of interface trap passivation. As discussed in Sect. 6.3, NBTI experiments suggest this passivation ( $\Delta V_{IT2}$  of Fig. 5.1) to be slower than the fast electron capture by the interface traps going below the Fermi level ( $\Delta V_{IT1}$  of Fig. 5.1) and the hole trapping components ( $\Delta V_{HT}$  and  $\Delta V_{OT}$  in Fig. 5.1).

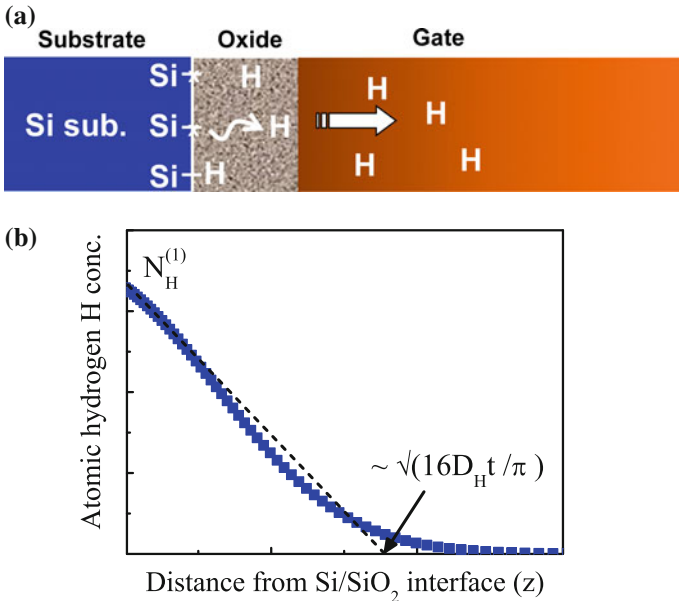
In the following sections, we will elaborate on the evolution of interface traps in the stress and relaxation phase of NBTI based on the RD theory.

### 5.2 RD Formalism for the NBTI Stress Phase

This first proposal of RD model by Jeppson and Svensson [12] for interface trap generation considers the following dissociation reaction:



where a chemical species Y reacts with the Si–H bond at the interface and creates interface defect (the dangling Si- bond) and a neutral species X (atomic Hydrogen H) that diffuses away from the interface (Fig. 5.2a). The following set of differential equations captures the reaction and diffusion steps:



**Fig. 5.2** **a** Schematic representation of Si–H bond dissociation, as per (5.1), and diffusion of species X (=H). **b** Diffusion front at time  $t$  reaches  $z \sim \sqrt{D_H t}$ . The diffusion profile (symbols; obtained from numerical simulation) can be approximated using the dotted line that facilitates calculation of total diffusing species within the medium, as performed in (5.6)

$$\frac{\partial N_{\text{IT}}}{\partial t} = k_{\text{F}}(N_0 - N_{\text{IT}}) - k_{\text{R}}N_{\text{IT}}N_{\text{X}}^{(1)} \quad (5.2)$$

$$\frac{\partial N_{\text{X}}}{\partial t} = D_{\text{X}} \frac{\partial^2 N_{\text{X}}}{\partial z^2} \quad (5.3)$$

where  $k_{\text{F}}$  is the Si–H bond dissociation rate (influence of Y as a catalyst is considered within this factor),  $k_{\text{R}}$  is the backward reaction or Si- annealing rate,  $N_0$  is the initial ( $t = 0$ ) concentration of Si–H bonds,  $N_{\text{IT}}$  is the interface trap density,  $N_{\text{X}}$  is the concentration of X along the  $z$ -axis (superscript (1) indicates near Si/SiO<sub>2</sub> interface quantities), and  $D_{\text{X}}$  is the diffusion co-efficient of X within the diffusing media (like oxide and gate). The fluxes of (5.2)–(5.3) are balanced by the following boundary condition:

$$\frac{\partial}{\partial t} \left[ \frac{1}{2} \delta N_{\text{X}}^{(1)} \right] = \frac{\partial N_{\text{IT}}}{\partial t} - D_{\text{X}} \frac{\partial N_{\text{X}}^{(1)}}{\partial z} \quad (5.4)$$

where  $\delta$  is the interfacial layer thickness approximately equal to the Si–H bond length  $\delta \sim 1.5 \text{ \AA}$  [12], and superscript (1) indicates near Si/SiO<sub>2</sub> interface quantities. Equation (5.4) suggests that  $N_{\text{X}}$  is increased by Si–H bond dissociation and is decreased by the outward diffusion flux.

At  $t \gg 0$ , when the rate of diffusion defines the overall kinetics, the surface reaction is in quasi-equilibrium, i.e.,  $\partial N_{\text{IT}}/\partial t \sim 0$  and hence (5.2) yields:

$$k_{\text{F}}N_0 \cong k_{\text{R}}N_{\text{X}}^{(1)}N_{\text{IT}} \quad (5.5)$$

The solution of (5.3) is an error function  $\sim \text{erfc}[z/\sqrt{(D_{\text{X}}t)}]$  that can be approximated using a triangular profile with significant values of  $N_{\text{X}}$  from  $z = 0$  to  $\sqrt{(16D_{\text{X}}t/\pi)}$  (Fig. 5.2b) [16, 17, 26, 27]. The integral of X from  $z = 0$  to  $\infty$  equals  $N_{\text{IT}}$ , so that one obtains:

$$N_{\text{IT}} = \int_{z=0}^{z=\infty} N_{\text{X}}(z, t) dz \cong \frac{1}{2} N_{\text{X}}^{(1)} \sqrt{16D_{\text{X}}t/\pi} \quad (5.6)$$

Combining (5.5) and (5.6), we have:

$$N_{\text{IT}} \cong \left( \frac{k_{\text{F}}N_0}{k_{\text{R}}} \right)^{1/2} (4D_{\text{X}}t/\pi)^{1/4} \quad (5.7)$$

which suggests interface trap generation to have a power-law time exponent,  $n = 1/4$ .<sup>1</sup> When the forward and reverse reactions, as well as the diffusion process, have Arrhenius temperature activation in the form of  $\sim \exp[-E_A/kT]$ , where  $E_A$  is the activation energy, (5.7) suggests:

$$E_{A,IT} = \frac{1}{2} (E_{A,kF} - E_{A,kR} - aE_{OX}) + \frac{1}{4} E_{A,DX}, \quad (5.8)$$

where,  $E_{A,kF}$ ,  $E_{A,kR}$ ,  $E_{A,DX}$ , and  $E_{A,IT}$  are the activation energies for  $k_F$ ,  $k_R$ ,  $D_X$ , and interface trap, respectively; and  $aE_{OX}$  represents the field-induced barrier reduction for Si–H bond dissociation with  $a$  being the effective dipole moment. We will discuss this field-induced barrier reduction in more detail later in Sect. 5.6.

### 5.2.1 Diffusing/Drifting Species in RD Formalism

Jeppson's model did not explicitly identify the diffusing species or the diffusion mechanism. The Hydrogen released from the Si–H bond can diffuse or drift as a neutral atom H, or as a proton  $H^+$ , or as a molecule  $H_2$ , or in any of their combinations. As shown below, these species and their diffusion mechanism define critical parameters of the RD solution.

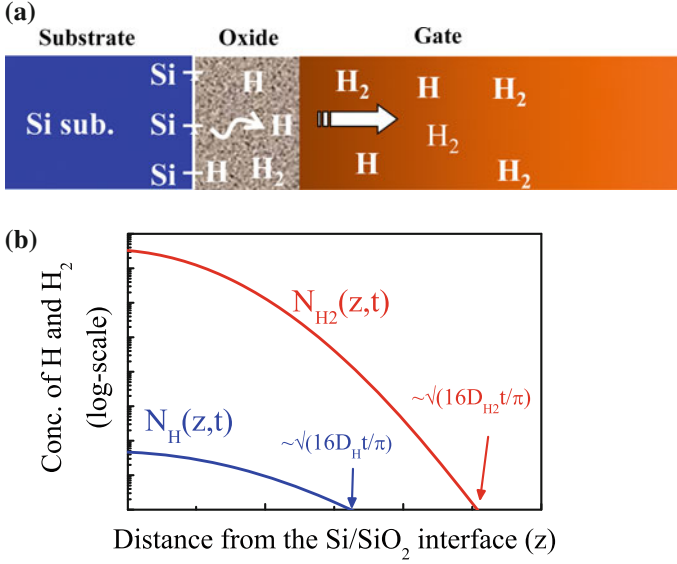
#### 5.2.1.1 H and $H_2$ Diffusion with Direct H– $H_2$ Conversion

In a general sense, atomic H released from Si–H dissociation can diffuse away from the interface, dimerize with another H, and form  $H_2$  that can also diffuse away from the interface (see Fig. 5.3 for a schematic representation). (An alternate method of second interface assisted  $H \rightarrow H_2$  conversion is discussed in the next section.) The following equations define the related kinetics [16, 17, 19, 20]:

$$\frac{dN_{IT}}{dt} = k_F(N_0 - N_{IT}) - k_R N_{IT} N_H^{(1)} \quad (5.9)$$

$$\begin{aligned} \frac{\delta dN_H^{(1)}}{2 dt} &= D_H \frac{dN_H^{(1)}}{dz} + \frac{dN_{IT}}{dt} - \delta k_H [N_H^{(1)}]^2 + \delta k_{H_2} N_{H_2}^{(1)} \\ \frac{\delta dN_{H_2}^{(1)}}{2 dt} &= D_{H_2} \frac{dN_{H_2}^{(1)}}{dz} + \frac{\delta}{2} k_H [N_H^{(1)}]^2 - \frac{\delta}{2} k_{H_2} N_{H_2}^{(1)} \end{aligned} \quad (5.10)$$

<sup>1</sup>This solution is intriguing, as among many differential equations used to describe natural phenomena in this universe, RD is a unique one that gives a robust power-law time exponent for several decades in time, whose value depends only on nature of diffusion.



**Fig. 5.3** **a** Schematic illustration of Si–H bond dissociation and H, H<sub>2</sub> diffusion during NBTI stress. **b** At long stress time, the concentration of H ( $N_H$ ) is small compared to that for H<sub>2</sub> ( $N_{H2}$ ) and hence diffusion of H<sub>2</sub> dominates the kinetics of interface trap generation

$$\begin{aligned} \frac{dN_H}{dt} &= D_H \frac{d^2 N_H}{dz^2} - k_H (N_H)^2 + k_{H2} N_{H2}, \\ \frac{dN_{H2}}{dt} &= D_{H2} \frac{d^2 N_{H2}}{dz^2} + \frac{1}{2} k_H (N_H)^2 - \frac{1}{2} k_{H2} N_{H2}, \end{aligned} \quad (5.11)$$

As before, (5.9) represents the passivation/de-passivation of Si–H bond, (5.10) the conservation of fluxes near the interface, and (5.11) the diffusion of H and H<sub>2</sub> within the oxide and gate. The  $k_H (N_H)^2$  and  $k_{H2} N_{H2}$  terms in (5.10) and (5.11) describe the H–H<sub>2</sub> conversion. Among the new symbols,  $k_H$ ,  $k_{H2}$  represent generation and dissociation rates of H<sub>2</sub>;  $D_H$ ,  $D_{H2}$  represent the diffusion coefficients for H and H<sub>2</sub>; and  $N_H$ ,  $N_{H2}$  represent the concentration of H and H<sub>2</sub>.

To obtain an analytical solution of (5.9, 5.10, 5.11), we assume  $N_0 \gg N_{IT}$  [20–22],  $dN_{IT}/dt \sim N_{IT}/t$  [14, 23],  $dN_H^{(1)}/dt \sim 0$  and negligible diffusion for H. All of these assumptions are based on detailed numerical simulation [20, 22]. The assumptions simplify (5.9) and (5.10) to the following equations:

$$N_H^{(1)} = \frac{k_F N_0 - N_{IT}/t}{k_R N_{IT}} \quad (5.12)$$

$$\frac{N_{IT}}{t} = \delta k_H \left( N_H^{(1)} \right)^2 - \delta k_{H2} N_{H2}^{(1)} \quad (5.13)$$

Moreover, the numerical solution of  $H_2$  profile (Fig. 5.3b) allows a triangular approximation and in a manner similar to (5.6), we can write:

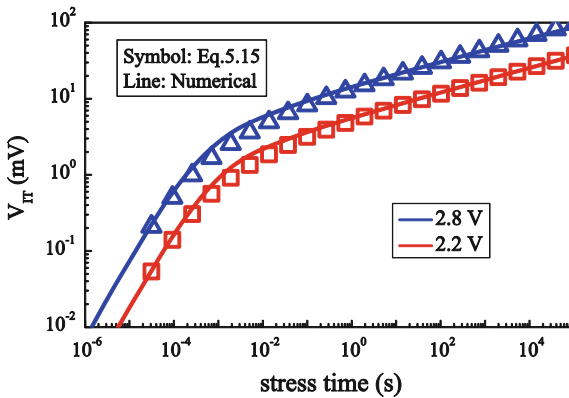
$$N_{IT} \approx N_{H_2}^{(1)} \sqrt{6D_{H_2}t} \quad (5.14)$$

Note that the extent of diffusion profile  $\sqrt{6D_{H_2}t}$  used in (5.14) exactly captures the solution of diffusion equation [20] and is consistent with  $\sqrt{(16D_{H_2}t/\pi)}$  used to capture the diffusion profile [26, 27]. Eliminating  $N_H^{(1)}$  and  $N_{H_2}^{(1)}$  from (5.12) to (5.14), we find:

$$\frac{N_{IT}}{t} - \frac{\delta k_H (k_F N_0 - N_{IT}/t)^2}{k_R^2 N_{IT}^2} + \frac{\delta k_{H_2} N_{IT}}{\sqrt{6D_{H_2}t}} = 0. \quad (5.15)$$

Figure 5.4 compares the numerical solution of (5.9)–(5.11) with the (implicit) analytical solution of (5.15) that agrees within 20 % over  $\sim 10$  decades in stress time. Equation (5.15) reduces to—(i) the reaction-limited solution  $N_{IT} = k_F N_0 t$ , when the first and third terms become negligible at very short stress time, (ii) the  $H_2$  diffusion limited solution  $N_{IT} = (k_H/k_{H_2})^{1/3} (k_F N_0/k_R)^{2/3} (6D_{H_2}t)^{1/6}$ , when  $N_{IT}/t$  becomes negligible at the long stress time. At an intermediate stress time, the diffusive term (third term) in (5.15) is negligible and  $k_F N_0 \gg N_{IT}/t$ , which yields the solution of  $N_{IT} = (k_F N_0/k_R)^{2/3} (\delta k_H t)^{1/3}$ —the signature of H– $H_2$  conversion [20]. Using the approximation of (5.15) at long stress time (when  $H_2$  diffusion dominates the kinetics), one can estimate the following expression of activation energy for  $N_{IT}$ :

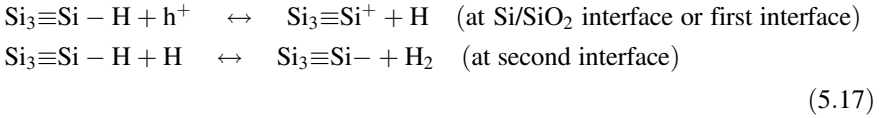
$$E_{A,IT} = \frac{2}{3} (E_{A,kF} - E_{A,kR} - aE_{ox}) + \frac{1}{6} E_{A,DH_2} + \frac{1}{3} (E_{A,kH} - E_{A,kH_2}) \quad (5.16)$$



**Fig. 5.4** Comparison of numerical solution of  $\Delta N_{IT}$  (lines) from (5.9) to (5.11) with analytical solution using (5.15) (symbols). Simulation is performed for a transistor having effective oxide thickness: 2.2 nm, stressed at  $T = 125$  °C and at the voltages mentioned in the legend

### 5.2.1.2 H and H<sub>2</sub> Diffusion with a Second-Interface Assisted Dimerization

As an alternative to the direct H to H<sub>2</sub> dimerization discussed in the last section, dimerization can also result from reactions involving both the first Si/SiO<sub>2</sub> interface and at a second interface (like the SiO<sub>2</sub>/poly gate interface [21, 24]), as follows:



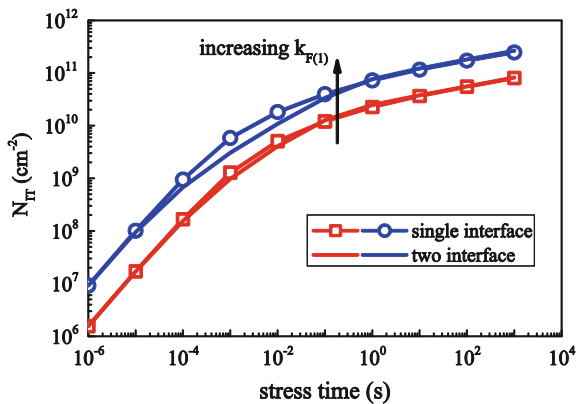
The creation of dangling Si- bonds at a second interface like SiO<sub>2</sub>/poly has been confirmed using low-voltage stress induced leakage current (LV-SILC) experiments [23, 24]. The following rate equations describe the kinetics of the reactions presented in (5.17):

$$\frac{dN_{\text{IT}(1)}}{dt} = k_{\text{F}(1)}(N_{0(1)} - N_{\text{IT}(1)}) - k_{\text{R}(1)}N_{\text{IT}(1)}N_{\text{H}}^{(1)} \quad (5.18)$$

$$\frac{dN_{\text{IT}(2)}}{dt} = k_{\text{F}(2)}(N_{0(2)} - N_{\text{IT}(2)})N_{\text{H}}^{(2)} - k_{\text{R}(2)}N_{\text{IT}(2)}N_{\text{H}_2}^{(2)} \quad (5.19)$$

where variables with (1) and (2) represent the quantities at the first and second interfaces, respectively. A numerical solution of (5.18)–(5.19) with appropriate boundary conditions suggests 1/6 time exponent at long stress time, similar to the single interface H–H<sub>2</sub>RD model with direct H to H<sub>2</sub> dimerization (Fig. 5.5), with some differences near the reaction ( $n \sim 1$ ) to diffusion ( $n \sim 1/6$ ) transitions [21, 23]. For transistors with SiO<sub>2</sub>/high-K gate dielectric, the second interface for the above two-interface reactions will be at the SiO<sub>2</sub>/high-K interface, as illustrated

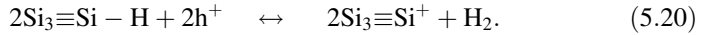
**Fig. 5.5** Comparison of  $\Delta N_{\text{IT}}$  time evolution of single-interface and two-interface RD models for two different  $k_{\text{F}}$  values corresponding to first interface reaction



in Fig. 6.4. The RD analysis for this SiO<sub>2</sub>/high-K interface, however, remains the same as that for the SiO<sub>2</sub>/poly interface presented above.

### 5.2.1.3 H<sub>2</sub>-Only Diffusion

As an approximation to the generalized H–H<sub>2</sub> based RD models discussed above, we assume H to H<sub>2</sub> dimerization only at the silicon/oxide interface using the following chemical reaction:



The kinetics of (5.20) can be captured using the following rate equation, where we consider  $[\text{N}_{\text{H}}^{(1)}]^2 \sim [\text{N}_{\text{H}_2}^{(1)}]$  for the bimolecular reaction:

$$\frac{\partial N_{\text{IT}}}{\partial t} = k_{\text{F}}(N_0 - N_{\text{IT}}) - k_{\text{R}}N_{\text{IT}}\sqrt{N_{\text{H}_2}^{(0)}} \quad (5.21)$$

The same procedure used in (5.2)–(5.7) yields,

$$N_{\text{IT}} \sim \left(\frac{k_{\text{F}}N_0}{k_{\text{R}}}\right)^{2/3} (4D_{\text{H}_2}t/\pi)^{1/6}. \quad (5.22)$$

The RD framework with H<sub>2</sub> diffusion, therefore, predicts a power-law time exponent,  $n \sim 1/6$  and the following activation energy [steps are same as that in (5.8)] for the interface trap generation:

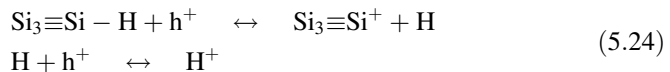
$$E_{\text{A,IT}} = \frac{2}{3}(E_{\text{A,kF}} - E_{\text{A,kR}} - aE_{\text{ox}}) + \frac{1}{6}E_{\text{A,DH}_2}. \quad (5.23)$$

### 5.2.1.4 H-Only Diffusion

Analysis for RD framework with H-only diffusion is same as Jeppson's RD analysis in (5.1)–(5.8) with the replacement of X with H and Y with h<sup>+</sup>.

### 5.2.1.5 Drift of Proton (H<sup>+</sup>)

Protons may be produced from the dissociation of Si–H bonds as follows:



Just as in (5.5), consideration of dynamic equilibrium between dissociation and annealing for  $t \gg 0$  yields:

$$k_F N_0 \cong k_R N_{H^+}^{(0)} N_{IT}. \tag{5.25}$$

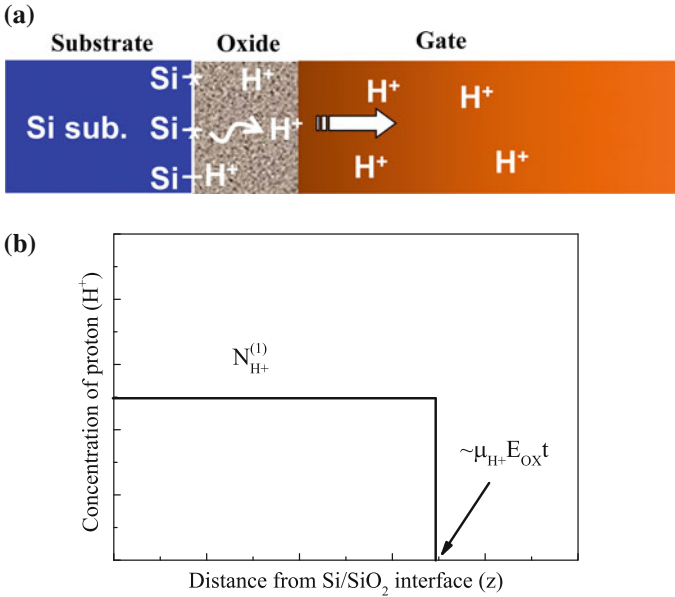
Under NBTI stress condition, protons will drift faster than diffusion, so that we can estimate the amount of  $N_{IT}$  at  $t \gg 0$  (Fig. 5.6) using [16]:

$$N_{IT} = \int_{z=0}^{z=\infty} N_{H^+}(z, t) dz \sim N_{H^+}^{(0)} \mu_{H^+} E_{ox} t \tag{5.26}$$

where  $\mu_{H^+}$  is the mobility of  $H^+$  and  $E_{OX}$  is the applied electric field under NBTI stress. Combining (5.25) and (5.26), we obtain:

$$N_{IT} \sim \left( \frac{k_F N_0}{k_R} \mu_{H^+} E_{ox} \right)^{1/2} t^{1/2}, \tag{5.27}$$

that suggests  $n = 1/2$  for proton diffusion.



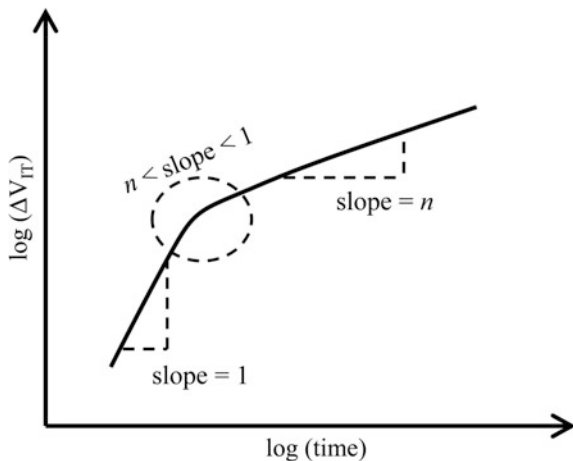
**Fig. 5.6** **a** Schematic illustration of Si–H bond dissociation and drift (that dominates over diffusion) of  $H^+$ . **b** Drift front at time  $t$  reaches  $\mu_{H^+} E_{OX} t$  and can be approximated using a *rectangle* [16], as used in (5.26)

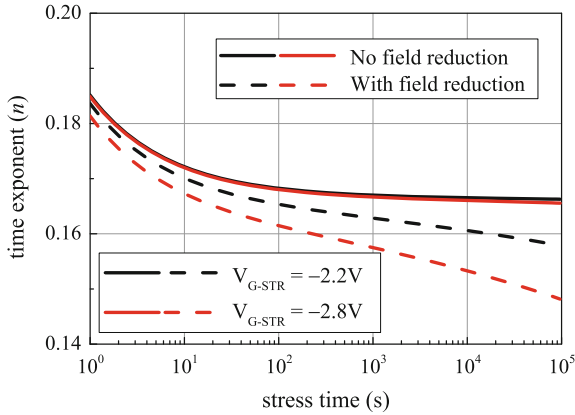


### 5.2.2 Features of RD Formalism for NBTI Stress Phase

Figure 5.7 shows a generalized schematic for the time evolution of  $\Delta V_{IT}$  for the NBTI stress phase in a log-log scale. For short stress time,  $\Delta V_{IT} \sim N_{IT} = k_F N_0 t$  for any diffusing species that explains the unity time exponent in that region. For a higher stress time, the diffusion of Hydrogen species and H to  $H_2$  dimerization reduces the time exponent from unity. The time exponent in this transient phase depends on the type of RD model under consideration (e.g., equals 1/3 for the RD model with H and  $H_2$  diffusion and direct H to  $H_2$  dimerization [18]). At long stress time, time exponent settles down to  $n$  and its magnitude is a unique signature of the diffusing species under consideration. For atomic H, molecular  $H_2$  and proton,  $n$  is 1/4, 1/6, and 1/2, respectively, irrespective of the mechanism of H to  $H_2$  conversion, stress voltage, temperature, gate dielectric, and channel strain. However, when a transistor is stressed at a fixed  $V_{G-STR}$  for a long time, a typical case for NBTI experiments, there is a reduction of time exponent from the  $n$  values mentioned above [20]. A long-duration NBTI stress at a fixed  $V_{G-STR}$  increases the threshold voltage of a transistor and reduces the oxide electric field from its value at the beginning of NBTI stress. This reduced electric field breaks the Si-H bond at a lower rate and hence causes reduction in the time exponent. This particular aspect of soft-saturation at a long stress time is very important to predict NBTI lifetime, as a reduction in time exponent can significantly increase the lifetime of a transistor at a certain operating condition, thus relax the reliability criteria for transistor designers. Figure 5.8 shows variation in the time exponent as a function of stress time for various stress bias for the transistor analyzed in Fig. 5.4 using H- $H_2$ RD model. The time exponent reduces from the robust  $n \sim 1/6$  value at a rate of  $\delta n \sim 0.005/\text{decades}$  with the reduction being higher for higher  $V_{G-STR}$ .

**Fig. 5.7** A generalized schematic for temporal evolution of  $\Delta V_{IT}$  in a log-log scale. The slope of the degradation changes from 1 to  $n$  over time. The magnitude of  $n$  and also the slope in the transition region (highlighted using dashed circle) depend on the diffusing species



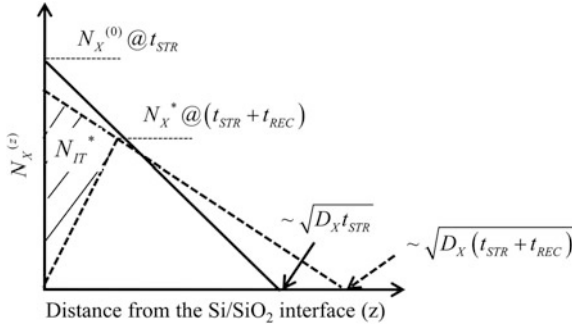


**Fig. 5.8** Decrease in long-term time exponent (soft-saturation) due to the reduction of stress field with time, when the transistor studied in Fig. 5.4 is stressed at different  $V_{G-STR}$  and at  $T = 125^\circ\text{C}$ . Here, the *dashed lines* consider the effect of soft-saturation, whereas *solid lines* do not [20]

### 5.3 RD Formalism for NBTI Relaxation Phase

One important feature of NBTI-induced generation of interfacial defects is their reverse-annealing (or relaxation), once NBTI stress voltage is removed [24–31]. This recovery makes NBTI distinct compared to other transistor reliability concerns, such as TDDDB [32–38] and HCI [39–41], where generated defects show negligible recovery. When NBTI stress is removed after a time  $t_{STR}$  (i.e., in the NBTI relaxation phase), the Hydrogen species generated during the stress phase diffuse back towards the Si/oxide interface and passivates interface traps. Note that a similar Hydrogen diffusion and dangling Si-bond passivation has been the key for operation of a CMOS transistor [1–4, 8–10]. The start of interface trap passivation during the NBTI relaxation phase, therefore, depends on the time required for backward diffusion of Hydrogen species, which is relatively slow compared to the other components of NBTI (Fig. 5.1 and Sect. 6.3). In the following discussion, the physics of this slow start and continuous recovery of interface traps will be elaborated based on RD formalism.

If  $V_{G-STR}$  is completely removed during NBTI relaxation (the typical case), the first term in (5.2) drops out, which allows annealing of interface traps or Si-bonds via backward diffusion of the Hydrogen species. For partial reduction in  $V_{G-STR}$ , some of the interface traps are also passivated. The RD simulation of such relaxation with a non-zero stress voltage (Sect. 6.3) requires a change in  $k_F$  as per Sect. 5.6 in (5.2). A subtraction of this back-diffused Hydrogen component running from  $t_{STR}$  till time  $t (>t_{STR})$ , one can write the following expression for  $N_{IT}$  in the typical relaxation phase [12–25]:



**Fig. 5.9** Approximate Hydrogen profile at the start of NBTI relaxation (*solid line*;  $t = t_{STR}$ ) and after a recovery time of  $t_{REC}$  (*dashed line*;  $t = t_{STR} + t_{REC}$ ). See text for the definition of other parameters

$$N_{IT}(t > t_{STR}) = N_{IT}(t_{STR}) - N_{IT}^*(t) \tag{5.28}$$

The calculation of  $N_{IT}^*(t)$  in (5.28) involves consideration of back-diffused Hydrogen species near the interface (schematically illustrated in Fig. 5.9) and takes the form [25]:

$$N_{IT}^*(t) \approx N_X^* \sqrt{\delta D_X (t - t_{STR})} \tag{5.29}$$

where  $\zeta$  is a constant indicating the asymmetry in diffusion and equals 0.5 for symmetric diffusion; use of  $\xi \sim 0.58$  fits detailed simulation of interface defect passivation [25]. Using Fig. 5.9, a second approximation of  $N_{IT}(t)$  takes the following form:

$$N_{IT}(t) \approx N_X^* \sqrt{D_X t}. \tag{5.30}$$

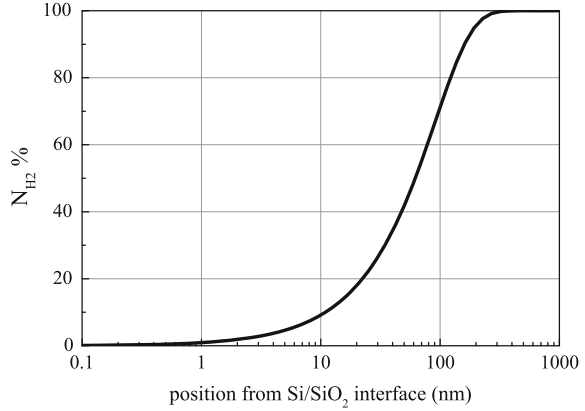
Eliminating  $N_X^*(t)$  from (5.28) to (5.30), one obtains the following expression for  $N_{IT}$  in the relaxation phase:

$$N_{IT}(t_{REC}) = N_{IT}(t_{STS}) \left/ \left[ 1 + \sqrt{\frac{\zeta t_{REC}}{t_{STS} + t_{REC}}} \right] \right. \tag{5.31}$$

where  $t_{REC} (=t - t_{STR})$  indicates the duration of NBTI relaxation.

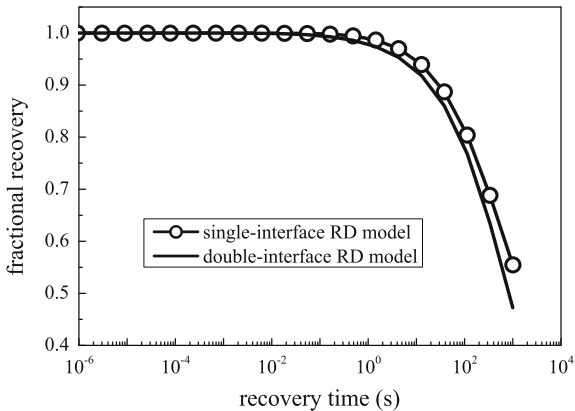
The calculations for the relaxation of interface defects presented in (5.28)–(5.31) is valid in general for any neutral diffusing species (H or H<sub>2</sub>). Note that, as discussed in Sect. 5.2, these diffusing species are more relevant for NBTI stress. For the H–H<sub>2</sub>RD model with direct H to H<sub>2</sub> dimerization, RD simulation predicts a 5 % trap passivation (i.e.,  $1 - N_{IT}(t_{REC})/N_{IT}(t_{STR}) = 5\%$ ) of defects at  $t_{REC} \sim 0.005 t_{STR}$  and a complete passivation at  $t_{REC} \rightarrow \infty$ . To understand this onset of passivation, we analyze the H<sub>2</sub> profile for a transistor stressed at a certain  $V_{G,STR}$ ,  $T$  and for  $t_{STR} = 1000$  s. Figure 5.10 plots the percentage of Hydrogen species (mostly H<sub>2</sub> for

**Fig. 5.10** Percentage of  $H_2$  as a function of distance from the interface ( $z$ ) at the end of stress ( $V_{G-STR} = -2.3$  V,  $T = 125$  °C) for a transistor having 1.4 nm gate dielectric after  $t_{STR} = 1000$  s



this RD model) at different distances away from the interface and suggests the presence of  $\sim 5\%$   $H_2$  within 4 nm away from the interface. To achieve the recovery of interface traps from this 5%  $H_2$ , one needs  $t_{REC} \sim z^2/4D_{H_2} \sim 1$  s (for  $D_{H_2} \sim 10^{-14}$   $cm^2 s^{-1}$  [23]) that supports the analytical calculation using (5.31).

For the second-interface assisted H to  $H_2$  dimerization, the faster diffusion of Hydrogen species inside the oxide compared to that in the poly-Si gate results faster start of interface trap passivation compared to the single-interface model [23], as confirmed in Fig. 5.11 using a single set of parameters for the single-interface and double-interface models.



**Fig. 5.11** Comparison of interface trap passivation during the NBTI relaxation phase for the single interface RD model: direct H to  $H_2$  dimerization (*line with symbols*) and second interface assisted H to  $H_2$  dimerization (*solid line*). The simulation uses a transistor with 1.4 nm gate dielectric stressed using  $V_{G-STR} = -2.3$  V,  $T = 125$  °C for  $t_{STR} = 1000$  s and then relaxed at 0 V

## 5.4 RD Formalism for AC NBTI Stress

The passivation of interface traps due to the removal of stress generates some of the interesting features for the AC NBTI stress, where the stress is turned ON and OFF periodically at a certain frequency and duty cycle. As diffusion of Hydrogen species dictates the NBTI dynamics, for the ON state of the first AC cycle ( $t_{\text{ON}}$ ), we can write:

$$N_{\text{IT}}(t_{\text{ON}}) = At_{\text{ON}}^n \quad (5.32)$$

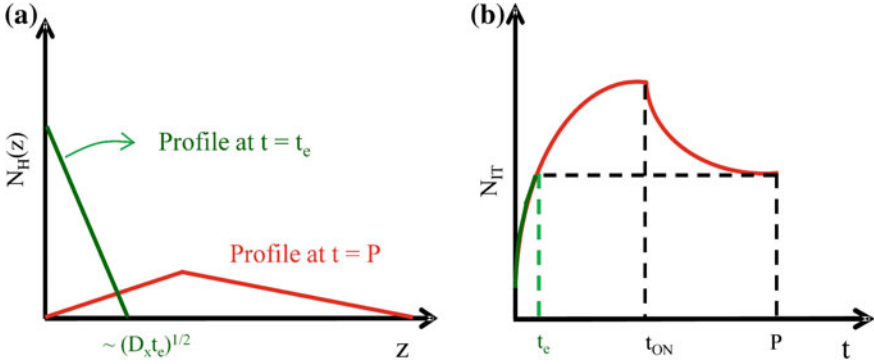
where  $t_{\text{ON}}$  is the duration of ON state during AC NBTI stress,  $A$  is the pre-factor containing reaction-rate and diffusion coefficient related terms, and values of  $n$  depends on the diffusing species (see Sect. 5.2). Similarly, we can rewrite (5.31) to obtain the following expression:

$$R_2 = \frac{N_{\text{IT}}(P)}{N_{\text{IT}}(t_{\text{ON}})} = \left(1 + \sqrt{\frac{\xi t_{\text{OFF}}}{P}}\right)^{-1} = \frac{R_1}{1 + \sqrt{(1-d)\xi}} \quad (5.33)$$

where  $P$  is the period and  $t_{\text{OFF}}$  is the duration of OFF state during AC NBTI stress,  $d (=t_{\text{ON}}/P)$  is the duty cycle,  $R_i$  is the ratio of  $N_{\text{IT}}$  at the end of  $i$ -th step of AC stress (e.g.,  $i = 2$  for one complete AC cycle) to  $N_{\text{IT}}$  at the end of 1st step; hence,  $R_1 = 1$ . Note that (5.33) is an exclusive universal function of time and is independent of voltage, temperature and power-law time exponent. As discussed below, this universality leads to one of the characteristic feature of RD formalism, namely the frequency independence of NBTI response. Specifically, consider two transistors subjected to a long series of NBTI stress-relaxation sequences at two different frequencies  $f_1$  and  $f_2$ . The theory suggests that if integrated operation time remains the same, i.e.,  $P_{\text{max}} = N_1 * f_1 = N_2 * f_2$ , the total degradation also remains the same, i.e.,  $N_{\text{IT}}(f_1) = N_{\text{IT}}(f_2)$ .

The proof of this ‘frequency-independence’ is elementary, but involves a tedious derivation [17]. If the transistor is re-stressed after the first stress-relaxation cycle, the forward reaction will resume and new traps will be generated. The history of the traps generated in the complex interplay of stress and relaxation in the first cycle can be captured in the notion of an ‘equivalent time’, as defined in Fig. 5.12 and calculated as  $R_2 At_{\text{ON}}^n = At_e^n$ , or equivalently,  $t_e/t_{\text{ON}} = (R_2)^{1/n}$ . With this definition of  $t_e$ , the number of interface traps generated in the stress phase of second AC cycle is  $N_{\text{IT}}(P + t) = N_{\text{IT}}(t_e + t) = A(t_e + t)^n$ , so that we obtain:

$$R_3 = \frac{N_{\text{IT}}(P + t_{\text{ON}})}{N_{\text{IT}}(t_{\text{ON}})} = \frac{A(t_e + t_{\text{ON}})^n}{At_{\text{ON}}^n} = \left(1 + R_2^{1/n}\right)^n; R_3^n = 1 + R_2 \quad (5.34)$$



**Fig. 5.12** **a** Hydrogen profiles at  $T$  and at effective time  $t_e$ . Here,  $t_e$  is computed such that areas under both the profiles are same. **b** One can also compute  $t_e$  by projecting the residual interface trap density at the end of an AC stress cycle ( $P$ ) to the degradation curve and then by finding the corresponding degradation time

In general,  $R_i$  at the end of ON-state of  $k$ th AC cycle is related to that at the end of  $(k - 1)$ th AC cycle is given by:

$$R_{2k-1}^{\frac{1}{n}} = 1 + R_{2k-2}^{\frac{1}{n}} \quad (5.35)$$

Following steps similar to the first AC cycle as in (5.28)–(5.30), for the relaxation phase of the second AC cycle, we can write:  $N_{IT}^*(2P) \approx \sqrt{\xi D_X t_{OFF}} N_X^*$ ,  $N_{IT}(2P) - N_{IT}(P) \approx \sqrt{D_X P} N_X^*$  and  $N_{IT}(2P) = N_{IT}(P + t_{ON}) - N_{IT}^*(2P)$ . Eliminating  $N_X^*$  and  $N_{IT}^*$  from these equations, we obtain:

$$N_{IT}(2P) = \frac{N_{IT}(P + t_{ON})}{1 + \sqrt{\frac{\xi t_{OFF}}{t_{OFF} + t_{ON}}}} + \frac{\sqrt{\frac{\xi t_{OFF}}{t_{OFF} + t_{ON}}}}{1 + \sqrt{\frac{\xi t_{OFF}}{t_{OFF} + t_{ON}}}} N_{IT}(P), \quad (5.36)$$

$$R_4 = \frac{1}{1 + \sqrt{(1-d)\xi}} R_3 + \frac{\sqrt{(1-d)\xi}}{1 + \sqrt{(1-d)\xi}} R_2. \quad (5.37)$$

A similar argument can be applied for any even numbered AC cycle and hence (5.37) can be generalized as:

$$R_{2k-2} = \frac{1}{1 + \sqrt{(1-d)\xi}} R_{2k-3} + \frac{\sqrt{(1-d)\xi}}{1 + \sqrt{(1-d)\xi}} R_{2k-4}. \quad (5.38)$$

By combining (5.35) and (5.38), and also by considering  $R_{2k-3}^{1/n} = 1 + R_{2k-4}^{1/n}$  as an extension of (5.35) and  $R_{2k-3} \gg 1$  (for large number of AC cycles), we find the following recursion relationship:

$$R_{2k-1}^{\perp} = 1 + R_{2k-3}^{\perp} \left[ 1 - n \frac{\sqrt{(1-d)\xi}}{1 + \sqrt{(1-d)\xi}} \frac{1}{R_{2k-3}^{\perp}} \right] \cong \frac{1}{1 + \sqrt{(1-d)\xi}} + R_{2k-3}^{\perp}, \quad (5.39)$$

which has the following general form:

$$R_{2k}^{\perp} \approx \frac{k}{1 + \sqrt{(1-d)\xi}}. \quad (5.40)$$

### 5.4.1 Frequency Independence

Let us now evaluate (5.40) for two AC waveforms with time periods  $P_1 (=1/f_1)$  and  $P_2 (=1/f_2)$  and number of cycles  $k_1$  and  $k_2$  ( $\gg 1$ ). If the duty cycle and the duration of AC NBTI stress for these two waveforms are same, i.e.,  $k_1 P_1 = k_2 P_2$ , the ratio of generated interface trap can be expressed as:

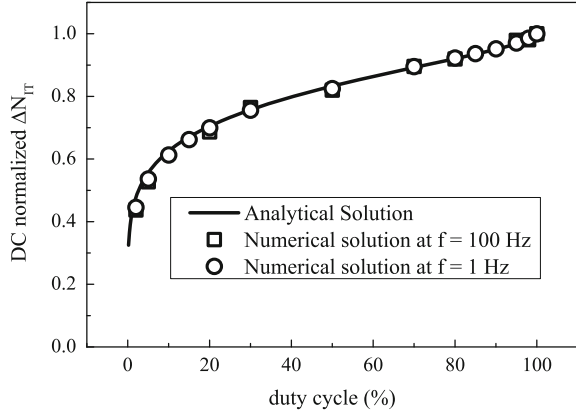
$$\text{AC/DC - Ratio} = \frac{N_{IT1}(f_1, d)}{N_{IT2}(f_2, d)} \approx \left( \frac{k_1}{k_2} \right)^n \left( \frac{t_{ON,1}}{t_{ON,2}} \right)^n = 1. \quad (5.41)$$

Therefore, (5.41) establishes that interface trap density for any frequency will be same, provided the transistor is stressed with same  $d$ , in other words, AC NBTI is frequency independent irrespective of the voltage and temperature of operation. Anyone familiar with traditional linear systems based on RC circuits would immediately appreciate the highly unusual nature of the proposition. It is as if one has defined a broadband filter with same gain starting from a few Hz to 1 GHz with no variation in the gain!

### 5.4.2 Duty Cycle Dependence

In the discussion above, we have seen that AC degradation is frequency independent for a fixed duty cycle of operation, however, that does not mean that the AC/DC ratio is fixed for any duty cycle. Obviously, if the duty cycle is close to 100 %, NBTI degradation approaches values as obtained for the DC stress and degradation disappears for zero duty cycle. To derive this duty cycle dependence, we use (5.40) and calculate the ratio of the number of interface traps generated at the end of  $k$ th AC cycle and at the end of same duration DC stress, as given below:

**Fig. 5.13** Numerical solution of duty cycle dependence at different frequency compares well with the analytical solution of (5.42)



$$\text{AC/DC - Ratio}(d) = \frac{N_{\text{IT,AC}}(kP)}{N_{\text{IT,DC}}(kP)} \approx \left( d / \left( 1 + \sqrt{\frac{1-d}{2}} \right) \right)^n. \quad (5.42)$$

As seen in Fig. 5.13, (5.42) matches the numerical solution and establishes the duty cycle dependence of AC/DC-Ratio as a universal observation for any frequency.

## 5.5 Key Features of RD Theory

RD theory makes the following four unique and self-consistent predictions for NBTI without any adjustable parameters:

- (a) At long stress time, interface trap generation is described by a power-law, i.e.,  $N_{\text{IT}}(t) = At^n$
- (b) Once the stress is removed, the relaxation given by (5.31) is only a function of  $t_{\text{REC}}/t_{\text{STR}}$
- (c) For a given duty cycle, the ratio of degradation due to DC stress and AC stress is frequency independent
- (d) AC/DC-Ratio for any frequency is a unique function of the duty cycle.

These features of RD theory are critical for NBTI reliability projection and equivalent circuit modeling. For example, if instead of a power-law, NBTI degradation had been described by  $N_{\text{IT}}(t) = B \ln(t)$ , and if the AC/DC ratio decreased with frequency, NBTI would have become an unimportant reliability phenomenon at high-frequency and for long period of usage.



## 5.6 Mechanism of Si–H Bond Dissociation

The mechanism of Si–H bond dissociation defines the factor  $k_F$  in (5.7), (5.15), (5.27) and the factor  $k_{F(1)}$  in (5.18), thus critically controls interface trap generation at different  $V_{G-STR}$ . Though first-principle calculations [42, 43] suggest large energy barrier  $\sim 2.5$  eV (which in presence of hole reduces to  $\sim 2.3$  eV) and endothermic reaction (with reaction energy  $\sim 2$  eV) for the Si–H bond dissociation, application of electric field under NBTI stress reduces the energy barrier and makes the reaction exothermic [20, 27].<sup>2</sup> The field dependence of interface trap generation has been considered using several empirical field models, e.g., exponential model with a dissociation factor  $\propto \exp(\gamma E)$  [44, 45], power-law model with the factor  $\propto (E)^p$  [47], and mixed model with the factor  $\propto E \exp(\gamma E)$  [14, 21, 47, 48], where  $\gamma$  is the field acceleration factor. As shown below, a physical consideration of Si–H bond stretch and dissociation [14, 47] can validate the model with  $E \exp(\gamma E)$  dissociation factor for proper estimation of NBTI lifetime at operating conditions.

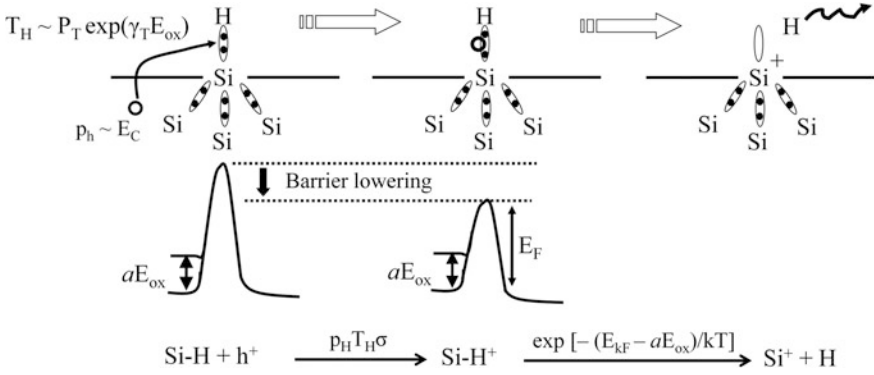
### 5.6.1 Hole-Assisted, Field-Enhanced, Thermal Dissociation of Si–H Bond

The model for Si–H bond dissociation is presented in Fig. 5.14. Under NBTI stress condition, there are holes near the silicon-oxide interface with a concentration,  $p_h \sim E_c$ ; where  $E_c$  represents the electric field due to mobile carriers and its magnitude equals the total electric field  $E_{OX}$  in accumulation and equals  $E_{OX}$  minus the depletion charge contribution in inversion. The holes from accumulation or inversion layer tunnel towards the Si–H bond (bond length  $\sim 1.5$  Å [10]) with a tunneling probability  $T_H$ . This capture of holes by the Si–H bond reduces the energy barrier for its dissociation to  $E_{A,kF}$ . In addition to this hole capture, the polarity of electric field during NBTI stress stretches the Si–H bond and further reduces its barrier by  $aE_{OX}$ , where  $a$  is the effective dipole moment for the Si–H bond [20, 49]. This results a factor  $B \propto \exp[-(E_{A,kF} - aE_{OX})/k_B T]$  for the thermal dissociation of Si–H bond. Therefore, the Si–H bond under NBTI stress breaks at a rate of:

$$k_F \sim p_h T_H B \sim E_c T_H \exp[-(E_{A,kF} - aE_{OX})/k_B T] \quad (5.43)$$

The tunneling probability  $T_H$  in (5.43) can be estimated using the following Wentzel–Kramers–Brillouin (WKB) approximation:

<sup>2</sup>An alternate dissociation mechanism of Si–H via passivated dopants like phosphorous-Hydrogen (P–H) complex though have a lower dissociation energy and a exothermic reaction, P–H assisted dissociation of Si–H results  $n \sim 1/4$  [12, 26] and  $E_{A,IT} \sim 0.36$  eV, which is not supported by recent NBTI measurements, see Chap. 3.



**Fig. 5.14** The model for Si–H bond dissociation considers holes from the channel of a transistor (concentration  $p_h \sim E_c$  in inversion and  $p_h \sim E_{OX}$  in accumulation) near the Si/dielectric interface tunnel into and is captured by the Si–H bond, thus leading to a hole-assisted, field-enhanced, thermal dissociation of the Si–H bond and generation of interface defects (Si-) at the silicon-oxide interface

$$T_H \sim \exp \left[ -2 \int_0^{t_{int}} dx \frac{\sqrt{2qm_{ox}(\varphi_{bh} - xE_{ox})}}{\hbar} \right], \quad (5.44)$$

where  $t_{int}$  is the interfacial layer thickness ( $\sim$ Si–H bond length of 1.5 Å),  $m_{ox}$  is the effective mass of hole in the oxide, and  $\varphi_{bh}$  is the potential energy barrier for hole tunneling at the silicon-oxide interface. The completion of integration in (5.44) and a subsequent Taylor series expansion gives:

$$\ln T_H \sim -2 \frac{\sqrt{2qm_{ox}\varphi_{bh}}}{\hbar} t_{int} + \sqrt{\frac{m_{ox}}{2q\varphi_{bh}}} \frac{qt_{int}^2 E_{ox}}{\hbar} - \dots \quad (5.45)$$

Ignoring the higher order terms in (5.45), we can approximate the tunneling probability using  $T_H \sim P_T \exp(\gamma_T E_{OX})$ , where,

$$P_T \sim \exp \left[ -2 \frac{\sqrt{2qm_{ox}\varphi_{bh}}}{\hbar} t_{int} \right] \quad \text{and} \quad \gamma_T \sim \sqrt{\frac{m_{ox}}{2q\varphi_{bh}}} \frac{qt_{int}^2}{\hbar} \quad (5.46)$$

Overall, the hole-assisted, field enhanced, thermal dissociation of Si–H bond presented in Fig. 5.14 suggests

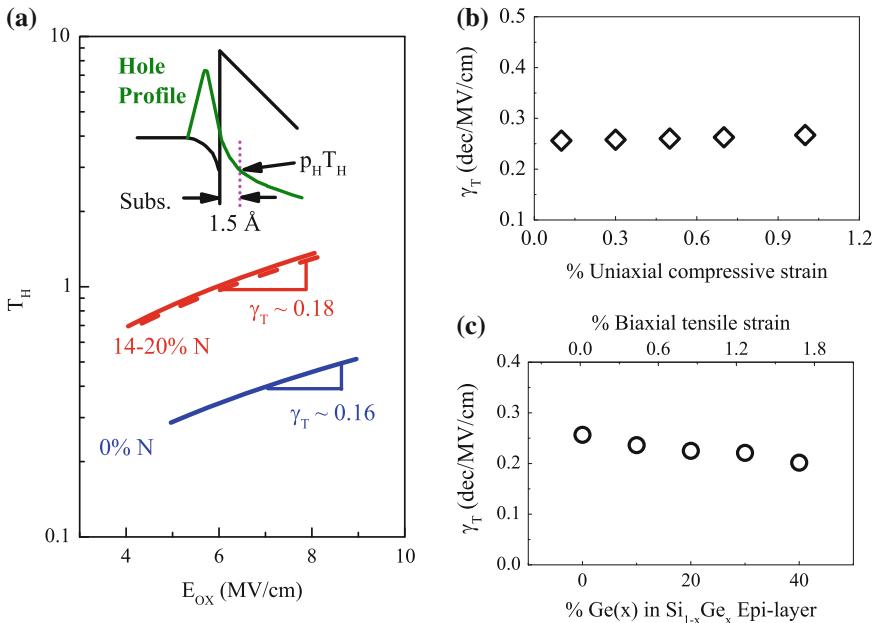
$$k_F \sim E_C P_T \exp[\gamma_T E_{ox} - (E_{A,kF} - aE_{ox})/k_B T] \quad (5.47)$$

Among different parameters in (5.47), the magnitude of applied NBTI stress defines  $E_C$  and  $E_{OX}$ . Activation energy for hole-assisted Si–H bond dissociation  $E_{A,kF}$  are obtained from first-principle calculation [50, 51] and the remaining parameters

$\gamma_T$ ,  $P_T$ , and  $a$  can be theoretically calculated as shown below. Proper estimation of these three parameters are critical to analyze field dependence of interface trap generation, as it effects the prediction of NBTI lifetime in the operation condition of a device from the measured lifetime at accelerated stress conditions.

### 5.6.2 Theoretical Estimation of Tunneling Factors

Among the tunneling parameters in (5.47),  $\gamma_T$  can be calculated from the  $T_H$  vs  $E_{OX}$  plot obtained using detailed quantum-mechanical model [52] or modified WKB approximation [53]; see Fig. 5.15a [47, 54]. The straight-line trend in the semilog-y plot for  $T_H$  as a function of  $E_{OX}$  confirms the insignificance of higher order terms in (5.45). The calculated  $\gamma_T$  from the slope of  $\ln T_H$  vs  $E_{OX}$  plot varies negligibly with nitridation in the gate dielectric (Fig. 5.15a) and with uniaxial (Fig. 5.15b) or



**Fig. 5.15** **a** Tunneling probability ( $T_H$ ) at 1.5 Å away from the transistor channel calculated at different  $E_{OX}$ . *Inset* shows the quantum-mechanical penetration of hole profile used to calculate  $T_H$ ; here, the valence band-diagram is drawn upside-down for clarity. One can estimate  $\gamma_T$  from the slope of  $\ln T_H$  vs  $E_{OX}$  plot for different nitrided gate dielectric. Calculated  $\gamma_T$  for strained transistors, where **b** uniaxial compressive strain in the channel is applied using SiGe source and drain, and **c** biaxial, tensile strain in the channel is applied using SiGe epitaxial layer under the channel. Theoretically extracted values of  $\gamma_T$  show negligible variation with any process technology, especially for strained transistors

biaxial (Fig. 5.15c) channel strain [55]. The calculation details and device parameters for nitrated dielectric and strained channel are provided in [20, 47, 54–56].

Similar to  $\gamma_T$ , tunneling simulation also allows calculation  $P_T$ . Among different parameters that define  $P_T$  (see (5.46)),  $m_{ox}$  and  $\phi_{bh}$  are the ones that changes with gate dielectric and channel strain. For example, nitridation of gate oxide reduces both  $m_{ox}$  and  $\phi_{bh}$  [47, 54] and hence reduces  $P_T$ . Similarly, compressive strain increases  $\phi_{bh}$ , while tensile strain reduces  $\phi_{bh}$  without effecting  $m_{ox}$  [55] and hence also changes  $P_T$  accordingly. Note that variation of  $P_T$  with channel strain and a fixed  $\gamma_T$  universally explains the field dependence of NBTI measured over a broad range of uniaxial/biaxial, compressive/tensile strained transistors [55]. For the analysis of NBTI in nitrated transistors, variations in  $\gamma_T$  (though small, see Fig. 5.15a) and  $P_T$  require appropriate consideration [47, 54].

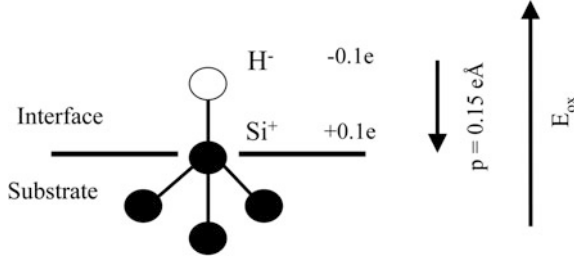
### 5.6.3 Theoretical Estimation of Effective Dipole Moment

One can evaluate the effective dipole moment for Si–H bond [the parameter  $a$  in (5.47)] by considering the electronegativity difference between the Si ( $x_{Si} = 1.8$ ) and H ( $x_H = 2.1$ ) atoms, as per Pauling's scale [57].<sup>3</sup> The corresponding ionic bond energy,  $U_{H-Si} = 1.3(x_{Si} - x_H)^2 = 0.1$  eV leads to an estimation for the effective charge transfer within Si–H dipole as,  $\sqrt{(4\pi\epsilon_0 r U_{H-Si})}$  [49, 57], where  $q$  is the electron charge and  $r$  is the Si–H bond length. The resultant dipole moment for the Si–H bond,  $p = \sqrt{(4\pi\epsilon_0 r U_{H-Si})} r = 0.15q \text{ \AA}$ . Considering that a Si–H dipole resembles a dipolar orientation normal to a thin slab (Fig. 5.16), the local electric field [59] within the dipole can be calculated as  $E_{loc} = (1 + L\chi_{int})E_{OX} = \epsilon_{int}E_{OX}$ ; where,  $L = 1$  is the depolarization factor [59],  $\chi_{int}$  is the dielectric susceptibility at the interface and  $\epsilon_{int}$  is the relative dielectric permittivity at the interface with values  $\sim 3.9$ – $8$  [60]. Under NBTI stress, the polarization vector of the Si–H bond is opposite to the electric field (Fig. 5.16). The potential energy of Si–H bond will therefore be increased by  $pE_{loc} = p\epsilon_{int}E_{OX} = aE_{OX}$  (Fig. 5.14). Using the parameters provided above, we can estimate the effective dipole moment as,  $a = p\epsilon_{int} = 0.6$ – $1.2q \text{ \AA}$ .

### 5.6.4 Procedure for Estimating Model Parameters

The estimation of  $\gamma_T$  and  $a$  using measured data primarily requires a separation of interface trap component of DC NBTI degradation ( $\Delta V_{IT}$  of Fig. 5.1) and then an

<sup>3</sup>Similar calculation can also be performed using Sanderson's scale [58] that leads to similar values.



**Fig. 5.16** Polarization properties of Si-H bond provides an estimation for  $a = p\epsilon_{\text{int}}$ . Here, the polarization vector is opposite to the direction of the applied field under NBTI stress

implementation of the following equations. As  $\text{H}_2$  diffusion dictates  $\Delta V_{\text{IT}}$  at long stress time, one can replace  $k_{\text{F}}$  from (5.47) in (5.22) and write:

$$\Delta V_{\text{IT}} = \frac{q\Delta N_{\text{IT}}}{C_{\text{OX}}} = A_{\text{IT}} * \text{EOT} * (E_{\text{c}})^{2/3} \exp\left(\frac{2\gamma E_{\text{ox}}}{3}\right) \exp(-nE_{\text{D1}}/k_{\text{B}}T)t^n \quad (5.48)$$

where

$$\gamma = \gamma_{\text{T}} + a/k_{\text{B}}T \quad (5.49)$$

$$nE_{\text{D1}} = nE_{\text{A,DH}_2} + \frac{2}{3}(E_{\text{A,kF}} - E_{\text{A,kR}}) \quad (5.50)$$

and the pre-factor

$$A_{\text{IT}} \sim (N_0 P_{\text{T}})^{2/3} \sim [N_0 \exp(-\sqrt{m_{\text{ox}}\phi_{\text{bh}}})]^{2/3} \quad (5.51)$$

The overall activation energy for  $\Delta V_{\text{IT}}$  from (5.48) can be written as,

$$E_{\text{A,IT}} \equiv nE_{\text{A,DH}_2} + \frac{2}{3}(E_{\text{A,kF}} - E_{\text{A,kR}} - aE_{\text{ox}}) = nE_{\text{D1}} - 2/3aE_{\text{ox}} \quad (5.52)$$

For the neutral Hydrogen species [14, 47],  $k_{\text{R}}$ ,  $D_{\text{H}_2}$ ,  $k_{\text{H}}$ , and  $k_{\text{H}_2}$  are field independent therefore the field-dependence of  $k_{\text{F}}$  dictates the field-dependence of  $N_{\text{IT}}$  and hence allows extraction of  $\gamma_{\text{T}}$  and  $a$ . To perform this extraction [20, 47], the measured  $\Delta V_{\text{IT}}$  versus  $t$  data is fitted with (5.48) at different  $V_{\text{G-STR}}$  and  $T$ . This fit allows extraction of  $A_{\text{IT}}$ ,  $\gamma$ ,  $n$  at different  $T$  (here, the manner of fitting includes the variation in the field independent  $E_{\text{D1}}$  within the parameter  $A_{\text{IT}}$ ). A plot of extracted  $\gamma$  versus  $1/k_{\text{B}}T$  gives tunneling parameter  $\gamma_{\text{T}}$  as the intercept at  $T \rightarrow \infty$  and the effective dipole moment  $a$  as the slope; see (5.49). Alternately, one can also estimate  $a$  using (5.52), hence using the extracted  $E_{\text{A,IT}}$  from the temperature dependent  $\Delta V_{\text{IT}}$  versus  $t$  data at different voltage and plotting it as a function of  $E_{\text{OX}}$ . However, presence of noise in the extracted  $E_{\text{A,IT}}$  incorporates inconsistency for the later technique.

## 5.7 Summary

The unique formulation of the RD model presented in this chapter in the context of NBTI allows interpretation of the kinetics of interface defects during NBTI stress and relaxation. For the NBTI stress phase, RD theory captures the bond dissociation at a particular stress bias and temperature and predicts power-law time evolution ( $\sim t^n$ ) for the interface trap generation. The magnitude of this power-law exponent at long stress time depends only on the diffusing species. The density of generated interface defects at a particular stress time, however, depends on how Si–H bonds are broken at different stress conditions like bias, temperature and frequency. A polarized nature of the Si–H bond results their field-enhanced, hole-assisted dissociation with a field dependence of  $E \exp(\gamma E)$ . The temperature dependence of Si–H bond dissociation, as well the diffusion of Hydrogen species, takes the Arrhenius form and defines the Arrhenius activation energy for the interface defect generation. For the NBTI relaxation phase, the time evolution of interface trap repassivation after a fixed duration of stress  $t_{STR}$  takes the form  $\sim 1/[1 + \sqrt{(\xi/(1 + t_{SRT}/t_{REC}))}]$ . This unique nature of the time evolution for stress and relaxation and its dependence only on the diffusing species leads to frequency independence for interface trap generation during AC NBTI stress. Finally, it is important to understand that the RD model is a general formulation independent of many details of the physical process. The predictions of the model do not distinguish between Si–H bonds present at the interface ( $P_b$  centers [6, 9, 61, 62]) or Hydrogen-terminated near-interface  $E'$  centers [62, 63], as long as the released species diffuses back and forth within a diffusing medium. It is precisely this generality of the RD framework that allows capture of versatile ranges of robust phenomena like power-law exponent, frequency independence which is universality measured over a wide range of transistors.

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## References

1. A.S. Grove, *Physics and Technology of Semiconductor Devices* (Wiley, London, 1971)
2. B.E. Deal, M. Sklar, A.S. Grove, E.H. Snow, Characteristics of the surface-state charge ( $Q_{ss}$ ) of thermally oxidized silicon. *J. Electrochem. Soc.* **114**, 266 (1967)
3. P.V. Gray, D.M. Brown, Density of SiO<sub>2</sub>–Si interface states. *App. Phys. Lett.* **8**, 31 (1966)
4. Y. Nishi, Study of silicon-silicon dioxide structure by electron spin resonance 1. *Japanese J. App. Phys.* **10**, 52 (1971)
5. P.J. Caplan, E.H. Poindexter, B.E. Deal, R.R. Razouk, ESR centers, interface states, and oxide fixed charge in thermally oxidized silicon wafers. *J. App. Phys.* **50**, 5847 (1979)
6. K.L. Brower, Structural features at the Si–SiO<sub>2</sub> interface. *Zeitschrift Fur Physikalische Chemie Neue Folge* **151**, 177 (1987)
7. E. Cartier, J.H. Stathis, D.A. Buchanan, Passivation and depassivation of silicon dangling bonds at the Si/SiO<sub>2</sub> interface by atomic-hydrogen. *App. Phys. Lett.* **63**, 1510 (1993)

8. L.D. Thanh, P. Balk, Elimination and generation of Si-SiO<sub>2</sub> interface traps by low-temperature hydrogen annealing. *J. Electrochem. Soc.* **135**, 1797 (1988)
9. A.H. Edwards, Theory of P<sub>b</sub> center at (111) Si/SiO<sub>2</sub> interface. *P. Rev.* **36**, 9638 (1987)
10. R. Helms, E.H. Poindexter, The silicon silicon-dioxide system—Its microstructure and imperfections. *Rep. Prog. Phys.* **57**, 791 (1994)
11. D.K. Schroder, J.A. Babcock, Negative bias temperature instability: road to cross in deep submicron silicon semiconductor manufacturing. *J. App. Phys.* **94**, 1 (2003)
12. K.O. Jeppson, C.M. Svensson, Negative bias stress of mos devices at high electric-fields and degradation of Mnos devices. *J. App. Phys.* **48**, 2004 (1977)
13. S. Ogawa, N. Shiono, Generalized diffusion-reaction model for the low- field charge-buildup instability at the Si-SiO<sub>2</sub> interface. *P. Rev.* **51**, 4218 (1995)
14. M.A. Alam, S. Mahapatra, A comprehensive model of PMOS NBTI degradation. *Microelectron. Reliab.* **45**, 71 (2005)
15. D.K. Schroder, Negative bias temperature instability: what do we understand? *Microelectron. Reliab.* **47**, 841 (2007)
16. M.A. Alam, H. Kufluoglu, D. Varghese, S. Mahapatra, A comprehensive model for PMOS NBTI degradation: recent progress. *Microelectron. Reliab.* **47**, 853 (2007)
17. S. Kumar, C.H. Kim, S.S. Sapatnekar, An analytical model for negative bias temperature instability, in *International Conference on Computer-Aided Design, 6D.1*, 2006
18. H. Kufluoglu, M.A. Alam, A generalized reaction-diffusion model with explicit H-H<sub>2</sub> Dynamics for negative bias temperature instability (NBTI) degradation. *IEEE Trans. Electron Devices* **54**, 1101 (2007)
19. A.E. Islam, H. Kufluoglu, D. Varghese, M.A. Alam, Critical analysis of short-term negative bias temperature instability measurements: Explaining the effect of time-zero delay for on-the-fly measurements. *App. Phys. Lett.* **90**, 083505 (2007)
20. A.E. Islam, H. Kufluoglu, D. Varghese, S. Mahapatra, M.A. Alam, Recent issues in negative bias temperature instability: initial degradation, field-dependence of interface trap generation, hole trapping effects, and relaxation. *IEEE Trans. Electron Devices* **54**, 2143 (2007)
21. A.T. Krishnan, S. Chakravarthi, P. Nicollian, V. Reddy, S. Krishnan, Negative bias temperature instability mechanism: The role of molecular hydrogen. *App. Phys. Lett.* **88**, 153518 (2006)
22. J.B. Yang, T.P. Chen, S.S. Tan, L. Chan, Analytical reaction-diffusion model and the modeling of nitrogen-enhanced negative bias temperature instability. *App. Phys. Lett.* **88**, 172109 (2006)
23. A.T. Krishnan, C. Chancellor, S. Chakravarthi, P.E. Nicollian, V. Reddy, A. Varghese, R.B. Khamankar, S. Krishnan, L. Levitov, Material dependence of hydrogen diffusion: implications for NBTI degradation, *IEEE Int. Electron Devices Meet. Tech. Digest*, **688** (2005)
24. S. Chakravarthi, A.T. Krishnan, V. Reddy, S. Krishnan, Probing negative bias temperature instability using a continuum numerical framework: physics to real world operation. *Microelectron. Reliab.* **47**, 863 (2007)
25. M.A. Alam, A critical examination of the mechanics of dynamic NBTI for PMOSFETs, *IEEE Int. Electron Devices Meet. Tech. Digest*, **345** (2003)
26. J. Crank, *The Mathematics of Diffusion*, 2nd ed. (Oxford University Press, Oxford, 1980)
27. T. Grasser, P.J. Wagner, P. Hehenberger, W. Goes, B. Kaczer, A rigorous study of measurement techniques for negative bias temperature instability. *IEEE Trans. Device Mater. Reliab.* **8**, 526 (2008)
28. S. Rangan, N. Mielke, E.C.C. Yeh, Universal recovery behavior of negative bias temperature instability [PMOSFETs], *IEEE Int. Electron Devices Meet. Tech. Digest*, **341** (2003)
29. H. Reisinger, O. Blank, W. Heinrigs, A. Muhlhoff, W. Gustin, C. Schlunder, Analysis of NBTI degradation- and recovery-behavior based on ultra fast V<sub>T</sub> measurements, in *IEEE International Reliability Physics Symposium Proceedings*, (2006), p. 448
30. T. Grasser, W. Gos, V. Sverdlov, and B. Kaczer, The universality of NBTI relaxation and its implications for modeling and characterization, in *IEEE International Reliability Physics Symposium Proceedings*, (2007), p. 268

31. C.R. Parthasarathy, M. Denais, V. Huard, G. Ribes, E. Vincent, A. Bravaix, New insights into recovery characteristics post NBTI stress, in *IEEE International Reliability Physics Symposium Proceedings*, (2006), p. 471
32. N. Klein, Mechanism of self-healing electrical breakdown in MOS structures. *IEEE Trans. Electron Devices* **13**, 788 (1966)
33. P. Solomon, Breakdown in Silicon-Oxide. *J. Vac. Sci. Technol.* **14**, 1122 (1977)
34. K.F. Schuegraf, C.M. Hu, Hole injection SiO<sub>2</sub> breakdown model for very-low voltage lifetime extrapolation. *IEEE Trans. Electron Devices* **41**, 761 (1994)
35. R. Degraeve, G. Groeseneken, R. Bellens, M. Depas, H.E. Maes, A consistent model for the thickness dependence of intrinsic breakdown in ultra-thin oxides. *IEEE Int. Electron Devices Meet. Tech. Digest*, **863** (1995)
36. D.J. DiMaria, J.H. Stathis, Explanation for the oxide thickness dependence of breakdown characteristics of metal-oxide-semiconductor structures. *App. Phys. Lett.* **70**, 2708 (1997)
37. J.H. Stathis, Percolation models for gate oxide breakdown. *J. App. Phys.* **86**, 5757 (1999)
38. M. Alam, B. Weir, P. Silverman, A future of function or failure? *IEEE Circuits Devices* **18**, 42 (2002)
39. D. Varghese, S. Mahapatra, M.A. Alam, Hole energy dependent interface trap generation in MOSFET Si/SiO<sub>2</sub> interface. *IEEE Electron Device Lett.* **26**, 572 (2005)
40. S. Mahapatra, D. Saha, D. Varghese, P.B. Kumar, On the generation and recovery of interface traps in MOSFETs subjected to NBTI, FN, and HCI stress. *IEEE Trans. Electron Devices* **53**, 1583 (2006)
41. D. Varghese, H. Kuflluoglu, V. Reddy, H. Shichijo, D. Mosher, S. Krishnan, M.A. Alam, OFF-State degradation in drain-extended NMOS transistors: Interface damage and correlation to dielectric breakdown. *IEEE Trans. Electron Devices* **54**, 2669 (2007)
42. L. Tsetseris, X.J. Zhou, D.M. Fleetwood, R.D. Schrimpf, S.T. Pantelides, Physical mechanisms of negative-bias temperature instability. *App. Phys. Lett.* **86**, 142103 (2005)
43. L. Tsetseris, X.J. Zhou, D.M. Fleetwood, R.D. Schrimpf, S.T. Pantelides, Hydrogen-related instabilities in MOS devices under bias temperature stress. *IEEE Trans. Device Mater. Reliab.* **7**, 502 (2007)
44. C.L. Chen, Y.M. Lin, C.J. Wang, K. Wu, A new finding on NBTI lifetime model and an investigation on NBTI degradation characteristic for 1.2 nm ultra thin oxide, in *IEEE International Reliability Physics Symposium Proceedings*, (2005), p. 704
45. N. Kimizuka, T. Yamamoto, T. Mogami, K. Yamaguchi, K. Imai, T. Horiuchi, The impact of bias temperature instability for direct-tunneling ultrathin gate oxide on MOSFET scaling, in *Symposium on VLSI Technology*, (1999), p. 73
46. H. Aono, E. Murakami, K. Okuyama, A. Nishida, M. Minami, Y. Ooji, K. Kubota, Modeling of NBTI degradation and its impact on electric field dependence of the lifetime, in *IEEE International Reliability Physics Symposium Proceedings*, (2004), p. 23
47. A.E. Islam, G. Gupta, S. Mahapatra, A. Krishnan, K. Ahmed, F. Nouri, A. Oates, M.A. Alam, Gate leakage vs. NBTI in plasma nitrided oxides: characterization, physical principles, and optimization. *IEEE Int. Electron Devices Meet. Tech. Digest*, **329** (2006)
48. D. Varghese, D. Saha, S. Mahapatra, K. Ahmed, F. Nouri, M.A. Alam, On the dispersive versus Arrhenius temperature activation of NBTI time evolution in plasma nitrided gate oxides: measurements, theory, and implications. *IEEE Int. Electron Devices Meet. Tech. Digest*, **684** (2005)
49. J.W. McPherson, C.H. Mogul, Underlying physics of the thermochemical E model in describing low-field time-dependent dielectric breakdown in SiO<sub>2</sub> thin films. *J. App. Phys.* **84**, 1513 (1998)
50. B. Tuttle, Energetics and diffusion of hydrogen in SiO<sub>2</sub>. *Phys. Rev.* **61**, 4417 (2000)
51. C.G. Van de Walle, R.A. Street, Structure, energetics, and dissociation of Si-H bonds at dangling bonds in silicon. *Phys. Rev.* **49**, 14766 (1994)



52. A. Ghetti, A. Hamad, P.J. Silverman, H. Vaidya, N. Zhao, Self-consistent simulation of quantization effects and tunneling current in ultra-thin gate oxide MOS devices, in *International Conference on Simulation of Semiconductor Processes and Devices (SISPAD)*, (1999), p. 239
53. L.F. Register, E. Rosenbaum, K. Yang, Analytic model for direct tunneling current in polycrystalline silicon-gate metal-oxide-semiconductor devices. *App. Phys. Lett.* **74**, 457 (1999)
54. A.E. Islam, G. Gupta, K.Z. Ahmed, S. Mahapatra, M.A. Alam, Optimization of gate leakage and NBTI for plasma-nitrided gate oxides by numerical and analytical models. *IEEE Trans. Electron Devices* **55**, 1143 (2008)
55. A.E. Islam, J.H. Lee, W.H. Wu, A. Oates, M.A. Alam, Universality of interface trap generation and its impact on  $i_d$  degradation in strained/unstrained PMOS devices during NBTI stress. *IEEE Int. Electron Devices Meet. Tech. Digest*, **107** (2008)
56. A.E. Islam, Ph.D. Dissertation, Theory and characterization of random defect formation and its implication in variability of nanoscale transistors, Electrical and Computer Engineering, Purdue University, 2010
57. L. Pauling, *The Nature of The Chemical Bond*, **3rd** edn. (Cornell University Press, New York, 1960)
58. R.T. Sanderson, *Chemical Bonds and Bond Energy* (Academic Press, New York, 1971)
59. C. Kittel, *Introduction to Solid State Physics* (Wiley, London, 1996), p. 381
60. D.A. Muller, T. Sorsch, S. Moccio, F.H. Baumann, K. Evans-Lutterodt, G. Timp, The electronic structure at the atomic scale of ultrathin gate oxides. *Nature* **399**, 758 (1999)
61. G.J. Gerardi, E.H. Poindexter, P.J. Caplan, N.M. Johnson, Interface traps and  $P_b$  centers in oxidized (100) silicon-wafers. *App. Phys. Lett.* **49**, 348 (1986)
62. P.M. Lenahan, Dominating defects in the MOS system:  $P_b$  and  $E'$  centers, in *Defects in Microelectronic Materials and Devices*, ed. by S.P.D. Fleetwood, R.D. Schrimpf (CRC Press, Boca Raton, 2008), p. 163
63. R.A. Weeks, The many varieties of  $E'$  centers—A review. *J. Non Crystalline Solids* **179**, 1 (1994)

# Chapter 6

## Modeling of DC and AC NBTI Degradation and Recovery for SiON and HKMG MOSFETs

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**Abstract** In this chapter, a comprehensive model is proposed to describe NBTI degradation in SiON and HKMG p-MOSFETs. The model is based on the physical mechanism of NBTI established in earlier chapters, has mutually uncorrelated trap generation and trapping subcomponents, and can predict ultra-fast measured stress and recovery data under DC and AC stress. Time evolution of NBTI degradation and recovery during and after DC stress as well as during multiple DC stress and recovery cycles for different stress bias, temperature and recovery bias can be successfully explained. The model can explain time evolution of AC degradation for different pulse frequency, duty cycle, and pulse low bias, and can explain measurements after last half or full cycle of AC pulse. The model is consistent with the compact model presented in Chap. 4, and can successfully explain the gate insulator process and material dependence for both SiON and HKMG devices, and can also predict long-time DC and AC degradation to determine NBTI lifetime.

### 6.1 Introduction

Negative bias temperature instability (NBTI) is an important reliability concern for p-channel metal oxide semiconductor field effect transistors (MOSFETs). As shown in Chap. 1, NBTI was discovered more than 40 years ago [1], however, it became a reliability concern with the introduction of Silicon Oxynitride (SiON) devices [2–7] and continues to threaten the reliability of latest planar and FinFET devices having High-K Metal Gate (HKMG) gate insulator [8–17]. NBTI results in gradual buildup of positive charges in the gate insulator, and causes degradation of device parameters such as threshold voltage ( $\Delta V_T$ ) transconductance ( $\Delta g_m$ ), linear drain current ( $\Delta I_{DLIN}$ ), saturation drain current ( $\Delta I_{DSAT}$ ), subthreshold slope ( $\Delta SS$ ),

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gate-to-drain capacitance ( $\Delta C_{GD}$ ) [18] etc., and hence, it impacts the performance of digital, analog and memory circuits [19–24]. NBTI degradation demonstrates several universal features for production quality devices and circuits, for different technology nodes and across different industries, refer to [24] for further details.

A plethora of reports have been published in the last 15 years on NBTI characterization techniques, process and materials impact, and physical mechanism. The characterization methods for measuring NBTI degradation and the underlying defects responsible for the degradation have been discussed in Chap. 2. Gate insulator process impact on NBTI degradation and its underlying defects is discussed in Chaps. 1, 3 and 4, and is explained using a physics-based compact model in Chap. 4. NBTI physical mechanism and model has been a subject of great debate and is recently reviewed in [25], and is also briefly mentioned in Chaps. 3 and 4. The following NBTI experimental signatures have been universally observed and reported by various groups:

- (a) NBTI degradation substantially recovers after removal of stress [26–29], results are discussed in Chap. 1 and also later in this chapter, and therefore, several ultra-fast characterization techniques have been proposed to make “recovery free” measurements [26, 27, 30–32], refer to Chap. 2 for implementation details of different characterization methods.
- (b) NBTI degradation characterized by ultra-fast method shows rapid increase at the initiation of stress and power-law time dependence at longer stress time ( $t_{STR}$ ) for both SiON and HKMG devices [7, 10, 32], results are discussed in Chap. 1 and later in this chapter.
- (c) Long-time power-law time exponent  $n$  depends on measurement delay [30, 31], and is independent of stress bias ( $V_{G-STR}$ ) and temperature ( $T$ ), when experiments are performed in the absence of different stress and measurement artifacts, such as stress saturation [33], recovery impact [34], impact due to extraneous trap generation effects [35], etc., refer to Chap. 1 for detailed discussion on these experimental artifacts. However, the exponent  $n$  depends strongly on the gate insulator process for both SiON and HKMG devices [7, 15], as shown in Chaps. 1 and 4.
- (d) Measured degradation in production quality devices shows power-law dependence with  $n \sim 1/6$  at very long  $t_{STR}$  [36, 37], and similar behavior is observed in actual circuit operation [20], refer to Chap. 4, Fig. 4.27 and [24] for additional details.
- (e) The degradation magnitude depends on inversion hole density as well as on gate oxide field ( $E_{OX}$ ) but not on  $V_{G-STR}$  [3, 4, 35]; physics-based calculation suggests  $E_{OX} \cdot \exp(\Gamma_E \cdot E_{OX})$  dependence where  $\Gamma_E$  is the field acceleration factor [33], although for simplicity and without loss of much accuracy, power-law  $E_{OX}$  or  $V_{G-STR}$  dependence is often used in the industry [38, 39], refer to Chap. 4, Fig. 4.35 for relative comparison of power-law  $E_{OX}$  acceleration factor  $\Gamma_E$  across different technology nodes. The factor  $\Gamma_E$  is a strong function of gate insulator process as well [7, 15]; refer to Chaps. 1 and 4 for additional details.

- (f) NBTI degradation, when properly measured, shows Arrhenius  $T$  activation [4–7, 10, 15, 34, 40] with energy  $E_A$  that depends on the gate insulator processes [7, 15]; reported non-Arrhenius behavior [41] with time exponent  $n$  being a function of stress  $T$  has been shown to be an artifact of measurement delay [34]. Moreover,  $T$  activation of time to reach a particular degradation shows universality across SiON and HKMG devices as shown in Chap. 4, Fig. 4.31 and also discussed in this chapter.
- (g) Field acceleration factor  $\Gamma_E$  and  $T$  activation energy  $E_A$  extracted at fixed  $t_{STR}$  are found to be independent of stress  $T$  and  $E_{OX}$ , respectively [42], and obtained  $\Gamma_E$  and  $E_A$  values are independent of  $t_{STR}$ , when stress and measurements remain free from artifacts mentioned in (c). This aspect is discussed in detail in Chap. 1.
- (h) Gate insulator and other processes impact NBTI degradation; in particular, the presence of Nitrogen (N) in the gate insulator stack increases degradation magnitude but reduces time exponent  $n$ , field acceleration  $\Gamma_E$  and  $T$  activation  $E_A$  for both SiON and HKMG devices [4–7, 10, 15, 42], relevant results are shown in Chaps. 1, 3 and 4, and also in this chapter.
- (i) For HKMG devices, NBTI degradation depends on the quality of the interlayer (IL) separating MOSFET channel and the High-K layer [15]; reduction in interlayer (IL) thickness increases  $\Delta V_T$  but reduces parameters  $n$ ,  $\Gamma_E$  and  $E_A$  [13, 15, 42]; results are presented in Chaps. 1, 3 and 4, and also in this chapter.
- (j) Recovery of NBTI degradation after stress implies lower degradation for AC compared to DC stress. Similar to DC, ultra-fast techniques have been developed and used to characterize AC degradation, which can be measured after the end of last half cycle (Mode-A) or after end of last full cycle (Mode-B), refer to Chap. 2, Fig. 2.14 [32, 43]. AC degradation shows frequency ( $f$ ) independence for Mode-B stress, but measured  $\Delta V_T$  depends on  $f$ , especially at lower  $f$ , for Mode-A stress [42]. Higher  $\Delta V_T$  is observed for Mode-A compared to Mode-B stress at lower  $f$ , and Mode-A  $\Delta V_T$  reduces with increase in  $f$  and merges with Mode-B  $\Delta V_T$  at higher  $f$ . Measured results are discussed in Chaps. 1 and 2 and also later in this chapter. Different groups have reported  $f$  independence for AC NBTI measurements till GHz [21, 44].
- (k) NBTI degradation increases with increase in pulse duty cycle (PDC) of AC stress and shows a characteristic “S” shaped PDC dependence with a large kink or jump between high PDC AC and DC data [21, 32, 42, 45–48]. Different published data show different AC to DC ratio when normalized to their corresponding DC value as per usual practice. However, a remarkably universal PDC dependence is observed for up to  $\sim 85\%$  PDC when published data are normalized to their corresponding 50 % AC value [48], and this universality holds for differently processed devices and for different AC pulse bias conditions [42], and is discussed later in this chapter. Ultra-fast measured PDC dependent data are shown in Chaps. 1 and 2 and also in this chapter.

As discussed in detail in Chaps. 3 and 4, it is now universally accepted that positive charge buildup in the gate insulator during NBTI stress predominantly

arises out of generation of new traps at the interface between device channel and gate insulator ( $\Delta N_{IT}$ ) and in certain situations inside the gate insulator bulk ( $\Delta N_{OT}$ ), as well as hole trapping in process related pre-existing bulk gate insulator traps ( $\Delta N_{HT}$ ) [25]. As shown in Chaps. 2 and 3, trap generation during NBTI stress has been independently estimated using Charge Pumping (CP) [4–6, 11, 35, 48–51], Gated Diode (or DCIV) [25, 48, 50, 52–55] and low voltage stress induced leakage current (LV-SILC) [2, 40, 53] techniques, while pre-existing gate insulator traps are independently estimated using flicker noise technique [15, 48, 51, 56–58]. SILC has been used to independently characterize generated bulk traps [35].

In spite of such overwhelming experimental evidence of trap generation during NBTI stress, some authors have proposed  $\Delta N_{HT}$  to be the sole contributor to measured  $\Delta V_T$  [59–63], which is definitely not physically justifiable. On the other hand, although  $\Delta N_{IT}$  contribution is dominant and determines end-of-life degradation for production quality devices and circuits [24], it alone cannot explain the short-time degradation measured using ultra-fast methods, and gate insulator process dependence of NBTI. Therefore,  $\Delta N_{IT}$  only framework cannot provide a complete physical picture of NBTI [34, 40], and needs to be augmented by additional contribution from  $\Delta N_{HT}$  [25]. Although some report suggests strong coupling between the two components [64], most evidences suggest mutually uncoupled trap generation and trapping [4–6, 15, 25, 27, 33, 42, 46, 48, 51, 65–69], which has now become the acceptable physical mechanism of NBTI. In situations such as thick gate insulators and large  $V_{G-STR}$  and/or high stress  $T$ , uncoupled contribution from  $\Delta N_{OT}$  also needs to be taken into account to compute overall  $\Delta V_T$  [25, 35, 48, 70, 71]. As discussed in Chap. 4, compact model based on mutually uncoupled trap generation and trapping components can explain gate insulator process dependence of NBTI degradation in different SiON and HKMG p-MOSFETs [15, 25, 48, 67, 72, 73].

Many reports have suggested the involvement of Hydrogen (H) species in generation and passivation of gate insulator traps (sometimes referred to as trap volatility) [2–6, 25, 27, 33–35, 40, 42, 46, 48, 50, 51, 55, 74–87]. The breaking and annealing processes associated with H passivated defects, respectively, responsible for trap generation and anneal, have been formulated using the Reaction-Diffusion (RD) model, first proposed in [77], and subsequently reformulated in [78–81] for macroscopic differential equation based framework for average behavior in large area devices, and in [82–84] for Kinetic Monte Carlo based framework for stochastic behavior in small area devices. Although basic one-dimensional (1D) RD model formulation described in Chap. 5 can successfully explain trap generation during stress, especially the universal power-law time dependence with exponent  $n \sim 1/6$  at long  $t_{STR}$  and AC frequency independence [78–81], it cannot capture the exact physics associated with stochastic hopping of H especially during long recovery experiments after stress, which is explained in [25, 48, 83] and later in this chapter. Therefore, the basic 1D macroscopic RD formulation has been suitably modified to effectively capture delayed recovery of generated traps due to H hopping effects [25, 48].

Moreover, although the reformulated RD model can successfully explain both generation and recovery of  $\Delta N_{IT}$  during and after DC and AC NBTI stress, it must be augmented by models associated with calculating the occupancy of generated traps, as well as with calculation of generation and recovery for  $\Delta N_{HT}$  and  $\Delta N_{OT}$ , to explain the generation and recovery of measured  $\Delta V_T$ , as demonstrated in [25, 42, 48, 85–87] and also discussed in this chapter. However, some reports have failed to realize these important aspects, and especially highlighted the incompatibility of  $\Delta N_{IT}$  recovery calculated using the basic RD model to measured  $\Delta V_T$  recovery [27, 45, 47, 61–64, 69, 75, 76, 82, 84], without accounting for stochastic nature of H hopping during trap recovery, occupancy of generated traps during recovery, as well as recovery of generated  $\Delta N_{HT}$  and  $\Delta N_{OT}$ , and unfairly criticized the capability of RD model. As a consequence, this has led to development of several alternative NBTI models that focused exclusively on  $\Delta V_T$  recovery and AC PDC and  $f$  dependence [45, 61–64], but unfortunately, these alternative models fail to predict basic features associated with measured time evolution of  $\Delta V_T$  during stress, and hence is not pursued further; refer to [25, 48, 88] for additional details.

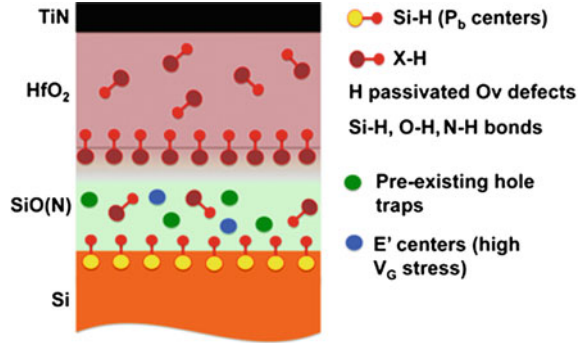
In this chapter, a comprehensive RD model based framework will be discussed, which can predict the time evolution of  $\Delta V_T$  during and after DC stress and during multiple stress and recovery sequences for different  $V_{G-STR}$ , stress  $T$  and recovery bias ( $V_{G-REC}$ ), and during AC stress at different PDC,  $f$  and pulse low bias ( $V_{G-LOW}$ ) stress condition [42, 86, 87]. The framework is consistent with model proposed in Chap. 4, and can explain data measured in SiON and HKMG devices with different gate insulator processes. As mentioned before, the framework calculates generation and recovery of interface traps using RD model and augments with calculation of occupancy of generated traps, and also calculates trapping and detrapping of holes in pre-existing traps and generation and recovery of bulk insulator traps. Finally, a simple compact model is discussed and compared with the full-feature model to aid circuit analysis under DC and AC NBTI stress.

## 6.2 Degradation During DC Stress

Figure 6.1 illustrates the cross section of a HKMG gate insulator stack and shows different defect precursors. The stack has SiON based IL and HfO<sub>2</sub> based High-K layers, with H passivated  $P_b$  centers (Si–H bonds) at Si/IL interface. Other H passivated defects in the bulk of the gate insulator are denoted as X–H, where X can be Silicon (Si), Nitrogen (N) or Oxygen (O) atoms, and different Oxygen vacancy (Ov) related defects, located in SiON IL, Hafnium Oxide (HfO<sub>2</sub>) High-K, and also in the HfSiON transition region between IL and High-K layers. Note that the presence of N in the High-K and IL layers can be intentional, e.g., resulting from post High-K nitridation, or unintentional, due to N diffusion from the Titanium Nitride (TiN) metal gate and Silicon Nitride (SiN) spacer of the MOSFET.

As explained later in this chapter, dissociation of Si–H and X–H bonds results in creation of Si– and X–traps. In addition, hole trapping take place in pre-existing IL

**Fig. 6.1** Schematic of HKMG gate insulator stack and different defect precursors for NBTI degradation

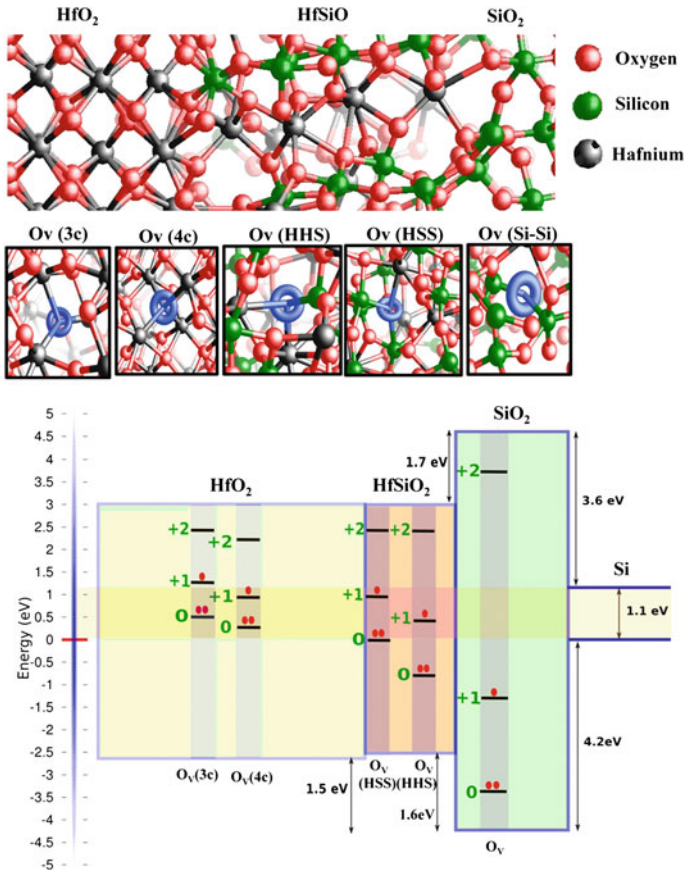


defects, and E' centers are created especially at higher  $V_{G-STR}$  by breaking of Si–O bonds in the IL bulk. As mentioned before, both trap generation and trapping contributes to overall NBTI degradation. Note that identical trap generation and trapping mechanisms describe the scenario for devices having SiON gate insulators, which does not contain the HfO<sub>2</sub> High-K layer and Hf related defects.

Figure 6.2 shows atomic configurations of different Ov related defects (top) and associated energy levels obtained using Density Functional Theory (DFT) calculations (bottom) [86]. Ov is attributed to a missing O atom between two Si atoms resulting in Si–Si dimer, Ov (Si–Si) in the IL, missing O between two Hf and one Si atoms, Ov (HHS), and between one Hf and two Si atoms, Ov (HSS), in the HfSiON transition layer, and missing O between three and four Hf atoms in the HfO<sub>2</sub> High-K layer, resulting in 3- and 4-coordinated vacancies, Ov (3c) and Ov (4c), respectively. The energy levels of traps are shown without and with one or two occupied electrons, and trap energy levels relax after electron occupation due to structural relaxation effects. Note that the energy levels do not exist as long as Ov defects remain passivated with H, and appear only after Ov–H bonds are broken and H atoms are released. This aspect is discussed later in the following section.

Figure 6.3 shows the atomic configurations, corresponding density of states and energy levels of traps associated with the presence of interstitial Hf or N atoms inside the IL of a HKMG gate insulator stack obtained using DFT calculations [57]. The reference case of clean IL without any impurity is also shown. Note that Hf and N atoms in the HfSiON transition layer result in mid-Si gap defects. However, when Hf and N atoms are located in the IL bulk, defect levels appear near the valence band of Si substrate, and these defects can appear as hole traps. Both SiON and HKMG gate insulators show larger pre-existing traps due to the presence of N when measured using flicker noise [15, 56, 57]; results are shown in Chaps. 2 and 4. Moreover, HKMG stacks with IL grown using the conventional Chemical Oxide (Chem-Ox) process [89] shows larger pre-existing trap density compared to thermal IL process [90] when measured using flicker noise, which is due to larger IL and High-K intermixing and higher Hf density in the IL for the Chem-Ox process, refer to [15, 57] for details. Therefore, the quality of gate insulator influences the magnitude of hole trapping, as described and analyzed in detail in Chap. 4.



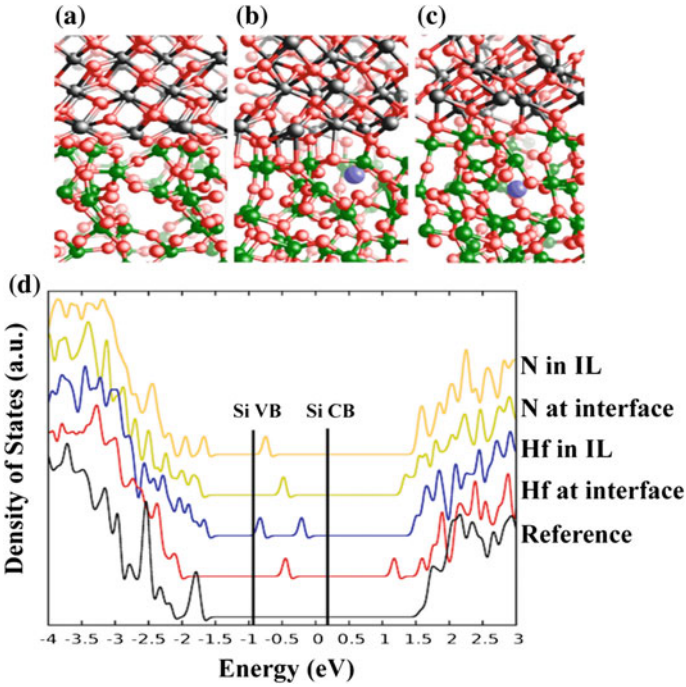


**Fig. 6.2** Top Illustration of atomic configuration and different oxygen vacancies in HKMG gate insulator stack. Bottom Energy levels corresponding to oxygen-vacancy defects from DFT simulations, for different electron occupancy levels (shown as dots)

### 6.2.1 Reaction-Diffusion (RD) Model for Interface Trap Generation

Interface trap generation is an important component of NBTI degradation and can be directly estimated using CP, DCIV and LV-SILC measurements as mentioned earlier in this chapter and also explained in detail in Chap. 2. DCIV measurements with suitable delay and band gap corrections have been used in Chap. 3 to perform a detailed analysis of  $\Delta N_{IT}$  time evolution under different DC and AC NBTI stress conditions in differently processed HKMG p-MOSFETs. A remarkable universality of power-law time evolution of  $\Delta N_{IT}$  with exponent  $n \sim 1/6$  has been observed for longer  $t_{STR}$ , for both DC and AC stress and also across different HKMG processes, which is a unique signature of H/ $\text{H}_2$  RD model as discussed in detail in Chap. 5.



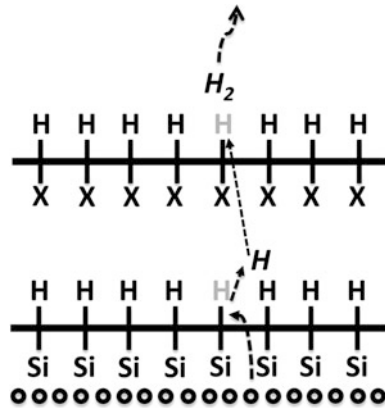


**Fig. 6.3** Illustration of atomic configuration of HKMG gate insulator stack, showing **a** reference defect free configuration, and interstitial Hf or N atom at **b** the interface between HfO<sub>2</sub> and IL and **c** inside the IL. The corresponding density of states is shown below in **d**

Note that  $n \sim 1/6$  power-law time evolution is also observed for  $\Delta V_T$  time evolution in production quality devices and in circuit performance drift for very long-time NBTI stress, refer to Chap. 4, Fig. 4.27.

Figure 6.4 shows the schematic of double interface H/H<sub>2</sub>RD model for generation of interface traps; refer to Chap. 5 for implementation details. Si–H bonds are located at the Si/SiON interface, while all bulk X–H bonds are effectively assumed to be at a “second interface”, which can be presumed to be at the center of the gate dielectric for SiON insulator, or at the IL/High-K interface for HKMG gate stacks. When  $V_{G-STR}$  is applied, inversion layer holes tunnel into and get captured in Si–H bonds at the Si/SiON interface. The covalent bonds get weakened by hole capture, and can be easily broken by thermal process to form Si or interface traps at first interface ( $\Delta N_{IT1}$ ) [37]. Release H atoms from broken Si–H bonds move away from the Si/SiON interface and diffuse towards the gate due to concentration gradient. Diffusing H atoms react with X–H bonds at second interface to form H<sub>2</sub> molecules. Resulting X– bonds are generated traps at the second interface ( $\Delta N_{IT2}$ ). Note that trap generation at the first interface is primary and at the second interface is a secondary or related phenomenon. Generated H<sub>2</sub> molecules eventually diffuse out and control the time evolution of  $\Delta N_{IT}$  at longer  $t_{STR}$ , resulting in characteristic power-law time dependence with exponent  $n = 1/6$  [25, 40].

**Fig. 6.4** Schematic of double interface H/H<sub>2</sub> Reaction-Diffusion model for interface trap generation during stress



When gate stress bias is removed or reduced, recovery of generated traps is initiated by back diffusion of H<sub>2</sub> molecules and subsequent reaction of H<sub>2</sub> molecules with broken X– bonds at the second interface and formation of X–H bonds and H atoms. The released H atoms diffuse towards the first interface and passivate Si–dangling bonds. Recovery of generated traps is discussed later in this chapter.

Table 6.1 lists model equations and parameters for double interface H/H<sub>2</sub> RD model [40]; detailed explanation of the model equations is provided in Chap. 5 and is briefly reviewed here for completeness. Equations (6.1) and (6.4) represent the forward and reverse reactions associated with trap generation and recovery at first and second interfaces, respectively. Equations (6.2) and (6.3) are the detailed balance between reaction and diffusion as per Fick’s first law of diffusion. Equations (6.5) and (6.6) represent diffusion of H and H<sub>2</sub> in gate dielectric and beyond as stated by Fick’s second law of diffusion. Subscript (1) and (2) in equations represent first and second interface, respectively. N<sub>0</sub>, N<sub>IT</sub>, N<sub>H</sub>, N<sub>H2</sub>, D<sub>H</sub>, and D<sub>H2</sub>, respectively, denote densities of Si–H bonds and interface traps, concentration of hydrogen atoms and molecules and their corresponding diffusivities; k<sub>F</sub> and k<sub>R</sub> are forward and reverse reaction rates; δ is interfacial thickness (~1.5 Å) assumed for dimensionality considerations.

Although the model equations are solved in a self-consistent manner to obtain time evolution of ΔN<sub>IT</sub>, as shown in Chap. 5 and also later in this chapter, a simplified analytical expression for long-time behavior is shown in (6.7). Note that the model suggests n = 1/6 power-law time dependence at long t<sub>STR</sub> without using any adjustable parameters. This is a unique feature of the model, and is consistent with experimental results shown in Chap. 3.

Arrhenius T activation is used for reaction parameters k<sub>F</sub> and k<sub>R</sub> at both interfaces and diffusion parameters D<sub>H</sub> and D<sub>H2</sub> as shown (6.8), with corresponding activation energies E<sub>AKF</sub>, E<sub>AKR</sub>, E<sub>ADH</sub>, and E<sub>ADH2</sub>, respectively. The T activation energy E<sub>AIT</sub> of ΔN<sub>IT</sub> at long t<sub>STR</sub> is shown in (6.9), which depends on E<sub>AKF</sub>, E<sub>AKR</sub> at both interfaces and also on E<sub>ADH2</sub>. It is important to remark that under the

**Table 6.1** Equations for double interface H/H<sub>2</sub> Reaction-Diffusion model. Fixed parameters are universal across devices. Adjustable parameters depend on gate insulator process

$\frac{dN_{IT(1)}}{dt} = k_{F(1)}(N_{O(1)} - N_{IT(1)}) - k_{R(1)}N_{IT(1)}N_H^{(1)} \quad (6.1) \text{ [1st interface]}$
$\frac{\delta}{2} \frac{dN_H^{(1)}}{dt} = D_H \frac{dN_H^{(1)}}{dx} + \frac{dN_{IT}}{dt} \quad (6.2)$
$\frac{\delta}{2} \frac{dN_{H_2}^{(1)}}{dt} = D_{H_2} \frac{dN_{H_2}^{(1)}}{dt} \quad (6.3)$
$\frac{dN_{IT(2)}}{dt} = k_{F(2)}(N_{O(2)} - N_{IT(2)})N_H^{(2)} - k_{R(2)}N_{IT(2)}N_{H_2}^{(2)} \quad (6.4) \text{ [2nd interface]}$
$\frac{dN_H}{dt} = D_H \frac{d^2 N_H}{dx^2} \quad (6.5);$
$\frac{dN_{H_2}}{dt} = D_{H_2} \frac{d^2 N_{H_2}}{dx^2} \quad (6.6)$
$N_{IT(1)} = [D_{H_2} t]^{\frac{1}{6}} \frac{q}{C_{OX}} \left[ \frac{k_{F(1)} k_{F(2)} N_{O(1)} N_{O(2)}}{k_{R(S)} k_{R(P)}} \right]^{\frac{1}{3}} \quad (6.7)$
$k_{F(1)} = k_{F0(1)} f(E_{OX}) e^{-\frac{E_{AKF(1)}}{kT}}; k_{R(1)} = k_{R0(1)} e^{-\frac{E_{AKR(1)}}{kT}}$
$k_{F(2)} = k_{F0(2)} e^{-\frac{E_{AKF(2)}}{kT}}; k_{R(2)} = k_{R0(2)} e^{-\frac{E_{AKR(2)}}{kT}} \quad (6.8)$
$D_H = D_{H0} e^{-\frac{E_{ADH}}{kT}}; D_{H_2} = D_{H20} e^{-\frac{E_{ADH_2}}{kT}}$
$E_{AIT} = \frac{1}{3} [E_{AKF(1)} + E_{AKF(2)} - E_{AKR(1)} - E_{AKR(2)}] + \frac{1}{6} E_{ADH_2} \quad (6.9)$
$f(E_{OX}) = (E_{OX})^3 e^{(3E_{OX} \Gamma_{IT})} \quad (6.10)$
Adjustable parameters: $k_{F0(1)}$ , $k_{F0(2)}$ , $\Gamma_{IT}$ and $E_{AKF(1)}$ ( $=E_{AKF(2)}$ )
Fixed parameters: $k_{R0(1)}$ ; $k_{R0(2)}$ ; $D_H$ ; $D_{H20}$ ; $E_{AKR(1)}$ ; $E_{AKR(2)}$ ; $E_{ADH}$ and $E_{ADH_2}$

assumption of detailed balance of forward and reverse reactions such that  $E_{AKF} \sim E_{AKR}$  at both interfaces, the  $T$  activation energy  $E_{AIT}$  of  $\Delta N_{IT}$  at longer  $t_{STR}$  is equal to the  $T$  activation energy associated with molecular H<sub>2</sub> diffusion,  $E_{ADH_2}$  [25, 48]. This aspect is verified in the following section.

Oxide field ( $E_{OX}$ ) dependence is only incorporated in the forward reaction parameter  $k_{F1}$  at the first interface with exponent  $\Gamma_{IT}$  as shown in (6.10). This particular form of  $E_{OX}$  dependence of  $k_{F1}$  is used to obtain identical  $\Gamma_{IT}$  values for this model and the compact model listed in Chap. 4, Table 4.1.<sup>1</sup> Refer to Chap. 5 for a detailed physics-based calculation of the forward reaction process. Note that this model has mutually uncorrelated  $E_{OX}$  and  $T$  dependence of  $\Delta N_{IT}$  during stress, which is consistent with results shown in Chap. 3, Fig. 3.5.

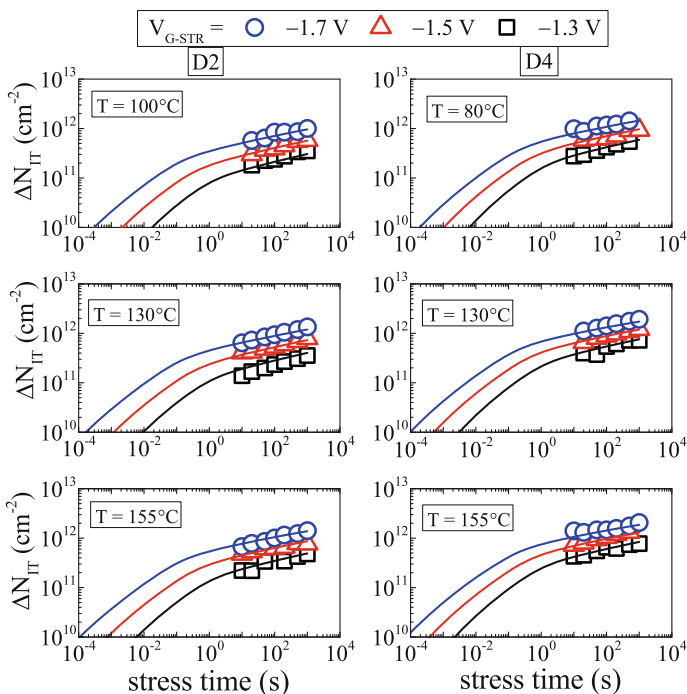
The fixed and process dependent adjustable parameters are listed in Table 6.1. Most parameters are fixed across differently processed gate stacks for both SiON and HKMG devices. The model has only four process dependent parameters, and the field acceleration factor  $\Gamma_{IT}$  and  $T$  activation energy  $E_{AIT}$  are consistent with the corresponding compact model parameters shown in Chap. 4.

<sup>1</sup>When (6.10) is inserted in (6.7), the resultant equation shows  $\Delta N_{IT} \sim E_{OX} * \exp(\Gamma_{IT} \cdot E_{OX})$  for long stress time, i.e., identical  $E_{OX}$  dependence and  $\Gamma_{IT}$  as used in Table 4.1.

### 6.2.2 Experimental Validation of RD Model

Figure 6.5 plots the time evolution of DCIV measured  $\Delta N_{IT}$  after measurement delay and band gap correction, see Chap. 2, in HKMG p-MOSFETs having different gate insulator processes. As described in Chap. 3, Fig. 3.2, D2 and D4 devices, respectively, have rapid thermal process (RTP) grown non-nitrided and nitrided IL layers but identical  $HfO_2$  High-K layer deposited using Atomic Layer Deposition (ALD) method. Experiments are performed at three different stress  $T$ , and for each  $T$ , three different  $V_{G-STR}$  is used for stress. Note that DCIV is a slow measurement method and only provides meaningful results at longer time as shown in Chap. 2.

Time evolution of  $\Delta N_{IT}$  obtained using numerical simulation of RD model is shown from short to long  $t_{STR}$ . As explained in detail in Chap. 5, the initial degradation phase shows reaction-limited  $n = 1$  power-law time dependence, with transforms into  $H_2$  diffusion limited  $n = 1/6$  dependence at long stress time. The model can predict measured data for different stress conditions and across different devices with only four device dependent adjustable parameters listed in Table 6.1; once fixed for a particular device, the parameters are not changed for variations in  $V_{G-STR}$  and  $T$ . Note that  $\Delta N_{IT}$  is converted to  $\Delta V_{IT}(=q * \Delta N_{IT}/C_{OX})$ ,  $q$  and  $C_{OX}$  are



**Fig. 6.5** Time evolution of DCIV measured  $\Delta N_{IT}$  after delay and band gap correction (*symbols*), for NBTI stress in different HKMG devices for different  $V_{G-STR}$  and  $T$ . *Lines* represent RD model simulation

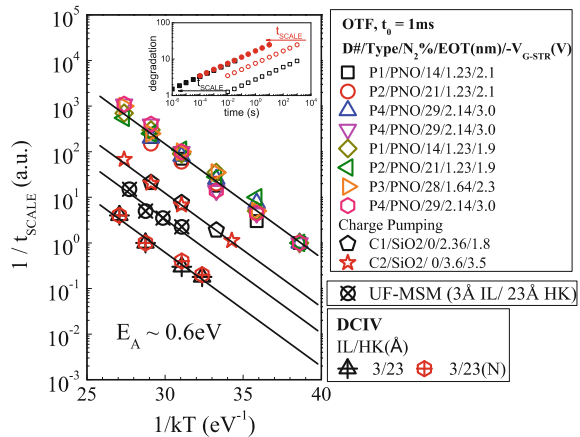
the electronic charge and gate insulator capacitance, respectively, to compute contribution by trap generation to overall  $\Delta V_T$  during stress. Time evolution of  $\Delta V_{IT}$  obtained from the calibrated RD model simulation is used to calculate time evolution of overall  $\Delta V_T$  shown later.

Although  $\Delta N_{IT}$  dominates overall  $\Delta V_T$ , in general, contributions from  $\Delta N_{HT}$  and  $\Delta N_{OT}$  cannot be ignored. However,  $\Delta N_{HT}$  contribution can be minimal for certain specific situations, e.g., for NBTI stress in plasma nitrated oxide (PNO) based SiON gate insulators having lower N content and proper post nitridation anneal (PNA) [91, 92], and especially when  $\Delta V_T$  is measured using relatively slower on-the-fly (OTF) method [5]. Moreover,  $\Delta N_{OT}$  contribution remains negligible when NBTI stress is done using low  $V_{G-STR}$  as shown in Chap. 4. In these situations, time evolution of  $\Delta V_T$  can be considered to be primarily due to time evolution of  $\Delta N_{IT}$ .

Longer-time stress experiments are performed at different stress  $T$  in different PNO with proper PNA based SiON devices [5], and  $\Delta V_T$  is measured using OTF method with time-zero ( $t_0$ ) delay of 1 ms, which captures negligible  $\Delta N_{HT}$ . Refer to Chap. 2 for OTF measurement details. As mentioned before, low  $V_{G-STR}$  is used to ensure negligible  $\Delta N_{OT}$  contribution. Measured time evolution of  $\Delta V_T$  has power-law time dependence with  $n \sim 1/6$ , and is plotted in a log-log scale versus  $t_{STR}$  for different stress  $T$ . Since  $\Delta V_T$  versus  $t_{STR}$  curves are parallel to each other at different  $T$ , they are scaled by a factor  $t_{SCALE}$  along the time axis ( $X$ -axis) to overlap with each other. Figure 6.6 illustrates the scaling method mentioned above, and also plots the  $T$  activation of  $1/t_{SCALE}$  for different PNO-SiON devices.

Similar  $T$  dependent stress experiments are performed for longer  $t_{STR}$  in pure Silicon Dioxide ( $\text{SiO}_2$ ) devices, and the time evolution of  $\Delta V_T$  and  $\Delta N_{IT}$  are measured, respectively, using slow  $I-V$  and CP methods [35]. Once again, precautions are used such that measured  $\Delta V_T$  is dominated by  $\Delta N_{IT}$ . In addition, DCIV measurements are done to obtain time evolution of  $\Delta N_{IT}$  at different stress  $T$  in HKMG devices [55]. The  $X$ -axis scaling exercise is performed on measured data, and the corresponding  $T$  activation of  $1/t_{SCALE}$  for these devices are also shown in Fig. 6.6. Note that the scale factors for different devices are arbitrarily shifted in the

**Fig. 6.6**  $T$  activation of  $1/t_{SCALE}$ , where  $t_{SCALE}$  is time to reach a particular degradation obtained from  $X$ -axis scaling of  $T$  dependent NBTI data. *Inset* shows the scaling procedure



plot for viewing clarity, and the relative values have no real significance. Of significance is the  $T$  activation energy of  $1/t_{\text{SCALE}}$ , which remarkably shows universality across different types of devices and measurement conditions.

Note that under the detailed balance assumption discussed before, (6.7) and (6.9) of Table 6.1 would suggest  $\Delta N_{\text{IT}} \sim (D_{\text{H}_2} * t_{\text{STR}})^n$  at longer  $t_{\text{STR}}$ , where  $n = 1/6$  is governed by molecular  $\text{H}_2$  diffusion and  $D_{\text{H}_2}$  being the corresponding diffusivity. Therefore,  $t_{\text{SCALE}} (=t_{\text{STR}})$  to achieve identical  $\Delta N_{\text{IT}}$  at different stress  $T$  would be inversely proportional to  $D_{\text{H}_2}$ , and the  $T$  activation of  $1/t_{\text{SCALE}}$  should be equal to the  $T$  activation of  $D_{\text{H}_2}$  [25]. Remarkably, note that measured  $T$  activation values listed in Fig. 6.6 yields  $E_A \sim 0.6$  eV, which is similar to the  $T$  activation energy reported for molecular  $\text{H}_2$  diffusion [93]. Therefore, both the time and  $T$  dependence of  $\Delta N_{\text{IT}}$  at long stress time suggests degradation is governed by molecular  $\text{H}_2$  diffusion, and verifies the  $\text{H}/\text{H}_2$  RD model. Moreover, the above relation suggests  $T$  activation energy  $E_{\text{AIT}} \sim 0.1$  eV for  $\Delta N_{\text{IT}}$  at long but constant  $t_{\text{STR}}$ , since  $E_{\text{ADH}_2} \sim 0.6$  eV and  $n = 1/6$ . Indeed, a similar value has been used for  $\Delta N_{\text{IT}}$  component for different SiON and HKMG devices, refer to Chap. 4 for details.

### 6.2.3 Hole Trapping and Bulk Trap Generation

As mentioned earlier in this chapter and discussed in detail in Chap. 4, although  $\Delta N_{\text{IT}}$  plays an important role, the contribution from  $\Delta N_{\text{HT}}$  and  $\Delta N_{\text{OT}}$  must be considered to compute overall  $\Delta V_{\text{T}}$ . Note that  $\Delta N_{\text{HT}}$  is a faster process and significantly depends on the quality of the gate insulator, while  $\Delta N_{\text{OT}}$  gets triggered under high  $V_{\text{G-STR}}$ , is a slower process and builds up over time. Table 6.2 shows the empirical relations used for  $\Delta V_{\text{HT}} (=q * \Delta N_{\text{HT}}/C_{\text{OX}})$  and  $\Delta V_{\text{OT}} (=q * \Delta N_{\text{OT}}/C_{\text{OX}})$  components during stress; refer to (6.11) and (6.12), respectively.

As discussed in Chap. 4,  $\Delta V_{\text{HT}}$  is assumed to saturate at longer  $t_{\text{STR}}$ . The  $\Delta V_{\text{HT}}$  expression shown in Table 6.2 uses a stretched exponential form, which becomes identical to the expression used in Table 4.1 at long  $t_{\text{STR}}$ . As mentioned in Chap. 4,  $\Delta V_{\text{HT}}$  has identical  $E_{\text{OX}}$  acceleration factor as that of  $\Delta V_{\text{IT}}$  ( $\Gamma_{\text{HT}} = \Gamma_{\text{IT}}$ ), but has much lower  $T$  activation energy ( $E_{\text{AHT}}$ ) than the  $T$  activation of  $\Delta V_{\text{IT}}$ ; identical values of  $\Gamma_{\text{HT}}$  and  $E_{\text{AHT}}$  are used in this model and the compact model of Chap. 4. The parameters  $\tau_{\text{STR}}$  and  $\beta_{\text{STR}}$  determine the shape and time-to-saturation for time

**Table 6.2** Equations for hole trapping and bulk trap generation

$\Delta V_{\text{HT}}(t) = B E_{\text{OX}} e^{\Gamma_{\text{HT}} E_{\text{OX}}} e^{-\frac{E_{\text{AHT}}}{kT}} \left( 1 - e^{-\left(\frac{t}{\tau_{\text{STR}}}\right)^{\beta_{\text{STR}}}} \right)$	(6.11)
$\Delta V_{\text{OT}}(t) = C \left( 1 - e^{-\left(\frac{t}{m}\right)^{\beta_{\text{OT}}}} \right);$	(6.12)
where $m = \eta (V_{\text{G-STR}} - V_{\text{T0}} - \Delta V_{\text{T}})^{-\frac{\Gamma_{\text{OT}}}{\beta_{\text{OT}}}} e^{\left(\frac{E_{\text{AOT}}}{kT\beta_{\text{OT}}}\right)}$	

Adjustable parameters:  $B$ ,  $\Gamma_{\text{HT}}$ ,  $\tau_{\text{STR}}$ ,  $\beta_{\text{STR}}$ ;  $C$

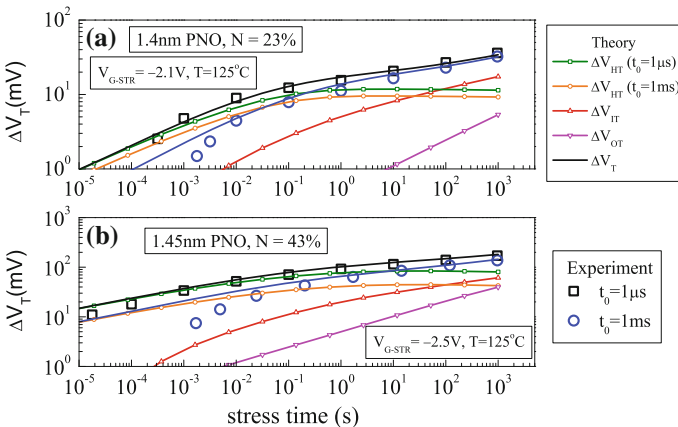
Fixed parameters:  $E_{\text{AHT}}$ ,  $E_{\text{AOT}}$ ,  $\Gamma_{\text{OT}}$ ;  $\beta_{\text{OT}}$ ;  $\eta$

evolution of  $\Delta V_{HT}$ . Note that  $\tau_{STR}$  is  $T$  activated with energy  $E_A - \tau_S$  while  $\beta_{STR}$  remains independent of stress  $T$ . The model for  $\Delta V_{OT}$  uses the same empirical equation and parameters as shown in Chap. 4. Unlike  $\Delta V_{IT}$  and  $\Delta V_{HT}$ ,  $\Delta V_{OT}$  depends on  $V_{G-STR}$  and not  $E_{OX}$ , has voltage acceleration factor ( $\Gamma_{OT}$ ) and Arrhenius  $T$  activation energy ( $E_{AOT}$ ). The fixed and device dependent adjustable parameters for  $\Delta V_{HT}$  and  $\Delta V_{OT}$  are listed in Table 6.2. Although  $\Delta V_{OT}$  contribution can be significant for thicker SiON devices especially at higher  $V_{G-STR}$ , it is found to be much lower for HKMG devices, refer to Chap. 4 for details.

## 6.2.4 SiON Process Dependence

In this section, the composite framework will be used to predict measured data in SiON p-MOSFETs, refer to Chaps. 1 and 4 for device details. Mobility corrected on-the-fly (OTF) method is used for measurements with default time-zero ( $t_0$ ) delay of 1  $\mu$ s unless mentioned otherwise; refer to Chap. 2 for detailed description of OTF measurement and mobility correction methods.

Figure 6.7 shows the time evolution of  $\Delta V_T$  from very short to long  $t_{STR}$ , measured using OTF method with  $t_0$  delay of 1  $\mu$ s and 1 ms, respectively, for SiON p-MOSFETs having (a) lower and (b) much higher N content in the gate insulator. The devices have different pre-stress  $V_{T0}$  and equivalent oxide thickness (EOT), and  $V_{G-STR}$  is suitably adjusted to have similar stress  $E_{OX}$  for both devices. Note that the device having higher N content shows larger overall  $\Delta V_T$  and much larger  $\Delta V_T$  in the sub 1 ms time scale when measured using  $t_0 = 1 \mu$ s method, as well as larger difference between 1  $\mu$ s and 1 ms measurements when compared to the device having low N content in the gate insulator. As mentioned in Chap. 2, the first data



**Fig. 6.7** Time evolution of  $\Delta V_T$ , obtained using mobility corrected OTF measurements for different time-zero delay (*symbols*), for NBTI stress in different SiON devices. Overall composite model solution and its underlying trap generation and trapping subcomponents are shown as *lines*



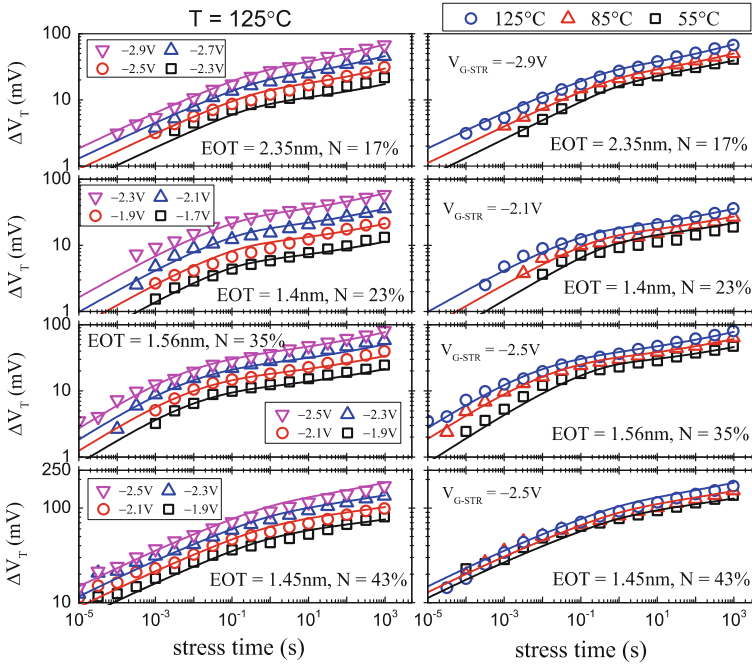
point is considered as unstressed in OTF method, and therefore, short-time measured data gets corrupted especially for slower measurements. As a consequence, the actual difference between the 1  $\mu\text{s}$  and 1 ms measurements is somewhat lower than that shown in Fig. 6.7, as lower than actual  $\Delta V_T$  is measured by the 1 ms OTF method especially at shorter stress time. Nevertheless, the gap in  $\Delta V_T$  magnitude between 1  $\mu\text{s}$  and 1 ms measurements is much larger for the device having higher N content as shown.

Figure 6.7 also plots the calculated time evolution of  $\Delta V_T$  and underlying  $\Delta V_{IT}$ ,  $\Delta V_{HT}$  and  $\Delta V_{OT}$  components using the composite framework. Note that time evolution of  $\Delta V_{IT}$  is calculated by using numerical simulation of RD model listed in Table 6.1, while  $\Delta V_{HT}$  and  $\Delta V_{OT}$  are calculated using analytical expressions listed in Table 6.2. The model can explain measured data quite well for both devices; data for different  $t_0$  delay is predicted by different  $\Delta V_{HT}$  but identical  $\Delta V_{IT}$  and  $\Delta V_{OT}$  components, refer to Chap. 4 for further details. Note that the difference between model calculation and measurement, i.e., lower measured  $\Delta V_T$  than calculated, for  $t_0 = 1$  ms data especially at shorter  $t_{STR}$  is due to measurement inaccuracy associated with slower OTF method as discussed above.

Since  $\Delta V_{HT}$  is a fast component and its magnitude increases with increase in N as shown in Chap. 4, higher  $\Delta V_{HT}$  contribution can explain large sub 1 ms degradation observed for the device having larger N in the gate insulator stack. Moreover, as slower measurement fails to capture the early part of degradation, and since the device having larger N starts to degrade rapidly right after the initiation of stress due to higher  $\Delta V_{HT}$  contribution, a large difference is observed between 1  $\mu\text{s}$  and 1 ms measurements for this device. However, due to lower  $\Delta V_{HT}$  contribution, the device having low N shows negligible sub 1 ms degradation and much smaller difference is observed between 1  $\mu\text{s}$  and 1 ms data. Such calculations are done for different devices and for NBTI stress using different  $V_{G-STR}$  and  $T$ , and the results are shown below.

Figure 6.8 shows the time evolution of  $\Delta V_T$  from short to long  $t_{STR}$ , measured in SiON devices having different N content and EOT, refer to Chaps. 1 and 4 for device details. Experiments have been performed using  $t_0 = 1$   $\mu\text{s}$  OTF measurements with mobility correction, for NBTI stress at different  $V_{G-STR}$  and fixed stress  $T$  and at different stress  $T$  and fixed  $V_{G-STR}$ . Calculated time evolution of  $\Delta V_T$  using the composite modeling framework is also shown. The model can accurately explain measured data from very short to long  $t_{STR}$  under such diverse set of devices and experimental conditions with fixed and device dependent adjustable parameters listed in Table 6.1 for  $\Delta V_{IT}$  and Table 6.2 for  $\Delta V_{HT}$  and  $\Delta V_{OT}$ . Identical fixed and device dependent model parameters are used here and in Chap. 4. Once the parameters are fixed for a particular device, they are not adjusted with variation in  $V_{G-STR}$  and  $T$ . Although not shown here for brevity,  $t_0 = 1$  ms OTF measurements for these devices and stress conditions can also be successfully explained with exactly identical values for all parameters except one; only exception being the parameter  $B$  determining the saturated  $\Delta V_{HT}$  component. This is fully consistent with modeling results discussed in Chap. 4.



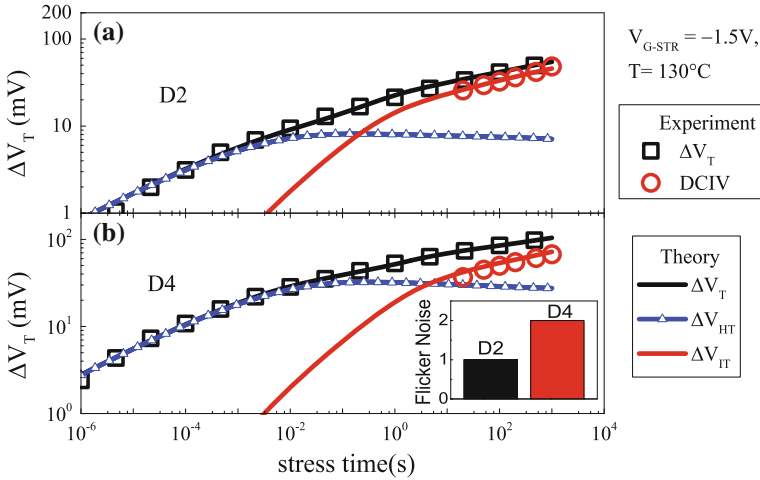


**Fig. 6.8** Time evolution of  $\Delta V_T$ , obtained using mobility corrected OTF measurements (*symbols*), for NBTI stress using different  $V_{G-STR}$  and  $T$  in different SiON devices. Overall composite model solution is shown as *lines*

Note that the  $\Delta V_{HT}$  component increases for devices having higher N content in the gate insulator, as shown above in Fig. 6.6, and also discussed in much greater detail in Chap. 4. Also note that  $\Delta V_{HT}$  has weaker  $T$  activation compared to  $\Delta V_{IT}$  and  $\Delta V_{OT}$  as shown in Chap. 4, Table 4.1, and moreover, unlike  $\Delta V_{IT}$  and  $\Delta V_{OT}$ ,  $\Delta V_{HT}$  saturates at longer  $t_{STR}$  as shown in Fig. 6.6. Since N has relatively lower impact on  $\Delta V_{IT}$  and  $\Delta V_{OT}$  components, measured  $\Delta V_T$  for devices having larger N content has relatively higher contribution from  $\Delta V_{HT}$  component, and such devices have relatively weaker  $T$  activation and lower long-time power-law time exponent  $n$  as shown. The process dependence of NBTI parameters is described in detail in Chap. 4.

### 6.2.5 HKMG Process Dependence

In this section, the composite framework will be used to predict measured data in HKMG p-MOSFETs, refer to Chap. 3, Fig. 3.2 for device details. Ultra-fast measure-stress-measure (UF-MSM) method is used for measurements with default



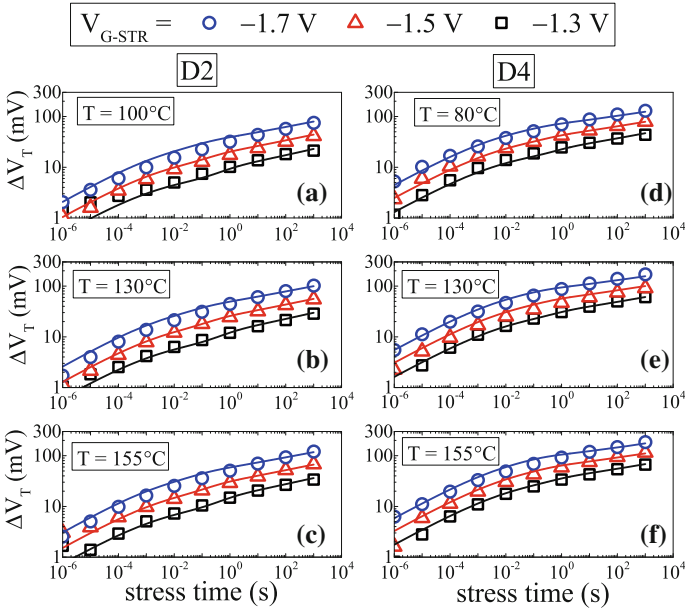
**Fig. 6.9** Measured time evolution of  $\Delta V_T$  from UF-MSM method and  $\Delta V_{IT}$  from DCIV method after delay and band gap corrections (*symbols*), for NBTI stress in different HKMG devices (*symbols*). Overall composite model solution and its underlying trap generation and trapping subcomponents are shown as *lines*. *Inset* shows flicker noise data

delay of 10  $\mu$ s unless mentioned otherwise; refer to Chap. 2 for detailed description of UF-MSM measurement technique.

Figure 6.9 shows the time evolution of UF-MSM measured  $\Delta V_T$  from short to long  $t_{STR}$  and DCIV measured  $\Delta V_{IT}$  only for longer  $t_{STR}$  in HKMG devices having RTP based (a) non-nitrided (D2) and (b) nitrided (D4) IL layers. Note that  $V_{G-STR}$  is suitably adjusted to achieve identical stress  $E_{OX}$  for both devices, and the DCIV data are plotted after delay and band gap corrections; refer to Chap. 2 for additional details. Time evolution of model calculated  $\Delta V_T$  and underlying  $\Delta V_{IT}$  and  $\Delta V_{HT}$  components are also plotted; calculated  $\Delta V_T$  and  $\Delta V_{IT}$  agrees well with measured data as shown. Note that the time evolution of  $\Delta V_{IT}$  is calculated by using numerical simulation of RD model listed in Table 6.1, while  $\Delta V_{HT}$  is calculated using analytical expression listed in Table 6.2. As mentioned earlier in this chapter and also analyzed in detail in Chap. 4,  $\Delta V_{OT}$  component is negligible for HKMG devices and is not shown.

It is important to remark that similar to SiON devices, the D4 HKMG device having larger N content in the gate insulator shows higher overall  $\Delta V_T$  as well as larger  $\Delta V_T$  in the sub 1 ms time scale. It can be seen that  $\Delta V_{HT}$  is larger for the D4 device due to larger N content, and can explain larger degradation observed in sub 1 ms time for this device. Both  $\Delta V_{IT}$  and  $\Delta V_{HT}$  components increase due to N, although the relative increase is much larger for  $\Delta V_{HT}$  component, refer to Chap. 4 for additional details. Higher  $\Delta V_{HT}$  component for the D4 device is consistent with flicker noise data shown in the inset.

Figure 6.10 shows the time evolution of measured  $\Delta V_T$  from short to long  $t_{STR}$  in different HKMG devices having RTP based non-nitrided (D2) and nitrided (D4) IL



**Fig. 6.10** Time evolution of UF-MSM measured  $\Delta V_T$  for NBTI stress using different combinations of  $V_{G-STR}$  and  $T$  in different HKMG devices. Overall composite model solution is shown as *lines*

layers. Experiments were done at three different  $T$ , and for each  $T$ , three different  $V_{G-STR}$  values have been used for stress. The model calculated  $\Delta V_T$  time evolution is also plotted, calculations agree well with measured data as shown. The corresponding DCIV measured and RD model calculated underlying time evolution of  $\Delta V_{IT}$  are shown earlier in Fig. 6.5. The fixed and device dependent adjustable model parameters for  $\Delta V_{IT}$  and  $\Delta V_{HT}$  are listed, respectively, in Tables 6.1 and 6.2; similar fixed parameter values are used for SiON and HKMG devices. Moreover, the fixed and device dependent adjustable model parameters are identical to that used in Chap. 4.

Therefore, the composite modeling framework can readily explain time evolution of  $\Delta V_T$  for differently processed SiON and HKMG p-MOSFETs, for different stress and measurement conditions as shown. Note that similar attempts were also made in [27, 65] to predict  $\Delta V_T$  time evolution for SiON devices using RD model calculated  $\Delta N_{IT}$  and fast saturating  $\Delta N_{HT}$  components. However, these reports use RD model in its primitive form with only atomic H diffusion, which gives rise to power-law time dependence of  $\Delta N_{IT}$  with time exponent  $n = 1/4$ , see Chap. 5, and is not consistent with experimental data shown in Chap. 3. Moreover, note that the alternative modeling approaches shown in [45, 61–64] fail to predict  $\Delta V_T$  time

evolution especially at longer  $t_{\text{STR}}$ , refer to [25, 48, 88], and therefore, these models have limited use and are not pursued.

### 6.3 Recovery After DC Stress

As mentioned earlier in this chapter, it is now well known that NBTI degradation substantially recovers after the removal of stress. The impact of recovery was discovered long ago [26], and has subsequently resulted in the development of different ultra-fast measurement methods [27, 30–32]. Recovery has been extensively studied in [28, 29, 45, 64, 69], and it was concluded, by highlighting the discrepancy between measured  $\Delta V_T$  recovery and RD model calculated  $\Delta N_{\text{IT}}$  recovery, that RD model is not suitable to explain the physical mechanism of NBTI. It was also opined that generated traps during NBTI stress are permanent, and it is only the trapped holes that get de-trapped and cause  $\Delta V_T$  recovery. Therefore,  $\Delta N_{\text{IT}}$  and  $\Delta N_{\text{HT}}$  are, respectively, denoted as permanent (P) and recoverable (R) components [69]. There are several flaws in the above hypothesis since actual recovery mechanism is more complex than envisioned in these reports, and is due to the following reasons:

- (a) As discussed earlier in this chapter and analyzed in detail in Chap. 4 for differently processed SiON and HKMG p-MOSFETs, NBTI stress results in  $\Delta V_{\text{IT}}$ ,  $\Delta V_{\text{HT}}$  and in certain situations  $\Delta V_{\text{OT}}$  subcomponents; overall  $\Delta V_T$  is the uncorrelated sum of these subcomponents. Hence, it is naïve to assume  $\Delta V_T$  recovery is due to the recovery of  $\Delta V_{\text{IT}}$  only, without considering the recovery of  $\Delta V_{\text{HT}}$  and  $\Delta V_{\text{OT}}$ , as explained in [25, 48, 85] and discussed in this chapter. Therefore, it is improper to compare the RD model calculated  $\Delta N_{\text{IT}}$  recovery to measured  $\Delta V_T$  recovery.
- (b) Moreover, direct experimental evidence of the recovery of generated  $\Delta N_{\text{IT}}$  has been shown in Chaps. 2 and 3, and therefore, it is incorrect to denote  $\Delta N_{\text{IT}}$  as permanent; however, it is possible that a fraction of  $\Delta N_{\text{IT}}$  may never recover. Although the simple 1D macroscopic RD model framework described in Chap. 5 can predict time evolution of  $\Delta N_{\text{IT}}$  during stress, the framework needs to be suitably modified to model stochastic hopping of  $\text{H}_2$  during  $\Delta N_{\text{IT}}$  recovery as explained in [25, 48], and is also discussed in this chapter.
- (c) Finally, note that some fraction of the RD model generated traps, i.e., broken X- and Si- bonds, would go below the substrate Fermi level as  $|V_G|$  is reduced from stress to recovery. These traps would capture electrons and neutralize before getting depassivated with returning  $\text{H}_2$ . Electron capture results in faster recovery of generated traps than predicted by RD model solution, which is explained in [42, 86, 87] and discussed in this chapter.

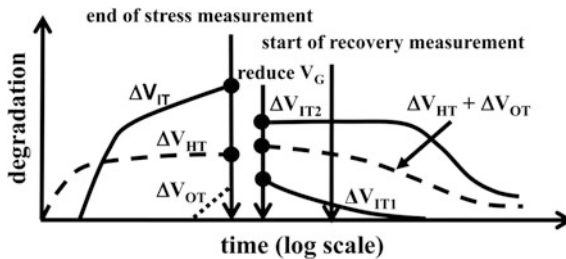
Therefore, the simplistic NBTI recovery picture depicted in [28, 29, 45, 64, 69] is inaccurate, and the exact physical process is explained hereinafter.

### 6.3.1 Modeling Framework

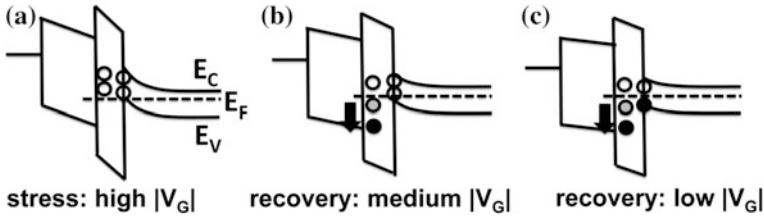
Figure 6.11 illustrates the schematic representation of the time evolution of different subcomponents during stress and recovery experiments. As mentioned before,  $\Delta V_{IT}$  is the primary component during stress, is calculated using H/H<sub>2</sub> RD model solution, and shows power law time dependence with time exponent  $n = 1$  at short and  $n = 1/6$  at long  $t_{STR}$ .  $\Delta V_{HT}$  is a fast saturation component and depends on the quality of the gate insulator, while  $\Delta V_{OT}$  evolves at longer  $t_{STR}$ , shows power law time dependence with exponent  $n \sim 1/3$ , and makes significant contribution for thicker gate insulators and at higher  $V_{G-STR}$  and stress  $T$ . As shown earlier in this chapter and in Chap. 4,  $\Delta V_{OT}$  can be significantly large for SiON devices for certain stress conditions, while its contribution is much smaller for HKMG devices.

Figure 6.12 shows the schematic energy band diagrams drawn at the center of the channel for HKMG p-MOSFET biased under NBTI stress and recovery conditions, the recovery is shown for relatively higher and lower  $V_G$ . As  $|V_G|$  is reduced from stress ( $V_G = V_{G-STR}$ ) to recovery ( $V_G = V_{G-REC}$ ), some of the RD model generated X- and Si- defects go below the Fermi level and capture electrons [94]. More defects would undergo this process when recovery is done at lower  $V_G$ . As explained using DFT simulation results for the particular case of different Ov related defects, see Fig. 6.2, the defect levels relaxes in energy after electron capture due to structural relaxation effects.

Therefore, as shown in Fig. 6.11, the generated  $\Delta V_{IT}$  subcomponent is reduced by one of the two mechanisms during recovery. A fraction of traps ( $\Delta V_{IT-1}$ ) that go below the Fermi level would recover by fast electron capture. The remaining fraction of traps ( $\Delta V_{IT-2}$ ) would remain above the Fermi level, and would recover by back diffusion of H<sub>2</sub> and H and passivation of X- and Si-defects. Note that  $\Delta V_{IT-1}$  includes traps from both first and second interfaces, and so is  $\Delta V_{IT-2}$ . Finally, some fraction of trapped holes in pre-existing ( $\Delta V_{HT}$ ) and generated ( $\Delta V_{OT}$ ) bulk traps would also go below the Fermi level and will detrapp. Therefore, overall  $\Delta V_T$  recovery is uncorrelated sum of three subcomponents, fast electron capture in some fraction of RD model generated traps ( $\Delta V_{IT-1}$ ), slow recovery of the remaining



**Fig. 6.11** Schematic representation of recovery of different NBTI subcomponents after stress. Recovery starts as soon as  $V_G$  is reduced, while the captured data depends on measurement speed (start of recovery measurement)



**Fig. 6.12** Schematic energy band diagrams for **a** stress, as well as for recovery at **b** relatively larger and **c** small gate bias. The *circles* represent generated traps, their occupancy (empty of full) and energy relaxation of filled traps

RD model generated traps ( $\Delta V_{IT-2}$ ), and fast hole detrapping from a fraction of pre-existing and generated bulk traps ( $\Delta V_{HT} + \Delta V_{OT}$ ). As shown in Fig. 6.11, electron capture and hole detrapping are fast processes, and measured recovery would depend on the measurement speed.

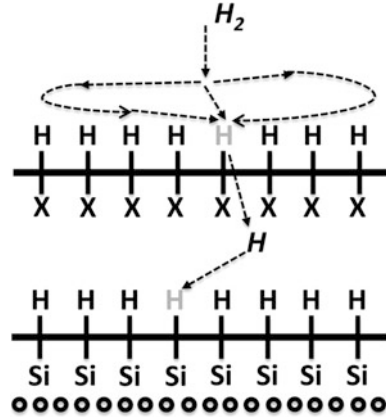
Table 6.3 shows the stretched exponential analytical expressions used to calculate fast electron capture in RD model generated traps and hole detrapping from pre-existing and generated bulk insulator traps, see (6.13) and (6.14), respectively. Since electron capture reduces the positive gate insulator charge generated due to NBTI stress, both electron capture and hole detrapping expressions are similar, with  $T$  independent parameters  $\tau_{EC}$ ,  $\beta_{EC}$  and  $\tau_{REC}$ ,  $\beta_{REC}$ , respectively. These parameters determine the rate of electron capture and hole detrapping. The  $F_{FAST}$  parameter determines the fraction of RD model generated traps that go below the Fermi level and capture electrons.  $P_{HT}$  is the magnitude of pre-existing and generated bulk traps that remain above the Fermi level at a particular  $V_{G-REC}$ , and therefore, holes trapped in these traps do not detrapp. The pre-factors  $D_1$  and  $D_2$  are calculated using  $F_{FAST} * \Delta V_{IT}$  and  $(\Delta V_{HT} + \Delta V_{OT})$  values obtained at the end of stress.

Figure 6.13 shows the schematic of double interface H/H<sub>2</sub> RD model during recovery after NBTI stress. H<sub>2</sub> molecules diffuse back towards the second interface and react with broken X- to form X-H bonds and H atoms. The resultant H atoms diffuse towards the first interface to passivate broken Si-bonds. The phenomenon is just opposite to stress, shown earlier in Fig. 6.4. Note that in reality, broken X-bonds are randomly located in 3D in the gate insulator, and the H<sub>2</sub> molecule, being a slow diffuser, needs to hop around till it gets captured and reacts with X-.

**Table 6.3** Equations for electron capture in RD model generated traps and detrapping of holes from pre-existing and generated bulk traps

$\Delta V_{IT1}(t) = D_1 \left( 1 - e^{-\left(\frac{t}{\tau_{EC}}\right)^{\beta_{EC}}} \right)$	(6.13)
$(\Delta V_{HT} + \Delta V_{OT})(t) = D_2 e^{-\left(\frac{t}{\tau_{REC}}\right)^{\beta_{REC}}} + P_{HT}$	(6.14)

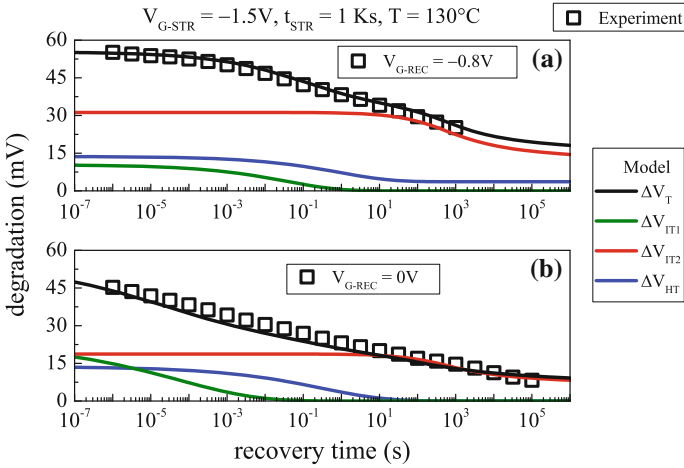
**Fig. 6.13** Schematic of double interface H/H<sub>2</sub> Reaction-Diffusion model for interface trap passivation after stress



Therefore, when all broken X– bonds are assumed at the second interface, the H<sub>2</sub> molecule needs to hop around near the second interface till it finds a broken X– to react. Ideally, the same should hold for diffusing H atom during stress; however, being a fast diffuser, the atomic H can find X–H bonds in short-time scale and the H hopping is not a rate limiting step. Similarly during recovery, once H atom is released, it can very quickly find another broken Si– or X– bond and react, and is also not a rate limiting step.

The probability of H<sub>2</sub> finding an available X– is greater at the beginning of recovery. However, the hopping of H<sub>2</sub> prior to reaction with X– would be longer for longer recovery time, as most broken X– bonds would be consumed with passage of time. In a simple 1D RD model framework, this physical mechanism can be effectively captured by slowing down the H<sub>2</sub> diffusivity  $D_{H_2}$  over time, using the relation  $D_{H_2}(t) = D_{H_2}/[1 + B_D * (t/t_{STR})]$ , where  $D_{H_2}$  is the diffusivity of H<sub>2</sub> used during stress and  $t_{STR}$  is the total stress time before the start of recovery phase [25]. The parameter  $B_D$  determines the extent of reduction in diffusivity required in 1D simulation,  $B_D = 0$  denotes basic RD model. Note that back diffused H<sub>2</sub> and H passivate all RD model generated X- and Si-defects, irrespective of whether they remain above or below the Fermi level for a particular  $V_{G-REC}$ . Of course, if a defect is already neutralized by electron capture, its subsequent passivation does not impact  $\Delta V_T$  recovery. Moreover, some of the released H species during stress can become trapped or otherwise lost in the system. These H species can be considered as locked and will not be available during recovery [26], and therefore, some of the RD model generated defects will remain as permanent.

Figure 6.14 shows the time evolution of UF-MSM measured  $\Delta V_T$  after NBTI stress in HKMG p-MOSFETs for identical  $V_{G-STR}$ ,  $t_{STR}$  and stress  $T$  but relatively (a) higher and (b) lower  $|V_{G-REC}|$ . Refer to Chap. 2 for details of UF-MSM method for recovery characterization. Note that for identical stress condition,  $\Delta V_T$  at the start of recovery is lower and the rate of recovery is much faster at lower  $|V_{G-REC}|$  when compared to measured data at higher  $|V_{G-REC}|$ . Calculated  $\Delta V_T$  and its underlying subcomponents obtained by using the composite modeling framework

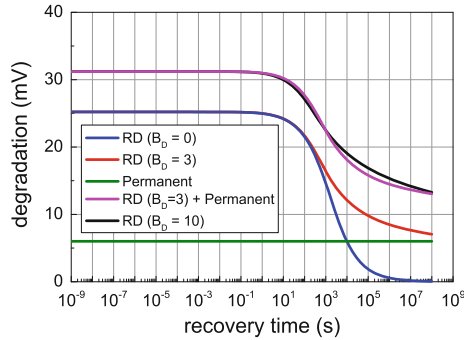


**Fig. 6.14** Time evolution of UF-MSM measured  $\Delta V_T$  recovery after NBTI stress in HKMG devices (*symbols*), for different  $V_{G-REC}$ . Overall composite model solution and its underlying trap passivation, electron capture and hole de-trapping subcomponents are shown as *lines*

are also shown. The time-dependent shape of hole detrapping ( $\Delta V_{HT} + \Delta V_{OT}$ ) component and the associated permanent component  $P_{HT}$  depends on  $V_{G-REC}$  as shown, faster rate of detrapping and smaller residual  $P_{HT}$  is observed for lower  $|V_{G-REC}|$ . As explained before,  $\Delta V_{IT}$  recovers by fast electron capture ( $\Delta V_{IT-1}$ ) and by slower  $H_2$  diffusion related passivation ( $\Delta V_{IT-2}$ ) processes, a larger  $\Delta V_{IT}$  fraction recovers by electron capture at lower  $|V_{G-REC}|$  as expected. The recovery of  $\Delta V_{IT-2}$  is calculated using the RD model solution with reduced  $D_{H_2}$  as discussed above, and a fraction of  $\Delta V_{IT-2}$  remains unrecovered, denoted as  $P_{TG}$ , due to locking effect mentioned above. The ratio of  $\Delta V_{IT-2}$  at the beginning of stress to  $P_{TG}$  at the end of stress remains independent of  $|V_{G-REC}|$  as neutral H species are involved.

The  $H_2$  hopping related slowing down of  $\Delta V_{IT-2}$  recovery and the permanent  $P_{TG}$  component associated with  $H_2$  locking effect determine recovery at long time and need further attention. Figure 6.15 plots the time evolution of RD model calculated  $\Delta V_{IT-2}$  recovery without and with  $D_{H_2}$  slow down effect. Reduced rate of recovery is observed when  $D_{H_2}$  reduction is invoked. The permanent  $P_{TG}$  component is also shown, the ratio of  $\Delta V_{IT-2}$  at start of recovery to  $P_{TG}$  at end of recovery is kept identical to that used in Fig. 6.14. Time evolution of total  $\Delta V_{IT-2}$  recovery including the reduced  $D_{H_2}$  solution and  $P_{TG}$  component is shown, which can be effectively modeled using a single reduced  $D_{H_2}$  RD model simulation, but with larger value of parameter  $B_D$  that results in larger reduction at longer time, which is akin to simulating the  $H_2$  lock-in effect. Note that for simplicity, all recovery simulations done using the H/ $H_2$  RD model to predict the time evolution of  $\Delta V_{IT-2}$  component of overall  $\Delta V_T$  use an effective but larger reduced diffusivity, which automatically takes into account the permanent component. Simulated results are shown in the following section.





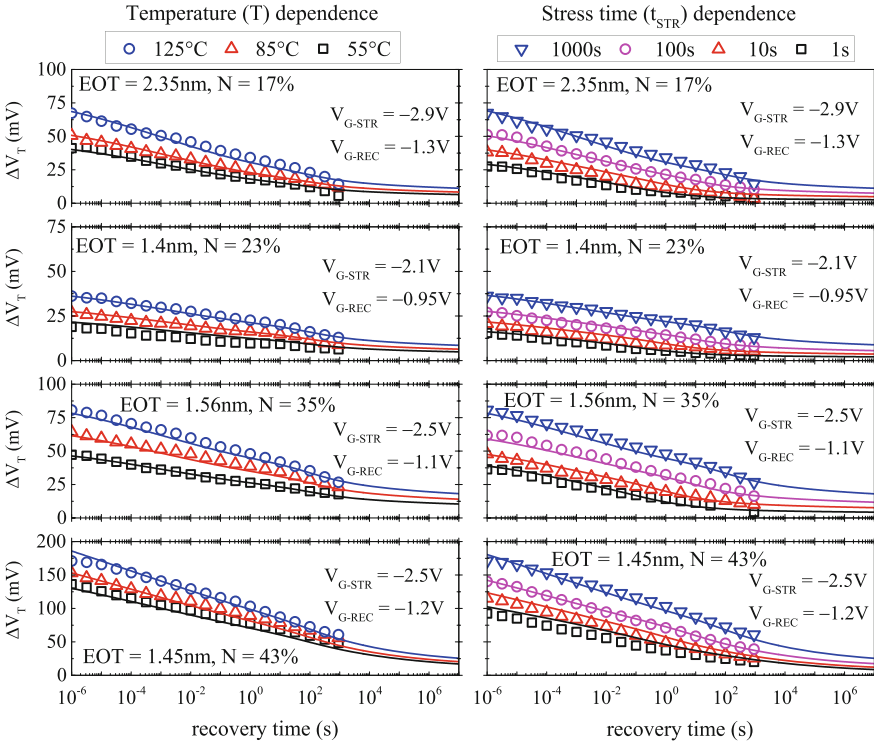
**Fig. 6.15** Macroscopic 1D implementation of 3D stochastic hopping effect for trap passivation: time evolution of RD model calculated recovery without and with delayed diffusivity. The sum of delayed diffusivity and non-recoverable component is shown, which can be modeled using an effective RD model solution with larger reduction in diffusivity

### 6.3.2 Analysis of SiON and HKMG Devices

Figure 6.16 plots the time evolution of  $\Delta V_T$  recovery measured using  $t_0 = 1 \mu\text{s}$  OTF method in SiON p-MOSFETs having different gate insulator processes. Recovery is measured after devices are stressed at fixed  $V_{G\text{-STR}}$  and  $t_{\text{STR}}$  but with different  $T$  (left panels), and also at fixed  $V_{G\text{-STR}}$  and  $T$  but for different  $t_{\text{STR}}$  (right panels). The OTF method for recovery measurements is explained in Chap. 2. The OTF measured time evolution of  $\Delta V_T$  during stress for these devices are shown and modeled in Fig. 6.8.

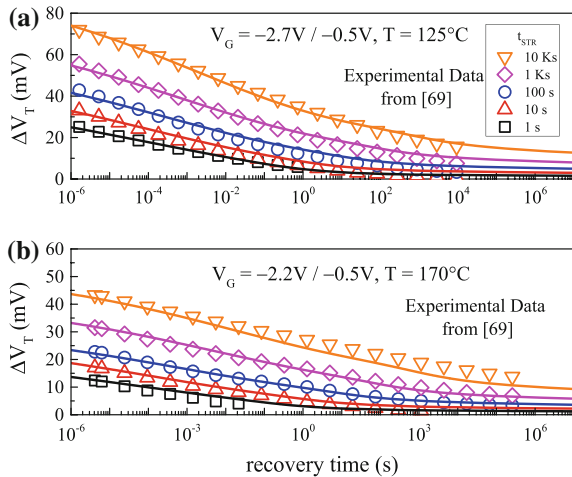
Calculated  $\Delta V_{\text{IT}}$ ,  $\Delta V_{\text{HT}}$  and  $\Delta V_{\text{OT}}$  subcomponents are obtained at end-of-stress, and used to model time evolution of recovery using the framework discussed earlier. Note that due to the use of relatively high  $|V_{G\text{-REC}}|$ , recovery of RD model generated traps occurs mostly via trap passivation due to  $\text{H}_2$  back diffusion and not so much via electron capture. The time evolution of  $\Delta V_T$  recovery calculated using the composite modeling framework is also plotted in Fig. 6.16, the model agrees reasonably well with measured data across different devices and experimental conditions. Consistent model parameters have been used for stress and recovery simulations. Once the device dependent parameters are adjusted for a particular device, they are not tweaked for variations in experimental conditions.

Figure 6.17 plots the time evolution of measured  $\Delta V_T$  recovery following NBTI stress in SiON devices at different  $t_{\text{STR}}$ , obtained from published report [69]. Experiments have been performed at fixed  $V_{G\text{-STR}}$  and  $T$  while  $t_{\text{STR}}$  is varied over a wide range, and recovery is measured over long recovery time ( $t_{\text{REC}}$ ). Two different combinations of  $V_{G\text{-STR}}$  and  $T$  are used for stress. The corresponding time evolution of  $\Delta V_T$  during stress for these stress conditions, also obtained from [69], is modeled to determine the end-of-stress  $\Delta V_{\text{IT}}$ ,  $\Delta V_{\text{HT}}$  and  $\Delta V_{\text{OT}}$  subcomponents (not plotted here for brevity). The composite modeling framework is used to calculate the time evolution of recovery of these subcomponents and hence the recovery of overall



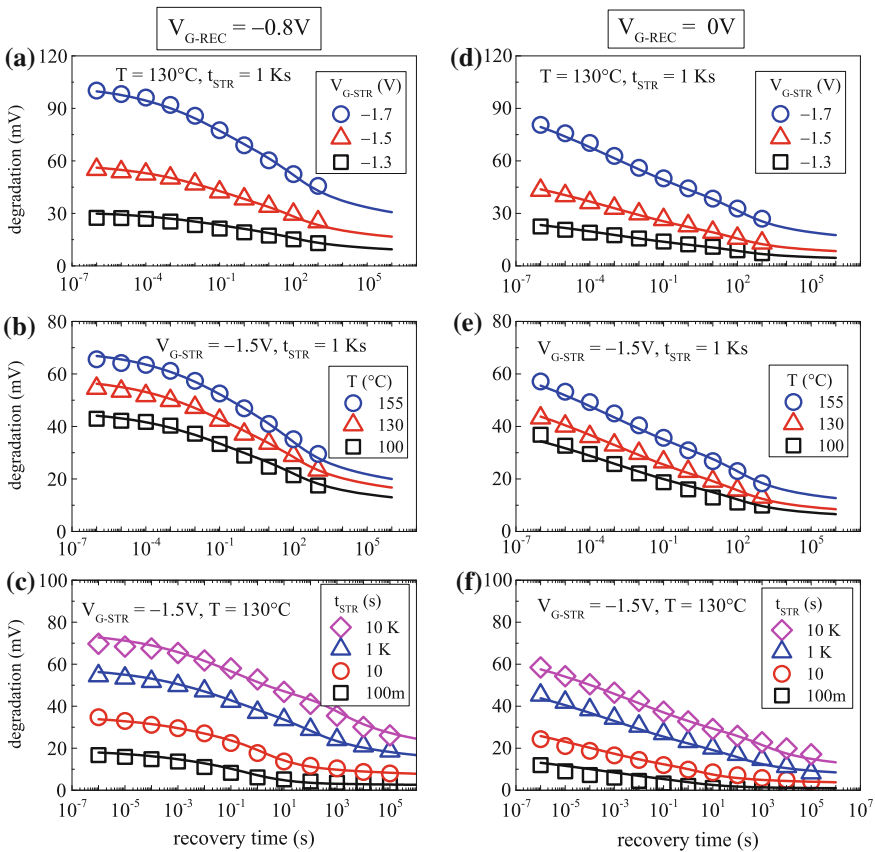
**Fig. 6.16** Time evolution of  $\Delta V_T$  recovery measured using mobility corrected UF-OTF method (symbols), after NBTI stress in different SiON devices for different stress  $T$  and stress time. Overall composite model solution is shown as lines

**Fig. 6.17** Time evolution of  $\Delta V_T$  recovery following NBTI stress in SiON devices for very long stress and recovery time. Measured data (symbols) and overall composite model solution (lines) are shown



$\Delta V_T$ . The time evolution of calculated  $\Delta V_T$  recovery is also shown, which agrees reasonably well with measured data as shown. Consistent model parameters are used to calculate  $\Delta V_T$  recovery in Figs. 6.16 and 6.17, as very similar SiON devices have been used [48, 69].

Figure 6.18 plots the time evolution of  $\Delta V_T$  recovery measured using UF-MSM method in HKMG devices. NBTI stress is done using different  $V_{G-STR}$  (top panels), stress  $T$  (middle panels) and  $t_{STR}$  (bottom panels), and recovery is done using high  $|V_{G-REC}|$  (left panels) and using  $|V_{G-REC}| = 0$  V (right panels). Recovery measurement using the UF-MSM method is discussed in Chap. 2. As mentioned before, for identical  $V_{G-STR}$ , stress  $T$  and  $t_{STR}$ , the magnitude of  $\Delta V_T$  at start of recovery is lower and the rate of recovery is faster for lower  $|V_{G-REC}|$ , and this remains valid for different type of stress scenarios shown in Fig. 6.18. The time evolution of UF-MSM measured  $\Delta V_T$  during stress using different  $V_{G-STR}$  and  $T$  is plotted and

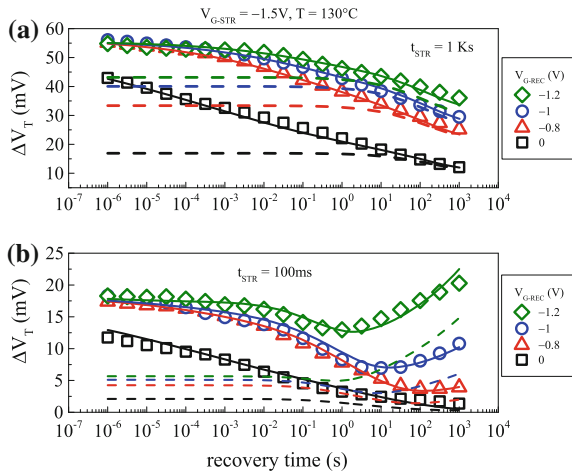


**Fig. 6.18** Time evolution of UF-MSM measured  $\Delta V_T$  recovery (symbols), after NBTI stress in HKMG devices for different stress bias, stress  $T$  and stress time, and measured using relatively high as well as 0 V  $V_{G-REC}$ . Overall composite model solution is shown as lines

analyzed in Fig. 6.10. The composite modeling framework is used to calculate  $\Delta V_{IT}$ ,  $\Delta V_{HT}$  and  $\Delta V_{OT}$  subcomponents at end-of-stress, and to calculate their time evolution during recovery after stress. The calculated time evolution of overall  $\Delta V_T$  during recovery for different experimental conditions is plotted in Fig. 6.18; the model is in good agreement with measured data for such diverse experimental conditions. Note that consistent model parameters are used during stress and recovery calculations.

Figure 6.19 plots the time evolution of  $\Delta V_T$  recovery measured using UF-MSM method at different  $|V_{G-REC}|$ , following NBTI stress in HKMG devices performed at fixed  $V_{G-STR}$  and  $T$  but for (a) long and (b) short stress duration. Note that the magnitude of  $\Delta V_T$  at the start of recovery and the rate of recovery is a strong function of  $|V_{G-REC}|$ , a significant reduction in the starting magnitude is observed when recovery is measured at lower  $|V_{G-REC}|$ . Also note that  $\Delta V_T$  continues to recover in time for all values of  $|V_{G-REC}|$ , although at a reduced rate at higher  $|V_{G-REC}|$ , when measured after long  $t_{STR}$ . This also holds for recovery measured using low  $|V_{G-REC}|$  after short  $t_{STR}$  stress. However, when recovery is measured at higher  $|V_{G-REC}|$  after stress for short  $t_{STR}$ ,  $\Delta V_T$  does not continue to recover all the way, but turns around and subsequently increases at longer time; the turnaround kicks in earlier for larger  $|V_{G-REC}|$ . The composite framework has been used to calculate recovery of  $\Delta V_T$  and its underlying subcomponents. The time evolution of calculated  $\Delta V_T$  and  $\Delta V_{IT}$  recovery are also plotted in Fig. 6.19. Remarkably, the composite model can successfully predict time evolution of  $\Delta V_T$  recovery for different experimental conditions, and particularly, can also predict the turn around and increase in  $\Delta V_T$  observed at longer time for certain experimental conditions. Note that the observed turnaround is due to delayed buildup of  $\Delta V_{IT}$  because of trap generation when recovery measurements are done at higher  $|V_{G-REC}|$ , which can be successfully simulated using the RD model.

**Fig. 6.19** Time evolution of UF-MSM measured  $\Delta V_T$  recovery at different  $V_{G-REC}$ , after long and short-time NBTI stress in HKMG devices. Overall composite model solution and its underlying interface trap generation subcomponent are shown as *lines*



Therefore, contrary to some reports, the RD model based composite modeling framework can successfully explain diverse set of recovery measurements in differently processed SiON and HKMG devices, hitherto not achieved by any other modeling framework reported so far. The framework is used to predict AC degradation in the following section.

## 6.4 Degradation During AC Stress

As generated  $\Delta V_T$  during DC stress recovers after the stress is removed, AC stress results in lower magnitude of  $\Delta V_T$  than DC stress and is of interest from the viewpoint of digital switching logic circuits. Similar to DC stress,  $\Delta V_T$  time evolution during AC stress also should be measured using ultra-fast method to obtain proper DC to AC ratio for a particular AC pulse frequency and duty cycle. As illustrated in Chap. 2, Fig. 2.14, ultra-fast AC measurements can be done using the UF-MSM technique after the end of last half cycle, denoted as Mode-A stress, or at the end of complete last cycle, denoted as Mode-B stress. Figure 2.15 in Chap. 2 shows the time evolution of UF-MSM measured  $\Delta V_T$ , the impact of PDC,  $f$  and pulse low bias ( $V_{G-LOW}$ ) on measured  $\Delta V_T$  at fixed  $t_{STR}$ , and the impact of  $f$  on measured power-law time exponent  $n$  for AC Mode-A and Mode-B NBTI stress in HKMG devices. Additional AC stress results are shown in Chap. 1, Figs. 1.31 and 1.32. The following observations can be made:

- (a) Mode-A measured  $\Delta V_T$  magnitude is higher and the corresponding power-law time exponent  $n$  is lower compared to Mode-B measurements for low  $f$  AC stress; Mode-A  $\Delta V_T$  reduces and time exponent  $n$  increases with  $f$  and merge with Mode-B measured data at higher  $f$ .
- (b) Mode-B measured  $\Delta V_T$  magnitude and time exponent  $n$  remains independent of  $f$ . Indeed, published data show  $f$  independence of  $\Delta V_T$  for AC stress having  $f$  up to few GHz [21, 44]. The  $f$  independence of Mode-B stress is observed for different PDC, and the corresponding time exponent shows universal  $n \sim 1/6$  value at different  $f$  and PDC.
- (c) A characteristic “S” shaped PDC dependence of measured  $\Delta V_T$  is observed for both Mode-A and Mode-B stress. A “kink” or jump in  $\Delta V_T$  magnitude is observed between high PDC AC and DC measurements. The magnitude of this kink depends on pulse  $f$  and  $V_{G-LOW}$  values, and also on the type, i.e., Mode-A or Mode-B, of AC stress.
- (d) The DC to AC ratio at different PDC and  $f$  depends on  $V_{G-LOW}$ , although the shape of PDC and  $f$  dependence is maintained at different  $V_{G-LOW}$  for both Mode-A and Mode-B stress. Lower  $\Delta V_T$  magnitude is measured for lower  $V_{G-LOW}$  for both Mode-A and Mode-B stress. This is consistent with  $|V_{G-REC}|$  dependence of recovery discussed earlier, since for AC stress, degradation recovers during the pulse low phase.

In this section, the above experimental observations will be modeled using the composite framework discussed in previous sections. Note that AC stress experiments are performed in HKMG p-MOSFETs. Therefore, interface trap generation and hole trapping subcomponents are used to model measured data, and bulk trap generation is ignored.

### 6.4.1 RD Model for Generation of Interface Traps

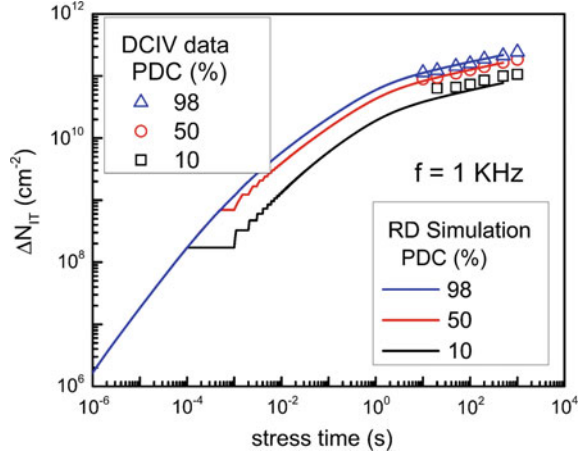
Similar to DC stress, DCIV measurements have been performed to directly estimate interface trap generation during AC stress at different PDC and  $f$ . Measured results are shown in Chap. 3, and DCIV method is explained in Chap. 2. As DCIV is a slow measurement method, only Mode-B AC stress can be used, and the time evolution of measured  $\Delta N_{IT}$  needs to be corrected for measurement delay and band gap as explained in Chap. 2. The following observations can be made regarding DCIV measured during AC stress, refer to from Chap. 3, Fig. 3.7 for details:

- (a) Time evolution of  $\Delta N_{IT}$  shows power law dependence with identical time exponent  $n \sim 1/6$  for different PDC,  $f$  and  $V_{G-LOW}$  values. Note the similarity of time exponent  $n$  between UF-MSM measured  $\Delta V_T$  and DCIV measured  $\Delta N_{IT}$  for Mode-B stress.
- (b) Measured  $\Delta N_{IT}$  shows  $f$  independence, and once again, UF-MSM measured  $\Delta V_T$  and DCIV measured  $\Delta N_{IT}$  show identical trend. However, the AC to DC ratio is much larger for  $\Delta N_{IT}$  than  $\Delta V_T$ . Moreover, unlike  $\Delta V_T$ , the AC to DC ratio for  $\Delta N_{IT}$  does not depend on  $V_{G-LOW}$ .
- (c) Although  $\Delta N_{IT}$  increases with increased PDC, the PDC dependent shape of  $\Delta N_{IT}$  is somewhat different from that of  $\Delta V_T$ . Moreover, unlike  $\Delta V_T$ , measured  $\Delta N_{IT}$  does not show a kink between high PDC AC and DC stress. It is important to remark that when normalized to 50 % AC, the PDC dependence of  $\Delta N_{IT}$  and  $\Delta V_T$  show universal shape up to  $\sim 85$  % PDC for different devices and stress conditions, which is explained later in this section.

In previous sections, RD model has been used to predict the time evolution of  $\Delta N_{IT}$  generated during DC stress and its subsequent recovery after stress. Note that contrary to some reports,  $\Delta N_{IT}$  indeed recovers after stress, which is evident from direct DCIV measurements, results are shown in Chap. 2, Figs. 2.31 and 2.32. The RD model can be used to simulate time evolution of  $\Delta N_{IT}$  during AC stress, refer to Chap. 5 for implementation details.

Figure 6.20 shows the time evolution of DCIV measured  $\Delta N_{IT}$  after measurement delay and band gap correction, for AC NBTI stress in HKMG devices at different PDC; pulse  $V_{G-HIGH}$  ( $=V_{G-STR}$ ),  $V_{G-LOW}$  ( $=V_{G-REC}$ ),  $f$  and stress  $T$  are held constant. Time evolution of  $\Delta N_{IT}$  calculated from RD model simulation for identical stress condition is also shown, identical model parameters are used for DC and AC stress. Note that simulated results agree well with measurements for AC stress at different PDC; the corresponding measured and simulated  $\Delta N_{IT}$  time evolution

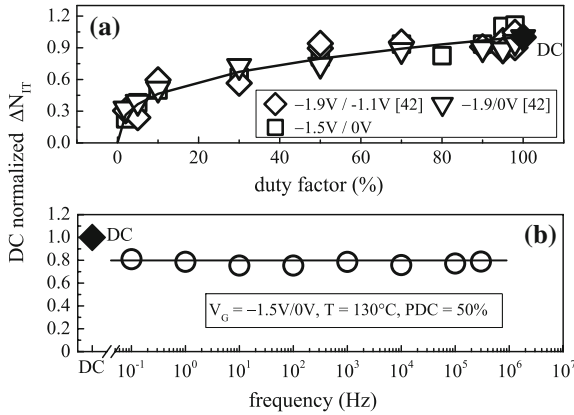
**Fig. 6.20** Time evolution of DCIV measured  $\Delta N_{IT}$  after delay and band gap correction (symbols), for AC NBTI stress in HKMG devices for different pulse duty cycle. Lines represent RD model simulation, shown up to 500 s stress, as AC simulation is computationally expensive



results for DC stress at different  $V_{G-STR}$  and  $T$  are shown earlier in Fig. 6.5. It is important to remark that full AC simulation is computationally expensive, and therefore, AC simulations for very long  $t_{STR}$  and/or very high  $f$  become computationally challenging. However, time evolution of measured  $\Delta N_{IT}$  demonstrates power law dependence with universal time exponent  $n \sim 1/6$ , and moreover,  $\Delta N_{IT}$  magnitude is  $f$  independent as mentioned above. These features can be explained by RD model [78], refer to Chap. 5 for additional details. Therefore, simulated  $\Delta N_{IT}$  time evolution data at relatively shorter  $t_{STR}$  and lower  $f$  can be extrapolated using simple analytical model to obtain  $\Delta N_{IT}$  at longer  $t_{STR}$  and at higher  $f$ .

Figure 6.21 shows  $\Delta N_{IT}$  at fixed  $t_{STR}$ , obtained from DCIV measured time evolution of  $\Delta N_{IT}$  after measurement delay and band gap correction, for NBTI stress in HKMG devices for different (a) PDC and (b)  $f$  of the AC gate pulse. Measured AC stress data are normalized to the corresponding DC stress data at identical  $t_{STR}$ ; therefore, the actual AC stress duration depends on PDC or the pulse on time. The PDC dependent experiments are done using different combinations of  $V_{G-HIGH}$  and  $V_{G-LOW}$ ; however, identical AC to DC ratio has been obtained for all combinations of stress as shown. Note that measured  $\Delta N_{IT}$  shows  $f$  independence, and also note the absence of kink between high PDC AC and DC stress. Calculated PDC and  $f$  dependence of  $\Delta N_{IT}$  obtained from RD model simulations are also shown, AC data are normalized to DC data at identical  $t_{STR}$  for fair comparison. Identical RD model parameters are used for DC and AC stress, and simulated results agree well with measurements as shown. Moreover, RD model suggests  $V_{G-LOW}$  independence of  $\Delta N_{IT}$ , which is consistent with recovery being governed by back diffusion of neutral  $H_2$  species, and is also in agreement with measured data. The predicted  $f$  independence of  $\Delta N_{IT}$  is also in agreement with measurements, and is a fundamental outcome of the RD model [78]. Note that RD model can predict  $n = 1/6$  power-law time dependence of  $\Delta N_{IT}$  for DC and AC stress and the  $f$  independence of  $\Delta N_{IT}$  for AC stress with zero adjustable parameters, refer to Chap. 5 for additional details.





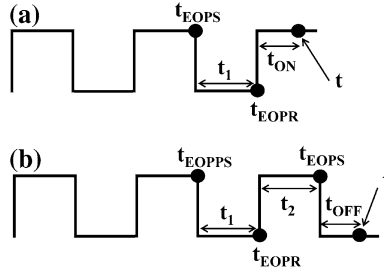
**Fig. 6.21** DCIV measured  $\Delta N_{IT}$  after delay and band gap correction (*symbols*) at fixed  $t_{STR}$ , for AC NBTI stress in HKMG devices for different pulse duty cycle and frequency. PDC dependent data measured for different pulse high and low bias combinations. *Lines* represent RD model solution. Simple empirical expression (see text) is used to fit actual simulated data at lower  $f$ , and the calibrated expression is used to predict data at higher  $f$  to save computation time

### 6.4.2 Transient Trap Occupancy Calculation

Although RD model can accurately predict the time evolution of DCIV measured  $\Delta N_{IT}$  during and after DC stress and during AC stress for different experimental conditions, occupancy of generated traps needs to be considered for computing the charged state of generated traps and associated voltage shift. As explained earlier, the voltage shift  $\Delta V_{IT}$  corresponding to generated traps equals  $q * \Delta N_{IT} / C_{OX}$  during stress;  $\Delta N_{IT}$  being the density of traps situated above the Fermi level during stress. However,  $\Delta V_{IT}$  is divided into  $\Delta V_{IT-1}$  and  $\Delta V_{IT-2}$  components during recovery, depending on whether recovery occurs via fast electron capture in a part of  $\Delta N_{IT}$  that goes below the Fermi level as  $|V_G|$  is reduced, or by  $H_2$  depassivation in the other part of  $\Delta N_{IT}$  that remains above the Fermi level, as explained using Fig. 6.11. Since AC stress is equivalent to successive stress and recovery cycles, trap occupancy should be suitably calculated to convert RD model simulated time evolution of  $\Delta N_{IT}$  to time evolution of  $\Delta V_{IT}$ .

This conversion is performed using Transient Trap Occupancy Model (TTOM), which was proposed in [87] and explained using Fig. 6.22 and Table 6.4. First, AC simulation using the double interface H/H<sub>2</sub> RD model with reduced  $D_{H2}$  is done to obtain  $\Delta N_{IT}(t)$  as a function of time ( $t$ ) for successive on and off periods of gate stress pulse shown in Fig. 6.22. Table 6.4 lists the empirical equations used for trap occupancy calculation. To calculate  $\Delta V_{IT}(t)$  at a given  $t$  during a particular on half cycle, see Fig. 6.22a,  $\Delta N_{IT}$  needs to be calculated using the RD model at  $t_{EOPR}$  and  $t_{EOPS}$ , i.e., time corresponding to the end of last off half cycle and the end of previous on half cycle. In addition,  $\Delta V_{IT}$  needs to be known at  $t_{EOPR}$ , which can be obtained from recovery calculation discussed below. At a time  $t_{ON}$  for the on half





**Fig. 6.22** Schematic of gate pulse showing the region of interest for **a** stress and **b** recovery for transient trap occupancy calculation

**Table 6.4** Equations for transient trap occupancy calculation for RD model generated traps during multi-cycle DC or AC stress

$\Delta V_{IT}(t) = \Delta V_{IT}(t_{EOPR})$	(6.15)
$+ q/C_{OX} * [\Delta N_{IT}(t) - \Delta N_{IT}(t_{EOPR})]$	(6.16)
$+ q/C_{OX} * F_{FAST} * [\Delta N_{IT}(t_{EOPR}) - \Delta N_{IT}(t_{EOPS}) * \exp \{ -(t_1/\tau_{EC})^{\beta_{EC}} \}]$ $* [1 - \exp \{ -(t_{ON}/\tau_{EE})^{\beta_{EE}} \}]$	(6.17)
$\Delta V_{IT}(t) = q/C_{OX} * (1 - F_{FAST}) * \Delta N_{IT}(t)$	(6.18)
$+ q/C_{OX} * F_{FAST} * [\Delta N_{IT}(t_{EOPS}) - \Delta N_{IT}(t_{EOPR})] * \exp \{ -(t_{OFF}/\tau_{EC})^{\beta_{EC}} \}$	(6.19)
$+ q/C_{OX} * F_{FAST} * [\Delta N_{IT}(t_{EOPR}) - \Delta N_{IT}(t_{EOPPS}) * \exp \{ -(t_1/\tau_{EC})^{\beta_{EC}} \}]$ $* [1 - \exp \{ -(t_2/\tau_{EE})^{\beta_{EE}} \}] * \exp \{ -(t_{OFF}/\tau_{EC})^{\beta_{EC}} \}$	(6.20)
Parameters :	
Electron capture:- $\tau_{EC}$ and $\beta_{EC}$ , Electron emission:- $\tau_{EE}$ and $\beta_{EE}$ ,	
Fast fraction:- $F_{FAST}$	

cycle of interest that corresponds to a total time simulation time  $t$ ,  $\Delta V_{IT}(t)$  is calculated by adding two equations to  $\Delta V_{IT}(t_{EOPR})$ . The first (6.16) relates generation of new  $\Delta N_{IT}$  in half cycle of interest, which can be obtained from RD simulation. The second (6.17) calculates electron detrapping from the traps that have captured electrons in the previous off half cycle and is explained hereinafter.

Recall that  $F_{FAST}$  is the fraction of traps that go below Fermi level as  $|V_G|$  is reduced for recovery. The pre-factor of (6.17) has two terms. The first term corresponds to traps that remain below Fermi level and are still un-passivated at  $t_{EOPR}$ . The second term corresponds to reduction in positively charged traps due to electron capture during previous off half cycle, and denotes residual charges due to

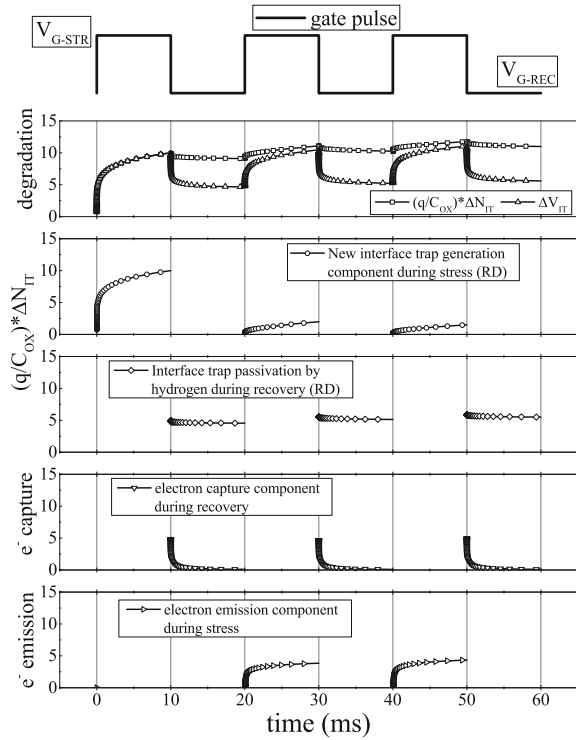
traps that have gone below Fermi level but have not captured electrons at  $t_{EOPR}$ . Note that electron capture during off half cycle is analogous to emission of holes, i.e., reduction in positive charges, and is computed using stretched exponential equation with parameters  $\tau_{EC}$  and  $\beta_{EC}$ . Therefore, the pre-factor of (6.17) denotes density of traps that remained occupied with electrons at the onset of on half cycle of interest, and these traps emit electrons during the current on cycle. The electron emission is analogous to hole capture and increase in positive charge, and a suitable stretched exponential equation is used with parameters  $\tau_{EE}$  and  $\beta_{EE}$ . Electron capture is a fast process and uses very small  $\tau_{EC}$ . However, traps relax in energy after electron capture as shown in Fig. 6.2, which increases the time constant  $\tau_{EE}$  associated with subsequent electron emission. It can be shown that for first on half cycle, the TTOM model becomes the usual voltage shift expression  $q * \Delta N_{IT}/C_{OX}$ .

To calculate  $\Delta V_{IT}(t)$  at a given  $t$  during a particular off half cycle, see Fig. 6.22b,  $\Delta N_{IT}$  values need to be calculated at  $t_{EOPS}$ ,  $t_{EOPR}$  and  $t_{EOPPS}$ , i.e., time corresponding to the end of last on half cycle, the end of the previous off half cycle, and also at the end of previous to previous on half cycle. At time  $t_{OFF}$  for the off half cycle of interest that corresponds to a total time simulation time  $t$ ,  $\Delta V_{IT}(t)$  is calculated by using three equations listed in Table 6.4. The first (6.18) corresponds to trap passivation and denotes residual charges in traps that remain above Fermi level and also remain un-passivated till time  $t_{OFF}$ . The pre-factor of the second (6.19) denotes generation of traps during the previous on half cycle, and hence the overall (6.18) corresponds to recovery due to electron capture in these generated traps, and denotes residual charges due to traps that have gone below Fermi level but have not captured electrons till time  $t_{OFF}$ . The third (6.20) has three terms. As explained above, the first term denotes density of traps that remained occupied with electrons at the onset of previous on half cycle, and the second term corresponds to electron emission from these traps during the previous on half cycle. Therefore, product of the first two terms corresponds to traps that got carried over from previous cycles, are not occupied by electrons, and go below Fermi level in the current off half cycle and become available to get neutralized by electron capture. The complete (6.20) denotes residual charges in these traps, which have still not captured electrons till  $t_{OFF}$ .

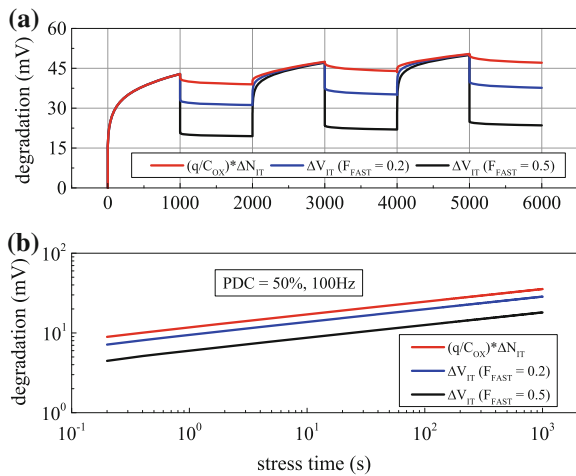
Therefore, generation and recovery of traps as calculated by the RD model and charge occupancy of these traps as calculated using the model described above can be used to calculate  $\Delta V_{IT}$  for successive stress and recovery cycles. As an illustration, Fig. 6.23 plots voltage shift corresponding to trap generation and passivation calculated using the RD model, and also due to electron capture into these traps during recovery and emission from them during subsequent stress calculated using TTOM. The individual trap generation, passivation, electron capture and emission subcomponents for every on and off cycles are also shown. As mentioned before, electron capture is fast but subsequent re-emission is slow, and this can be visualized from Fig. 6.23. As illustrated, transient occupancy of generated traps plays a very important role in determining overall voltage shift contribution due to generated traps during multi-cycle DC or AC stress.

Figure 6.24 plots the time evolution of voltage shift corresponding to  $\Delta N_{IT}$  and  $\Delta V_{IT}$  calculated, respectively, using the RD model and TTOM with different  $F_{FAST}$

**Fig. 6.23** TTOM enhanced RD model: time evolution of voltage shift due to trap generation and passivation from RD model and TTOM enabled RD model calculations for multiple stress and recovery cycles. Trap generation, passivation, electron capture and emission components are also shown separately for each cycle



**Fig. 6.24** Time evolution of voltage shift due to RD model calculated traps, and after transient occupancy calculation of these traps, for **a** multi-cycle DC stress and **b** AC stress. Calculations are done for different fast-fraction values corresponding to the electron capture process



parameters, for (a) multiple DC stress and recovery cycles as well as (b) higher  $f$  AC stress; Fig. 6.24a can be considered as AC stress with very low  $f$ . The DC data are also shown as reference. Figure 6.24a shows that  $q * \Delta N_{IT}/C_{OX}$  and  $\Delta V_{IT}$  are identical for the first on half cycle as expected, but they separate out from the first

off half cycle due to electron capture as expected.  $\Delta V_{IT}$  during recovery is lower than  $q * \Delta N_{IT}/C_{OX}$ ; their separation depends on  $F_{FAST}$ , which is determined by  $V_{G-REC}$ . Figure 6.24b shows that the time evolution of  $q * \Delta N_{IT}/C_{OX}$  and  $\Delta V_{IT}$  show power-law dependence with identical exponent  $n = 1/6$ , and their separation depends on  $F_{FAST}$  or  $V_{G-LOW}$  as expected. The DC to AC ratio is governed by the parameter  $F_{FAST}$  for both multi-cycle DC and high  $f$  AC stress as shown.

### 6.4.3 Hole Trapping and Detrapping

Although interface trap generation dominates NBTI, contribution due to trapping and detrapping of holes in pre-existing traps need to be considered to compute the time evolution of overall  $\Delta V_T$  during multiple DC stress and recovery cycles as well as during high  $f$  AC stress. TDDDB like bulk trap generation is ignored. Table 6.5 lists the cyclostationary stretched exponential (6.21) to calculate hole trapping into and detrapping from pre-existing bulk traps. Identical expressions as shown in Tables 6.2 and 6.3 have been used, with parameters  $\tau_{STR}$ ,  $\beta_{STR}$  and  $\tau_{REC}$ ,  $\beta_{REC}$ , respectively, for hole trapping and detrapping processes.

### 6.4.4 Analysis of Experimental Results

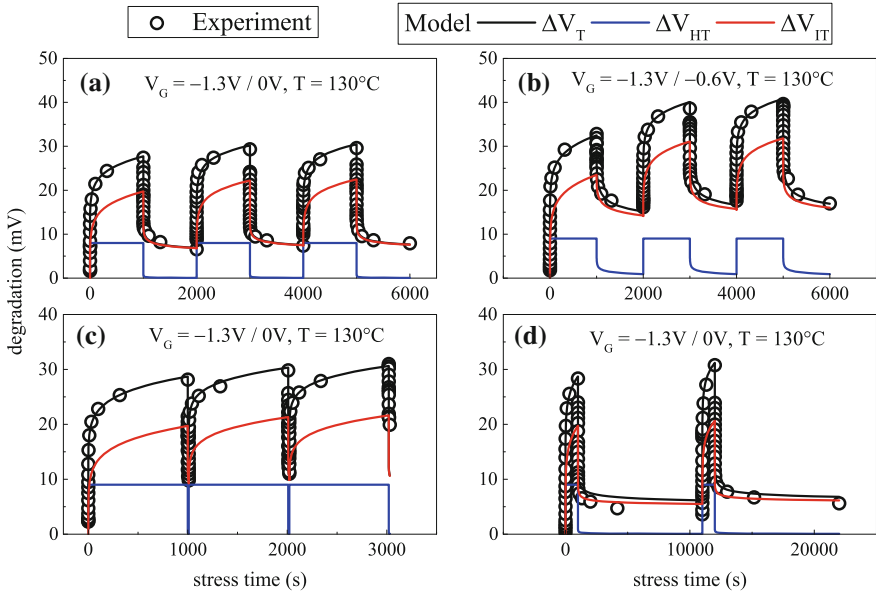
Figure 6.25 shows the time evolution of UF-MSM measured  $\Delta V_T$  for subsequent DC stress and recovery cycles for NBTI stress in HKMG p-MOSFETs. Experiments are performed for symmetric stress and recovery periods for (a) high  $V_{G-LOW}$  ( $=V_{G-REC}$ ) and for (b)  $V_{G-LOW} = 0$  V. Experiments are also performed for  $V_{G-LOW} = 0$  V and for asymmetric stress and recovery periods, with (c) large on and short off and (d) short on and large off phases. Identical  $V_{G-HIGH}$  ( $=V_{G-STR}$ ) and stress  $T$  are used for all stress conditions.

Time evolution of calculated  $\Delta V_T$  and its underlying  $\Delta V_{IT}$  and  $\Delta V_{HT}$  subcomponents are also shown. Excellent agreement has been obtained between measured and calculated degradation. Note that  $\Delta V_{IT}$  is calculated using RD model and TTOM, while  $\Delta V_{HT}$  is calculated using cyclostationary model, and all model parameters are kept exactly identical to that used for predicting single stress and recovery experiments shown earlier in this chapter.

Figure 6.26 shows the time evolution of UF-MSM measured  $\Delta V_T$  for Mode-B AC NBTI stress in HKMG p-MOSFETs for (a) different  $V_{G-LOW}$  but fixed PDC, and (b) different PDC but fixed  $V_{G-LOW}$ , while other stress parameters, i.e.,  $V_{G-HIGH}$ ,

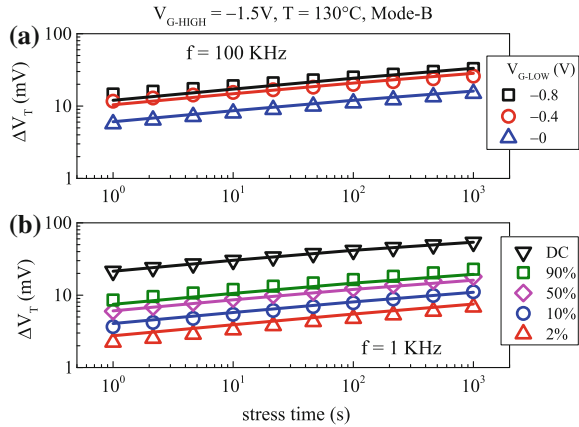
**Table 6.5** Equations for hole trapping and detrapping for multi-cycle DC and AC stress

$\Delta V_{HT,ON}(t) = \Delta V_{HT}(EOPR) + [\Delta V_{HT,MAX} - \Delta V_{HT}(EOPR)] * [1 - \exp\{-(t_{ON}/\tau_{STR})^{\beta_{STR}}\}]$	(6.21)
$\Delta V_{HT,OFF}(t) = \Delta V_{HT}(EOPS) * \exp\{-(t_{OFF}/\tau_{REC})^{\beta_{REC}}\}$	



**Fig. 6.25** Time evolution of UF-MSM measured  $\Delta V_T$  during sequential DC NBTI stress and recovery cycles in HKMG devices (*symbols*), for **(a, b)** different  $V_{G-REC}$  but symmetric stress and recovery cycles, and **(c, d)** for  $V_{G-REC} = 0$  V but asymmetric stress and recovery cycles involving long stress and short recovery and short stress and long recovery. Overall composite model solution and its underlying trap generation and trapping subcomponent are shown as *lines*

**Fig. 6.26** Time evolution of UF-MSM measured  $\Delta V_T$  during Mode-B AC NBTI stress in HKMG devices (*symbols*), for **a** different  $V_{G-LOW}$  and **b** different PDC. DC data are shown as reference. *Lines* represent composite model solution

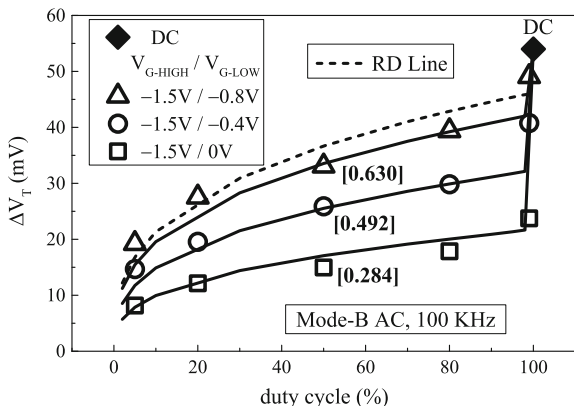


$f$  and stress  $T$  are kept constant. The DC data are shown as reference. Note that power-law time dependence is observed for different  $V_{G-LOW}$  and PDC with identical exponent  $n \sim 1/6$  that is characteristics of RD model. It will be shown later that hole-trapping component is negligible for Mode-B stress, and therefore,

time evolution of measured  $\Delta V_T$  can be explained using  $\Delta V_{IT}$  obtained from RD model and TTOM calculations across different PDC and  $V_{G-LOW}$  as shown. The model agrees well with measured data, and calculations are done with fixed model parameters to predict PDC dependence, only  $F_{FAST}$  is varied to predict  $V_{G-LOW}$  dependence that governs the ratio of generated traps that undergo fast electron capture. Note that although not encountered in digital circuits, the predictive capability of the model for different  $V_{G-LOW}$  dependent data suggests accuracy of TTOM calculations.

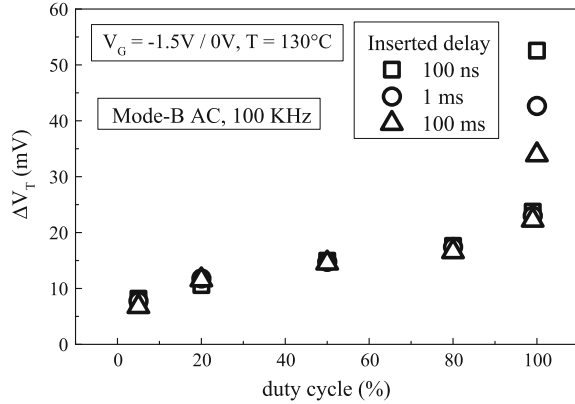
Figure 6.27 plots the PDC dependence of UF-MSM measured  $\Delta V_T$  at fixed  $t_{STR}$ , for Mode-B AC NBTI stress in HKMG p-MOSFETs for different  $V_{G-LOW}$ ; all other stress parameters are kept constant. The DC value is shown as reference. As explained earlier in this chapter,  $\Delta V_T$  for DC stress consists of  $\Delta V_{IT}$  and  $\Delta V_{HT}$ , while  $\Delta V_{OT}$  remained negligible for HKMG devices. As mentioned before and will also be explained later in this chapter,  $\Delta V_{HT}$  is negligible for Mode-B AC stress. Therefore, measured  $\Delta V_T$  for Mode-B stress is solely due to  $\Delta V_{IT}$ . The dotted line represents  $\Delta V_{IT}$  for AC stress calculated using RD model without considering electron trapping. The difference between calculated  $\Delta V_{IT}$  and measured  $\Delta V_T$  at DC is due to  $\Delta V_{HT}$ . However, the magnitude of  $\Delta V_{HT}$  is small and its absence for Mode-B AC stress is not sufficient to explain the large AC to DC ratio observed for different PDC and  $V_{G-LOW}$ . The solid lines represent calculated  $\Delta V_{IT}$  with trap occupancy obtained using RD model and TTOM based framework. The model agrees well with measured data across different PDC and  $V_{G-LOW}$ . As mentioned before, PDC dependence is calculated using identical model parameters, while only the  $F_{FAST}$  parameter is varied to explain  $V_{G-LOW}$  dependence.

Figure 6.28 shows the PDC dependence of  $\Delta V_T$  for AC Mode-B NBTI stress in HKMG p-MOSFETs, measured using UF-MSM technique having different



**Fig. 6.27** PDC dependence of UF-MSM measured  $\Delta V_T$  at fixed  $t_{STR}$ , for Mode-B AC NBTI stress in HKMG devices at different  $V_{G-LOW}$  (symbols). DC data shown as reference. Dotted line represents RD model solution. Solid line represents RD model solution together with transient trap occupancy. Hole trapping contribution is negligible

**Fig. 6.28** PDC dependence of  $\Delta V_T$  at fixed  $t_{STR}$  for Mode-B AC stress in HKMG devices, measured using UF-MSM method for different measurement delay. DC data shown as reference

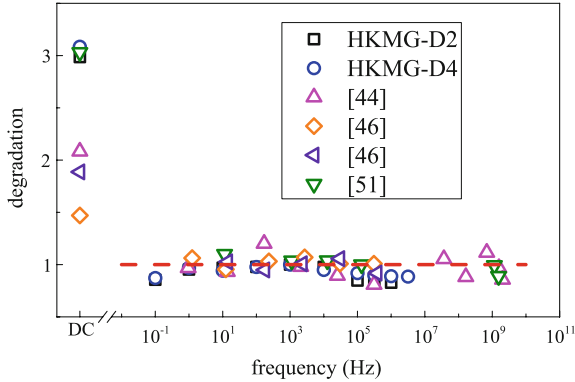


measurement delay. Refer to Chap. 2 for a detailed discussion on the impact of measurement delay on UF-MSM measurements for AC stress. The DC data measured using identical measurement delay are also shown as reference. Except PDC, other stress conditions, e.g.,  $V_{G-HIGH}$ ,  $V_{G-LOW}$ ,  $f$  and  $T$  are kept constant. Note that measurement delay impacts  $\Delta V_T$  for DC but not for Mode-B AC stress.

Recall that  $\Delta V_T$  for Mode-B AC stress is dominated by  $\Delta V_{IT}$ . AC stress is done at  $V_{G-LOW} = 0$  V that ensures electron capture induced trap neutralization during the last off half cycle. As electron capture is fast, measurements with additional delay do not impact resultant  $\Delta V_T$ , since generated traps in the last on half cycle gets neutralized in the last off half cycle. Moreover, as  $\Delta V_{HT}$  is negligible for Mode-B stress,  $\Delta V_T$  is also not influenced by hole detrapping time constant during delayed measurements. However, the same is not true for DC stress, which results in both  $\Delta V_{IT}$  and  $\Delta V_{HT}$ . Therefore, electron capture into generated traps and hole detrapping takes place as  $|V_G|$  is reduced after stress for measurement, and their magnitude depends on measurement delay. Finally, note that the passivation of interface traps is a slower process and does not play a big role unless measurement delay is made artificially large.

Figure 6.29 plots  $\Delta V_T$  as a function of AC pulse  $f$  for Mode-B NBTI stress; DC data are also shown as reference. Data are obtained from various sources and are normalized to  $f = 1$  kHz AC data.<sup>2</sup> Note that  $\Delta V_T$  for AC Mode-B stress is governed by  $\Delta V_{IT}$ , and its magnitude does not depend on measurement delay. Therefore, data from different sources show universal  $f$  independence; the  $f$  independence being the characteristics of RD model that governs  $\Delta V_{IT}$ , as discussed earlier in this section. It is important to remark that the occupancy of RD model generated traps determine the magnitude of  $\Delta V_{IT}$ . However, trap occupancy calculation results in a  $f$  independent constant scaling factor that depends only on  $V_{G-LOW}$ , for the range of  $f$  studied in this work. Therefore, measured data demonstrate the characteristic  $f$  independence of RD model as shown.

<sup>2</sup>Since measured data show  $f$  independence, the normalization can be done using any  $f$ .



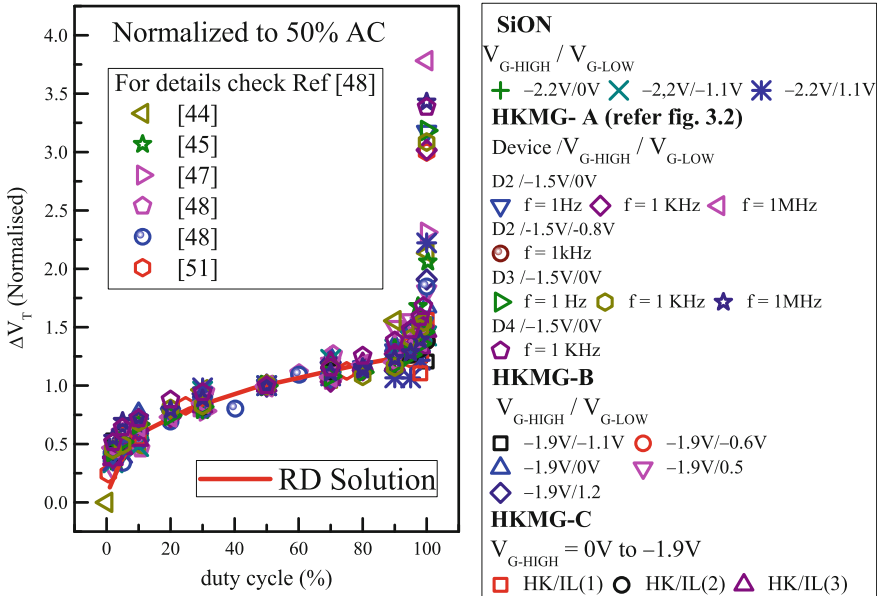
**Fig. 6.29** Frequency dependence of  $\Delta V_T$  at fixed  $t_{STR}$  for Mode-B AC stress at 50 % PDC. Data obtained from SiON devices (slow MSM), HKMG devices (UF-MSM) and also from difference published reports. DC data shown as reference. All  $f$  dependent dataset are normalized to their respective AC data at 1 kHz. Line represents RD model solution

However, the DC data show a large spread, and is due to differences in measurement speed used by different groups. As discussed above, measurement speed determines the extent of recovery due to electron capture and hole detrapping as  $|V_G|$  is reduced from stress. Moreover, the spread in DC data also depends on the quality of the gate insulator used by different groups, which determines the magnitude of trapped holes during stress. The AC Mode-B data are free from hole trapping as discussed below, and hence is not impacted by gate insulator quality.

Figure 6.30 plots the PDC dependence of  $\Delta V_T$  for Mode-B NBTI stress in different SiON and HKMG p-MOSFETs. SiON data are obtained using slow MSM method for different  $V_{G-LOW}$ . HKMG-A data are obtained using UF-MSM method on devices having different IL quality, for different  $f$  and  $V_{G-LOW}$ . HKMG-B data are obtained using slow MSM method for different  $V_{G-LOW}$ . HKMG-C data are also obtained using slow MSM method on devices having different IL quality. Additional data are plotted from published reports. Such diverse set of data show a remarkable universality when normalized to their respective 50 % PDC value, and this universality is seen for AC stress up to  $\sim 85$  % PDC. However, a large spread in normalized  $\Delta V_T$  is observed for higher PDC AC and DC (PDC = 100 %) stress.

As mentioned before and also explained in the next section, measured  $\Delta V_T$  for Mode-B AC stress is predominantly due to  $\Delta V_{IT}$  and contribution from  $\Delta V_{HT}$  is negligible unless PDC becomes very high. Hence,  $\Delta V_T$  is not influenced by reasonable measurement delay as discussed in Fig. 6.28. Note that PDC dependence of  $\Delta V_{IT}$  is governed by RD model. Although the actual magnitude of  $\Delta V_{IT}$  depends on occupancy of generated traps, trap occupancy calculation introduces a constant scaling factor, which is independent of  $f$  and PDC and only depends on  $V_{G-LOW}$  of the gate pulse as shown earlier. Therefore, the RD model dictated PDC dependent shape, represented by the dotted line, is maintained for different type of measured data up to moderately high PDC stress as shown in Fig. 6.30.





**Fig. 6.30** PDC dependence of  $\Delta V_T$  at fixed  $t_{STR}$  for Mode-B AC stress for different devices and experimental conditions. SiON, HKMG-B and different HKMG-C devices are measured using slow MSM for different  $V_{G-HIGH}$  and  $V_{G-LOW}$  combinations. Different HKMG-A devices are measured using UF-MSM for different values of  $V_{G-LOW}$ . Data also obtained from published reports. DC data shown as reference. All PDC dependent dataset are normalized to their respective 50 % PDC AC data. Line represents RD model solution

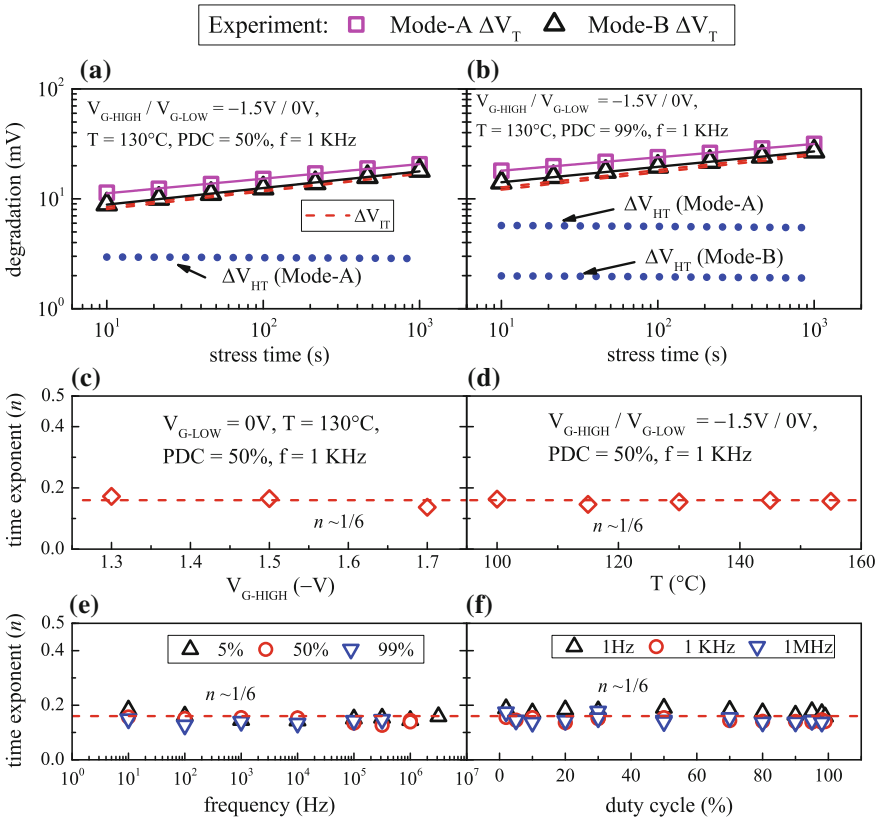
A scatter in measured  $\Delta V_T$  is observed for very high PDC AC stress. Note that the pulse off half cycle becomes smaller at larger PDC. Therefore, measured  $\Delta V_T$  would depend on both  $\Delta V_{IT}$  and to some extent also by  $\Delta V_{HT}$ , especially for devices with inferior quality of gate insulator, as holes trapped during on half cycle do not get sufficient time to detrapp during off half cycle. As a consequence, measured  $\Delta V_T$  is influenced by the quality of gate insulator that determines the magnitude of  $\Delta V_{HT}$ . Moreover,  $\Delta V_T$  will also be impacted by measurement delay that impacts the magnitude of hole detrapping. These aspects are responsible for the observed scatter at higher PDC. However, although small, the pulse off time is still good for fast electron capture in generated traps, and therefore, this phenomenon does not play any role, unless the  $f$  becomes too large and very high PDC data are analyzed.

The scenario becomes even more different for DC stress, which is governed by both  $\Delta V_{IT}$  and  $\Delta V_{HT}$ , and hence measured  $\Delta V_T$  depends on the gate insulator quality and shows a spread as shown. However, more importantly, as  $|V_G|$  is reduced for measurement,  $\Delta V_T$  starts to recover not only by hole detrapping and reduction in  $\Delta V_{HT}$ , but also due to fast electron capture and reduction in  $\Delta V_{IT}$ , while trap passivation remains negligible for reasonably shorter measurement delay. Therefore, DC measurement is strongly influenced by measurement delay in

addition to gate insulator quality, and different type of measurements with unspecified delay between stress and measurement on different types of devices result in a very large spread in  $\Delta V_T$  for DC stress as shown.

### 6.4.5 Comparative Analysis of Mode-A and Mode-B Stress

Figure 6.31 shows the time evolution of UF-MSM measured  $\Delta V_T$  for Mode-A and Mode-B AC stress in HKMG p-MOSFETs for (a) PDC = 50 % and (b) PDC = 99 %, all other stress conditions, i.e.,  $V_{G-HIGH}$ ,  $V_{G-LOW}$  and  $f$  are kept constant. Note that  $\Delta V_T$  shows power-law time dependence for both stress modes.



**Fig. 6.31** Time evolution of UF-MSM measured  $\Delta V_T$  for Mode-A and Mode-B AC NBTI stress in HKMG devices (symbols) at **a** low PDC and **b** high PDC. Overall model prediction and its underlying subcomponents are shown as lines. Power-law time exponent  $n$  for  $\Delta V_T$  time evolution at longer  $t_{STR}$  for Mode-B AC stress, versus **c** pulse high ( $V_{G-HIGH}$ ), **d** stress  $T$ , **e** frequency for different PDC and **f** duty cycle for different  $f$

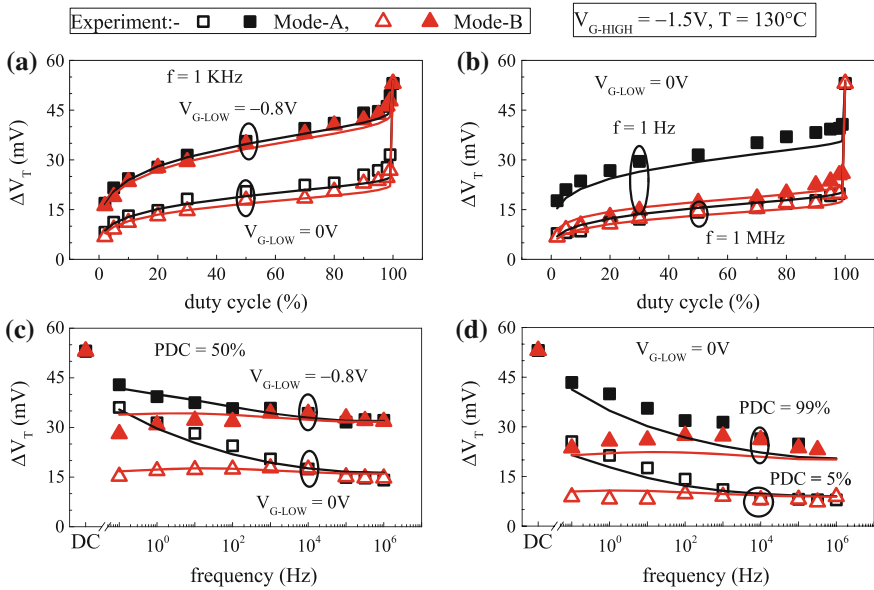
The Mode-B stress shows universal time exponent  $n \sim 1/6$  for both PDC, while the magnitude of  $\Delta V_T$  increases with PDC as expected. However, the Mode-A stress shows higher  $\Delta V_T$  and lower  $n$  than Mode-B, and the difference increases for higher PDC stress.

Time evolution of  $\Delta V_{IT}$  calculated using RD model and TTOM are also shown, and calculated  $\Delta V_{IT}$  magnitude is quite close to measured  $\Delta V_T$  for Mode-B stress at both PDC, and verifies that Mode-B stress is dominated by  $\Delta V_{IT}$ . Note that due to high  $f$ , calculated  $\Delta V_{IT}$  values for Mode-A stress is closer to Mode-B value and not shown. The difference between calculated  $\Delta V_{IT}$  and measured  $\Delta V_T$ , i.e., extracted  $\Delta V_{HT}$  component is shown for Mode-A and Mode-B stress for both PDC. Note that  $\Delta V_{HT}$  is non negligible for Mode-A stress and increases significantly for higher PDC. On the other hand,  $\Delta V_{HT}$  is negligible for lower PDC and becomes visible only at higher PDC Mode-B stress, although,  $\Delta V_T$  is always dominated by  $\Delta V_{IT}$  as shown.

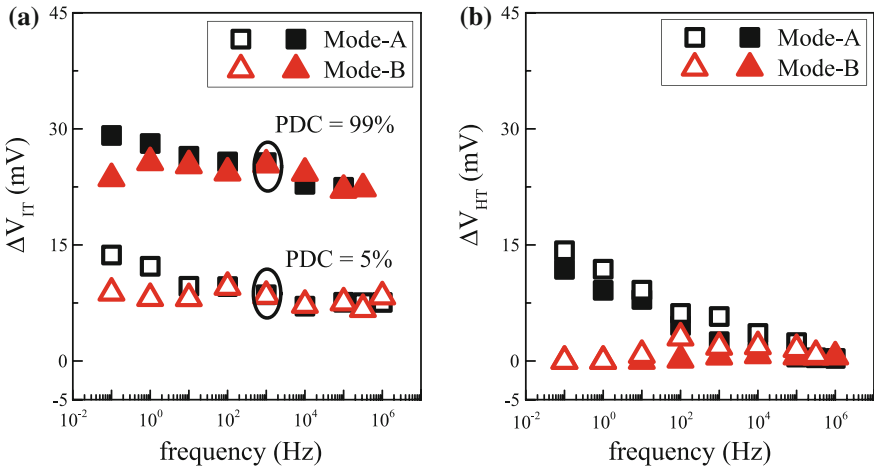
Time evolution of  $\Delta V_T$  is measured using UF-MSM for different AC Mode-B stress conditions and power-law time exponent is extracted. Figure 6.31 also plots extracted time exponent  $n$  as a function of (c)  $V_{G-HIGH}$ , (d) stress  $T$ , (e) frequency and (f) PDC; the  $f$  dependence is studied at difference PDC and similarly, the PDC dependence is studied at different  $f$ . Note that the universal time exponent  $n \sim 1/6$  is obtained for all stress conditions, which also matches well with that predicted using the TTOM augmented RD model solution for AC NBTI stress. Therefore, it is unequivocally established that  $\Delta V_{IT}$  dominates  $\Delta V_T$  for Mode-B AC stress for diverse experimental conditions.

Figure 6.32 shows UF-MSM measured  $\Delta V_T$  at fixed  $t_{STR}$ , for AC Mode-A and Mode-B NBTI stress in HKMG p-MOSFETs as a function of (a, b) PDC and (c, d) frequency. Experiments are performed for different  $V_{G-LOW}$ , as shown in (a) and (c) for PDC and  $f$  dependence, respectively. Moreover, PDC dependence is studied at different  $f$  and the frequency dependence at different PDC, as shown in (b) and (d), respectively. Other stress parameters are kept constant. Note that PDC dependence of  $\Delta V_T$  shows S shaped characteristics and a kink or jump between high PDC AC and DC stress. The AC to DC ratio at different PDC and the magnitude of the kink depends on  $f$  and  $V_{G-LOW}$ . Mode-B stress shows  $f$  independent  $\Delta V_T$  for different PDC and  $V_{G-LOW}$ . Mode-A  $\Delta V_T$  is larger compared to Mode-B  $\Delta V_T$  at lower  $f$  and this holds true for different PDC and  $V_{G-LOW}$ . However, Mode-A  $\Delta V_T$  reduces and eventually merges with Mode-B  $\Delta V_T$  at higher  $f$  and shows  $f$  independence.

The composite modeling framework consisting of  $\Delta V_{IT}$  and  $\Delta V_{HT}$  subcomponents is used to calculate PDC and  $f$  dependence of  $\Delta V_T$  as also shown in Fig. 6.32. Modeled  $\Delta V_T$  for AC stress is obtained using identical parameters as used for DC stress and recovery, and calculated  $\Delta V_T$  agrees well with measurements for such diverse experimental conditions as shown. Figure 6.33 shows calculated (a)  $\Delta V_{IT}$  and (b)  $\Delta V_{HT}$  subcomponents as a function of frequency, for Mode-A and Mode-B AC stress for low and high PDC. Note that Mode-B  $\Delta V_T$  is primarily due to  $\Delta V_{IT}$  and is calculated using TTOM augmented RD model. Mode-A  $\Delta V_T$  is due to both  $\Delta V_{IT}$  and  $\Delta V_{HT}$  especially at lower  $f$ ,  $\Delta V_{IT}$  is calculated as mentioned before, while

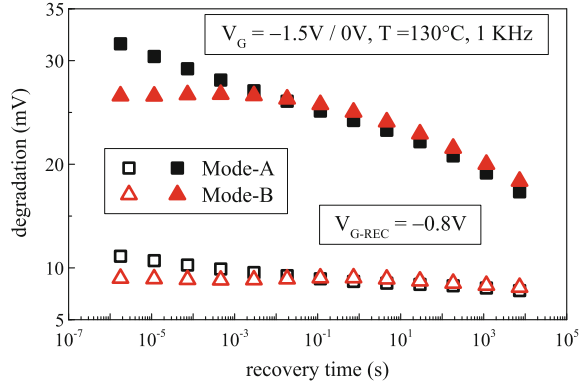


**Fig. 6.32** UF-MSM measured  $\Delta V_T$  for Mode-A and Mode-B AC stress in HKMG devices at fixed  $t_{STR}$  (symbols), versus (a, b) duty cycle and (c, d) frequency. (a, c) PDC and  $f$  dependence are studied for different  $V_{G-LOW}$ . b PDC dependence is studied for different  $f$ , and d frequency dependence is studied for different PDC. Lines represent composite model solution



**Fig. 6.33** Frequency dependence of model calculated a  $\Delta V_{IT}$  and b  $\Delta V_{HT}$  subcomponents at fixed  $t_{STR}$  for Mode-A and Mode-B AC NBTI stress in HKMG devices at different PDC

**Fig. 6.34** Recovery of  $\Delta V_T$  after Mode-A and Mode-B AC NBTI stress in HKMG devices at different PDC measured using UF-OTF method



$\Delta V_{HT}$  is calculated using the cyclostationary trapping expression shown in Table 6.5. However, the  $\Delta V_{HT}$  subcomponent reduces at higher  $f$  for Mode-A stress, and both Mode-A and Mode-B stress at higher  $f$  is dominated by  $\Delta V_{IT}$  as shown.

As an additional proof, Fig. 6.34 shows recovery of  $\Delta V_T$  measured in HKMG p-MOSFETs using UF-OTF method, after AC Mode-A and Mode-B NBTI stress at low and high PDC. Note that a relatively higher  $|V_{G-REC}|$  is used to minimize fast electron capture, which ensures recovery of generated traps primarily by the slower  $H_2$  back diffusion induced passivation process. Note that Mode-B stress shows a delayed start of recovery, which is consistent with the trap passivation process and signifies the absence of hole detrapping. In contrast, recovery following Mode-A stress starts early due to detrapping of trapped holes. However, once the available holes get de-trapped, Mode-A  $\Delta V_T$  recovery merges with that for Mode-B at longer time, and the recovery for both modes are governed by passivation of generated traps as per RD model.

## 6.5 Compact Model for DC and AC Degradation

The framework consisting of TTOM enabled RD model and cyclostationary hole trapping, discussed earlier in this chapter, is capable of providing the time evolution of  $\Delta V_T$  for different AC stress conditions. It calculates degradation at the end of each on and off half cycles. It can provide  $\Delta V_T$  at any  $t_{STR}$  within a particular on or off cycle of interest, which is done by noting degradation at the end of previous two half cycles for stress and previous three half cycles for recovery calculations. Although the framework is comprehensive and adheres to the underlying physical process, calculations can become computationally taxing especially for high  $f$  AC simulation over long  $t_{STR}$ .

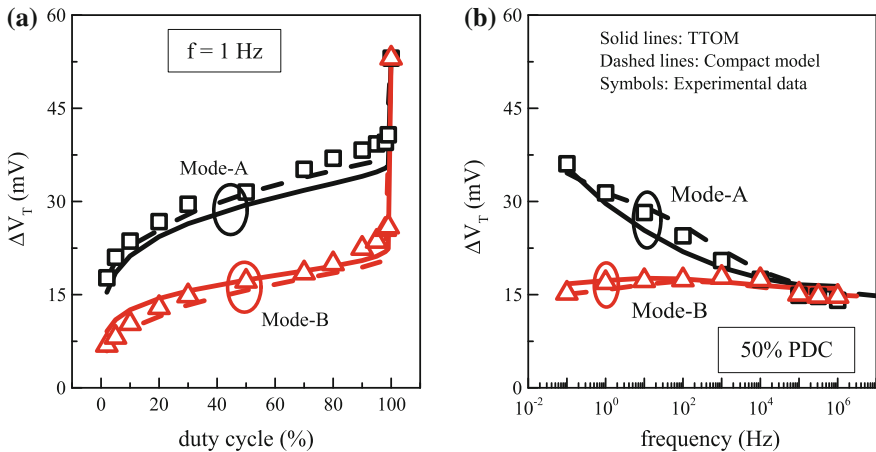
In many situations, it is just sufficient to calculate  $\Delta V_T$  at a fixed  $t_{STR}$  during AC stress, which can be done using the compact model shown in Table 6.6.  $\Delta V_{IT}$  (DC) and  $\Delta V_{HT}$  (DC) for a particular time can be calculated using the compact

**Table 6.6** Compact model equations to calculate  $\Delta V_{IT}$  and  $\Delta V_{HT}$  at fixed  $t_{STR}$  for Mode-A and Mode-B AC stress

$\Delta V_{IT1} = F_{FAST} * k_{DUTY} * \Delta V_{HT,DC} * (1 - \exp\{- (t_{OFF} / \tau_{EC})^{\beta_{EC}}\}) * (\exp\{- (t_{ON} / \tau_{EE})^{\beta_{EE}}\})$	(6.22)
$\Delta V_{IT2} = (1 - F_{FAST}) * k_{DUTY} * \Delta V_{IT,DC}$	(6.23)
$\Delta V_{HT} = \Delta V_{HT,DC} (1 - \exp\{- (t_{ON} / \tau_{STR})^{\beta_{STR}}\}) * (\exp\{- (t_{OFF} / \tau_{REC})^{\beta_{REC}}\})$	(6.24)
$\Delta V_T = \Delta V_{IT1} + \Delta V_{IT2} + \Delta V_{HT}$	(6.25)

model of Chap. 4, Table 4.1. For AC stress,  $\Delta V_{IT}$  is divided into  $\Delta V_{IT-1}$  and  $\Delta V_{IT-2}$  depending on recovery via fast electron capture and  $H_2$ depassivation, respectively. Equation (6.22) calculates  $\Delta V_{IT-1}$  by using stretched exponential relation for electron emission and capture, using parameters  $\tau_{EC}$ ,  $\beta_{EC}$  and  $\tau_{EE}$ ,  $\beta_{EE}$ , respectively. The on ( $t_{ON}$ ) and off ( $t_{OFF}$ ) time is calculated using  $1/f * PDC$  and  $1/f * (1 - PDC)$ , respectively,  $f$  and PDC being the frequency and duty of applied gate pulse. Equation 6.23 calculates  $\Delta V_{IT-2}$ , the parameter  $k_{DUTY}$  is the PDC dependent DC to AC scaling factor for generated traps, is given by RD model solution, and can be approximated by using the analytical expression shown in (6.23). As before,  $F_{FAST}$  determines the fraction of traps that undergo recovery by electron capture and depends on  $V_{G-LOW}$ . Finally, hole trapping and detrapping (6.24) is calculated using stretched exponential equations, with parameters  $\tau_{STR}$ ,  $\beta_{STR}$  and  $\tau_{REC}$ ,  $\beta_{REC}$ , respectively.

Figure 6.35 plots UF-MSM measured  $\Delta V_T$  at fixed  $t_{STR}$  for Mode-A and Mode-B AC stress in HKMG p-MOSFETs for different (a) PDC and (b) frequency. All other stress conditions are kept fixed. The dotted line shows compact model

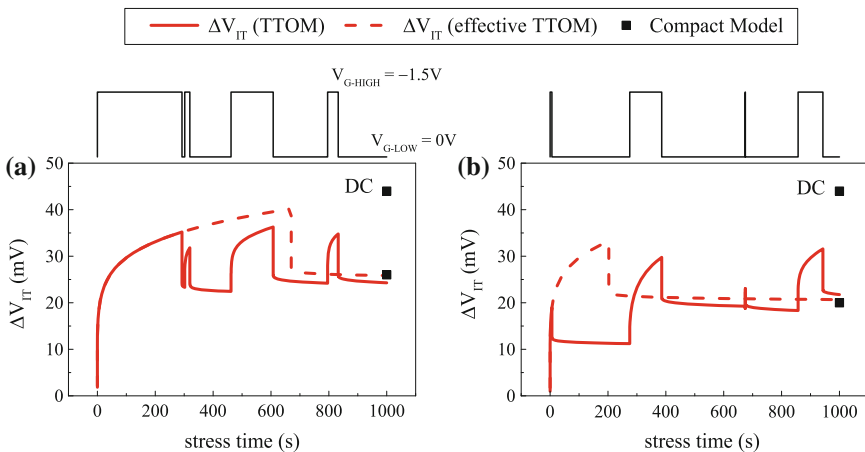


**Fig. 6.35** UF-MSM measured  $\Delta V_T$  at fixed  $t_{STR}$  for Mode-A and Mode-B AC NBTI stress in HKMG devices (symbols) as a function of **a** duty cycle and **b** frequency. Lines represent full transient simulation (solid) and compact model calculation (dashed)

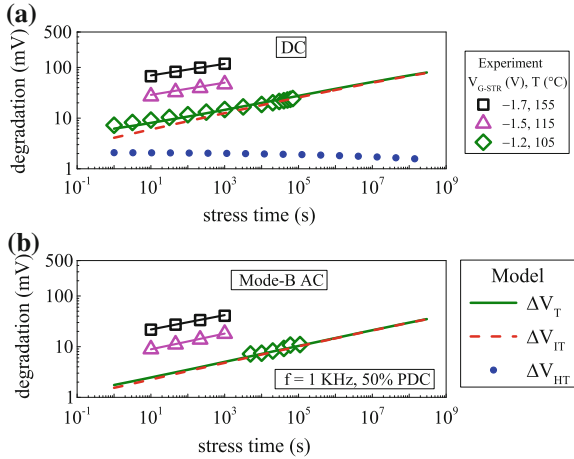
calculation, while the solid line shows calculation using the TTOM enabled RD model with cyclostationary hole trapping. Note that both models agree quite well, and the compact model can successfully predict the PDC and  $f$  dependence of AC Mode-A and Mode-B degradation. It is important to remark that the time constant related parameters for electron capture/emission and hole trapping/detrapping are different between the two models.

Real life circuits often work under random AC activity and hence the capability of the compact model needs to be tested for arbitrary pulse on and off conditions. In particular, the occupancy calculation of generated traps is of interest, as the trap generation subcomponent dominates overall degradation at long time and for AC stress. Figure 6.36 illustrates two different examples, with (a) larger total pulse on than off and (b) smaller total pulse on than off time. The solid line represents time evolution of  $\Delta V_{IT}$  calculated using the composite framework consisting of TTOM enabled RD model. In this framework, calculation is performed over sequential on and off periods of the gate pulse to exactly track the gate activity. Note that a single pulse of equivalent duty can be used to represent the random gate activity as shown. The time evolution of  $\Delta V_T$  calculated using the TTOM enabled RD model framework for this single effective pulse is also shown, and good agreement has been achieved at identical total simulation time. Finally, the dots represent compact model calculated DC and AC  $\Delta V_{IT}$  at end of simulation time. Compact model calculation agrees well with the actual and effective composite model calculation as shown.

Figure 6.37 shows the time evolution of UF-MSM measured  $\Delta V_T$  for (a) DC and (b) Mode-B AC NBTI stress in HKMG p-MOSFETs. Experiments are done at higher  $V_{G-STR}$  (or  $V_{G-HIGH}$ ) and  $T$  for a short time, and at lower  $V_{G-STR}$  (or  $V_{G-HIGH}$ )



**Fig. 6.36** Time evolution of simulated  $\Delta V_{IT}$  using the transient occupancy enabled RD model for arbitrary stress and recovery sequences. *Data* are shown from exact time tracking (*solid*) and effective duty cycle (*dashed*) calculation. The fixed-time compact model calculation is also shown (*symbols*)



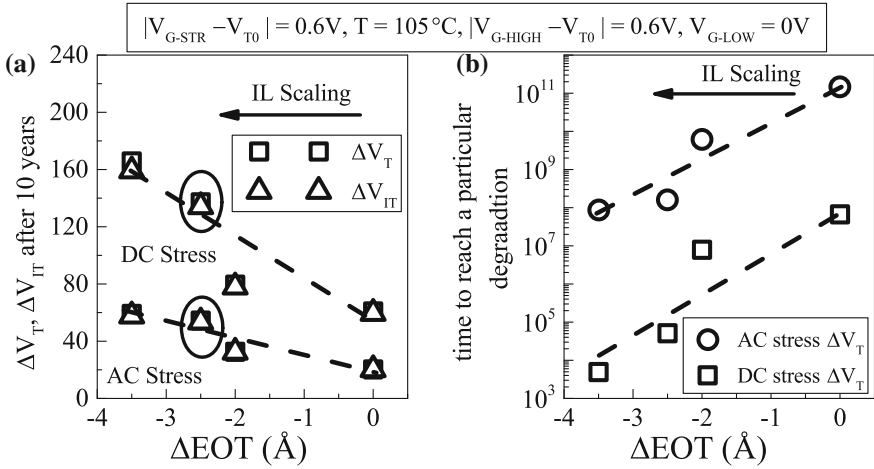
**Fig. 6.37** Time evolution of UF-MSM measured  $\Delta V_T$  for **a** DC and **b** Mode-B AC NBTI stress in HKMG devices (*symbols*). *Solid lines* represent model calculation. Parameters are calibrated by fitting shorter  $t_{STR}$  data at high  $V_{G-STR}$  and high stress  $T$ , and predictive capability of the calibrated model is tested against longer  $t_{STR}$  data at lower  $V_{G-STR}$  and lower stress  $T$ . The underlying  $\Delta V_{IT}$  and  $\Delta V_{HT}$  subcomponents are shown

and  $T$  for moderately long time, for both DC and AC stress. The DC compact model shown in Chap. 4, Table 4.1 is calibrated using measured short-time DC data at higher  $V_{G-STR}$  and  $T$ , and the calibrated compact model is used to predict long time measured data at lower  $V_{G-STR}$  and  $T$ , and also extrapolated to end-of-life time of 10 years. The calculated  $\Delta V_{IT}$  and  $\Delta V_{HT}$  contributions are also shown for the lower  $V_{G-STR}$  and  $T$  condition.

Note that time evolution of  $\Delta V_T$  for Mode-B AC stress is dominated by  $\Delta V_{IT}$  as discussed earlier in this chapter. Also note that the time evolution of  $\Delta V_{IT}$  shows power-law dependence with identical  $n \sim 1/6$  for both DC and AC stress. The AC to DC scaling factor for  $\Delta V_{IT}$ , governed by fast electron capture and trap passivation, can be calculated using the compact model shown in Table 6.6 for a particular AC  $f$  and PDC. The DC compact model calculated time evolution of  $\Delta V_{IT}$  is scaled by this factor to calculate the time evolution of  $\Delta V_T$  for AC stress at different  $V_{G-HIGH}$  and  $T$ , since  $\Delta V_{HT}$  is negligible for Mode-B AC stress. The model agrees well with measured data as shown in Fig. 6.37b. The extrapolated end-of-life degradation is also calculated.

The above analysis has been performed on UF-MSM measured time evolution of  $\Delta V_T$  for DC and Mode-B AC stress in different HKMG devices D1 through D4 shown in Chap. 3, Fig. 3.2. Figure 6.38 shows the impact of EOT scaling on (a) extrapolated  $\Delta V_T$  at 10 years, and on (b) time to reach a particular  $\Delta V_T$ , for DC and AC stress. Note that Mode-B AC stress is dominated by  $\Delta V_{IT}$ , while both  $\Delta V_{IT}$  and  $\Delta V_{HT}$  contributes to DC stress. As a reference, the 10 year extrapolated  $\Delta V_{IT}$  value is also shown for DC stress in Fig. 6.38a. Note that although  $\Delta V_{HT}$  contribution is important for shorter time DC stress, end-of-life  $\Delta V_T$  is completely





**Fig. 6.38** **a** Estimated  $\Delta V_T$  and  $\Delta V_{IT}$  at end of life (10 years) using the calibrated compact model for DC and Mode-B AC NBTI stress in HKMG devices having different IL thickness leading to different EOT. **b** Time to reach a particular degradation obtained from calculations shown in (a)

dominated by  $\Delta V_{IT}$  as shown. Therefore,  $\Delta V_{IT}$  governs NBTI limited lifetime for both DC and AC stress. The degradation increases and corresponding time to reach a particular degradation reduces as EOT is scaled, calculations are done at fixed overdrive and  $T$  for different devices. As explained in Chap. 4, enhanced degradation for scaled EOT devices is due to increase in stress  $E_{OX}$ , and also due to the presence of higher N content in the gate stack for deeply scaled devices. A relief is obtained for Mode-B AC stress as shown.

Before concluding, it is important to remark that the AC to DC ratio for  $\Delta V_{IT}$  is governed by trap passivation and electron capture/emission processes. Note that electron capture is a fast process having very short  $\tau_{EC}$ . However, in certain situations such as very large  $f$  and high enough PDC, it is indeed possible that the pulse off phase is not long enough for complete electron capture. Therefore, electron capture will not be efficient if  $\Delta V_T$  is measured immediately after the ultra-short pulse off phase without the gate spending additional time at lower  $V_G$  before measurement. In such situation,  $\Delta V_T$  is likely to increase at very high  $f$ , which is consistent with recently reported results [95]. Therefore, very high  $f$  AC measurements need careful attention.

### 6.6 Summary

A comprehensive modeling framework is proposed to explain DC and AC NBTI degradation. The framework uses generation of interface traps calculated using the Reaction-Diffusion model, together with hole trapping in pre-existing bulk insulator

traps and generation of new bulk insulator traps, calculated using empirical expressions, to calculate overall degradation. Model calculation agrees well with experimental time evolution of degradation, measured by using ultra-fast techniques, for DC stress in differently processed SiON and HKMG p-MOSFETs. The model predicts measured degradation from very short to long stress time under different stress conditions, with fixed and process dependent parameters that are consistent with the compact model parameters listed in Chap. 4.

Detrapping of trapped holes in pre-existing and generated bulk insulator traps, as well as reduction of charges associated with generated interface traps, is used to model recovery of NBTI degradation after DC stress. Hole detrapping is computed using analytical expressions. Generated interface trap recovers either by electron capture if the trap goes below the Fermi level as stress bias is reduced, or via trap passivation if the trap stays above the Fermi level. Electron capture is empirically computed, while trap passivation is calculated using the modified RD model that takes into account stochastic effects. The framework is used to explain measured recovery data obtained using ultra-fast methods in differently processed SiON devices for different stress conditions. It is also used to predict ultra-fast measured data in HKMG devices, a wide variety of stress and recovery conditions. Calculated recovery using consistent set of model parameters (as stress) agrees well with measurements for diverse set of experimental conditions.

The DC stress and recovery framework is extended to calculate degradation for successive DC stress and recovery phases and also for Mode-A and Mode-B AC stress. A Transient Trap Occupancy Model is used to calculate the occupancy of generated interface traps obtained using RD model simulation, and a cyclostationary empirical model is used for hole trapping. The framework is used to predict measured degradation under multi-cycle DC and AC stress in HKMG devices for different experimental conditions. Multi-cycle DC data for arbitrary stress and recovery phases and AC data for different pulse frequency and duty is successfully explained, with model parameters that are fully consistent with single DC stress and recovery experiments. The accuracy of trap occupancy calculation is verified using measured data at different recovery or pulse low biases.

Finally, a compact model has been proposed and verified against the composite modeling framework for AC stress under diverse experimental conditions including arbitrary gate activity. The compact model predicts identical DC to AC ratio as the comprehensive model, and has been used to predict end-of-life degradation for HKMG devices having different EOT. It has been shown that EOT scaling results in enhanced NBTI, and moreover, generation of interface traps completely dominates degradation at end-of-life for both DC and AC stress.

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## References

1. B.E. Deal, M. Sklar, A.S. Grove, E.H. Snow, Characteristics of the surface state charge ( $Q_{ss}$ ) of thermally oxidized silicon. *J. Electrochem. Soc.* **114**, 266 (1967)
2. N. Kimizuka, K. Yamaguchi, K. Imai, T. Iizuka, C.T. Liu, R.C. Keller, T. Horiuchi, NBTI enhancement by nitrogen incorporation into ultrathin gate oxide for 0.10- $\mu\text{m}$  gate CMOS generation, in *Symposium on VLSI Technology: Digest of Technical Papers*, p. 92 (2000)
3. S. Tsujikawa, T. Mine, K. Watanabe, Y. Shimamoto, R. Tsuchiya, K. Ohnishi, T. Onai, J. Yugami, S. Kimura, Negative bias temperature instability of pMOSFETs with ultra-thin SiON gate dielectrics, in *IEEE International Reliability Physics Symposium Proceedings*, p. 183 (2003)
4. V. Huard, M. Denais, F. Perrier, N. Revil, C. Parthasarathy, A. Bravaix, E. Vincent, A thorough investigation of MOSFETs NBTI degradation. *Microelectron. Reliab.* **45**, 83 (2005)
5. S. Mahapatra, K. Ahmed, D. Varghese, A.E. Islam, G. Gupta, L. Madhav, D. Saha, M.A. Alam, On the physical mechanism of NBTI in silicon oxynitride p-MOSFETs: can differences in insulator processing conditions resolve the interface trap generation versus hole trapping controversy?, in *IEEE International Reliability Physics Symposium Proceedings*, p. 1 (2007)
6. Y. Mitani, H. Satake, A. Toriumi, Influence of nitrogen on negative bias temperature instability in Ultrathin SiON. *IEEE Trans. Device Mater. Reliab.* **8**, 6 (2008)
7. V.D. Maheta, C. Olsen, K. Ahmed, S. Mahapatra, The impact of nitrogen engineering in silicon oxynitride gate dielectric on negative-bias temperature instability of p-MOSFETs: a study by ultrafast on-the-fly  $I_{DLIN}$  technique. *IEEE Trans. Electron Devices* **55**, 1630 (2008)
8. M. Rafik, X. Garros, G. Ribes, G. Ghibaudo, C. Hobbs, A. Zauner, M. Muller, V. Huard, C. Ouard, Impact of TiN Metal gate on NBTI assessed by interface states and fast transient effect characterization, in *IEEE International Electron Devices Meeting Technical Digest*, p. 825 (2007)
9. S. Pae, M. Agostinelli, M. Brazier, R. Chau, G. Dewey, T. Ghani, M. Hattendorf, J. Hicks, J. Kavalieros, K. Kuhn, M. Kuhn, J. Maiz, M. Metz, K. Mistry, C. Prasad, S. Ramey, A. Roskowski, J. Sandford, C. Thomas, J. Thomas, C. Wiegand, J. Wiedemer, BTI reliability of 45 nm high-K + metal-gate process technology, in *IEEE International Reliability Physics Symposium Proceedings*, p. 352 (2008)
10. S. Deora, V.D. Maheta, G. Bersuker, C. Olsen, K.Z. Ahmed, R. Jammy, S. Mahapatra, A Comparative NBTI study of  $\text{HfO}_2/\text{HfSiO}_x$ , and SiON p-MOSFETs using UF-OTF  $I_{DLIN}$  technique. *IEEE Electron Device Lett.* **30**, 152 (2009)
11. X. Garros, M. Casse, C. Fenouillet-Beranger, G. Reimbold, F. Martin, C. Gaumer, C. Wiemer, M. Perego, F. Boulanger, Detrimental impact of technological processes on BTI reliability of advanced high-K/metal gate stacks, in *IEEE International Reliability Physics Symposium Proceedings*, p. 362 (2009)
12. S. Pae, A. Ashok, T. Ghani, K. Lemay, M. Liu, R. Lu, P. Packan, C. Parker, R. Purser, A. St. Amour, B. Woolery, Reliability characterization of 32 nm high-K and Metal-Gate logic transistor technology, in *IEEE International Reliability Physics Symposium Proceedings*, p. 287 (2010)
13. E. Cartier, A. Kerber, T. Ando, M.M. Frank, K. Choi, S. Krishnan, B. Linder, K. Zhao, F. Monsieur, J. Stathis, V. Narayanan, Fundamental aspects of  $\text{HfO}_2$ -based high-k metal gate stack reliability and implications on tinV-scaling, in *IEEE International Electron Devices Meeting Technical Digest*, p. 18.4.1 (2011)
14. S. Krishnan, V. Narayanan, E. Cartier, D. Ioannou, K. Zhao, T. Ando, U. Kwon, B. Linder, J. Stathis, M. Chudzik, A. Kerber, K. Choi, Bias temperature instability in High- $\kappa$ /metal gate transistors—Gate stack scaling trends, in *IEEE International Reliability Physics Symposium Proceedings*, p. 5A.1.1 (2012)
15. K. Joshi, S. Hung, S. Mukhopadhyay, V. Chaudhary, N. Nanaware, B. Rajamohanan, T. Sato, M. Bevan, A. Wei, A. Noori, B. McDougal, C. Ni, G. Saheli, C. Lazik, P. Liu, D. Chu, L. Date, S. Datta, A. Brand, J. Swenberg, S. Mahapatra, HKMG process impact on N, P BTI:

- Role of thermal IL scaling, IL/HK integration and post HK nitridation, in *IEEE International Reliability Physics Symposium Proceedings*, p. 4C.2.1 (2013)
16. W. McMahon, C. Tian, S. Uppal, H. Kothari, M. Jin, G. LaRosa, T. Nigam, A. Kerber, B. P. Linder, E. Cartier, W.L. Lai, Y. Liu, R. Ramachandran, U. Kwon, B. Parameshwaran, S. Krishnan, V. Narayanan, Intrinsic dielectric stack reliability of a high performance bulk planar 20 nm replacement gate high-k metal gate technology and comparison to 28 nm gate first high-k metal gate process, in *IEEE International Reliability Physics Symposium Proceedings*, p. 4C.4.1 (2013)
  17. S. Ramey, A. Ashutosh, C. Auth, J. Clifford, M. Hattendorf, J. Hicks, R. James, A. Rahman, V. Sharma, A. St. Amour, C. Wiegand, Intrinsic transistor reliability improvements from 22 nm tri-gate technology, in *IEEE International Reliability Physics Symposium Proceedings*, p. 4C.5.1 (2013)
  18. A.T. Krishnan, V. Reddy, S. Chakravarthi, J. Rodriguez, S. John, S. Krishnan, NBTI impact on transistor and circuit: models, mechanisms and scaling effects [MOSFETs], in *IEEE International Electron Devices Meeting Technical Digest*, p. 14.5.1 (2003)
  19. V. Reddy, J. Carulli, A. Krishnan, W. Bosch, B. Burgess, Impact of negative bias temperature instability on product parametric drift, in *International Test Conference*, p. 148 (2004)
  20. A. Haggag, G. Anderson, S. Parohar, D. Burnett, G. Abeln, J. Higman, M. Moosa, Understanding SRAM high-temperature-operating-life NBTI: statistics and permanent vs recoverable damage, in *IEEE International Reliability Physics Symposium Proceedings*, p. 452 (2007)
  21. V. Huard, R. Chevallier, C. Parthasarathy, A. Mishra, N. Ruiz-Amador, F. Persin, V. Robert, A. Chimenon, E. Pion, N. Planes, D. Ney, F. Cacho, N. Kapoor, V. Kulshrestha, S. Chopra, N. Vialle, Managing SRAM reliability from bitcell to library level, in *IEEE International Reliability Physics Symposium Proceedings*, p. 655 (2010)
  22. A.T. Krishnan, F. Cano, C. Chancellor, V. Reddy, Z. Qi, P. Jain, J. Masin, S. Zuhoski, S. Krishnan, J. Ondrusek, Product drift from NBTI : guardbanding, circuit and statistical effects, in *IEEE International Electron Devices Meeting Technical Digest*, p. 4.3.1 (2010)
  23. D.P. Ioannou, S. Mittl, D. Brochu, Burn-in stress induced BTI degradation and post-burn-in high temperature anneal (Bake) effects in advanced HKMG and oxynitride based CMOS ring oscillators, in *IEEE International Reliability Physics Symposium Proceedings*, p. 5C.2.1 (2012)
  24. S. Mahapatra, V. Huard, A. Kerber, V. Reddy, S. Kalpat, A. Haggag, Universality of NBTI—From devices to circuits and products, in *IEEE International Reliability Physics Symposium Proceedings*, p. 3B.1.1 (2014)
  25. S. Mahapatra, N. Goel, S. Desai, S. Gupta, B. Jose, S. Mukhopadhyay, K. Joshi, A. Jain, A.E. Islam, M.A. Alam, A comparative study of different physics-based NBTI models. *IEEE Trans. Electron Devices* **60**, 901 (2013)
  26. S. Rangan, N. Mielke, E.C. C. Yeh, Universal recovery behavior of negative bias temperature instability [PMOSFETs], in *IEEE International Electron Devices Meeting Technical Digest*, p. 14.3.1 (2003)
  27. H. Reisinger, O. Blank, W. Heinrigs, A. Muhlhoff, W. Gustin, C. Schlunder, Analysis of NBTI Degradation- and Recovery-Behavior Based on Ultra Fast  $V_T$ -Measurements, in *IEEE International Reliability Physics Symposium Proceedings*, p. 448 (2006)
  28. T. Grasser, W. Gos, V. Sverdlov, B. Kaczer, The Universality of NBTI relaxation and its implications for modeling and characterization, in *IEEE International Reliability Physics Symposium Proceedings*, p. 268 (2007)
  29. B. Kaczer, T. Grasser, J. Roussel, J. Martin-Martinez, R. O'Connor, B.J. O'Sullivan, G. Groeseneken, Ubiquitous relaxation in BTI stressing—New evaluation and insights, in *IEEE International Reliability Physics Symposium Proceedings*, p. 20 (2008)
  30. C. Shen, M.-F. Li, C.E. Foo, T. Yang, D.M. Huang, A. Yap, G.S. Samudra, Y.-C. Yeo, Characterization and physical origin of fast  $V_{th}$  transient in NBTI of pMOSFETs with SiON dielectric, in *IEEE International Electron Devices Meeting Technical Digest*, doi:[10.1109/IEDM.2006.346776](https://doi.org/10.1109/IEDM.2006.346776) (2006)

31. E.N. Kumar, V.D. Maheta, S. Purawat, A.E. Islam, C. Olsen, K. Ahmed, M.A. Alam, S. Mahapatra, Material dependence of NBTI physical mechanism in silicon oxynitride (SiON) p-MOSFETs: a comprehensive study by ultra-fast on-the-fly (UF-OTF)  $I_{DLIN}$  technique, in *IEEE International Electron Devices Meeting Technical Digest*, p. 809 (2007)
32. N. Goel, N. Nanaware, S. Mahapatra, Ultrafast AC–DC NBTI characterization of deep IL scaled HKMG p-MOSFETs. *IEEE Electron Device Lett.* **34**, 1476 (2013)
33. A.E. Islam, H. Kuflluoglu, D. Varghese, S. Mahapatra, M.A. Alam, Recent issues in negative-bias temperature instability: initial degradation, field dependence of interface trap generation, hole trapping effects, and relaxation. *IEEE Trans. Electron Devices* **54**, 2143 (2007)
34. D. Varghese, D. Saha, S. Mahapatra, K. Ahmed, F. Nouri, M. Alam, On the dispersive versus arrhenius temperature activation of NBTI time evolution in plasma nitrated gate oxides: measurements, theory, and implications, in *IEEE International Electron Devices Meeting Technical Digest*, p. 684 (2005)
35. S. Mahapatra, P. Bharath Kumar, M.A. Alam, Investigation and modeling of interface and bulk trap generation during negative bias temperature instability of p-MOSFETs. *IEEE Trans. Electron Devices* **51**, 1371 (2004)
36. C.L. Chen, Y.M. Lin, C.J. Wang, K. Wu, A new finding on NBTI lifetime model and an investigation on NBTI degradation characteristic for 1.2 nm ultra thin oxide, in *IEEE International Reliability Physics Symposium Proceedings*, p. 704 (2005)
37. A. Islam, G. Gupta, S. Mahapatra, A.T. Krishnan, K. Ahmed, F. Nouri, A. Oates, M.A. Alam, Gate leakage vs. NBTI in plasma nitrated oxides: characterization, physical principles, and optimization, in *IEEE International Electron Devices Meeting Technical Digest*, doi:[10.1109/IEDM.2006.346775](https://doi.org/10.1109/IEDM.2006.346775) (2006)
38. H. Aono, E. Murakami, K. Okuyama, A. Nishida, M. Minami, Y. Ooji, K. Kubota, Modeling of NBTI degradation and its impact on electric field dependence of the lifetime, in *IEEE International Reliability Physics Symposium Proceedings*, p. 25 (2004)
39. A. Haggag, K. Forbes, G. Anderson, D. Burnett, P. Abramowitz, M. Moosa, Product failures: power-law or exponential voltage dependence? in *IEEE International Reliability Physics Symposium Proceedings*, p. 125 (2010)
40. A.T. Krishnan, C. Chancellor, S. Chakravarthi, P.E. Nicollian, V. Reddy, A. Varghese, R.B. Khamankar, S. Krishnan, Material dependence of hydrogen diffusion: implications for NBTI degradation, in *IEEE International Electron Devices Meeting Technical Digest*, p. 688 (2005)
41. B. Kaczer, V. Arkhipov, R. Degraeve, N. Collaert, G. Groeseneken, M. Goodwin, Disorder-controlled-kinetics model for negative bias temperature instability and its experimental verification, in *IEEE International Reliability Physics Symposium Proceedings*, p. 381 (2005)
42. N. Goel, K. Joshi, S. Mukhopadhyay, N. Nanaware, S. Mahapatra, A comprehensive modeling framework for gate stack process dependence of DC and AC NBTI in SiON and HKMG p-MOSFETs. *Microelectron. Reliab.* **54**, 491 (2014)
43. Y.S. Tsai, N.K. Jha, Y.H. Lee, R. Ranjan, W. Wang, J.R. Shih, M.J. Chen, J.H. Lee, K. Wu, Prediction of NBTI degradation for circuit under AC operation, in *IEEE International Reliability Physics Symposium Proceedings*, p. 665 (2010)
44. R. Fernández, B. Kaczer, A. Nackaerts, S. Demuyne, R. Rodríguez, M. Nafria, G. Groeseneken, AC NBTI studied in the 1 Hz–2 GHz range on dedicated on-chip CMOS circuits, in *IEEE International Electron Devices Meeting Technical Digest*, doi:[10.1109/IEDM.2006.346777](https://doi.org/10.1109/IEDM.2006.346777) (2006)
45. T. Grassler, B. Kaczer, W. Goes, An energy-level perspective of bias temperature instability, in *IEEE International Reliability Physics Symposium Proceedings*, p. 28 (2008)
46. A.E. Islam, S. Mahapatra, S. Deora, V.D. Maheta, M.A. Alam, On the differences between ultra-fast NBTI measurements and Reaction-Diffusion theory, in *IEEE International Electron Devices Meeting Technical Digest*, doi:[10.1109/IEDM.2009.5424236](https://doi.org/10.1109/IEDM.2009.5424236) (2009)

47. H. Reisinger, T. Grasser, W. Gustin, C. Schlunder, The statistical analysis of individual defects constituting NBTI and its implications for modeling DC- and AC-stress, in *IEEE International Reliability Physics Symposium Proceedings*, p. 7 (2010)
48. S. Mahapatra, A.E. Islam, S. Deora, V.D. Maheta, K. Joshi, A. Jain, M.A. Alam, A critical re-evaluation of the usefulness of R-D framework in predicting NBTI stress and recovery, in *International Reliability Physics Symposium Proceedings*, p. 6A.3.1 (2011)
49. W.J. Liu, Z.Y. Liu, D. Huang, C.C. Liao, L.F. Zhang, Z.H. Gan, W. Wong, C. Shen, M.-F. Li, On-the-fly interface trap measurement and its impact on the understanding of NBTI mechanism for p-MOSFETs with SiON gate dielectric, in *IEEE International Electron Devices Meeting Technical Digest*, p. 813 (2007)
50. A. Neugroschel, G. Bersuker, R. Choi, Applications of DCIV method to NBTI characterization. *Microelectron. Reliab.* **47**, 1366 (2007)
51. V. Huard, Two independent components modeling for Negative Bias Temperature Instability, in *IEEE International Reliability Physics Symposium Proceedings*, p. 33 (2010)
52. G. Chen, M.-F. Li, C.H. Ang, J.Z. Zheng, D.L. Kwong, Dynamic NBTI of p-MOS transistors and its impact on MOSFET scaling. *IEEE Electron Device Lett.* **23**, 734 (2002)
53. J.H. Stathis, G. La Rosa, A. Chou, Broad energy distribution of NBTI-induced interface states in p-MOSFETs with ultra-thin nitrided oxide, in *IEEE International Reliability Physics Symposium Proceedings*, doi:[10.1109/RELPHY.2004.1315292](https://doi.org/10.1109/RELPHY.2004.1315292) (2004)
54. J.P. Campbell, P.M. Lenahan, A.T. Krishnan, S. Krishnan, NBTI: an atomic-scale defect perspective, in *IEEE International Reliability Physics Symposium Proceedings*, p. 442 (2006)
55. S. Mukhopadhyay, K. Joshi, V. Chaudhary, N. Goel, S. De, R.K. Pandey, K.V.R.M. Murali, S. Mahapatra, NBTI: an atomic-scale defect perspective, in *IEEE International Reliability Physics Symposium Proceedings*, p. GD.3.1 (2014)
56. G. Kapila, N. Goyal, V.D. Maheta, C. Olsen, K. Ahmed, S. Mahapatra, A comprehensive study of flicker noise in plasma nitride SiON p-MOSFETs: process dependence of pre-existing and NBTI stress generated trap distribution profiles, in *IEEE International Electron Devices Meeting Technical Digest*, doi:[10.1109/IEDM.2008.4796625](https://doi.org/10.1109/IEDM.2008.4796625) (2008)
57. S. Mahapatra, S. De, K. Joshi, S. Mukhopadhyay, R.K. Pandey, K.V.R.M. Murali, Understanding process impact of hole traps and NBTI in HKMG p-MOSFETs using measurements and atomistic simulations. *IEEE Electron Device Lett.* **8**, 963 (2013)
58. B. Kaczer, T. Grasser, J. Martin-Martinez, E. Simoen, M. Aoulaiche, P.J. Roussel, G. Groeseneken, NBTI from the perspective of defect states with widely distributed time scales, in *IEEE International Reliability Physics Symposium Proceedings*, p. 26 (2009)
59. D.S. Ang, S. Wang, Recovery of the NBTI-stressed ultrathin gate p-MOSFET: the role of deep-level hole traps. *IEEE Electron Device Lett.* **27**, 914 (2006)
60. D. Ielmini, M. Manigrasso, F. Gattel, G. Valentini, A new NBTI model based on hole trapping and structural relaxation in MOS dielectrics. *IEEE Trans. Electron Device* **56**, 1943 (2009)
61. H. Reisinger, T. Grasser, K. Ermisch, H. Nielen, W. Gustin, C. Schlunder, Understanding and modeling AC BTI, in *IEEE International Reliability Physics Symposium Proceedings*, p. 6A.1.1 (2011)
62. T. Grasser, B. Kaczer, H. Reisinger, P.J. Wagner, M. Toledano-Luque, On the frequency dependence of the bias temperature stability, in *IEEE International Reliability Physics Symposium Proceedings*, p. XT.8.1 (2012)
63. T. Grasser, Stochastic charge trapping in oxides: from random telegraph noise to bias temperature instabilities. *Microelectron. Reliab.* **52**, 39 (2012)
64. T. Grasser, B. Kaczer, W. Goes, T. Aichinger, P. Hehenberger, M. Nelhiebel, A two stage model for negative bias temperature instability, in *IEEE International Reliability Physics Symposium Proceedings*, p. 33 (2009)
65. K. Sakuma, D. Matsushita, K. Muraoka, Y. Mitani, Investigation of nitrogen-originated NBTI mechanism in SiON with high-nitrogen concentration, in *IEEE International Reliability Physics Symposium Proceedings*, p. 454 (2006)

66. J.H. Lee, W.H. Wu, A.E. Islam, M.A. Alam, A.S. Oates, Separation method of hole trapping and interface trap generation and their roles in NBTI Reaction-Diffusion model, in *IEEE International Reliability Physics Symposium Proceedings*, p. 745 (2008)
67. S. Mahapatra, V.D. Maheta, A.E. Islam, M.A. Alam, Isolation of NBTI stress generated interface trap and hole-trapping components in PNO p-MOSFETs. *IEEE Trans. Electron Devices* **56**, 236 (2009)
68. M. Jo, M. Chang, S. Kim, H.S. Jung, R. Choi, H. Hwang, Contribution of interface states and oxide traps to the negative bias temperature instability of high-k pMOSFETs. *IEEE Electron Device Lett.* **30**, 291 (2009)
69. T. Grasser, P. Wagner, H. Reisinger, T. Aichinger, G. Pobegen, M. Nelhiebel, B. Kaczer, Analytic modeling of the bias temperature instability using capture/emission time maps, in *IEEE International Electron Devices Meeting Technical Digest*, p. 27.4.1 (2011)
70. D. Varghese, PhD Dissertation, *Multi-probe experimental and 'bottom-up' computational analysis of correlated defect generation in modern nanoscale transistors* (Purdue University, West Lafayette, 2009)
71. J. Yang, M. Masuduzzaman, K. Joshi, S. Mukhopadhyay, J. Kang, S. Mahapatra, M.A. Alam, Intrinsic correlation between PBTI and TDDB degradations in nMOS HK/MG dielectrics, in *IEEE International Reliability Physics Symposium Proceedings*, p. 5D.4.1 (2012)
72. K. Joshi, S. Mukhopadhyay, N. Goel, S. Mahapatra, A consistent physical framework for N and P BTI in HKMG MOSFETs, in *IEEE International Reliability Physics Symposium Proceedings*, p. 5A.3.1 (2012)
73. K. Joshi, S. Mukhopadhyay, N. Goel, N. Nanaware, S. Mahapatra, A detailed study of gate insulator process dependence of NBTI using a compact model. *IEEE Trans. Electron Devices* **61**, 408 (2014)
74. S. Tsujikawa, J. Yugami, Positive charge generation due to species of hydrogen during NBTI phenomenon in pMOSFETs with ultra-thin SiON gate dielectrics. *Microelectron. Reliab.* **45**, 65 (2005)
75. T. Grasser, K. Rott, H. Reisinger, M. Waltl, P. Wagner, F. Schanovsky, W. Goes, G. Pobegen, B. Kaczer, Hydrogen-related volatile defects as the possible cause for the recoverable component of NBTI, in *IEEE International Electron Devices Meeting Technical Digest*, p. 9 (2013)
76. T. Grasser, M. Waltl, W. Goes, Y. Wimmer, A.M. El-Sayed, A.L. Shluger, B. Kaczer, On the volatility of oxide defects: activation, deactivation, and transformation', in *IEEE International Reliability Physics Symposium Proceedings*, p. 5A.3 (2015)
77. K.O. Jeppson, C.M. Svensson, Negative bias stress of MOS devices at high electric-fields and degradation of MNOS devices. *J. Appl. Phys.* **48**, 2004 (1977)
78. M.A. Alam, A critical examination of the mechanics of dynamic NBTI for PMOSFETs, in *IEEE International Electron Devices Meeting Technical Digest*, p. 14.4.1 (2003)
79. S. Chakravarthi, A. Krishnan, V. Reddy, C.F. Machala, S. Krishnan, A comprehensive framework for predictive modeling of negative bias temperature instability, in *IEEE International Reliability Physics Symposium Proceedings*, p. 273 (2004)
80. M.A. Alam, S. Mahapatra, A comprehensive model of PMOS NBTI degradation. *Microelectron. Reliab.* **45**, 71 (2005)
81. M. Alam, H. Kufluoglu, D. Varghese, S. Mahapatra, A comprehensive model for PMOS NBTI degradation: recent progress. *Microelectron. Reliab.* **47**, 853 (2007)
82. F. Schanovsky, T. Grasser, On the microscopic limit of the modified reaction-diffusion model for the negative bias temperature instability, in *IEEE International Reliability Physics Symposium Proceedings*, p. XT.10.1 (2012)
83. T. Naphade, N. Goel, P.R. Nair, S. Mahapatra, Investigation of stochastic implementation of reaction diffusion (RD) models for NBTI related interface trap generation, in *IEEE international reliability physics symposium proceedings*, p. XT.5.1 (2013)
84. T. Grasser, K. Rott, H. Reisinger, M. Waltl, F. Schanovsky, B. Kaczer, NBTI in nanoscale MOSFETs—The ultimate modeling benchmark. *IEEE Trans. Electron Devices* **61**, 358 (2014)

85. S. Desai, S. Mukhopadhyay, N. Goel, N. Nanaware, B. Jose, K. Joshi, S. Mahapatra, A comprehensive AC/DC NBTI model: stress, recovery, frequency, duty cycle and process dependence, in *IEEE International Reliability Physics Symposium Proceedings*, p. XT.2.1 (2013)
86. N. Goel, S. Mukhopadhyay, N. Nanaware, S. De, R.K. Pandey, K.V.R.M. Murali, S. Mahapatra, A comprehensive DC/AC model for ultra-fast NBTI in deep EOT scaled HKMG p-MOSFETs, in *IEEE International Reliability Physics Symposium Proceedings*, p. 6A.4.1 (2014)
87. N. Goel, T. Naphade, S. Mahapatra, Combined trap generation and transient trap occupancy model for time evolution of NBTI during DC multi-cycle and AC atress, in *IEEE International Reliability Physics Symposium Proceedings*, p. 4A.3 (2015)
88. S. Gupta, B. Jose, K. Joshi, A. Jain, M. A. Alam, S. Mahapatra, A comprehensive and critical re-assessment of 2-stage energy level NBTI model, in *IEEE International Reliability Physics Symposium Proceedings*, p. XT.3.1 (2012)
89. W. Tsai, L.-A. Ragnarsson, L. Pantisano, P.J. Chen, B. Onsia, T. Schram, E. Cartier, A. Kerber, E. Young, M. Caymax, S. De Gendt, M. Heyns, Performance comparison of sub 1 nm sputtered TiN/HfO<sub>2</sub> nMOS and pMOSFETs, in *IEEE International Electron Devices Meeting Technical Digest*, p. 13.2.1 (2003)
90. M.J. Bevan, R. Curtis, T. Guarini, W. Liu, S.C.H. Hung, H. Graoui, Ultrathin SiO<sub>2</sub> interface layer growth, in *International Conference on Advanced Thermal Processing of Semiconductors (RTP)*, p. 154 (2010)
91. P.A. Kraus, K.Z. Ahmed, C.S. Olsen, F. Nouri, Physical models for predicting plasma nitrided Si-O-N gate dielectric properties from physical metrology. *IEEE Electron Device Lett.* **24**, 559 (2003)
92. C. Olsen, Two-step Post Nitridation Annealing for Lower EOT Plasma Nitrided Gate Dielectrics, in *WO2004081984* p. A2 (2004)
93. M.L. Reed, J.D. Plummer, Chemistry of Si-SiO<sub>2</sub> interface trap annealing. *J. Appl. Phys.* **63**, 5776 (1988)
94. A.E. Islam, E.N. Kumar, H. Das, S. Purawat, V. Maheta, H. Aono, E. Murakami, S. Mahapatra, M.A. Alam, Theory and practice of on-the-fly and ultra-fast V<sub>T</sub> measurements for NBTI degradation: challenges and opportunities, in *IEEE International Electron Devices Meeting Technical Digest*, p. 805 (2007)
95. M.-H. Hsieh, D. Maji, Y.-C. Huang, T.-Y. Yew, W. Wang, Y.-H. Lee, J.R. Shih, K. Wu, Frequency dependence of NBTI in high-k/metal-gate technology, in *IEEE International Reliability Physics Symposium Proceedings*, p. XT.3.1 (2014)



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Souvik Mahapatra

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